

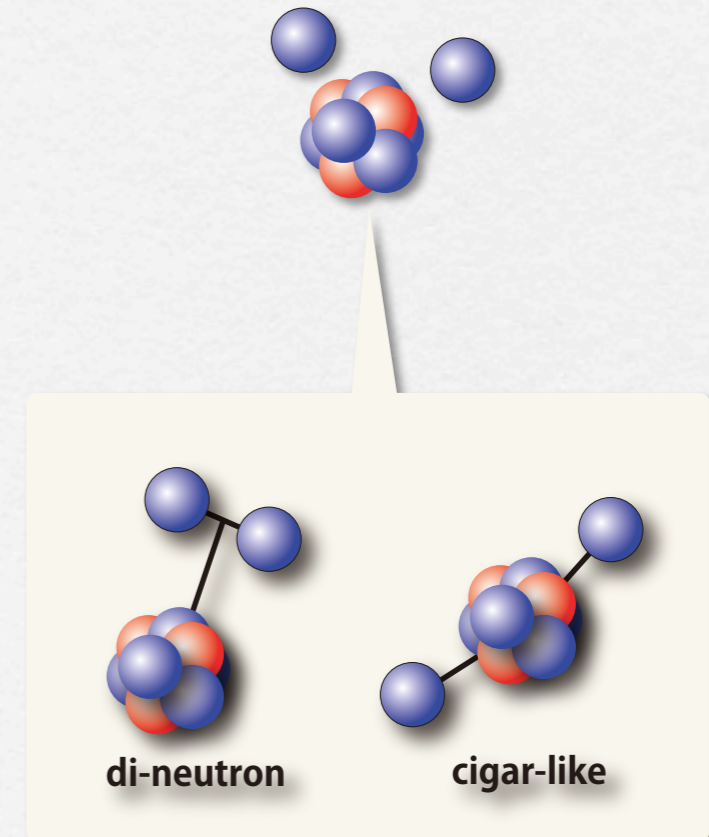
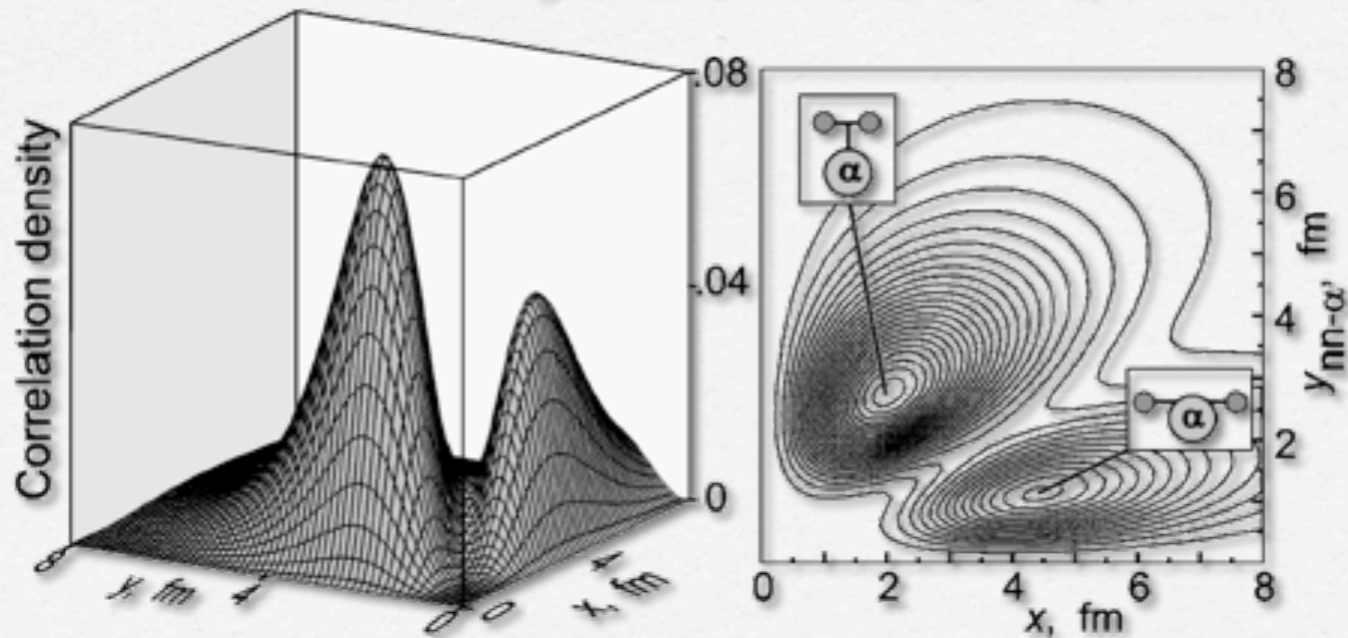
Investigation of dineutron correlation  
via  ${}^6\text{He}(p,pn)$  reaction

