

# Physics of Ultraperipheral Collisions at RHIC (focusing on forward neutrons)

PHENIX, arXiv:1703.10941  
GM, EPJ. C **75**, 614 (2015)  
GM, PRC **95**, 044908 (2017)

Gaku Mitsuka  
(RIKEN BNL Research Center)

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第12回 「高エネルギー QCD・核子構造」勉強会

KEK東海

# Motivation and Outline

- Transverse single spin asymmetries for forward neutrons
- What are ultraperipheral collisions (UPCs)?
- UPC simulation methodology
- Hadronic interactions (one- $\pi$  exchange, OPE)
- Comparison of the RHIC data with the UPC+OPE simulation
- Summary

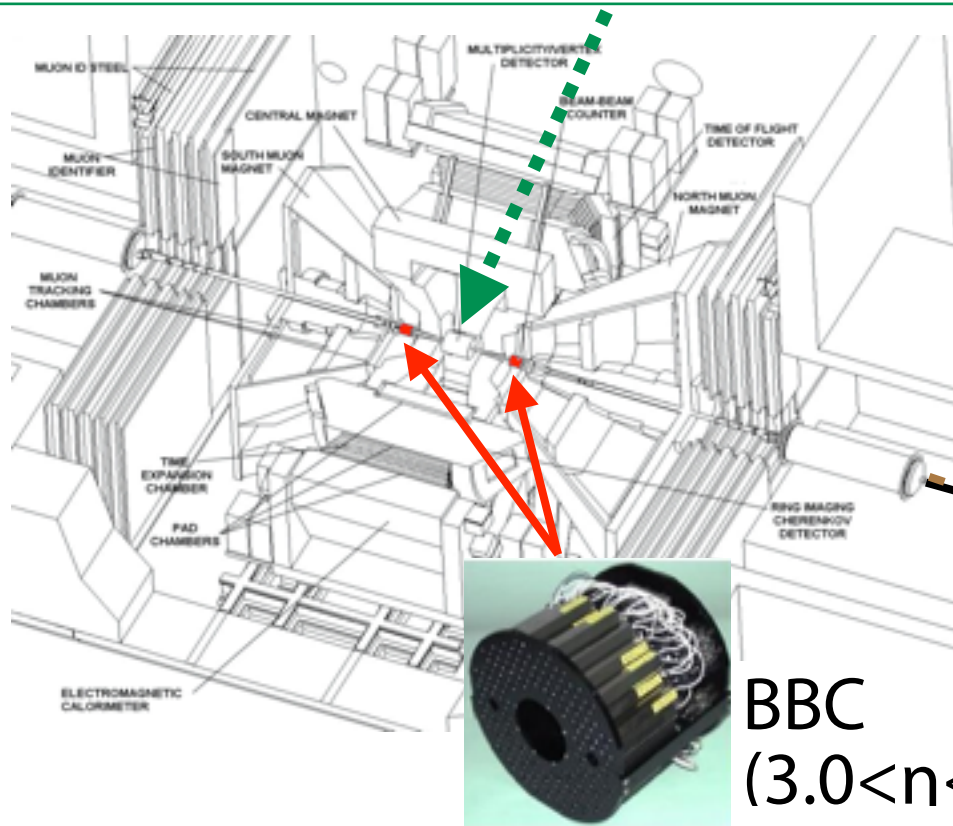
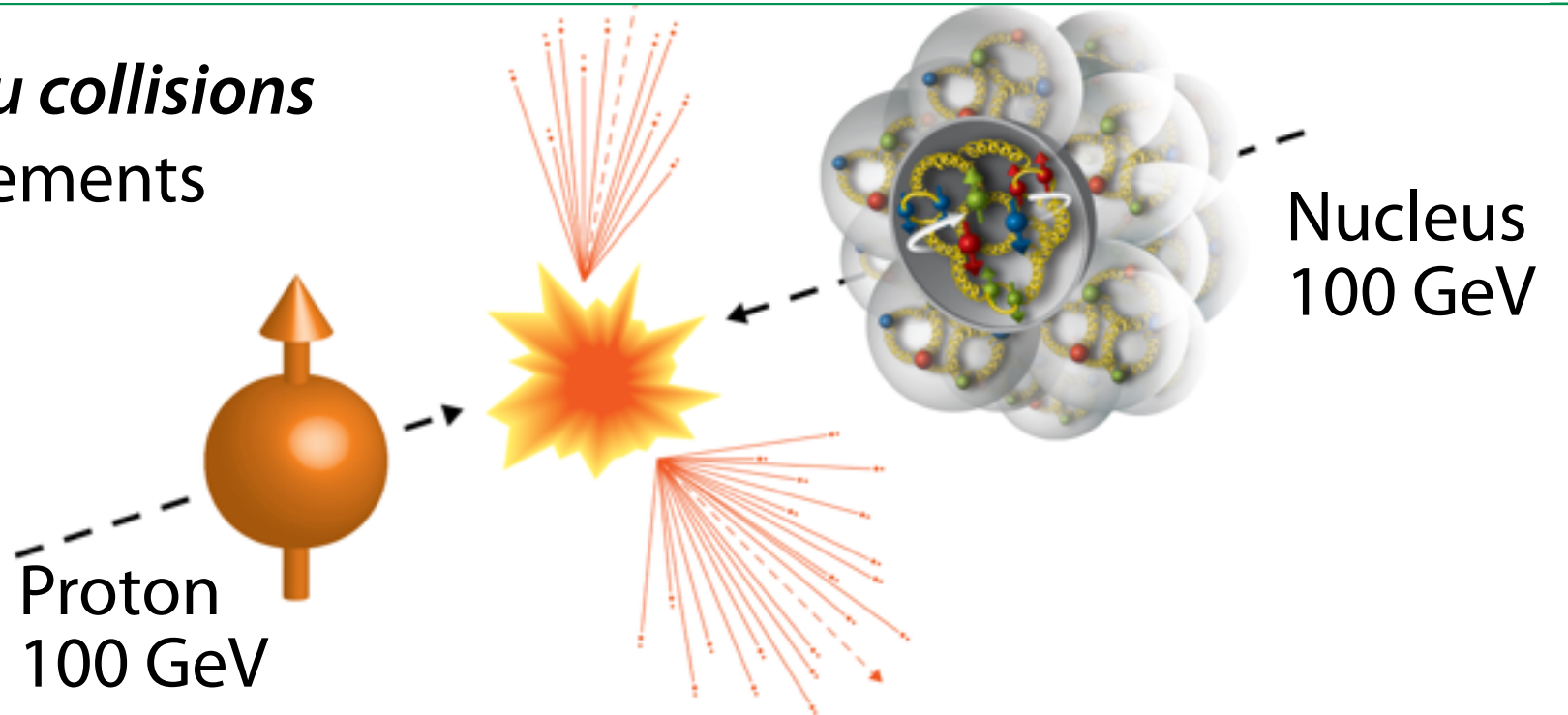
# Transverse single spin asymmetries for forward neutrons

*RHIC-15 run in p+Al and p+Au collisions*

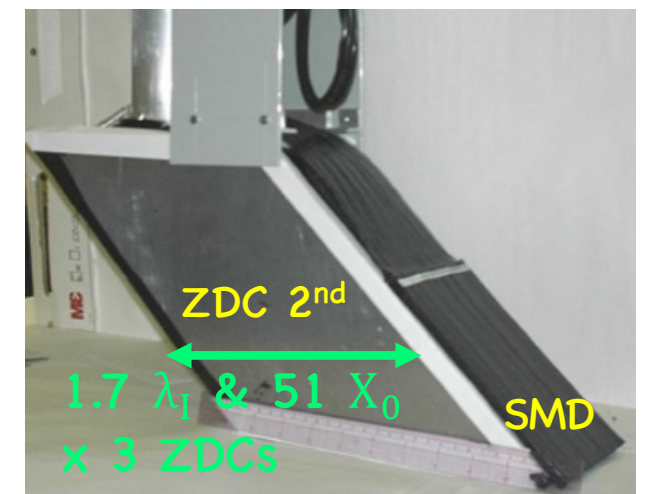
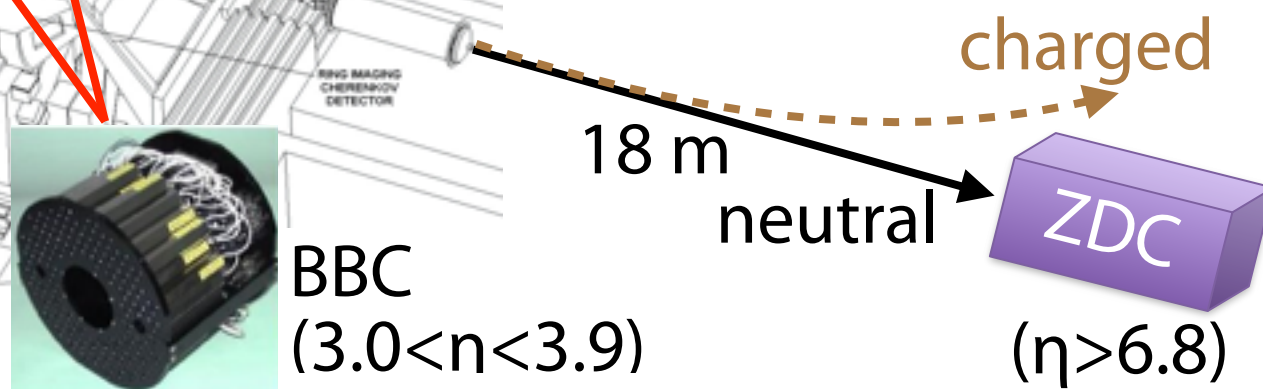
Dedicated run for  $A_N$  measurements

Average pol.  $\sim 0.5-0.6$

(syst. uncertainty  $\sim 3\%$ )

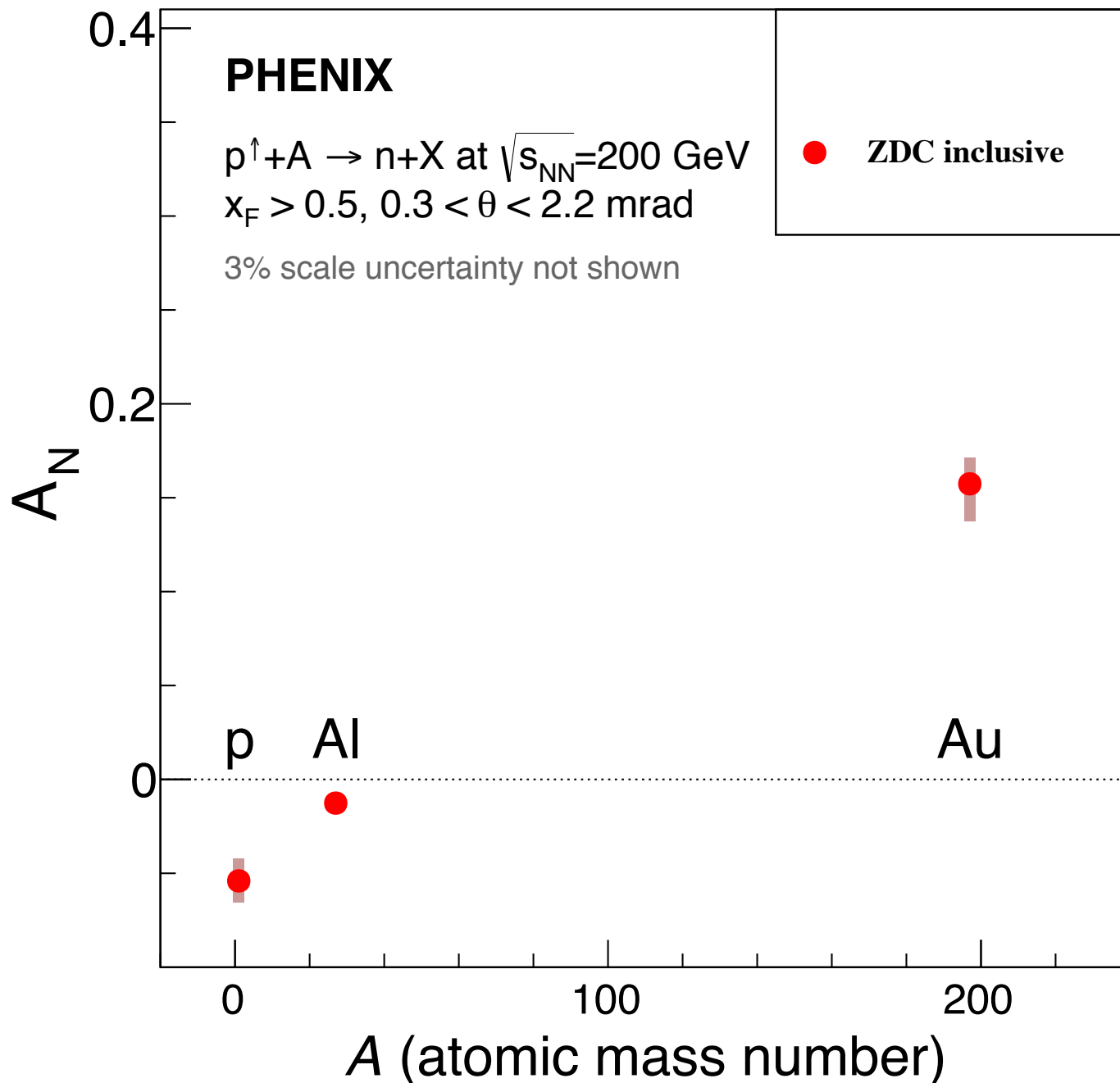


- ZDC (Zero Degree Calorimeter): hadron calorimeter with a  $10 \times 10 \text{ cm}^2$  area ( $\Delta E/E \sim 20-30 \%$ )
- SMD (Shower Max Detector): X-Y plastic scintillator hodoscope ( $\Delta x, \Delta y \sim 1 \text{ cm}$ )
- Charge veto counter: plastic scintillator pad at front

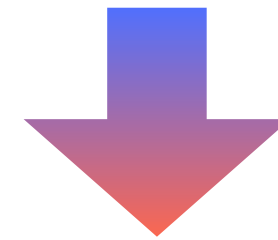


# Inclusive $A_N$ for forward neutrons

PHENIX, arXiv:1703.10941



Prediction before the measurement:  
**weak A-dependence**  
(expected from Reggeon exc.)



**Surprisingly strong A-dependence**

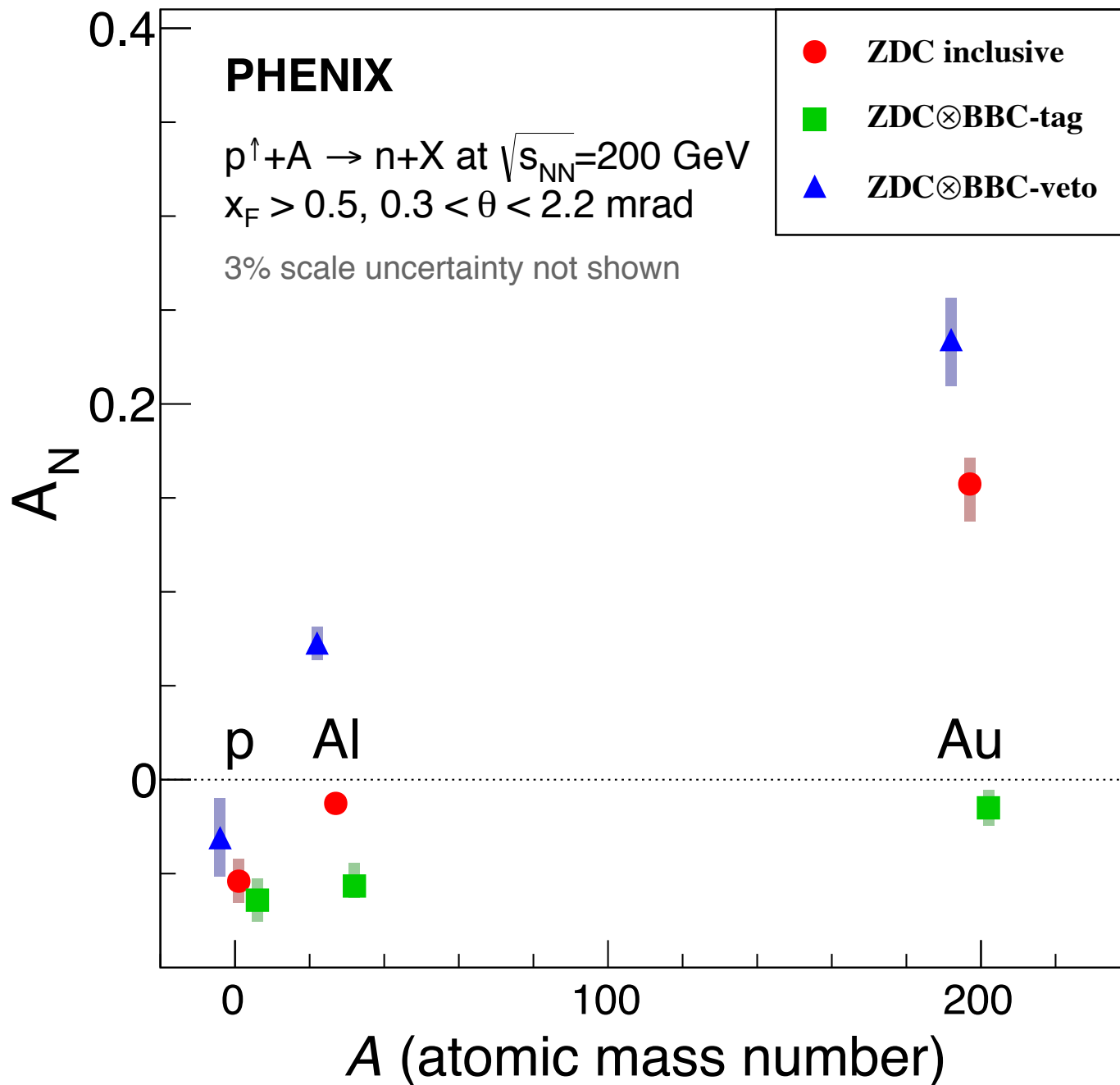
→ what mechanisms do produce such strong A-dependence?

