

# Multifragmentation experiments to simulate neutrino sphere

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- SN1987A
- Fragments from Au+Au, [INDRA@GSI](#)
- Fragmentation of exotic beams, [ALADIN@GSI](#)
- Simulations for [setups@RIKEN](#)
- GEANT4
- Primary generator: UrQMD + Clustering,  $^{132}\text{Sn} + ^{124}\text{Sn}$  @ 300 AMeV
- 0.5 T magnetic field

RIKEN, June 5-6, 2015

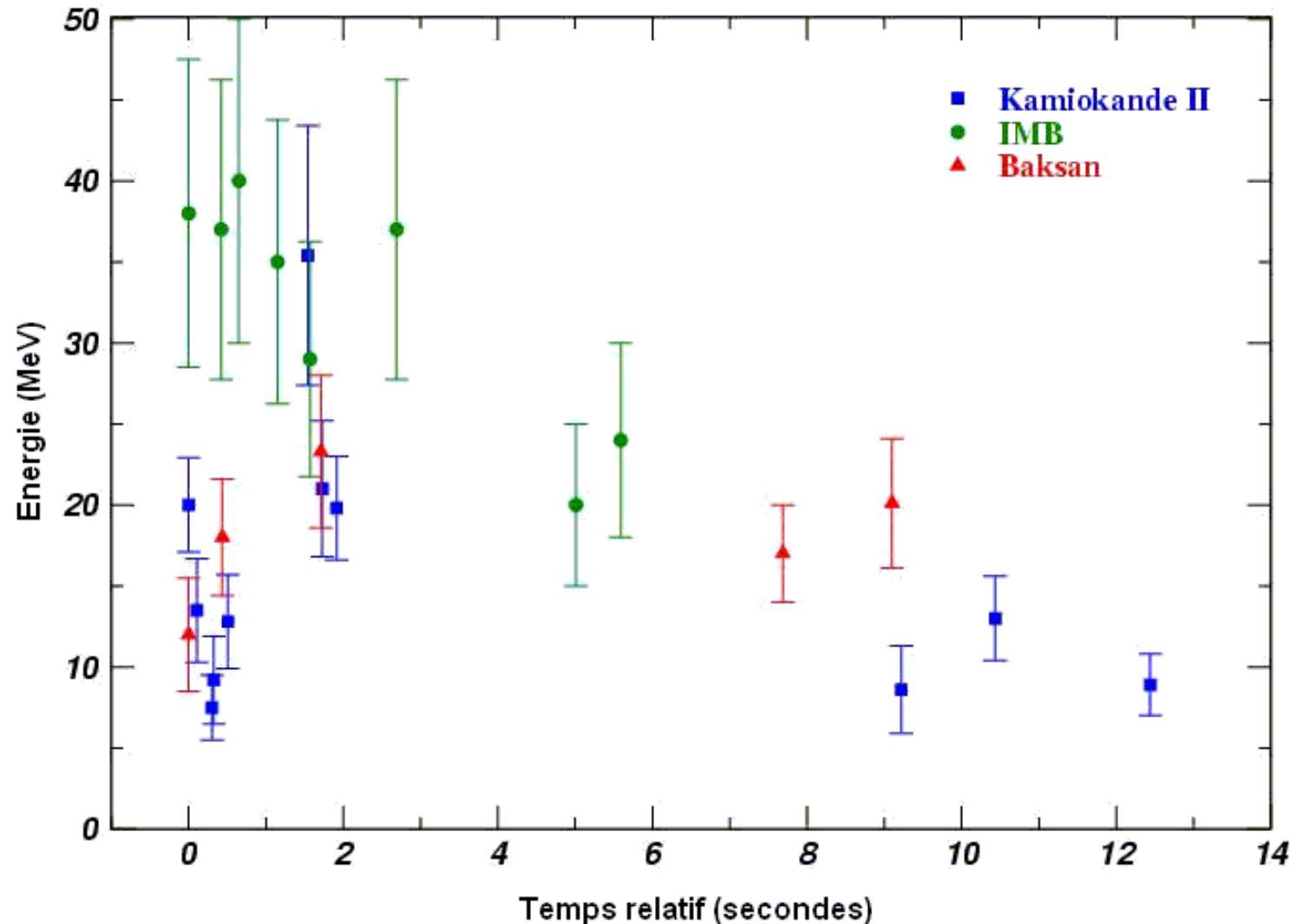


Work supported by Polish National Science Center (NCN),  
Contract Nos. UMO-2013/10/M/ST2/00624, UMO-2013/09/B/ST2/04064

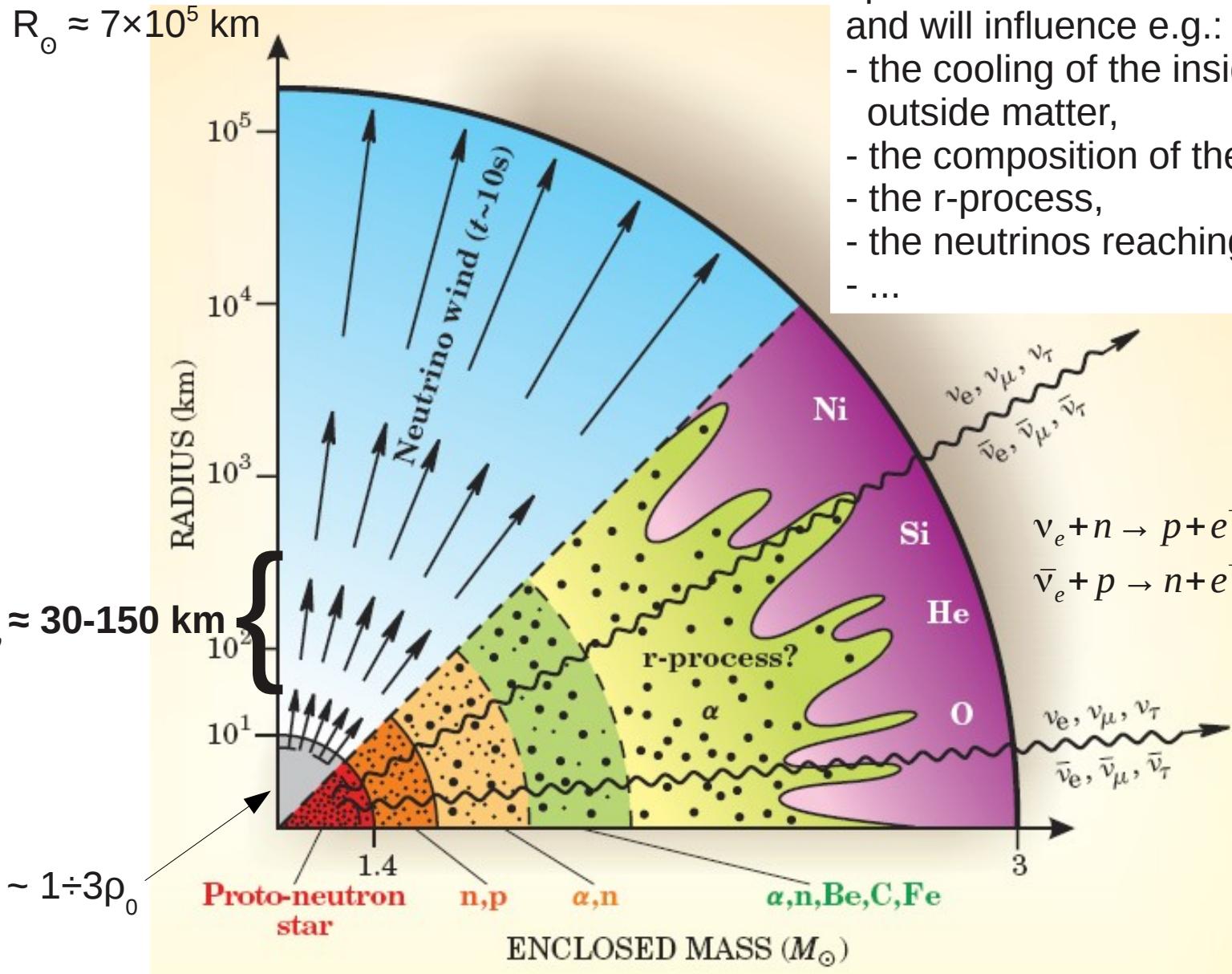
# Neutrino detection from SN1987A

spectrum ?

flux ?



# What are the properties of matter where the neutrinos are freed?



The structure and properties of the neutrino sphere matter will be influenced by neutrinos and will influence e.g.:

- the cooling of the inside and heating of the outside matter,
- the composition of the neutrino driven winds,
- the r-process,
- the neutrinos reaching the Earth
- ...

neutrino sphere:

$$\begin{aligned} \rho &\sim 10^{-3} \text{--} 10^{-1} \rho_0 \\ T &\sim 4 \text{--} 5 \text{ MeV} \\ Y_e &\sim 0.2 \text{ (N/Z} \sim 4\text{)} \end{aligned}$$

# Different scenarios of fragment formation in HIC

is clustering indeed a low density phenomenon?

## Statistical

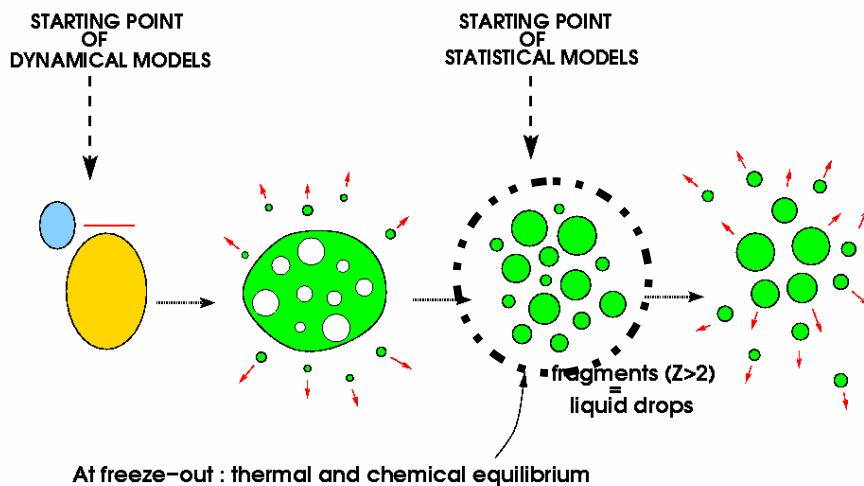
(SMM: J.P. Bonforf, A.S. Botvina et al.)

Fragments „freezing out” during the system expansion at  $\rho \approx 1/8\text{-}1/3 \rho_0$ .

Thermal and chemical **equilibrium** is assumed.

Primary fragments: **hot, spherical** non-overlapping, **non-interacting** (except Coulomb)

Problem: too small kinetic energies  
(extra expansion energy put “by hand”)



## „Little Big Bang”

(CMD: X. Campi, H. Krivine, E. Plagnol et al.)

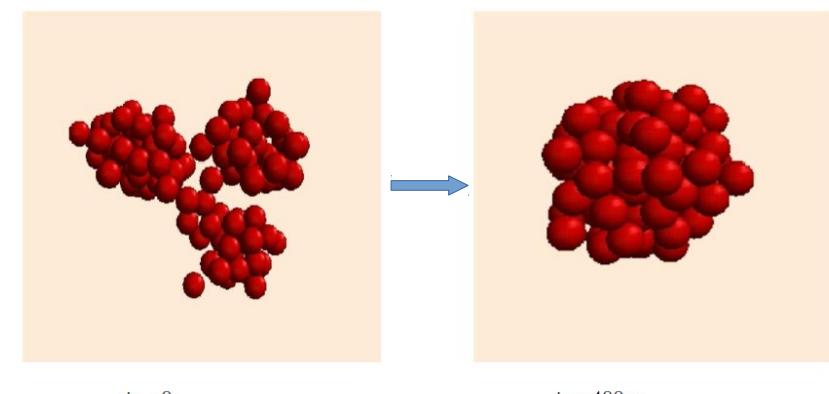
Excited, compressed system attains a partial equilibrium.

The self-bound pre-fragments are formed in a hot and **dense** phase.

Pre-fragments are **cooler** than the system.

The system of **interacting** clusters of **arbitrary shapes** expands.

The asymptotic distribution of spherical fragments reveals the primordial distribution.

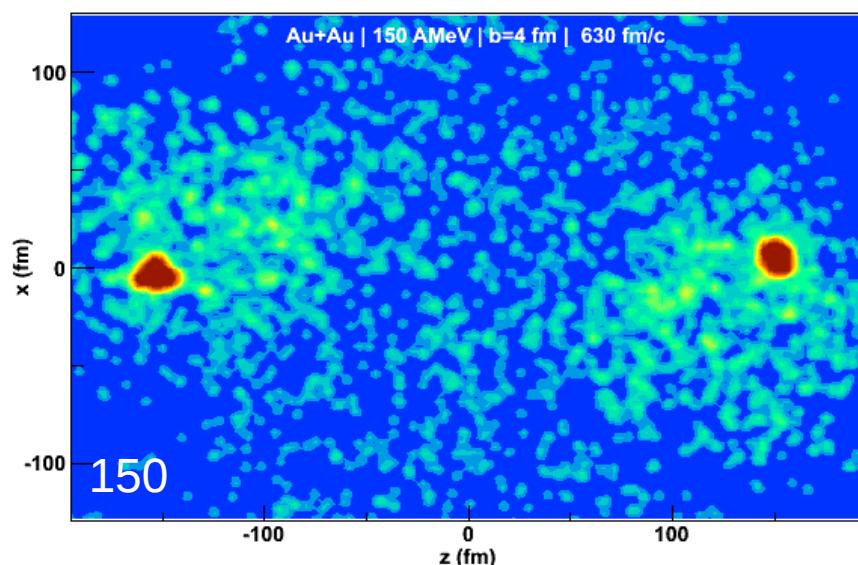
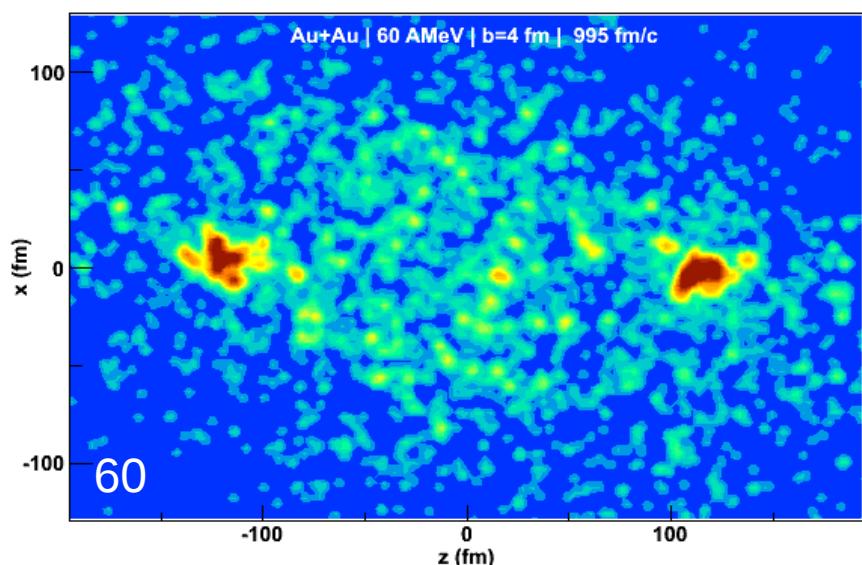
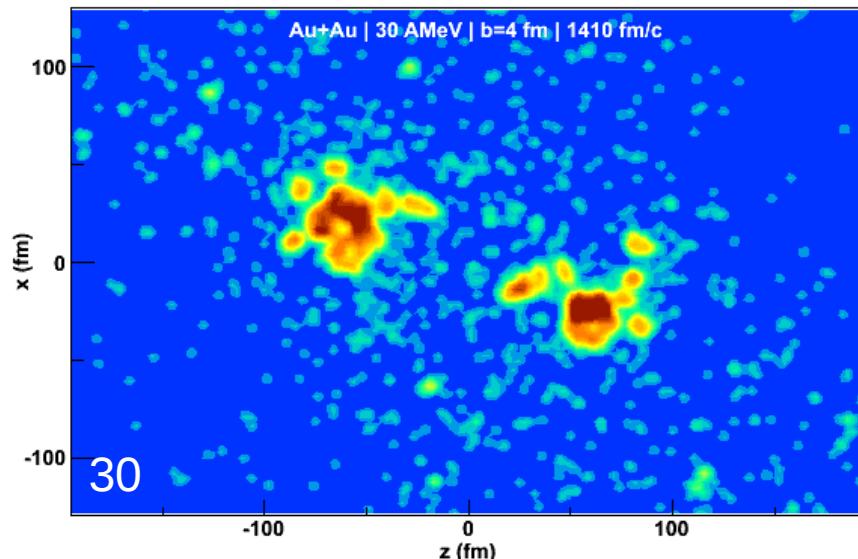
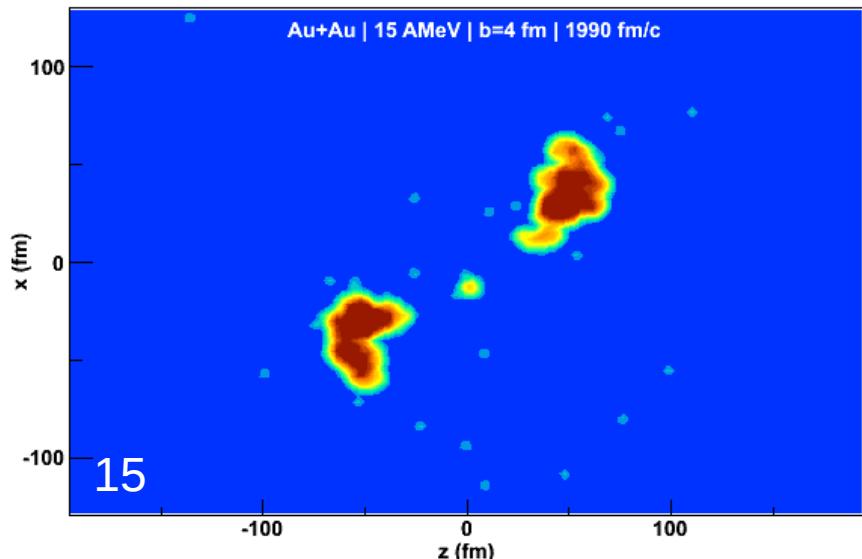