Yuma Kikuchi

# Dineutron correlation in two-neutron halo nuclei

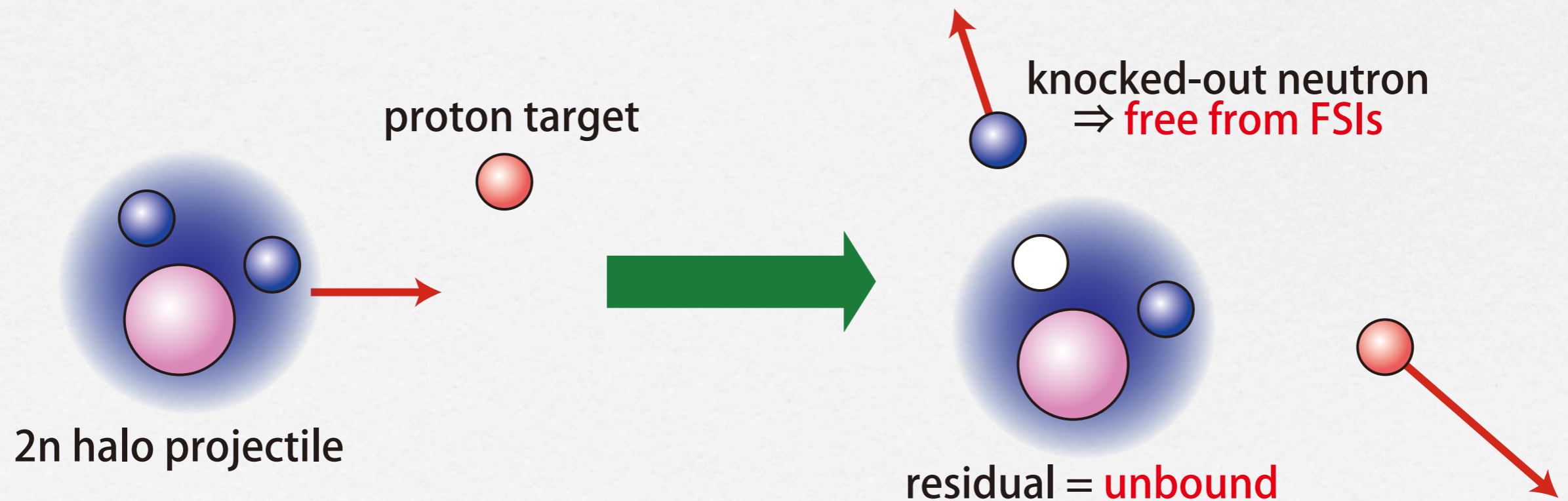
- Two-neutron halo nuclei have been studied based on core+n+n three-body model.
  - The results of three-body models show that:
    - A correlation between halo neutrons has an important role in their binding mechanisms.
    - This correlation is characterized as a spatially-correlated n-n pair, the so-called “dineutron.”

Yu.Ts. Oganessian, *et al.* PRL82(1999), 4996



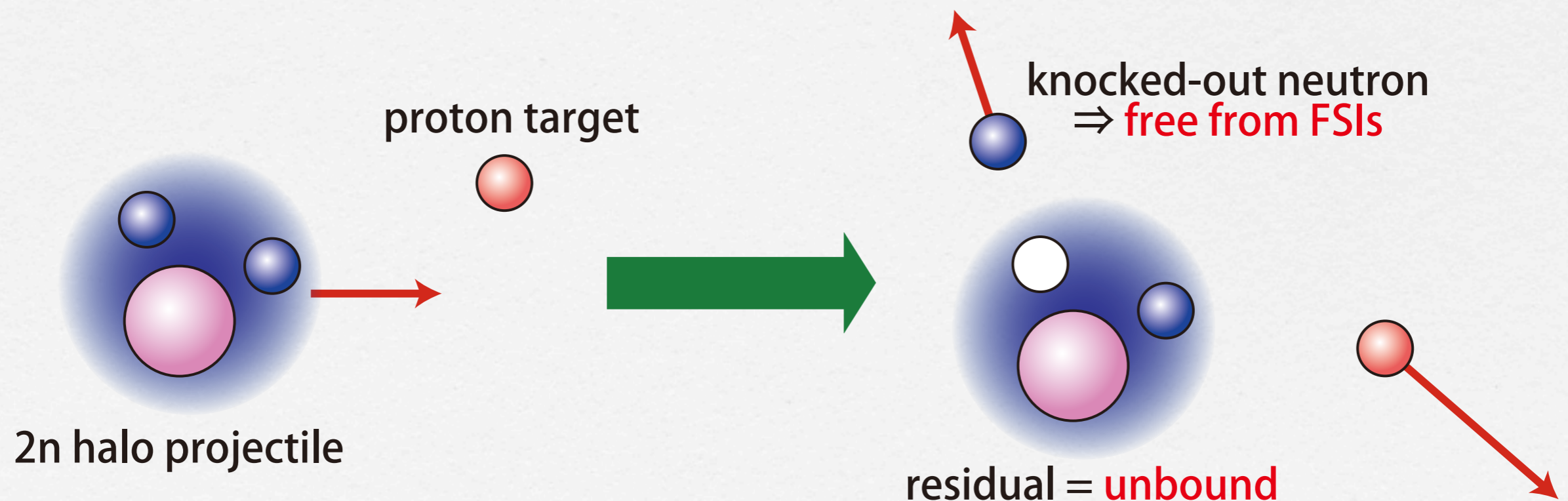
## Quasi-free neutron knockout reactions

- The quasi-free neutron knockout reactions might be useful to investigate the ground-state structure such as a dineutron.
  - The knocked-out neutron is almost free from FSIs.