→ *hint: how does  $A_N$  behave with the other triggers?*

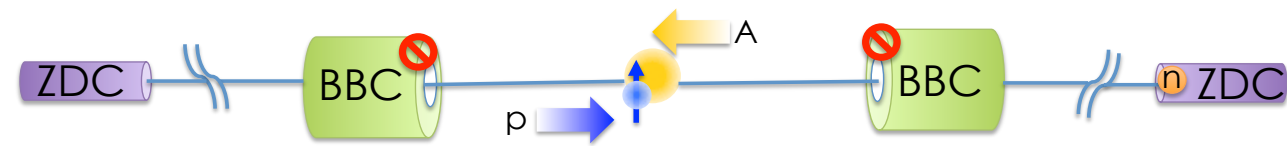


# BBC correlated $A_N$ for forward neutrons

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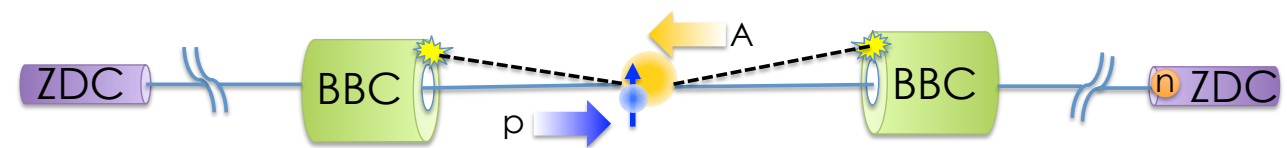


Particle veto at lower rapidities: **BBC-VETO**



→ much stronger A-dependence

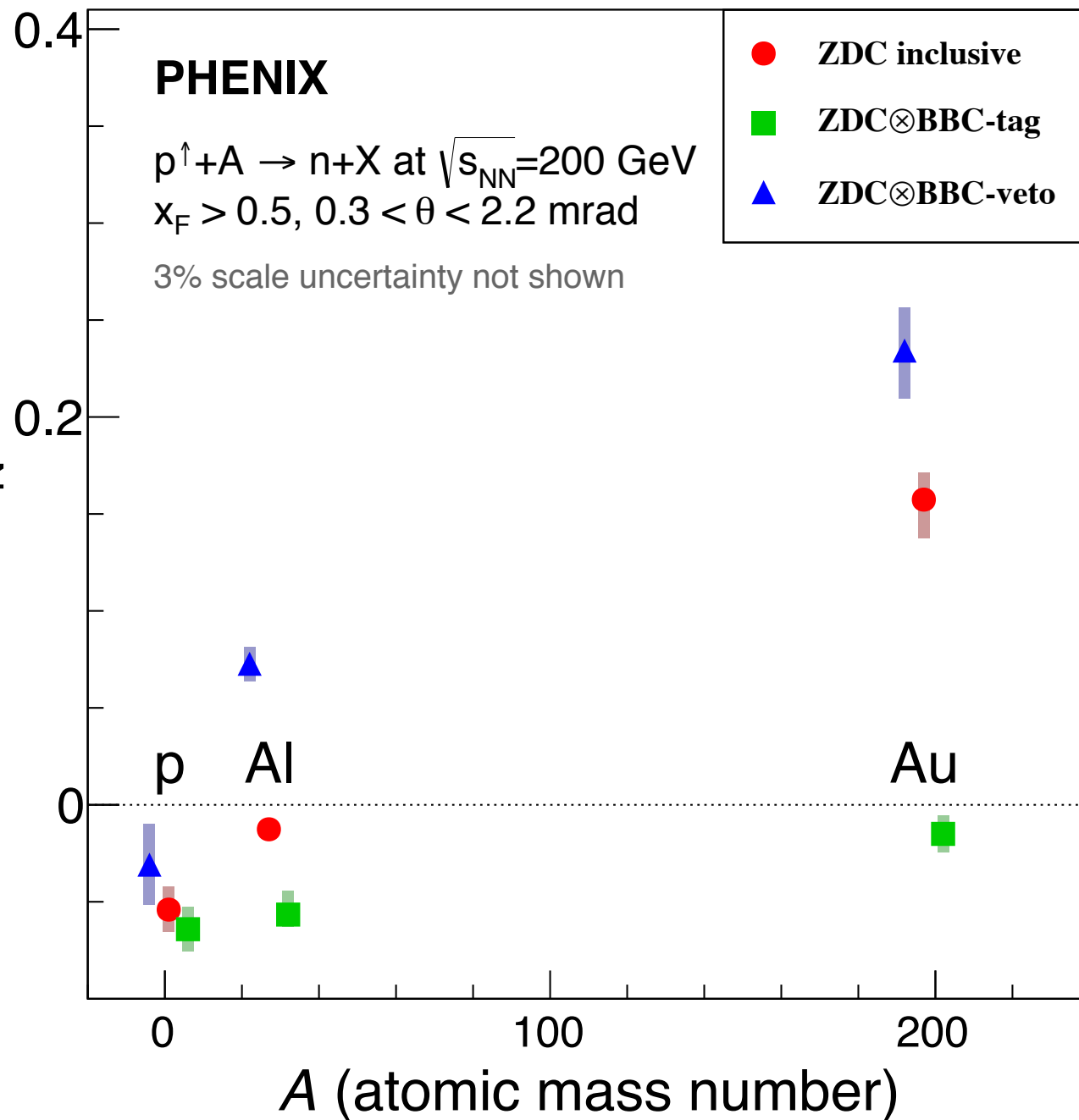
Particle hits at lower rapidities: **BBC-TAG**



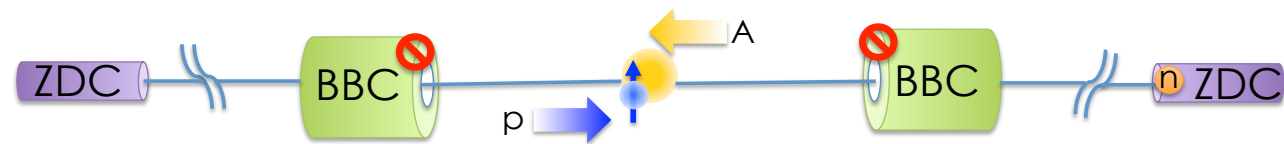
→ weak A-dependence

# BBC correlated $A_N$ for forward neutrons

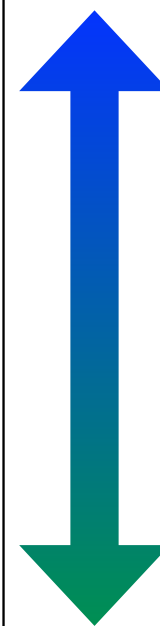
PHENIX, arXiv:1703.10941



Particle veto at lower rapidities: **BBC-VETO**

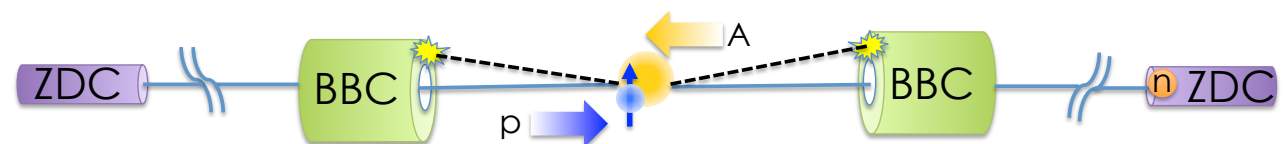


→ much stronger A-dependence



*Large  $A_N$  when fewer underlying particles*  
*Small  $A_N$  when ample underlying particles*  
**Do not only hadronic interactions but also electromagnetic interactions play a crucial role in  $p+A$ ?**

Particle hits at lower rapidities: **BBC HIT**

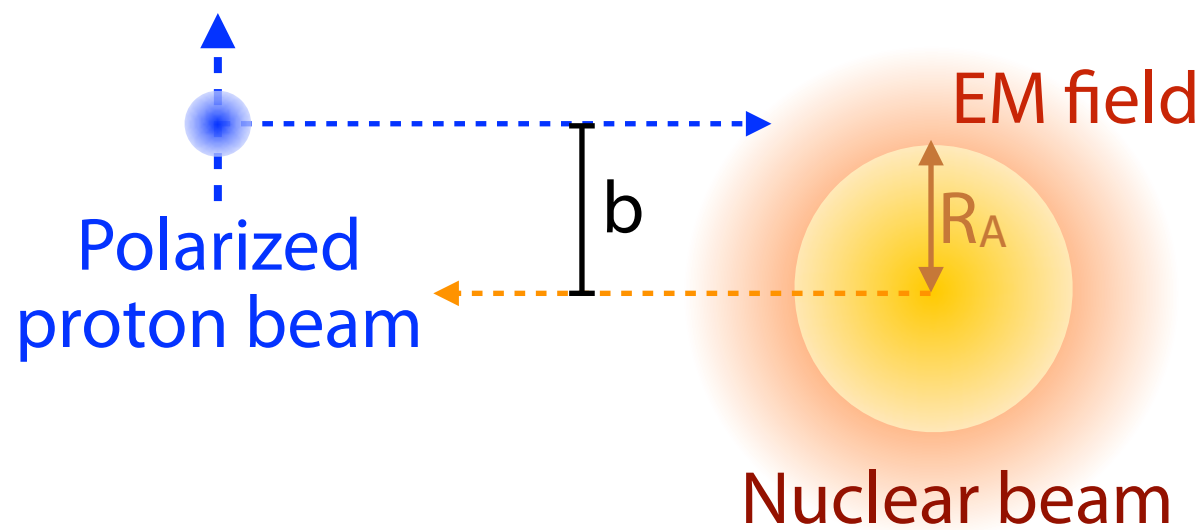


→ weak A-dependence

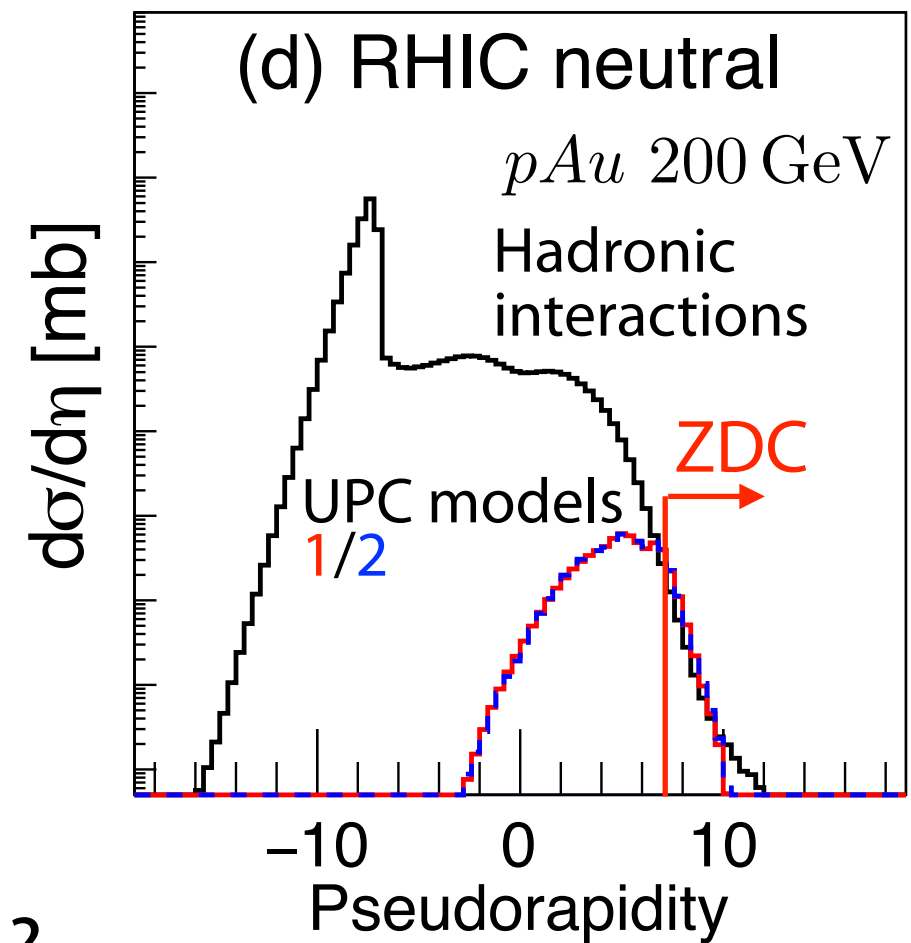
# What are ultraperipheral collisions?

Particle production in Ultraperipheral p+A collisions (UPCs):

- a collision of a proton with the EM field made by a relativistic nucleus when the impact parameter  $b$  is larger than  $R_A + R_p$
- fewer underlying particles unlike in hadronic interactions  $\rightarrow$  smaller activity at BBC



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UPC cross section

$\gamma^*$  flux  $\propto Z^2$  Does  $\gamma^*p \rightarrow \pi^+n$  lead to large  $A_N$ ?

$$\frac{d\sigma_{\text{UPC}}^4(p \uparrow A \rightarrow \pi^+ n)}{dW db^2 d\Omega_n} = \frac{d^3 N_{\gamma^*}}{dW db^2} \frac{d\sigma_{\gamma^* p \uparrow \rightarrow \pi^+ n}(W)}{d\Omega_n} P_{\text{had}}(b)$$

$\sigma_{\text{UPC}} \approx \sigma_{\text{Had}}$  at  $\eta > 7$

# Virtual photon flux

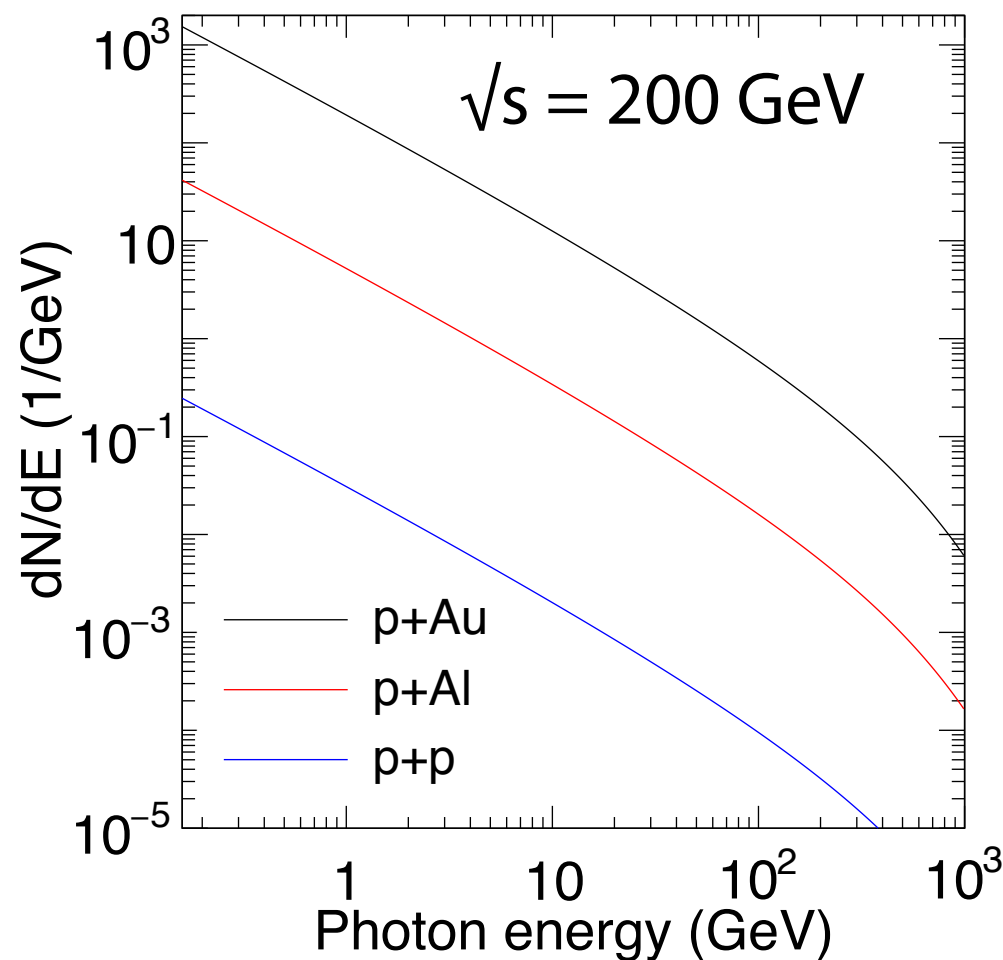
The number of virtual photons per energy and b is formulated by the Weizsacker-Williams approximation or QED (Phys. Rep 364 359, NPA 442 739, etc...):

$$\frac{d^3 N_{\gamma^*}}{d\omega_{\gamma^*}^{rest} db^2} = \frac{Z^2 \alpha}{\pi^2} \frac{x^2}{\omega_{\gamma^*}^{rest} b^2} \left( K_1^2(x) + \frac{1}{\gamma^2} K_0^2(x) \right)$$

Proportional to  $Z^2$   
( $\sim 6 \times 10^3$  for Au)

where  $x = \omega_{\gamma^*}^{rest} b / \gamma$  and  $\omega_{\gamma^*}^{rest}$  is the virtual photon energy in the proton rest frame.

Note that the virtual photon flux depends on the charge of photon source as  $Z^2$ .



- From the virtual photon flux, we see that low-energy photons dominate UPCs.