$$\rho > \rho_0$$

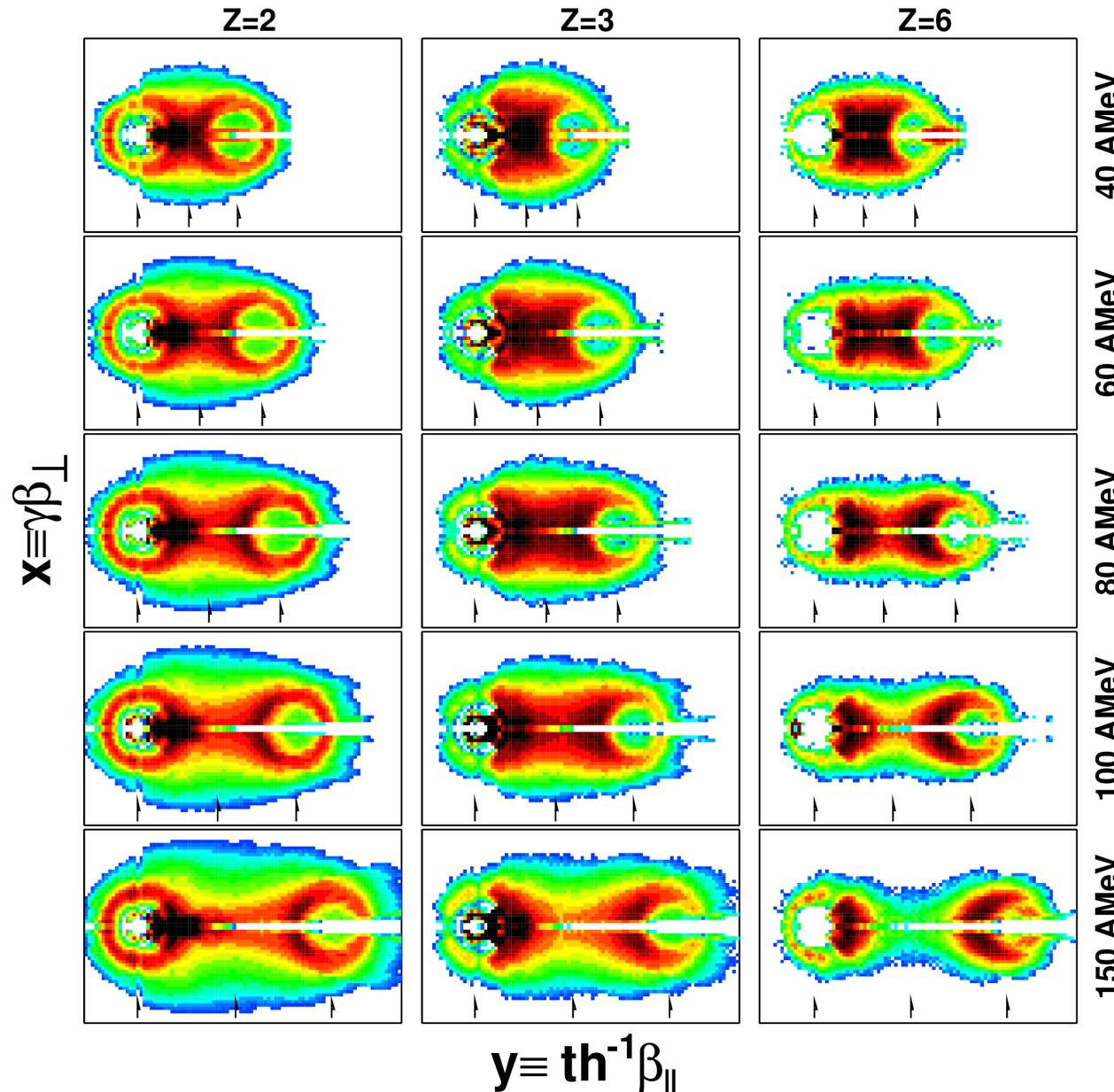
$$\rho \approx \rho_0$$

# superposition of 20 events

## Au+Au @ 15, 30, 60, 150 AMeV, b=4 fm



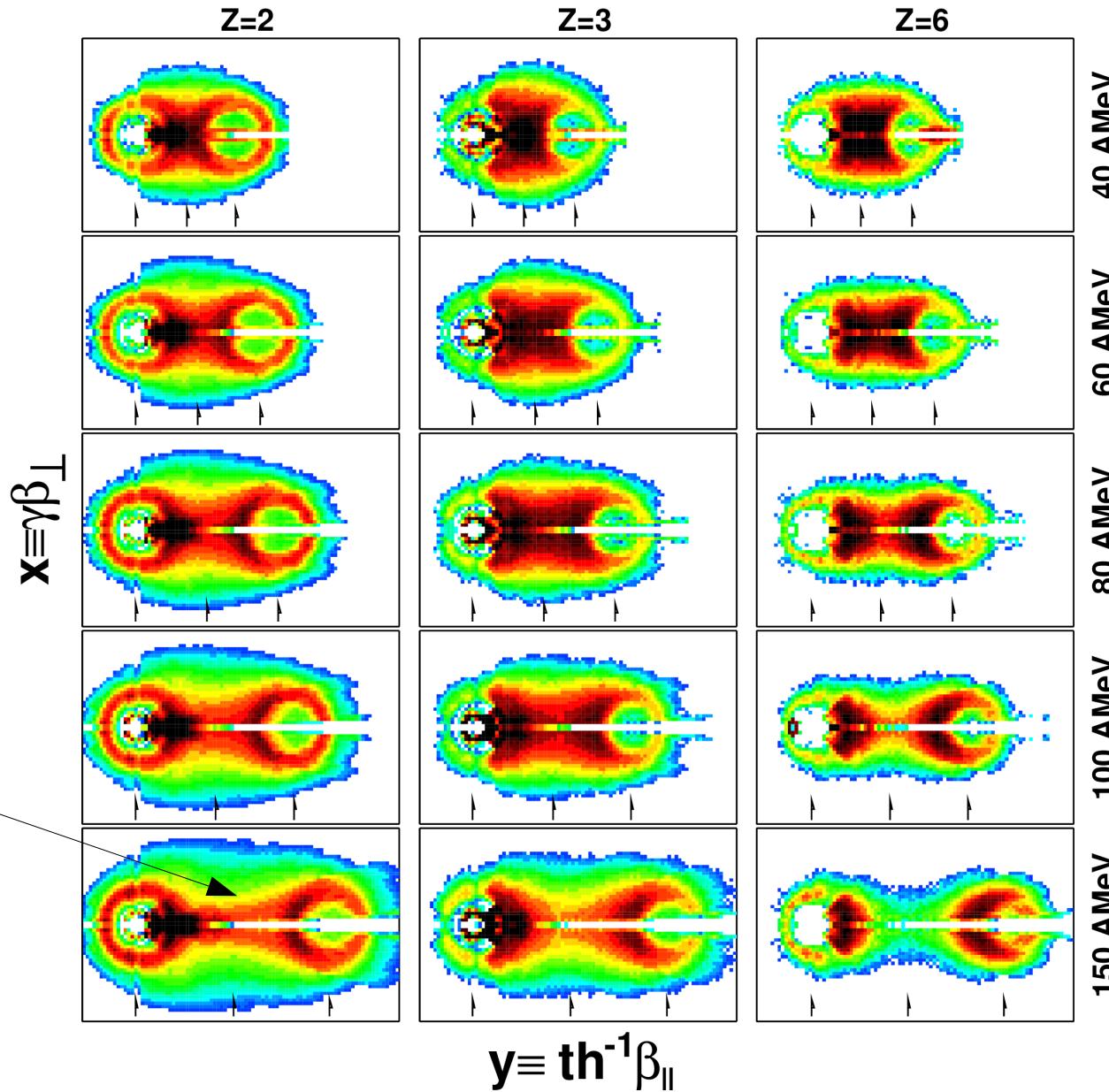
Peripheral Au+Au @ 40-150 MeV/nucleon (INDRA@GSI)  
Invariant cross sections:



J. Łukasik et al., PLB 566 (03) 76

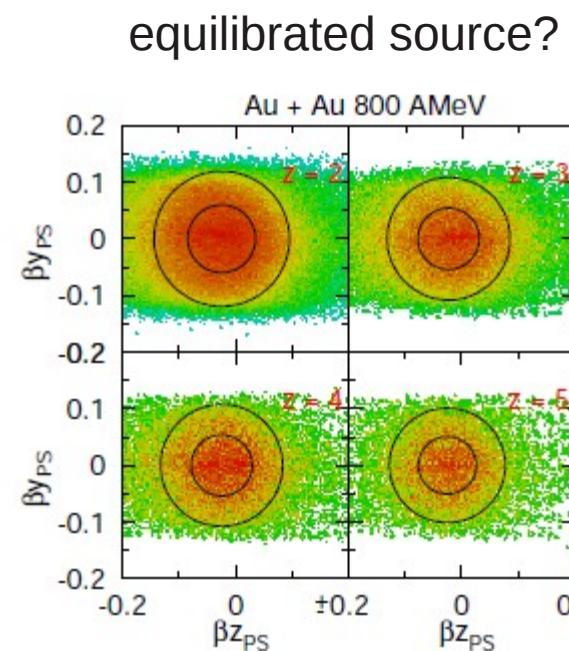
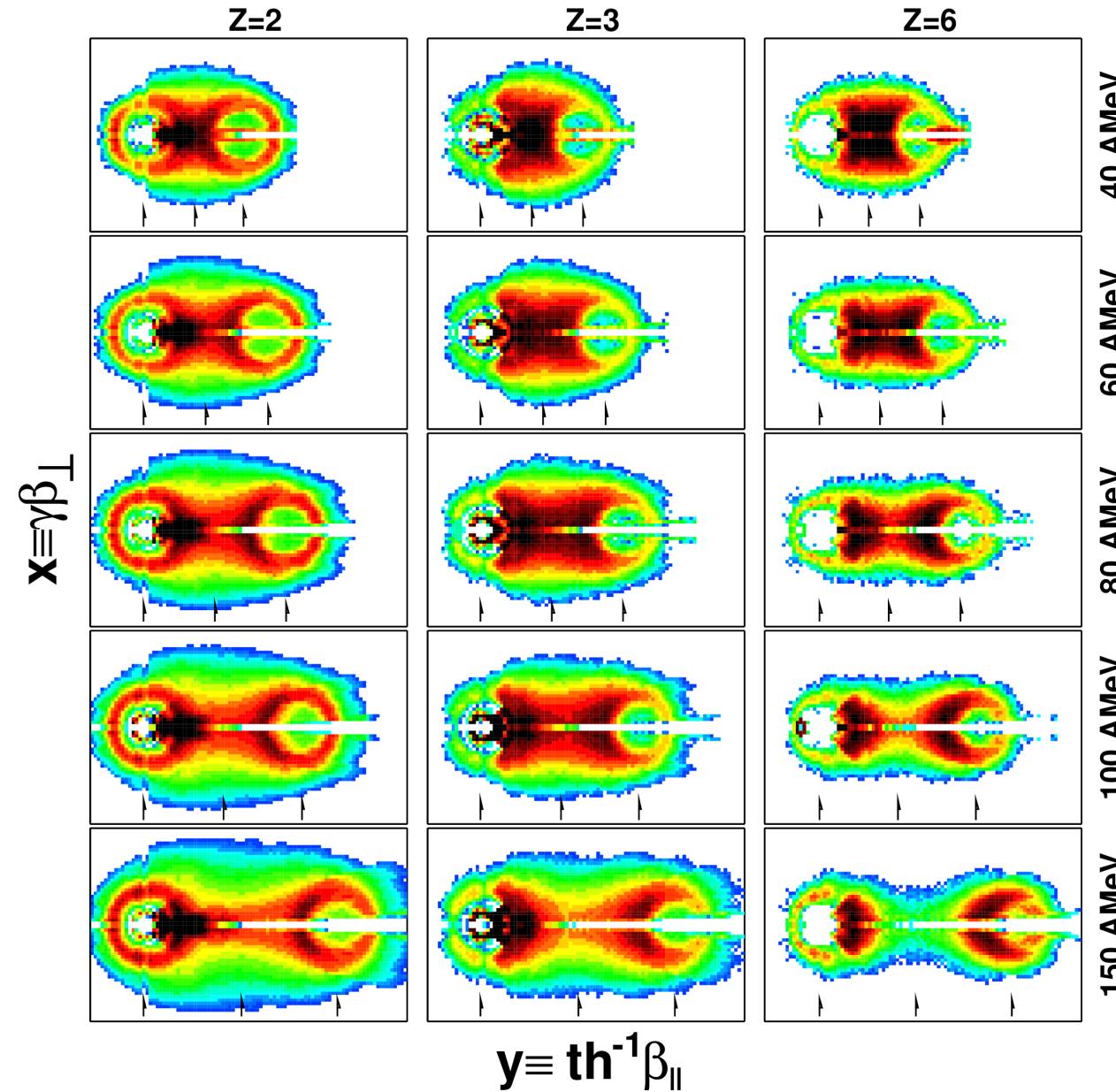
Peripheral Au+Au @ 40-150 MeV/nucleon (INDRA@GSI)  
Invariant cross sections:

Low density,  
Neutron rich environment

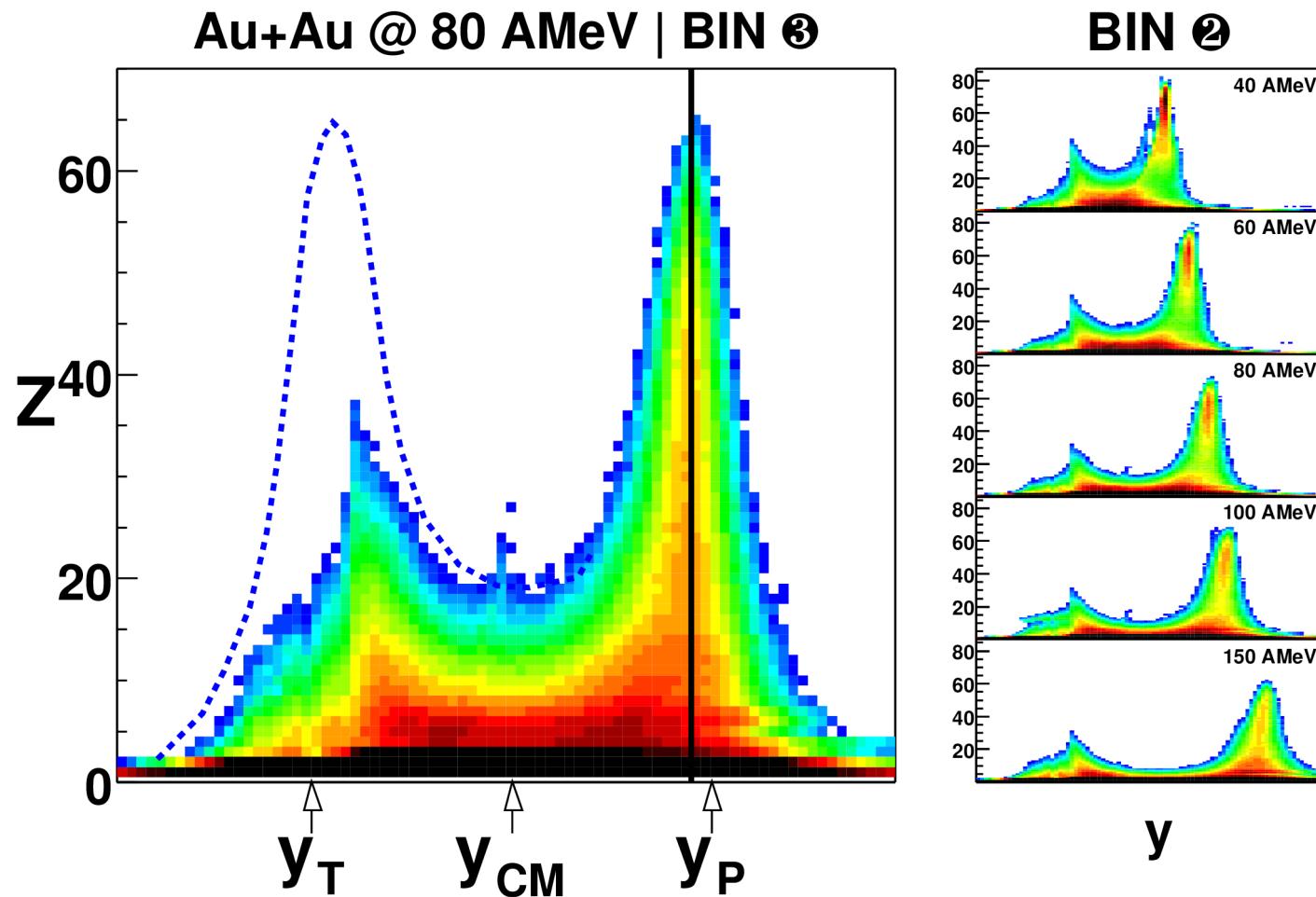


# Peripheral Au+Au @ 40-150 MeV/nucleon (INDRA@GSI)

## Invariant cross sections:

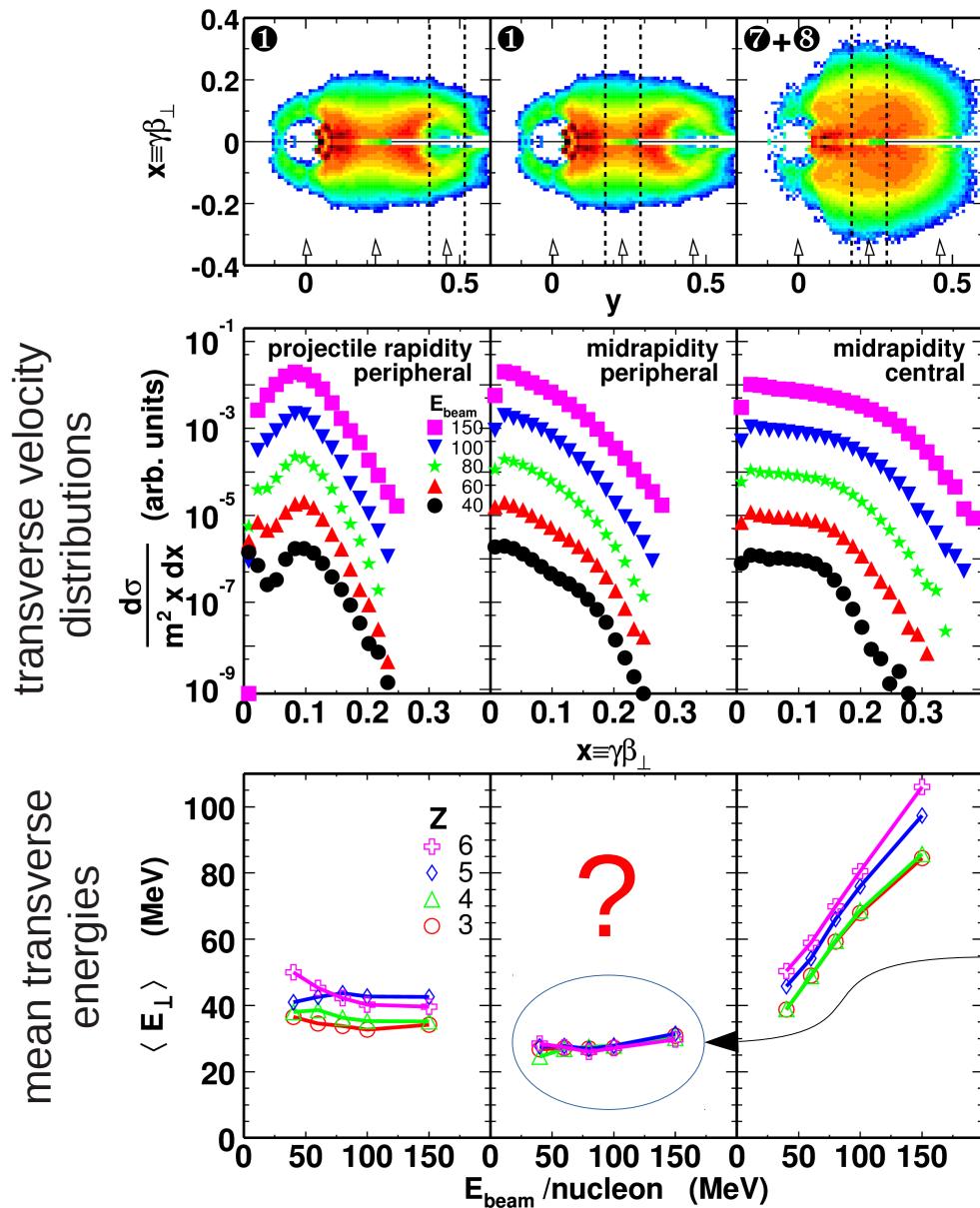


# Rapidity of fragments with atomic number Z (peripheral collisions)



# Au+Au

## transverse velocity distributions and mean transverse energies



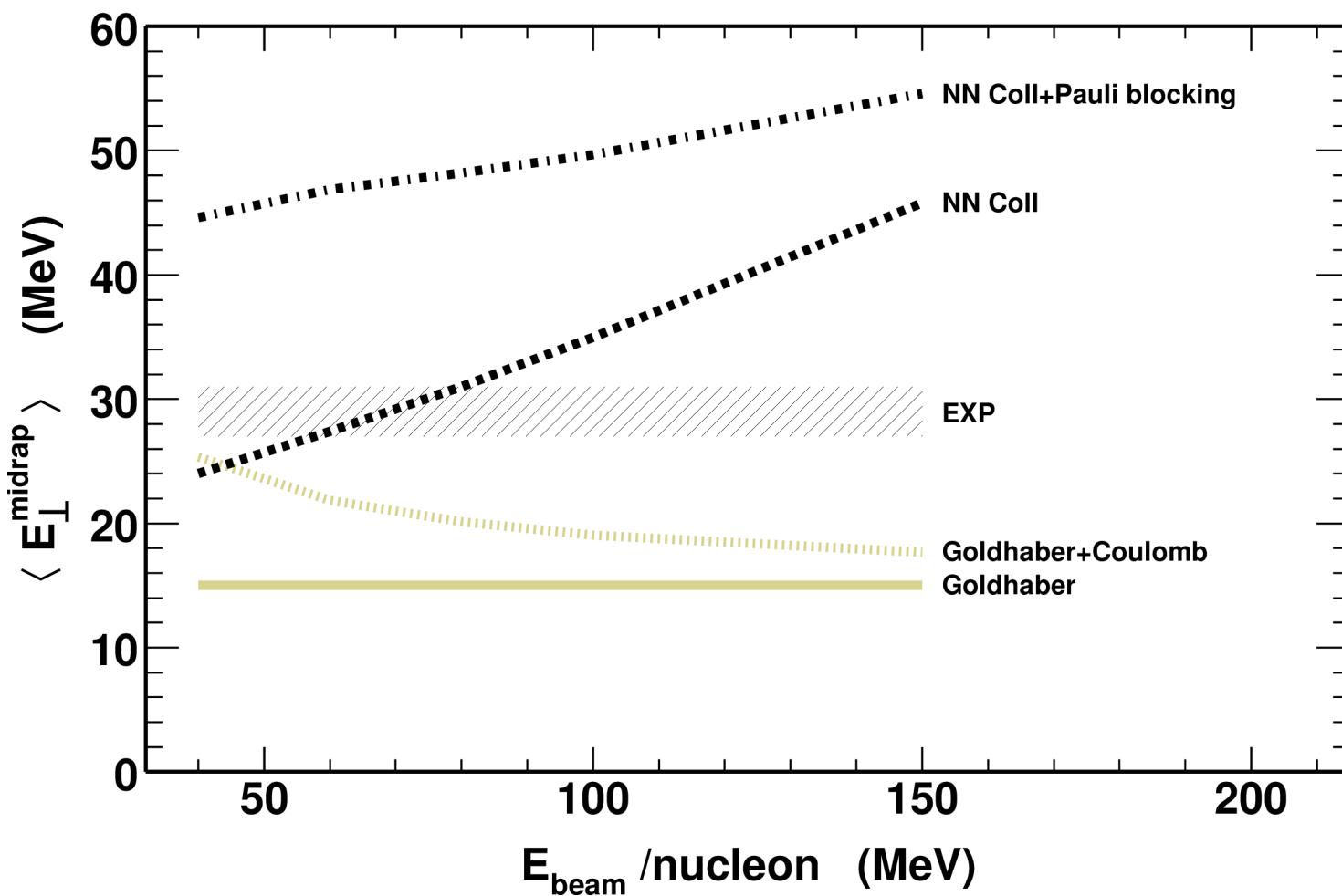
No dependence of mean transverse energies of fragments of  $3 \leq Z \leq 6$  on the beam energy and their mass.

Surprisingly large value ( $\sim 30$  MeV)

Can it be “statistical” emission from the source of  $T=30$  MeV ?

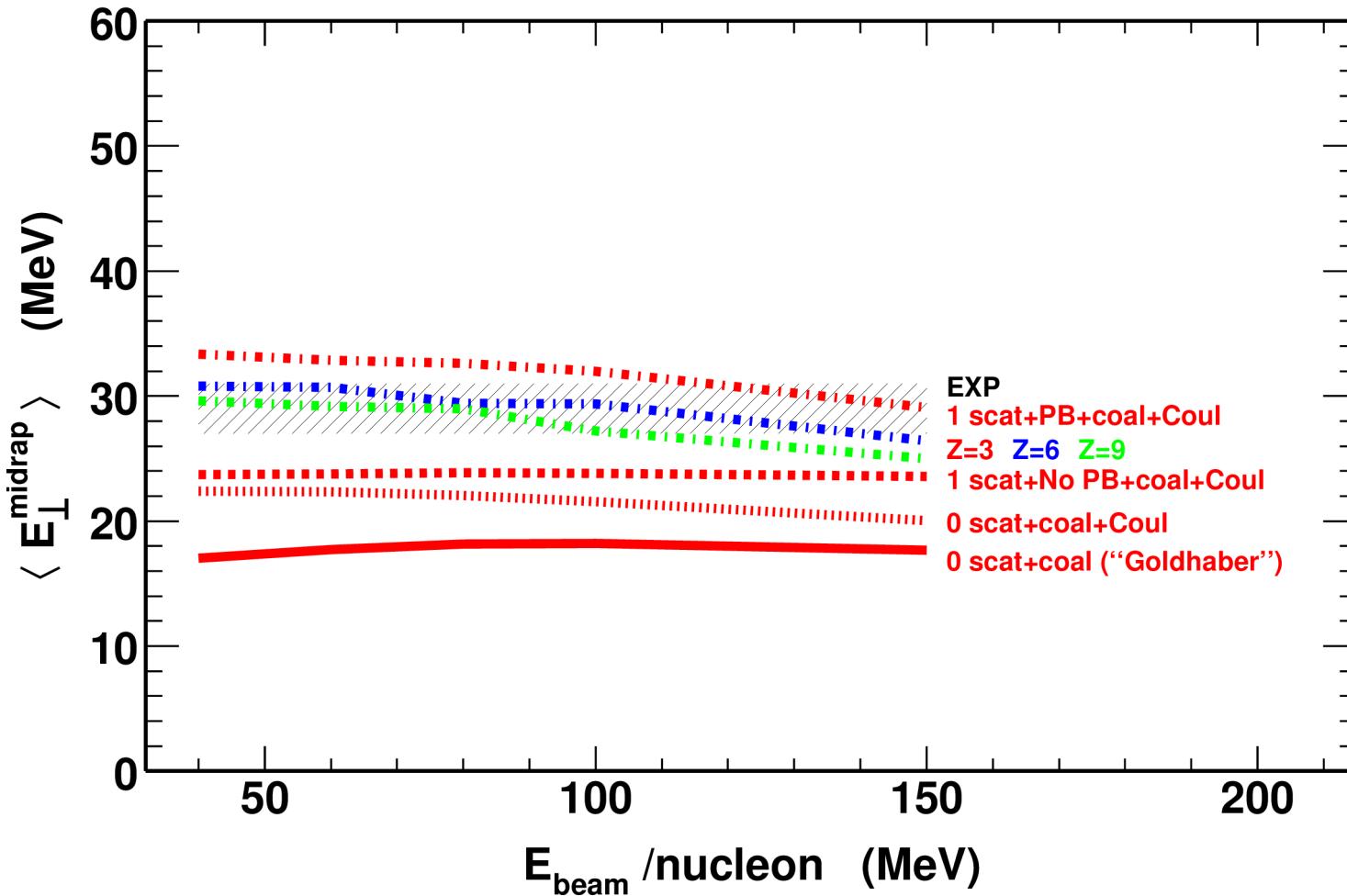
# Au+Au

mean transverse energies of “mid-rapidity” fragments in peripheral collisions



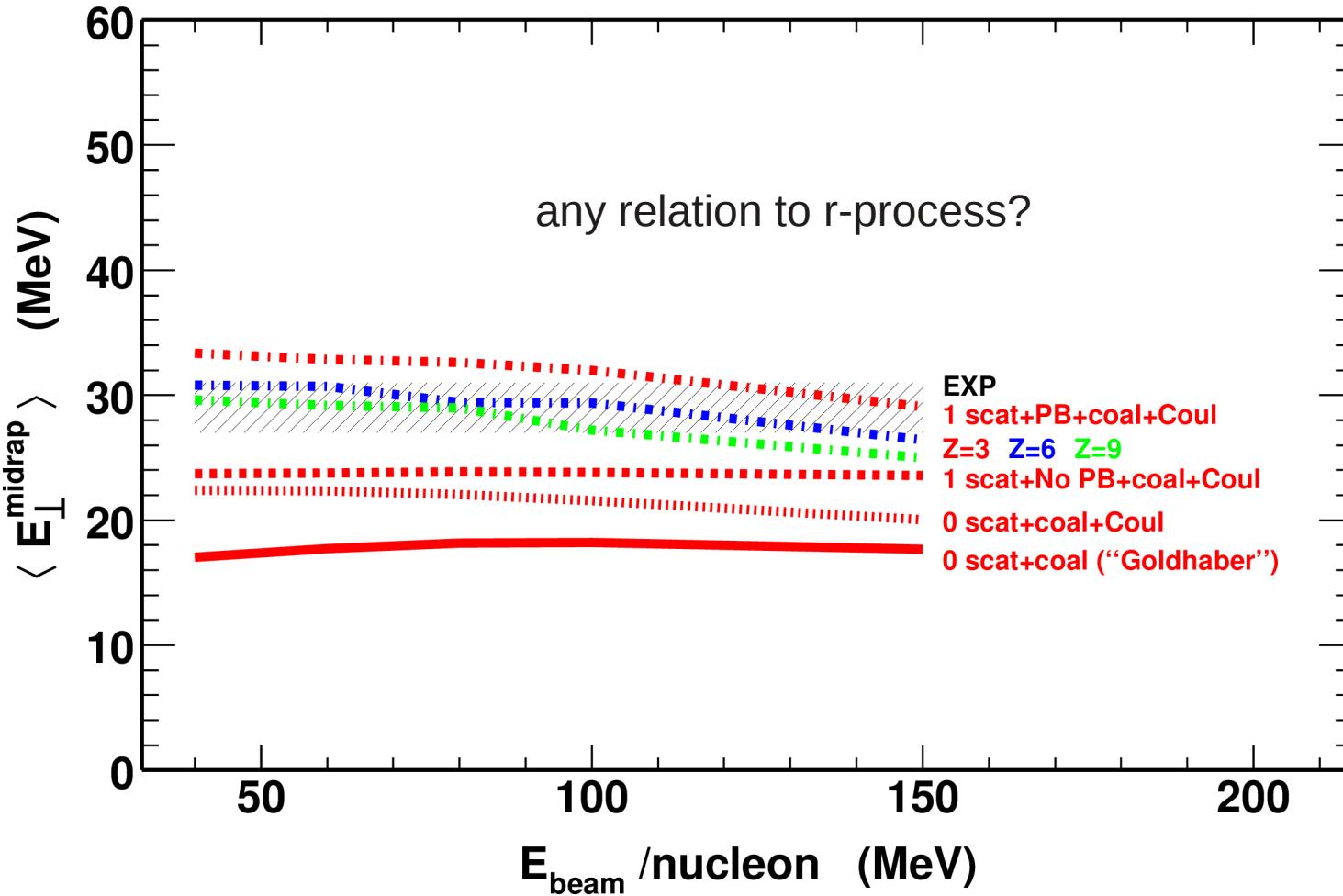
J. Łukasik et al., PRC 66 (02) 064606

# Mean transverse energies of “mid-rapidity” fragments in peripheral collisions: experiment + Monte-Carlo



Important role of the N-N collisions in fragment formation – possibly they trigger the fragment emission. On average one scattered nucleon in the fragment is enough to explain the high and constant value of the mean transverse energies of the fragments.