## Quasi-free neutron knockout reactions

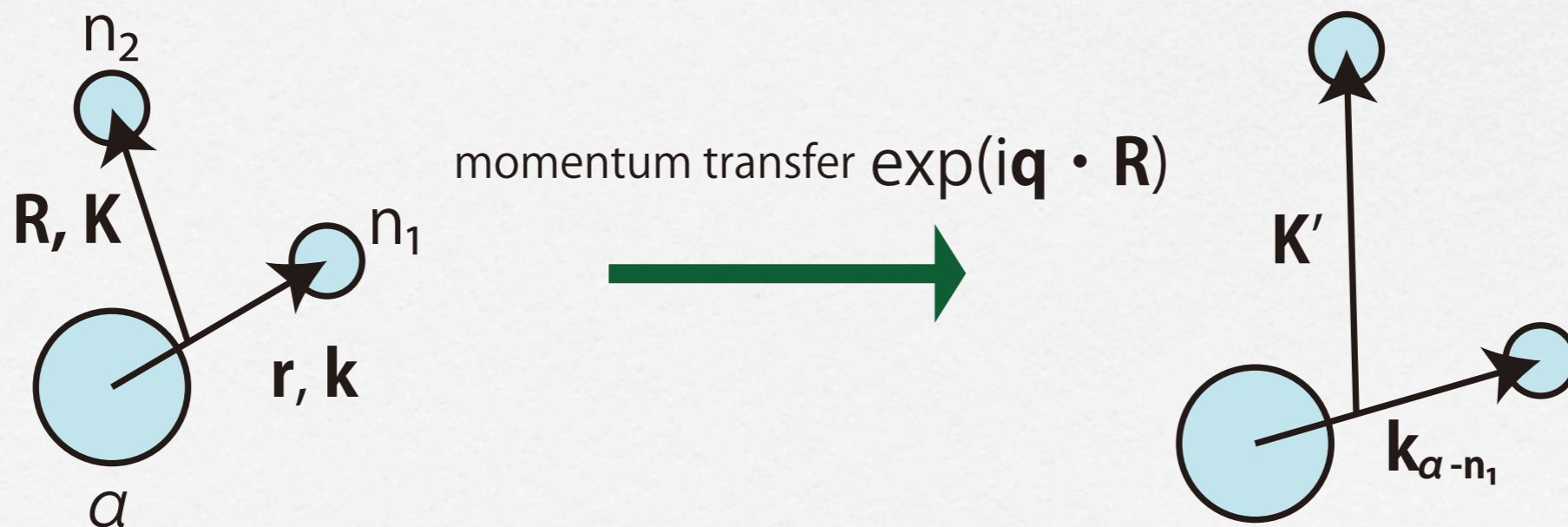
- The quasi-free neutron knockout reactions might be useful to investigate the ground-state structure such as a dineutron.
  - The knocked-out neutron is almost free from FSIs.
  - However, in the  ${}^6\text{He}(p,pn)$  reaction, the residual nucleus  ${}^5\text{He}$  is unbound due to the Borromean nature of  ${}^6\text{He}$ .
  - How the process via  ${}^5\text{He}$  resonances impact on the observables?



## Quasi-free knockout reactions using sudden approx.

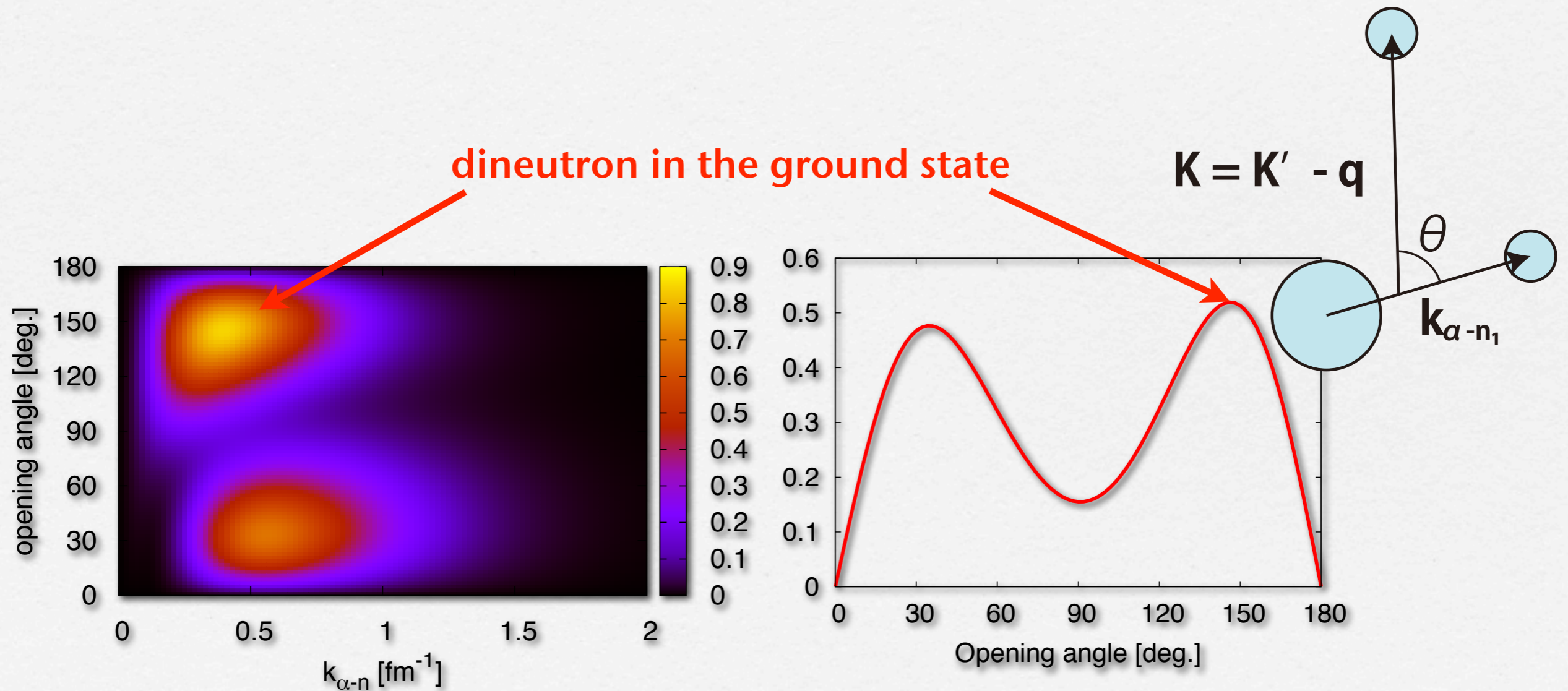
- As first step, we use the simple model in calculating the knockout reaction.
  - We here use the sudden approximation in the present calculation.
    - The (p,pn) part is treated by the simple momentum-transfer operator.
    - The scattering wave of the knocked-out neutron is described by a plane wave.
  - To estimate the effect of the process via  ${}^5\text{He}$  resonance on the reaction, the exact scattering states of  $\alpha+n$  system for the residual part.
  - The T-matrix for the knockout reaction is given as

