

# Scintillation & scintillators

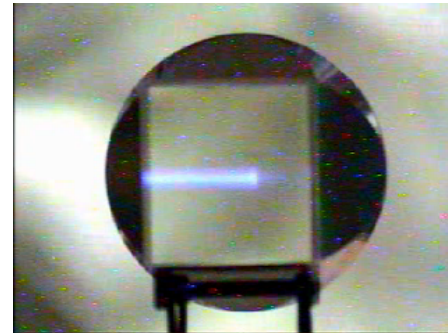
Nishina Center : Toshimi Suda (須田 利美)

- **Scintillation**

- When a charged particle passes in matter, it excites the atom (or molecules) in the medium. Some materials, call scintillators, releases the energy due to de-excitation by photons (scintillation).

- **the scintillation can be used as**

- presence of a charge particle
- energy measurement
- the measure of the time when it passes

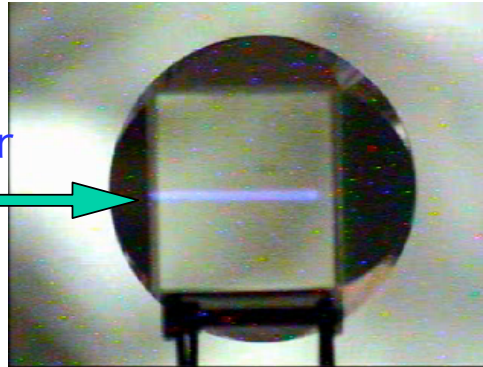


- **types of materials that scintillates (discussed in this lecture)**

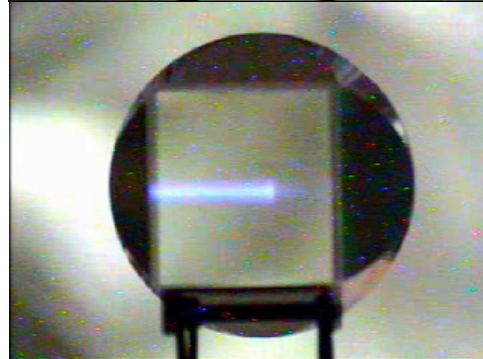
- non-organic crystals
- organic plastics (+ organic liquids)

# high-energy heavy-ions ( $^{20}\text{Ne}$ ) in a scintillator

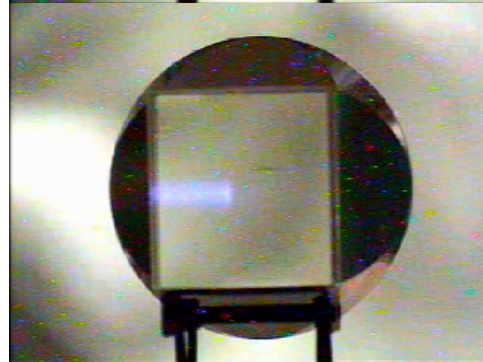
$^{20}\text{Ne}$  beam from accelerator



8 GeV  
 $R=21\text{g/cm}^2$



6.6 GeV  
 $R=15\text{g/cm}^2$



5 GeV  
 $R=9.7\text{g/cm}^2$

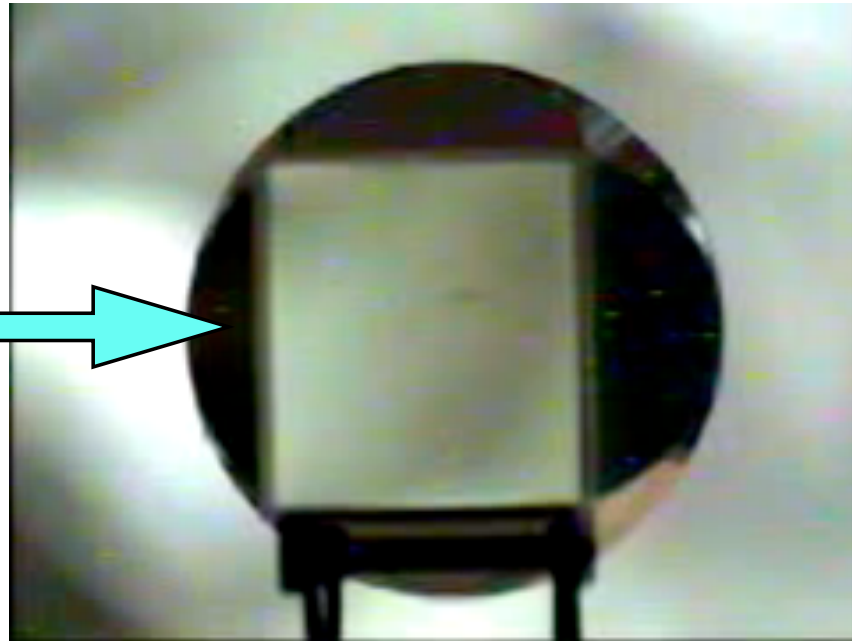
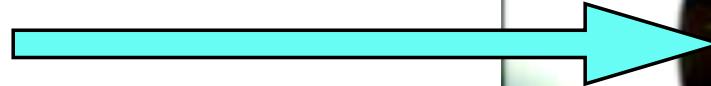
GSO

# scintillation (movie)

## intense high-energy heavy-ion beam

“beam” is injected every 3 seconds from a synchrotron

Ne beam from accelerator



# My lecture on scintillation & scintillator

- **Interaction of particles with matter**
  - interaction of charged particles in matter
  - interaction of photons with matter
- **scintillators**
  - **inorganic crystals**
    - response to  $\gamma$ -ray
    - response to charged particle
  - **organic scintillators**
    - response to  $\gamma$ -ray
    - response to charge particle

# Interaction of particles with matter

(for detecting particles, they must interact with matter)

- **photons**
  - photoelectric
  - Compton
  - pair production
- **charged particles**
  - losing energy due to ionization
  - losing energy due to photon emission
    - bremsstrahlung (mainly electron, positron)
  - nuclear reaction
- **other important electromagnetic processes**
  - Cerenkov radiation, transition radiation
  - (multiple scattering)

# Energy loss in matter

- particle loses its energy by ionization and excitation
  - energy transfer in each collision is tiny (~ eV order)
  - cross section ~  $10^{-17-16}$  cm<sup>2</sup>
    - 10 MeV ( $10^7$  eV) proton stops in 0.25 mm copper

$r_e$ =classical radius of electron  
 $m_e$ =mass of electron  
 $N_a$ =Avogadro's number  
 $c$ =speed of light  
 $z$ =charge of incident particle  
 $\beta=v/c$  of incident particle  
 $\gamma=(1-\beta^2)^{-1/2}$   
 $W_{max}$ =max. energy transfer in one collision

- Beth-Bloch formula ( a few % accuracy)

$$-\frac{dE}{dx} = 2\pi N_a r_e^2 m_e c^2 \rho \frac{Z}{A} \frac{z^2}{\beta^2} \left[ \ln\left(\frac{2m_e \gamma^2 v^2 W_{max}}{I^2}\right) - 2\beta^2 \right]$$

0.154 MeV cm<sup>2</sup>/g

- corrections for density and shell effects, in addition. refer to the Leo's textbook.

