Exploring the proton structure with TMDs in SIDIS

Francesca Giordano Riken, Wako, Japan, 30 June 2015



* from Symmetry Magazine



1970s: Quantum ChromoDynamics 2015: still not able to describe QCD fundamental state: the proton

Small distances: 1970s: Asymptotic freedom, Quantum ChromoDynamics Perturbative theory= calculable! 2015: still not able to describe QCD fundamental state: the proton



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1970s: Quantum ChromoDynamics

Where is the Spin of the Proton?

How are Quarks and Gluons distributed in the Proton?

<mark>#igg</mark> s ∼1% ▼	Proton Mass	Proton Momentum	Proton Spin
Quarks	~5%	~50%	30%
Gluons	~95%	~50%	?



Small distances: Asymptotic freedom, Perturbative theory= calculable!

Large distances: Non-Perturbative = Not calculable! Color confinement Fragmentation

2015: still not able to describe QCD fundamental state: the proton



Inclusive DIS















 $\mathrm{d}\sigma \propto L_{\mu\nu}W^{\mu\nu}$









 $\frac{d\sigma}{dx \, dQ^2} = \frac{\alpha^2}{2sxQ^2} L^{(S)}_{\mu\nu} W^{(S)}_{\mu\nu} =$ No other assumption $\frac{2\pi\alpha^2}{Q^4} \left\{ F_1(x,Q^2)y^2 + \left(1-y - \frac{Mxy}{2E}\right) \frac{F_2(x,Q^2)}{x} \right\}$

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V

x



Parton Distribution Functions

Collinear case

PDFs Leading Twist Table



Partonic Interpretation Factorizable in the cross-section!

Accessible in various reactions: Universal!

x-dependence= lD!



Parton Distribution Functions

Collinear case

PDFs Leading Twist Table



Partonic Interpretation Factorizable in the cross-section!

Accessible in various reactions: Universal!

Need for Global analyses!



x-dependence=

Parton Distribution Functions

Collinear case

PDFs Leading Twist Table



x-dependence=

1D!

Partonic Interpretation Factorizable in the cross-section!

Accessible in various reactions: Universal! = different energies

Need for Global analyses!

DGLAP evolution



Momentum distribution

Collinear case









Collinear case















Collinear case



 $h_1^q(x) = q^{\uparrow\uparrow}(x) - q^{\uparrow\Downarrow}(x)$

x = parton momentum fraction







helicity flip!



Transversity is chiral-odd!



x = parton momentum fraction





 $h_1^q(x) = q^{\uparrow\uparrow}(x) - q^{\uparrow\Downarrow}(x)$ in helicity basis $|\uparrow,\downarrow\rangle = \frac{1}{\sqrt{2}}(|+\rangle \pm i|-\rangle)$ 00000000 helicity flip!

Transversity is chiral-odd!







in helicity basis $|\uparrow,\downarrow\rangle = \frac{1}{\sqrt{2}}(|+\rangle \pm i|-\rangle)$ 000000 helicity flip!

Transversity is chiral-odd!

x = parton momentum fraction



Collinear case







chiral odd chiral odd

chiral even







x = parton momentum fraction

 $h_1^q(x) = q^{\uparrow\uparrow\uparrow}(x) - q^{\uparrow\Downarrow}(x)$







no gluon transversity (in proton) and quark and gluon transversities don't mix!

x = parton momentum fraction

Chiral even DIS reaction: semi inclusive DIS



$$\frac{d^3\sigma}{dxdydz} = \frac{\alpha^2}{xyQ^2} \left(1 + \frac{\gamma^2}{2x}\right) \left\{ A(y) F_{UU,T} + B(y) F_{UU,L} \right\}$$


Proton Structure



 $\frac{d^3\sigma}{dxdydz} = \frac{\alpha^2}{xyQ^2} \left(1 + \frac{\gamma^2}{2x}\right) \left\{ A(y) F_{UU,T} + B(y) F_{UU,L} \right\}$

Proton Structure



Factorization of Non-Perturbative Parts!