# Mean transverse energies of “mid-rapidity” fragments in peripheral collisions: experiment + Monte-Carlo



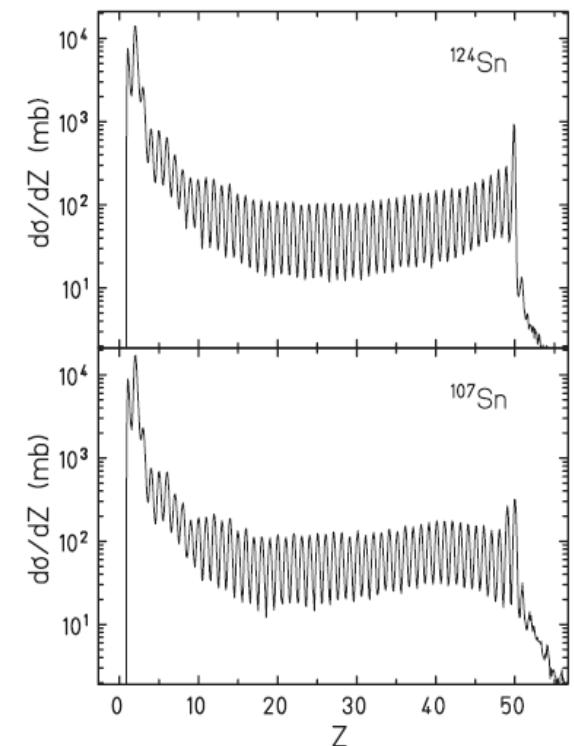
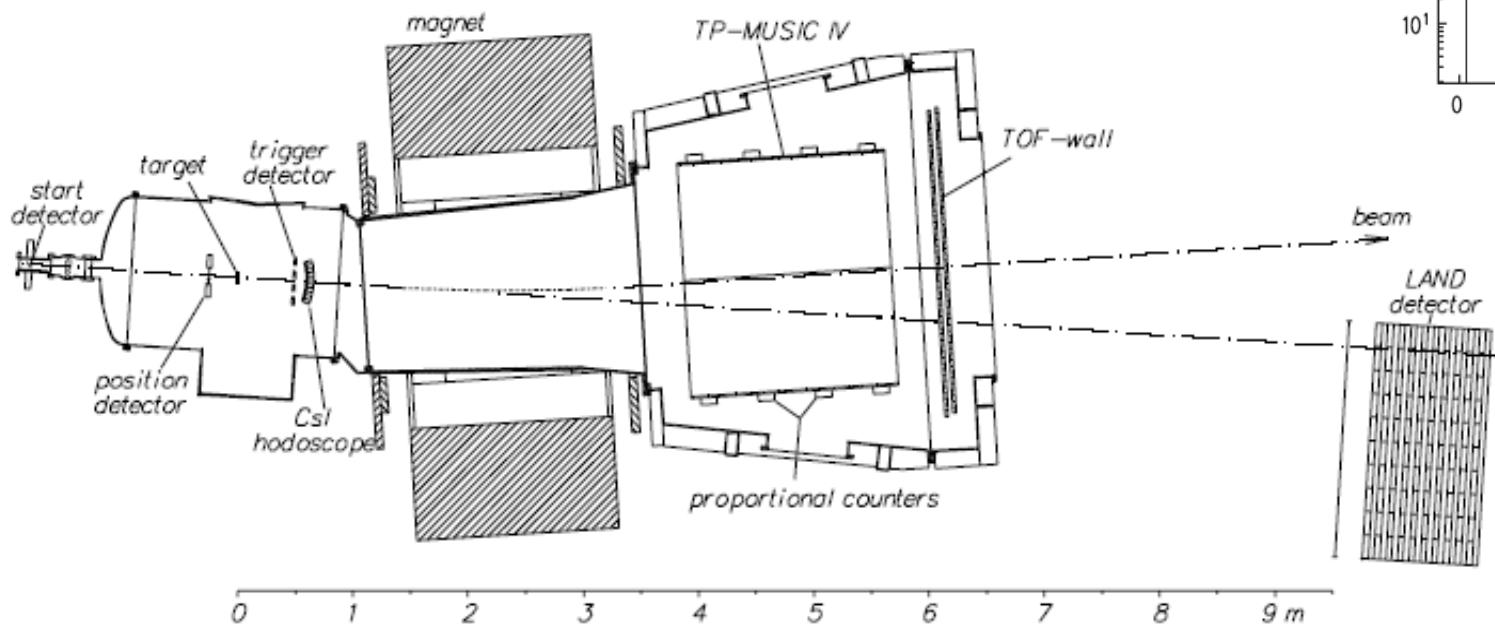
Important role of the N-N collisions in fragment formation – possibly they trigger the fragment emission. On average one scattered nucleon in the fragment is enough to explain the high and constant value of the mean transverse energies of the fragments.

# Fragmentation of $^{107}\text{Sn}$ , $^{124}\text{La}$ and $^{124}\text{Sn}$ @ 600 AMeV ALADIN@GSI

$N/Z \geq 1.14$

88c

C. Sfienti et al. / Nuclear Physics A 749 (2005) 83c–92c



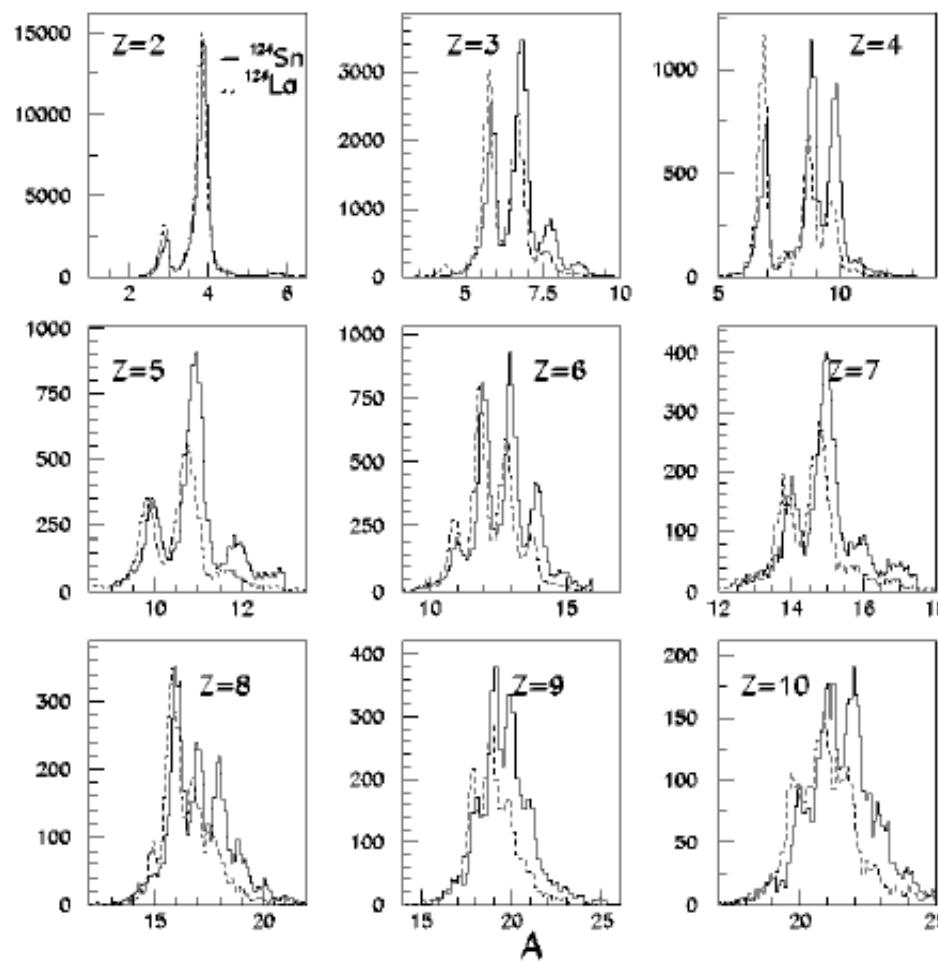
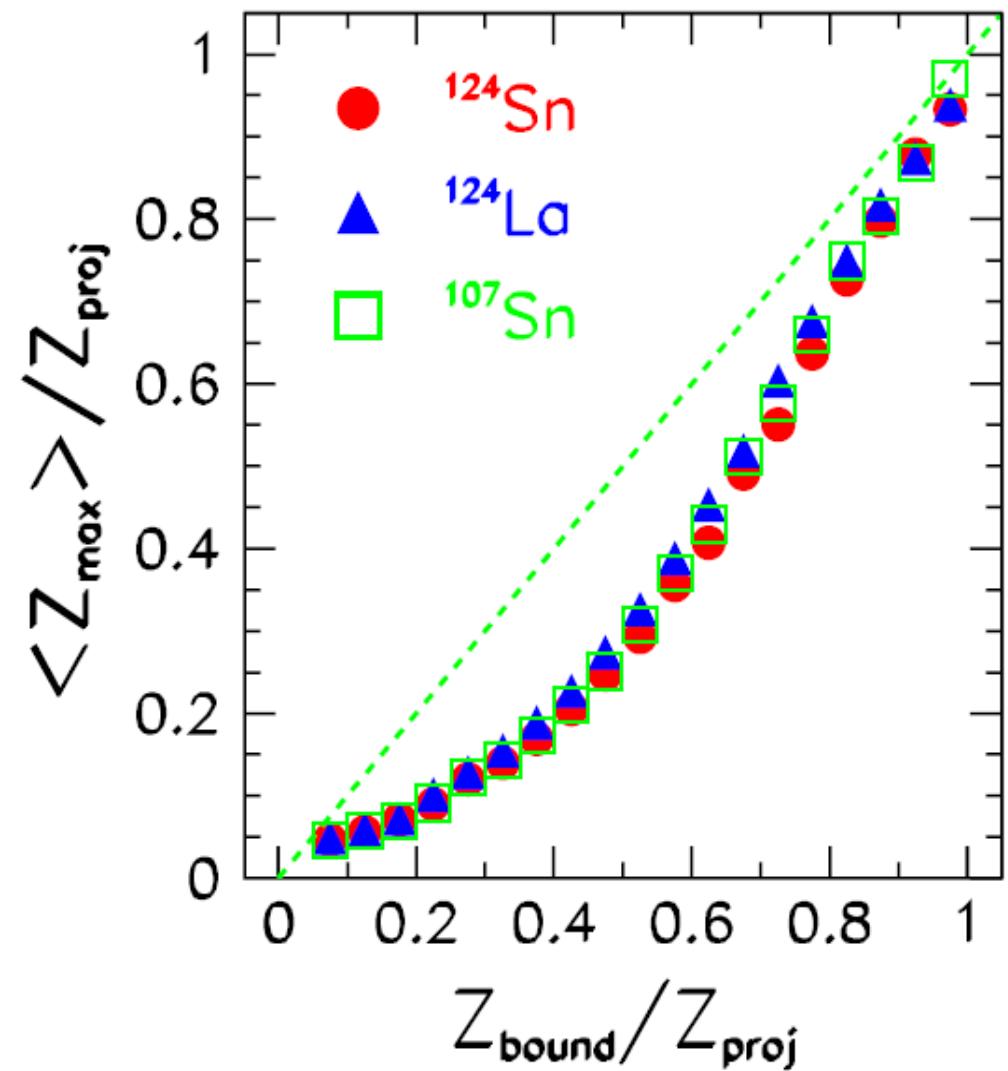
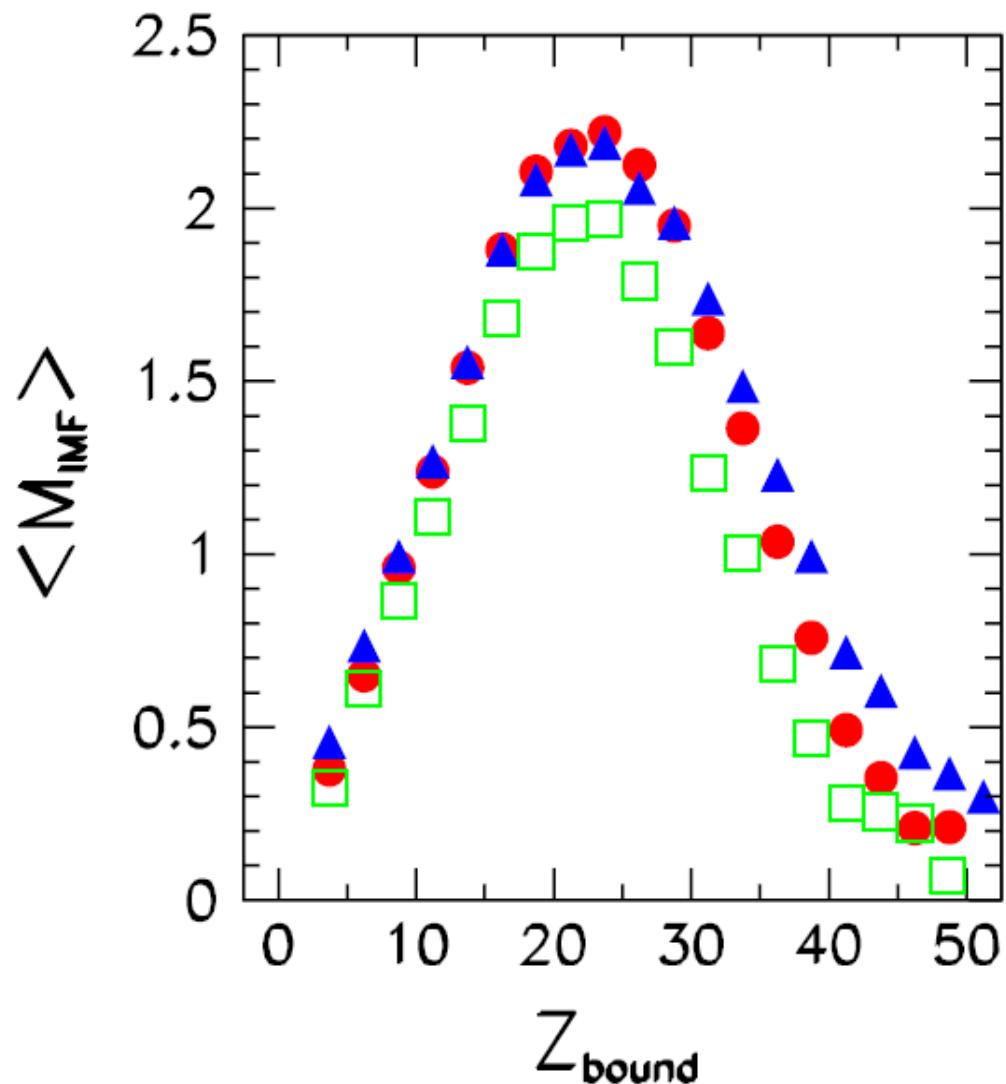


Figure 5. Mass spectra for light fragments with  $Z \leq 10$  from the fragmentation of  $^{124}\text{La}$  (dashed line) and  $^{124}\text{Sn}$  (full line).