- Some useful formula and scales (exclude electron/positron)

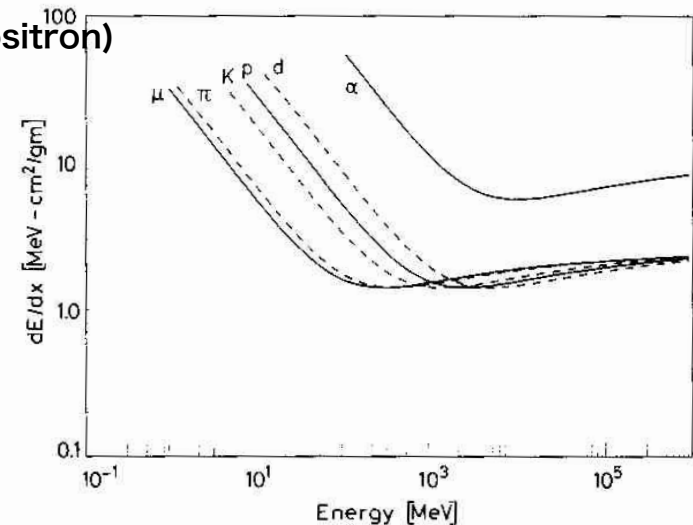
$$-\frac{dE}{\rho dx} = z^2 \frac{Z}{A} f(\beta, I) \approx \frac{1}{\beta^2} = 1/E$$

$\Delta E$  in  $\rho dx$  is nearly the same

$$Range \propto \frac{E^{1.75}}{Z^2}$$

for estimation of the range of particles

$$-\frac{dE}{dx} \approx 2 \text{ MeV} / (\text{g/cm}^2) @ \beta \sim 0.95$$



# Particle identification

- one must determine their mass (m) and charge (z)
- what one can measure are ...
  - momentum
  - velocity (time-of-flight for a certain distance)
  - energy loss
  - total energy

$$p = \frac{m\beta}{\sqrt{1-\beta^2}}$$

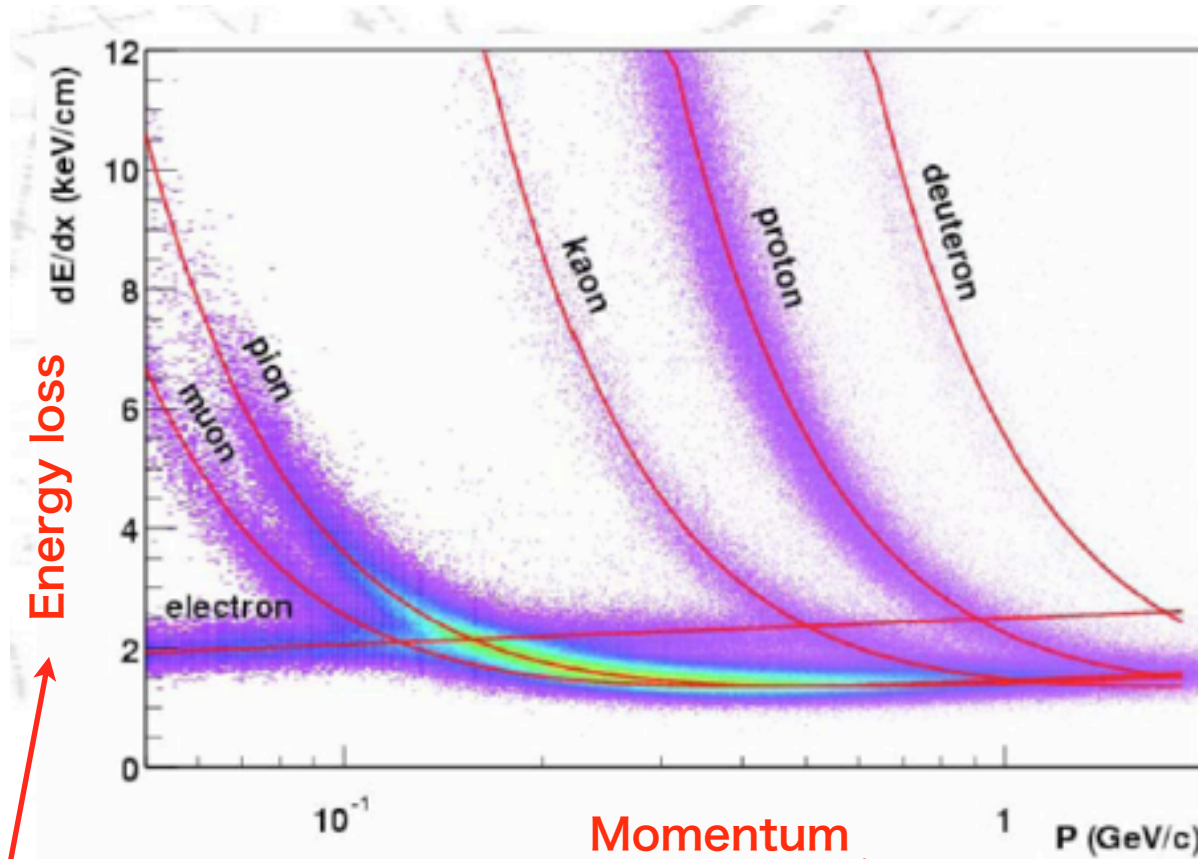
$$\beta = \frac{v}{c}$$

$$-\frac{dE}{dx} \propto \frac{z^2}{\beta^2}$$

$$E = \frac{m}{\sqrt{1-\beta^2}}$$

# an example of particle identification

for  $z=1$  particles, the measurement of energy loss and momentum gives their mass



particle		mass (MeV/c <sup>2</sup> )
electron	e	0.511
muon	$\mu$	106
pion	$\pi$	140
kaon	K	494
proton	p	938
duetron	d	1876

$$-\frac{dE}{dx} \propto \frac{z^2}{\beta^2} \quad z=1$$

$$p = \frac{m\beta}{\sqrt{1-\beta^2}}$$



# interaction of photons with matter

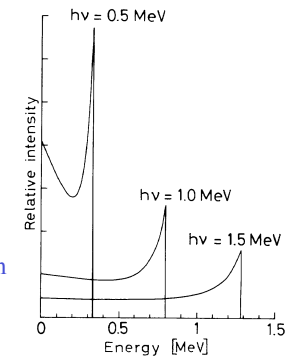
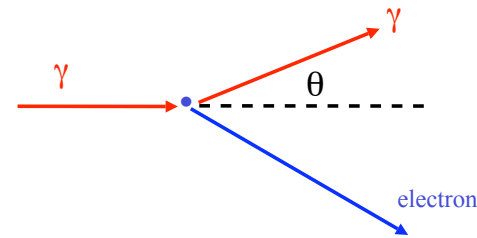
- photoelectric ( $E_\gamma < \text{a few MeV}$ )
  - a photon is absorbed by an atom, and an electron is ejected.
    - $E_e = E_\gamma - BE(\text{binding energy} : \sim \text{a few eV})$
    - cross section  $\sim f(E_\gamma^{-7/2}, Z^5)$
    - higher Z is favored for  $\gamma$ -ray detection

## Compton scattering

- scattering of photons by an electron

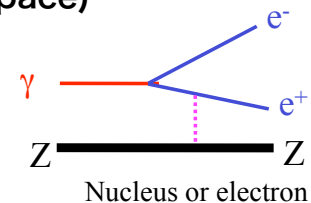
$$E_{\gamma,out} = \frac{E_{\gamma,in}}{1 + \gamma(1 - \cos \theta)}$$

