# Identification and Separation of RI Beams by BigRIPS Separator at RIKEN RI Beam Factory 

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1. Brief overview of the BigRIPS in-flight separator
2. Particle identification
3. Two-stage separation
4. Summary


## Layout and major features of BigRIPS Separator

> Large acceptances

- Comparable with spreads of in-flight fission at RIBF energies: $\pm 50 \mathrm{mr}, \pm 5 \%$
$>$ Superconducting quadrupoles having a large aperture
- Pole-tip radius $=17 \mathrm{~cm}$, pole tip field $=2.4-2.5 \mathrm{~T}$
$>$ Two-stage separator scheme
$>2^{\text {nd }}$ stage with high resolution
- Particle identification without measuring TKE $\leftarrow$ charge states


## Parameters:

$\Delta \theta= \pm 40 \mathrm{mr}$
$\Delta \phi= \pm 50 \mathrm{mr}$ $\Delta p / p= \pm 3 \%$
$B \rho=9 \mathrm{Tm}$
$L=78.2 \mathrm{~m}$
STQ1-14:
Superconducting
Q triplets
D1-D6:
Dipoles (30 deg.)
F1-F7: Focuses


STQ
Superferric Q


## PID power for fission fragment

High enough to well identify charge states thanks to the track reconstruction!


G2 setting in J. Phys. Soc. Jpn. 79 (2010) 073201.
$A / Q$ spectrum for $Z r$ isotopes ( $Z=40$ )
r.m.s. A/Q resolution: 0.035 \%

## Particle identification (PID) scheme at BigRIPS

## TOF- $B \rho-\Delta E$ method with track reconstruction $\rightarrow$ Improve $B \rho$ and TOF resolution

| Measure TOF, $B \rho$, | $\Delta E @ 2^{\text {nd }}$ stage |
| :--- | :--- |
| +isomeric <br> $\gamma$-rays | $Z \leftarrow d E / d x=f(Z, \beta)$ |
| $Z, A / Q$ | $A / Q=B \rho / \gamma \beta m_{u}$ |




## Particle identification

TOF, trajectories $(B \rho), \Delta E \rightarrow Z, A / Q$
$t$ Target


## Trajectory reconstruction (F3-F5 case)

$$
\begin{array}{r}
F 5 x=(x \mid x) F 3 x+(x \mid a) F 3 a+(x \mid \delta) \delta \\
F 5 a=(a \mid x) F 3 x+(a \mid a) F 3 a+(a \mid \delta) \delta \\
a=\theta: \text { angle }
\end{array}
$$

Measured F5x, F5a, F3x
Transfer matrix $(x \mid x),(x \mid a), \ldots$ $\rightarrow$ deduce $\delta$, F3a
$B \rho=B \rho_{0}(1+\delta)$

For $Z=40$ isotopes produced by in-flight fission of a ${ }^{238} \mathrm{U}$ beam at $345 \mathrm{MeV} / \mathrm{u}$

## Our goal for trajectory reconstruction

Final goal is to perform the trajectory reconstruction only with the COSY calculation.

- Higher resolution in an online PID
- Accurate and efficient delivery of RI beams


## $A / Q$ resolution with COSY matrices

In-flight fission of a ${ }^{238} \mathrm{U}$ beam at $345 \mathrm{MeV} / \mathrm{u} . \Delta p / p=6 \%$
Only $1^{\text {st }}$ order $\quad$ Sn isotopes


Ideal $\sigma_{\mathrm{A} / \mathrm{Q}}=0.03 \%$
estimated by the detector resolutions. (Poster session by D. Kameda)

The present COSY calculation does not reproduce sufficiently the actual matrix.