~ 4% FWHM mass resolution

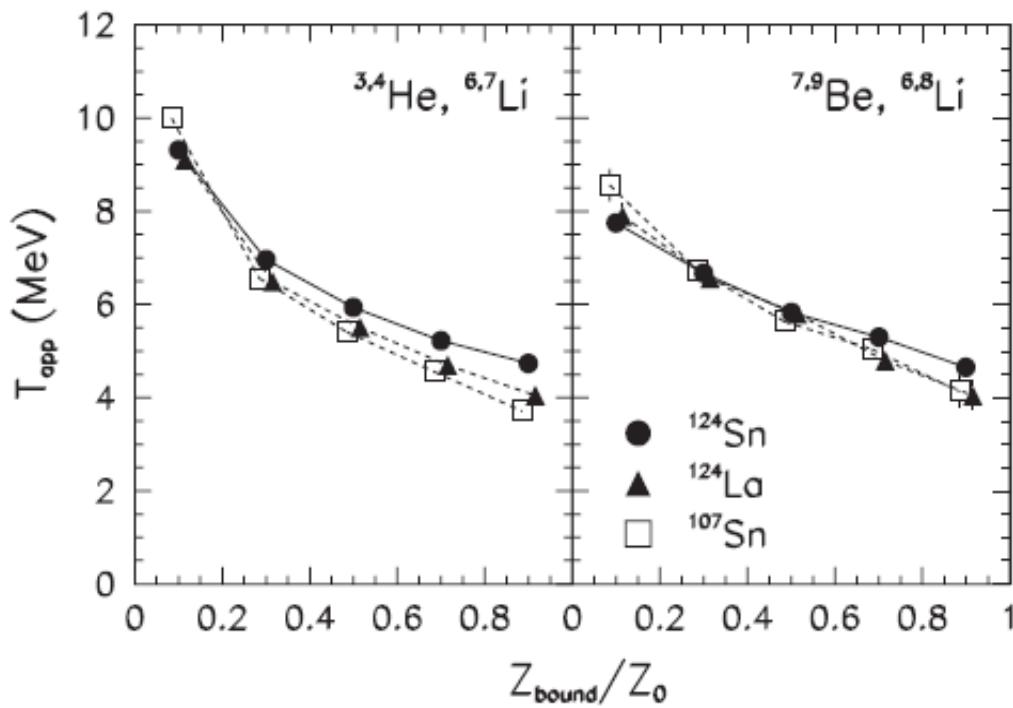
# “rise and fall” in projectile fragmentation



# Breakup temperatures and the symmetry energy

## Albergo temperatures

$$R \equiv \frac{Y_1/Y_2}{Y_3/Y_4} = c \exp(((B_1 - B_2) - (B_3 - B_4))/T) \quad \text{e.g. } \begin{matrix} 1 \rightarrow {}^6\text{Li} \\ 3 \rightarrow {}^3\text{He} \end{matrix} \quad \begin{matrix} 2 \rightarrow {}^7\text{Li} \\ 4 \rightarrow {}^4\text{He} \end{matrix}$$

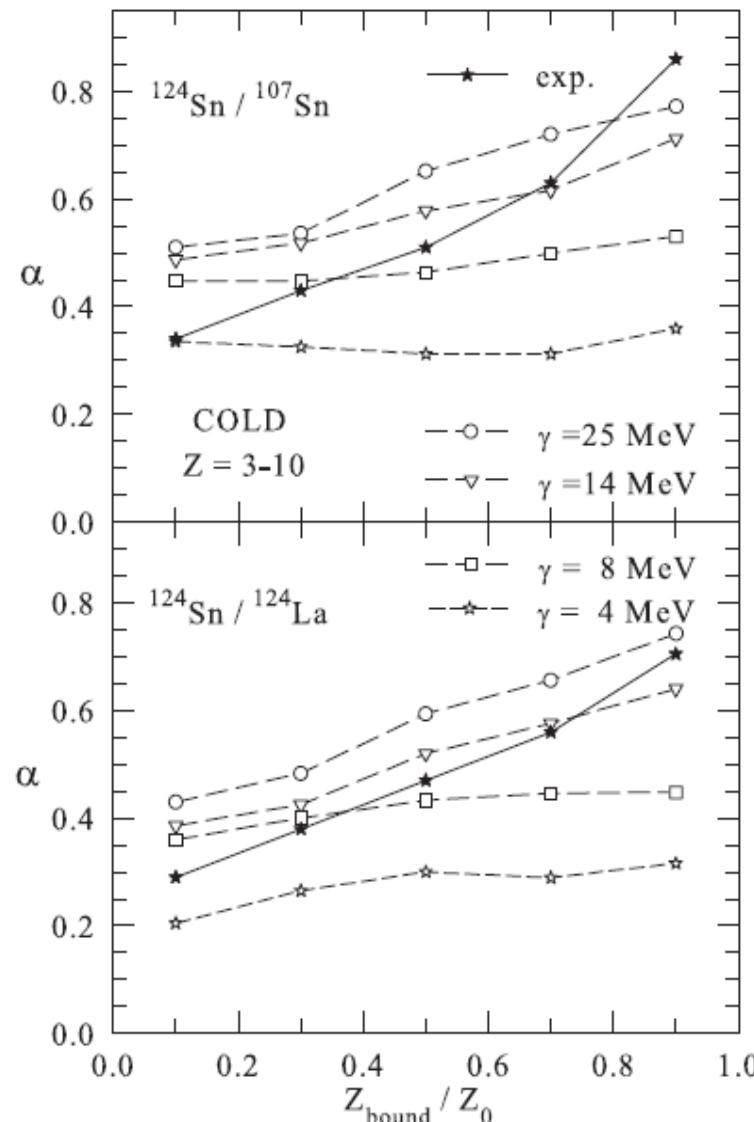


Symmetry energy drops down with temperature

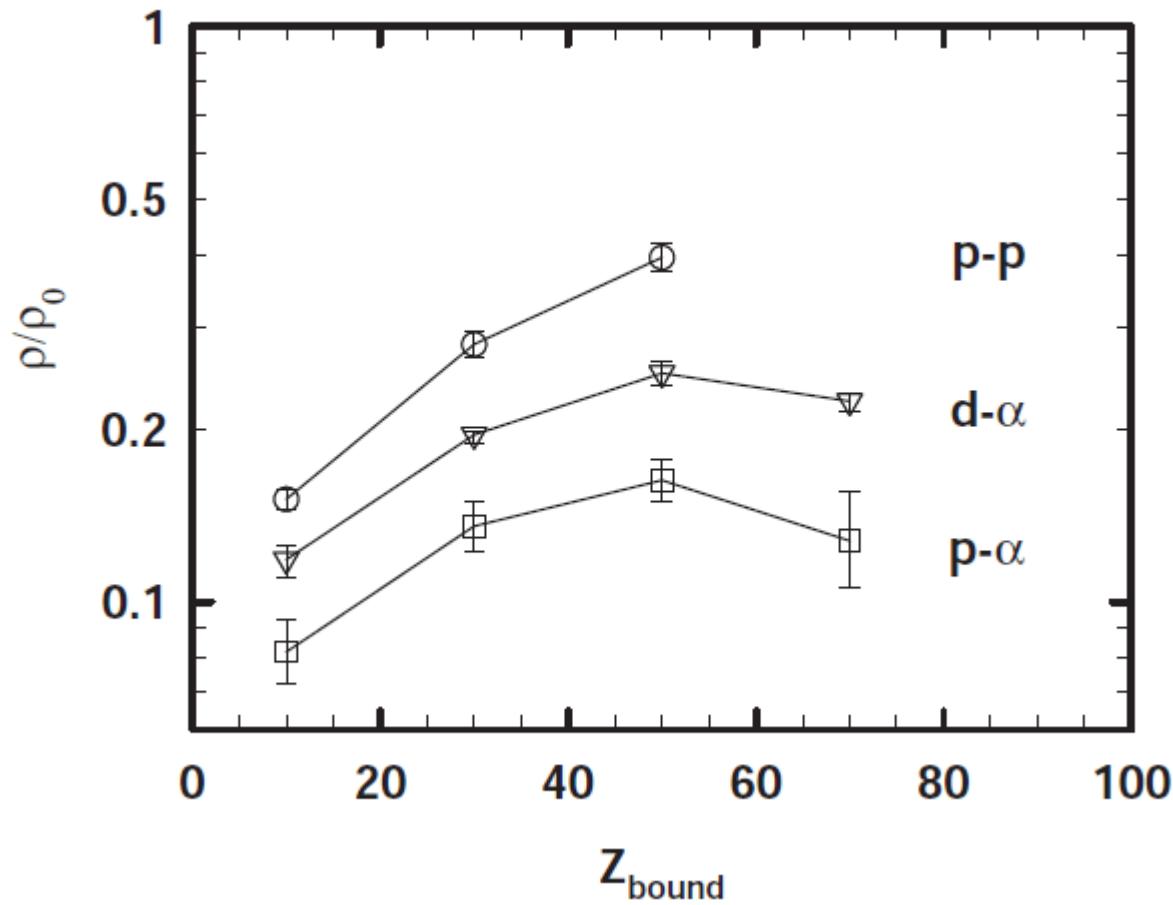
## Isoscaling coefficients $\alpha$

$$R_{21}(N, Z) \equiv \frac{Y_2(N, Z)}{Y_1(N, Z)} \propto \exp(N\alpha + Z\beta) \quad \text{e.g. } \begin{matrix} 1 \rightarrow {}^{107}\text{Sn} \\ 2 \rightarrow {}^{124}\text{Sn} \end{matrix}$$

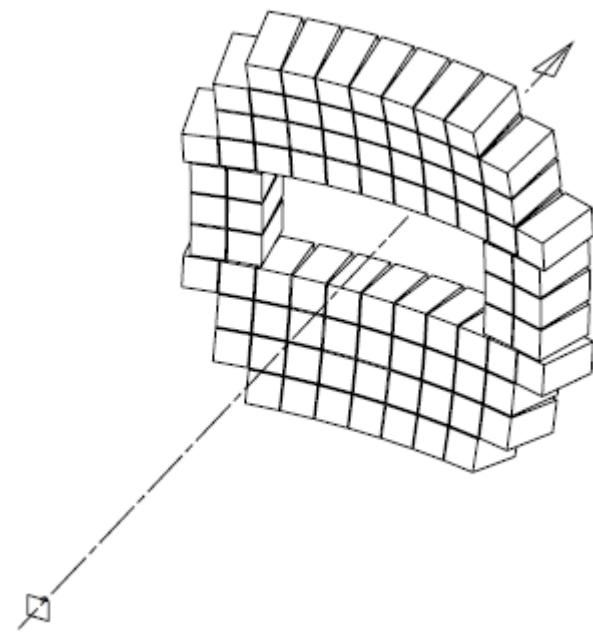
$$\alpha \approx \frac{4\gamma}{T} \left( \frac{Z_1^2}{A_1^2} - \frac{Z_2^2}{A_2^2} \right) \quad \text{where } \gamma \rightarrow E_{\text{sym}} \text{ coeff.}$$



# Breakup densities from 2-particle correlation (Au+Au @ 1AGeV)



ALADIN + HODOSCOPE



Start, Active coll, KYOTO Trigger,  
KATANA, NEBULA+Veto, HOD(s), Lanzhou TOF.  
(Why) do we need those?

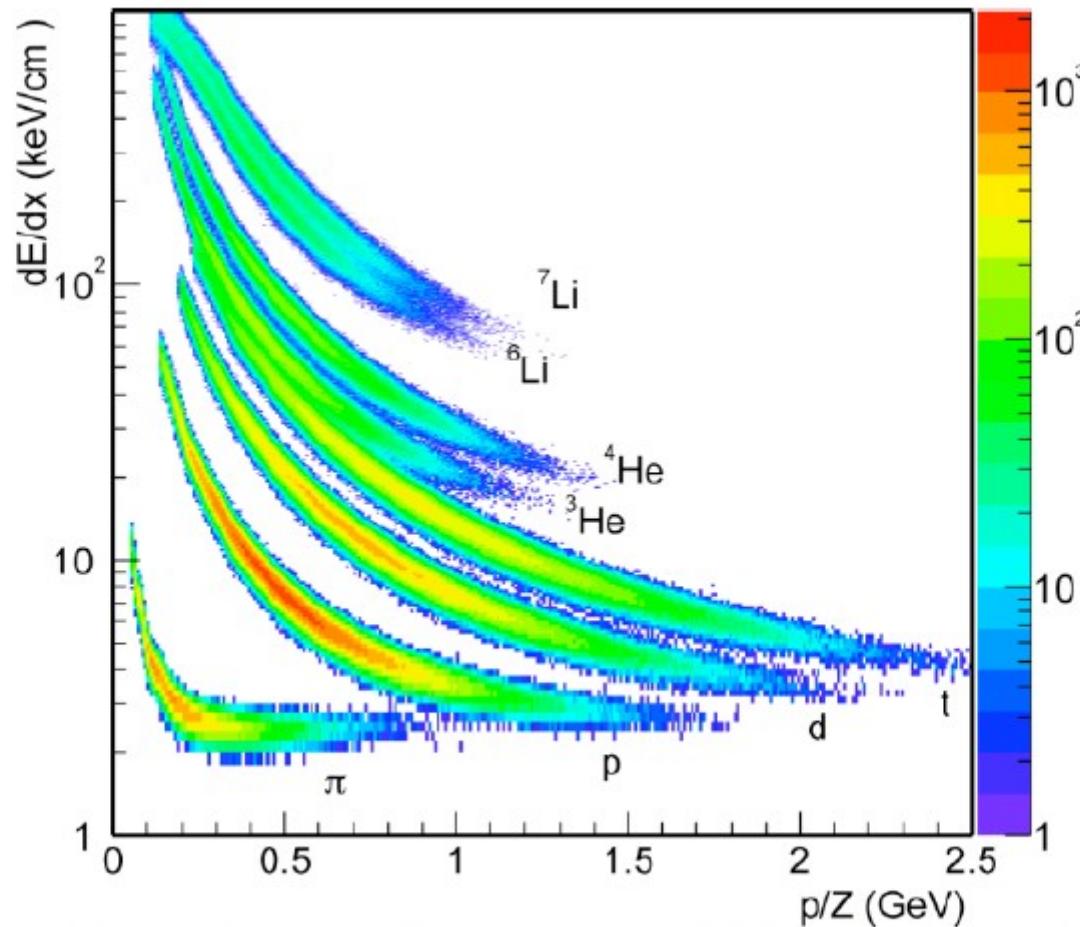


Fig. 11 Simulated PID of the TPC based on the performance of the STAR TPC. Comparable performance was achieved in the EOS detector and would be achieved with the SAMURAI TPC.

From Betty's proposal

# Why do we need those?

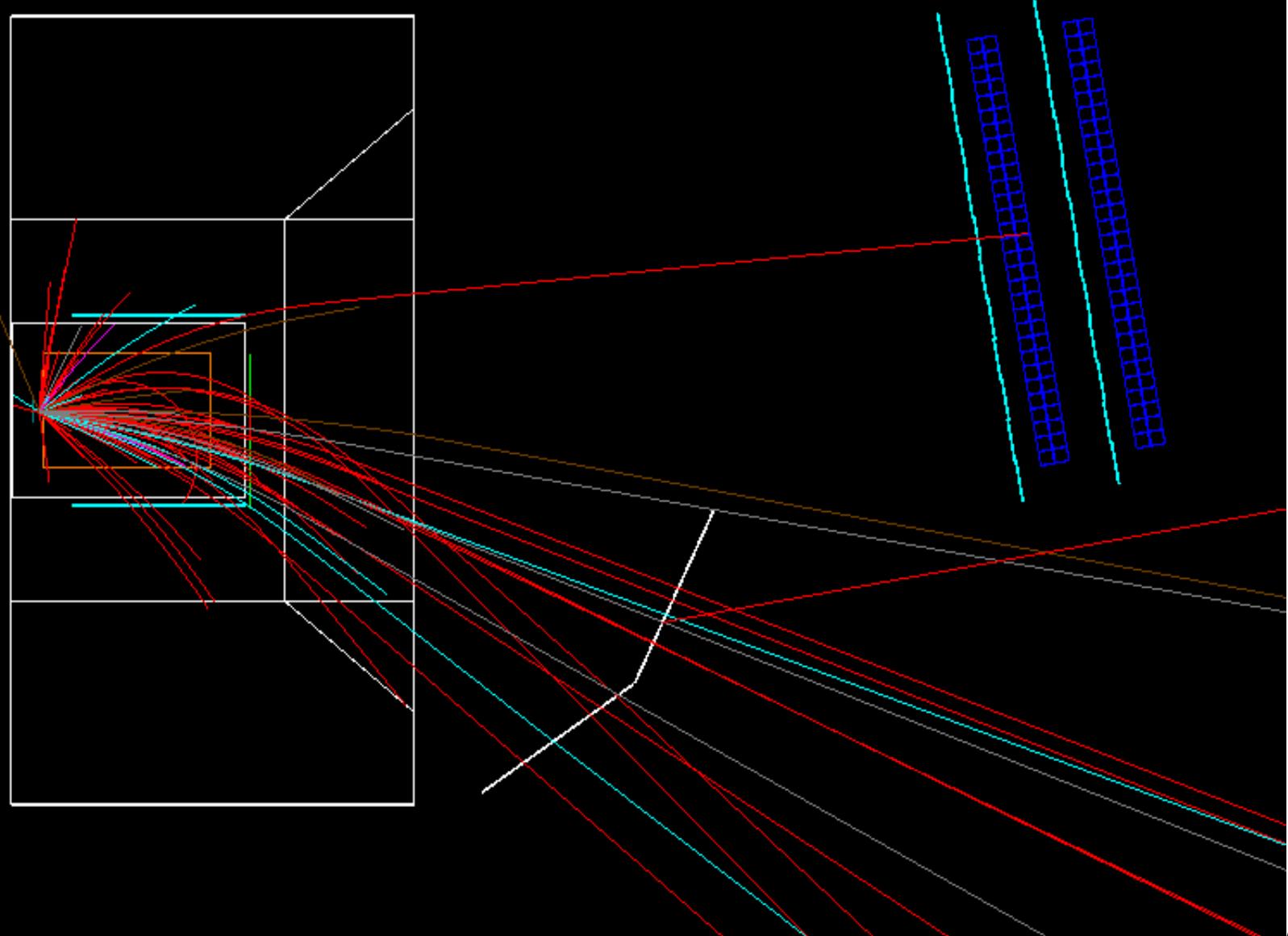
- |             |  |
|-------------|--|
| Start       | → for TOF, trigger, good evt selection         |
| Active coll | → reject non-target coll., beampipe hits, ...  |
| KYOTO       | → multiplicity trigger, TOF (?)                |
| KATANA      | → trigger for evts with $Z < 20$ , veto for GG |
| NEBULA+Veto | → TOF for LCP, masses (imp. for central)       |
| HOD(s)      | → TOF for LCP, masses (for mid-central)        |
| Lanzhou TOF | → TOF for LCP, masses (for mid-central)        |

