D meson properties in nuclear medium from QCD sum rules

Kei Suzuki (RIKEN)

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Collaboration with Philipp Gubler (ECT*) and Makoto Oka (TITech)

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Outline of talk

1. Introduction - Hadrons in nuclear matter

- Chiral symmetry restoration
- Charge symmetry breaking
- 2. QCD sum rules in nuclear matter

3. Results and summary

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1. Introduction

Hadrons in nuclear matter

ρ, ω, ϕ mesons in nuclear matter

- Probe of chiral symmetry restoration
- Many theoretical predictions
- Some experimental indications



M. Naruki et al., (KEK E-325), PRL 96 (2006) 092301

D meson in nuclear matter

 (\mathcal{U})

- Probe of chiral symmetry restoration, D-N ($\overline{D}-N$) interaction, mesic nuclei
- Many theoretical predictions
- No experiment (future at J-PARC/FAIR)

Many theoretical works for **D** meson in matter

Coupled chanel approach

L. Tolos, J. Schaffner-Bielich, and A. Mishra, PRC70, 025203 (2004)

M. Lutz and C. Korpa, PLB633, 43 (2006)

T. Mizutani and A. Ramos, PRC74, 065201 (2006)

L. Tolos, A. Ramos, and T. Mizutani, PRC77, 015207 (2008)

L. Tolos, C. Garcia-Recio, and J. Nieves, PRC80, 065202 (2009)

C. Jimenez-Tejero, A. Ramos, L. Tolos, and I. Vidana, PRC84, 015208 (2011)

Mean field approach

A. Mishra, E. Bratkovskaya, J. Schaffner-Bielich, S. Schramm, and H. Stoecker, PRC69, 015202 (2004)

A. Mishra and A. Mazumdar, PRC79, 024908 (2009)

A. Kumar and A. Mishra, PRC81, 065204 (2010)

A. Kumar and A. Mishra, EPJ. A47, 164 (2011)

Pion exchange model for Dbar -N

S. Yasui and K. Sudoh, PRC87, 015202 (2013)

QMC model

K. Tsushima, D.-H. Lu, A. W. Thomas, K. Saito, and R. Landau, PRC59, 2824 (1999)

A. Sibirtsev, K. Tsushima, and A. W. Thomas, EPJ. A6, 351 (1999)

QCD sum rules

P. Morath, W. Weise, and S.-H. Lee (1999)

A. Hayashigaki, PLB487, 96 (2000)

T. Hilger, R. Thomas, and B. Kampfer, Phys. Rev. C79,025202 (2009)

K. Azizi, N. Er, and H. Sundu, EPJ. C74, 3021 (2014)

W.Z. Gang (2015) arXiv:1501.05093 [hep-ph]

D meson in nuclear matter If a D meson is put into nuclear matter, what will happen ?

In vacuum

In nuclear matter

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d

u

U

d

U

d d

U

d

U

d

du

d

6

C d

Key points *u*1. Chiral symmetry restoration (χSR)
2. Charge symmetry breaking (CSB)
= Particle - anti-particle symmetry

Chiral symmetry restoration in nuclear matter



U

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U

U

d

d

 \boldsymbol{q}

d

u

d

11

U

U

d

d

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d

Chiral symmetry restoration changes hadron masses

 $\langle \overline{q}q \rangle$



Different hadron mass shifts by Chiral symmetry restoration

ρ and *φ* meson masses are decreased by chiral symmetry restoration
 α

D meson mass is <u>increased</u> by chiral symmetry restoration

d



cf.) Chiral partner: <u>Pseudoscalar ⇔ Scalar</u>

u d

d d





Chiral partner degenerates by chiral symmetry restoration

Charge Symmetry Breaking = imbalance b/w particle and anti-particle

Nuclear matter has only nucleons (NOT anti-nucleon) and quarks (NOT anti-quark)

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D meson has only one light anti-quark

 ρ and φ mesons have one quark and one anti-quark

 \overline{D} meson has only one light quark

⇒ ρ and φ mesons in NM : NOT probe of charge symmetry breaking ⇒Heavy-light meson in NM: a probe of charge symmetry breaking

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Ex. Quark Pauli blocking

Only D⁻ feels <u>repulsive</u> forces from Pauli effect ⇒positive mass shift

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2. QCD sum rule in nuclear medium

QCD sum rule

M.A. Shifman, A.I. Vainshtein, and V.I. Zakharov, Nucl. Phys. B147, 385 (1979); B147, 448 (1979)

Relation between operator product expansion (OPE) of QCD correlation function and hadron spectral function

$$\prod_{OPE}(M^2) = \int_0^\infty K(s, M^2) \rho(s) ds$$

Ha

QCD vacuum condensates

Quark and Gluon dynamics

 $\langle G_{\mu\nu}G^{\mu\nu}$



 $\langle \overline{q}q \rangle$

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etc...

Hadron properties (mass, width...)

