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Hypernuclear and Strange Particle Physics

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Museum of Fine Arts Boston

The hyperon puzzle in Neutron Stars

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INFN Sezione di Pisa**



Neutron Stars: bulk properties

Mass	$M \sim 1.5 M_{\odot}$
Radius	$R \sim 10 \text{ km}$
Centr. Density	$\rho_c = (4 - 8) \rho_0$
Compactness	$R/R_g \sim 2 - 4$
Baryon number	$A \sim 10^{57}$
Binding energy	$B \sim 10^{53} \text{ erg}$
$B/A \sim 100 \text{ MeV}$	$B/(Mc^2) \sim 10\%$

Stellar structure:
General Relativity

Giant “atomic nucleus”
or “hypernucleus”
bound by **gravity**

$$M_{\odot} = 1.989 \times 10^{33} \text{ g} \quad R_{\odot} = 6.96 \times 10^5 \text{ km}$$
$$\rho_0 = 2.8 \times 10^{14} \text{ g/cm}^3 \quad (\text{nuclear saturation density})$$

$$R_{g \odot} = 2.95 \text{ km}$$

$$R_g \equiv 2GM/c^2 \quad (\text{Schwarzschild radius})$$

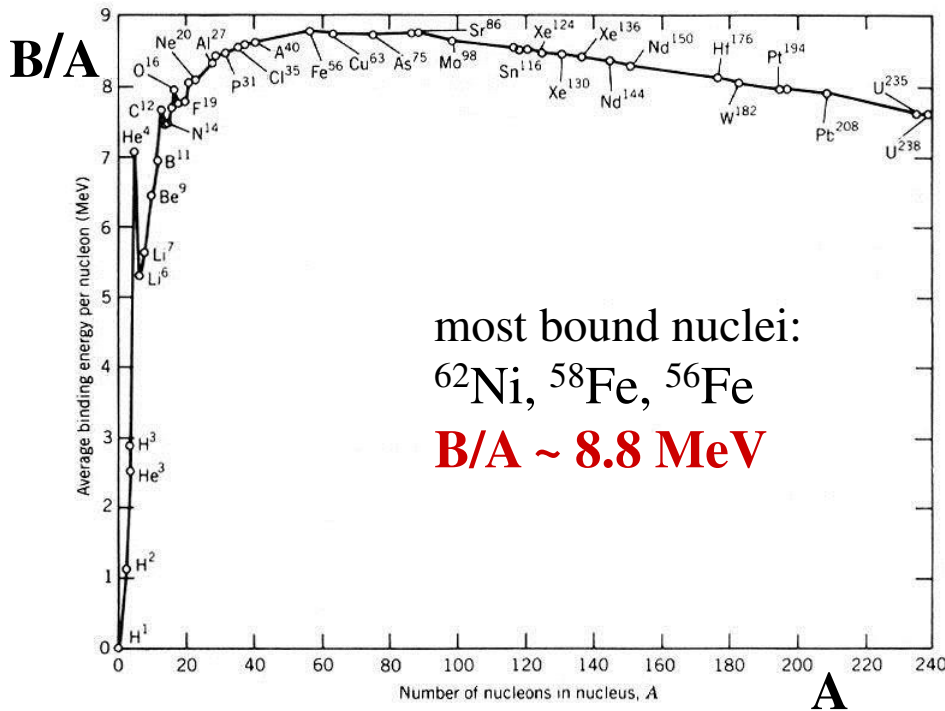


Atomic Nuclei: bulk properties

Mass number $A = 1 - 238$ (natural stable isotopes)

Radius $R = r_0 A^{1/3} \sim (2 - 10) \text{ fm}$

Density $\rho \sim \rho_0 = 2.8 \times 10^{14} \text{ g/cm}^3$



B/(Mc²)
~ (0.1–1)%

bound by
nuclear
interactions



Relativistic equations for stellar structure

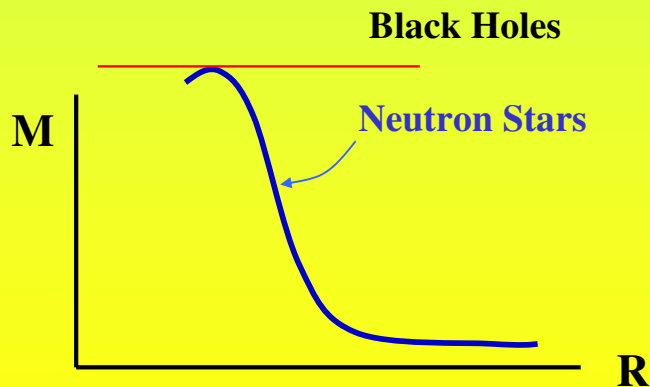
Tolman – Oppenheimer – Volkov equations (TOV)

$$\frac{dP}{dr} = -G \frac{m(r)\rho(r)}{r^2} \left(1 + \frac{P(r)}{c^2\rho(r)} \right) \left(1 + 4\pi \frac{r^3 P(r)}{m(r)c^2} \right) \left[1 - \frac{2Gm(r)}{c^2 r} \right]^{-1}$$

$$\frac{dm}{dr} = 4\pi r^2 \rho(r)$$

$$\frac{d\Phi}{dr} = -\frac{1}{\rho(r)c^2} \frac{dP}{dr} \left(1 + \frac{P(r)}{\rho(r)c^2} \right)^{-1}$$

One needs the
equation of state (EOS) of
 dense matter, $P = P(\rho)$,
 up to **very high densities**



**$M_{\max}(\text{EOS}) \geq$ all measured
 neutron star masses**

Two “heavy” Neutron Stars

PSR J1614–2230

$$M_{\text{NS}} = 1.97 \pm 0.04 M_{\odot}$$

NS – WD binary system (He WD)

$M_{\text{WD}} = 0.5 M_{\odot}$ (companion mass)

$P_{\text{b}} = 8.69 \text{ hr}$ (orbital period) $P = 3.15 \text{ ms}$ (PSR spin period)

$i = 89.17^{\circ} \pm 0.02^{\circ}$ (inclination angle)

P. Demorest et al., Nature 467 (2010) 1081

PSR J0348+0432

$$M_{\text{NS}} = 2.01 \pm 0.04 M_{\odot}$$

NS – WD binary system

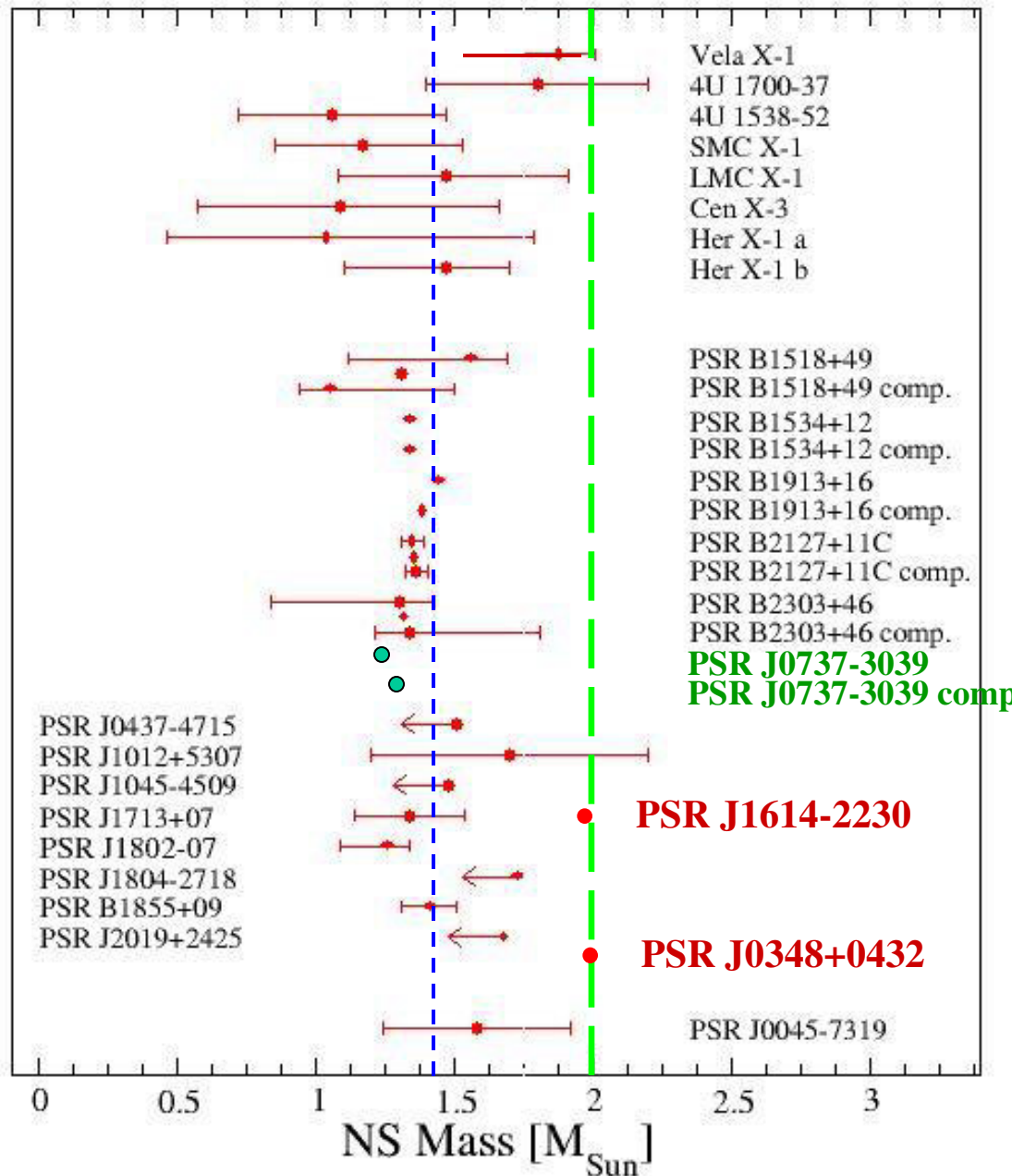
$M_{\text{WD}} = 0.172 \pm 0.003 M_{\odot}$ (companion mass)

$P_{\text{b}} = 2.46 \text{ hr}$ (orbital period) $P = 39.12 \text{ ms}$ (PSR spin period)

$i = 40.2^{\circ} \pm 0.6^{\circ}$ (inclination angle)

Antoniadis et al., Science 340 (2013) 448

Measured Neutron Star Masses



$$M_{\text{max}} \geq 2 M_{\odot}$$



Very stringent
constraint on the
EOS

soft EOS
are
ruled out

Neutron star physics in a nutshell

1) **Gravity** compresses matter at very high density

2) **Pauli principle**

Stellar constituents are different species of **identical fermions** (n, p, ..., e⁻, μ⁻)
→ antisymmetric wave function for particle exchange → Pauli principle

Chemical potentials $\mu_n, \mu_p, \dots, \mu_e$ rapidly increasing functions of density

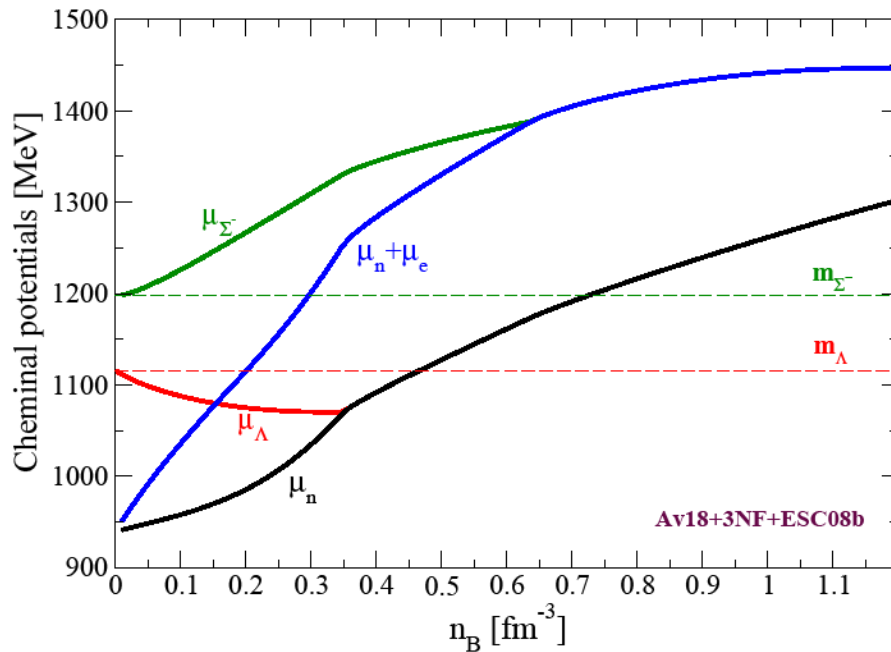
3) **Weak interactions** change the isospin and strangeness content of dense matter to minimize energy

Cold catalyzed matter (Harrison, Wakano, Wheeler, 1958)

The ground state (minimum energy per baryon) of a system of **hadrons** and **leptons** with respect to their mutual **strong** and **weak interactions** at a given total baryon density n and temperature T = 0.