Do we need “beam trigger” ? (...yes) → not obvious how to do it with GG

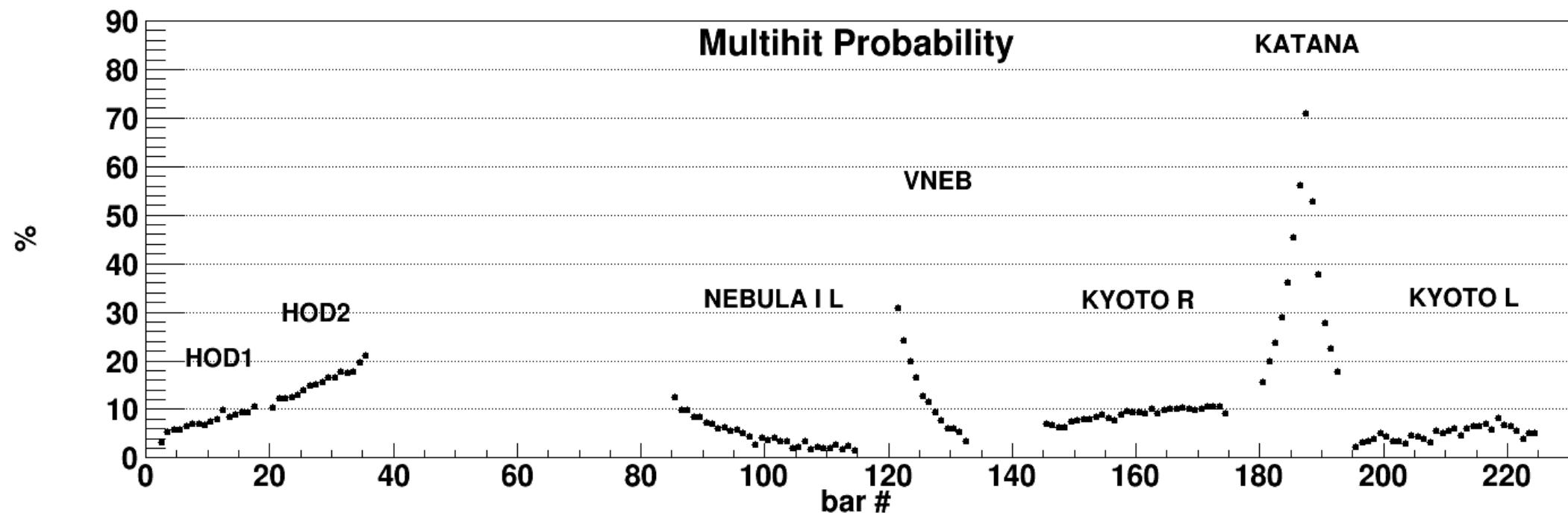
2 x HOD (16 bars x 10 cm)

NEBULA (30 bars x 12 cm)

S4102SETUPURQMD



Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 12.0$  fm



Impact Parameter:  
 **$0 < b < 4 \text{ fm}$**

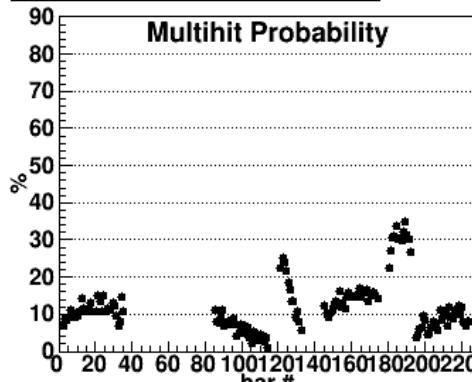
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}} | \frac{\text{Hits2}}{\text{Forw. Exit}}$

**25.3 % | 75.4 %**

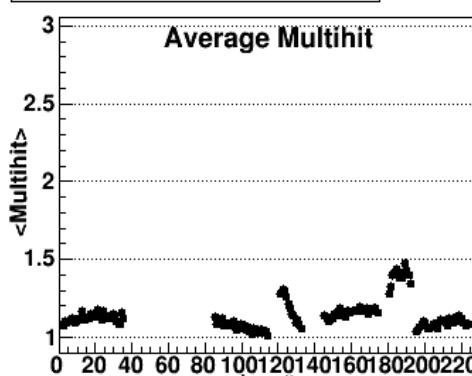
Hits1=HOD+HOD+NEBULA+KYOTO

Hits2=HOD+HOD+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 4.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 4.0 \text{ fm}$



Impact Parameter:  
 **$4 < b < 8 \text{ fm}$**

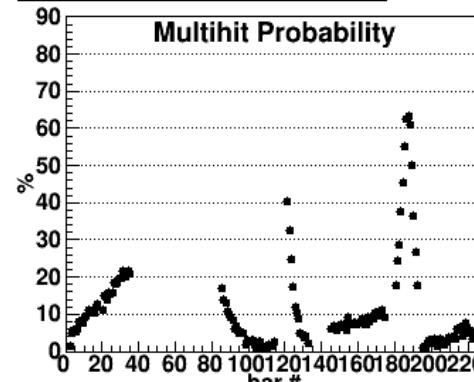
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}} | \frac{\text{Hits2}}{\text{Forw. Exit}}$

**27.9 % | 70.7 %**

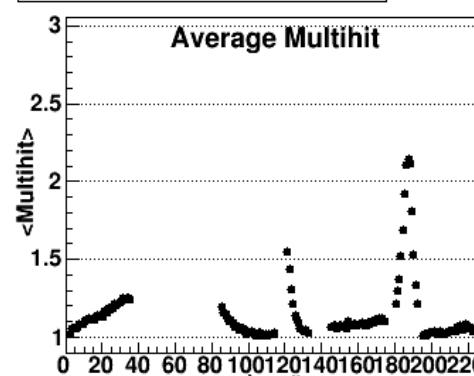
Hits1=HOD+HOD+NEBULA+KYOTO

Hits2=HOD+HOD+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $4.0 < b < 8.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $4.0 < b < 8.0 \text{ fm}$



Impact Parameter:  
 **$8 < b < 12 \text{ fm}$**

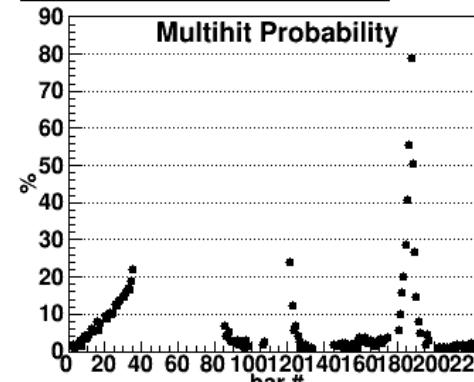
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}} | \frac{\text{Hits2}}{\text{Forw. Exit}}$

**31.0 % | 61.6 %**

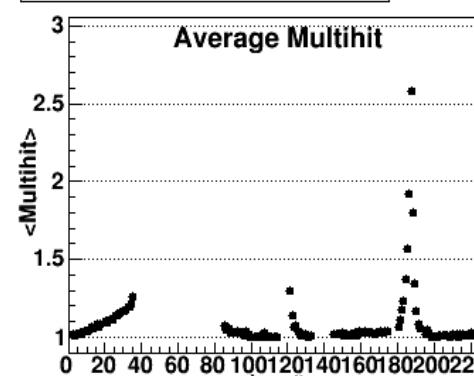
Hits1=HOD+HOD+NEBULA+KYOTO

Hits2=HOD+HOD+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $8.0 < b < 12.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $8.0 < b < 12.0 \text{ fm}$



Impact Parameter:  
 **$0 < b < 12 \text{ fm}$**

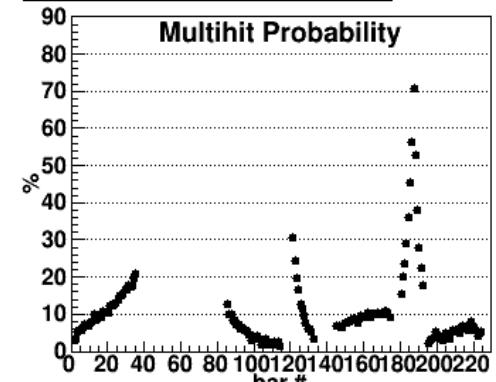
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}} | \frac{\text{Hits2}}{\text{Forw. Exit}}$

**28.3 % | 67.2 %**

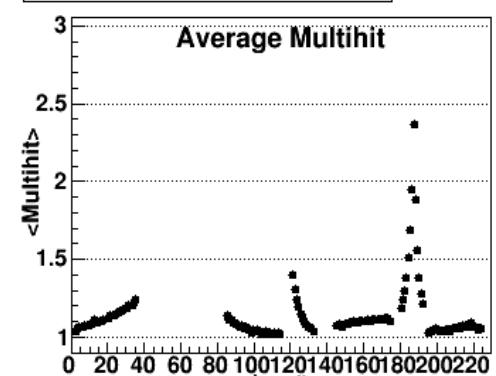
Hits1=HOD+HOD+NEBULA+KYOTO

Hits2=HOD+HOD+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 12.0 \text{ fm}$

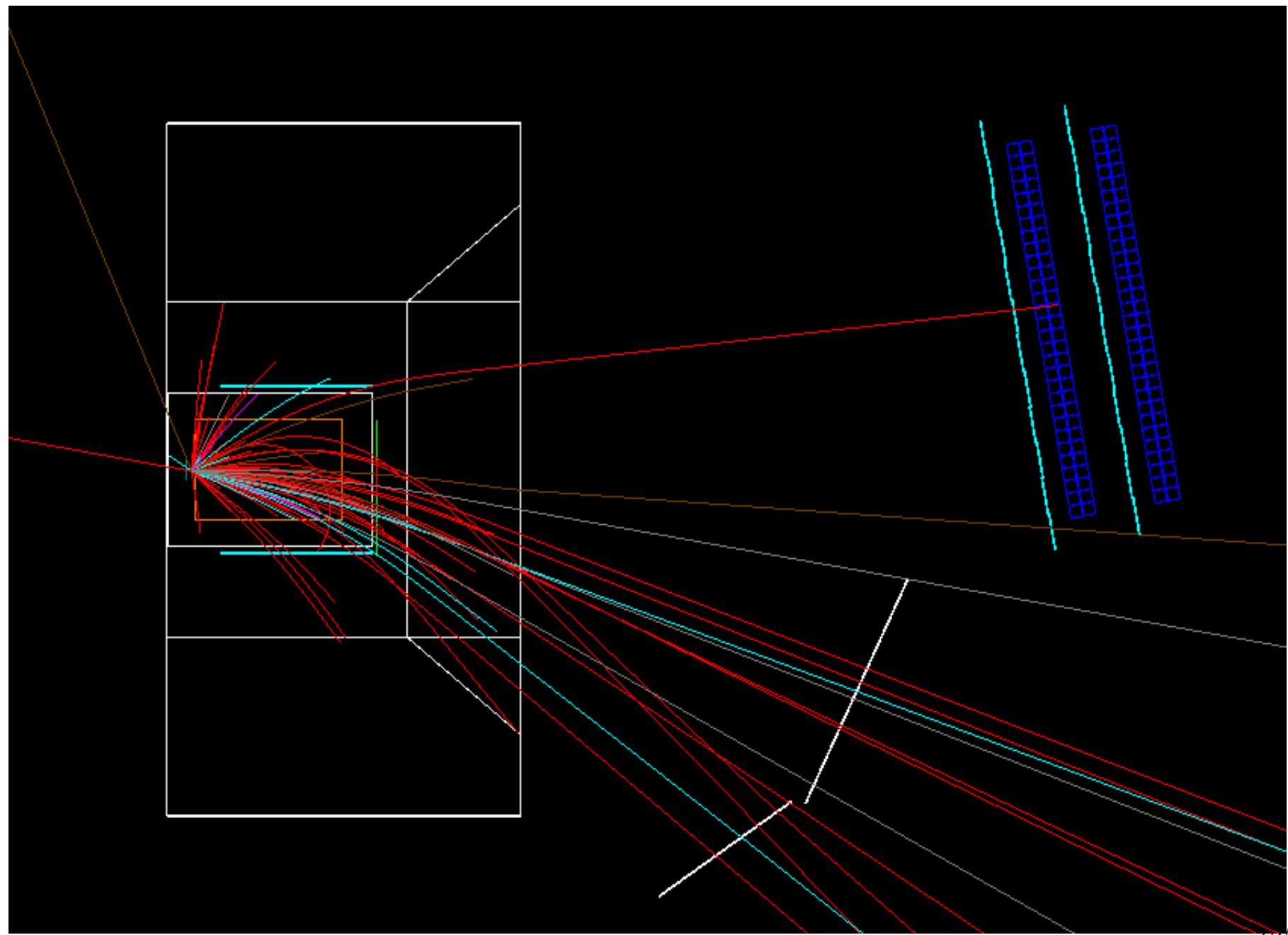


Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 12.0 \text{ fm}$

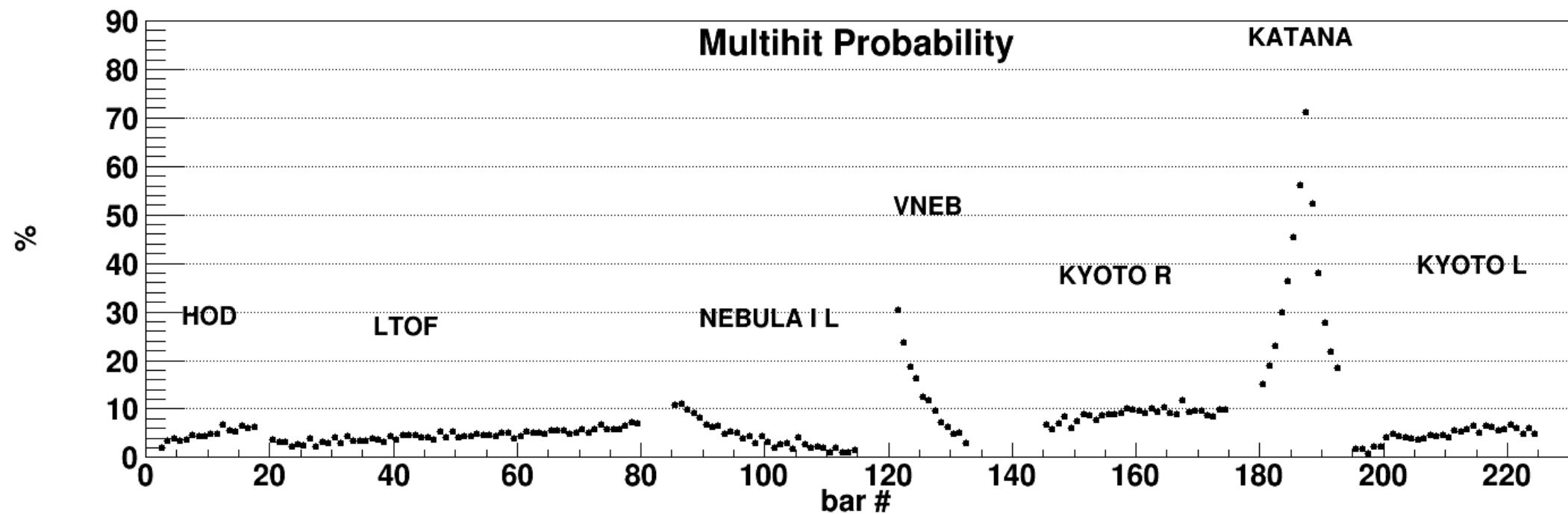


HOD (16 bars x 10 cm)

LANZHOU TOF (60 bars x 4 cm) NEBULA (30 bars x 12 cm)



Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 12.0$  fm



Impact Parameter:  
 **$0 < b < 4 \text{ fm}$**

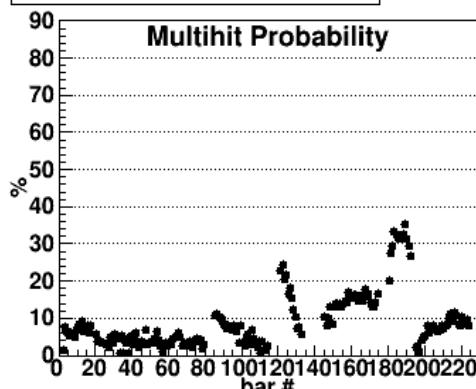
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}}$  |  $\frac{\text{Hits2}}{\text{Forw. Exit}}$

**24.1 % | 68.0 %**

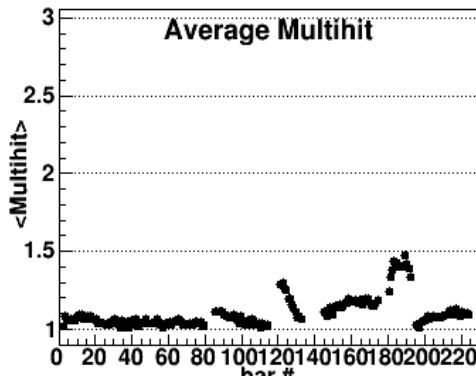
Hits1=HOD+LTOF+NEBULA+KYOTO

Hits2=HOD+LTOF+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 4.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 4.0 \text{ fm}$



Impact Parameter:  
 **$4 < b < 8 \text{ fm}$**

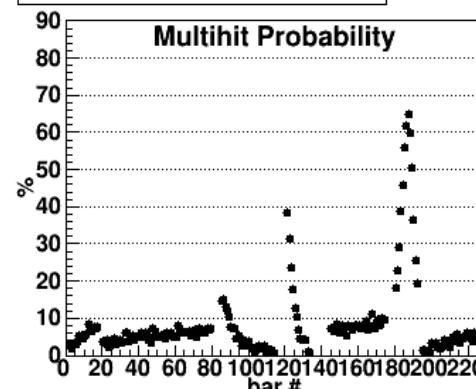
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}}$  |  $\frac{\text{Hits2}}{\text{Forw. Exit}}$