 h_1 H

chiral odd

DIS reaction: semi inclusive DIS



chiral even

chiral odd

x = parton momentum fraction

Collinear case

Collins Fragmentation



Interference Fragmentation





Collinear case





Collinear case



outgoing hadron direction



Collinear case





Collinear case



Collinear case

1D

transverse longitudinal

o parton spin

$$\begin{split} \frac{d\sigma^{h}}{dx \, dy \, d\phi_{S} \, dz \, d\phi \, dP_{h\perp}^{2}} &= \frac{\alpha^{2} \quad y^{2}}{xyQ^{2} 2(1-\epsilon)} \left(1 + \frac{\gamma^{2}}{2x}\right) \\ \left\{ \begin{array}{c} \left[F_{\mathrm{UU,T}} + \epsilon F_{\mathrm{UU,L}} & \Box \\ &+ \sqrt{2\epsilon(1+\epsilon)}\cos(\phi)F_{\mathrm{UU}}^{\cos(\phi)} + \epsilon\cos(2\phi)F_{\mathrm{UU}}^{\cos(2\phi)}\right] \\ + & \lambda_{l} \left[\sqrt{2\epsilon(1-\epsilon)}\sin(\phi)F_{\mathrm{LU}}^{\sin(\phi)}\right] \\ + S_{L} \left[\sqrt{2\epsilon(1+\epsilon)}\sin(\phi)F_{\mathrm{UL}}^{\sin(\phi)} + \epsilon\sin(2\phi)F_{\mathrm{UL}}^{\sin(2\phi)}\right] \\ + S_{L} \lambda_{l} \left[\sqrt{1-\epsilon^{2}}F_{\mathrm{LL}} + \sqrt{2\epsilon(1-\epsilon)}\cos(\phi)F_{\mathrm{LL}}^{\cos(\phi)}\right] \\ + S_{T} \left[\sin(\phi - \phi_{S})\left(F_{\mathrm{UT,T}}^{\sin(\phi-\phi_{S})} + \epsilon\sin(3\phi - \phi_{S})F_{\mathrm{UT}}^{\sin(3\phi-\phi_{S})} + \sqrt{2\epsilon(1+\epsilon)}\sin(\phi_{S})F_{\mathrm{UT}}^{\sin(\phi,\phi)} + \epsilon\sin(3\phi - \phi_{S})F_{\mathrm{UT}}^{\sin(3\phi-\phi_{S})} \\ + \sqrt{2\epsilon(1+\epsilon)}\sin(\phi_{S})F_{\mathrm{UT}}^{\sin(\phi,\phi)} + \epsilon\sin(3\phi - \phi_{S})F_{\mathrm{UT}}^{\sin(3\phi-\phi_{S})} \\ + \sqrt{2\epsilon(1+\epsilon)}\sin(2\phi - \phi_{S})F_{\mathrm{UT}}^{\cos(\phi-\phi_{S})}\right] \\ + S_{T} \lambda_{l} \left[\sqrt{1-\epsilon^{2}}\cos(\phi - \phi_{S})F_{\mathrm{UT}}^{\cos(\phi,\phi)} \\ + \sqrt{2\epsilon(1-\epsilon)}\cos(2\phi - \phi_{S})F_{\mathrm{LT}}^{\cos(2\phi-\phi_{S})}\right] \right\} \\ \mathbf{target} \\ \mathbf{polarization} \\ F_{XY,Z} = F_{XY,Z}(x, y, z, P_{h\perp}) \end{split}$$