Nucleon Stars [(n, p, e⁻, μ⁻)-matter] having

$$M_{\max}(\text{EOS}) \geq 2 M_{\odot} \quad \longrightarrow \quad \rho_c (M_{\max}) > \rho_{\text{Y-thr}}$$



D. Logoteta, I. Bombaci (2014)

Hyperons appear in the stellar core above a threshold density

$$\rho_{\text{Y-thr}} \approx (2 - 3) \rho_0$$

$$\mu_p = \mu_n - \mu_e = \mu_{\Sigma^+}$$

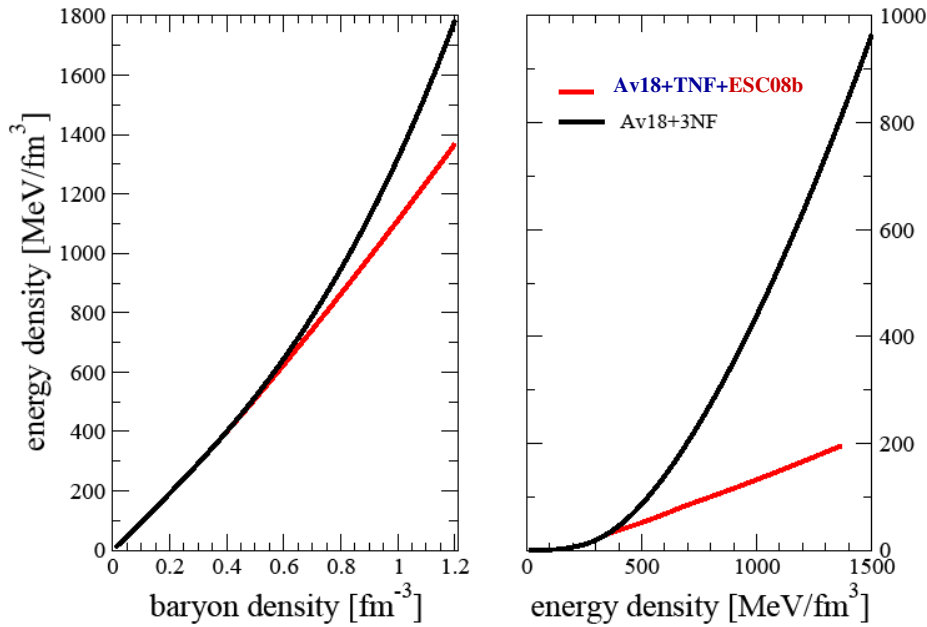
$$\mu_n = \mu_{\Sigma^0} = \mu_{\Xi^0} = \mu_{\Lambda}$$

$$\mu_n + \mu_e = \mu_{\Sigma^-} = \mu_{\Xi^-}$$

$$\mu_{\mu} = \mu_e$$

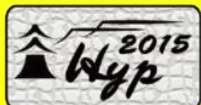
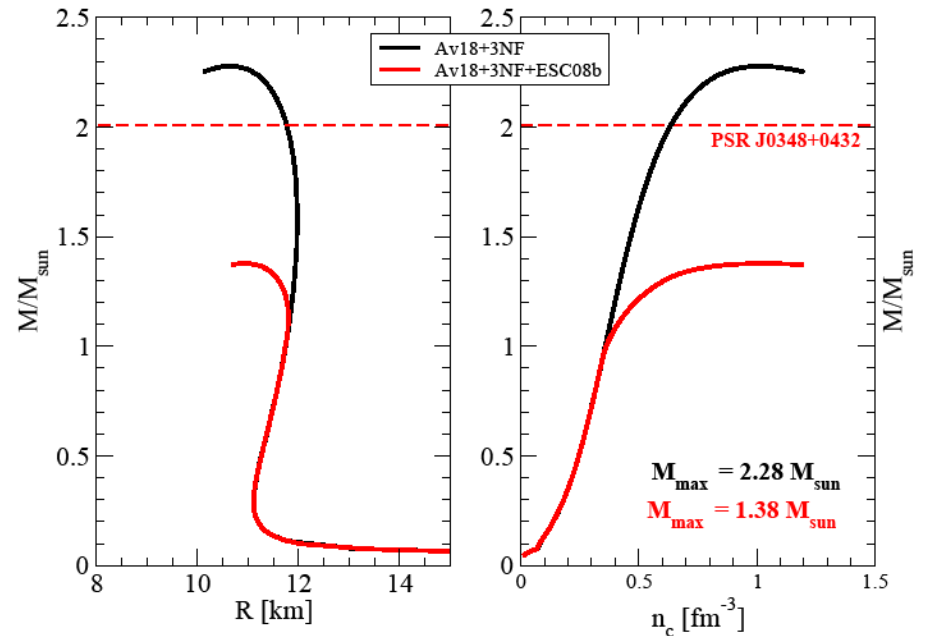
$$n_p + n_{\Sigma^+} = n_e + n_{\mu} + n_{\Sigma^-} + n_{\Xi^-}$$

Equation of State of Hyperonic Matter



hyperons produce a strong softening of the EOS

Stellar mass



The hyperon puzzle in Neutron Stars

Many hyperonic matter EOS models (mostly microscopic models) predict the presence of hyperons in the NS core, but they give

$$M_{\max} < 2 M_{\odot}$$

not compatible with measured NS masses

The hyperon puzzle in Neutron Stars

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A baffling problem which likely originates from our **incomplete knowledge** (model dependence) of the **baryonic interactions**.

Nucleon Stars

β -stable nuclear matter

$$p + e^- \leftrightarrow n + \nu_e$$

$$n \leftrightarrow p + e^- + \bar{\nu}_e$$

$$\mu_e \geq m_\mu$$

$$e^- \rightarrow \mu^- + \nu_e + \bar{\nu}_\mu$$

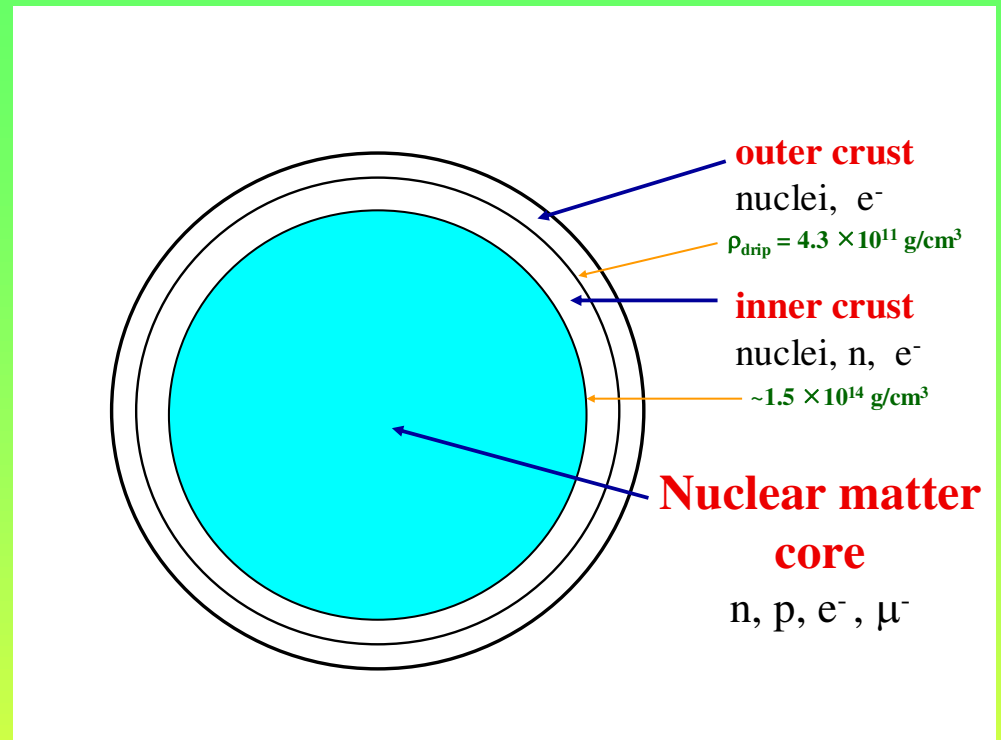
Equilibrium with respect to the weak interaction processes

$$\mu_n - \mu_p = \mu_e$$

$$\mu_\mu = \mu_e$$

Charge neutrality

$$n_p = n_e + n_\mu$$



neutrino-free matter

$$\mu_\nu = \mu_{\bar{\nu}} = 0$$

To be solved for any given value of the total baryon number density n_B

Microscopic approach to nuclear matter EOS

input

Two-body nuclear interactions: V_{NN}

“realistic” interactions: e.g. Argonne, Bonn, Nijmegen interactions.

Parameters fitted to NN scattering data with $\chi^2/\text{datum} \sim 1$

Three-body nuclear interactions: V_{NNN}

semi-phenomenological. Parameters fitted to

- binding energy of $A = 3, 4$ nuclei or
- empirical saturation point of symmetric nuclear matter: $n_0 = 0.16 \text{ fm}^{-3}$, $E/A = -16 \text{ MeV}$

	AV18	AV18/UIX	Exp.
B(3H)	7.624	8.479	8.482
B(3He)	6.925	7.750	7.718
B(4He)	24.21	28.46	28.30

Values in MeV

Nuclear Matter at $n = 0.16 \text{ fm}^{-3}$

$$E^{\text{pot}}(2\text{BF})/A \sim -40 \text{ MeV}$$

$$E^{\text{pot}}(3\text{BF})/A \sim -1 \text{ MeV}$$

A. Kievsky, S. Rosati, M. Viviani, L.E. Marcucci, L. Girlanda, Jour. Phys.G 35 (2008) 063101

A. Kievsky, M. Viviani, L. Girlanda, L.E. Marcucci, Phys. Rev. C 81 (2010) 044003

Z.H. Li, U. Lombardo, H.-J. Schulze, W. Zuo, Phys. Rev. C 77 (2008) 034316

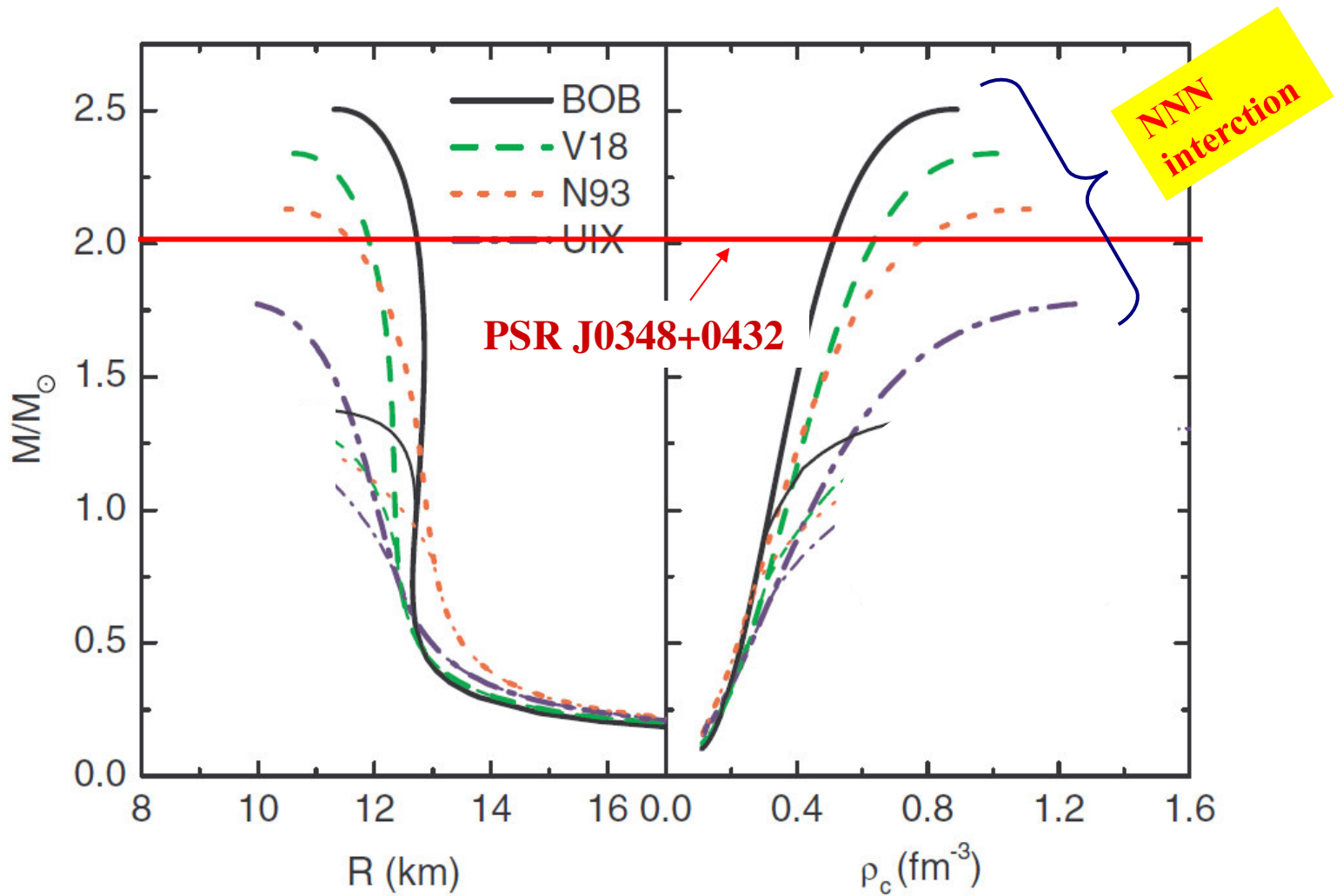
Microscopic EOS for nuclear matter: Brueckner-Bethe-Goldstone theory

$$G_{\tau\tau'}(\omega) = V + V \sum_{k_a k_b} \frac{|k_a k_b\rangle Q_{\tau\tau'} \langle k_a k_b|}{\omega - e_{\tau}(k_a) - e_{\tau'}(k_b)} G_{\tau\tau'}(\omega)$$

$$e_{\tau}(k) = \frac{\hbar^2 k^2}{2m} + U_{\tau}(k)$$

$$U_{\tau}(k) = \sum_{\tau'} \sum_{k'} \langle kk' | G_{\tau\tau'}(e_{\tau}(k) + e_{\tau'}(k')) | kk' \rangle_A$$

$$\tilde{E}(n_n, n_p) \equiv \frac{E}{A} = \frac{1}{A} \left\{ \sum_{\tau} \sum_k \frac{\hbar^2 k^2}{2M} + \frac{1}{2} \sum_{\tau} \sum_k U_{\tau}(k) \right\} \quad \begin{aligned} n_n &= \frac{1}{2}(1+\beta)n \\ n_p &= \frac{1}{2}(1-\beta)n \end{aligned}$$



$\rho_{Y\text{-thr}}$ depends on NNN interaction

Message taken from **Nucleon Stars** (i.e. Neutron Stars with a pure **nuclear matter core**)

NN interactions are essential to have “large” stellar mass

For a free neutron gas $M_{\max} = 0.71 M_{\odot}$ (Oppenheimer and Volkoff, 1939)

NNN interactions are essential

- (i) to reproduce the correct **empirical saturation point of nuclear matter**
- (ii) to reproduce measured neutron star masses, i.e. to have $M_{\max} > 2 M_{\odot}$