Photon virtuality is limited by  $Q^2 < \frac{1}{R^2}$ . So,  $Q^2 < 10^{-3} \text{ GeV}^2$

# Do low-E $\gamma^*p$ interactions have large $A_N$ ?

Polarized  $\gamma^*p$  cross sections

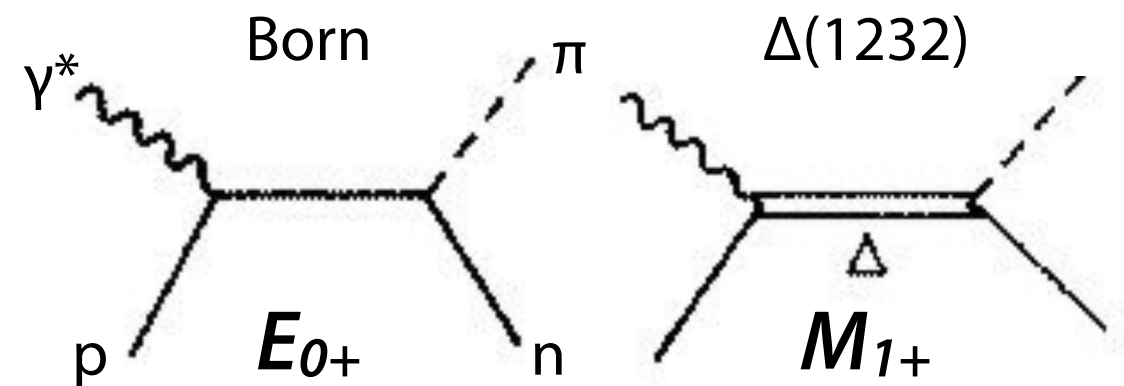
(Drechsel and Tiator,  
J. phys. G 18, 449 (1992))

$$\frac{d\sigma_{\gamma^*p^\uparrow \rightarrow \pi+n}}{d\Omega_\pi} = \frac{|q|}{\omega_{\gamma^*}} (R_T^{00} + P_y R_T^{0y}) \quad \text{Equivalent to } A_N$$

$$= \frac{|q|}{\omega_{\gamma^*}} R_T^{00} (1 + P_2 \cos \phi_\pi T(\theta_\pi))$$

$T(\theta_\pi)$  is decomposed into multipoles:

$$T(\theta_\pi) \equiv \frac{R_T^{0y}}{R_T^{00}} \propto \text{Im} \left\{ E_{0+}^* (E_{1+} - M_{1+}) - 4 \cos \theta_\pi (E_{1+}^* M_{1+}) \dots \right\}$$



Interference between  $E_{0+}$  and  $M_{1+}$  leads to large  $T(\theta_\pi)$  in the  $\Delta(1232)$  region

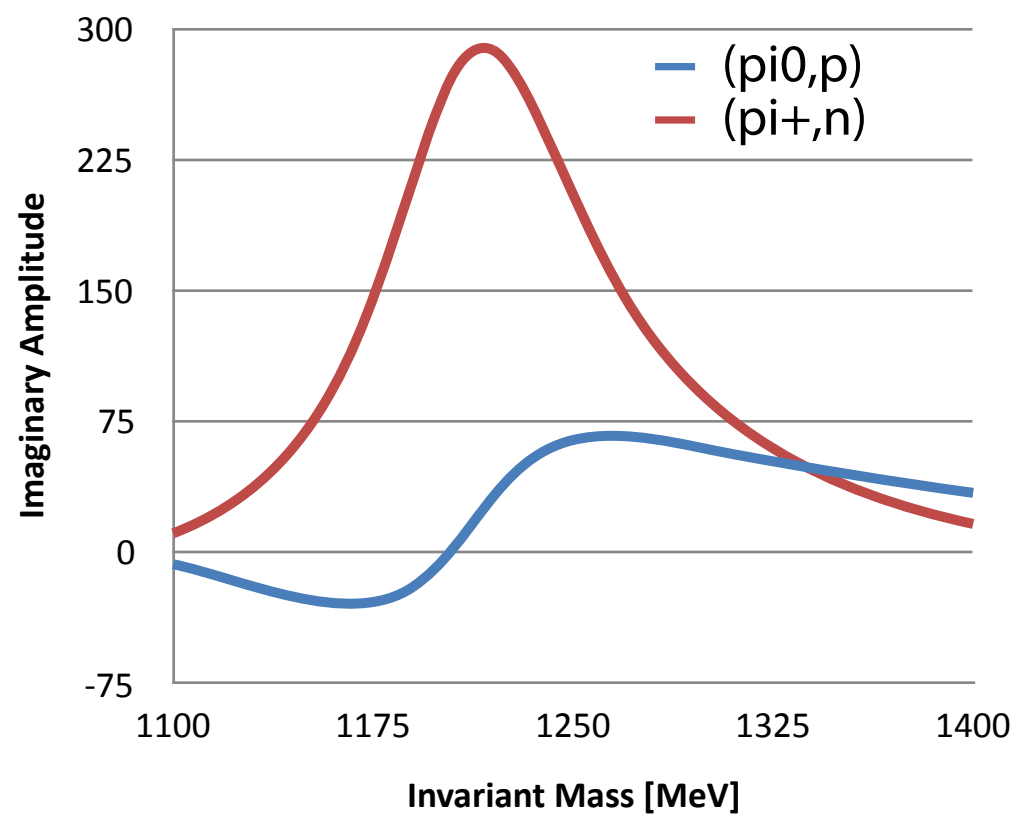
MC simulations of the polarized  $\gamma^*p$  interactions are developed for testing  $T(\theta_\pi)$ , i.e.  $A_N$  in pA collisions.

# Multipole decomposition of $T(\theta_\pi)$

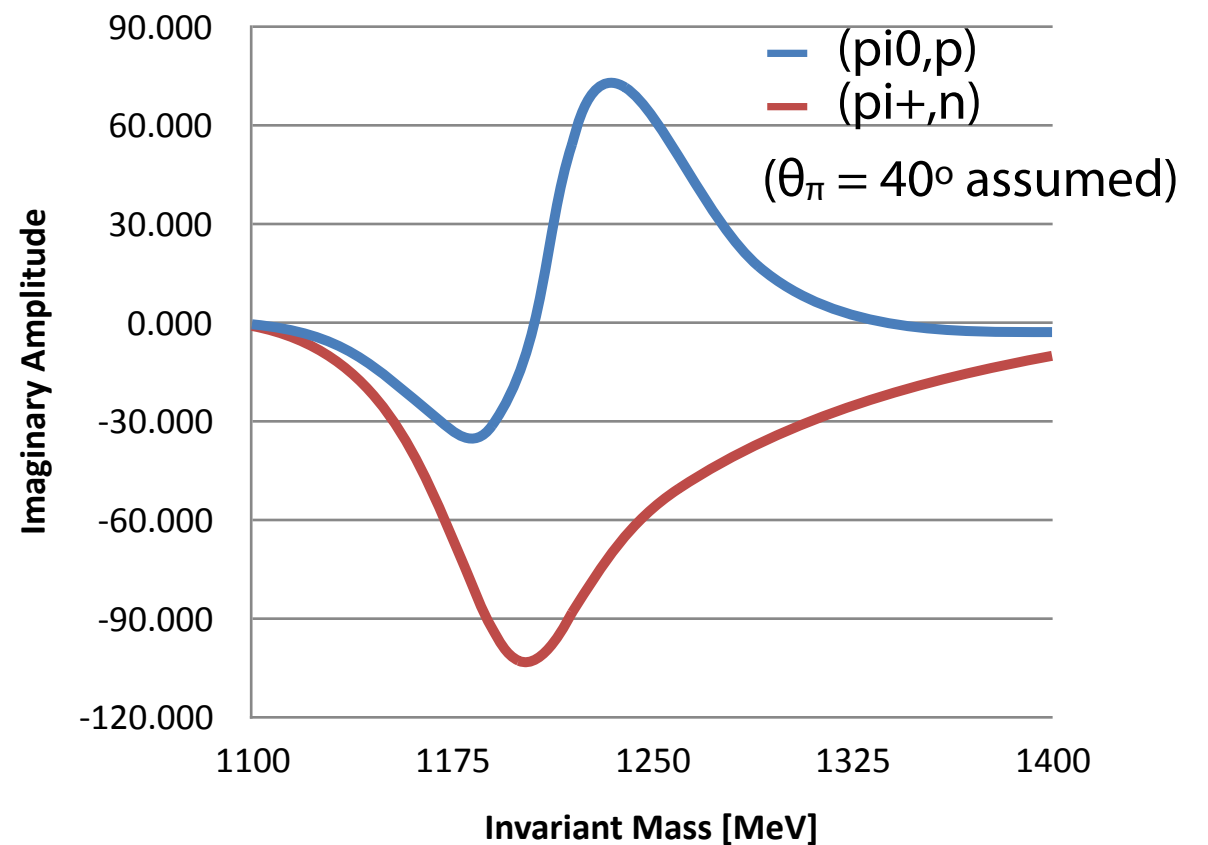
$$A_N^{\text{UPC}} \sim T(\theta_\pi) \equiv \frac{R_T^{0y}}{R_T^{00}} \propto \text{Im} \left\{ \underbrace{E_{0+}^* (E_{1+} - M_{1+})}_{\text{Leading part}} - \underbrace{4 \cos \theta_\pi (E_{1+}^* M_{1+}) \dots}_{\text{Subleading part}} \right\}$$



**$\text{Im}\{E_{0+}^*(E_{1+}-M_{1+})\}$**



**$\text{Im}\{4\cos(40)(E_{1+}^*M_{1+})\}$**



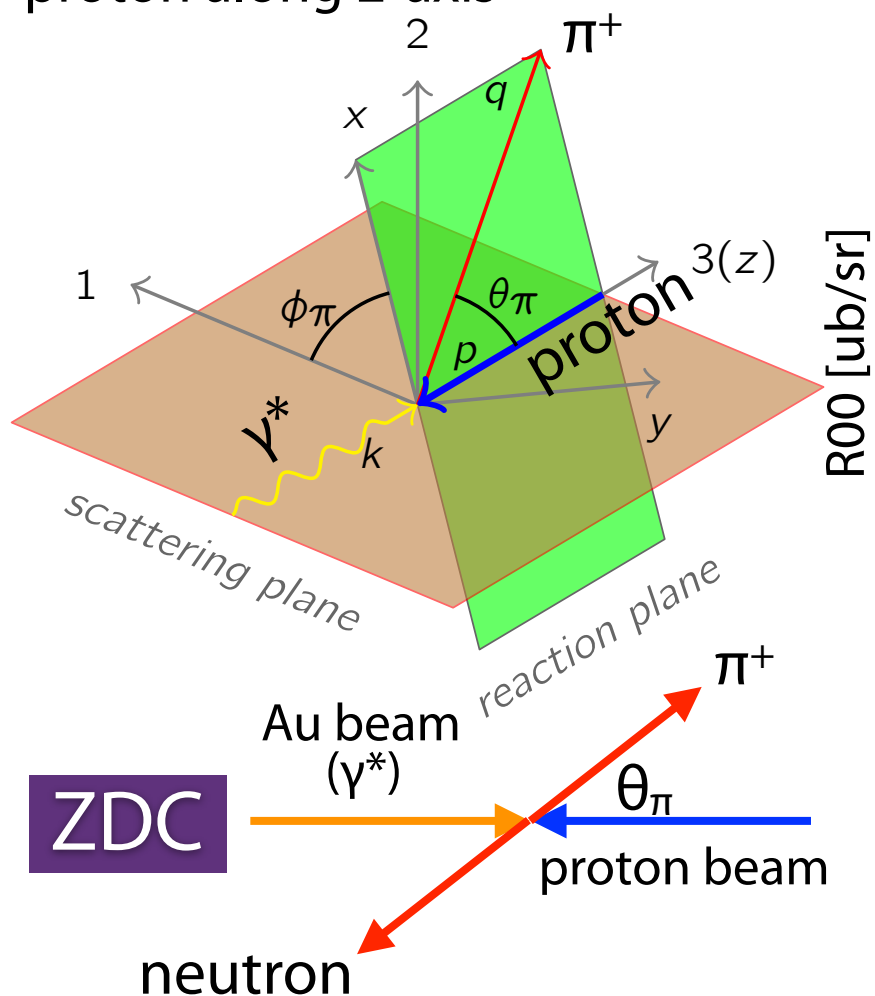


# MC simulations for low-E $\gamma^*p$ interactions

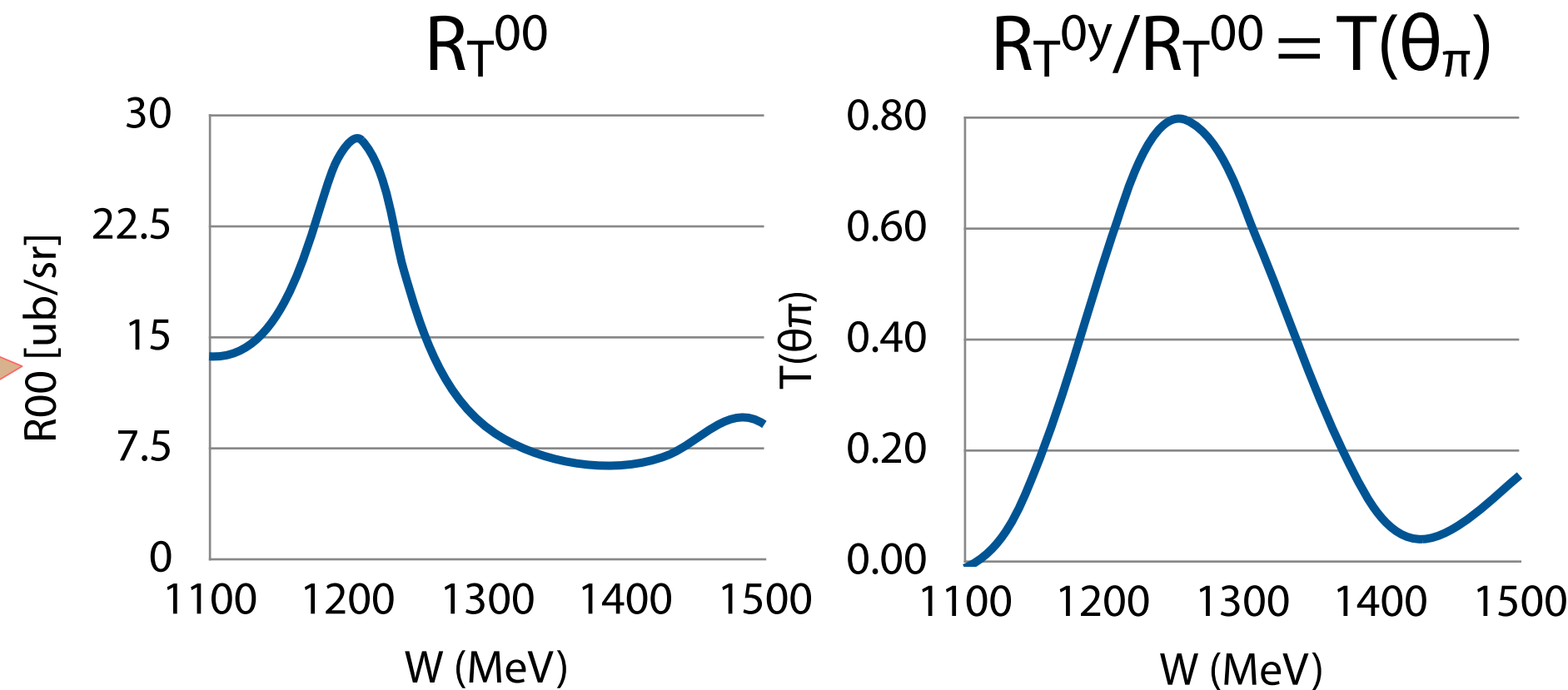
- MC simulations based on the MAID2007 model (Drechsel et al. EPJ A 34, **69** (2007)) are performed for  $R_T^{00}$  and  $T(\theta_\pi)$ .
- $T(\theta_\pi) \sim 0.8$  at  $\Delta(1232)$ ,  $\sim -0.5$  at  $N(1680) \rightarrow$  large  $A_N$ !!