## Experimental determination of transfer matrices

 NISHINA$$
\begin{aligned}
& F 5 x=(x \mid x) F 3 x+(x \mid a) F 3 a+(x \mid \delta) \delta \quad \text { 1 }{ }^{\text {st }} \text { order matrix elements from F3 to F5 } \\
& F 5 a=(a \mid x) F 3 x+(a \mid a) F 3 a+(a \mid \delta) \delta
\end{aligned}
$$





|  | Experiment | COSY |  |
| :--- | :--- | :--- | :--- |
| $(x \mid x)$ | $1.020 \pm 0.103$ | 0.9266 |  |
| $(x \mid a)$ | $\mathbf{0 . 2 1 9} \pm 0.043$ | -0.0047 | $\mathrm{~mm} / \mathrm{mrad}$ |
| $(a \mid x)$ | $0.333 \pm 0.200$ | -0.0197 | $\mathrm{mrad} / \mathrm{mm}$ |
| $(a \mid a)$ | $1.018 \pm 0.036$ | 1.0793 |  |
| $(x \mid \delta)$ | $30.80 \pm 0.50$ | 31.67 | $\mathrm{~mm} / \%$ |
| $(a \mid \delta)$ | $-0.004 \pm 0.001$ | 0.015 | $\mathrm{mrad} / \%$ |
| Det. | 0.966 | 1.000 |  |

## Improvement in $A / Q$ resolution

In-flight fission of a ${ }^{238} \mathrm{U}$ beam at $345 \mathrm{MeV} / \mathrm{u} . \Delta p / p=6 \%$
$S n$ isotopes


COSY $1^{\text {st }}$ order matrices


Experimentally determined $1^{\text {st }}$ order matrices

## Empirical determination of transfer map

$\qquad$
For $Z=50$ isotopes produced by in-flight fission of a ${ }^{238} \mathrm{U}$ beam at $345 \mathrm{MeV} / \mathrm{u}$.
To determine higher-order transfer matrix
Only $1^{\text {st }}$ order

Higher-order terms


A/Q


Including higher order


## Achievement in $A / Q$ resolution

## Sn isotopes



F3a deduced from track reconstruction
Only $1^{\text {st }}$ order terms


## History of charge-changing at F1, F3 and F5

 NiSishinaCharge-changing at materials at F1 and F3



## Two-stage separation

- Two achromatic degrader stage

I : F0-F1(deg.) -F2
II : F3-F5(deg.) -F7


Achromatic degrader stage

## Two-stage separation: example-1

 NISHINA${ }^{238} \mathrm{U} 345 \mathrm{MeV} / \mathrm{u}+\mathrm{Pb} 1.5 \mathrm{~mm}, \mathrm{Br}_{01}=7.3940 \mathrm{Tm}$
Remove charge state events.

F1 slit +-63 mm, F2 slit +-15 mm, F7 slit +-120 mm

F1 Al 3 mm (Wedge)
F1 Al 3 mm (Wedge)
SX on, Tuned for ${ }^{140} \mathrm{Te}^{52+}$
F5 Al 1.8 mm (Profile)
SX on, Tuned for ${ }^{140} \mathrm{Te}^{52+}$




F3x (mm)
F7x (mm)



## Two-stage separation: example-2

## Remove secondary reaction events.

Example: production of ${ }^{33} \mathrm{Al}$ using a ${ }^{48} \mathrm{Ca}$ beam at $345 \mathrm{MeV} / \mathrm{u}$ (with a 10-mm Be target)


Wedge degrader at the first stage only

Without energy degraders
$\mathrm{B} \rho=6.9627 \mathrm{Tm}$ $\Delta P / P=0.2 \%$
$\qquad$
TOF [ns] (F5-F7)

Wedge degrader at both stages

$$
15-\mathrm{mm} \mathrm{Al}
$$

wedge at F1

$$
10-\mathrm{mm} \mathrm{Al}
$$

wedge at F5
$\Delta P / P=6 \%$

## Summary

- The performance of particle identification of RI beam by BigRIPS was presented.
The trajectory reconstruction improves the $A / Q$ resolution significantly, which provides unambiguous particle identification including charge-states.
- The examples that demonstrates two-stage isotope separation were presented.
The contaminant events are well removed by the two-stage separation.

Thank you for your kind attention.