Few-body ($A \leq 4$) nuclear systems properties and/or
the **saturation properties of nuclear matter** **can not constrain**
the **NNN interactions at high density**

models of **Nucleon Stars**

(i.e. Neutron Stars with a pure **nuclear matter core**)

are able to explain

measured Neutron Star masses

as those of

PSR J1614-2230 and **PSR J0348+0432**

$$M_{\text{NS}} \approx 2 M_{\odot}$$

but the presence of hyperons in
the star seems unavoidable:
hyperon puzzle problem

Microscopic approach to hyperonic matter EOS

input

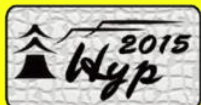
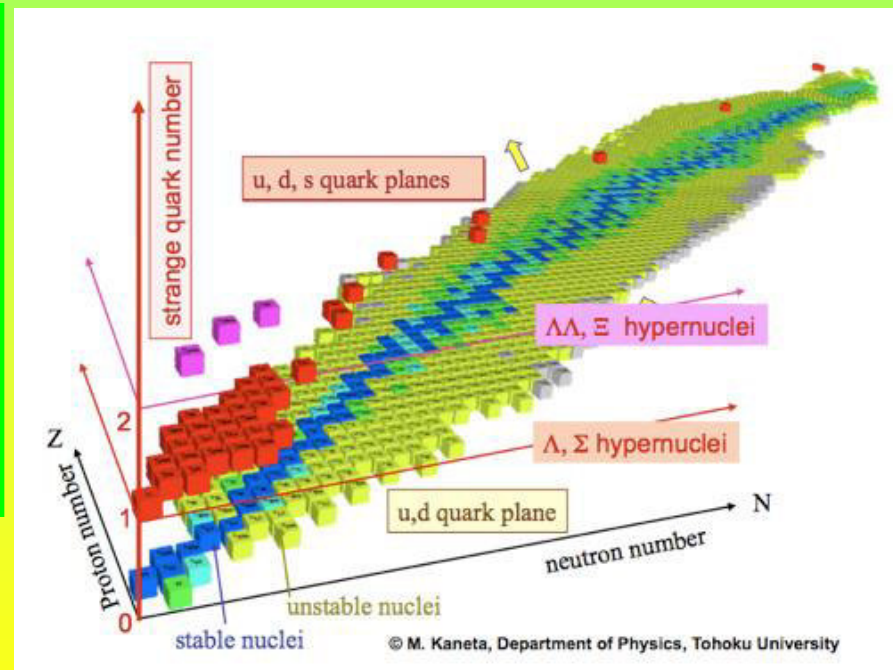
2BF: nucleon-nucleon (NN), nucleon-hyperon (NY), hyperon-hyperon (YY)

e.g. Nijmegen, Julich models

3BF: NNN, NNY, NYY, YYY

Hyperonic sector: experimental data

- 1. YN scattering data ≈ 50**
(NN data ≈ 4300)
- 2. Hypernuclei : $\approx 40 \Lambda X$, $\approx 5 \Lambda\Lambda X$**
(nuclei ≈ 3300)



Microscopic EOS for hyperonic matter: **extended Brueckner theory**

$$G(\omega)_{B_1 B_2 B_3 B_4} = V_{B_1 B_2 B_3 B_4} + \sum_{B_5 B_6} V_{B_1 B_2 B_5 B_6} \frac{Q_{B_5 B_6}}{\omega - e_{B_5} - e_{B_6}} G(\omega)_{B_5 B_6 B_3 B_4}$$

$$e_{B_i}(k) = M_{B_i} c^2 + \frac{\hbar^2 k^2}{2M_{B_i}} + U_{B_i}(k)$$

$$U_{B_i}(k) = \sum_{B_j} \sum_{k' \leq k_{F B_j}} \langle \vec{k} \vec{k}' | G_{B_i B_j B_i B_j}(\omega = e_{B_i} + e_{B_j}) | \vec{k} \vec{k}' \rangle$$

V is the **baryon -baryon interaction for the baryon octet**

(**n, p, Λ , Σ^- , Σ^0 , Σ^+ , Ξ^- , Ξ^0**)

- **Energy per baryon in the BHF approximation**

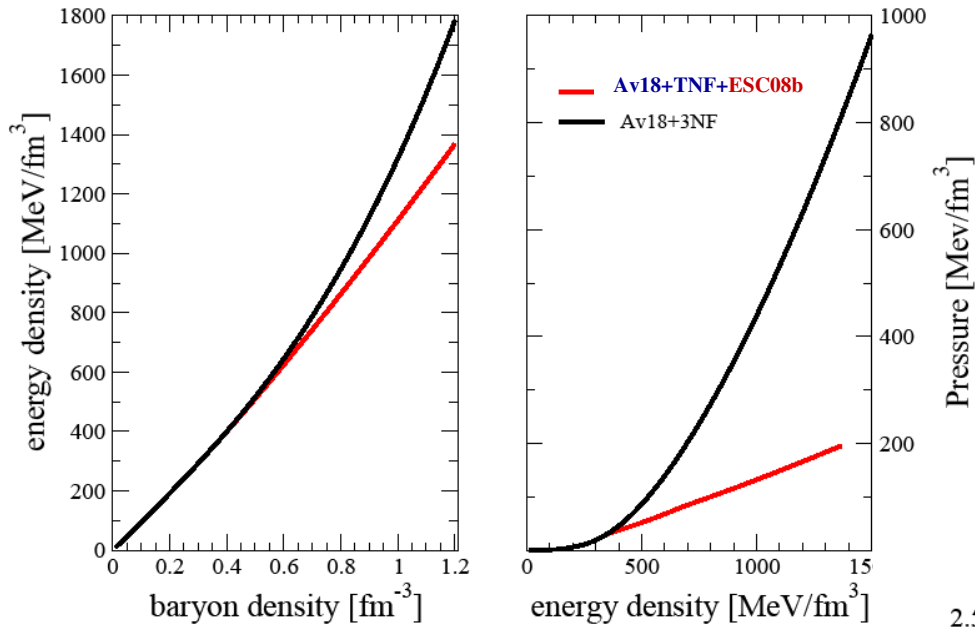
$$E/N_B = 2 \sum_{B_i} \int_0^{k_{F[B_i]}} \frac{d^3 k}{(2\pi)^3} \left\{ M_{B_i} c^2 + \frac{\hbar^2 k^2}{2M_{B_i}} + \frac{1}{2} U_{B_i}^N(k) + \frac{1}{2} U_{B_i}^Y(k) \right\}$$

Baldo, Burgio, Schulze, Phys.Rev. C61 (2000) 055801;

Vidaña, Polls, Ramos, Engvik, Hjorth-Jensen, Phys.Rev. C62 (2000) 035801;

Vidaña, Bombaci, Polls, Ramos, Astron. Astrophys. 399, (2003) 687.

Equation of State of Hyperonic Matter

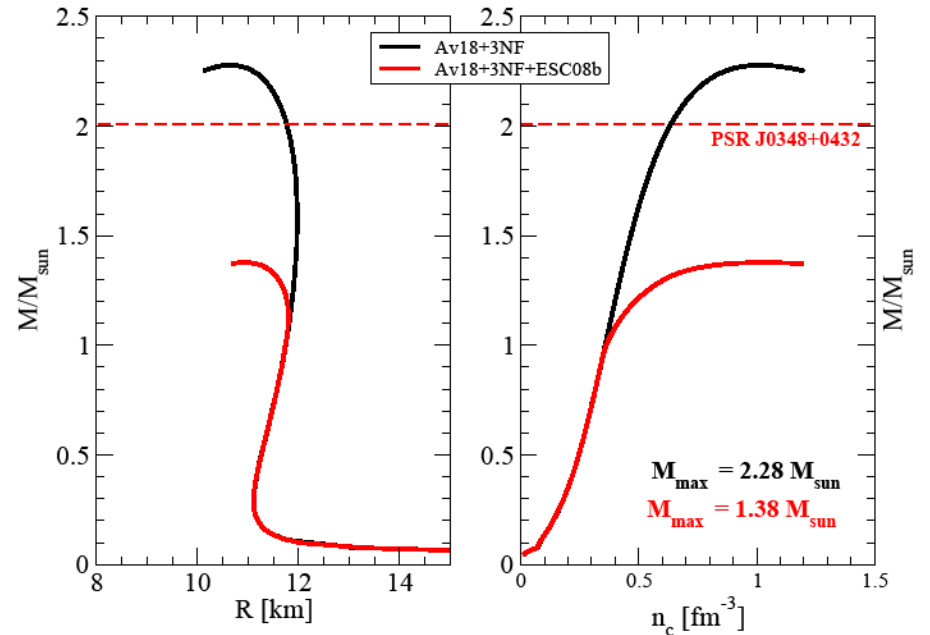


BHF
Av18 + TNF + ESC08b
no hyperonic TBF

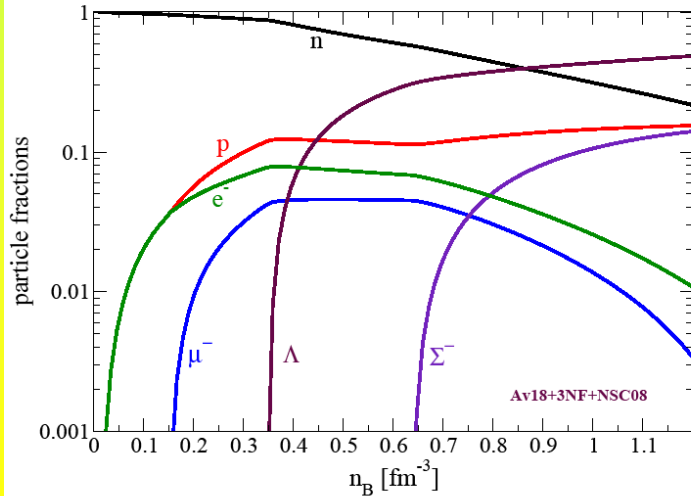
D. Logoteta, I. Bombaci (2014)

TNF: Z H. Li, U. Lombardo, H.-J. Schulze, W. Zuo,
 Phys. Rev. C 77 (2008)

Stellar mass



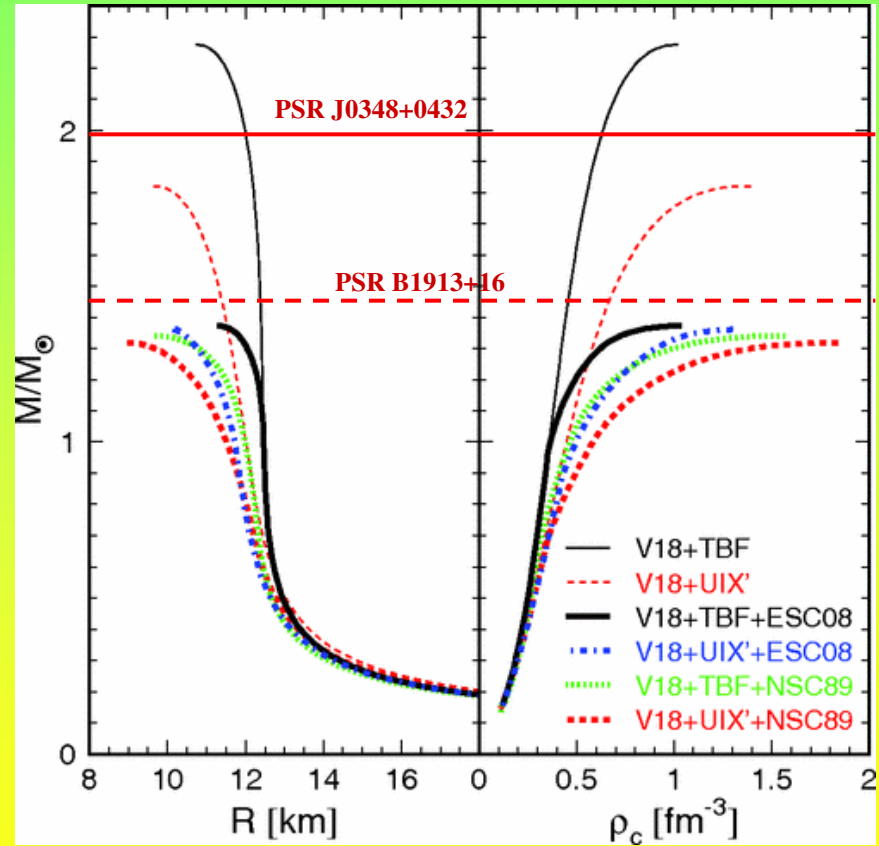
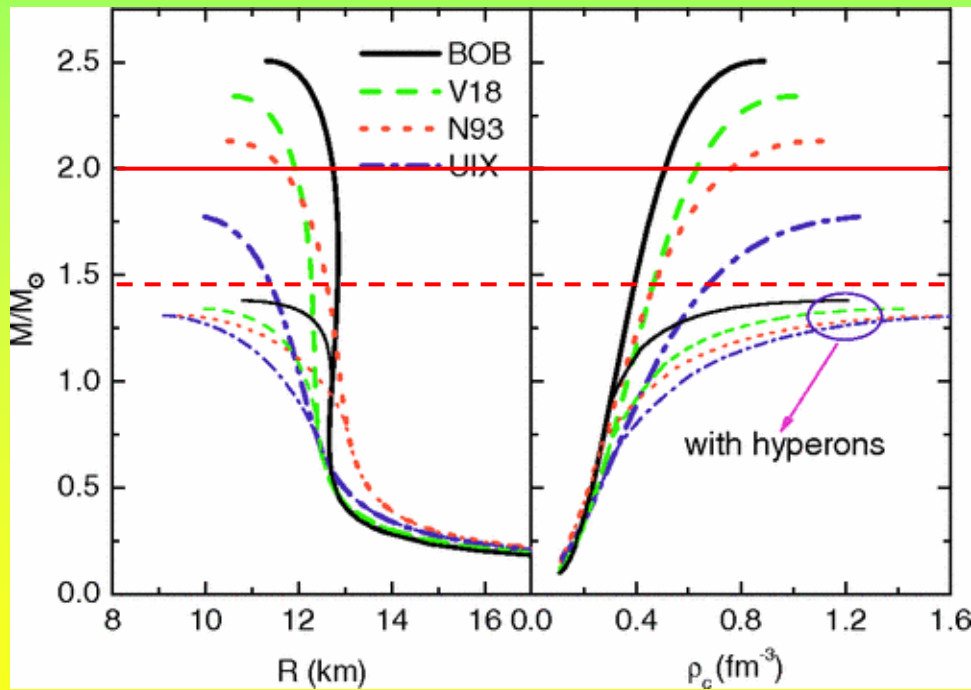
Particle fractions