**26.0 % | 63.6 %**

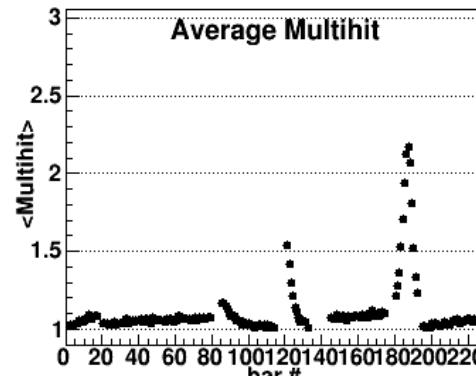
Hits1=HOD+LTOF+NEBULA+KYOTO

Hits2=HOD+LTOF+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $4.0 < b < 8.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $4.0 < b < 8.0 \text{ fm}$



Impact Parameter:  
 **$8 < b < 12 \text{ fm}$**

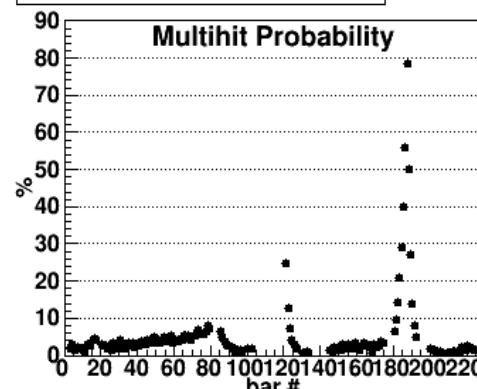
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}}$  |  $\frac{\text{Hits2}}{\text{Forw. Exit}}$

**28.9 % | 56.8 %**

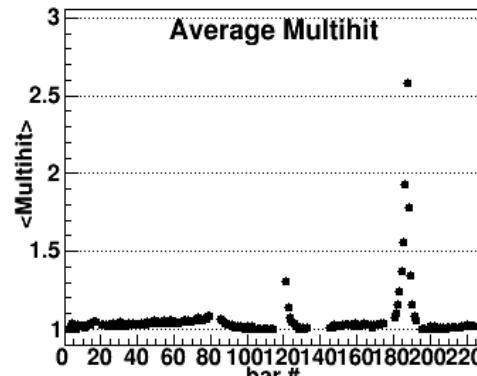
Hits1=HOD+LTOF+NEBULA+KYOTO

Hits2=HOD+LTOF+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $8.0 < b < 12.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $8.0 < b < 12.0 \text{ fm}$



Impact Parameter:  
 **$0 < b < 12 \text{ fm}$**

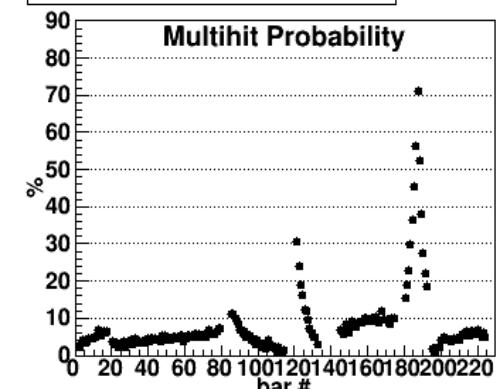
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}}$  |  $\frac{\text{Hits2}}{\text{Forw. Exit}}$

**26.5 % | 61.1 %**

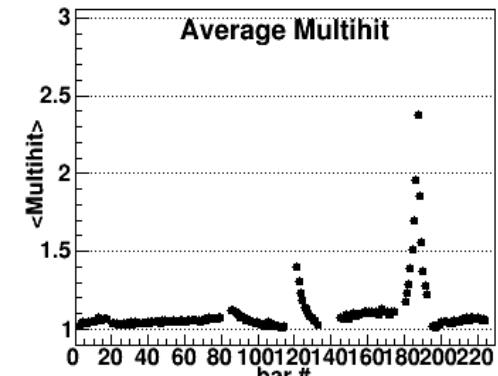
Hits1=HOD+LTOF+NEBULA+KYOTO

Hits2=HOD+LTOF+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 12.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 12.0 \text{ fm}$



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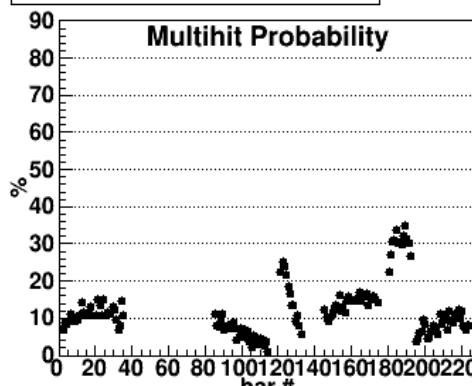
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}} | \frac{\text{Hits2}}{\text{Forw. Exit}}$

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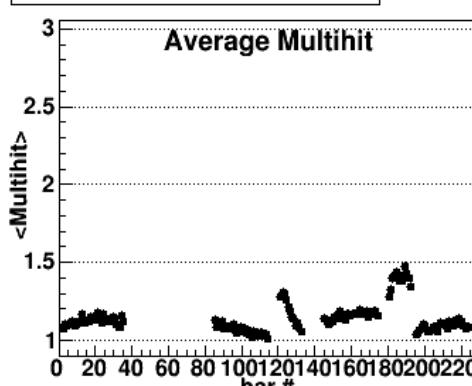
Hits1=HOD+HOD+NEBULA+KYOTO

Hits2=HOD+HOD+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 4.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 4.0 \text{ fm}$



Impact Parameter:  
 **$4 < b < 8 \text{ fm}$**

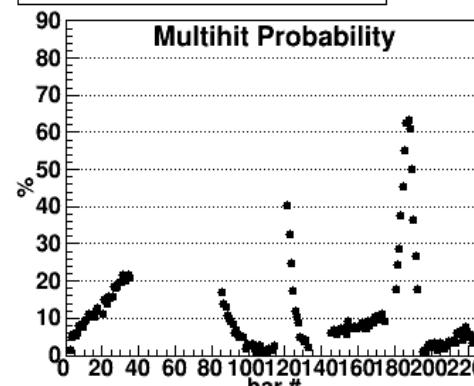
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}} | \frac{\text{Hits2}}{\text{Forw. Exit}}$

**27.9 % | 70.7 %**

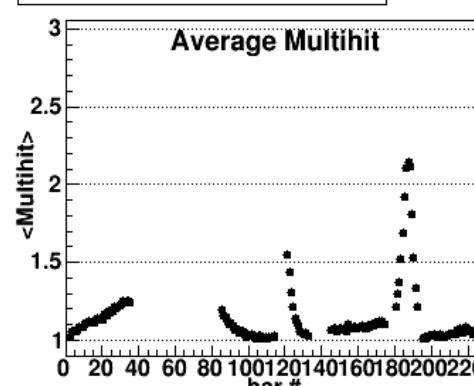
Hits1=HOD+HOD+NEBULA+KYOTO

Hits2=HOD+HOD+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $4.0 < b < 8.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $4.0 < b < 8.0 \text{ fm}$



Impact Parameter:  
 **$8 < b < 12 \text{ fm}$**

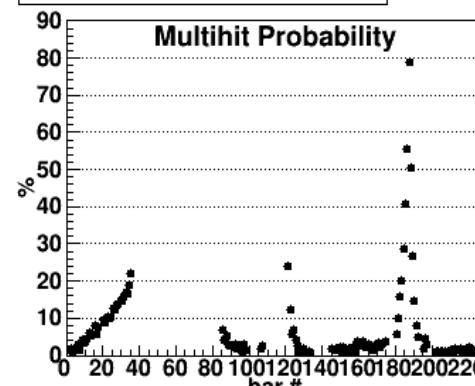
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}} | \frac{\text{Hits2}}{\text{Forw. Exit}}$

**31.0 % | 61.6 %**

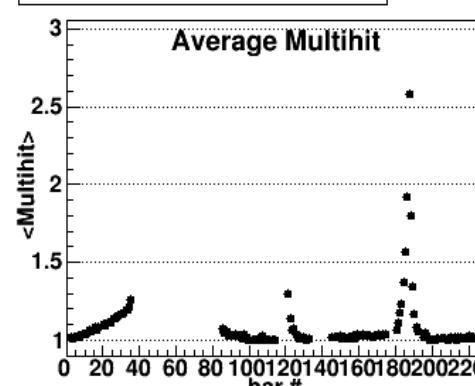
Hits1=HOD+HOD+NEBULA+KYOTO

Hits2=HOD+HOD+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $8.0 < b < 12.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $8.0 < b < 12.0 \text{ fm}$



Impact Parameter:  
 **$0 < b < 12 \text{ fm}$**

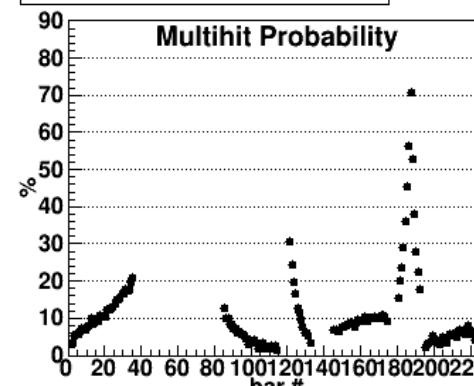
Geom. Efficiency  
 $\frac{\text{Hits1}}{\text{TPC tracks}} | \frac{\text{Hits2}}{\text{Forw. Exit}}$

**28.3 % | 67.2 %**

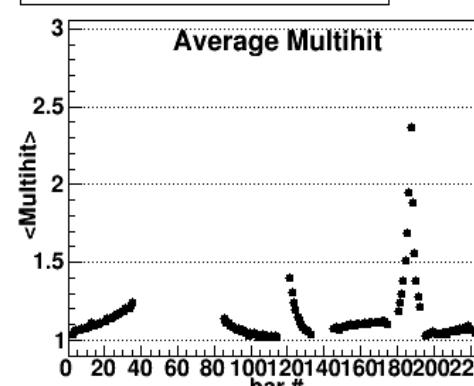
Hits1=HOD+HOD+NEBULA+KYOTO

Hits2=HOD+HOD+NEBULA

Multihit Probability (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 12.0 \text{ fm}$



Average Multihit (HOD+LTOF+NEB | VNEB+KYOR+KATA+KYOL)  $0.0 < b < 12.0 \text{ fm}$



# Rough mass resolution

---

$$(\star \quad B_Q = \frac{A \ u \ \beta \ \gamma}{Z \ e} \quad \star)$$

```
In[280]:= u = 931.49432 (*MeV*);
```

```
mp = 1.007276470 * u;
```

```
Zp = 1;
```

```
Ek = 300 (*MeV*);
```

```
Etot = Ek + mp;
```

```
p = Sqrt[ Ek^2 + 2 Ek mp];
```

```
gamma = 1 + Ek / mp;
```

```
b = p / Etot;
```

```
gam = 1 / Sqrt[1 - b * b];
```

```
R = p / 1000 / Zp (*GeV/c*);
```

```
dR = 0.02 * R (* → 2% from Aki GeV/c*);
```

```
c = 0.000299792458 (* m/ps *);
```

```
s = 4 (* m *);
```

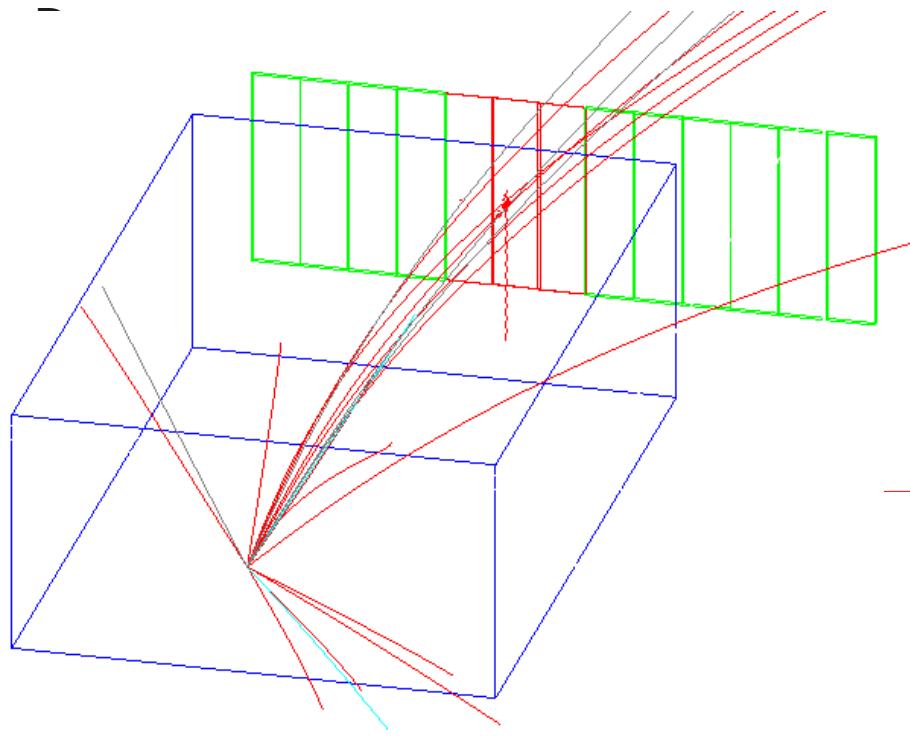
```
ds = 0.0;
```

```
dt = 100 (* ps *);
```

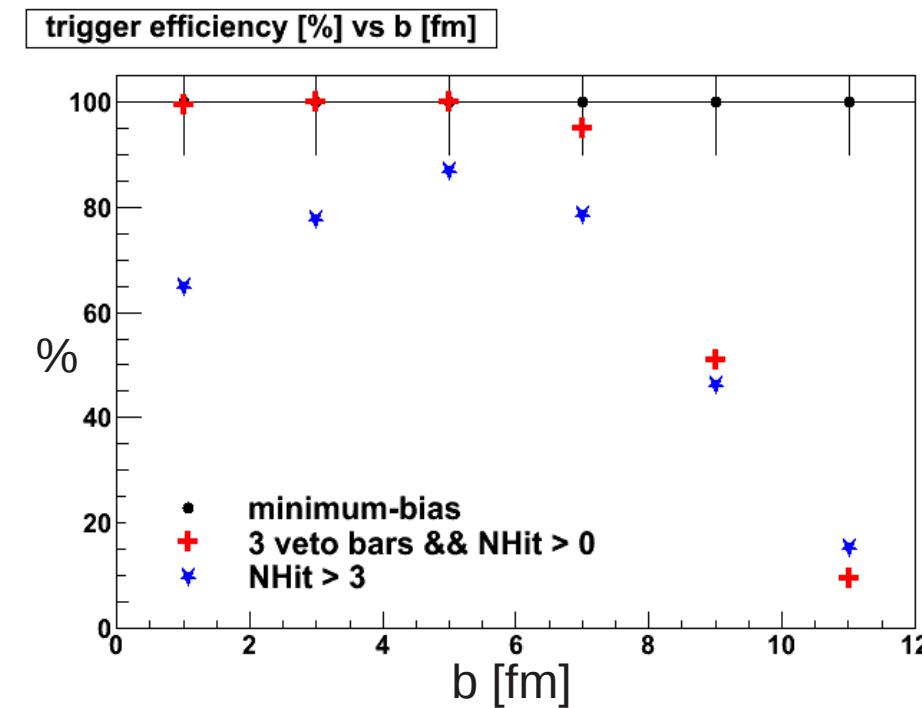
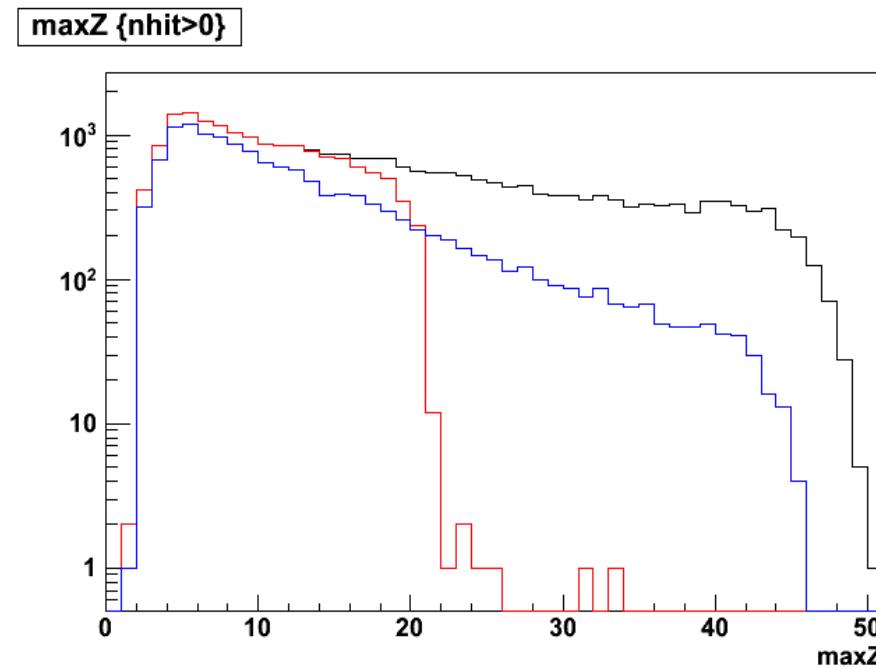
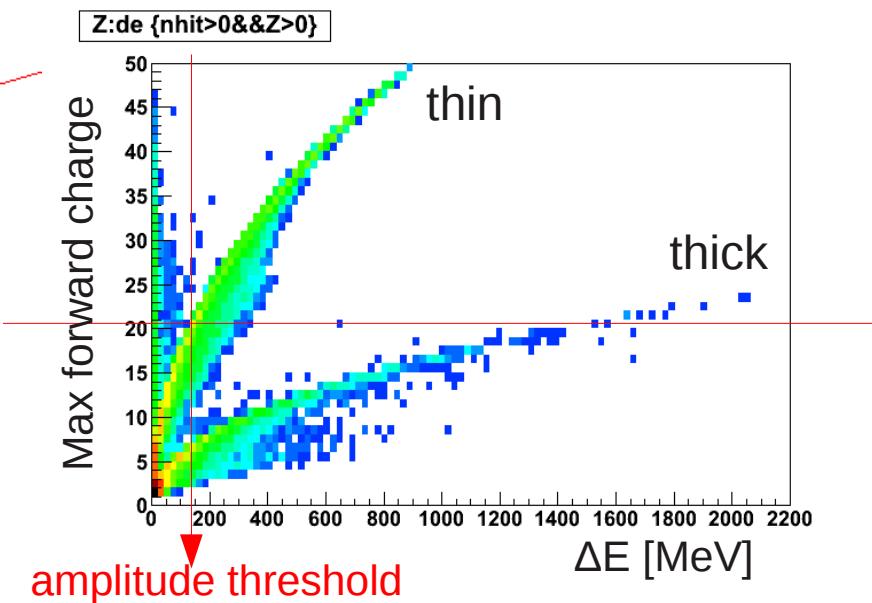
$$dAoverA = \frac{\sqrt{ds^2 \ gamma^4 \ R^2 + b^2 \ c^2 \ dt^2 \ gamma^4 \ R^2 + dR^2 \ s^2}}{R \ s} * 235.5 (\% FWHM *)$$

```
Out[295]= 5.11943 → up to Z≈10
```

