Hard X-ray Luminosity Function of Tidal Disruption Events: First Results from MAXI Extragalactic Survey

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Tidal Disruption Events (TDEs)

- A star is disrupted by a Supermassive Black hole (SMBH) when the star falls inside the tidal disruption radius (*r*_T).
- The SMBHs (M_{BH} > 10⁸ M_{sun}) will not cause the TDEs due to $r_{T} < r_{sch}$ for stars lighter than the solar mass.
- The luminosity suddenly rises and follows power-law decay, of which index is ~ -5/3 (Phinney 1989).



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Main Topic

• Derivation of TDE Luminosity function (= LF, Mpc⁻³log L^{-1} yr⁻¹), where *L* is "*peak*" luminosity.



From the LF, we can know ..

- Effect on the SMBH mass growth history.
- Prediction of TDE number detected by a given observatory in the future.

Detection of TDEs with MAXI

- All-sky survey with MAXI is highly useful to detect transient TDEs
- We analyzed the all-sky data obtained every 30/90 days to search for transient events, such as TDEs (2009/09-2012/10).



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- We adopted the two criteria of "1) high amplitude" and "2) -5/3 powerlaw decay of light curve" to identify TDEs.



X-ray Survey for TDEs



• LF is first based on SMBH mass function (Mpc⁻³M_{BH}⁻¹)

 $\psi(M_{\rm BH*}; M_{\rm BH}) dM_{\rm BH} = \psi_0 \left(\frac{M_{\rm BH}}{M_{\rm BH*}}\right)^{\gamma} e^{-\left(\frac{M_{\rm BH}}{M_{\rm BH*}}\right)^k} \frac{dM_{\rm BH}}{M_{\rm BH*}} \quad (\gamma = -1.24, k = 0.8)$

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- Assume that the "*peak*" luminosity is proportional to the Eddington luminosity. \rightarrow LF (Mpc⁻³yr⁻¹L⁻¹)

$$\frac{\mathrm{d}\Phi(L_{\mathrm{x}},z)}{\mathrm{d}L_{\mathrm{x}}}\mathrm{d}L = (1+z)^{p}\psi_{0}\xi_{0}\left(\frac{L_{\mathrm{x}}}{L_{\mathrm{x}*}}\right)^{\gamma+\lambda}e^{-(\frac{L_{\mathrm{x}}}{L_{\mathrm{x}*}})^{k}}\frac{\mathrm{d}L_{\mathrm{x}}}{L_{\mathrm{x}*}}$$

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- We considered two LFs of TDEs w/ jets and those w/o jets using the fraction of TDEs w/ jets, f_{jet}.
- Only TDE rate ($\psi_0 \xi_0$) and the fraction (f_{jet}) are free pars. 11/15

TDE Hard X-ray LF

- Fitted the data (z, L_x) with the "*Maximum Likelihood*" method.
- Our calc. does not depend on jet detection by considering all possible L_x variation due to presence or absence of the jets and the inc. angles.



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 Contribution of TDEs to the SMBH mass density is much smaller than that of AGN.

Summary

- 1. All-sky monitor with MAXI has detected 4 TDE candidates in the 37-months since 2009.
- 2. We derived the hard TDE X-ray luminosity function for the first time.
- 3. TDEs do not strongly contribute to the total SMBH mass density evolution since $z \sim 1.5$.