

Calibration uncertainties and thermal line models

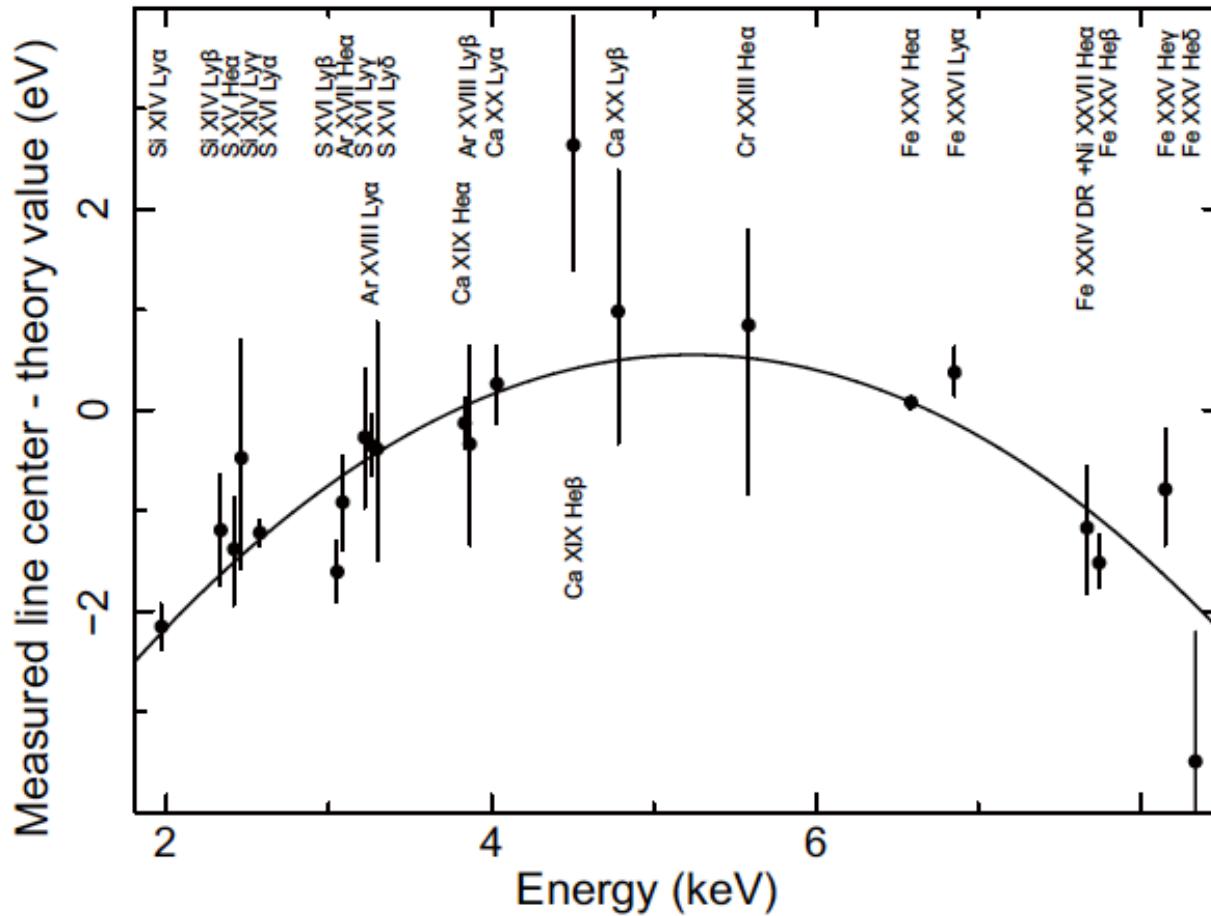
Jelle Kaastra

SRON

Example: Hitomi Perseus spectrum

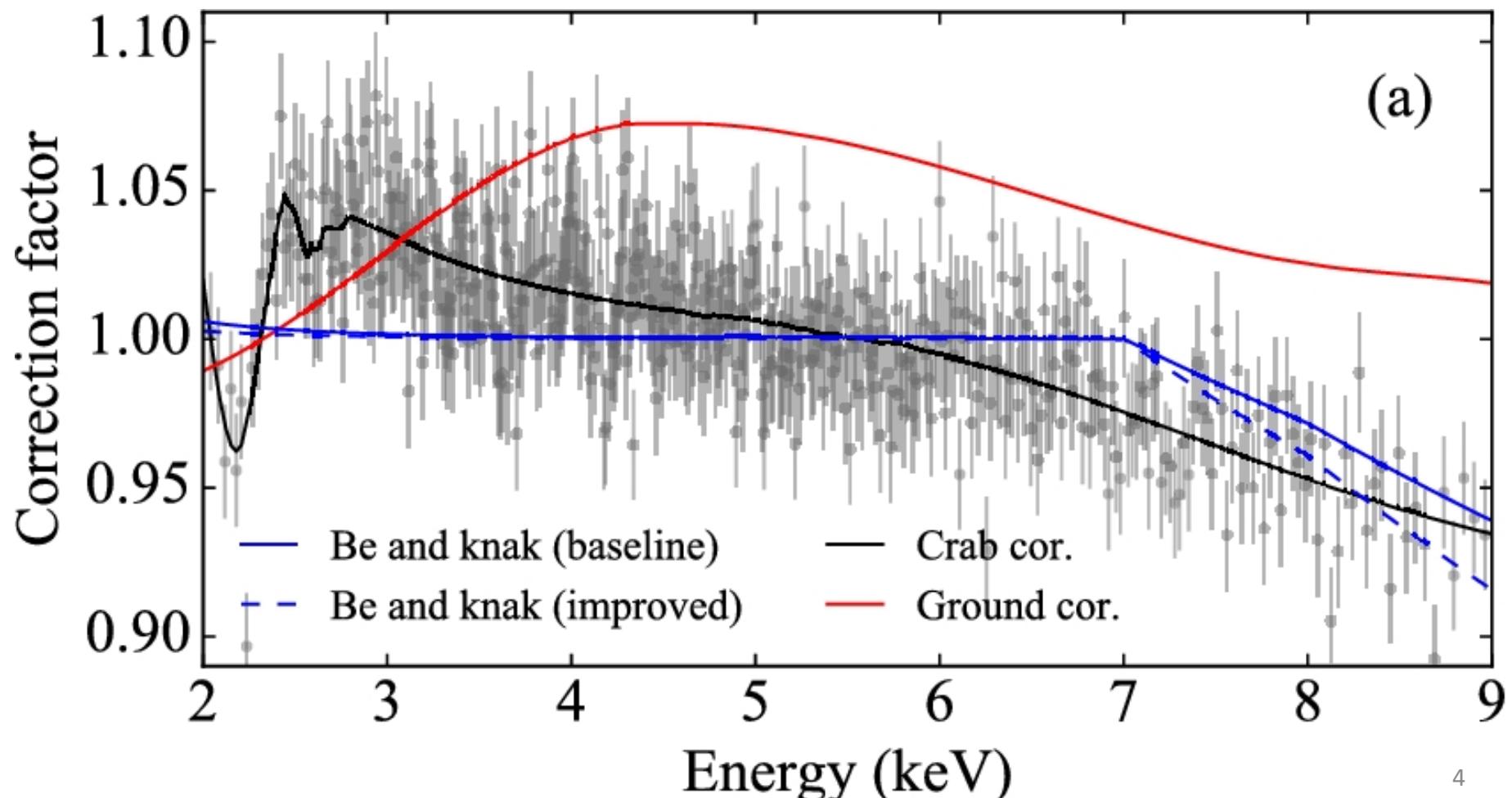
Intricate relation between calibration and thermal models