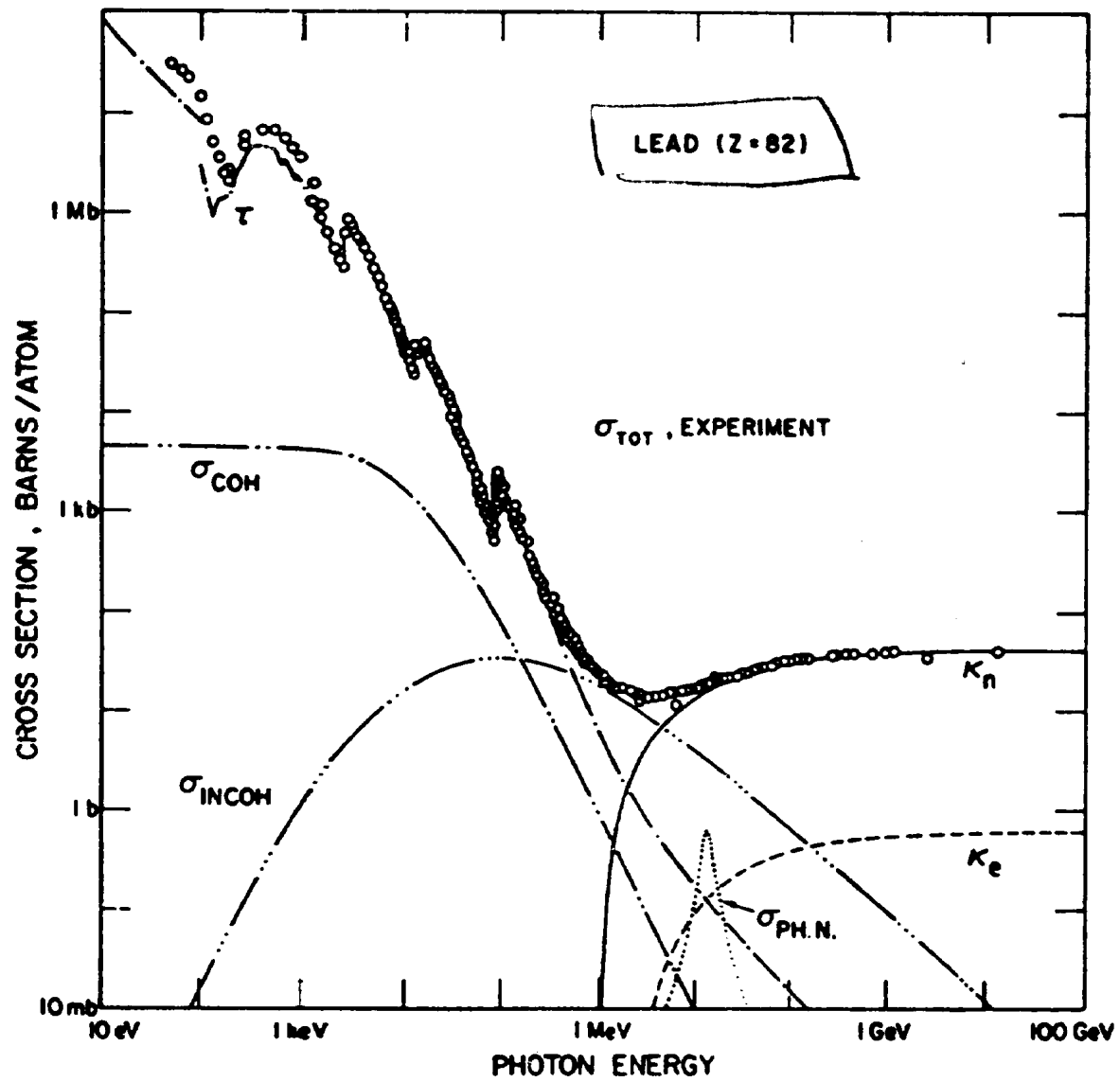
- cross section : Klein-Nishina formula
- cross section  $\sim f(Z)$  : number of electrons



## Pair production ( $E_\gamma > \text{a few MeV}$ )

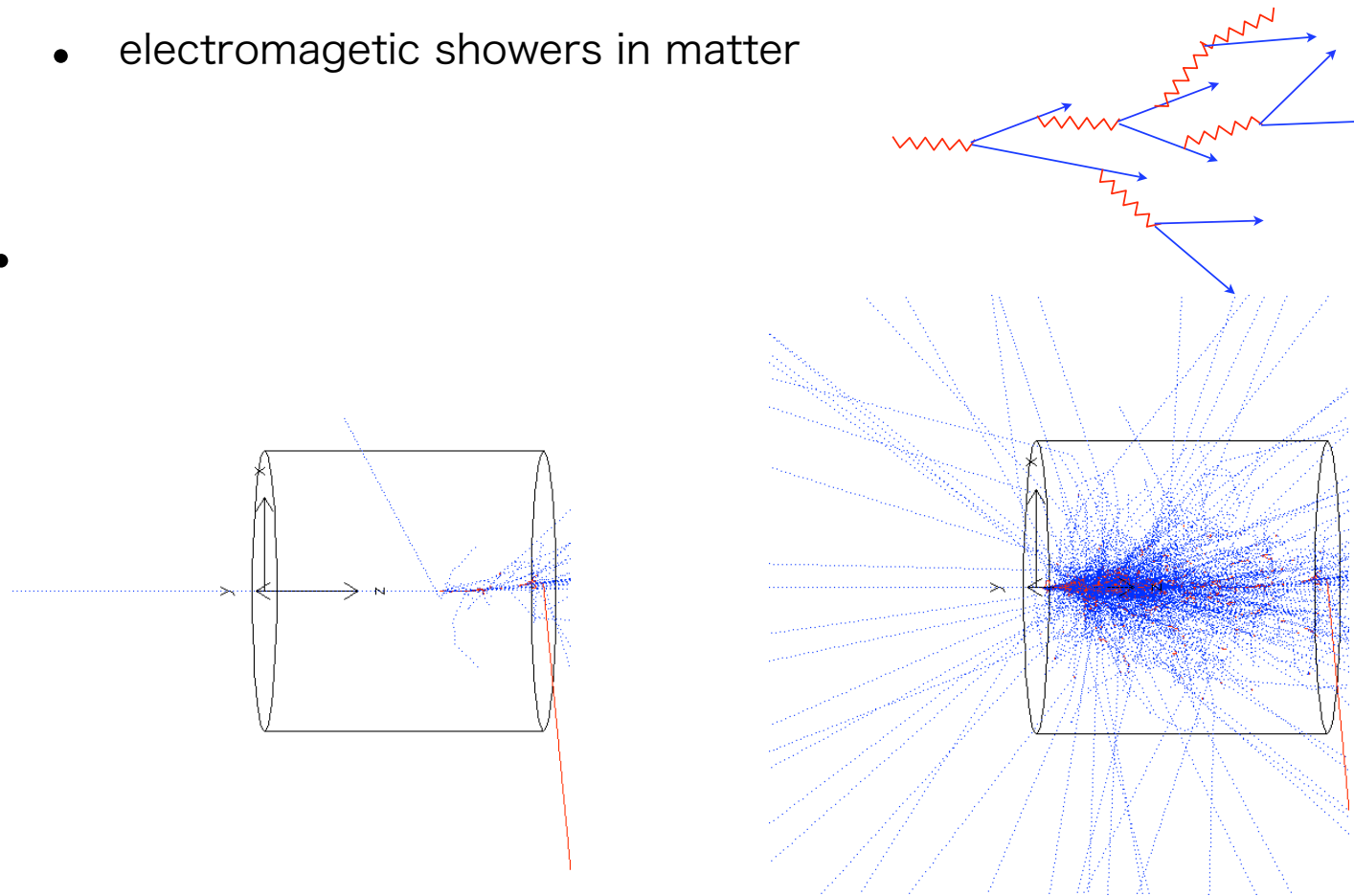
- e-e+ creation (kinematically forbidden in free space)
- Coulomb field of nucleus or electron
- cross section  $\sim f(Z^2)$  (nucleus)
- $\sim f(Z)$  (electron)