The stellar mass-radius relation

$NN(Av18) + NNN + NY(ESC08 \text{ or } NSC89)$
no hyperonic TBF

$NN + NNN + NY(NSC89)$
no hyperonic TBF



Hyperons in Neutron Stars: implications for the stellar structure

The presence of hyperons **reduces the maximum mass of neutron stars:**

$$\Delta M_{\max} \approx (0.5 - 1.2) M_{\odot}$$

Therefore, **to neglect hyperons always leads to an overestimate of the maximum mass of neutron stars**

hyperon puzzle

Microscopic EOS for
hyperonic matter: "very soft"
non compatible with
measured NS masses

Need for
extra pressure
at high density

Improved NY, YY
two-body interaction

Three-body forces:
NNY, NYY, YYY

Need for new
experimental data from
hypernuclear physics

YN scattering
Topical session 9a on Thu

Hyperonic TBF as a possible solution of the hyperon puzzle in neutron stars

YNN three-body forces in hypernuclei

A. Gal, Phys. Rev. Lett. 18 (1967) 568

R. K. Bhaduri, B.A. Losieau, Y. Nogami, Ann. Phys. 44 (1967) 55

B.A. Losieau, Nucl. Phys. B 9 (1969) 169

A.R. Bodmer, Q.N. Usmani, J. Carlson, Phys. Rev. C29 (1984) 684

“Universal” three-body forces between nucleons and hyperons

S. Nishizaki, Y. Yamamoto, T. Takatsuka, Prog. Theor. Phys. 105 (2001) 607

S. Nishizaki, Y. Yamamoto, T. Takatsuka, Prog. Theor. Phys 108 (2002) 703

T. Takatsuka, Prog. Theor. Phys. Suppl. 156 (2004) 84

Y. Yamamoto, T. Furumoto, N. Yasutake, Th. Rijken, Phys. Rev. C 90, (2014) 045805

Yamamoto's talk and Takatsuka's talk in this section

Estimation of the effect of hyperonic TBF on the maximum mass of neutron stars

I.Vidaña, D. Logoteta, C. Providencia, A. Polls, I. Bombaci, EPL 94 (2011) 11002

- ★ **BHF calculations:** NN (**Av18**) + NY (**NSC89**)
- ★ **TBF:** phenomenological density dependent contact terms

$$\begin{aligned}\varepsilon_3 = & a_{NN} n_N^2 + b_{NN} n_N^{\gamma_{NN}+1} \\ & + a_{N\Lambda} n_N n_\Lambda + b_{N\Lambda} n_N n_\Lambda \frac{n_N^{\gamma_{N\Lambda}} + n_\Lambda^{\gamma_{N\Lambda}}}{n_N + n_\Lambda} \\ & + a_{N\Sigma} n_N n_\Sigma + b_{N\Sigma} n_N n_\Sigma \frac{n_N^{\gamma_{N\Sigma}} + n_\Sigma^{\gamma_{N\Sigma}}}{n_N + n_\Sigma}\end{aligned}$$

Energy density form inspired by S. Balberg, A. Gal, Nucl Phys. A 625, (1997) 435

we assume:

$$a_{N\Lambda} = a_{N\Sigma} \quad b_{N\Lambda} = b_{N\Sigma} \quad \gamma_{N\Lambda} = \gamma_{N\Sigma}$$

$$\frac{a_{NY}}{a_{NN}} = \frac{b_{NY}}{b_{NN}} \equiv x$$

empirical saturation point of symmetric NM

$$n_0 = 0.16 \text{ fm}^{-3}$$

$$\tilde{E}_0 = -16 \text{ MeV}$$

$$K_0 = 210 \div 285 \text{ MeV}$$

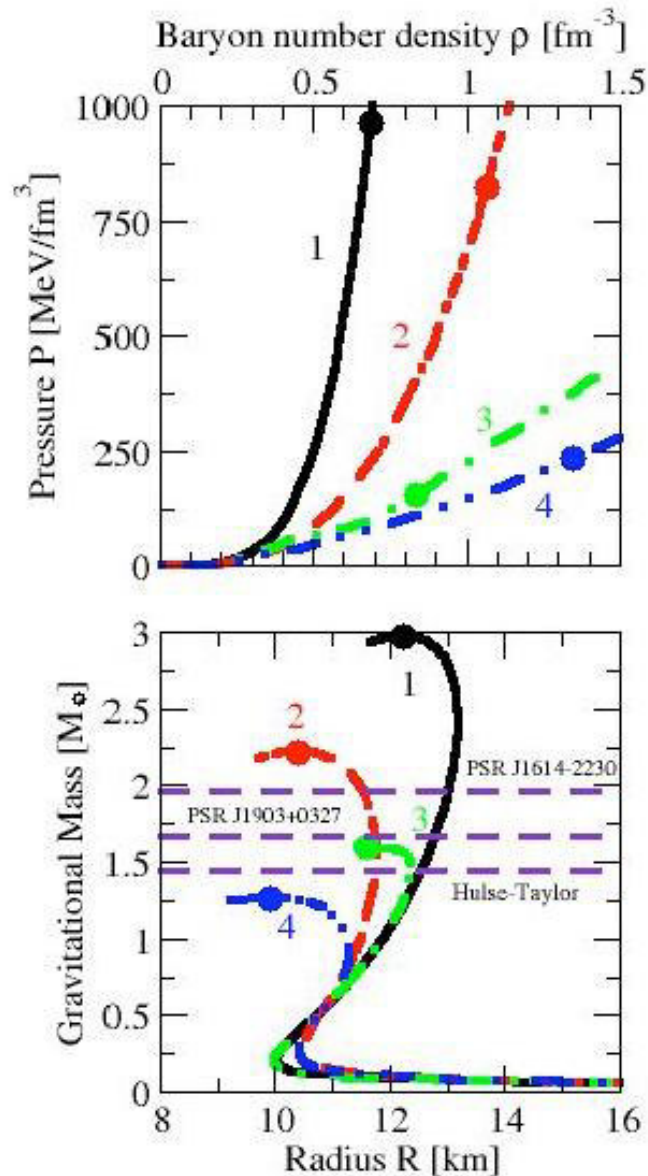
$$a_{NN}, b_{NN}, \gamma_{NN}$$

Binding energy of Λ in NM

$$B_{\Lambda} = -28 \text{ MeV} = U_{\Lambda}(k=0) + a_{NY} n_0 + b_{NY} n_0^{\gamma_{NY}}$$

$$\gamma_{NY}$$

effect of hyperonic TBF on the maximum mass of neutron stars



γ_{NN}	x	γ_{YN}	Maximum Mass
2	0	-	1.27 (2.22)
	1/3	1.49	1.33
	2/3	1.69	1.38
2.5	1	1.77	1.41
	0	-	1.29 (2.46)
	1/3	1.84	1.38
3	2/3	2.08	1.44
	1	2.19	1.48
	0	-	1.34 (2.72)
3.5	1/3	2.23	1.45
	2/3	2.49	1.50
	1	2.62	1.54
3.5	0	-	1.38 (2.97)
	1/3	2.63	1.51
	2/3	2.91	1.56
	1	3.05	1.60

Miscroscopic hyperonic TBF

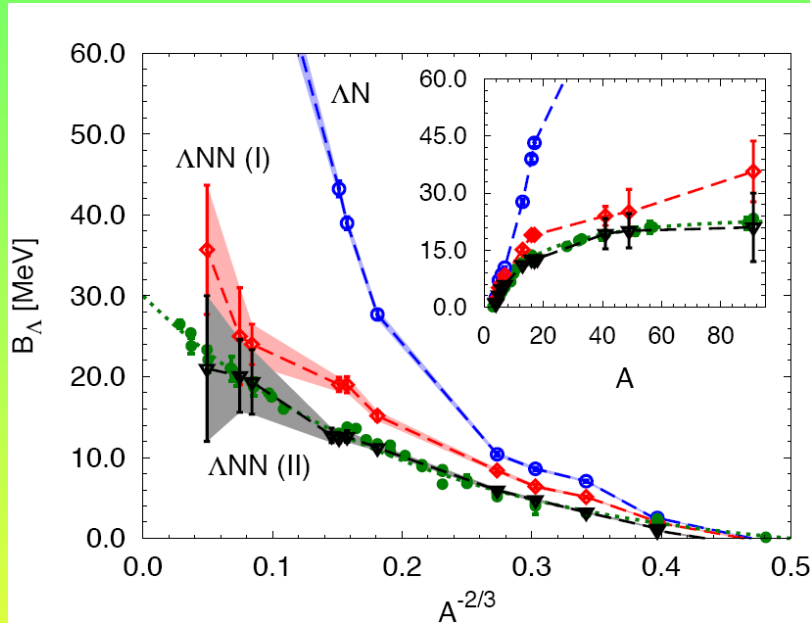
Two-meson exchange NNY potential

D. Logoteta, I. Vidaña, C. Providencia, Nucl. Phys. A 914 (2013) 433

Microscopic EOS for hyperonic matter: **AFDM**

Gandolfi's talk this morning,

Lonardoni's talk in this section



(n, Λ) - matter

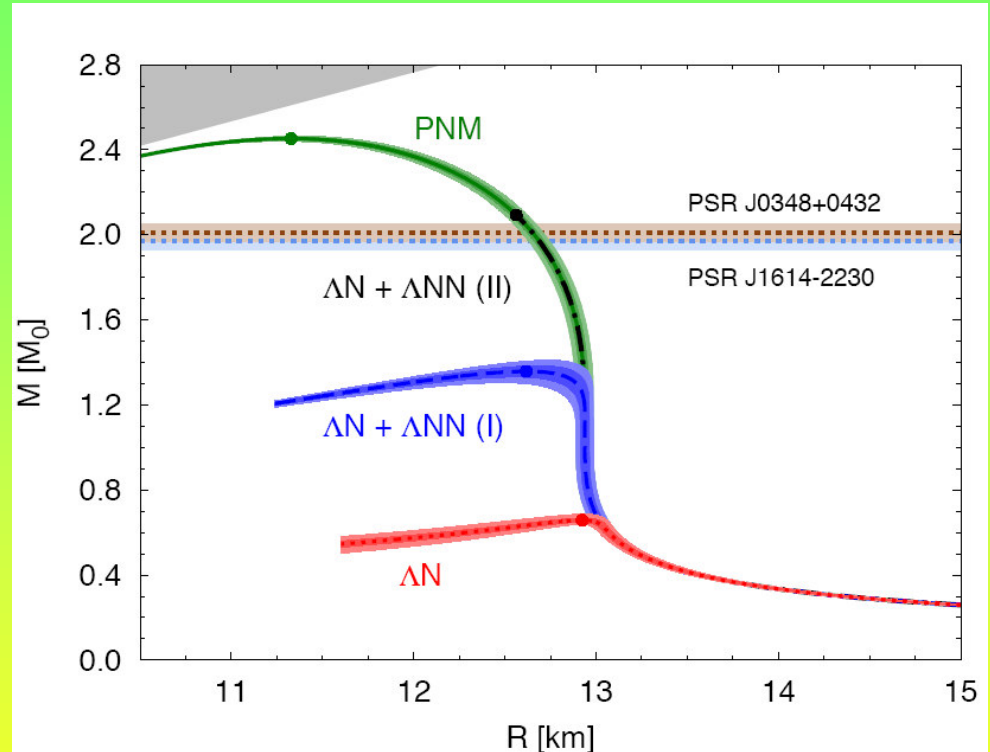
Av8' + UXI + ANN

Repulsive ANN

(Bodmer, Usmani, Carlson, 1984)

Parameters fixed to fit

B_Λ Λ hypernuclei ($A \leq 91$)



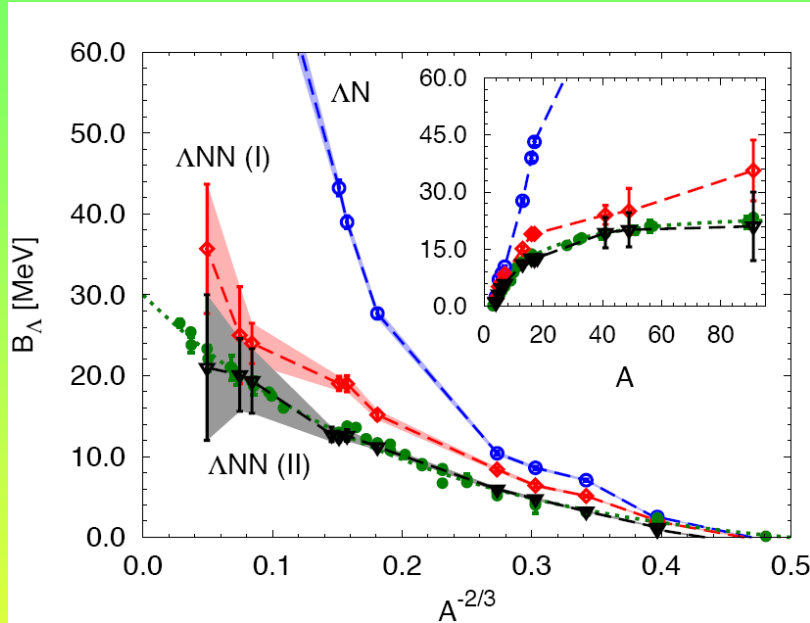
D. Lonardoni, A. Lovato, S. Gandolfi, F. Pederiva, Phys. Rev. Lett. 114 (2015) 092301