Energy scale corrections



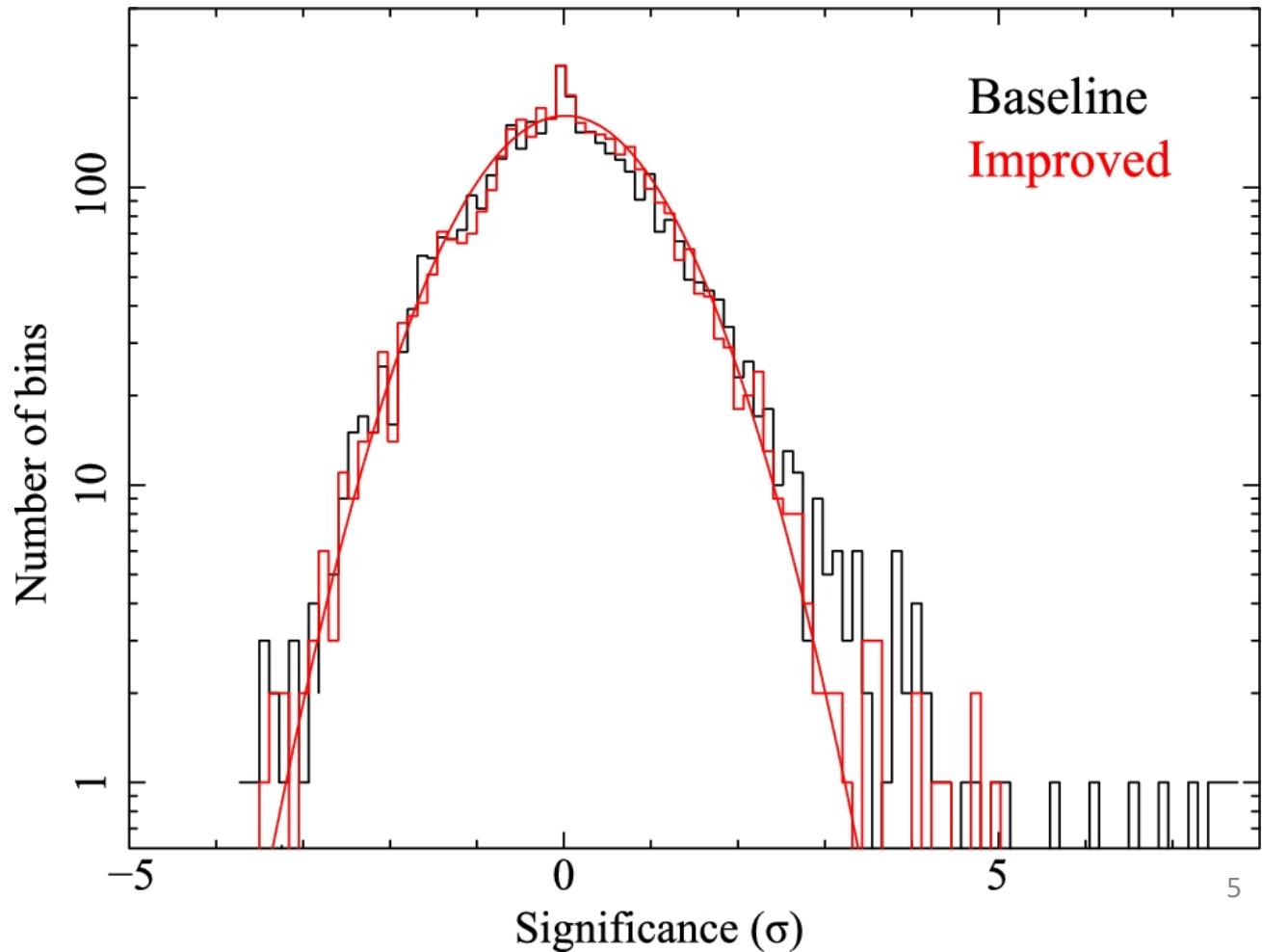
Effective area corrections

- Empirical correction based on fit of Perseus spectrum
- Correction based upon Crab
- ➔ *Relative agreement within 3%*



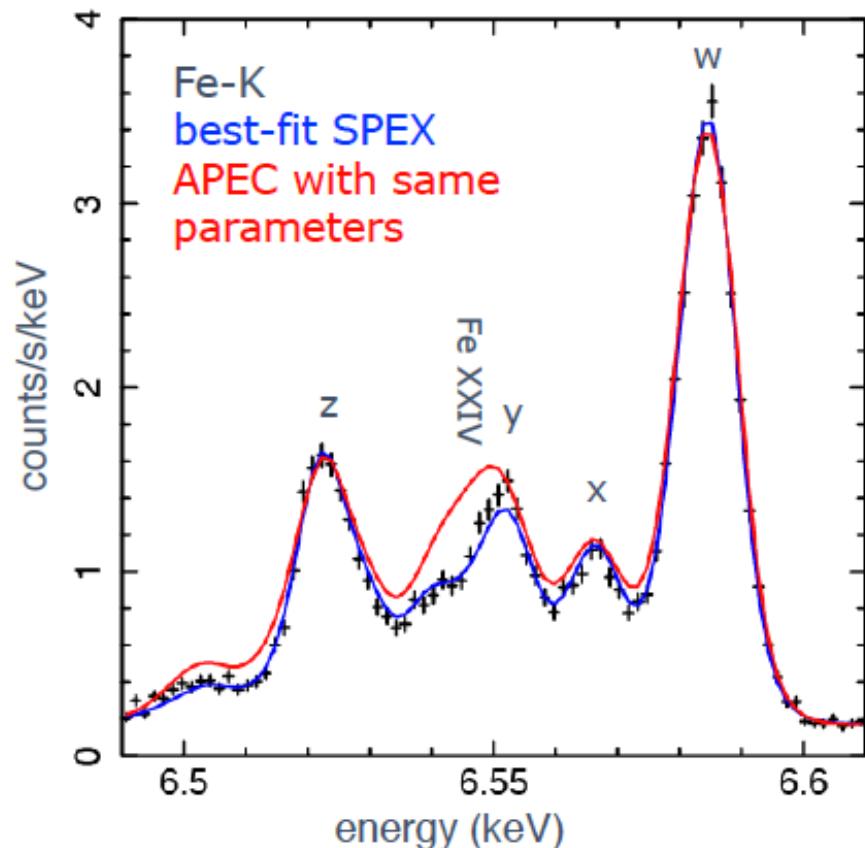
How good are the fits?