## for high energy photons and electrons

- pair production + bremsstrahlung emitted from electron(positron)
- electromagnetic showers in matter



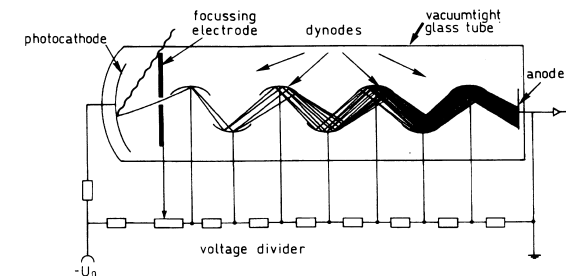
a GEANT simulation for electromagnetic shower of 300 MeV in material (CsI)

# scintillators

- **inorganic scintillators : NaI(Tl), CsI(Tl), BaF<sub>2</sub>, BGO, GSO etc.**
  - response is generally slower (~a few 100 ns)
  - some crystals are hygroscopic
  - high Z, high density : larger stopping power, photon detection
  - large light output
- **organic scintillator (mostly plastic, but liquid is also used)**
  - smaller Z
  - fast response (~ a few ns)
  - large light output
  - very flexible (thickness, size, shape etc.)

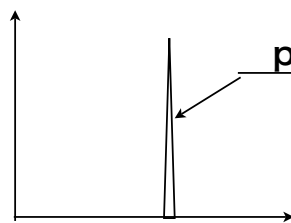
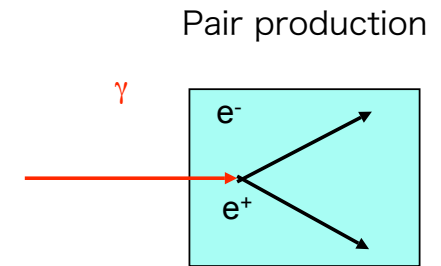
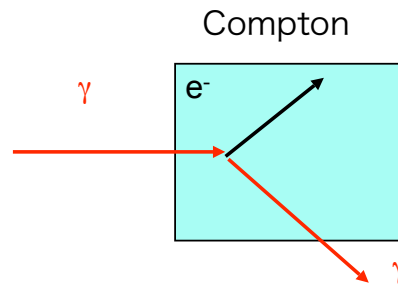
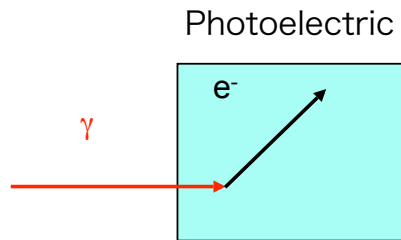
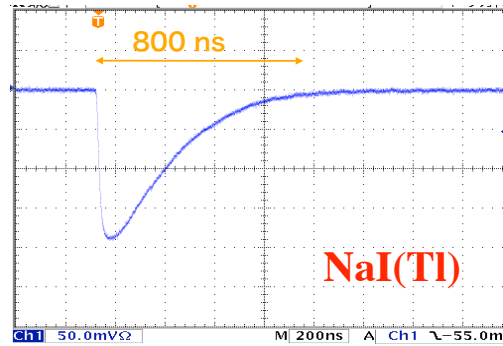
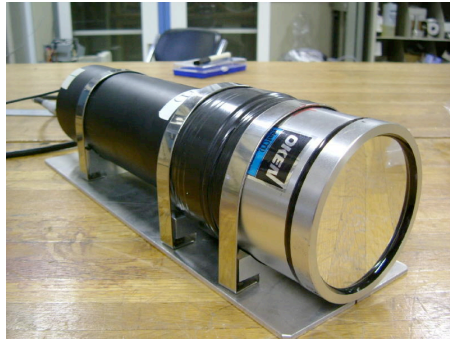
# training using detectors in this Nishina School

- **NaI(Tl) scintillator (inorganic)**
  - scintillation yields :  $\sim 1/25$  eV
  - decay time  $\sim 250$  ns
  - scintillation yield is still the largest among various scintillators
- **plastic scintillator (organic)**
  - scintillation yields :  $\sim 1/100$  eV
  - decay time  $\sim$  a few ns
  - cheap,
- **photomultiplier tube**
  - scintillation-to-(electric signal) converter (with  $\sim 10^6$  amplification)
    - high gain ( $>10^{6-7}$ ) (even single photon counting)
    - variety of choices (size, gain, sensitivity)
    - cost ( $\sim 10^4$ - $5$  JY)

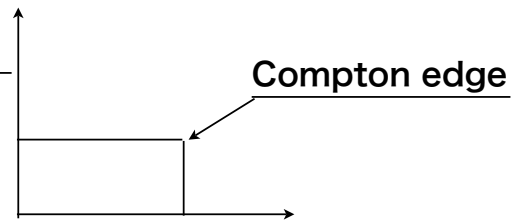


# inorganic scintillator (NaI(Tl))

- widely used for (low energy)  $\gamma$ -ray measurement
  - high Z : enhancing photoelectric effect
  - NaI(Tl) + PMT  $\rightarrow$  scintillation to electric signal



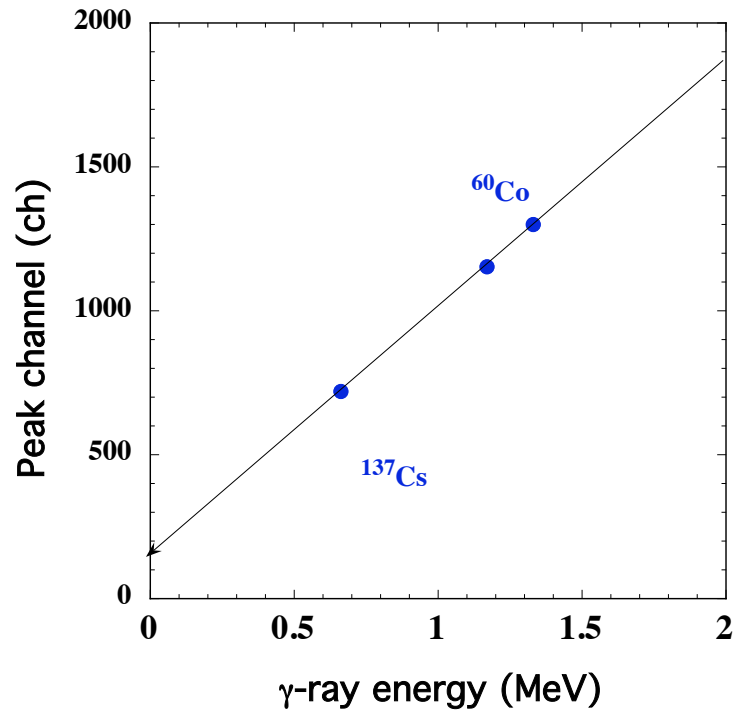
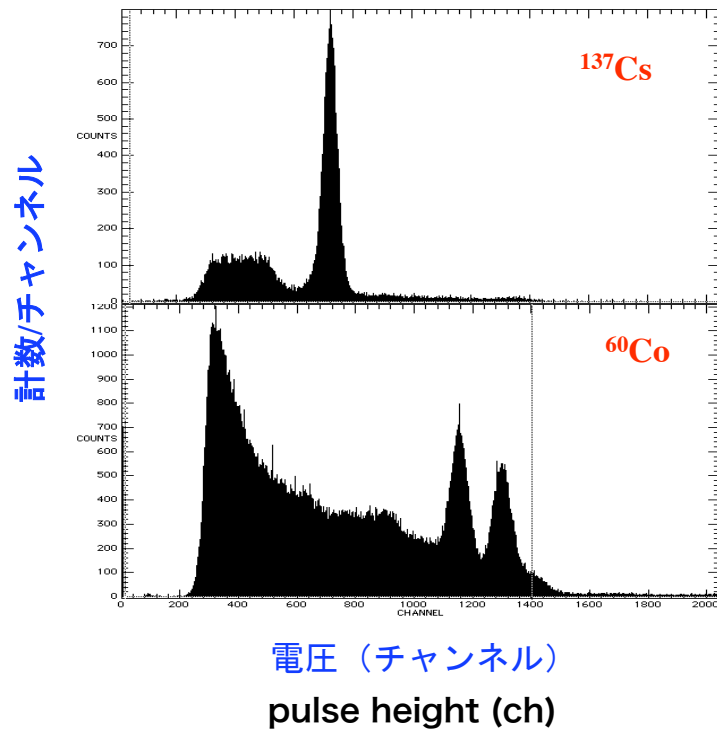
Pulse Height