$$\mathcal{T} = \left\langle \Psi_{5\text{He}}(\mathbf{k}_{\alpha-n_1}) \otimes e^{i\mathbf{K}' \cdot \mathbf{R}} \left| e^{i\mathbf{q} \cdot \mathbf{R}} \right| \Phi_{6\text{He}} \right\rangle$$



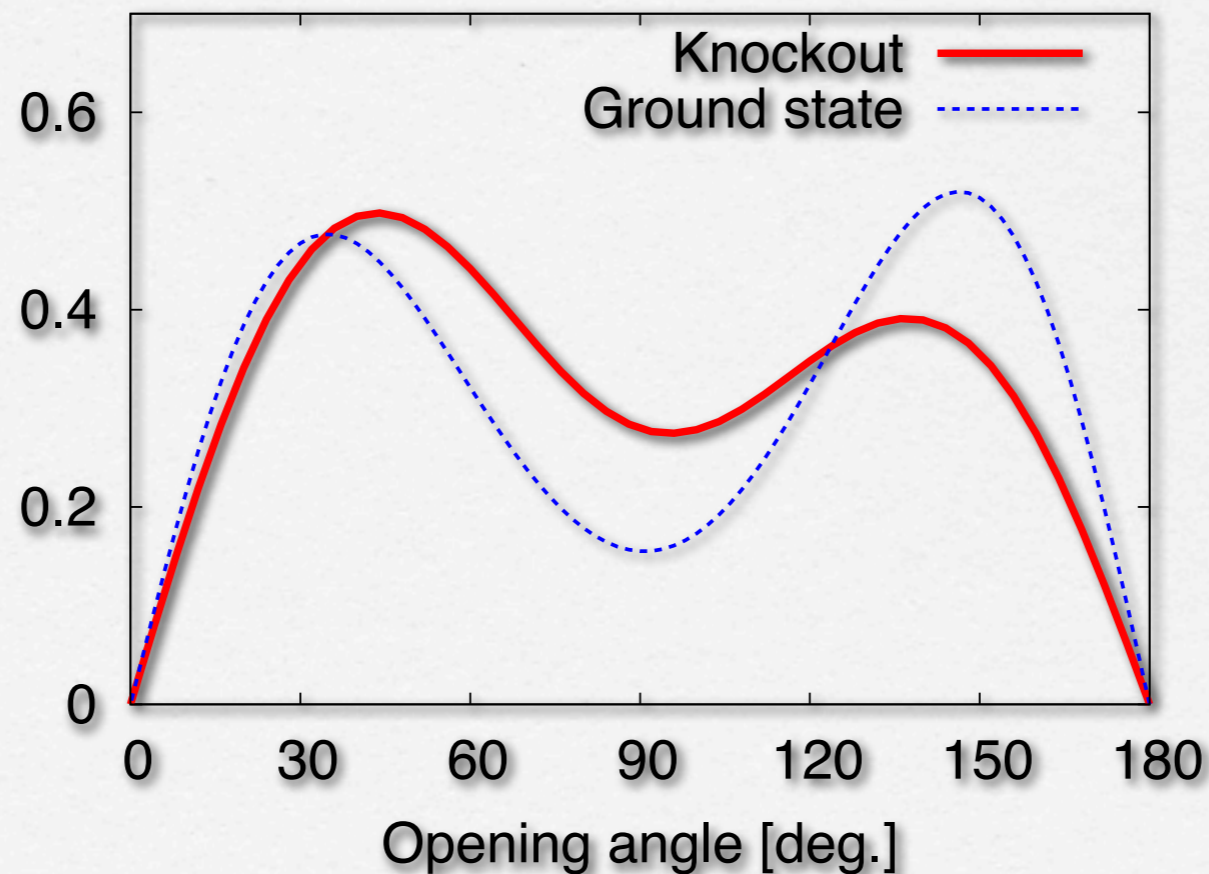
# Momentum distributions in the ground state of ${}^6\text{He}$

- Momentum distribution and angular correlation in the ground state of  ${}^6\text{He}$ 
  - = Fourier transform of the ground-state wave function
- In both distributions, the peaks are seen at the region of large angle.
  - These indicate the dineutron in the ground state.