- Baseline model: 1T
- Improved model: multi-T structure
- Most residuals consistent with expected statistical distribution
- Outliers caused by errors on predicted line intensities



Details thermal models matter (more than calibration uncertainties?)

Problems to be solved



- state-of-art calculations can differ by up to 70% @ 4 keV
- Fe XXIV inner-shell radiative/Auger rates and branching ratios differ by up to 50%.
- As a result, Fe abundance differ by 16%.
- Similar difference in a few H-like excitations.

H/He/Li-like are the simplest systems!

Can thermal line models help calibration?

Thermal line models and effective area calibration

Can thermal line models help calibration?

NO:

- Source structure is in general more complex (multi-T)
- Source may contain additional non-thermal continuum components
- Line ratios no good alternative (narrow band, model uncertainties)

YES:

Relative stability over time (extended sources). Needs:

- accurate repointing (same part source at same detector part)
- lots of photons
- good enough spatial resolution (to get rid of psf effects)
- no strong contamination by variable point sources through psf
- Interesting for Athena?

Thermal line models and energy calibration

Can thermal line models help calibration?

Yes:

sure for testing stability E-scale, but:

- **clusters** best targets (calorimeters!) because lines intrinsically stable;
- **SNR** have intrinsic broader lines but also stable
- **stars** okay-ish, but up to 100 km/s uncertainty:
 - binary star orbits
 - Binary star rotation (combined with “hot spots”)
 - Flares

Thermal line models and lsf calibration

Can thermal line models help calibration?

Yes:

(with same caveats as E-scale for stars)

But:

- Need to understand intrinsic (source) broadening
- clusters not good (turbulence, position dependent)

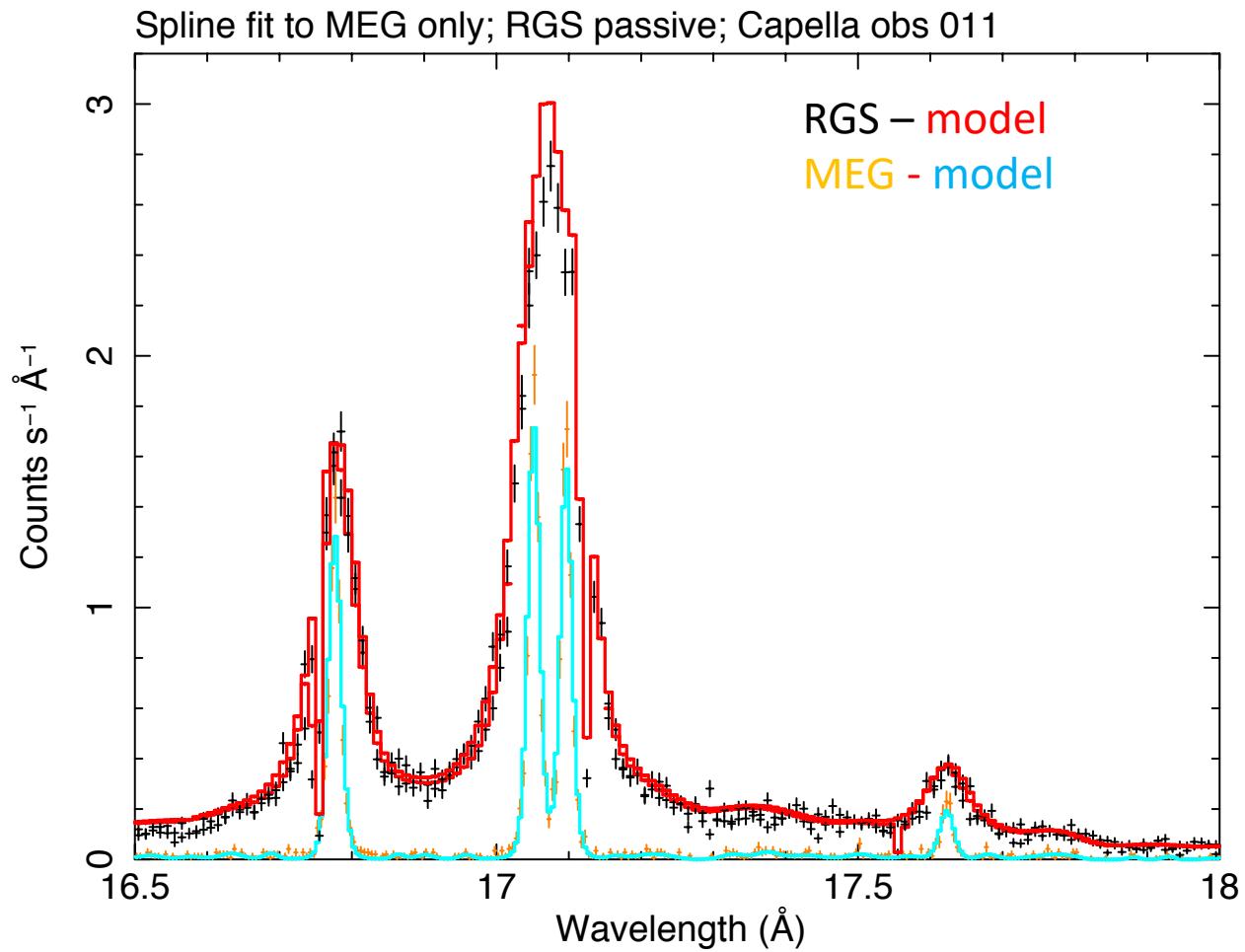
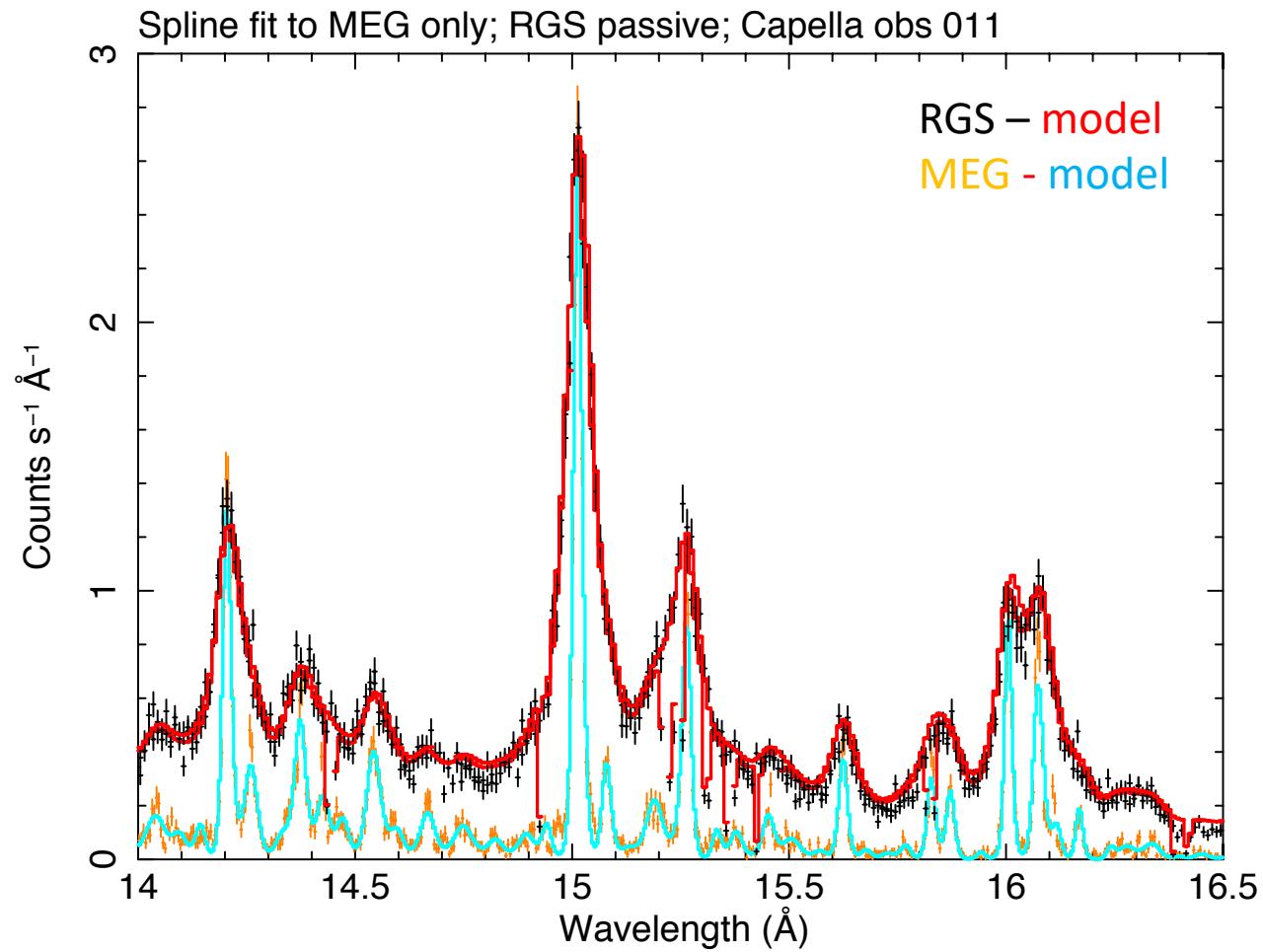
Some aspects of grating spectrometers calibration