virtual photon

polarization

 \vec{k} \vec{j} \vec{j}

TMDs Leading Twist Table

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beam

polarization

$$\begin{split} \frac{d\sigma^{h}}{dx\,dy\,d\phi_{S}\,dz\,d\phi\,d\mathbf{P}_{h\perp}^{2}} &= \frac{\alpha^{2}}{xyQ^{2}}\frac{y^{2}}{2\left(1-\epsilon\right)}\left(1+\frac{\gamma^{2}}{2x}\right) \\ \left\{ \begin{array}{c} \left[F_{\mathrm{UU,T}}+\epsilon F_{\mathrm{UU,L}}\right] \\ +\sqrt{2\epsilon\left(1+\epsilon\right)}\cos\left(\phi\right)F_{\mathrm{UU}}^{\cos\left(\phi\right)}+\epsilon\cos\left(2\phi\right)F_{\mathrm{UU}}^{\cos\left(2\phi\right)}\right] \\ + &\lambda_{l}\left[\sqrt{2\epsilon\left(1-\epsilon\right)}\sin\left(\phi\right)F_{\mathrm{LU}}^{\sin\left(\phi\right)}\right] \\ + &S_{L}\left[\sqrt{2\epsilon\left(1+\epsilon\right)}\sin\left(\phi\right)F_{\mathrm{UL}}^{\sin\left(\phi\right)}+\epsilon\sin\left(2\phi\right)F_{\mathrm{UL}}^{\sin\left(2\phi\right)}\right] \\ + &S_{L}\lambda_{l}\left[\sqrt{1-\epsilon^{2}}F_{\mathrm{LL}}+\sqrt{2\epsilon\left(1-\epsilon\right)}\cos\left(\phi\right)F_{\mathrm{LL}}^{\cos\left(\phi\right)}\right] \\ + &S_{T}\left[\frac{\sin\left(\phi-\phi_{S}\right)\left(F_{\mathrm{UT,T}}^{\sin\left(\phi-\phi_{S}\right)}\right)}{+\epsilon\sin\left(\phi+\phi_{S}\right)F_{\mathrm{UT}}^{\sin\left(\phi+\phi_{S}\right)}\right)}+\epsilon\sin\left(3\phi-\phi_{S}\right)F_{\mathrm{UT}}^{\sin\left(3\phi-\phi_{S}\right)}\right) \\ + &\sqrt{2\epsilon\left(1+\epsilon\right)}\sin\left(\phi_{S}\right)F_{\mathrm{UT}}^{\sin\left(\phi+\phi_{S}\right)}\right] \\ + &S_{T}\lambda_{l}\left[\sqrt{1-\epsilon^{2}}\cos\left(\phi-\phi_{S}\right)F_{\mathrm{UT}}^{\cos\left(\phi-\phi_{S}\right)}\right] \\ + &S_{T}\lambda_{l}\left[\sqrt{1-\epsilon^{2}}\cos\left(\phi-\phi_{S}\right)F_{\mathrm{LT}}^{\cos\left(\phi-\phi_{S}\right)}\right] \\ + &\sqrt{2\epsilon\left(1-\epsilon\right)}\cos\left(2\phi-\phi_{S}\right)F_{\mathrm{LT}}^{\cos\left(2\phi-\phi_{S}\right)}\right] \right\} \end{split}$$

How can we disentangle all these contributions ?

EXPERIMENT: setting the proper beam and target polarization states (U, L, T)

ANALYSIS: fitting the cross section asymmetry for opposite spin states and extracting the relevant Fourier components based on their peculiar azimuthal dependences.

$$A^{h}_{\mathrm{U}\perp} = rac{\sigma^{h}_{\mathrm{U}\Uparrow} - \sigma^{h}_{\mathrm{U}\Downarrow}}{\sigma^{h}_{\mathrm{U}\Uparrow} + \sigma^{h}_{\mathrm{U}\Downarrow}}$$

Depends on transverse momentum!

Collins Fragmentation

(and same in the denominator for the unpolarized pdfs and ffs) TMDI **Interference Fragmentation**

(same in the denominator)

Collins amplitudes

 $A_{UT} \propto h_1 \otimes H_1^{\perp}$

Non-zero transversity!

Opposite sign for favored and unfavored FF

L T L C C S Collins amp h_{1L}^{\perp} g_{1L}

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0.08

0.06 0.04 0.02

0

∾ -0.02

0.05

-0.05

-0.1

-0.02

-0.04 -0.06

-0.08

10 ⁻¹

0

⟨sin(ϕ+ϕ_S)⟩^π_{UT}

z

p_T^h (GeV/c)

 $A_{UT} \propto h_1 \otimes H_1^{\perp}$

First access in SIDIS

Complementary reactions FF universality assumed TMD factorization assumed

х

First access in SIDIS

Complementary reactions FF universality assumed TMD factorization assumed

Very different energies between Hermes/Compass and Belle: Is TMD evolution different from Collinear?

Collinear evolution assumed

First access in SIDIS

Complementary reactions FF universality assumed TMD factorization assumed

Very different energies between Hermes/Compass and Belle: Is TMD evolution different from Collinear?