**Hypernuclei can not constrain
YNN interactions at high density**

Microscopic EOS for hyperonic matter: AFDM

Gandolfi's talk this morning,

Lonardoni's talk in this section



(n, Λ) - matter

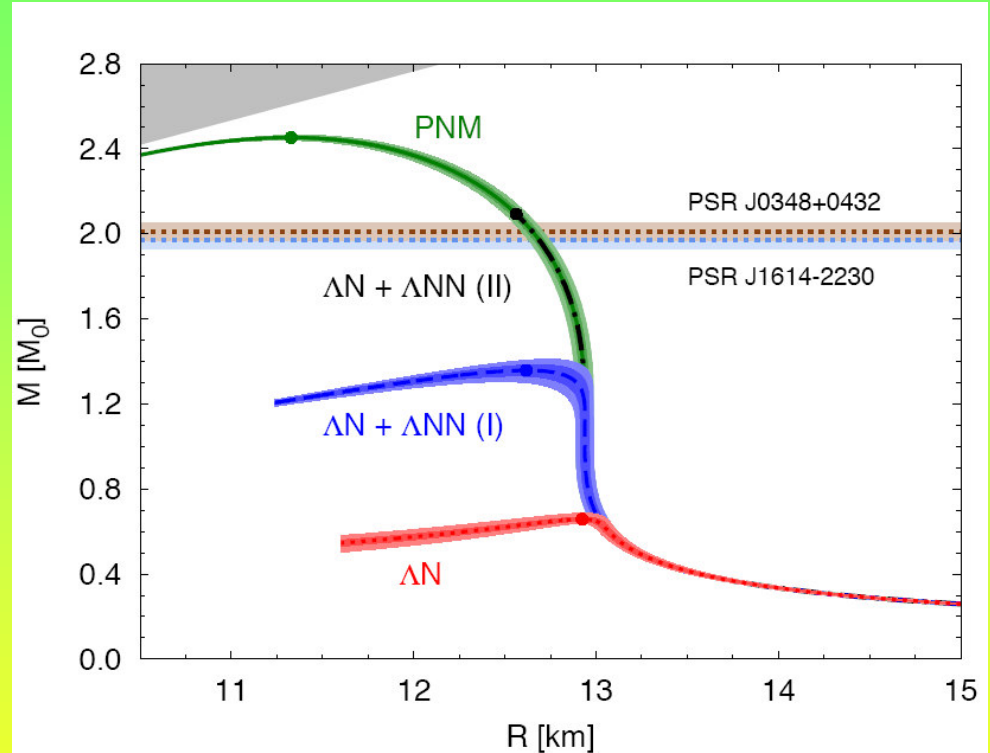
Av8' + UXI + ANN

Repulsive ΛNN

(Bodmer, Usmani, Carlson, 1984)

Parameters fixed to fit

B_Λ Λ hypernuclei ($A \leq 91$)



D. Lonardoni, A. Lovato, S. Gandolfi, F. Pederiva, Phys. Rev. Lett. 114 (2015) 092301

Within this model

“Hyperon Stars” do not contain hyperons

Relativistic Mean Field models for the hyperonic matter EOS

❑ Strong vector-meson mediated repulsive interaction

- increase of $g_{\rho Y}$ coupling (“ $\sigma\omega\rho$ ” model)
- inclusion of vector mesons with hidden strangeness (ϕ meson)

❑ density dependent coupling constants

Miyatsu’s talk in this section

H. Huber, M.K. Weigel, F. Weber, Z. Naturforsch. 54A (1999) 77

F. Hoffman, C.M. Kleil, H. Lenske, Phys. Rev. C 64 ((2001) 034314

V. Dexheimer, S. Schramm, Astrophys. J. 683 (2008) 943

I. Bombaci, P.K. Pandha, C. Providencia, I. Vidana, Phys. Rev. D 77 (2008) 083002

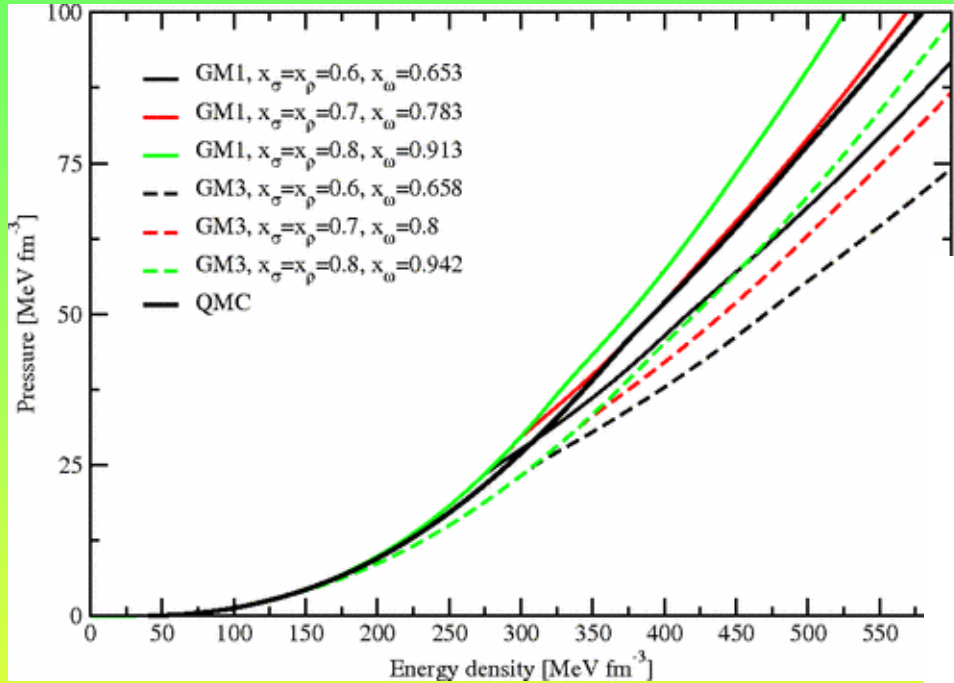
A. Taurines, C.Vasconcellos, M. Malheiro, M. Chiapparini, Mod. Phys. Lett. A 15 (2000) 1789

T. Miyatsu, T. Katayama, K. Saito, Phys. Lett. B 709 (2012) 242

S. Weissenborn, D. Chatterjee, J. Schaffner-Bielich, Phys. Rev. C 85 (2012) 065802

E.N.E. van Dalen, G. Colucci, A. Sedrakian, Phys. Lett. B 734 (2014) 383

Glendenning – Moszkowski EOS



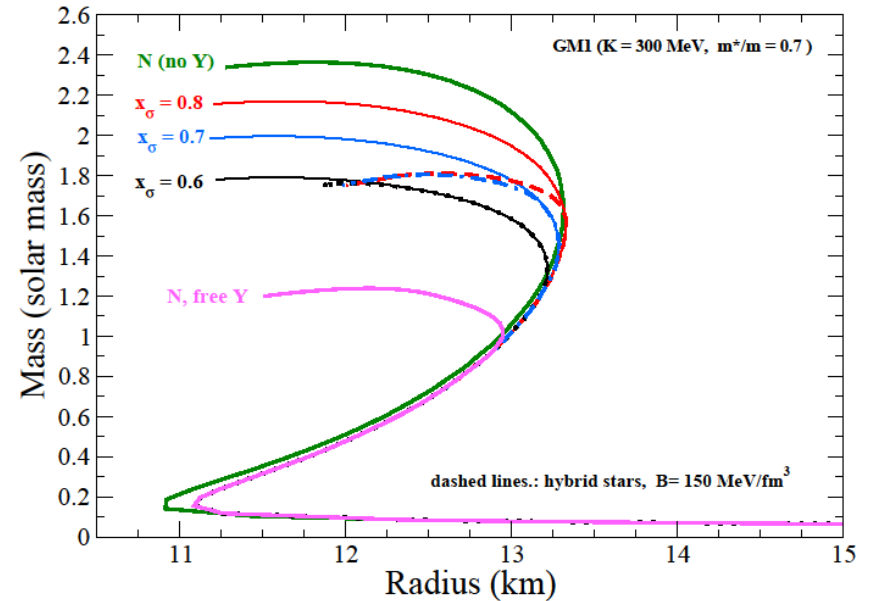
$$g_{\sigma Y} = x_\sigma g_{\sigma N}$$

$$g_{\omega Y} = x_\omega g_{\omega N}$$

$$g_{\rho Y} = x_\rho g_{\rho N}$$

$$x_\rho = x_\sigma$$

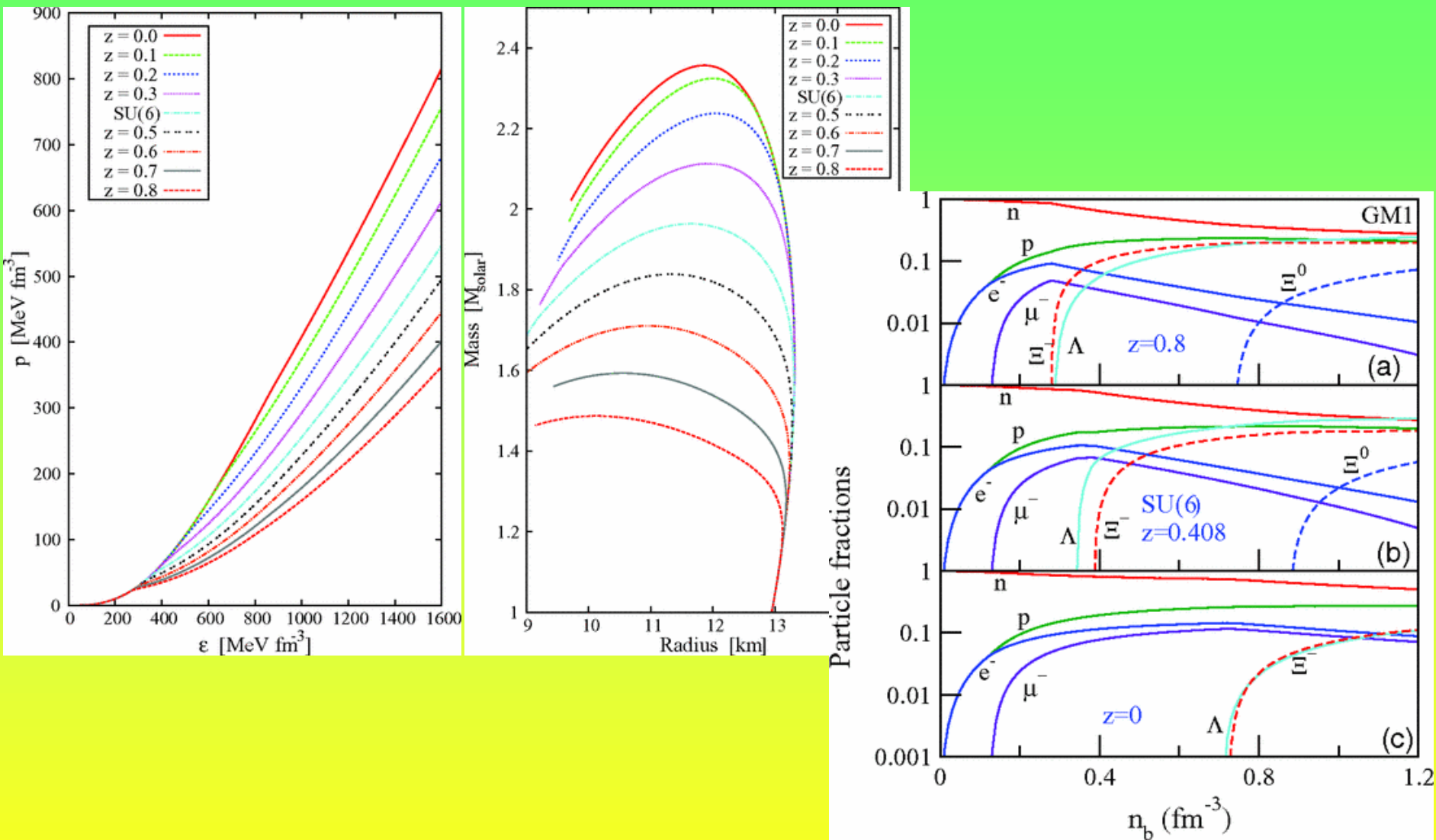
I. Bombaci, P.K. Pandha, C. Providencia, I. Vidana,
Phys. Rev. D 77 (2008) 083002



increasing
 $g_{\rho Y}$ and $g_{\omega Y}$



M_{\max} increases and
the stellar hyperon content decreases



S. Weissenborn, D. Chatterjee, J. Schaffner-Bielich, Phys. Rev. C 85 (2012) 065802

Neutron Stars in the QCD phase diagram

Lattice QCD at $\mu_b=0$ and finite T

- ▶ The transition to Quark Gluon Plasma is a crossover

Aoki et al., *Nature*, 443 (2006) 675

- ▶ Deconfinement transition temperature T_c

HotQCD Collaboration

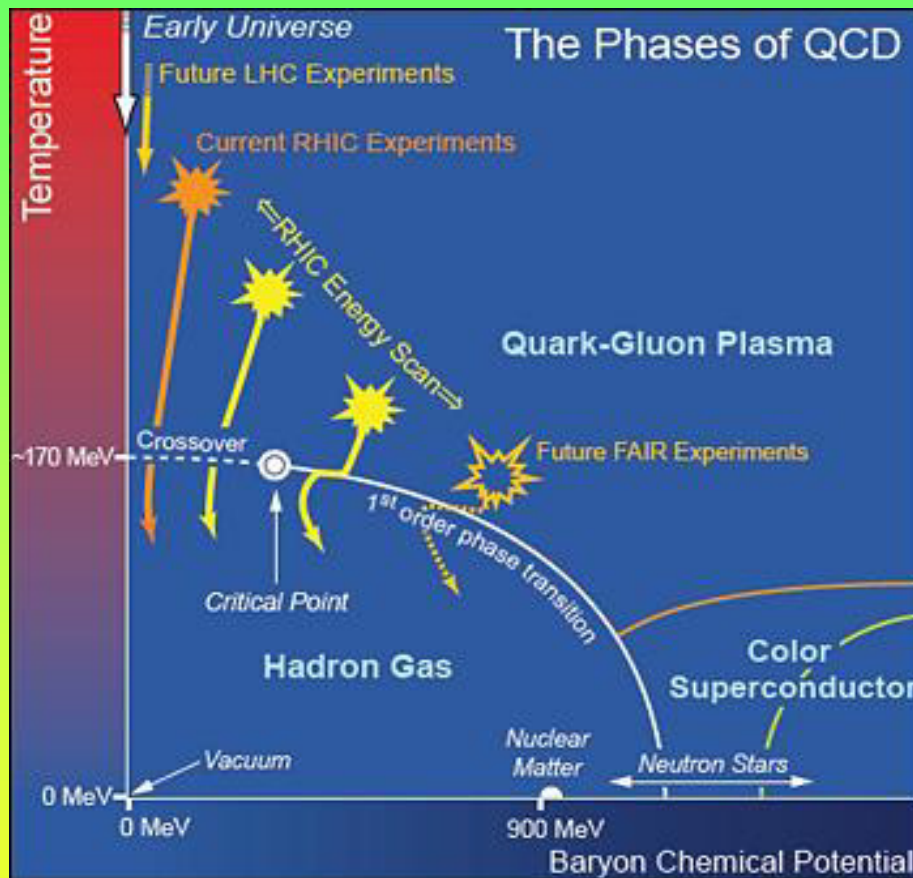
$$T_c = 154 \pm 9 \text{ MeV}$$

Bazarov et al., *Phys.Rev. D*85 (2012) 054503

Wuppertal-Budapest Collab.