Simultaneous data RGS with Chandra gratings

- Use 76 data sets

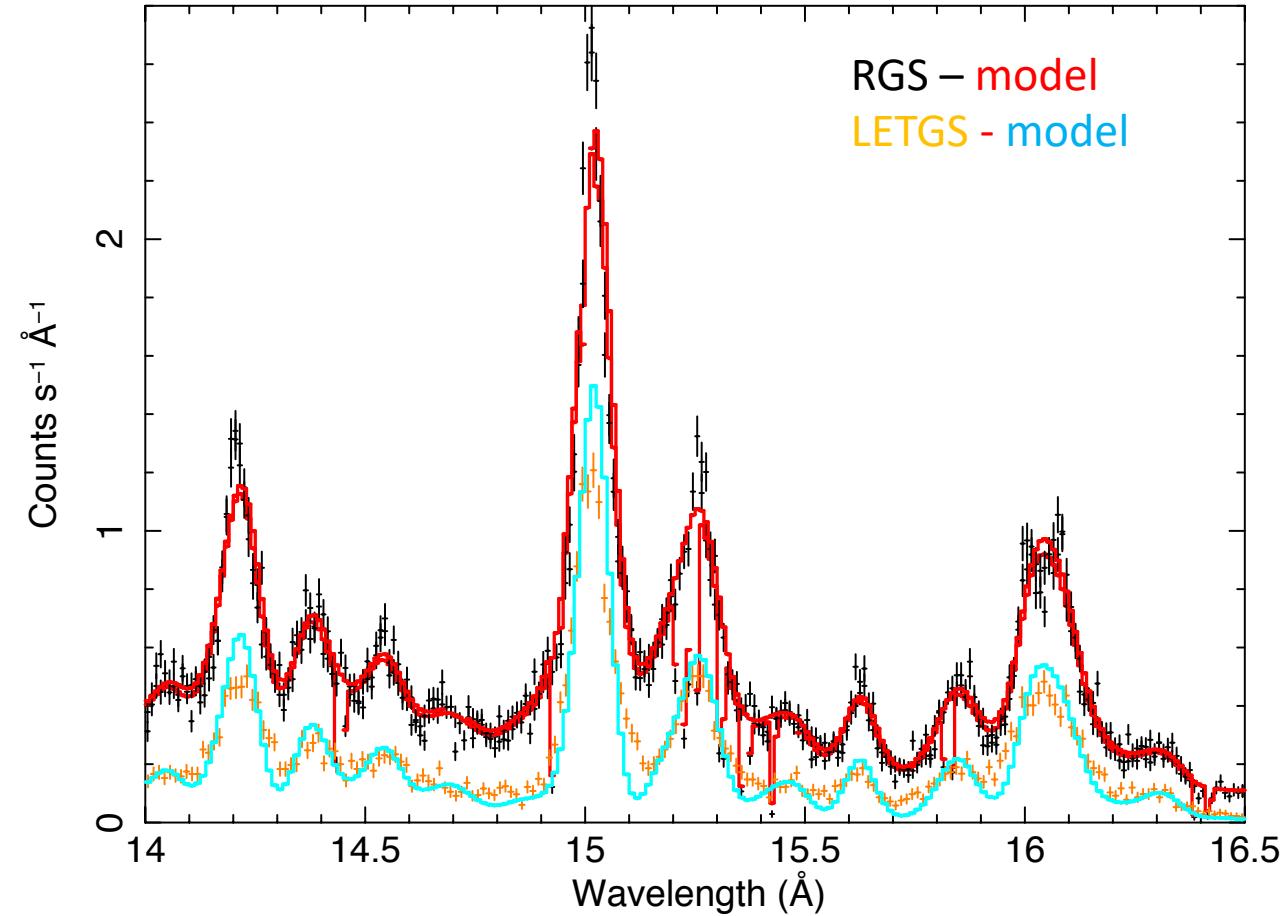
Class/Conf	HETGS	LETG/ACIS-S	LETG/HRC-S
Capella	3	1	3
Other stars	1 (RS Oph)		4 (UX Ari, YY Gem)
Total Stars	4	1	7
3C 273	9	3	1
PKS 2155-304	4	10	8
Other AGN	23	2	
Total AGN	36	15	9
Other	3 (Cyg X1,2,3)		1 (ASASSN-14li)
Total	43	16	17