Collinear evolution assumed

Different energies at Hermes/ Compass: how does transversity evolve?

No evolution assumed

-0.2

0.2

0.4

0.6

0.8

х

First access in SIDIS

Which is the TMD transversity and the TMD Collins pT dependence? And the unpolarized TMD pT dependence?

Gaussian pT dependence assumed

Complementary reactions FF universality assumed TMD factorization assumed

Very different energies between Hermes/Compass and Belle: Is TMD evolution different from Collinear?

Collinear evolution assumed

<u>Different energies at Hermes/</u> <u>Compass: how does transversity</u> <u>evolve?</u>

No evolution assumed

IFF amplitudes

IFF amplitudes

Universality & factorization ok for collinear FF and PDF

Collinear evolution well known

pT dependence not needed

Still: collinear and TMD transversity extracted not in conflict!

IFF amplitudes

Universality & factorization ok for collinear FF and PDF

collinear and TMD transversity extracted not in conflict!

Collins amplitudes

Non-zero signal for K⁺! K⁺ amplitudes larger than π^+

Collins amplitudes

Collins FF for kaons from Belle

Non-zero signal for K⁺! K⁺ amplitudes larger than π^+

$$\begin{split} \frac{d\sigma^{h}}{dx\,dy\,d\phi_{S}\,dz\,d\phi\,d\mathbf{P}_{h\perp}^{2}} &= \frac{\alpha^{2}}{xyQ^{2}2(1-\epsilon)} \left(1+\frac{\gamma^{2}}{2x}\right) \\ \left\{ \begin{array}{c} \left[F_{\mathrm{UU,T}} + \epsilon F_{\mathrm{UU,L}} + \sqrt{2\epsilon(1+\epsilon)}\cos\left(\phi\right)F_{\mathrm{UU}}^{\cos\left(\phi\right)} + \frac{1}{\epsilon}\cos\left(2\phi\right)F_{\mathrm{UU}}^{\cos\left(2\phi\right)}\right] \\ + \sqrt{2\epsilon(1+\epsilon)}\sin\left(\phi\right)F_{\mathrm{LU}}^{\sin\left(\phi\right)}\right] \\ + S_{L} \left[\sqrt{2\epsilon(1-\epsilon)}\sin\left(\phi\right)F_{\mathrm{UL}}^{\sin\left(\phi\right)} + \epsilon\sin\left(2\phi\right)F_{\mathrm{UL}}^{\sin\left(2\phi\right)}\right] \\ + S_{L} \lambda_{l} \left[\sqrt{1-\epsilon^{2}}F_{\mathrm{LL}} + \sqrt{2\epsilon(1-\epsilon)}\cos\left(\phi\right)F_{\mathrm{LL}}^{\cos\left(\phi\right)}\right] \\ + S_{T} \left[\frac{\sin\left(\phi-\phi_{S}\right)\left(F_{\mathrm{UT,T}}^{\sin\left(\phi-\phi_{S}\right)}\right)}{\epsilon\sin\left(\phi+\phi_{S}\right)F_{\mathrm{UT}}^{\sin\left(\phi+\phi_{S}\right)}\right)} + \epsilon\sin\left(3\phi-\phi_{S}\right)F_{\mathrm{UT}}^{\sin\left(3\phi-\phi_{S}\right)}\right) \\ + \sqrt{2\epsilon(1+\epsilon)}\sin\left(\phi_{S}\right)F_{\mathrm{UT}}^{\sin\left(\phi+\phi_{S}\right)} \\ + \sqrt{2\epsilon(1+\epsilon)}\sin\left(2\phi-\phi_{S}\right)F_{\mathrm{UT}}^{\sin\left(2\phi-\phi_{S}\right)}\right] \\ + S_{T} \lambda_{l} \left[\sqrt{1-\epsilon^{2}}\cos\left(\phi-\phi_{S}\right)F_{\mathrm{LT}}^{\cos\left(\phi-\phi_{S}\right)}\right] \\ + \sqrt{2\epsilon(1-\epsilon)}\cos\left(2\phi-\phi_{S}\right)F_{\mathrm{LT}}^{\cos\left(2\phi-\phi_{S}\right)}\right] \right\} \end{split}$$