## Angular correlations in the knockout reaction

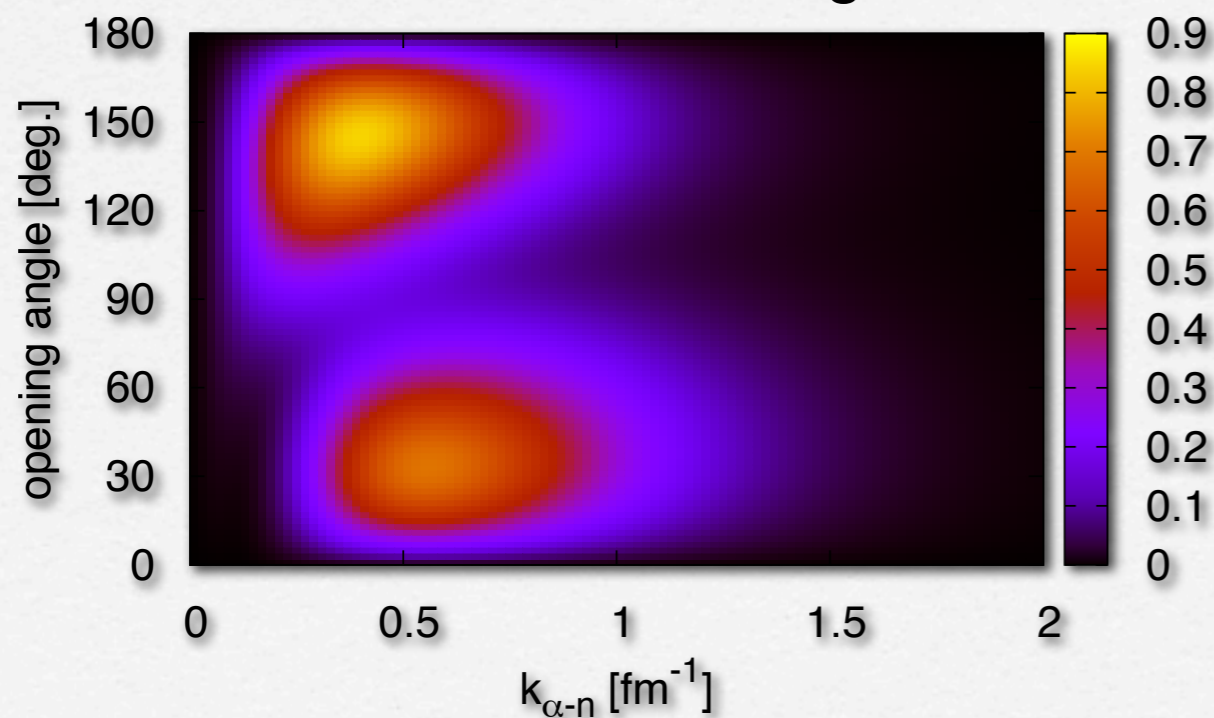
- We calculate the angular correlation in the knockout reaction.
  - The calculated distribution shows the two-peaked structure.
  - However, in the result for knockout, the 2<sup>nd</sup> peak, corresponding to the dineutron, is reduced compared to the ground-state distribution.
  - The process via  ${}^5\text{He}$  changes the angular correlation, especially for the dineutron part.



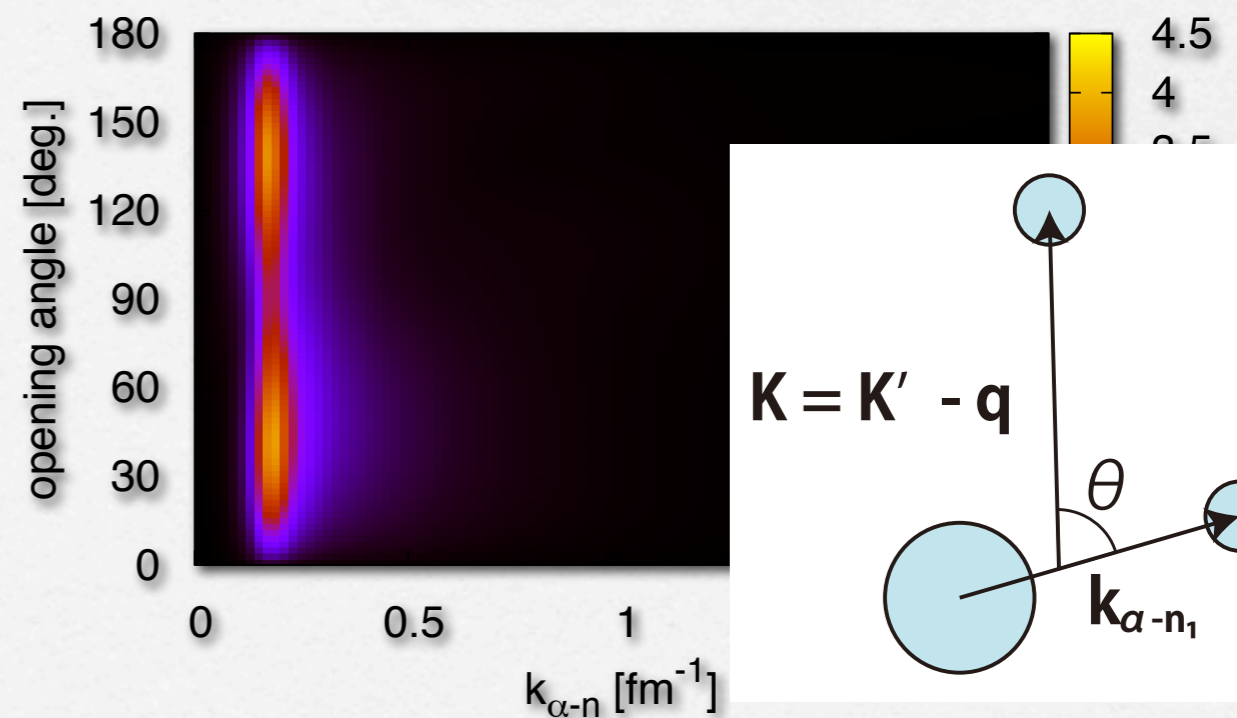
# Angular correlations in the knockout reaction