Good match MEG model with RGS data

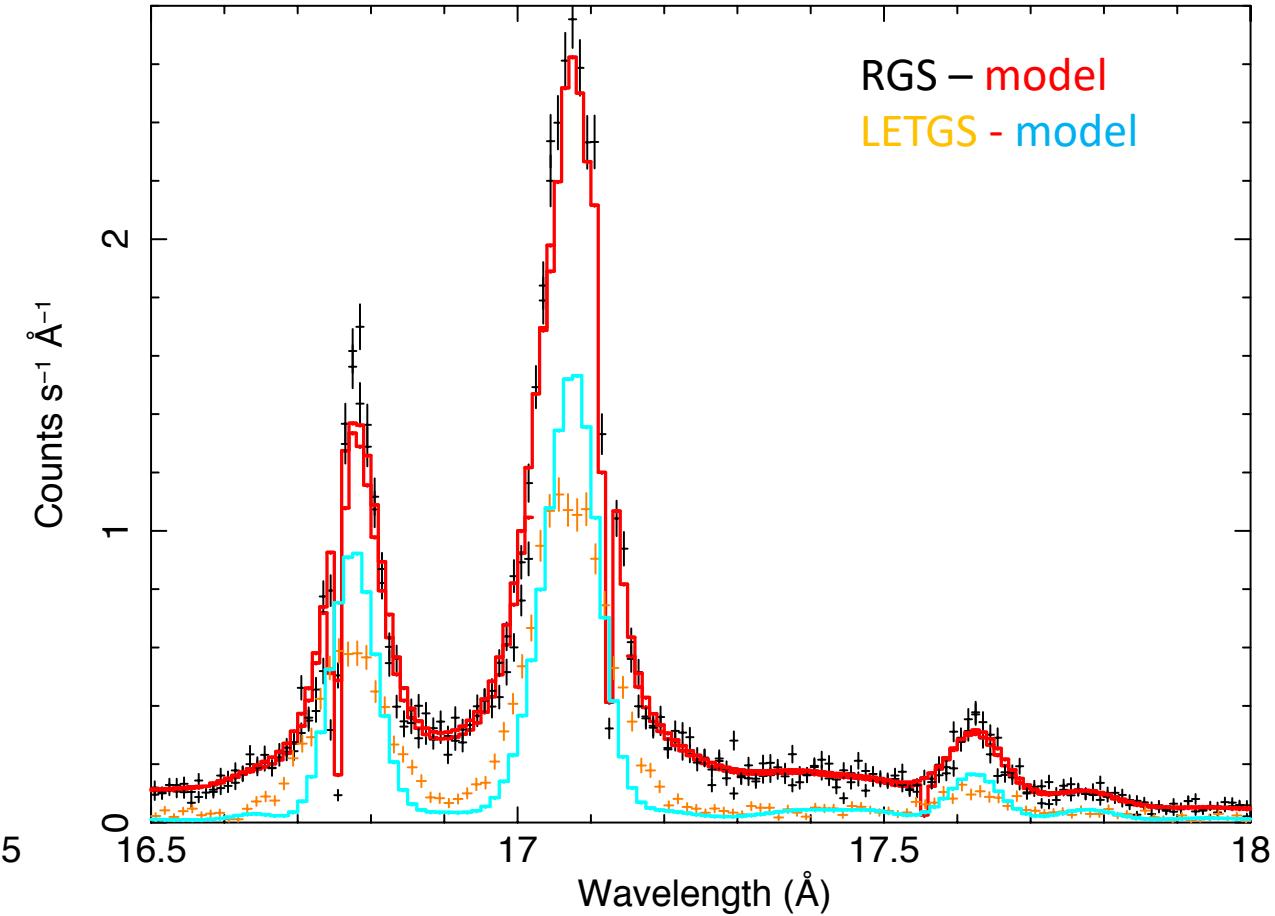


Reasonable results for short wavelength LETG (quite) different lsf at intermediate λ

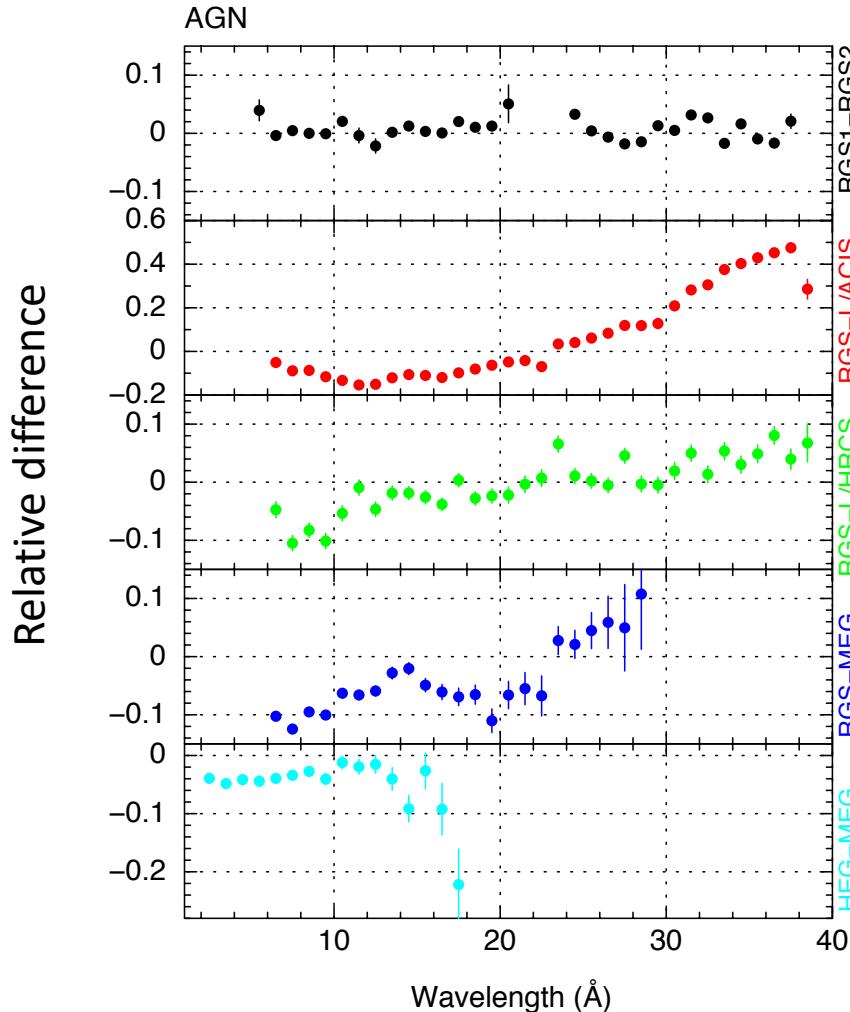
Spline fit to RGS only; LETG/HRC-S passive; Capella obs 013