QCD sum rules in medium

 $\Pi_{\text{OPE}}(M^2) = \int_0^\infty K(s, M^2) \rho(s) \, ds$

Hadron modification Medium modification of OPE INPUT OUTPUT T- depend. density depend. (ex. in hot π gas, QGP) (ex. in nuclear matter) 000 u 300, u d a d 500, u d d

⇒QCD sum rule relates modification of OPE (or condensate) to modification of hadron state

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QCD sum rules in nuclear matter



T. Hilger, R. Thomas, B. Kampfer, PRC79 (2009) 025202

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Condensates in nuclear matter

Chiral-symmetry-breaking condensates

 $\langle \bar{q}q \rangle_n = \langle \bar{q}q \rangle_{vac} + \frac{\sigma_N}{2m_q} n \qquad \qquad \langle \bar{q}g\sigma Gq \rangle_n = \lambda^2 \langle \bar{q}q \rangle_n$

Others (Gluon cond., Twist cond., ...)

$$\left\langle \frac{\alpha_s}{\pi} G^2 \right\rangle_n = \left\langle \frac{\alpha_s}{\pi} G^2 \right\rangle_{vac} - \frac{8M_N^0}{9}n \qquad \left\langle \frac{\alpha_s}{\pi} \left(\frac{(vG)^2}{v^2} - \frac{G^2}{4} \right) \right\rangle_n = (-0.05 \text{GeV})n$$

$$\left\langle q^{\dagger} i D_0 q \right\rangle_n = \frac{3}{8} M_N A_2^q (\mu^2)n \qquad \left[\left\langle \bar{q} D_0^2 q \right\rangle_n - \frac{1}{8} \langle \bar{q} g \sigma G q \rangle_n \right] = -\frac{3}{4} M_N^2 e_2^q (\mu^2)n$$

 \Rightarrow Same sign contribution to *D* and \overline{D} meson

Charge-symmetry-breaking condensates

$$\langle q^{\dagger}q \rangle_{n} = \frac{3}{2}n \qquad \langle q^{\dagger}g\sigma Gq \rangle_{n} = (0.33 \text{GeV}^{2})n \qquad \langle q^{\dagger}D_{0}^{2}q \rangle_{n} = -\frac{1}{4}M_{N}^{2}A_{3}^{q}(\mu^{2})n + \frac{1}{12}\langle q^{\dagger}g\sigma q \rangle_{n}$$
$$\Rightarrow \text{Opposite sign contribution to } D \text{ and } \overline{D} \text{ meson}$$

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KS, P. Gubler and M. Oka

 \overline{d}

D meson spectral function (in vacuum)



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KS, P. Gubler and M. Oka **D** meson spectral function (in medium) \overline{C}



 \Rightarrow Peak position in D[±] shifts to higher energy side with increasing density (D⁺: ~5MeV D⁻: ~15MeV at ρ_0)

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 \overline{c}

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Comparison of D⁺and D⁻



\Rightarrow D⁺-D⁻ mass splitting is about <u>10 MeV</u> at ρ_0

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Summary of D meson in nuclear matter

	D+ c ā	D- c d
χ SR = $\langle \bar{q}q \rangle$ reduction	Increase 1 u u a u u a u u u u	Increase 1 u u u u u u u u u u
CSB effect	Decrease↓	Increase Pauli blocking?
Our results	Increase↑ (~5MeV)	More increase↑↑(~15MeV)

\Rightarrow D meson is a good probe of χ SR and CSB

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Backup

Difference of meson systems

Meson		Dominant contributions in vacuum
Light-Light (ρ, ω meson)	u d	Probe of <u>4-quark</u> and <u>gluon condensates</u> (2-quark condensate is suppressed as $m_q \langle \bar{q}q \rangle$)
Light-Heavy (<i>D, B</i> meson)	C d	Probe of 2-quark condensate as $m_c \langle \bar{q}q \rangle$
Heavy-Heavy $(J/\psi, \Upsilon)$	c c	Almost perturbative object (Probe of gluon condensate) $\langle \frac{\alpha_s}{\pi} G^{\mu\nu} G_{\mu\nu} \rangle$

D meson OPE (in vacuum)

 $\Pi_{OPE}(M^2) = \text{perturbative term}$

$$+e^{-m_c^2/M^2}\left[-m_c\langle \overline{q}q\rangle + \frac{1}{2}\left(\frac{m_c^2}{2M^4} - \frac{1}{M^2}\right)m_c\langle \overline{q}g\sigma Gq\rangle\right]$$

$$+\frac{1}{12}\left\langle\frac{\alpha_{s}}{\pi}G^{2}\right\rangle-\frac{16\pi}{27}\frac{1}{M^{2}}\left(1+\frac{1}{2}\frac{m_{c}^{2}}{M^{2}}-\frac{1}{12}\frac{m_{c}^{4}}{M^{4}}\right)\alpha_{s}\langle\bar{q}q\rangle^{2}]$$

Chiral condensate
 Mixed condensate
 Gluon condensate
 4. 4-quark condensate

Coefficients are proportional to <u>charm</u> <u>quark mass</u> ⇒These terms are <u>enhanced</u> _ Other condensates are

relatively suppressed