$$T_c = 147 \pm 5 \text{ MeV}$$

Borsanyi et al., *J.H.E.P.* 09 (2010) 073



Neutron Stars: high μ_b and low T

Lattice QCD calculations are presently not possible

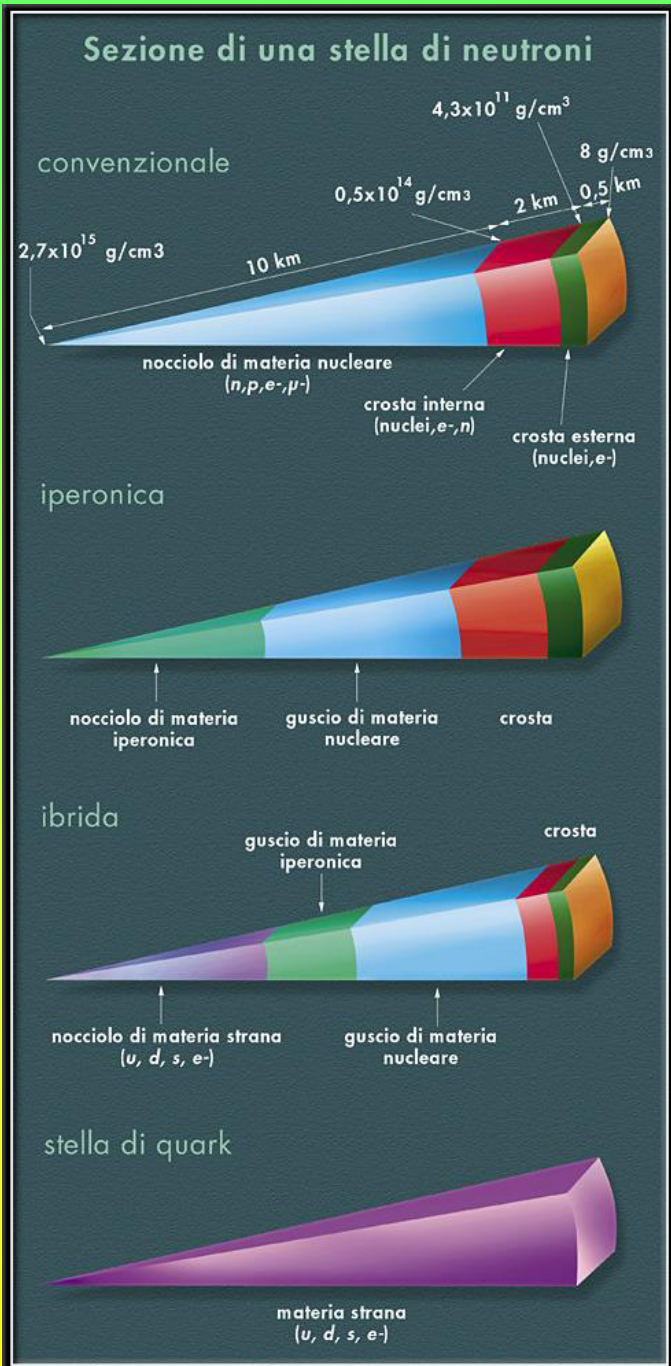
Quark deconfinement transition expected of the first order

Z. Fodor, S.D. Katz, *Prog. Theor. Suppl.* 153 (2004) 86

“A link between lattice QCD and measured neutron star masses”

I. Bombaci, D. Logoteta, *Mont. Not. Royal Astron. Soc.* 433 (2013) L79

“Neutron Stars”



Nucleon Stars

Hyperon Stars

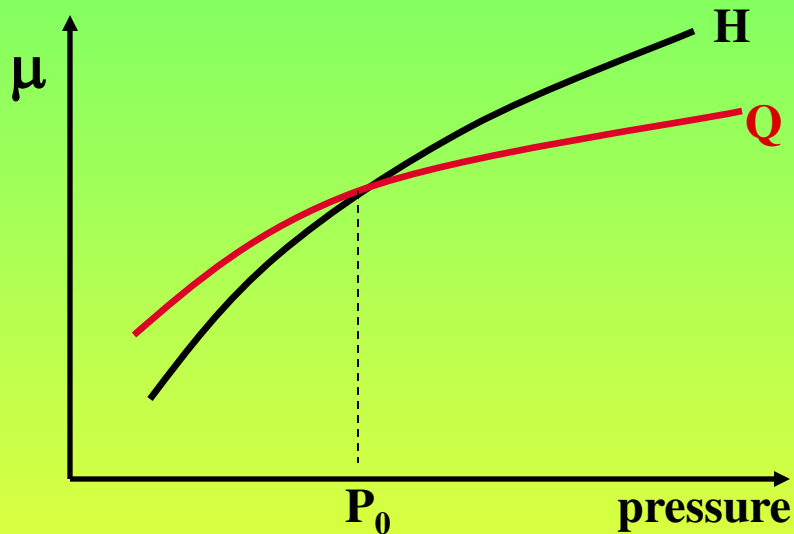
Hadronic Stars

Hybrid Stars

Strange Stars

Quark Stars

1st order phase transitions are triggered by the **nucleation** of a **critical size drop** of the **new (stable) phase** in a **metastable mother phase**



Virtual drops of the stable phase are created by small localized **fluctuations** in the state variables of the **metastable phase**

Gibbs' criterion for phase equilibrium

$$\mu_H = \mu_Q \equiv \mu_0$$

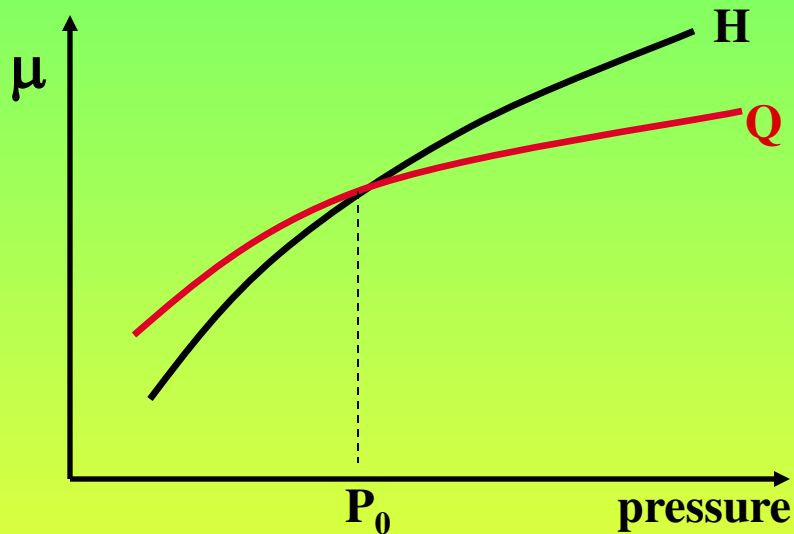
$$T_H = T_Q \equiv T$$

$$P(\mu_H) = P(\mu_Q) \equiv P(\mu_0) \equiv P_0$$

$$\mu_H = \frac{\varepsilon_H + P_H - s_H T}{n_{b,H}}$$

$$\mu_Q = \frac{\varepsilon_Q + P_Q - s_Q T}{n_{b,Q}}$$

1st order phase transitions are triggered by the **nucleation** of a **critical size drop** of the **new (stable) phase** in a **metastable mother phase**



Virtual drops of the stable phase are created by small localized **fluctuations** in the state variables of the **metastable phase**

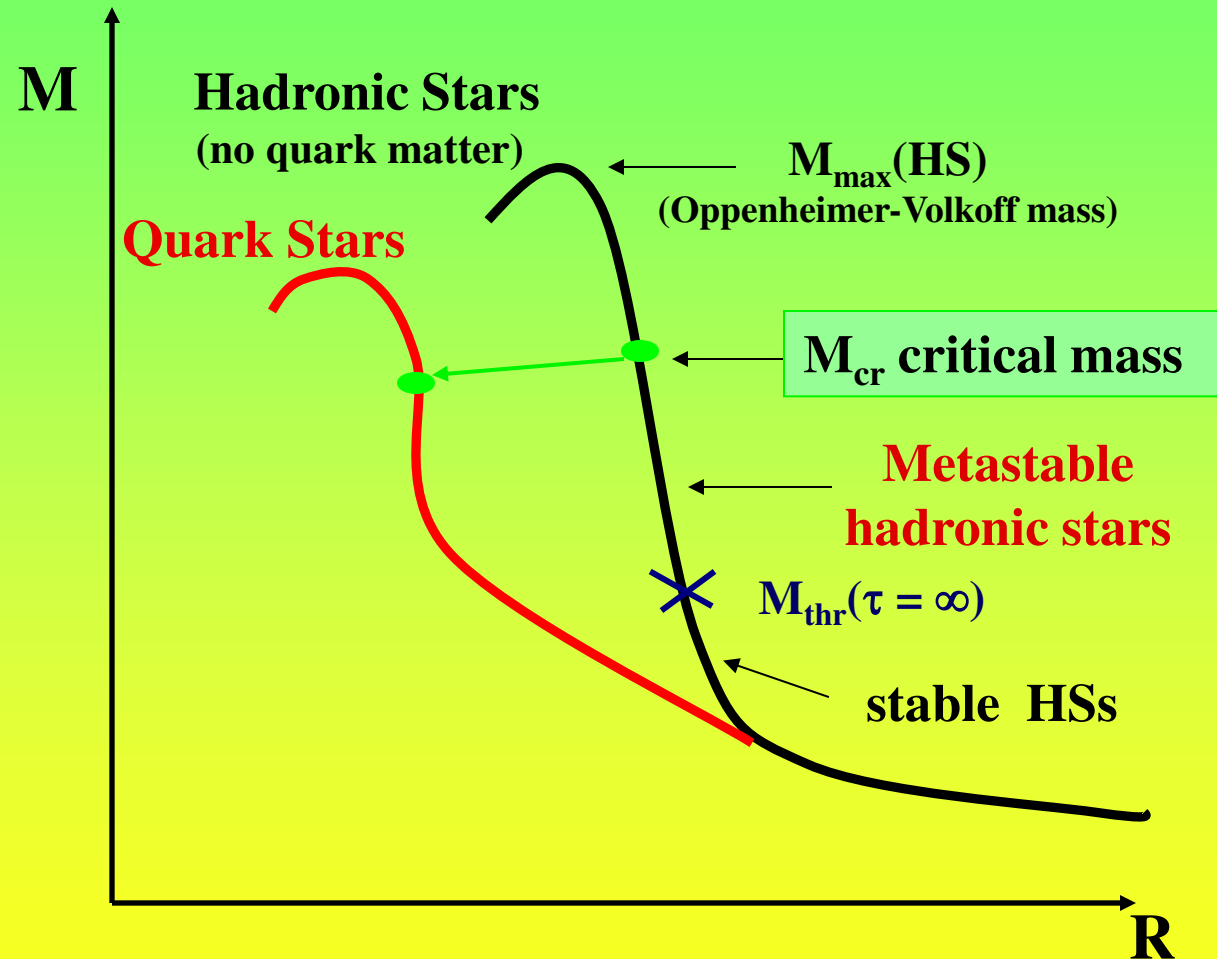
Astrophysical consequences of the nucleation process of quark matter (QM) in the core of massive pure hadronic compact stars (“Hadronic Stars”, HS).