## $\gamma^*p$ center-of-mass system

transversely polarized  
proton along 2-axis



Numerical data from MAID 2007 ( $Q^2 = 0$ ,  $\theta_\pi = 90$  degree)

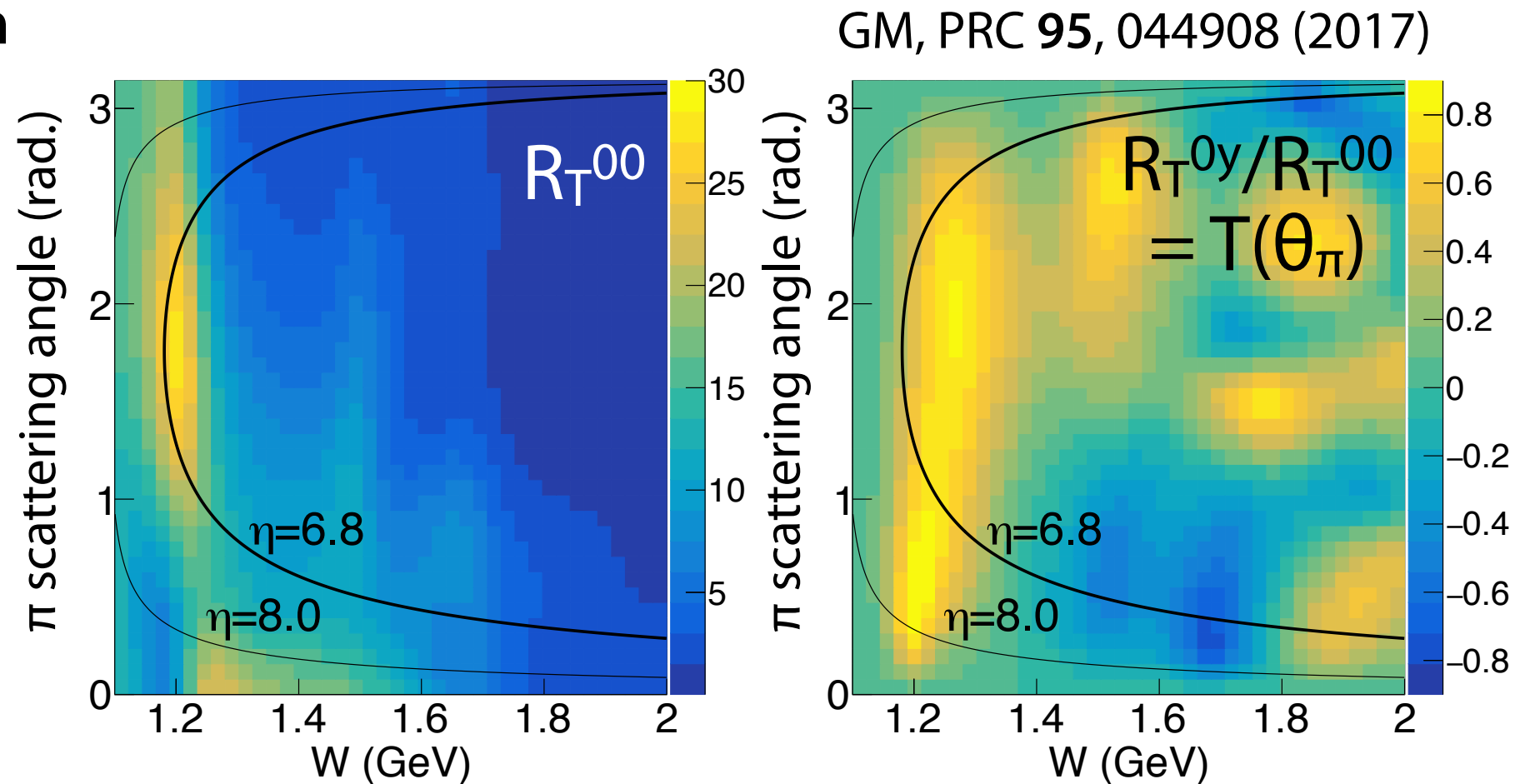
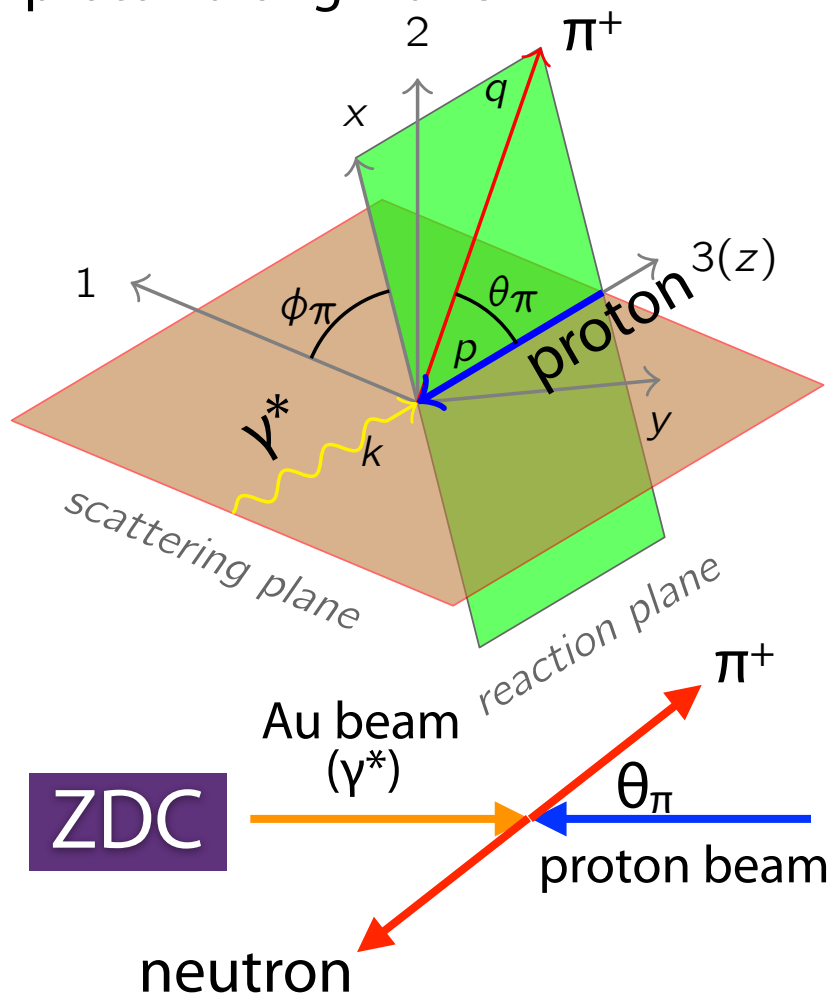


# MC simulations for low-E $\gamma^*p$ interactions

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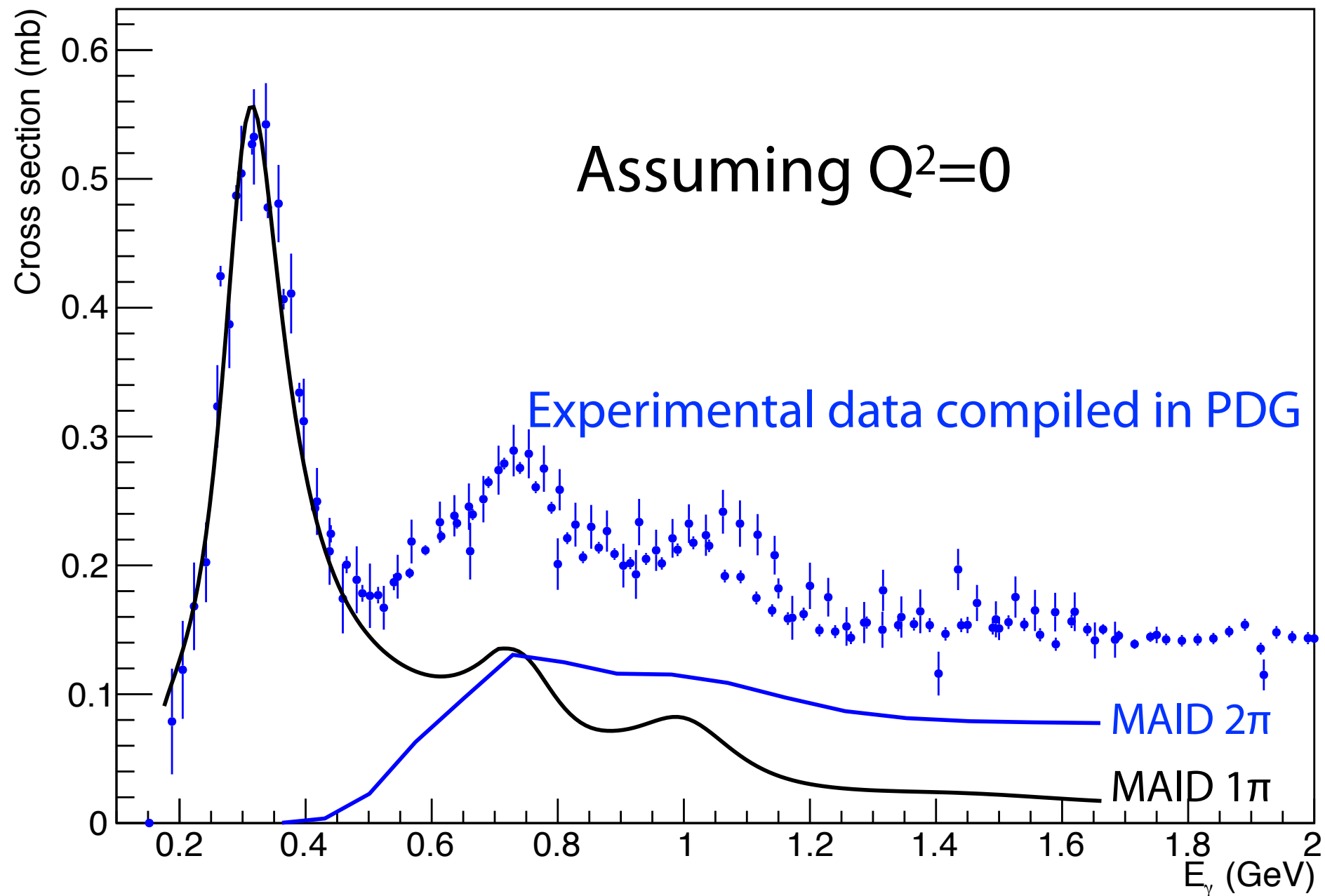
## $\gamma^*p$ center-of-mass system

transversely polarized  
proton along 2-axis



- Solid curves indicate the ZDC acceptance.
- $T(\theta_\pi)$  with the weight of  $\gamma^*$  flux =  $A_N$

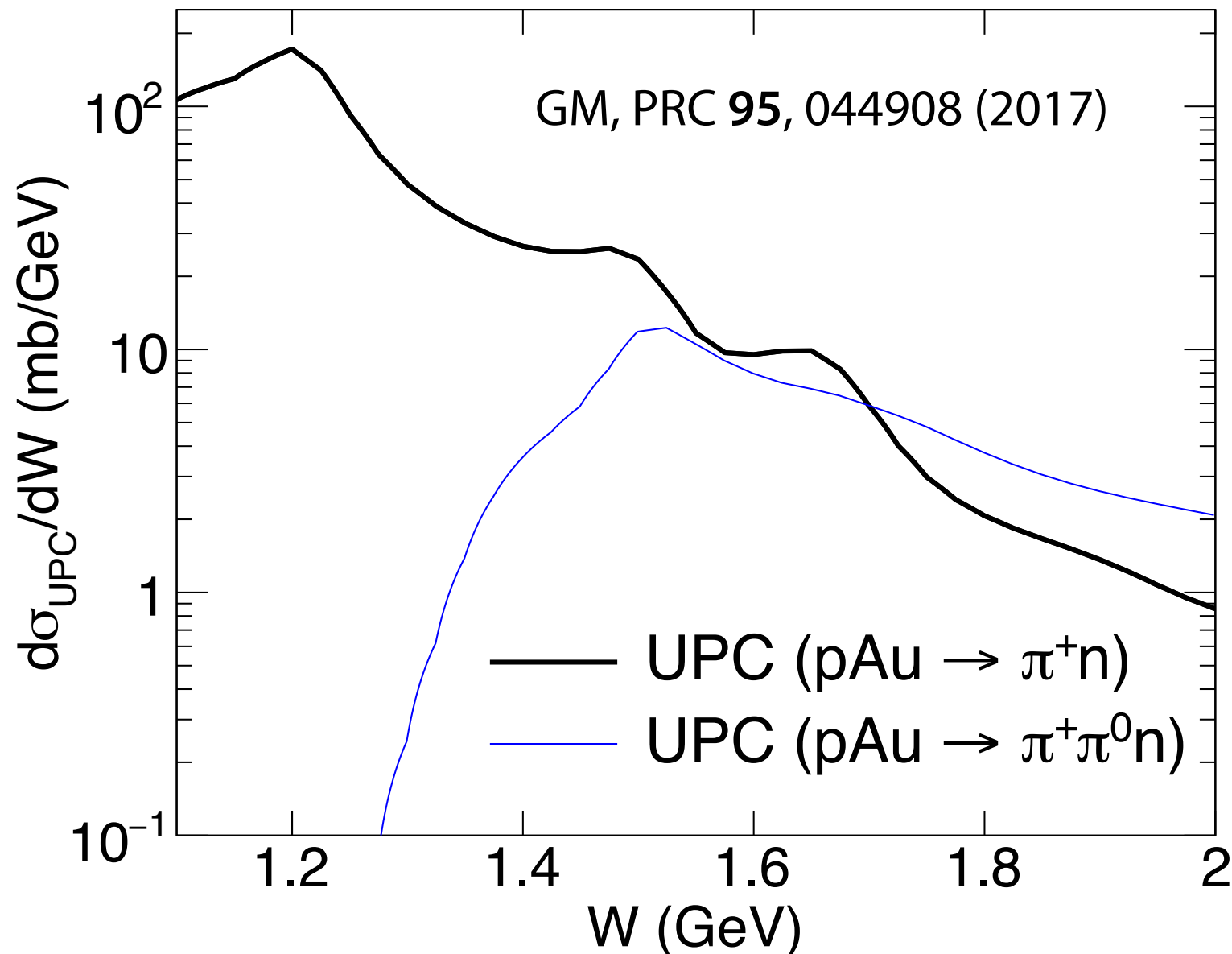
# Inclusive cross sections of $\gamma p$ interactions



Only  $1\pi$  channel is taken into account in this study.

Hard to simulate neutron momenta in  $2\pi$  channels, leave for future study

# UPC cross sections as a function of W



$$\frac{d\sigma_{\text{UPC}(p^\uparrow A \rightarrow \pi^+ n)}^4}{dW db^2 d\Omega_n} = \frac{d^3 N_{\gamma^*}}{dW db^2} \frac{d\sigma_{\gamma^* p^\uparrow \rightarrow \pi^+ n}(W)}{d\Omega_n} \overline{P_{\text{had}}(b)}$$

- *2π channels are anyway subdominant in UPCs.*
- *Table I and II show the total cross sections in UPCs and hadronic interactions.*

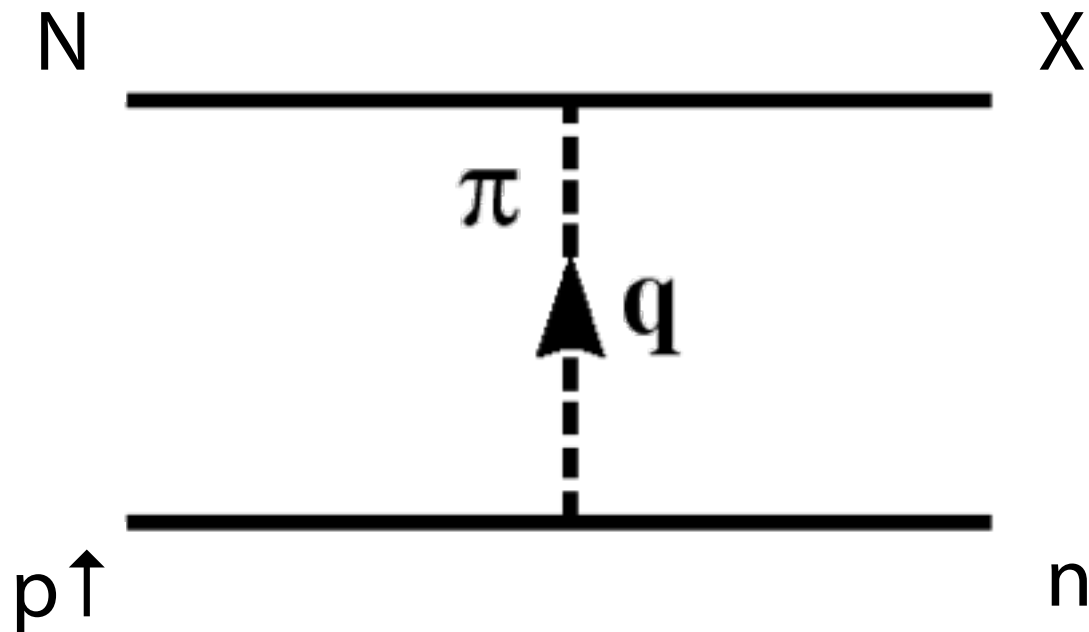
TABLE I. Cross sections for neutron production in ultra-peripheral collisions and hadronic interactions at  $\sqrt{s_{\text{NN}}} = 200$  GeV. Cross sections in parentheses are calculated without  $\eta$  and  $z$  limits.

UPCs		Hadronic interactions	
$p^\uparrow \text{Al}$	$p^\uparrow \text{Au}$	$p^\uparrow \text{Al}$	$p^\uparrow \text{Au}$
0.7 mb (2.2 mb)	19.6 mb (41.7 mb)	8.3 mb	19.2 mb

TABLE II. Cross sections in ultraperipheral pAu collisions at  $\sqrt{s_{\text{NN}}} = 200$  GeV.