- What happens by taking into account the process via  ${}^5\text{He}$  resonance?
  - Inclusion of the process via  ${}^5\text{He}$  resonance, the momentum distributions is concentrated on the momentum region corresponding to  ${}^5\text{He}(3/2^-)$ .
  - The process via  ${}^5\text{He}$  drastically changes the angular correlation.

2D distribution for g.s.



2D distribution for knockout



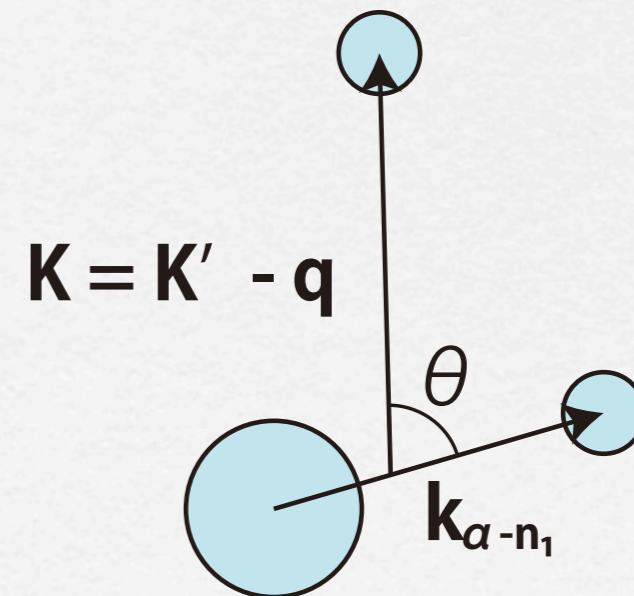
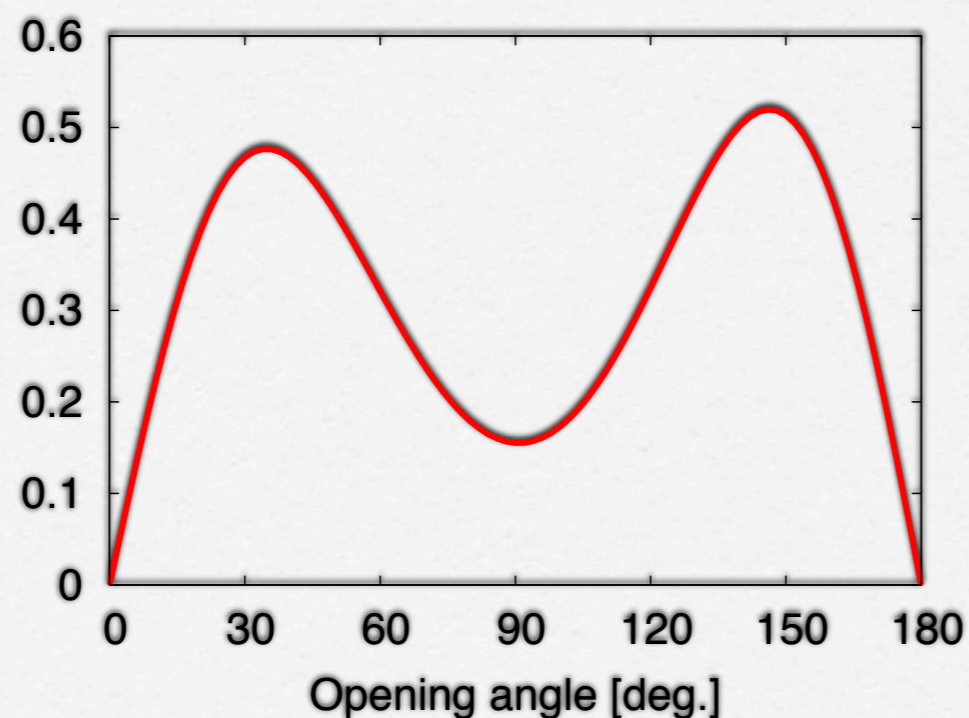


## To find the evidence of dineutron

- Dineutron: Asymmetric shape in the angular correlation
  - The origin of the asymmetry is an interference between different parity states.

$$\begin{aligned}
 |\Phi(^6\text{He})|^2 &= |\alpha\phi(s^2) + \beta\phi(p^2) + \dots|^2 \\
 &= \alpha^2 |\phi(s^2)|^2 + \beta^2 |\phi(p^2)|^2 + \dots \leftarrow \text{Symmetric part in ang. corr.} \\
 &\quad + \underline{2\alpha\beta\phi(s^2)\phi(p^2)} + \dots \leftarrow \text{Asymmetric}
 \end{aligned}$$