Berezhiani, Bombaci, Drago, Frontera, Lavagno, *Astrophys. Jour.* 586 (2003) 1250

I. Bombaci, I. Parenti, I. Vidaña, *Astrophys. Jour.* 614 (2004) 314

I. Bombaci, G. Lugones, I. Vidaña, *Astron. & Astrophys.* 462 (2007) 1017

Metastability of Hadronic Stars



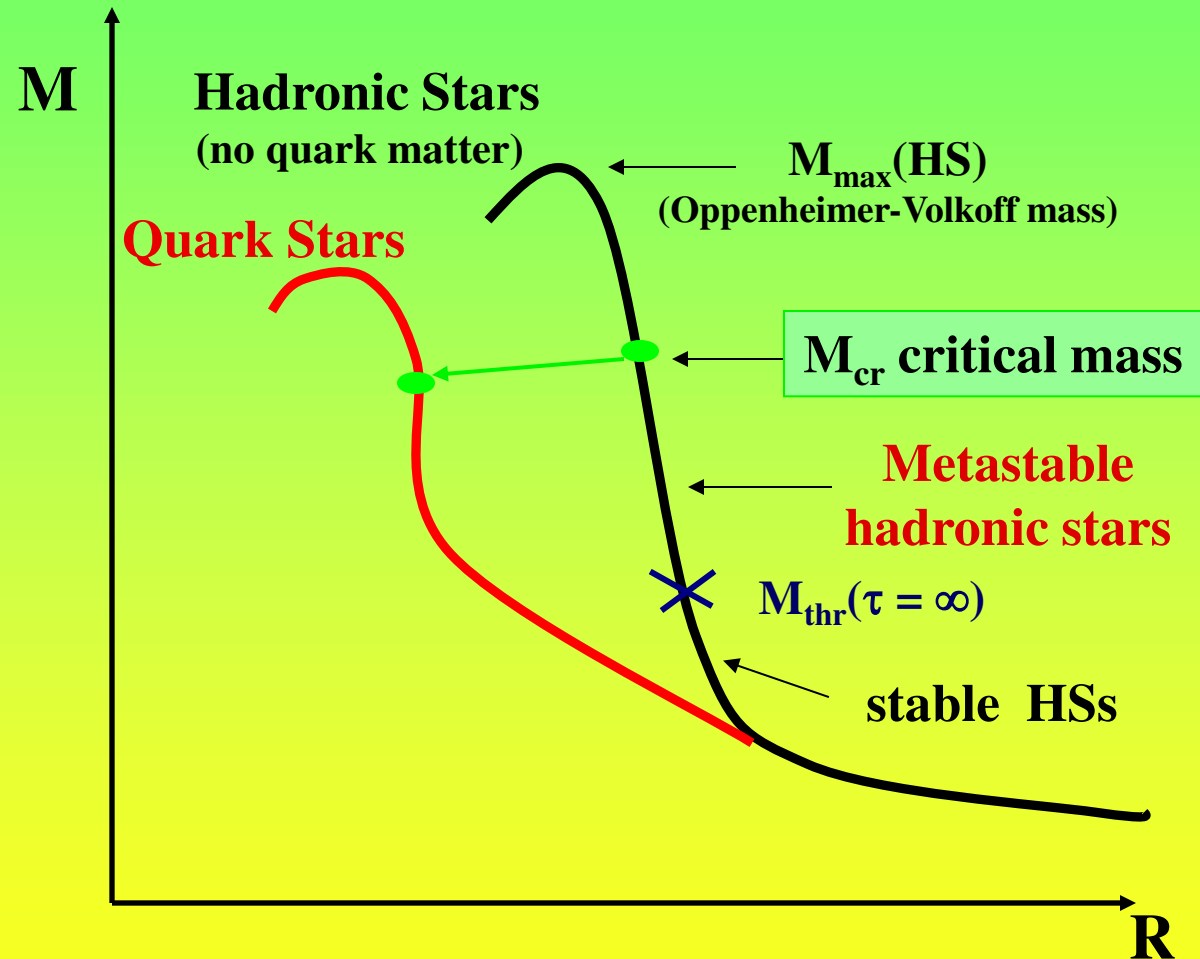
Hadronic Stars above a threshold value of their gravitational mass are metastable to the **conversion** to **Quark Stars (QS)** (hybrid stars or strange stars)

Berezhiani, Bombaci, Drago, Frontera, Lavagno, *Astrophys. Jour.* 586 (2003) 1250

I. Bombaci, I. Parenti, I. Vidaña, *Astrophys. Jour.* 614 (2004) 314

I. Bombaci, G. Lugones, I. Vidaña, *Astron. & Astrophys.* 462 (2007) 1017

Metastability of Hadronic Stars



- M_{cr} , critical mass of hadronic stars.

- Two branches of compact stars

- stellar conversion $\text{HS} \rightarrow \text{QS}$

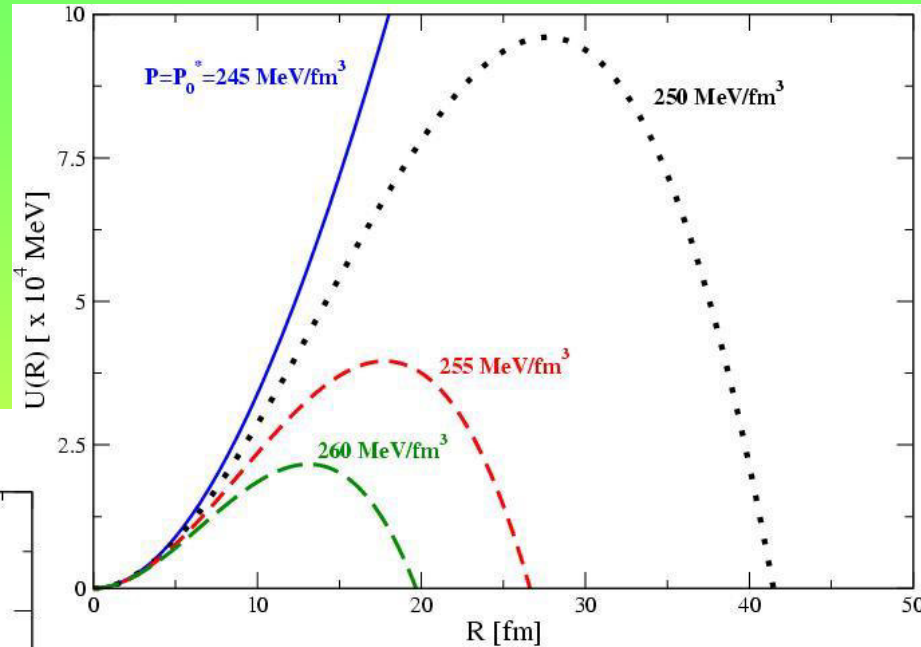
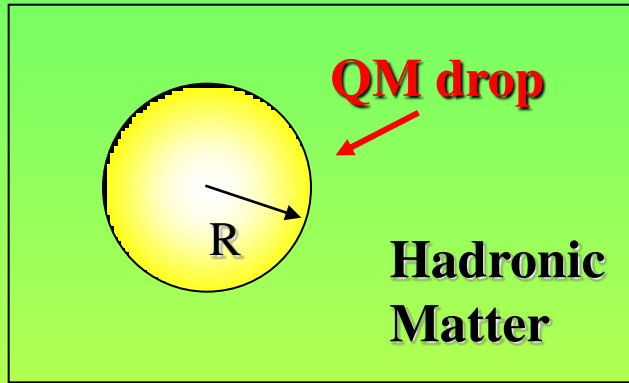
$E_{\text{conv}} \sim 10^{53}$ erg (possible energy source for some GRBs)

extension of the concept of limiting mass of compact stars with respect to the *classical* one given by Oppenheimer and Volkoff

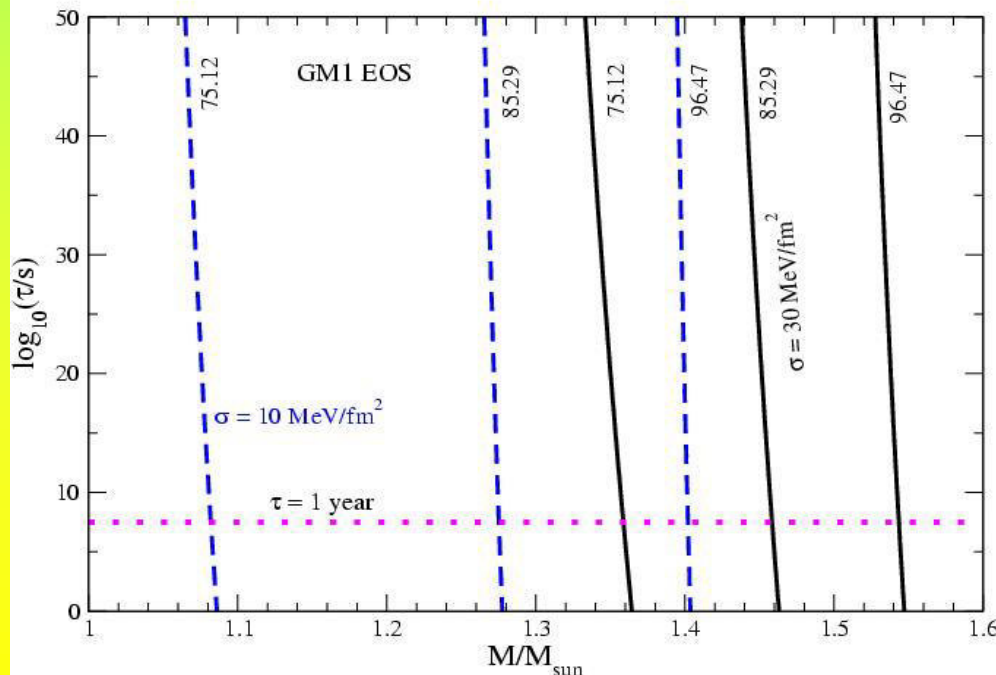
Berezhiani, Bombaci, Drago, Frontera, Lavagno, *Astrophys. Jour.* 61
 I. Bombaci, I. Parenti, I. Vidaña, *Astrophys. Jour.* 61
 I. Bombaci, G. Lugones, I. Vidaña, *Astron. & Astrophys.*

Quantum nucleation theory

I.M. Lifshitz and Y. Kagan, 1972; K. Iida and K. Sato, 1998



Hadronic Star mean-life time



$$U(R) = (4/3)\pi R^3 n_{Q^*} (\mu_{Q^*} - \mu_H) + 4\pi\sigma R^2$$

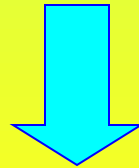
I. Bombaci, I. Parenti, I. Vidaña,
Astrophys. Jour. 614 (2004) 314

The critical mass of metastable Hadronic Stars

Def.: $M_{\text{cr}} \equiv M_{\text{HS}}(\tau = 1 \text{ yr})$

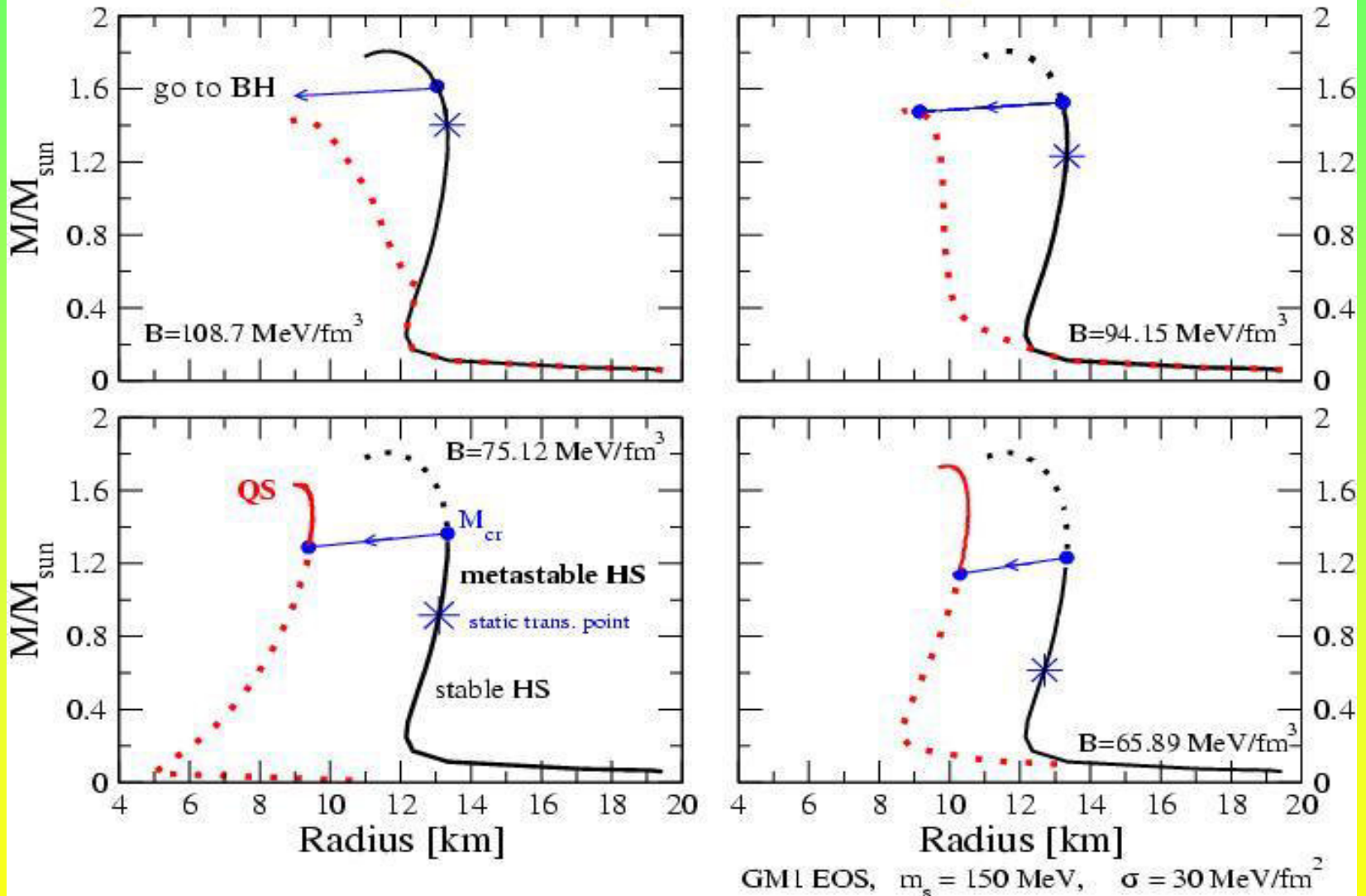
- HS with $M_{\text{thr}} < M_{\text{HS}} < M_{\text{cr}}$ are metastable with $\tau = 1 \text{ yr} \div \infty$