Pulse Height

# $\gamma$ -ray energy and pulse height

- pulse height is proportional to the  $\gamma$ -ray energy
  - ex. radiation sources such as
    - $^{137}\text{Cs}$  : 0.662 MeV
    - $^{60}\text{Co}$  : 1.17, 1.33 MeV

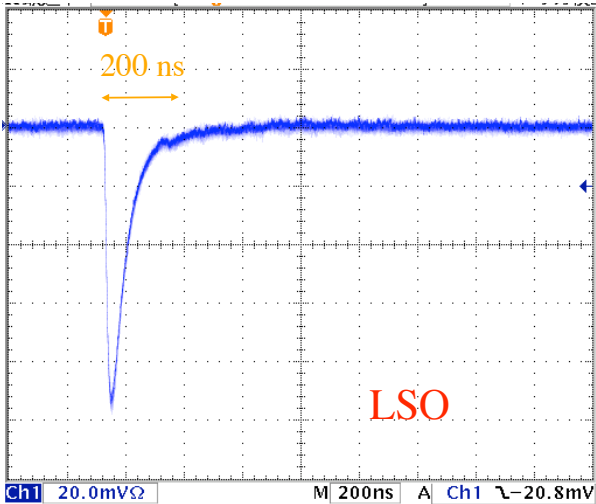
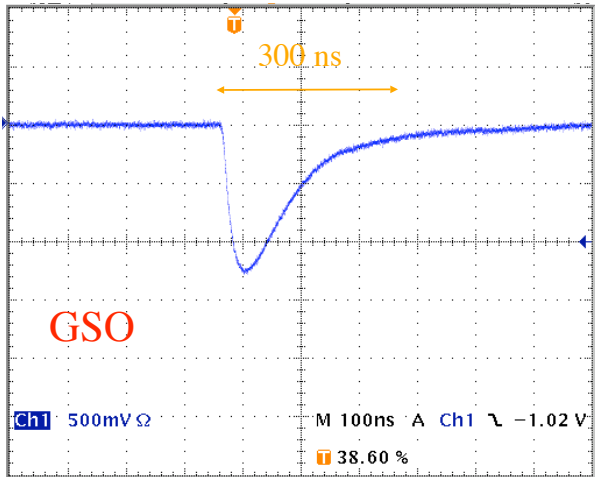
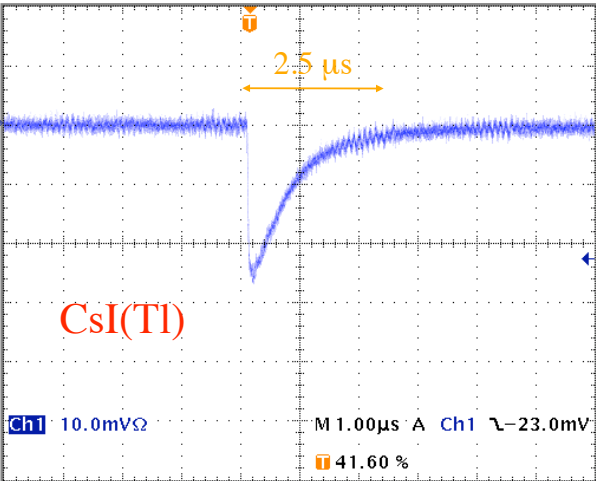
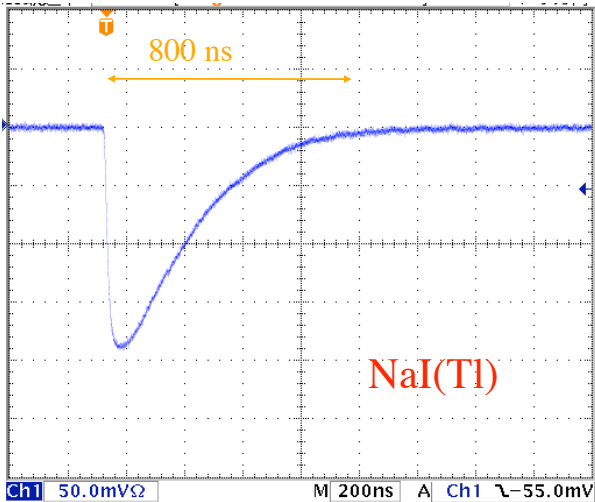


## various inorganic crystals

Crystal	NaI(Tl)	CsI(Tl)	CsI	BaF <sub>2</sub>	BGO	LSO(Ce)	GSO(Ce)
Density (g/cm <sup>3</sup> )	3.67	4.51	4.51	4.89	7.13	7.40	6.71
Melting Point (°C)	651	621	621	1280	1050	2050	1950
Radiation Length (cm)	2.59	1.85	1.85	2.06	1.12	1.14	1.37
Interaction Length (cm)	41.4	37.0	37.0	29.9	21.8	21	22
Refractive Index	1.85	1.79	1.95	1.50	2.15	1.82	1.85
Hygroscopicity	Yes	Slight	Slight	No	No	No	No
Luminescence (nm)	410	560	420 310	300 220	480	420	440
Decay Time (ns)	230	1300	35 6	630 0.9	300	40	60
Light Yield (%)	100	45	5.6 2.3	21 2.7	9	75	30



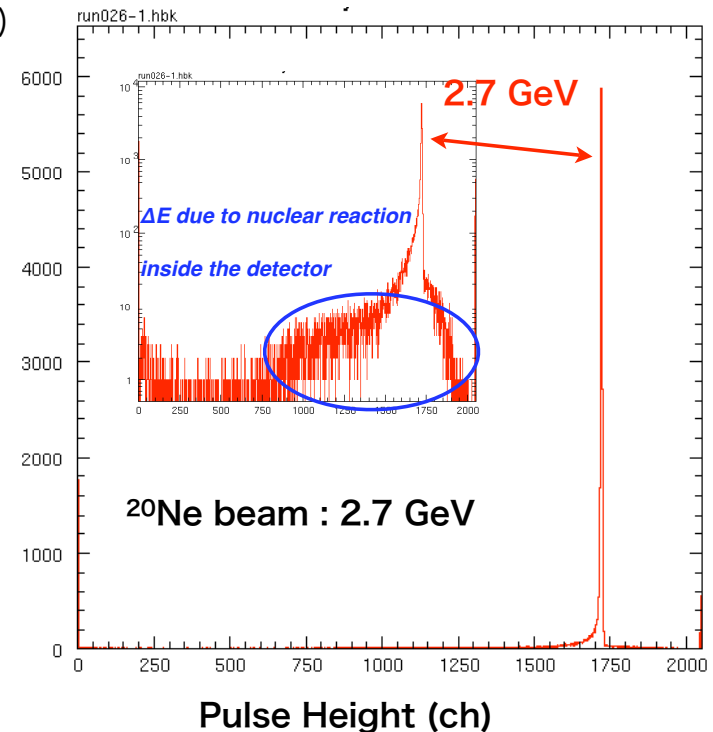
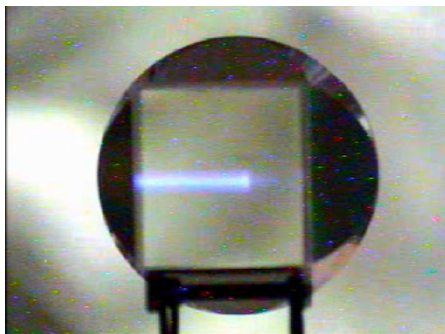
# Electric signals from some inorganic scintillators