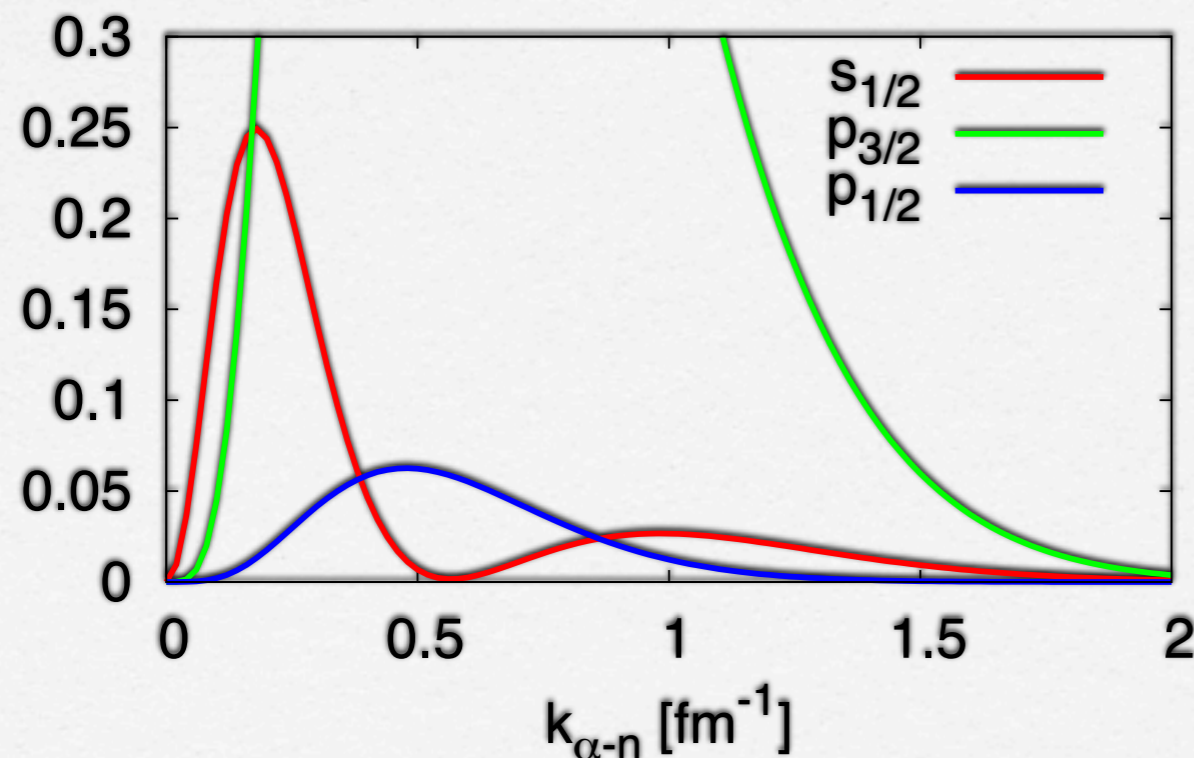
Relative phase is crucial to determine the asymmetry



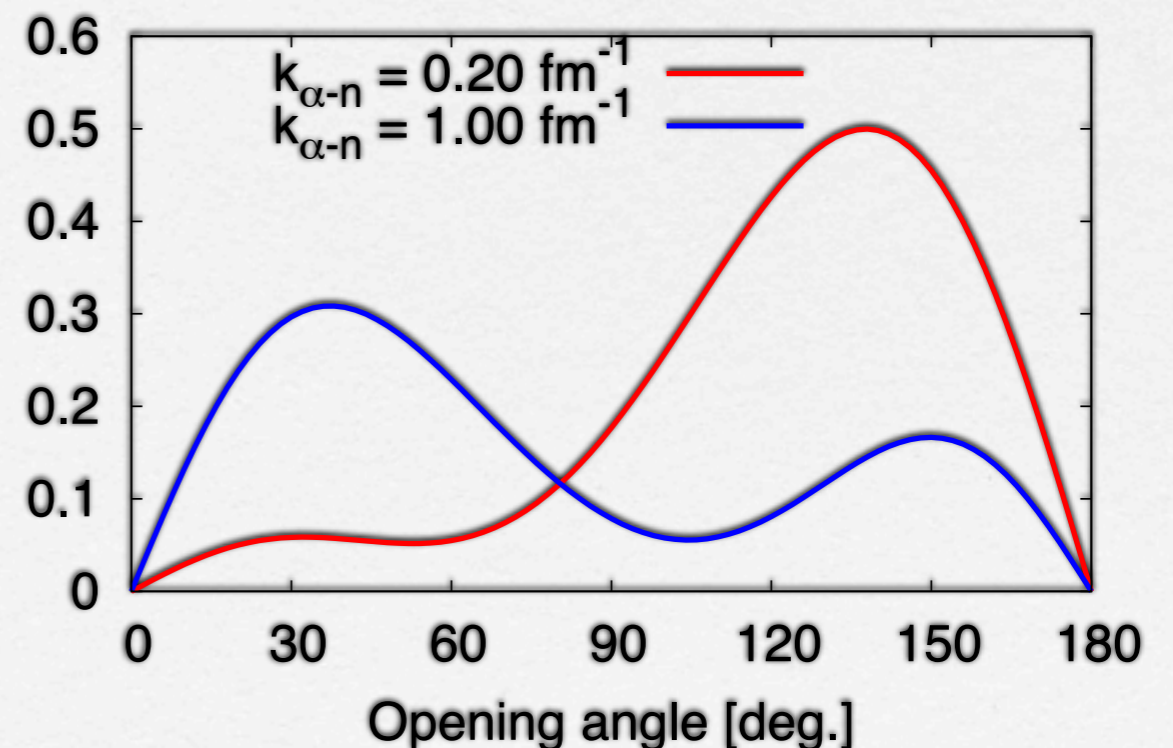
## To find the evidence of dineutron

- Dineutron: Asymmetric shape in the angular correlation
  - The relative phase between different parity states is crucial to determine the dineutron in the ground state.
    - At  $k_{\alpha-n} \sim 0.5 \text{ fm}^{-1}$ , the relative phase between s- and p-waves changes because the s-wave has a node.
    - Asymmetries in the angular correlations of the ground state are opposite to each other in lower and higher region of  $k_{\alpha-n}$ .