Spline fit to RGS only; LETG/HRC-S passive; Capella obs 013



Effective area comparisons using simultaneous AGN (blazar) observations

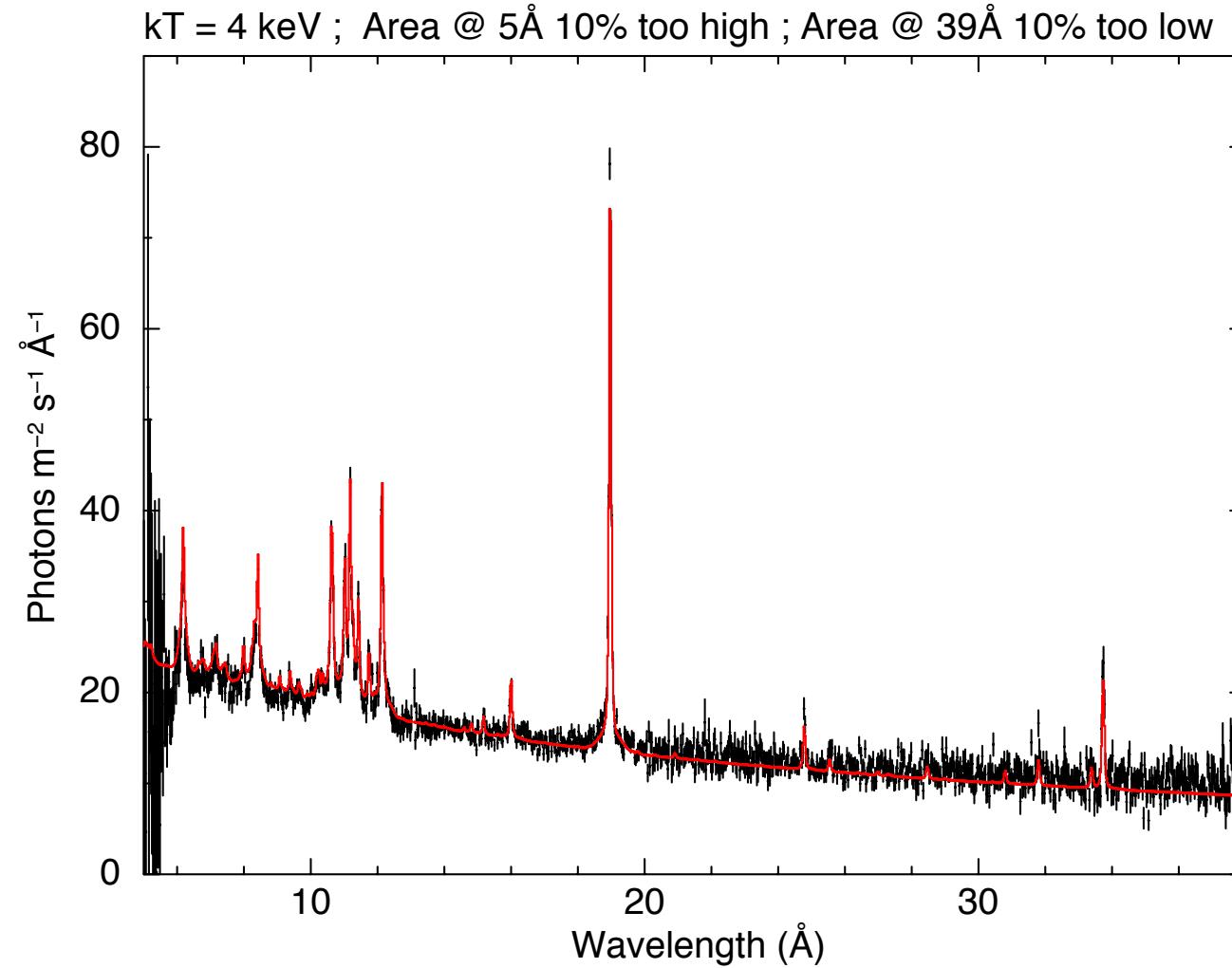


Preliminary conclusions

- LSF's:
 - from MEG-RGS comparison, fair agreement
 - LETG/HRC-S and RGS disagree strongly; issues with LETGS lsf??
- Effective area:
 - Fair agreement RGS and LETG/HRC-S (but 20% gradient from 10-40 Å)
 - Strong disagreement RGS with ACIS (MEG, LETG) at long λ : ACIS contamination issues, and/or RGS time degradation?

How do calibration uncertainties affect thermal model parameters?