# Nal(Tl) response to (heavy-ion) charged particle

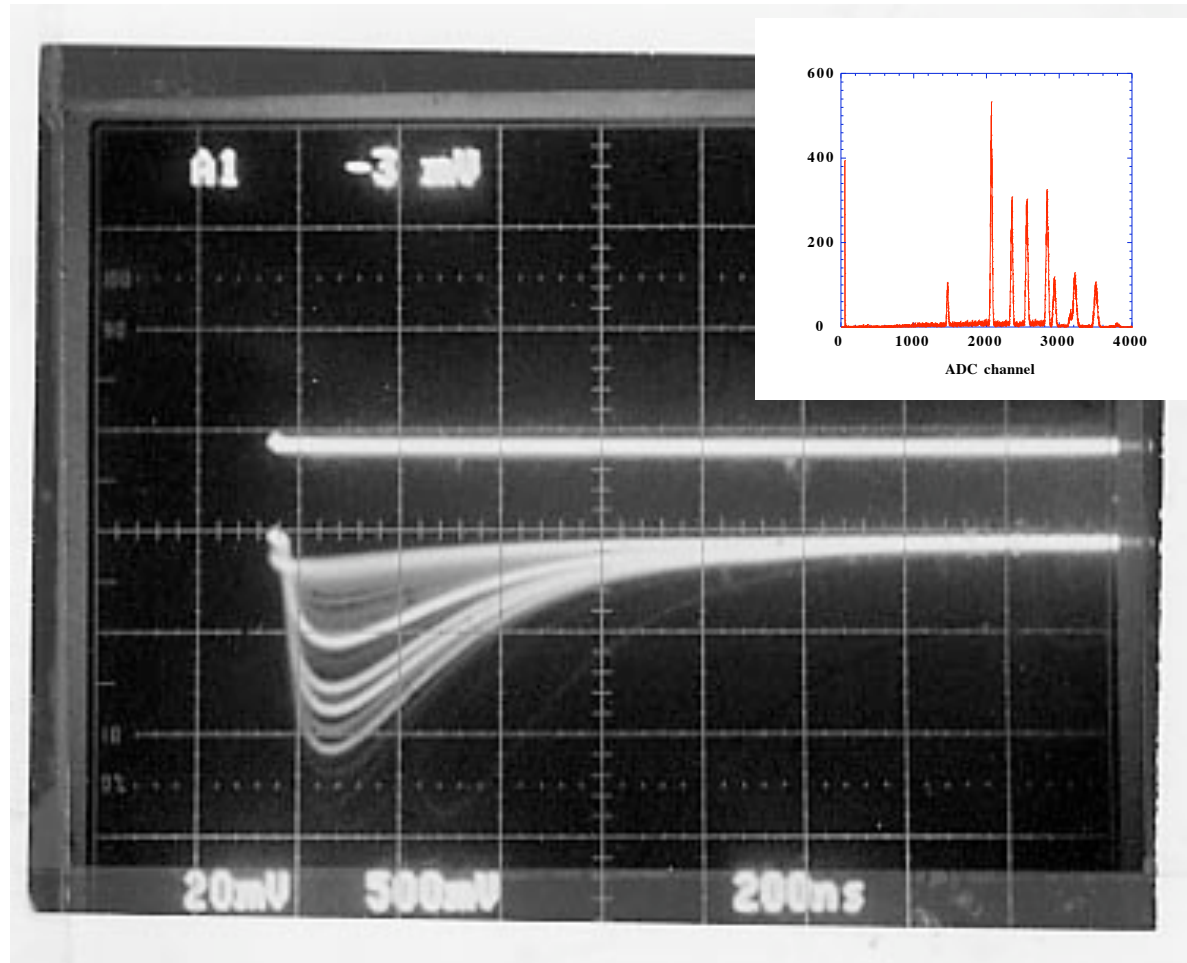
- Nal(Tl) response to heavy-ion beam
  - total energy is large -> number of scintillation is huge
  - ( the range in the Nal(Tl) is not long)
    - $\Delta E/E \sim 10^{-3}$ 
      - $N_{ph}(1MeV) \sim 4 \times 10^4$
      - $N_{ph}(3GeV) \sim 1 \times 10^8$  (neglect “quenching” here)
      - $N_{ph}(3GeV)/N_{ph}(1MeV) = 3 \times 10^3$