Partial-wave decomposition (w/o FSI)



Angular correlation (w/o FSI)

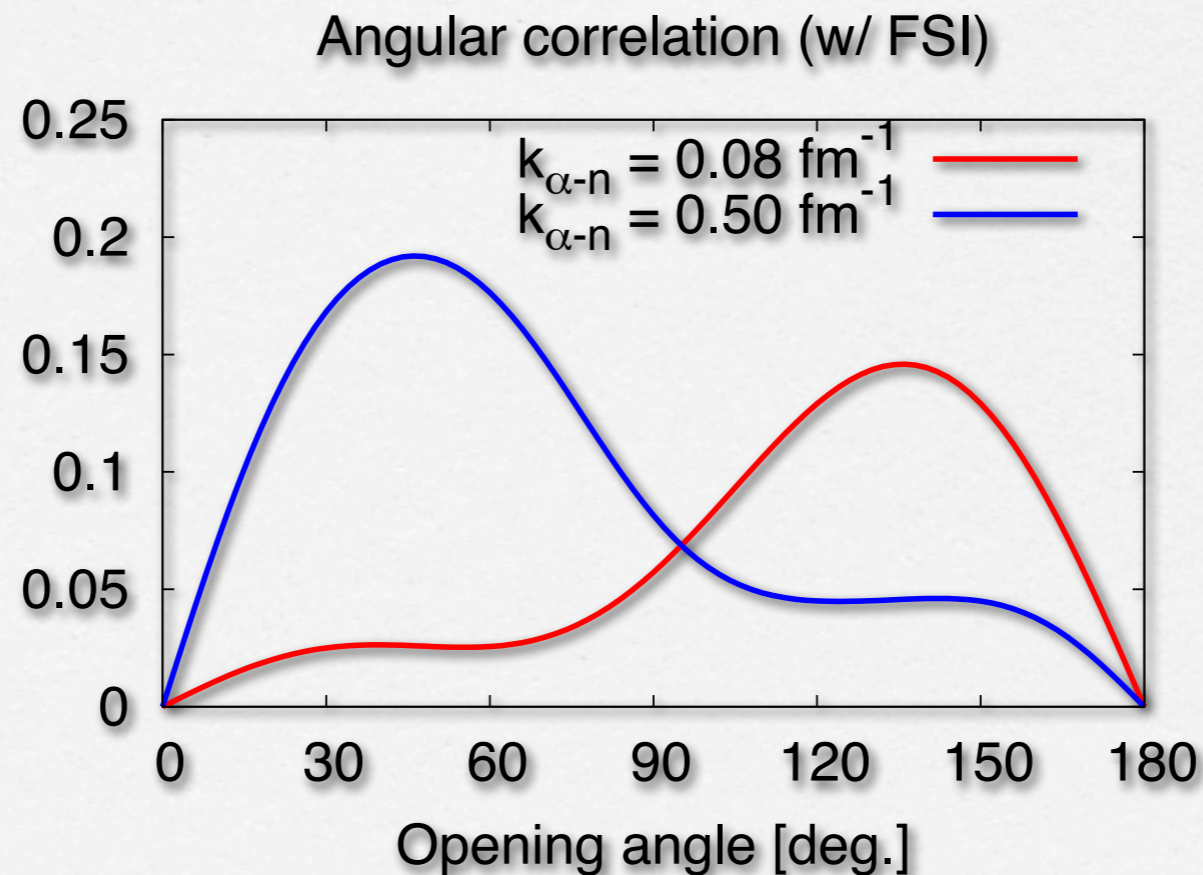


## To find the evidence of dineutron

- In the quasi-free knockout reaction, it is necessary to consider:
  - How to minimize the effect of the process via  ${}^5\text{He}$  resonance
    - We minimize this effect by selecting the off-resonance region in the relative momentum between  $\alpha$  and the decayed neutron,  $k_{\alpha-n}$ .
  - How to identify the relative phase between different parity states
    - We identify the relative phase from the asymmetries in the angular correlations at the lower and higher parts of  $k_{\alpha-n}$ .

## Angular correlations in off-resonance region

- We calculate the angular correlations for lower and higher parts of off-resonance region.
  - We find the similar trend to that in the ground state even if the process via  ${}^5\text{He}$  resonance dominates the knockout reaction.
  - The lower momentum region, we can clearly find an enhancement of dineutron in the angular correlation.



## For Experimental setup

- To select the off-resonance region and to investigate the asymmetries in angular correlations in the knockout reaction, a good resolution for  $k_{\alpha-n}$  is required.
  - For the most serious case, maybe  $^{11}\text{Li}$ , the s-wave virtual and p-wave resonant states are located in separation of 200 keV (in theoretical prediction).
  - The resolution of  $\sim 50$  keV, which is relevant to  $k_{\alpha-n} \sim 0.05 \text{ fm}^{-1}$ , is required in such as case.
- It is also useful to measure momentum distributions for the relative motion between the core-n subsystem and neutron.
  - It tells us the direct information on the initial momentum in the nucleus.
  - Is it possible experimentally?