RGS 1-T model with power law effective area error



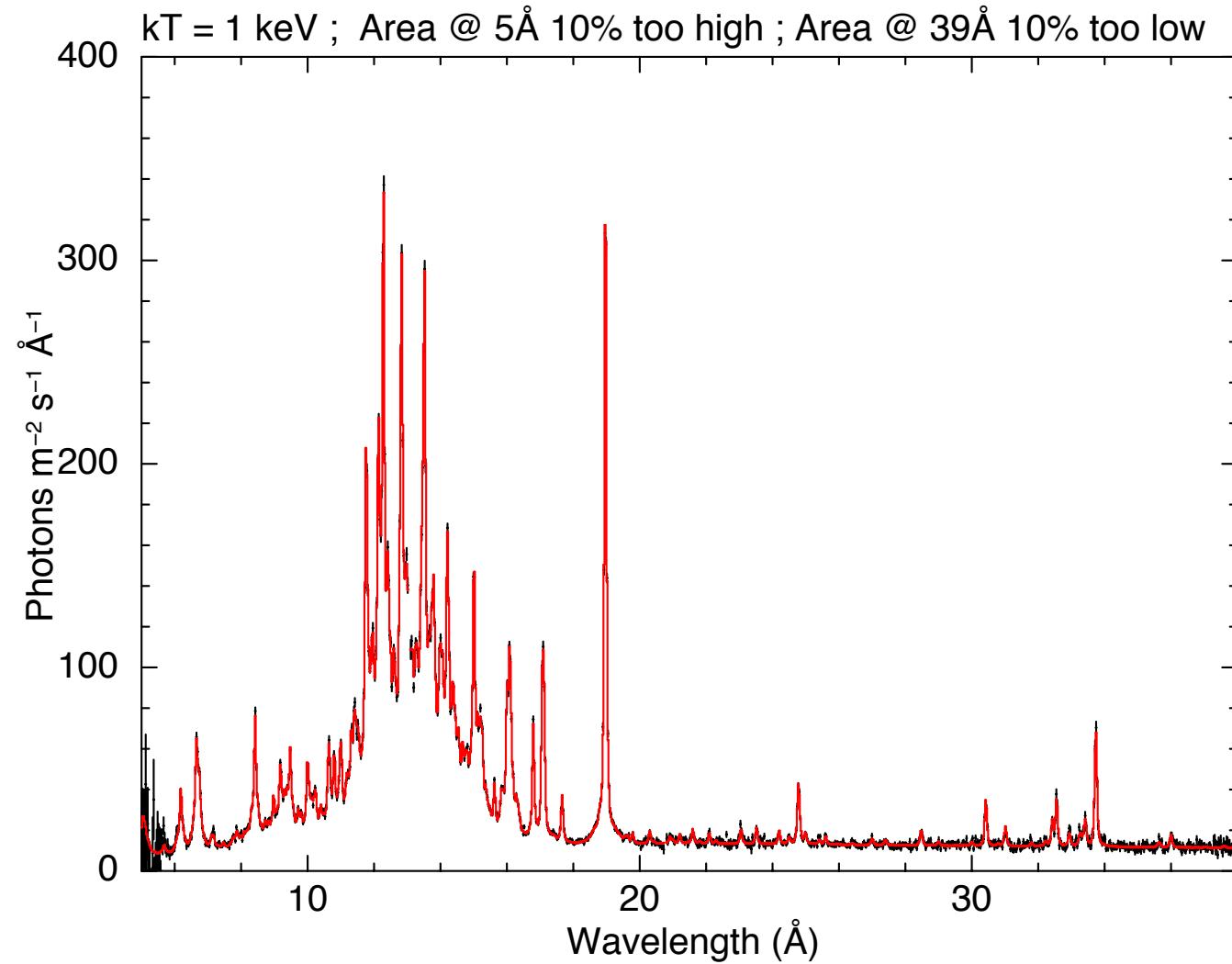
RGS 1-T model with power law effective area error

$kT = 4 \text{ keV}$

Parameter	Input value	Fit 1	Fit 2	“True” fit
Norm	10000	9964 ± 25	10213 ± 28	10009 ± 30
T (keV)	4	3.88 ± 0.04	2.94 ± 0.05	4.01 ± 0.08
C	1		0.84 ± 0.07	1.04 ± 0.09
N	1		0.62 ± 0.09	0.81 ± 0.12
O	1		0.72 ± 0.02	0.99 ± 0.03
Ne	1		0.64 ± 0.03	1.01 ± 0.05
Mg	1		0.67 ± 0.04	1.05 ± 0.06
Si	1		0.61 ± 0.05	0.93 ± 0.07
Fe	1		0.56 ± 0.02	0.99 ± 0.04
Cstat	1116 ± 47	1582	1177	1087

- Fit 1 not acceptable (too high Cstat)
- Fit 2 (free abundances) would be accepted
- Strong bias in T ($> 1 \text{ keV}!$)
- Abundances too low (almost up to 2x)
- Errors on parameters underestimated (almost up to 2x)

RGS 1-T model with power law effective area error



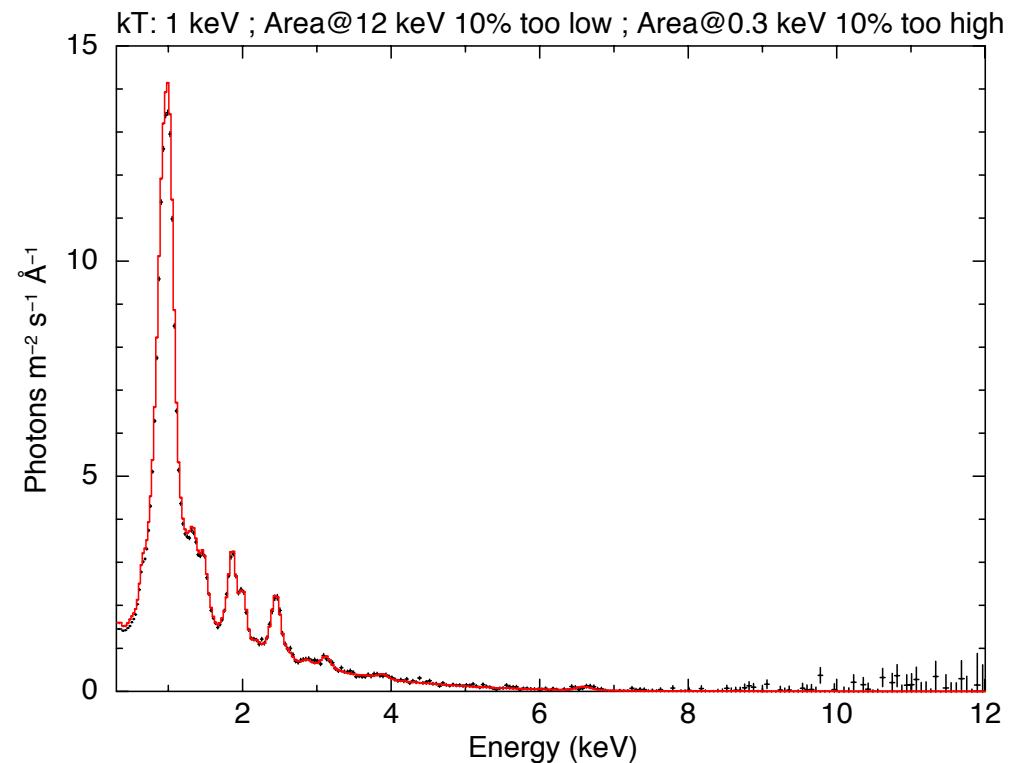
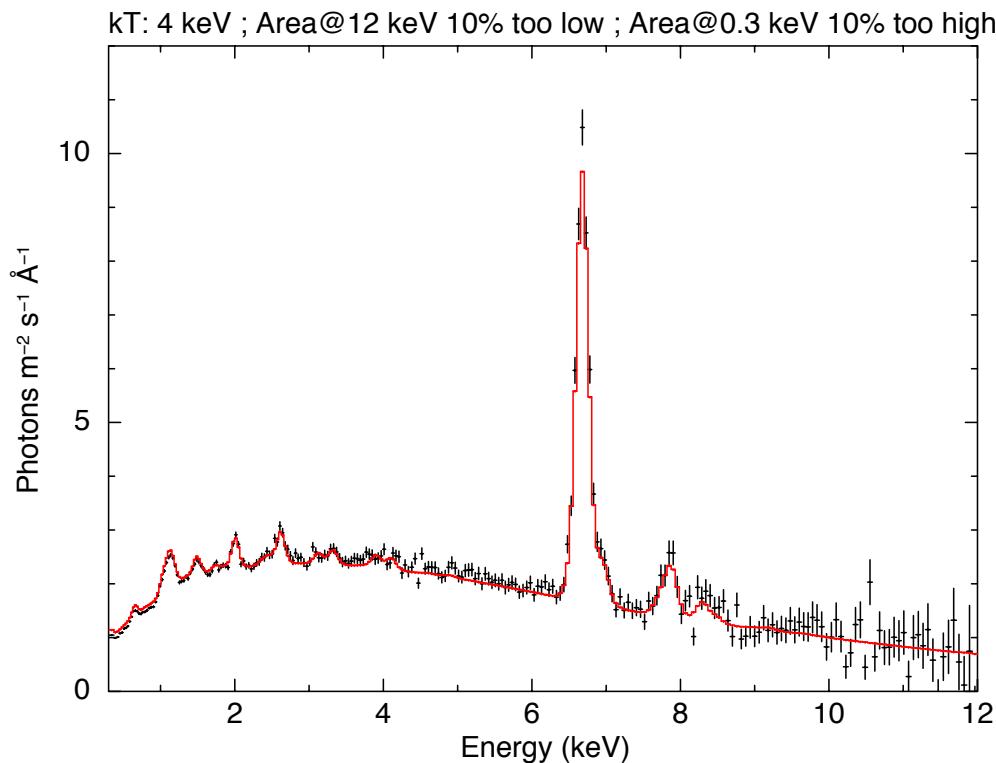
RGS 1-T model with power law effective area error