- HS with $M_{\text{HS}} > M_{\text{cr}}$ are very unlikely to be observed



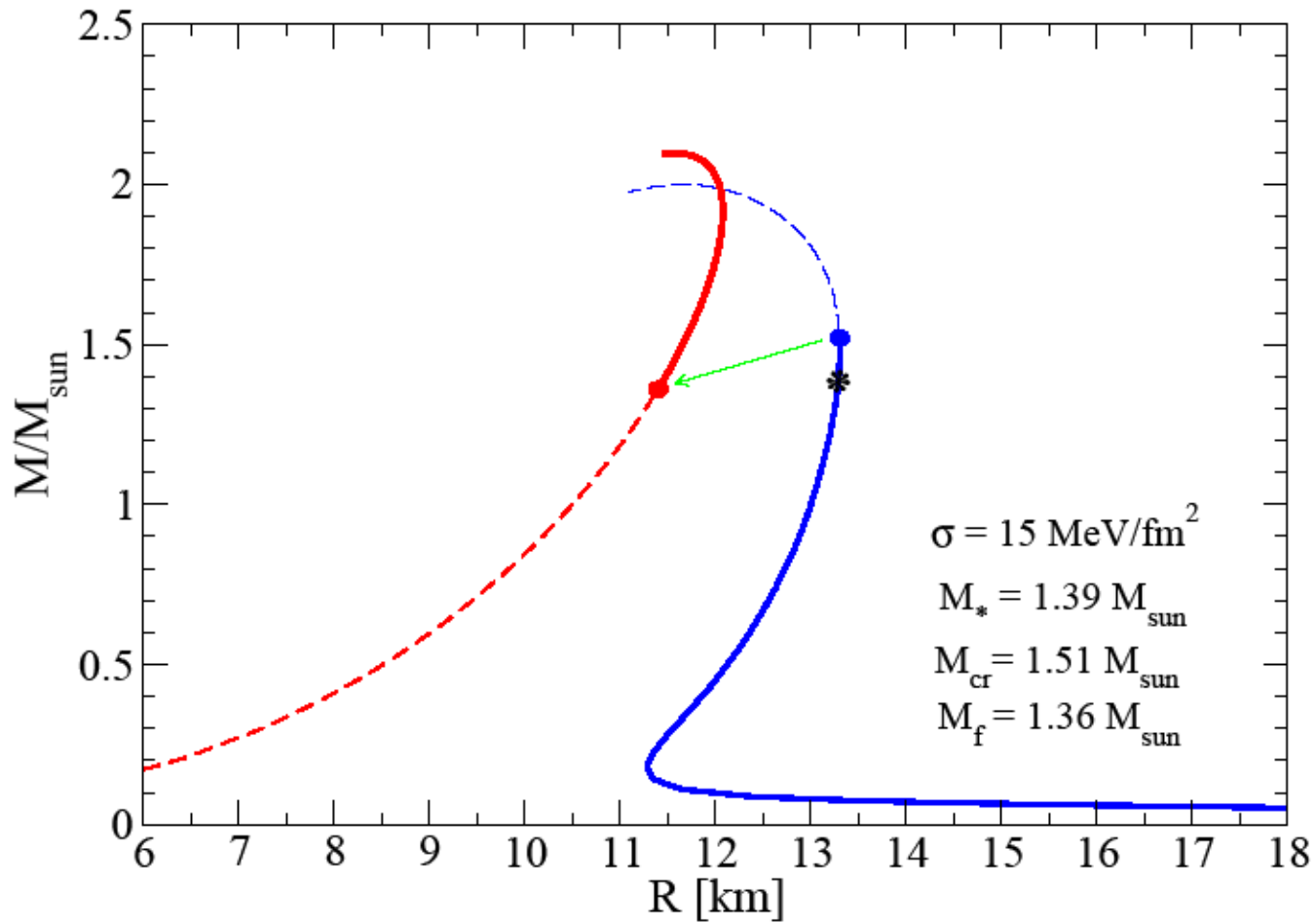
The critical mass M_{cr} plays the role of an **effective maximum mass** for the hadronic branch of compact stars

The two families of Compact Stars



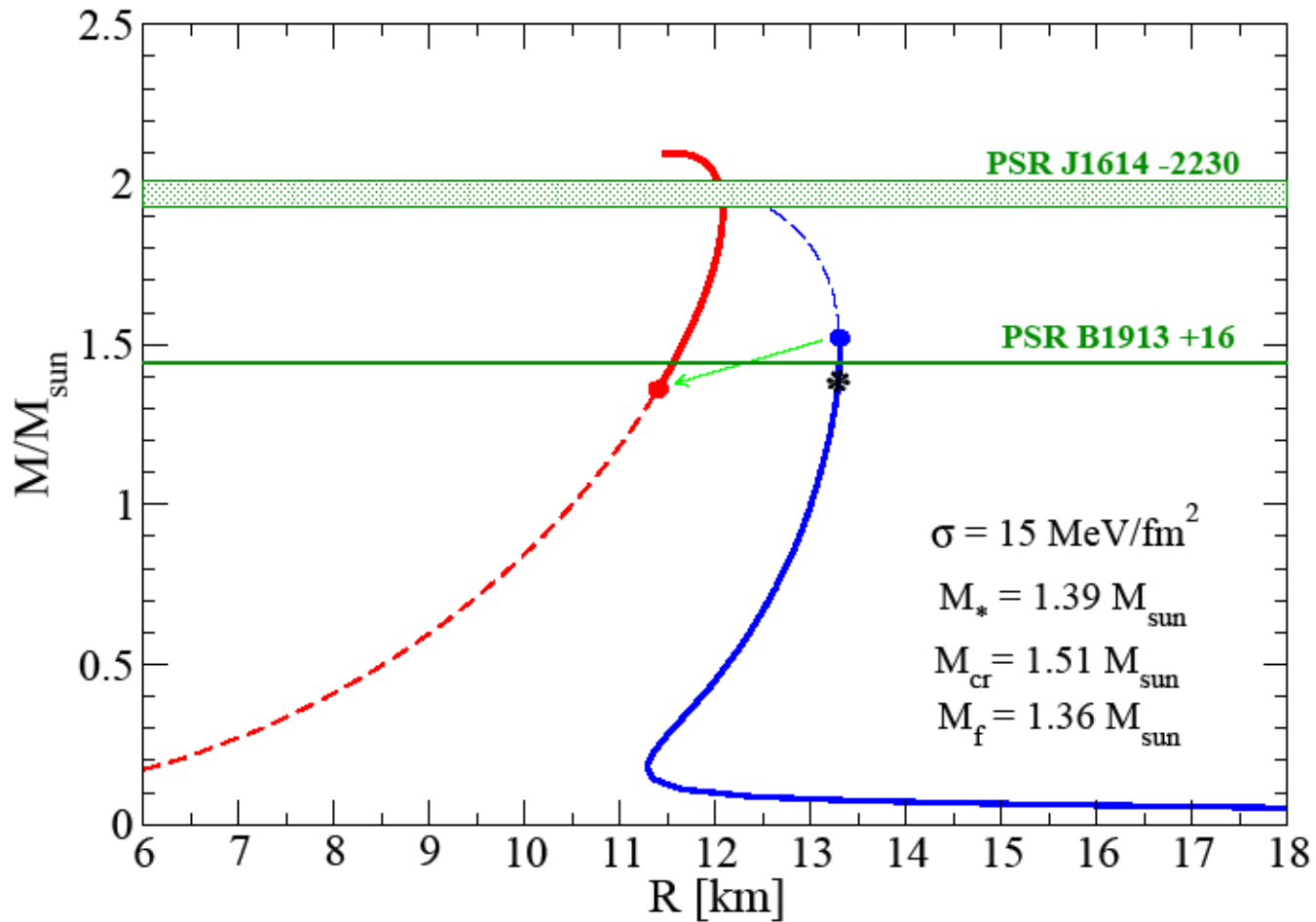
Hadronic Stars: nucleons + hyperons

Bombaci, Parenti, Vidaña, *Astrophys. Jour.* 614 (2004) 314



I. Bombaci, D. Logoteta (2014)

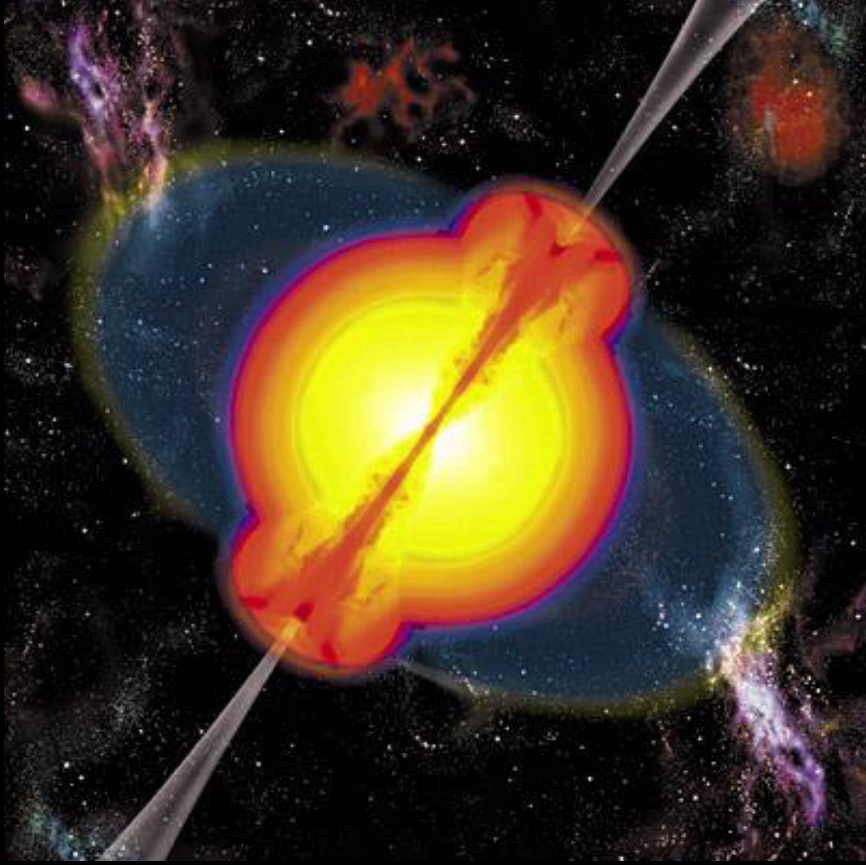
SQM EOS: Alford et al. *Astrophys. J.* 629 (2005); Fraga et al., *Phys. Rev. D* 63 (2001)



I. Bombaci, D. Logoteta (2014)

SQM EOS: Alford et al. Astrophys. J. 629 (2005); Fraga et al., Phys. Rev. D 63 (2001)

Total energy released in the stellar conversion

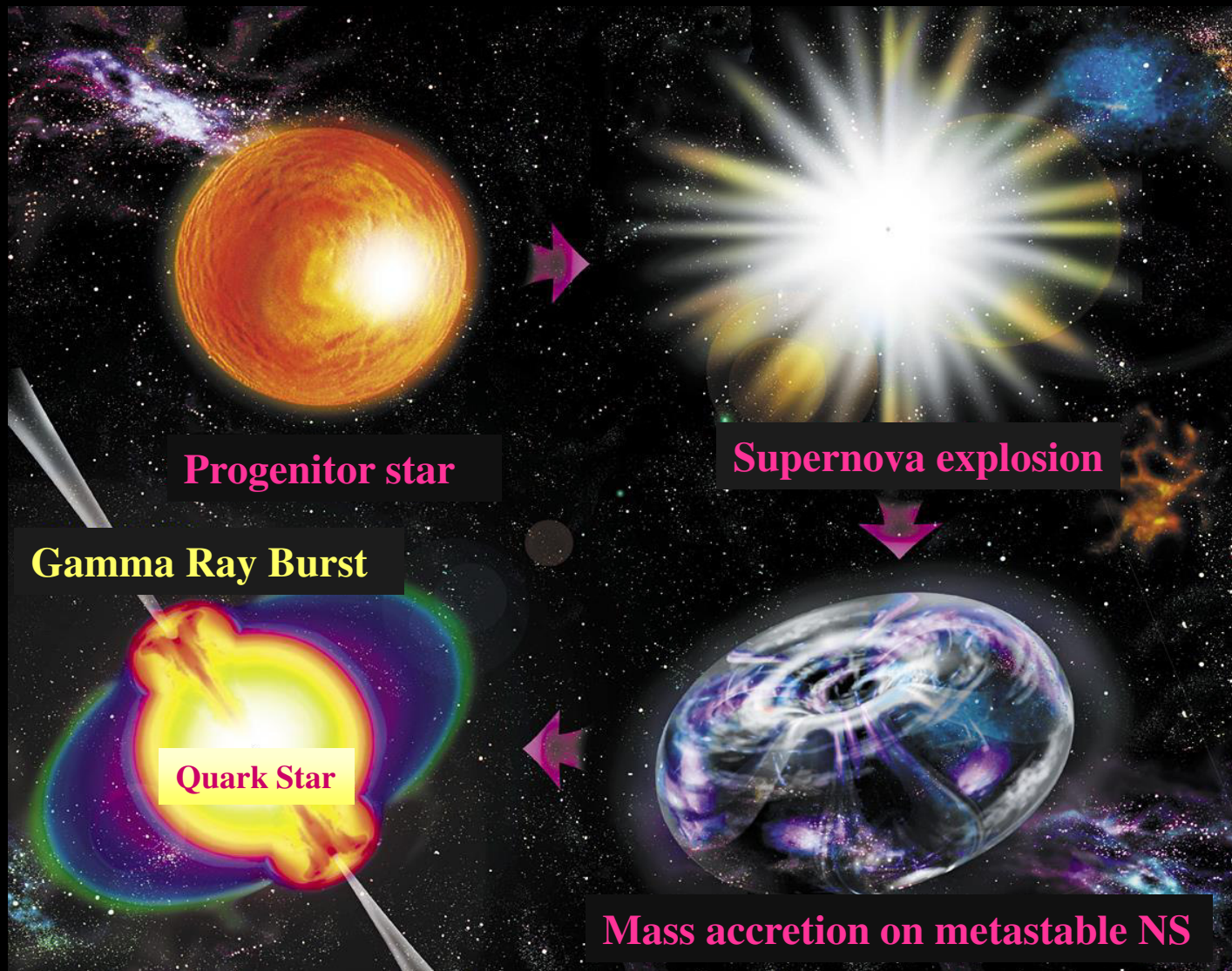


Assuming that the **stellar baryonic mass is conserved** during the stellar conversion, the total energy released in the process is :

$$E_{\text{conv}} = M_{\text{cr}} - M_{\text{QS}}(M_{\text{cr}}^{\text{b}}) \\ \sim 10^{53} \text{ erg}$$

I. Bombaci, & B. Datta, *Astrophys. J. Lett.* 530 (2000) L69

Supernova-GRB connection: Hadronic Star \rightarrow Quark Star conversion model



Summary

“**Hyperon puzzle**” in Neutron star physics $M_{\max} < 2 M_{\odot}$ \longrightarrow

\longrightarrow quest for **extra pressure at high densities**

(i)

- ▶ strong short-range repulsion in NY, YY interactions
- ▶ repulsive NNY, NYY, YYY 3-baryon interactions
- ▶ strong vector-meson mediated repulsive interaction (RMF)

$$\frac{|S|}{N_B} \approx 0$$

(ii) or, the transition to **Strange Quark Matter** produce a stiffening of the EOS due e.g. to perturbative quark interactions

NS \rightarrow Quark Stars (hybrid or strange stars)

$$\frac{|S|}{N_B} \approx 1$$