$$\frac{\Delta E}{E} \propto \frac{1}{\sqrt{N_{photon}}}$$

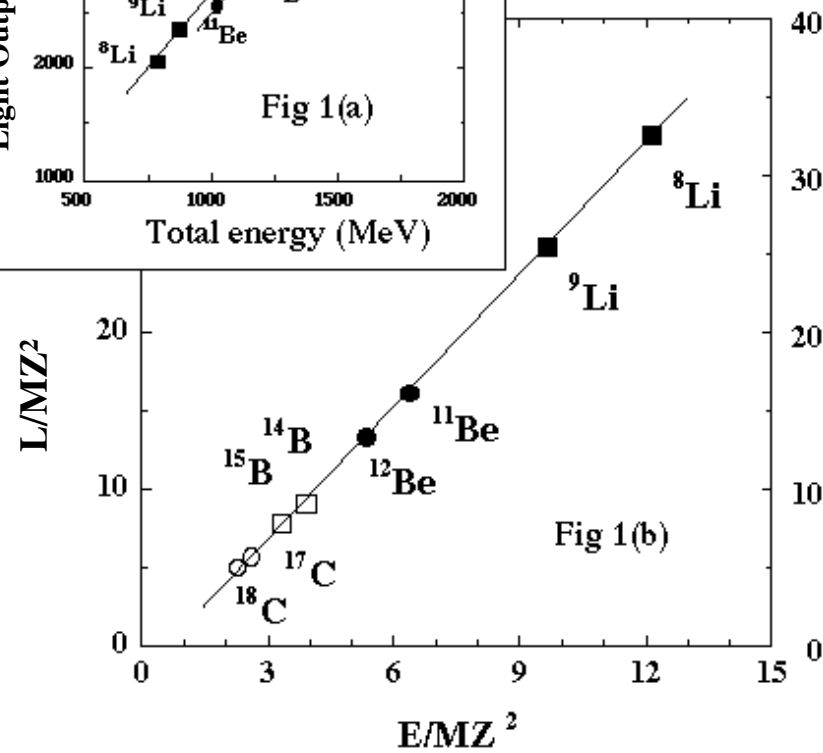
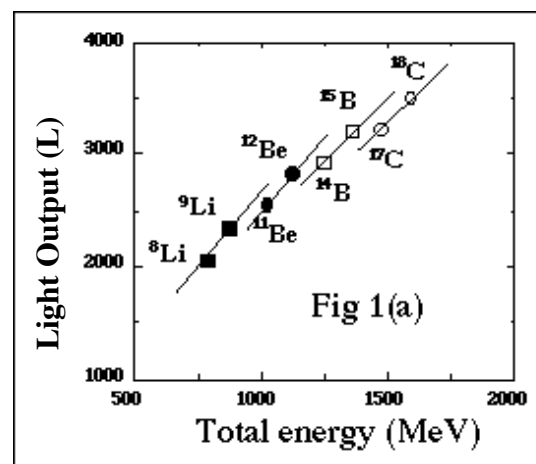
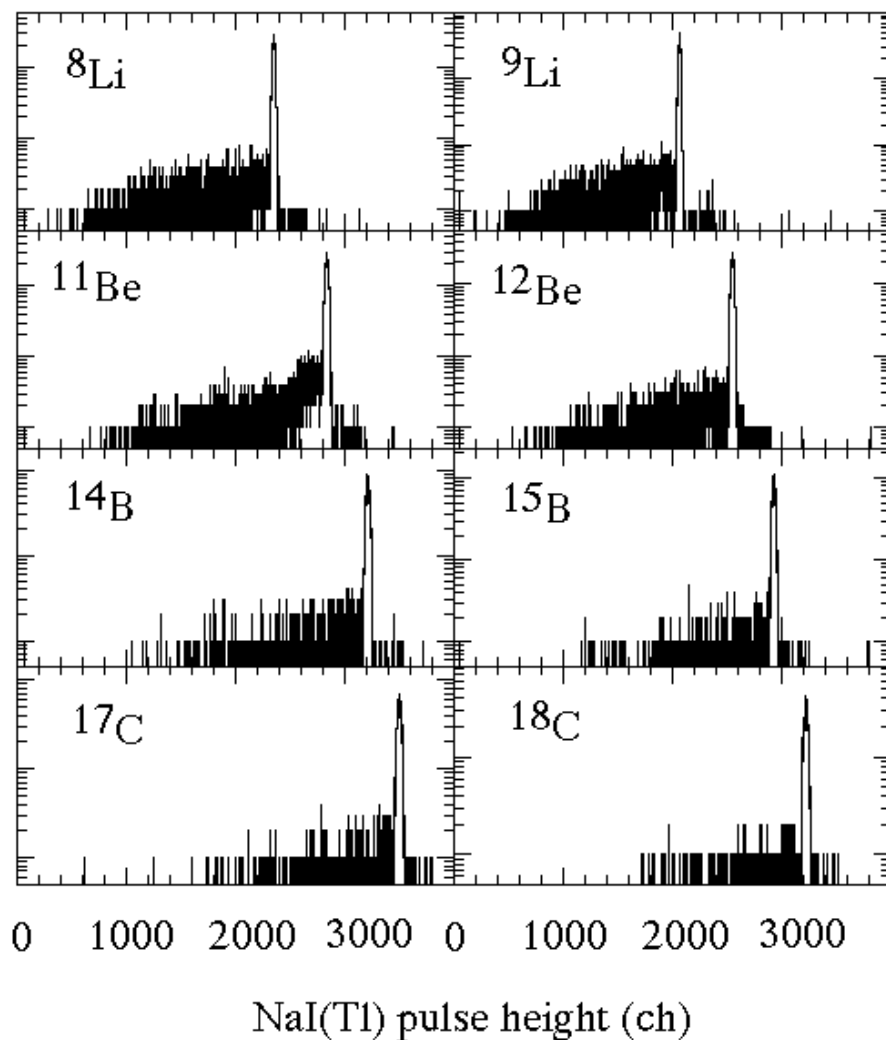


# responses of NaI(Tl) to various heavy-ion beams

${}^7,8\text{Li}$ ,  ${}^{11,12}\text{Be}$ ,  ${}^{14,15}\text{B}$  and  ${}^{17,18}\text{C}$  using RIPS



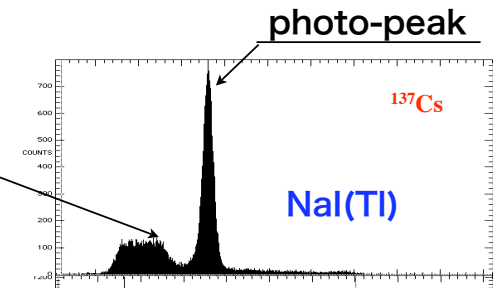
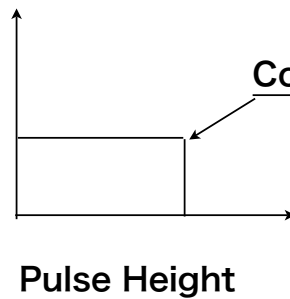
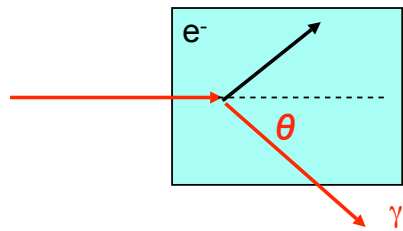
# 重イオンビームに対するNaI(Tl) の応答



# organic scintillator

- low Z materials
  - $\gamma$  (~1MeV) interacts mostly via Compton scattering
    - pulse height is determined by Compton-scattered electron energy

Compton scattering



$$E^e = E_\gamma \left( \frac{\frac{2E_\gamma}{m_e}(1 - \cos\theta)}{1 + \frac{2E_\gamma}{m_e}(1 - \cos\theta)} \right)$$

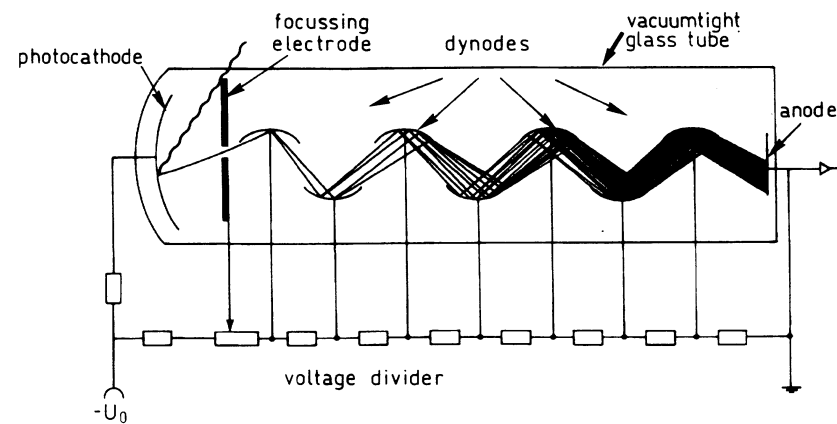
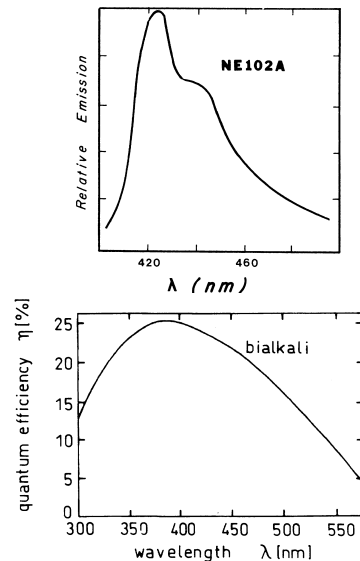
$$\theta = 180^\circ$$

$$E_{\text{Comp.Edge}}^e = E_\gamma \left( \frac{2E_\gamma/m_e}{1 + 2E_\gamma/m_e} \right)$$

	$E_\gamma$ (MeV)	Compton Edge (MeV)
$^{137}\text{Cs}$	0.662	0.478
$^{60}\text{Co}$	1.17, 1.33	0.960, 1.12