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Azimuthal asymmetries generated by correlations between quark transverse momentum and

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istic interpretation

the proton transverse spin

$$f_{1T}^{\perp} = - \bigcirc + - - \bigcirc +$$
 Sivers

$$h_1^{\perp} =$$

$$g_{1T} =$$

$$h_{1L}^{\perp} =$$

$$h_{1T}^{\perp} =$$

Azimuthal asymmetries generated by correlations between quark transverse momentum and

istic interpretation

the proton transverse spin

$$f_{1T}^{\perp} = - + - + - +$$
 Sivers

the parton transverse spin

Boer-Mulders

ednesday, May 11, 2011

 $g_{1T} =$

• I

$$h_{1L}^{\perp} =$$

$$h_{1T}^{\perp} =$$

Azimuthal asymmetries generated by correlations between quark transverse momentum and istic interpretation the proton transverse spin the parton transverse spin $f_{1T}^{\perp} =$ **Sivers Boer-Mulders** $h_{1}^{\perp} =$ XX X 5 S.Im $g_{1T} =$ Spatial deformation due X 5 to spin-orbit correlations X 51 $h_{1L}^{\perp} =$ M. X 58 $h_{1T}^{\perp} =$ 美麗 XX X2 Ra film (2...lim 33 Francesca Giordano
Azimuthal asymmetries generated by correlations between quark transverse momentum and istic interpretation the proton transverse spin the parton transverse spin **Sivers Boer-Mulders** hat hare Naively T-odd хx X 5 Zolfind Final State Interaction Spatial deformation due to spin-orbit correlations FSI Selfind X 51 $h_{1T}^{\perp} =$ X X X 51 Z. Kot Z., film 33 Francesca Giordano

Azimuthal asymmetries generated by correlations between quark transverse momentum and

istic interpretation

the proton transverse spin

$$f_{1T}^{\perp} = - \bigcirc + - - \bigcirc +$$
 Sivers

the parton transverse spin



Boer-Mulders





Wednesday, May 11, 2011

Special Universality! Change of sign of Naive T-odd function from SIDIS to Drell-Yan



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 $h_{1T}^{\perp} =$





Boer-Mulders-Collins effect



$Cos 2\Phi$: Pions & Kaons





Pion and Kaon results are very different: possibly related to fragmentation that involve the strange?



 π^{-}

The Kaon puzzle

Boer-Mulders-Collins Asymmetries 2 (cos2¢)_{UU} 0.1 h⁺ Phys.Rev.D87:012010, 2013 $\begin{array}{c} \bullet ep \rightarrow eh X \\ \bullet ep \rightarrow e\pi X \\ \bullet ep \rightarrow eK X \end{array}$ -0.1 -0.2 2 (cos2¢)_{UU} h 0.1 -0.1 0.4 0.5 0.6 0.7 0.4 0.5 0.6 0.3 0.4 0.5 0.6 101 P_{hi} [GeV] х z у

Pion and Kaon results are very different: Kaons: Larger asymmetries, same sign for K+ and K-

Transversity-Collins Asymmetries





The Kaon puzzle

Boer-Mulders-Collins Asymmetries 2 (cos2¢)_{uu} 0.1 h+ Phys.Rev.D87:012010, 2013 →ehX →eπX →eKX -0.1 -0.2 2 (cos2¢)_{UU} h 0.1 -0.1 0.5 0.6 0.7 0.4 0.5 0.3 0.4 0.5 0.6 0.4 0.6 101 P_h [GeV] х z y

Pion and Kaon results are very different: Kaons: Larger asymmetries, same sign for K+ and K-

Transversity-Collins Asymmetries









Transverse Momentum dependent PDFs

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More TMDs





TMDs open points:

- What is the pT dependence of TMD polarized and unpolarized pdfs? And of polarized and unpolarized fragmentation functions? Mostly missing!!

- How do TMD pdfs and fragmentation functions evolve? Work in progress!!

<u>- Do naive-T-odd TMDs obey the 'special universality'?</u> <u>Compass Drell-Yan run just started</u>



Exciting times!





Thank you!



Backup slides



Hall A







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44

۰K

^{0.4}x_{bj}

0.3



HERMES@DESY

COMPASS@CERN











COMPASS@CERN