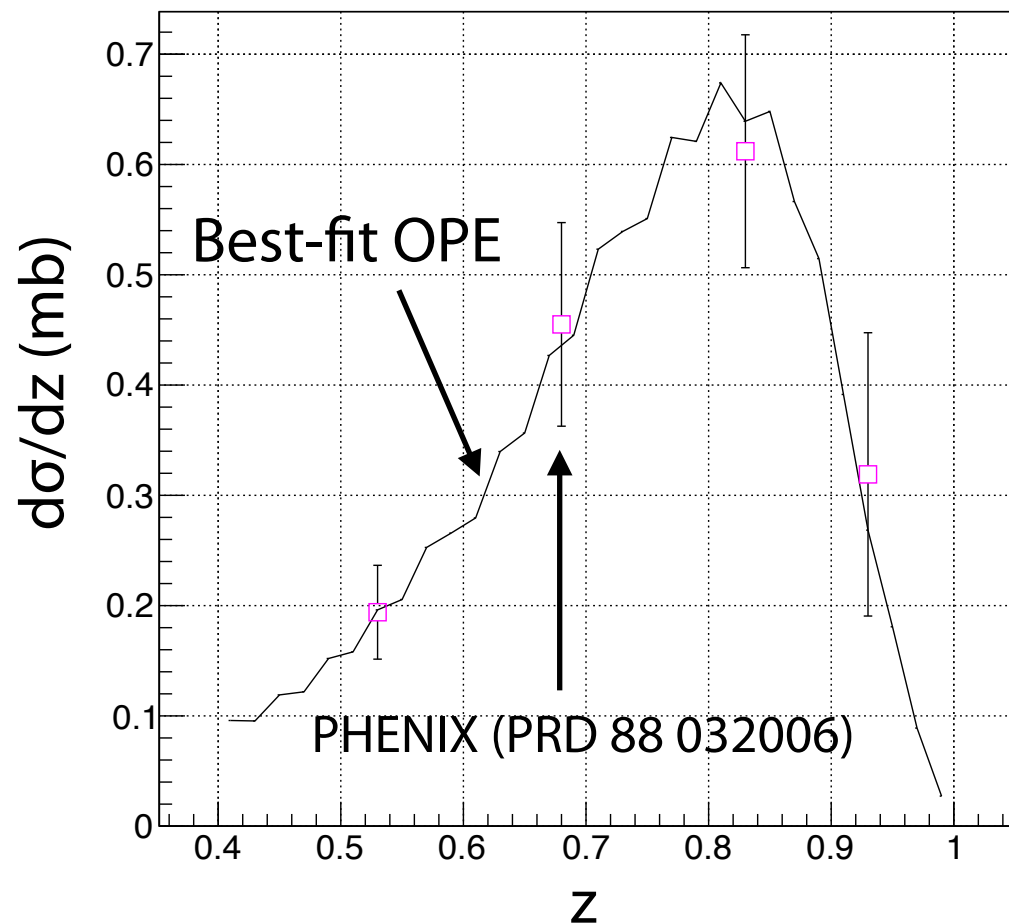
$p\text{Au} \rightarrow nX$ ( $\eta > 6.9$ and $z > 0.4$ )			$p^\uparrow \text{Au} \rightarrow \pi^+ \pi^0 n$
$< 1.1$ GeV	1.1–2.0 GeV	$> 2.0$ GeV	1.25–2.0 GeV
0.6 mb	27.4 mb	1.8 mb	6.2 mb

# Hadronic interactions (one- $\pi$ exchange)



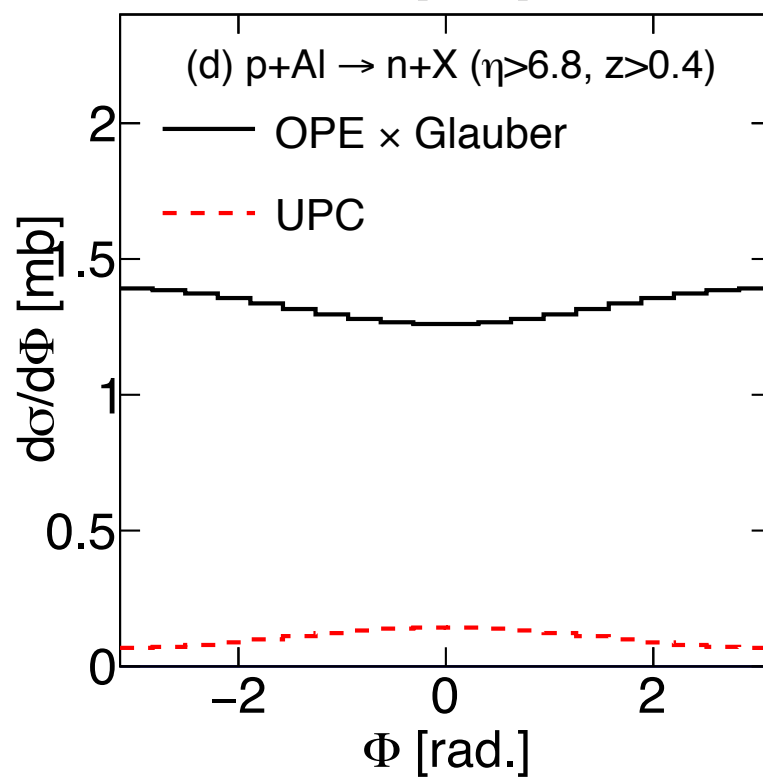
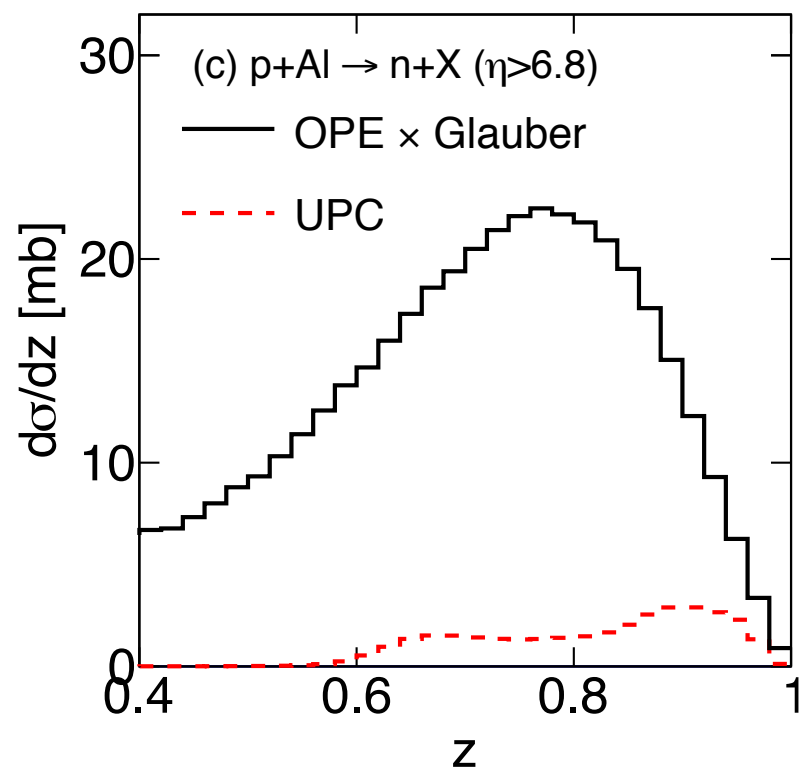
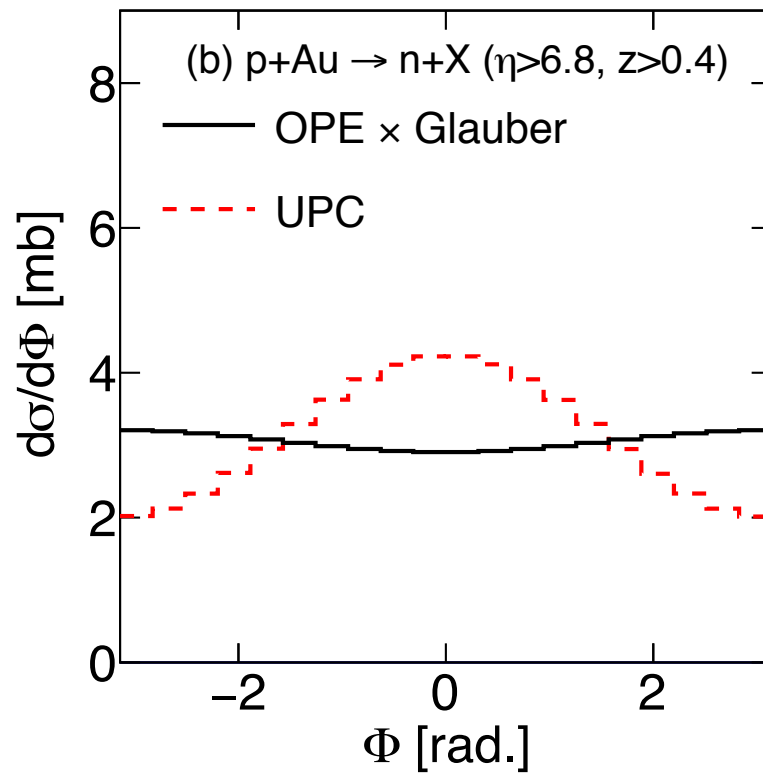
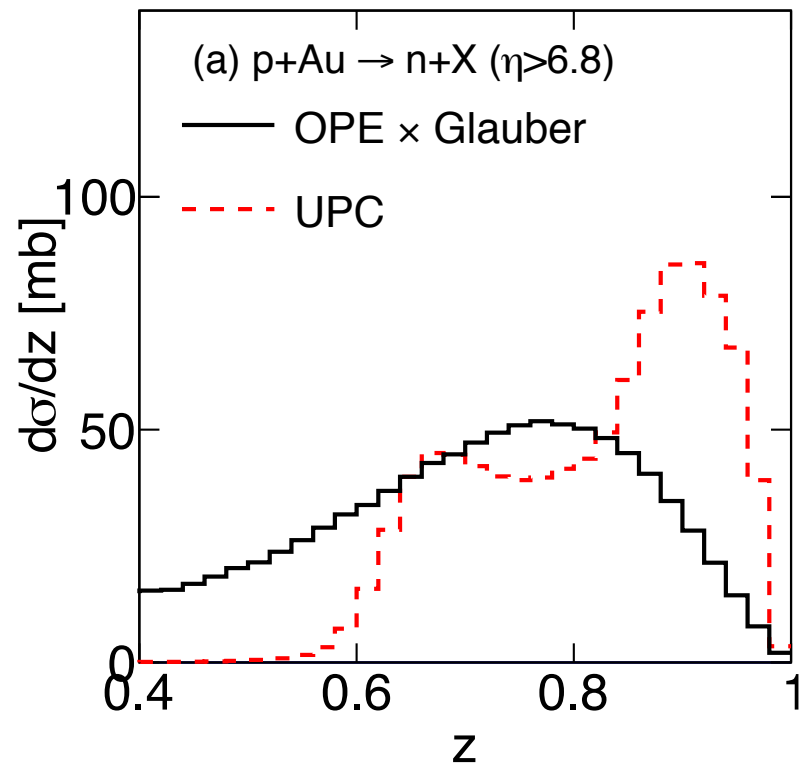
$$z \frac{d\sigma_{pp \rightarrow nX}}{dz dp_T^2} = S^2 \left( \frac{\alpha'_\pi}{8} \right)^2 |t| G_{\pi+pn}^2(t) |\eta_\pi(t)|^2 \times (1-z)^{1-2\alpha_\pi(t)} \sigma_{\pi^+ + p}^{\text{tot}}(M_X^2),$$

$$z \frac{d\sigma_{p^\uparrow A \rightarrow nX}}{dz dp_T^2} = z \frac{d\sigma_{pA \rightarrow nX}}{dz dp_T^2} (1 + \cos \Phi A_N^{\text{HAD}(pA)}) = z \frac{d\sigma_{pp \rightarrow nX}}{dz dp_T^2} A^{0.42} (1 + \cos \Phi A_N^{\text{HAD}(pA)})$$

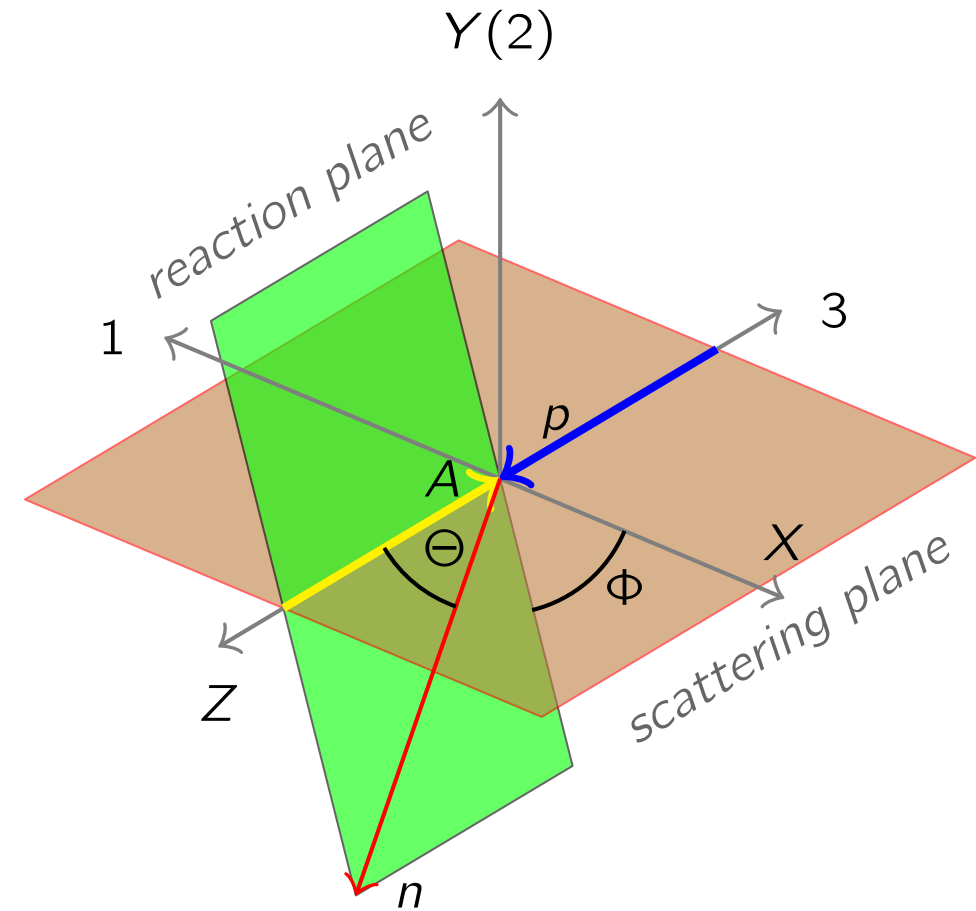


- *Kopeliovich et al. (PRD 84, 114012) propose an interference between  $\pi$  and  $a_1$ -Reggeon leading to negative asymmetry in  $p+p$  and  $p+A$ .*
- *In this study I omit an implementation of the interference. Alternatively, I simply apply  $(1 + \cos \Phi A_N)$  to the differential cross section of unpolarized proton and then effectively obtain the differential cross section of polarized proton.*
- *The coupling  $G_{\pi+pn}$  and is the absorption  $S$  are chosen so that  $d\sigma/dz$  gives the best-fit to the PHENIX result.*

# UPCs and OPE at the ZDC acceptance



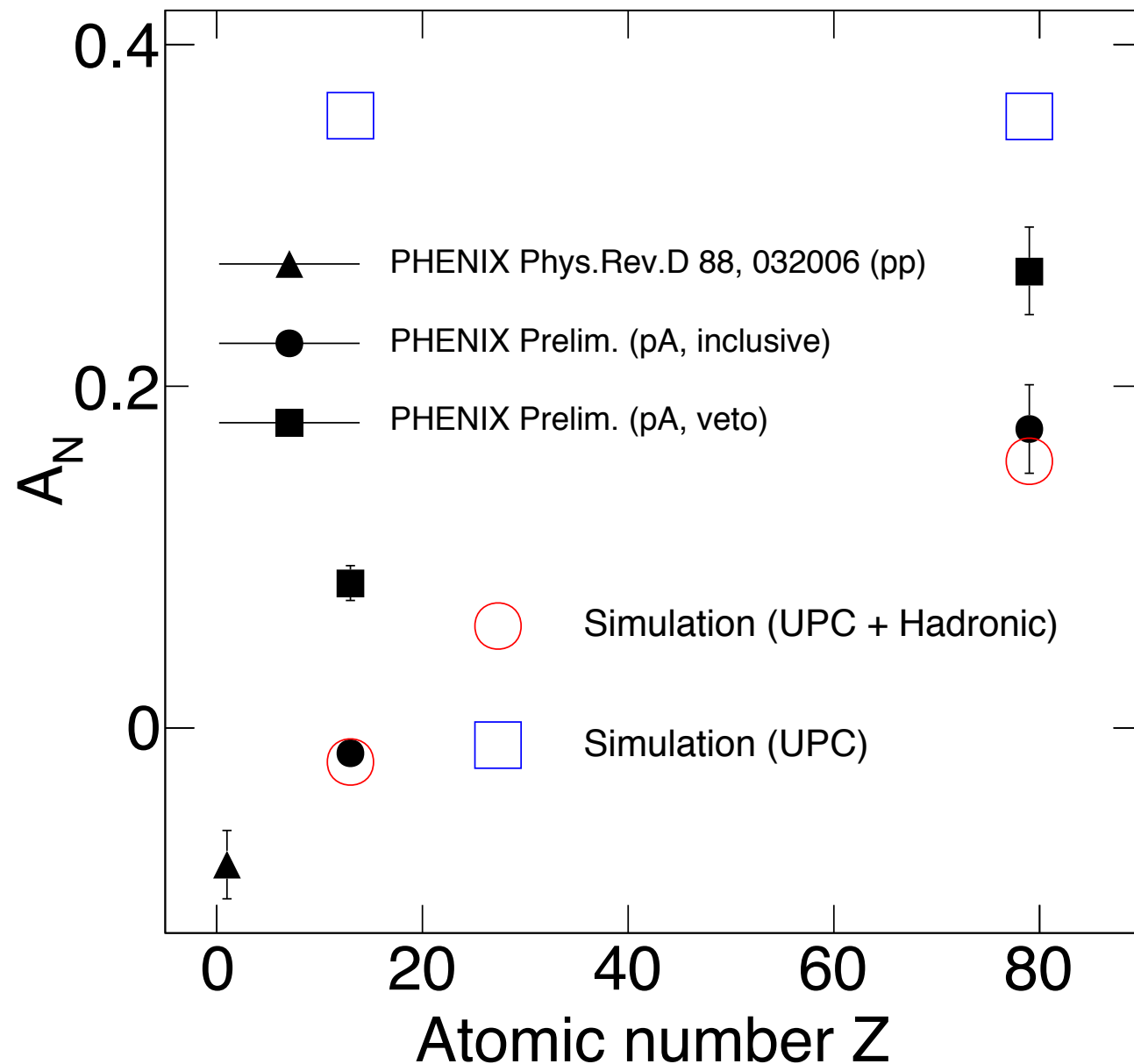
## Detector reference frame



- In  $p+Au$  collisions, UPC cross section is comparable with OPE. Large positive  $A_N$  of UPCs compensates negative  $A_N$  of hadronic interactions.
- $A_N$  including both UPCs and OPE can be obtained by  $d\sigma^{(UPC+OPE)}/d\Phi$ .
- In  $p+Al$  collisions, UPC contribution is small to  $A_N$ .