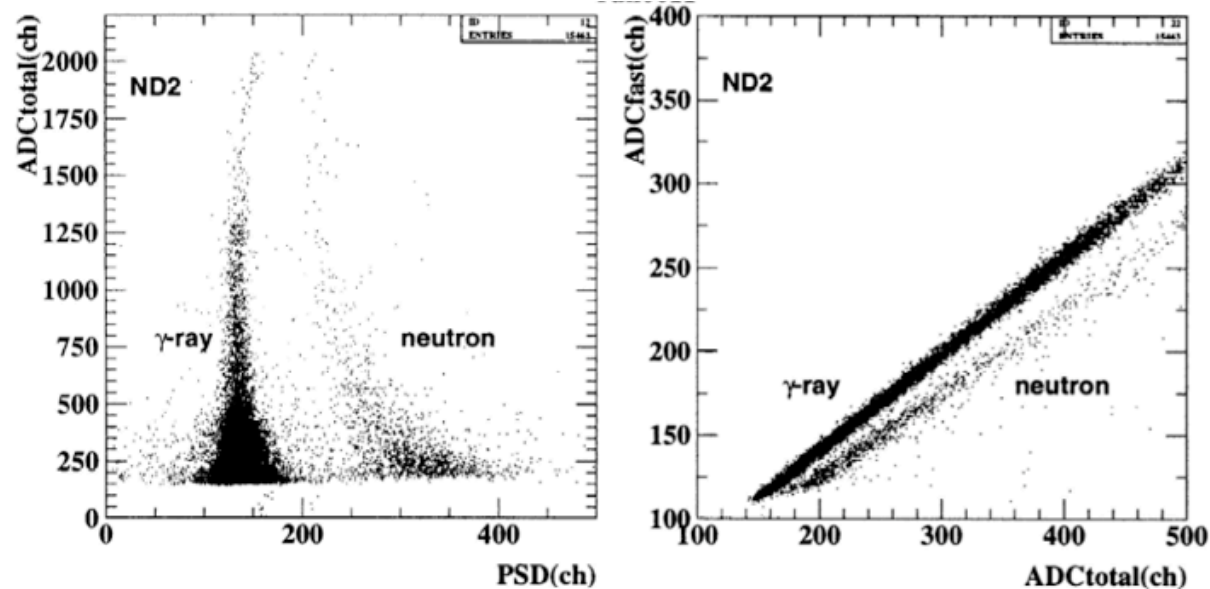
# plastic scintillator for charged particle

- **charged particles**
  - 1 photon/100 eV
  - minimum ionizing particle ( $\sim 2\text{MeV}/(\text{g}/\text{cm}^2)$ )
    - $\sim 2 \times 10^4$  photons
    - collection eff. \* Quantum eff  $\sim 0.1 \cdot 0.25 = 2.5\%$
    - gain  $\sim 10^6$
    - photo-electron :  $2 \times 10^4 \times 0.025 \times 10^6 \sim 5 \times 10^8 = 8 \times 10^{-11} \text{C} = Q$
    - time duration  $\sim 50 \text{ ns}$  :  $I = dQ/dt = 8 \times 10^{-11} / 5 \times 10^{-8} = 1.6 \times 10^{-3} \text{A}$
    - electric signal (pulse height) :  $V = IR = 1.6 \times 10^{-3} \times 50(\Omega) = 80 \text{ mV}$

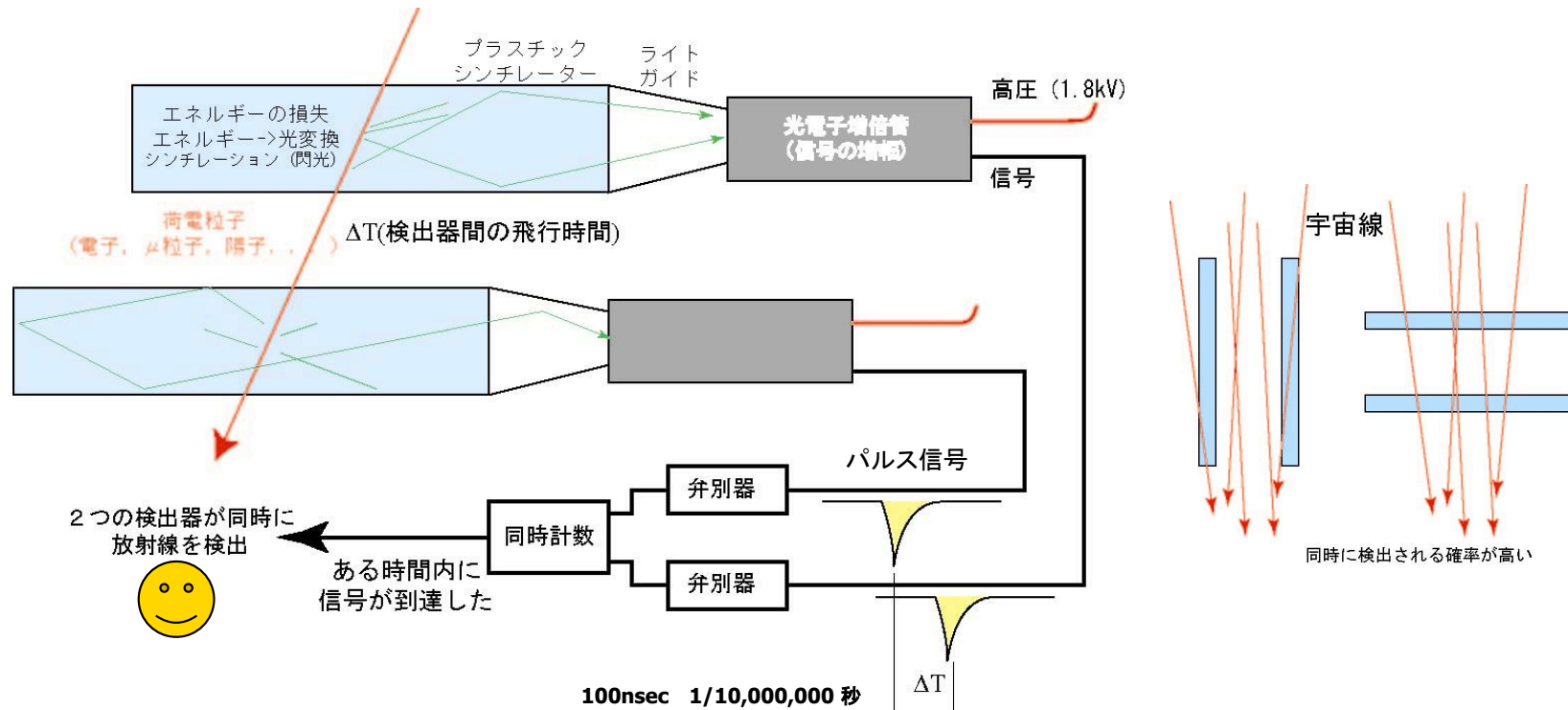


## another type of organic scintillator

- liquid scintillator
  - similar properties as plastic scintillator
  - ex. a special feature of the liquid scintillator
    - fast and slow decay components of scintillation having different sensitivity to the energy loss densities
    - analyzing the pulse shape -> particle identification



## ex. Velocity measurement using plastic scintillators



### useful scale

cosmic ray ( $\mu$ ) can be safely assumed as “minimum ionizing particles”. Their energy loss in a 1cm-thick plastic scintillator ( $\sim 1\text{g/cm}^2$ ) is  $\sim 2\text{ MeV}$ .