S87310URQM



3 veto bars  $10 \times 40 \times 0.1 \text{ cm}^3$  with 5mm overlap +  
10 multiplicity bars  $10 \times 40 \times 1 \text{ cm}^3$   
veto bars read out from both sides  
multiplicity bars read out from one side  $\rightarrow$  16 channels

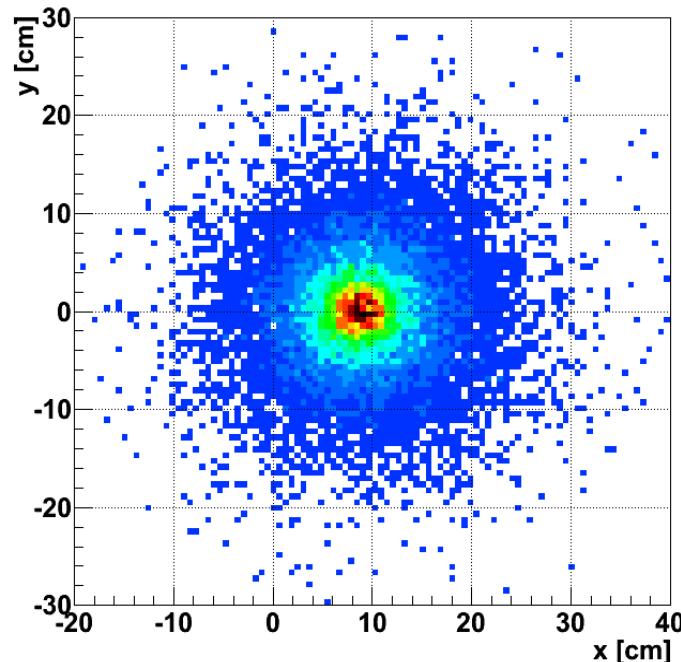


$Z>10$ ,  $Z>20$  and  $Z>40$  spots 5 cm behind the exit TPC window,  $B=0.5$  T, 4x4cm<sup>2</sup> target  
Sn+Sn @ 300 AMeV, UrQMD+clustering

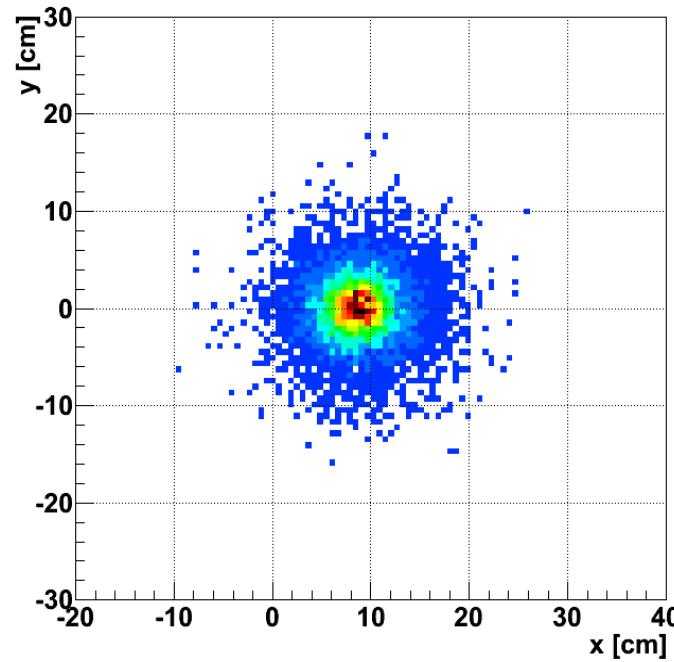
S41URQM

D

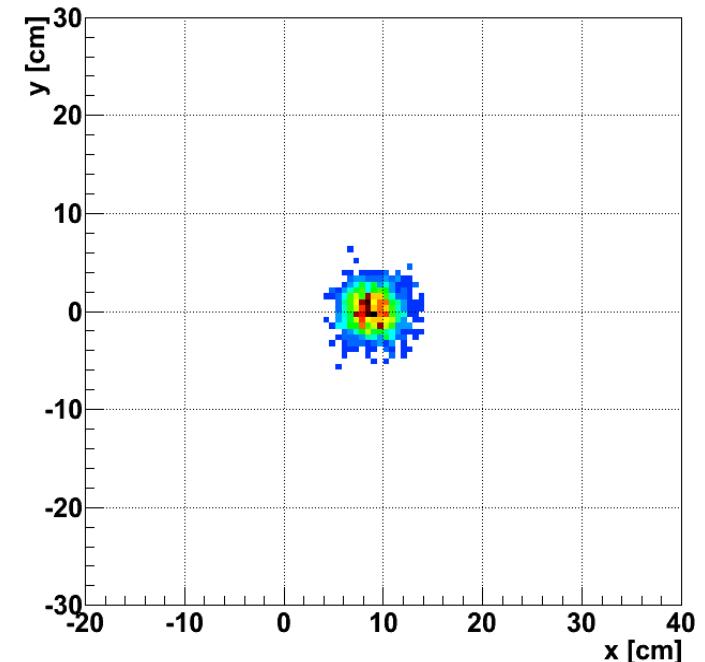
y:-x {Z>10}



y:-x {Z>20}



y:-x {Z>40}



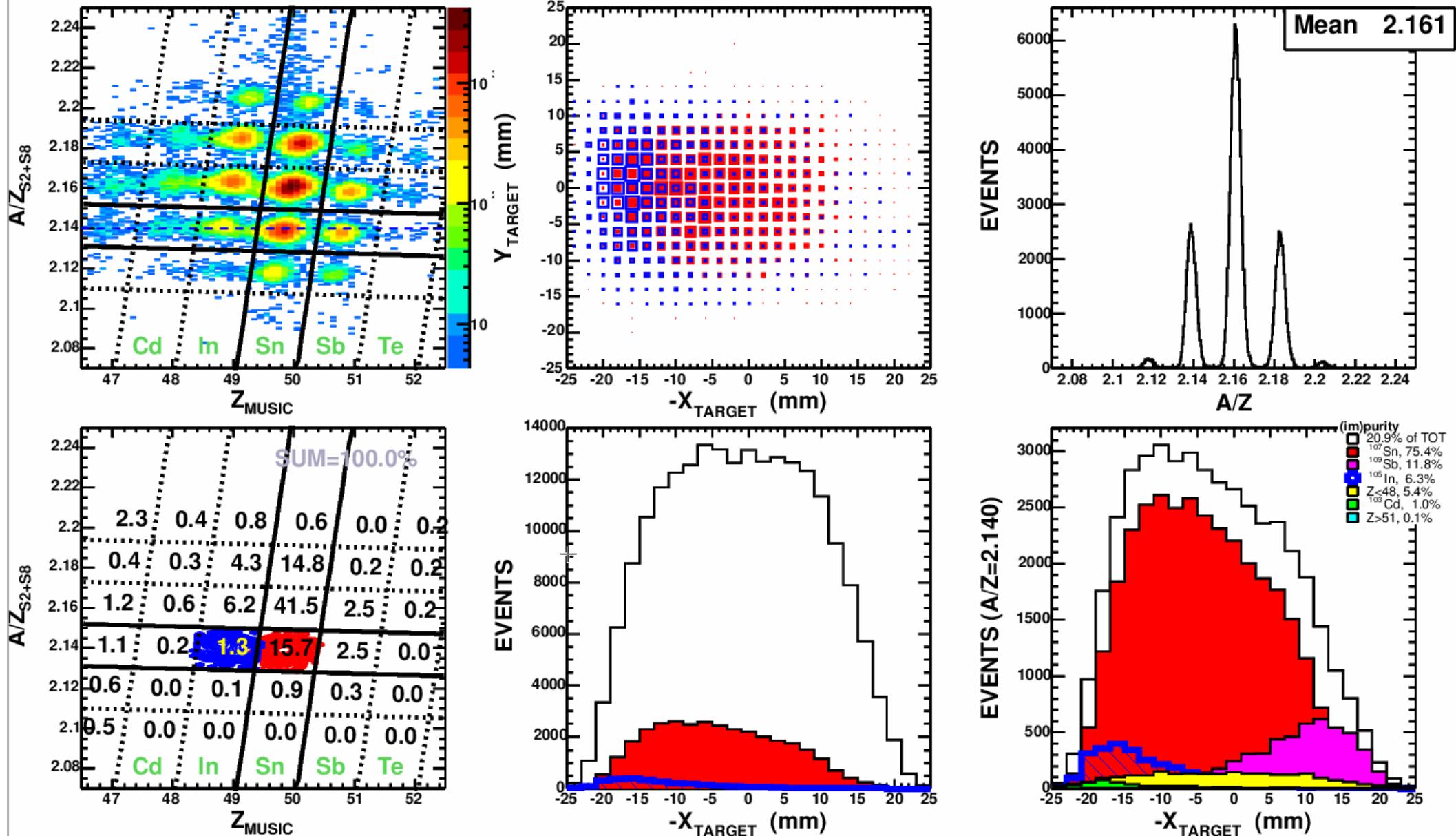
# problems

- Beam hole – should be reduced
- Area around the beam – requires more segmented detectors
- “Cracks” between plastic bars (use double walls...?)
- Tracking in air – less accurate, precise field maps needed
- Can we adapt the TPC for more peripheral collisions ( $T \sim 4\text{-}5 \text{ MeV}$ )?
- ...

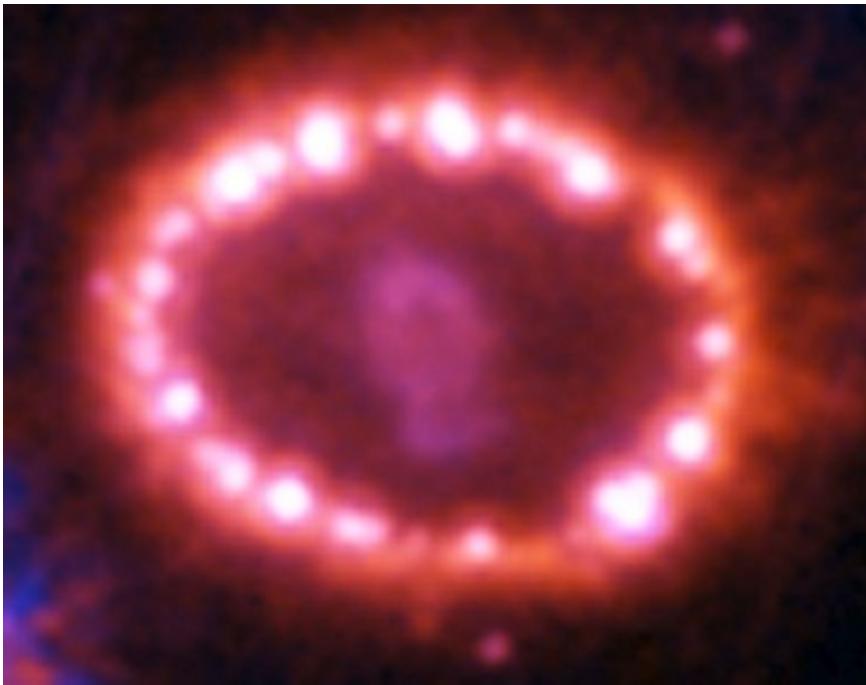
# summary

- relativistic neutron rich exotic beams needed
- various projectiles for isoscaling and Esym
- high efficiency and mass resolution for temperature extraction
- projectile fragmentation @ non-central collisions to reduce radial flow, to obtain the right temperature range (4-5 MeV) and to get the neutron rich environment
- or spallation-like inverse kinematics reactions
- better coverage around the beam needed, high position resolution for corr. funct.
- neutron measurement for T and Esym

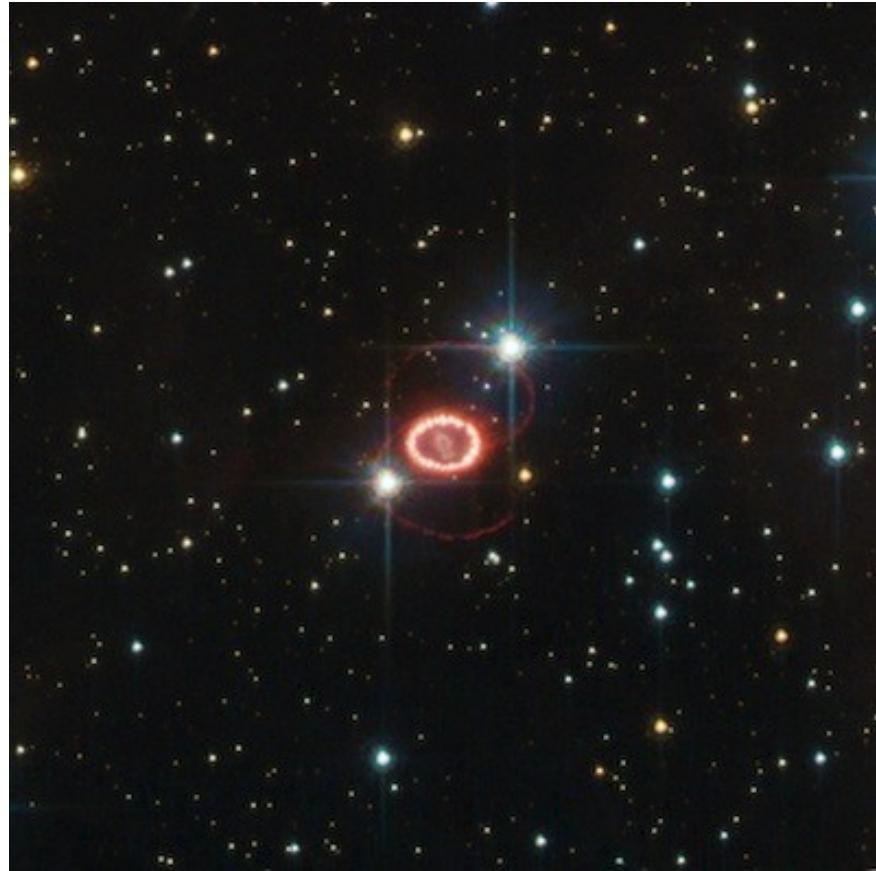
# $^{107}\text{Sn}$ runs 1952-1996, beam trigger



# Twenty-five years after supernova 1987A



The string of pearls clumps of matter in an older ring of debris around SN 1987A that are being heated as shock waves and debris from the supernova crash into them. Image: NSA/P Challis and R Kirshner (Harvard Smithsonian CfA)/B Sugerman (STScI).



A wider view of the region around SN 1987A, showing the inner ring and two outer rings. Image: ESA/Hubble and NASA.

$b = 6 \text{ fm}$

$b = 4 \text{ fm}$