# Neutron $A_N$ : PHENIX vs. UPC+OPE model



$$A_N^{\text{UPC+OPE}} = \frac{\sigma_{\text{UPC}} A_N^{\text{UPC}} + \sigma_{\text{OPE}} A_N^{\text{OPE}}}{\sigma_{\text{UPC}} + \sigma_{\text{OPE}}}$$

- *Simulations (UPC+OPE) are consistent with the PHENIX inclusive measurements in both  $p+Al$  and  $p+Au$  collisions.*
- *Simulations (UPC) are larger than the PHENIX measurements. This may indicate that the PHENIX with BBC veto includes some levels of hadronic interactions.*
- *More detailed comparisons need to estimate a rejection efficiency of hadronic interaction by the BBC veto.*

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# Summary

- Large  $A_N$  for forward neutrons was observed in p+Au. This was clearly different from that in p+p.
- $\sigma_{\text{UPC}} \sim \sigma_{\text{HAD}}$  at  $\eta > 7$  in p+Au collisions.
- UPCs lead to large  $A_N$  only in p+A collisions and promotional to  $Z^2$  unlike hadronic interactions.

# Future Prospects

- Prospect 1: trying to explain the FNAL results ( $\pi^0+p$ ) using this framework
- Prospect 2: UPCs contribute weaker than hadronic interactions at  $p_T > 0.2$  GeV/c. Interesting to see below and above 0.2 GeV/c if experimentally feasible (can see a transition from positive large  $A_N$  to negative small  $A_N$ ?)
- Prospect 3: Coulomb nuclear interference in forward neutron production

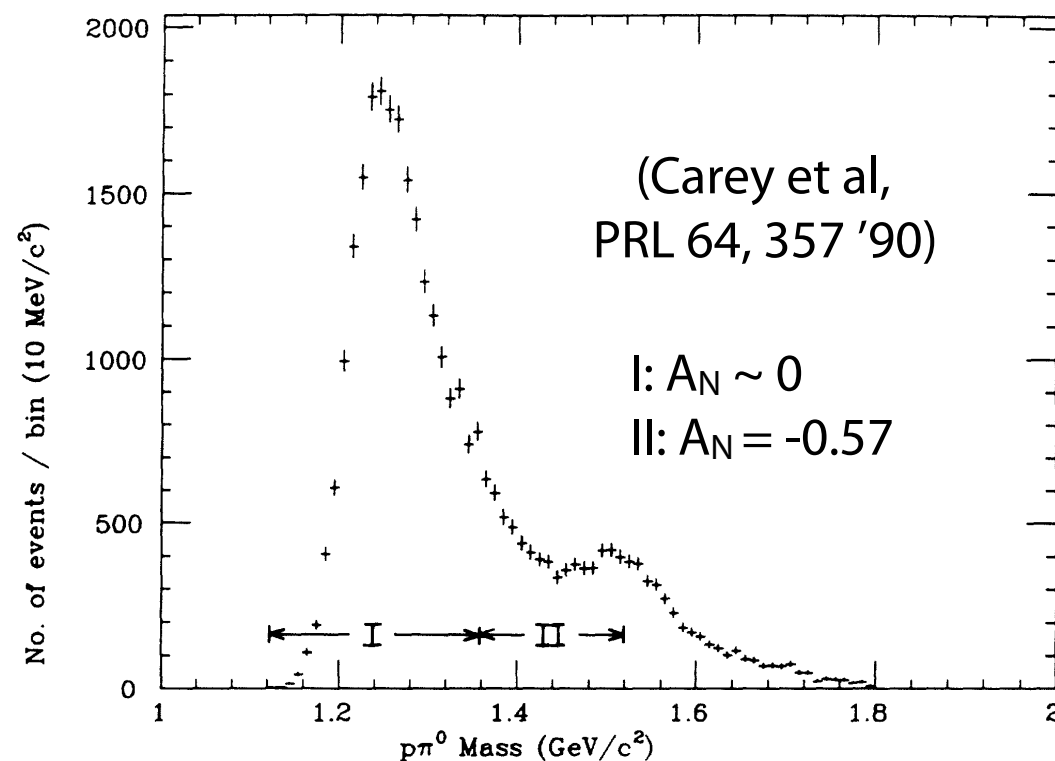
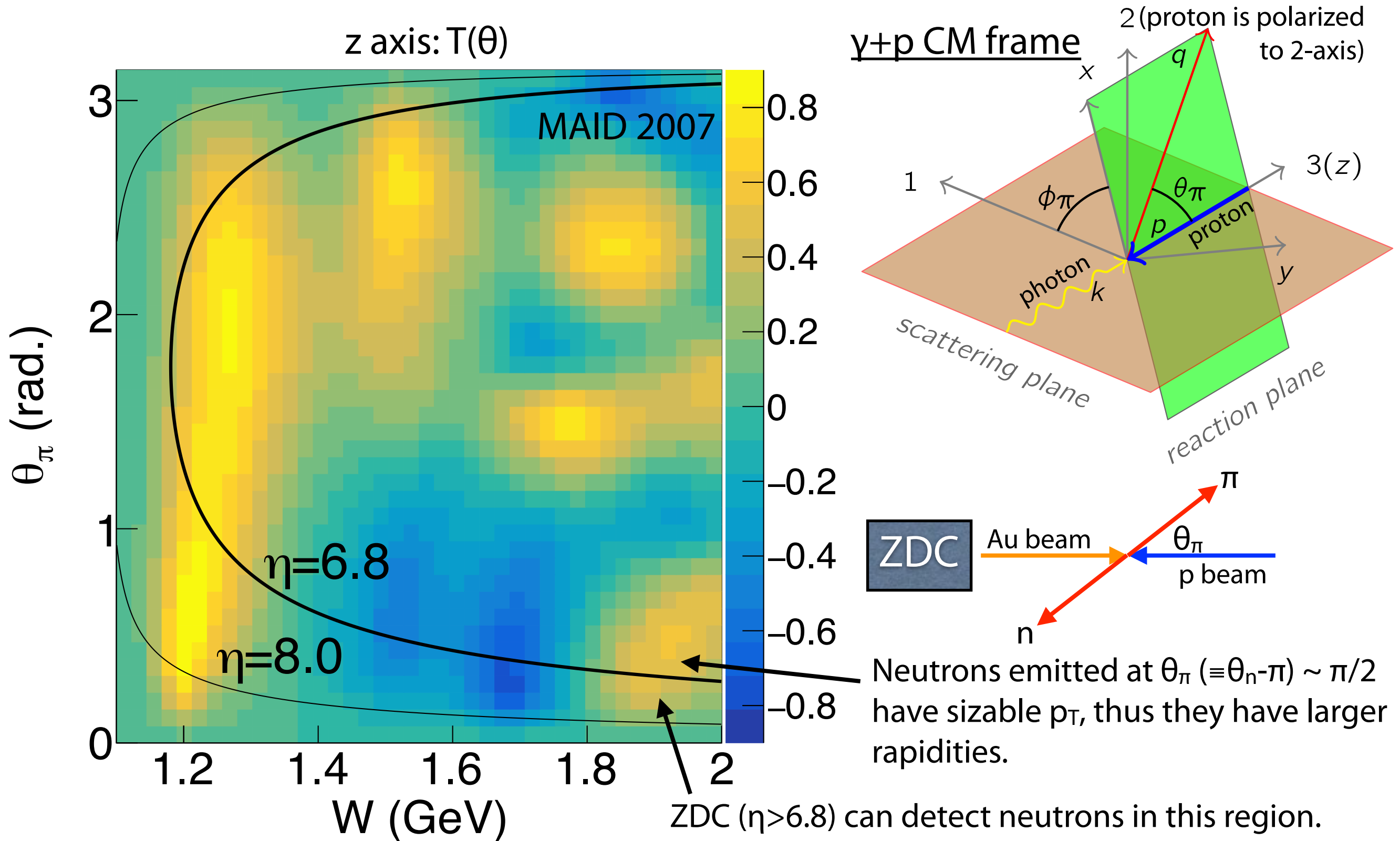


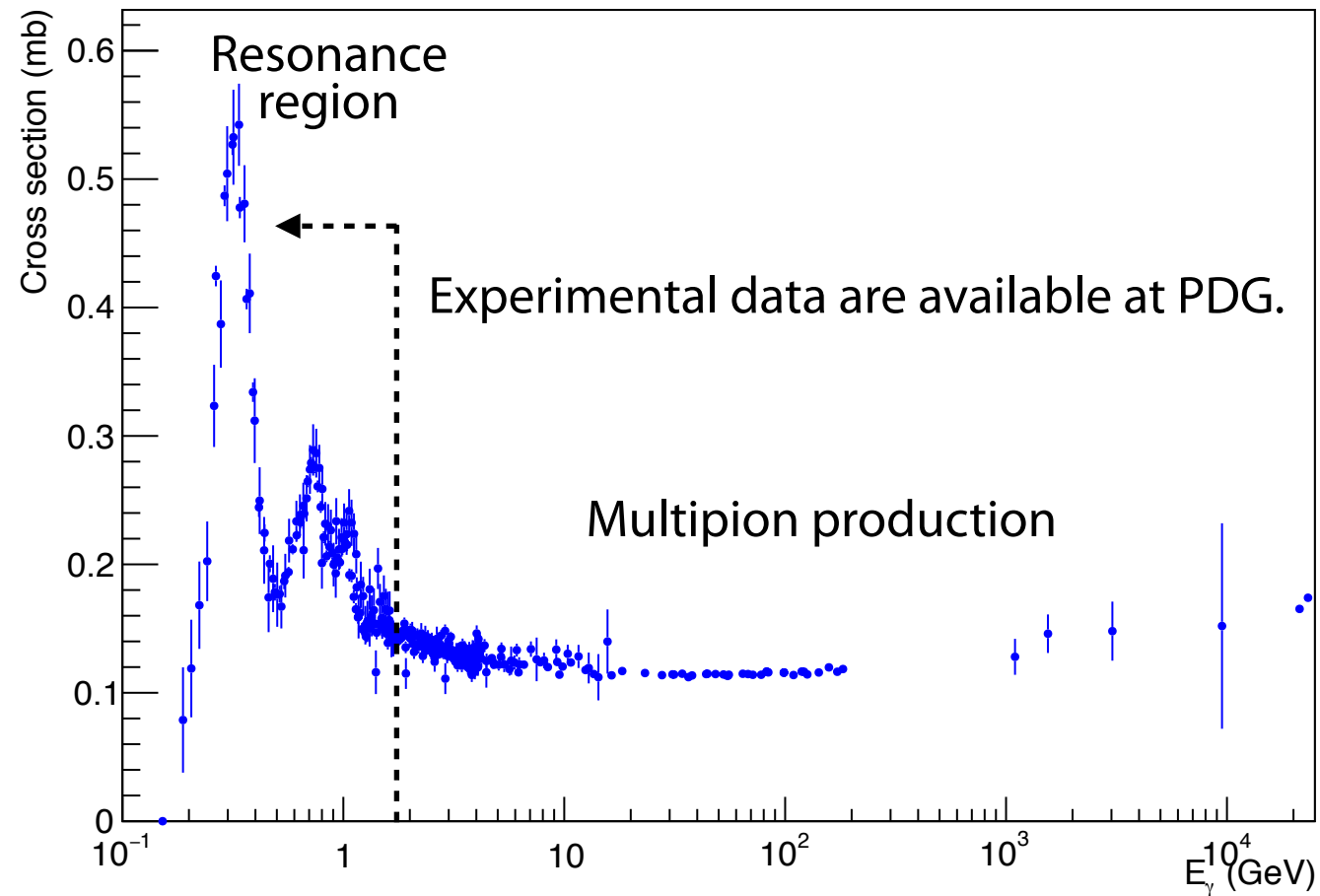
FIG. 2. The invariant-mass spectrum of the  $\pi^0-p$  system in  $p+\text{Pb} \rightarrow \pi^0+p+\text{Pb}$  for  $|t'| < 1 \times 10^{-3} (\text{GeV}/c)^2$ . Peaks due to the  $\Delta^+(1232)$  and  $N^*(1520)$  resonances are shown. Regions I and II are defined in the text.

# Backup

# Target asymmetry $T(\theta)$ as a function of $W$



# $\gamma p$ interactions

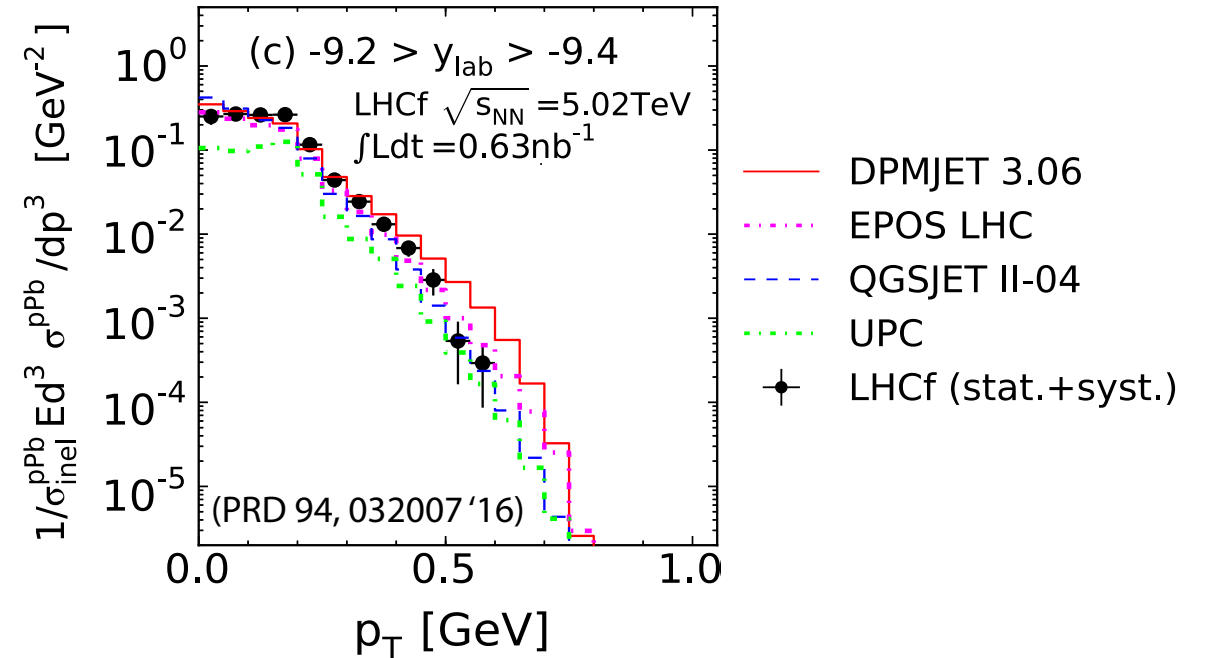
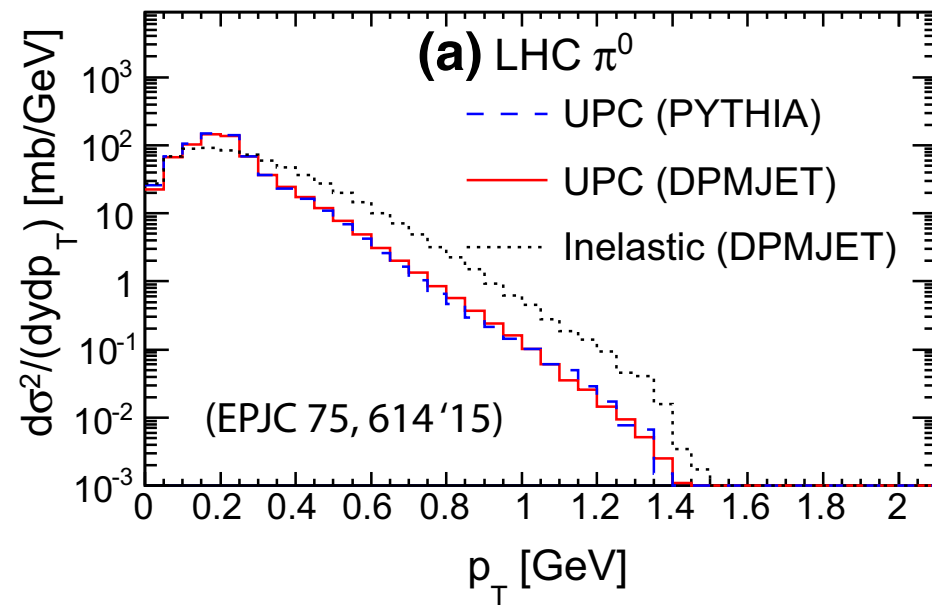


- *Recalling the virtual photon flux and dominance of low-energy photons in UPCs, most UPCs occur at the baryon resonance region.*
- *Namely, low-energy  $\gamma+p$  interactions ( $\omega^{rest}_\gamma < 1.5$  GeV) play major role in UPCs.*



# Disentangling Z-dependent asymmetries for forward neutrons

- In my previous study (GM, EPJC 75, 614 '15),  $\gamma p$  interactions are simulated by SOPHIA ( $W < 7\text{GeV}$ ) and DPMJET3/PYTHIA6 ( $W > 7\text{TeV}$ ). These models worked well for the LHCf  $\pi^0$  analyses in (unpolarized) p-Pb collisions at  $\sqrt{s_{\text{NN}}} = 5.02\text{ TeV}$  (PRD 94, 032007 '16).



- But the previous UPC simulation framework can not deal with a proton polarization. Therefore, in this study, I change the  $\gamma p$  interaction model to MAID 2007 which well explains low-energy photopion production on a polarized proton target.**

	Previous study (GM, EPJC 75, 614 '15)	This study
$\gamma p$ interactions	SOPHIA (low E) and DPMJET/PYTHIA (high E)	MAID isobar model 2007
Energy range	$0.16\text{ GeV} < \omega^{\text{rest}}_{\gamma} < 1.1\text{ TeV}$	$0.18 < \omega^{\text{rest}}_{\gamma} < 1.7\text{ GeV}$ ( $1.1 < W < 2\text{ GeV}$ )
Proton polarization	No	Yes
Neutron production	Isotropic	depending on $W$ , $\theta$ , and $\varphi$

# UPC formalism

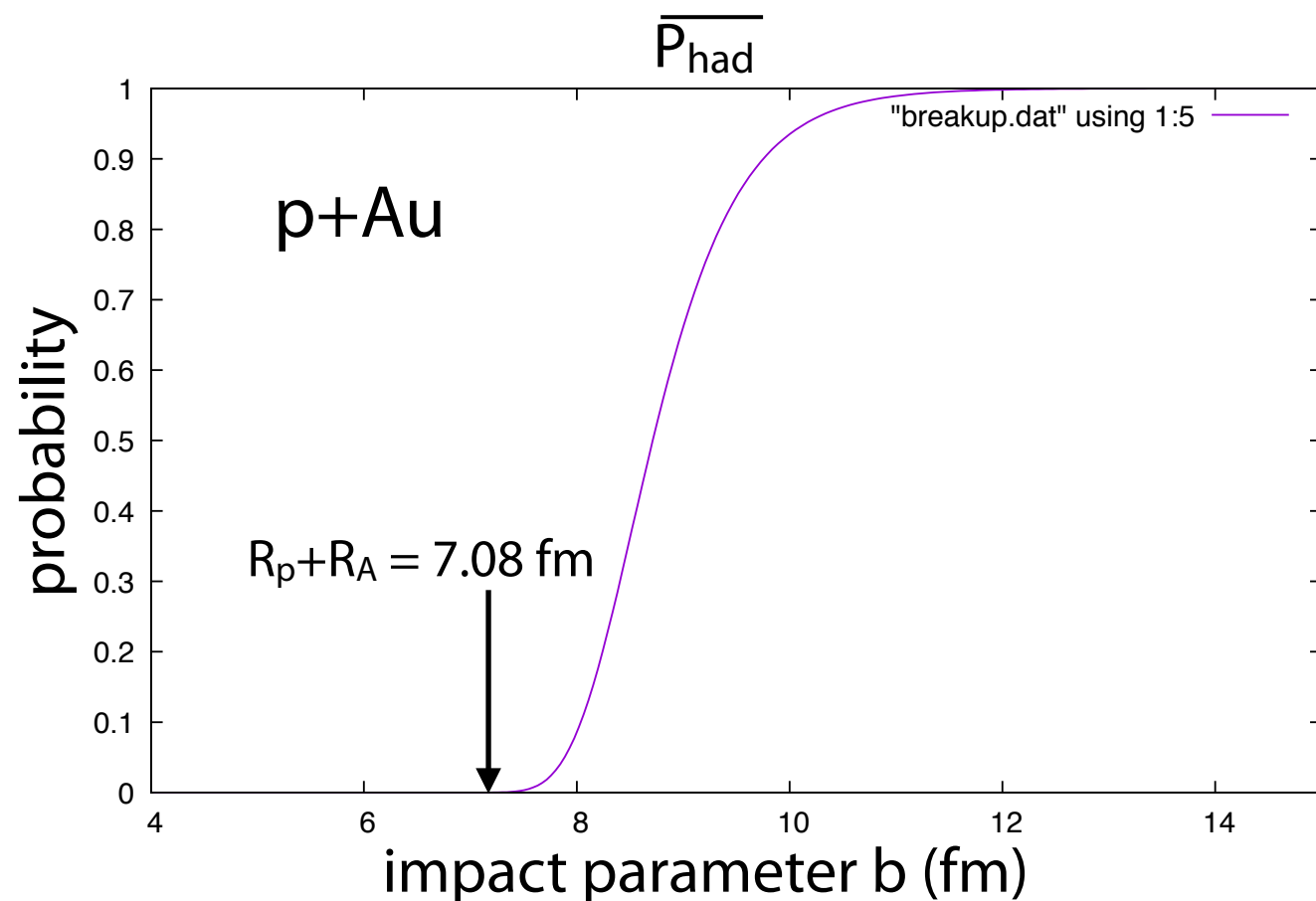
The UPC cross section is factorized as

$$\frac{d\sigma_{\text{UPC}}^4(p^\uparrow A \rightarrow \pi^+ n)}{dW db^2 d\Omega_n} = \frac{d^3 N_{\gamma^*}}{dW db^2} \frac{d\sigma_{\gamma^* p^\uparrow \rightarrow \pi^+ n}(W)}{d\Omega_n} \overline{P}_{\text{had}}(b)$$

photon flux (N): quasi-real photons produced by a relativistic nucleus

$\sigma_{\gamma+p \rightarrow \chi}$ : inclusive cross sections of  $\gamma+p$  interactions

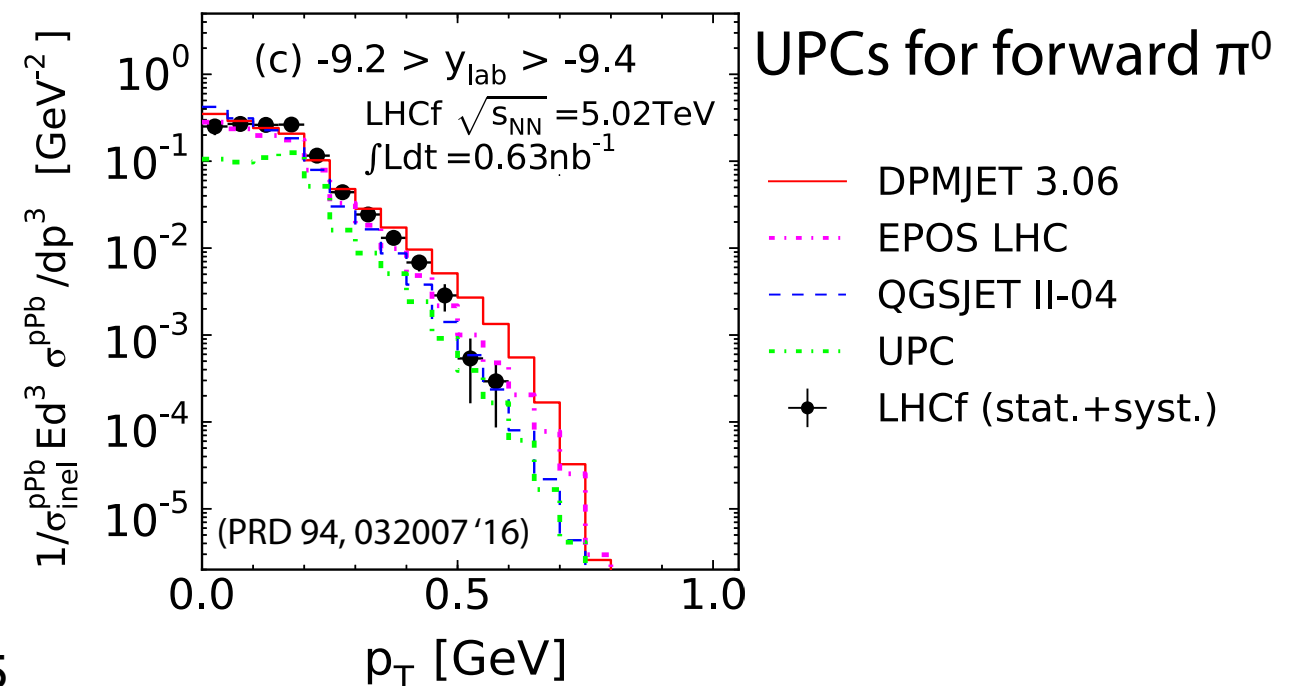
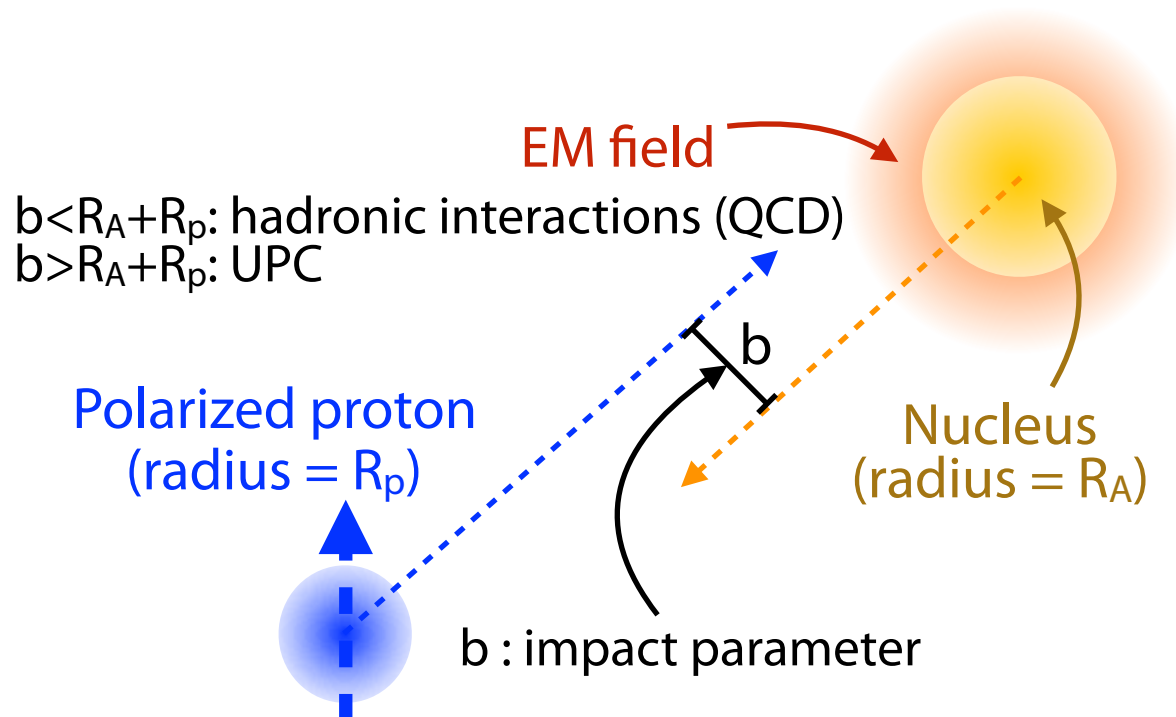
$\overline{P}_{\text{had}}$ : a probability not having a  $p+A$  hadronic interaction.



- $\overline{P}_{\text{had}}$  is calculated by using a Glauber MC simulation.
- UPCs occur only if the impact parameter  $b$  is larger than the sum of radii  $R_p$  and  $R_A$ .
- $\overline{P}_{\text{had}}(b)$  distribution is important not only for the cross section but also for the energy distribution.

# Forward particle production in UPCs

- Indications by large  $A_N$  in p-A:
  - 1) substantial nuclear effects in A target
  - 2) *effects of electromagnetic (EM) field produced by relativistic A target.*
- *In order to test the second scenario, i.e. effects of EM field, I made the MC simulation framework that takes into account the both hadronic interactions and ultra-peripheral collisions.*
- Ultra-peripheral collisions (aka Primakoff effects);  
a collision of a proton with the EM field made by a relativistic nucleus when the impact parameter is larger than  $R_A+R_p$ .



# Photopion production formalism

(Berends et al. NPB 4, 1 '67)

$$\frac{d\sigma}{d\Omega} = \frac{q}{k} |\langle \chi_f | \mathcal{F} | \chi_i \rangle|^2, \quad (\text{A.1})$$

where

$$\mathcal{F} = i\boldsymbol{\sigma} \cdot \boldsymbol{\varepsilon} \mathcal{F}_1 + \boldsymbol{\sigma} \cdot \hat{\mathbf{q}} \boldsymbol{\sigma} \cdot (\hat{\mathbf{k}} \times \boldsymbol{\varepsilon}) \mathcal{F}_2 + i\boldsymbol{\sigma} \cdot \hat{\mathbf{k}} \hat{\mathbf{q}} \cdot \boldsymbol{\varepsilon} \mathcal{F}_3 + i\boldsymbol{\sigma} \cdot \hat{\mathbf{q}} \hat{\mathbf{q}} \cdot \boldsymbol{\varepsilon} \mathcal{F}_4. \quad (\text{A.2})$$

$$\sum_f \langle \chi_f | \mathcal{F} | \chi_i \rangle^\dagger \langle \chi_f | \mathcal{F} | \chi_i \rangle = \langle \chi_i | \mathcal{F}^\dagger \mathcal{F} | \chi_i \rangle$$

$$\langle \chi_i | \mathcal{F}_\pm^\dagger \mathcal{F}_\pm | \chi_i \rangle = (1 \mp \hat{\mathbf{k}} \cdot \mathbf{P}) \alpha + \beta \pm \sin \theta \hat{\mathbf{e}}_1 \cdot \mathbf{P} \gamma + \sin \theta \hat{\mathbf{e}}_2 \cdot \mathbf{P} \delta, \quad (\text{A.7})$$

where

$$\alpha = |\mathcal{F}_1|^2 + |\mathcal{F}_2|^2 - 2 \cos \theta \operatorname{Re}(\mathcal{F}_1^* \mathcal{F}_2) + \sin^2 \theta \operatorname{Re}\{\mathcal{F}_1^* \mathcal{F}_4 + \mathcal{F}_2^* \mathcal{F}_3\}, \quad (\text{A.8})$$

$$\beta = \frac{1}{2} \sin^2 \theta \{|\mathcal{F}_3|^2 + |\mathcal{F}_4|^2 + 2 \cos \theta \operatorname{Re}(\mathcal{F}_3^* \mathcal{F}_4)\}, \quad (\text{A.9})$$

$$\gamma = \operatorname{Re}\{\mathcal{F}_1^* \mathcal{F}_3 - \mathcal{F}_2^* \mathcal{F}_4\} + \cos \theta \operatorname{Re}\{\mathcal{F}_1^* \mathcal{F}_4 - \mathcal{F}_2^* \mathcal{F}_3\}, \quad (\text{A.10})$$

$$\delta = \operatorname{Im}\{\mathcal{F}_1^* \mathcal{F}_3 - \mathcal{F}_2^* \mathcal{F}_4\} + \cos \theta \operatorname{Im}\{\mathcal{F}_1^* \mathcal{F}_4 - \mathcal{F}_2^* \mathcal{F}_3\} - \sin^2 \theta \operatorname{Im}(\mathcal{F}_3^* \mathcal{F}_4). \quad (\text{A.11})$$

*Polarized nucleon, unpolarized photon*

$$\frac{d\sigma(\mathbf{P})}{d\Omega} = \frac{1}{2} \left\{ \frac{d\sigma_+(\mathbf{P})}{d\Omega} + \frac{d\sigma_-(\mathbf{P})}{d\Omega} \right\}$$

$$= \frac{q}{k} \left\{ \alpha + \beta + \sin \theta \hat{\mathbf{e}}_2 \cdot \mathbf{P} \delta \right\} \rightarrow \frac{d\sigma_0}{d\Omega} = \frac{q}{k} (\alpha + \beta), \quad A_N = \frac{\sin \theta \delta}{\alpha + \beta}$$

# Photopion production

(Berends et al. NPB 4, 1 '67)

Eq. (A.2)

$$\tilde{\mathcal{F}}(s, t) = \sum_{l=0}^{\infty} \begin{bmatrix} G_l(x) & 0 \\ 0 & H_l(x) \end{bmatrix} \tilde{\mathcal{M}}_l(s), \quad \tilde{\mathcal{M}}_l = \begin{bmatrix} E_{l+} \\ E_{l-} \\ M_{l+} \\ M_{l-} \\ S_{l+} \\ S_{l-} \end{bmatrix}$$

$G_l$  and  $H_l$  are Legendre polynomials, and  $\tilde{\mathcal{M}}_l$  are multipoles.

(Drechsel and Tiator, JphysG 18, 449 '92)

Multipole decomposition:


*Several models provide their predicted multipoles.*

*MAID2007 is available at <https://maid.kph.uni-mainz.de>.*

$$\begin{aligned} R_T = & |E_{0+}|^2 + \frac{1}{2} |2M_{1+} + M_{1-}|^2 + \frac{1}{2} |3E_{1+} - M_{1+} + M_{1-}|^2 \\ & + 2 \cos \Theta \operatorname{Re}\{E_{0+}^*(3E_{1+} + M_{1+} - M_{1-})\} \\ & + \cos^2 \Theta (|3E_{1+} + M_{1+} - M_{1-}|^2 - \frac{1}{2} |2M_{1+} + M_{1-}|^2 \\ & - \frac{1}{2} |3E_{1+} - M_{1+} + M_{1-}|^2) \end{aligned}$$

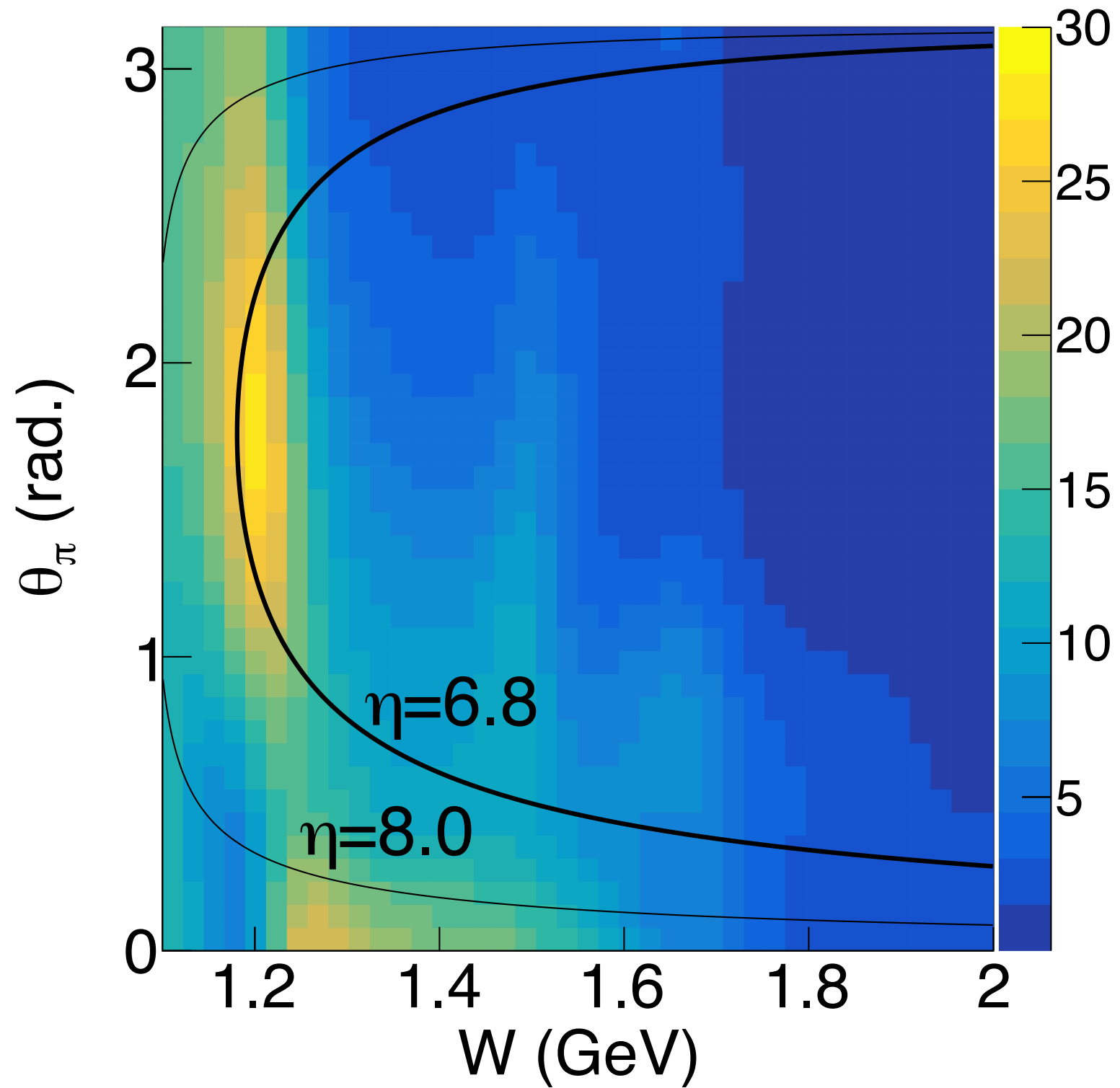
$$R_T(n_i) = 3 \sin \Theta \operatorname{Im}\{E_{0+}^*(E_{1+} - M_{1+}) - \cos \Theta (E_{1+}^*(4M_{1+} - M_{1-}) + M_{1+}^* M_{1-})\}$$

$$R_T^{00} \equiv R_T \quad \text{and} \quad R_T^{0y} \equiv R_T(n_i) \quad \frac{d\sigma_{\gamma^* p^\uparrow \rightarrow \pi^+ n}}{d\Omega_\pi} = \frac{|q|}{\omega_{\gamma^*}} (R_T^{00} + P_y R_T^{0y})$$



$$\text{pion and neutron production in UPCs} = \frac{|q|}{\omega_{\gamma^*}} R_T^{00} (1 + P_2 \cos \phi_\pi T(\theta_\pi))$$

# $R_{00}$ distribution



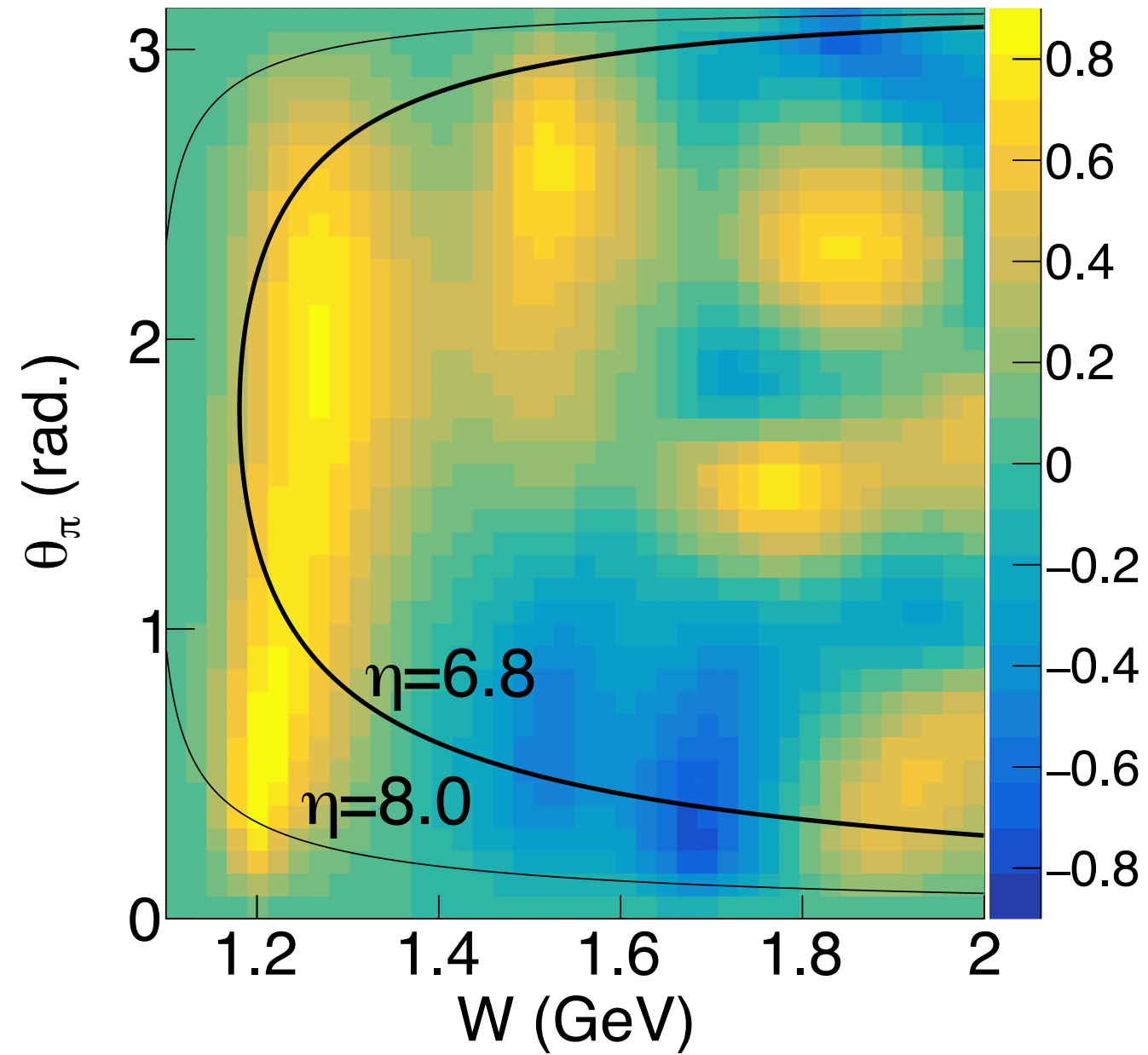
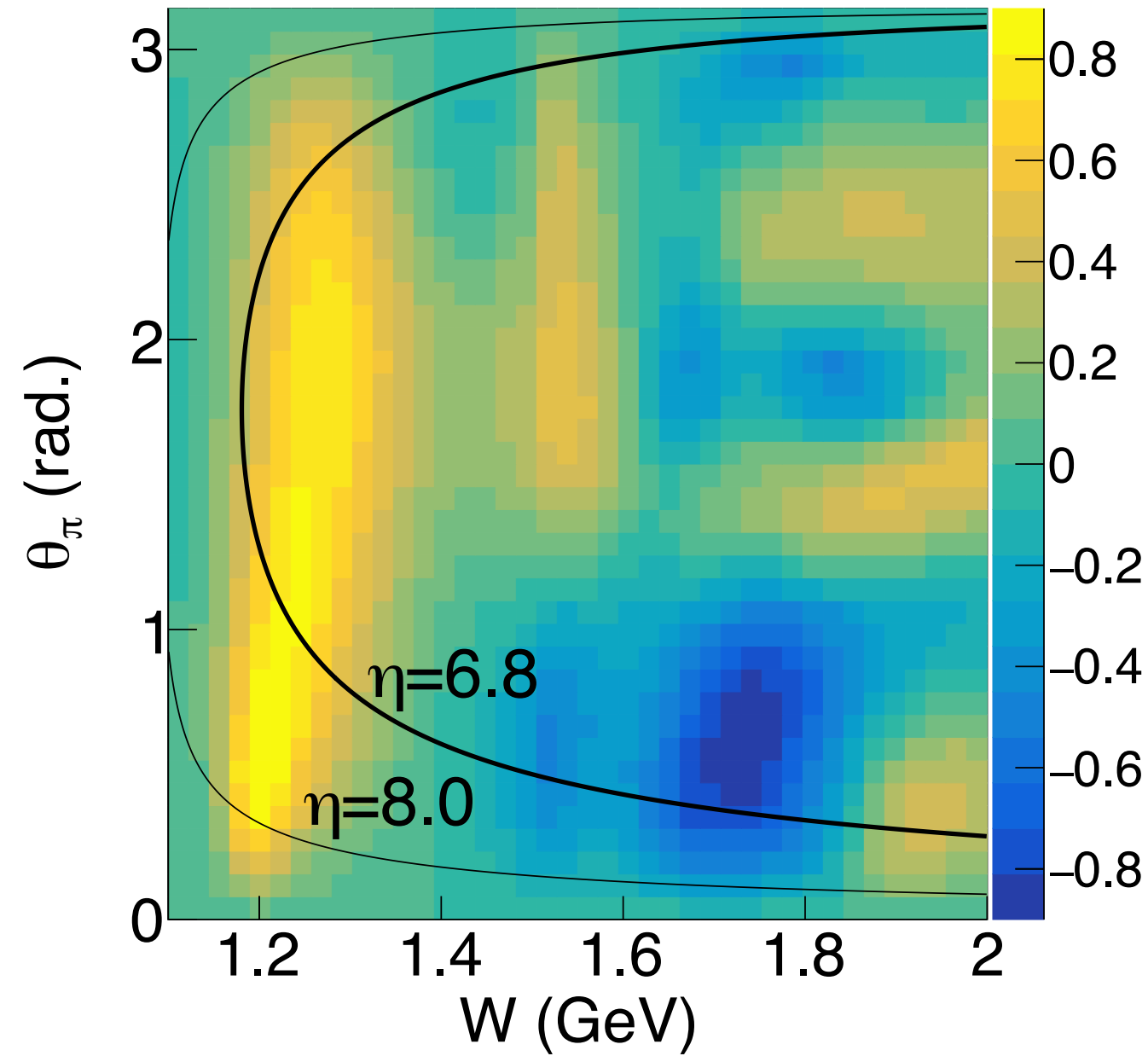


# Target asymmetry as a function of W

z axis: T( $\theta$ )

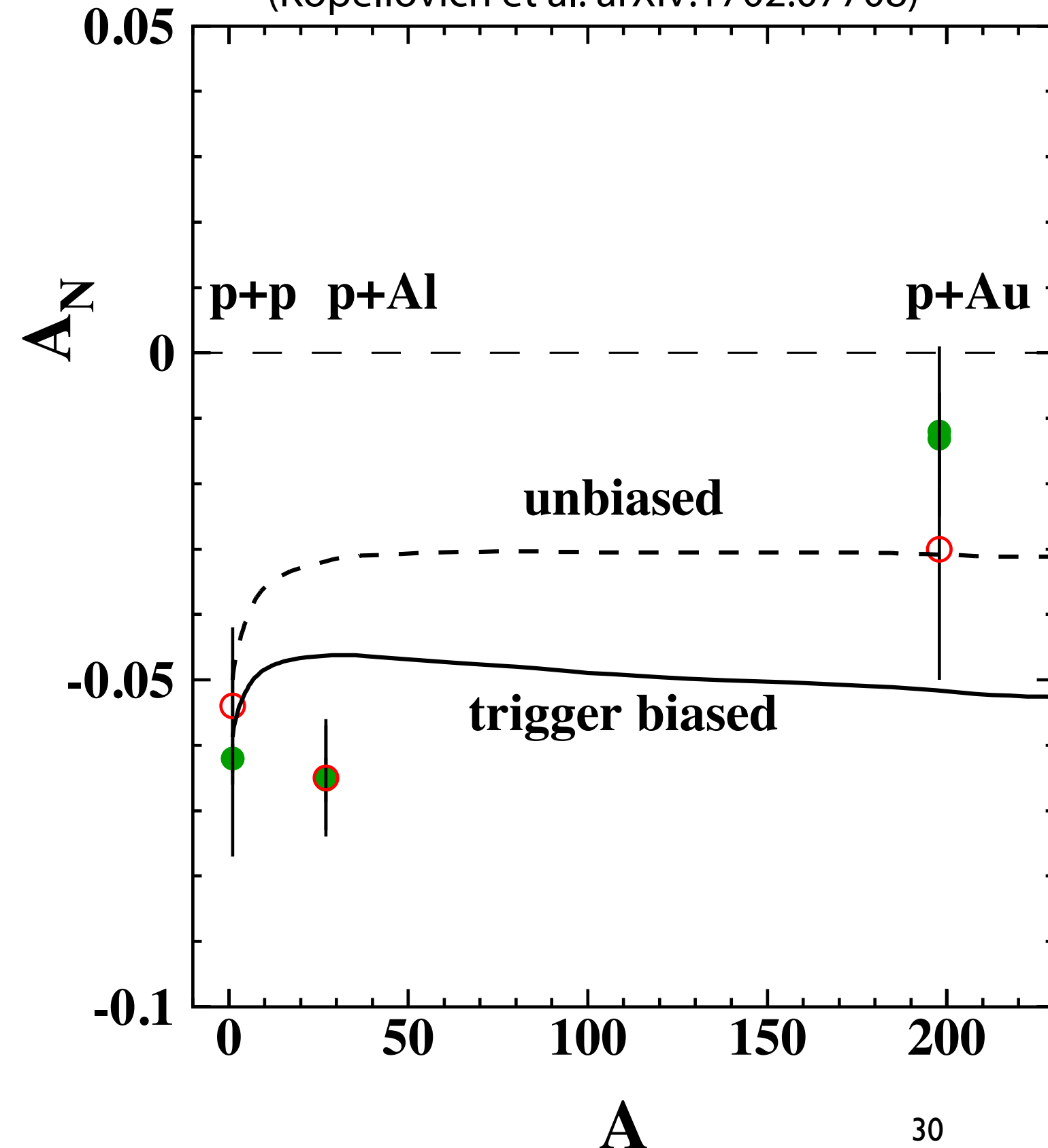
Osaka-Argonne

MAID 2007



# Hadronic interactions (one- $\pi$ exchange)

(Kopeliovich et al. arXiv:1702.07708)



$$A_N^{(\pi-\bar{a}_1)}(q_T, z) = q_T \frac{4m_N q_L}{|t|^{3/2}} (1-z)^{\alpha_\pi(t)-\alpha_{\bar{a}_1}(t)} \quad (12)$$

$$\times \frac{\text{Im} \eta_\pi^*(t) \eta_{\bar{a}_1}(t)}{|\eta_\pi(t)|^2} \left( \frac{d\sigma_{\pi p \rightarrow \bar{a}_1 p}(M_X^2)/dt|_{t=0}}{d\sigma_{\pi p \rightarrow \pi p}(M_X^2)/dt|_{t=0}} \right)^{1/2} \frac{g_{\bar{a}_1^+ pn}}{g_{\pi^+ pn}}.$$

$$A_N^{pA \rightarrow nX} = A_N^{pp \rightarrow nX} \times \frac{R_1}{R_2} R_3$$

Nuclear effects:  
no significant effect to  $A_N$

# What are ultraperipheral collisions?

Heavy-ions (with the charge  $Z$ ) produce strong electromagnetic fields due to the coherent action of all proton charges.

Equivalent photon approximation formula for the photon flux in ultraperipheral (p)A+A collisions at  $b > b_{\min} \sim R_1 + R_2$ :

$$n(\omega) = \frac{2Z^2\alpha}{\pi\beta^2} \left[ \xi K_0(\xi)K_1(\xi) - \frac{\xi^2}{2} (K_1^2(\xi) - K_0^2(\xi)) \right]$$

where  $\xi = \omega b_{\min} / \gamma \beta \hbar c = 2 \omega R_A / \gamma \beta \hbar c$ .

Characteristics of photon beams:

Photon flux  $\sim Z^2$  ( $\sim 6 \times 10^3$  for Au) and  $\sigma(\gamma\gamma) \sim Z^4$  (i.e.  $\sim 4 \times 10^7$ )

$\gamma$  wavelength  $>$  nucleus size  $\rightarrow$  very low photon virtuality