$kT = 1 \text{ keV}$

Parameter	Input value	Fit 1	Fit 2	“True” fit
Norm	10000	9942 ± 16	10479 ± 37	10015 ± 36
T (keV)	1	0.998 ± 0.001	0.994 ± 0.001	1.000 ± 0.001
C	1		1.05 ± 0.03	1.00 ± 0.03
N	1		0.97 ± 0.04	0.97 ± 0.04
O	1		0.96 ± 0.01	1.00 ± 0.01
Ne	1		0.90 ± 0.02	0.99 ± 0.02
Mg	1		0.84 ± 0.01	0.98 ± 0.02
Si	1		0.83 ± 0.01	0.93 ± 0.02
Fe	1		0.912 ± 0.005	0.997 ± 0.005
Cstat	1115 ± 47	1808	1305	1086

- Fit 1 not acceptable (too high Cstat)
- Fit 2 (free abundances) would likely be accepted
- Weak bias in T (< 1%)
- Abundances off (up to 15%)
- Errors on parameters OK

Pn 1-T model with power law effective area error



Summary

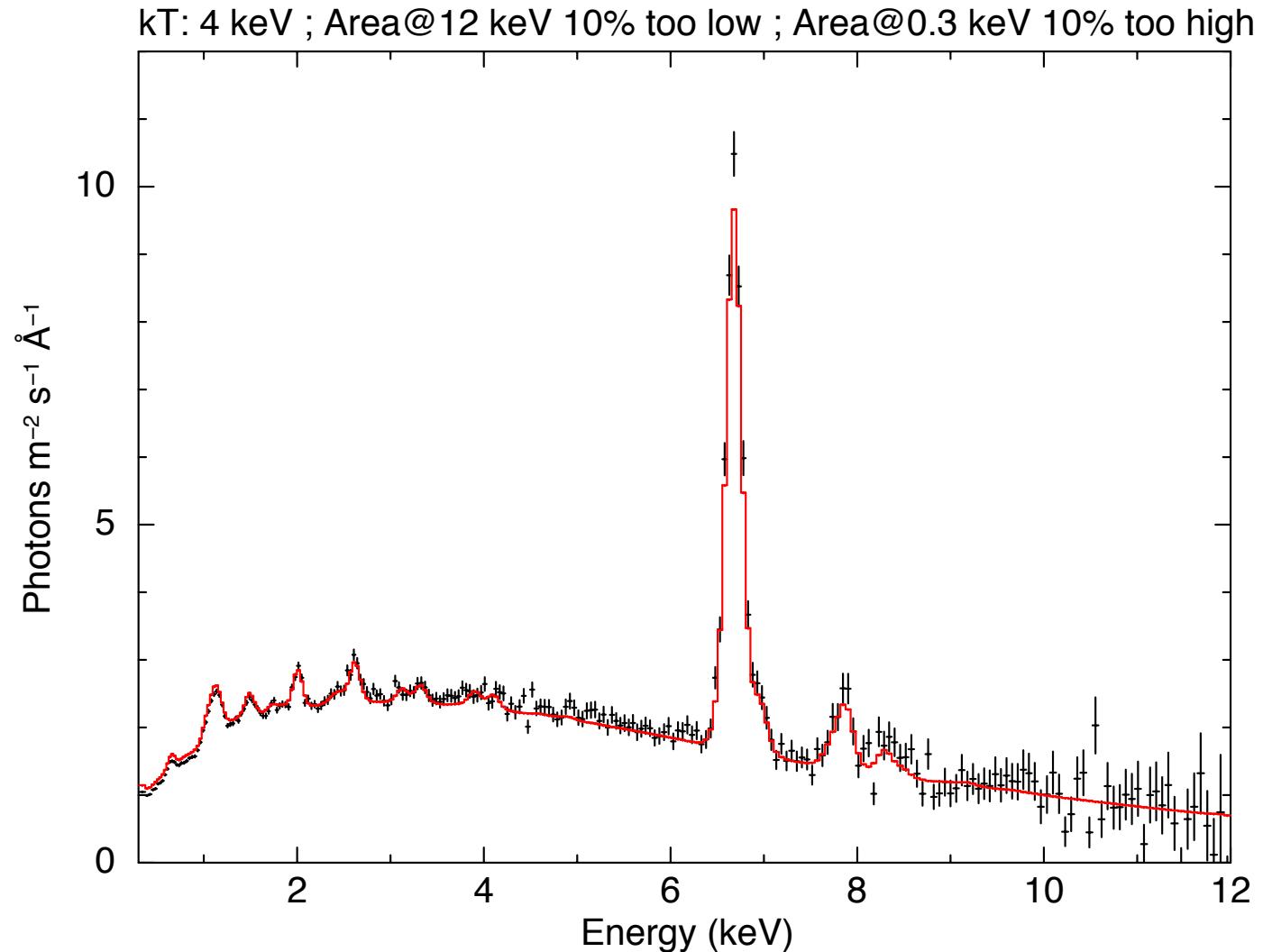
Case	RGS 4 keV	RGS 1 keV	Pn 4 keV	Pn 1 keV
C-stat	no	Modest	Modest	modest
T	25%	No	10%	No
Abundances	50%	15%	50%	15%

Lessons learned:

- Modest effective area uncertainty can give strong bias on derived astrophysical parameters
- Even if the fit is “good”, the results can be “wrong”
- Bias depends on:
 - Source model
 - Instrument & energy range
 - Shape of effective area deviations

Backup info

Pn 1-T model with power law effective area error



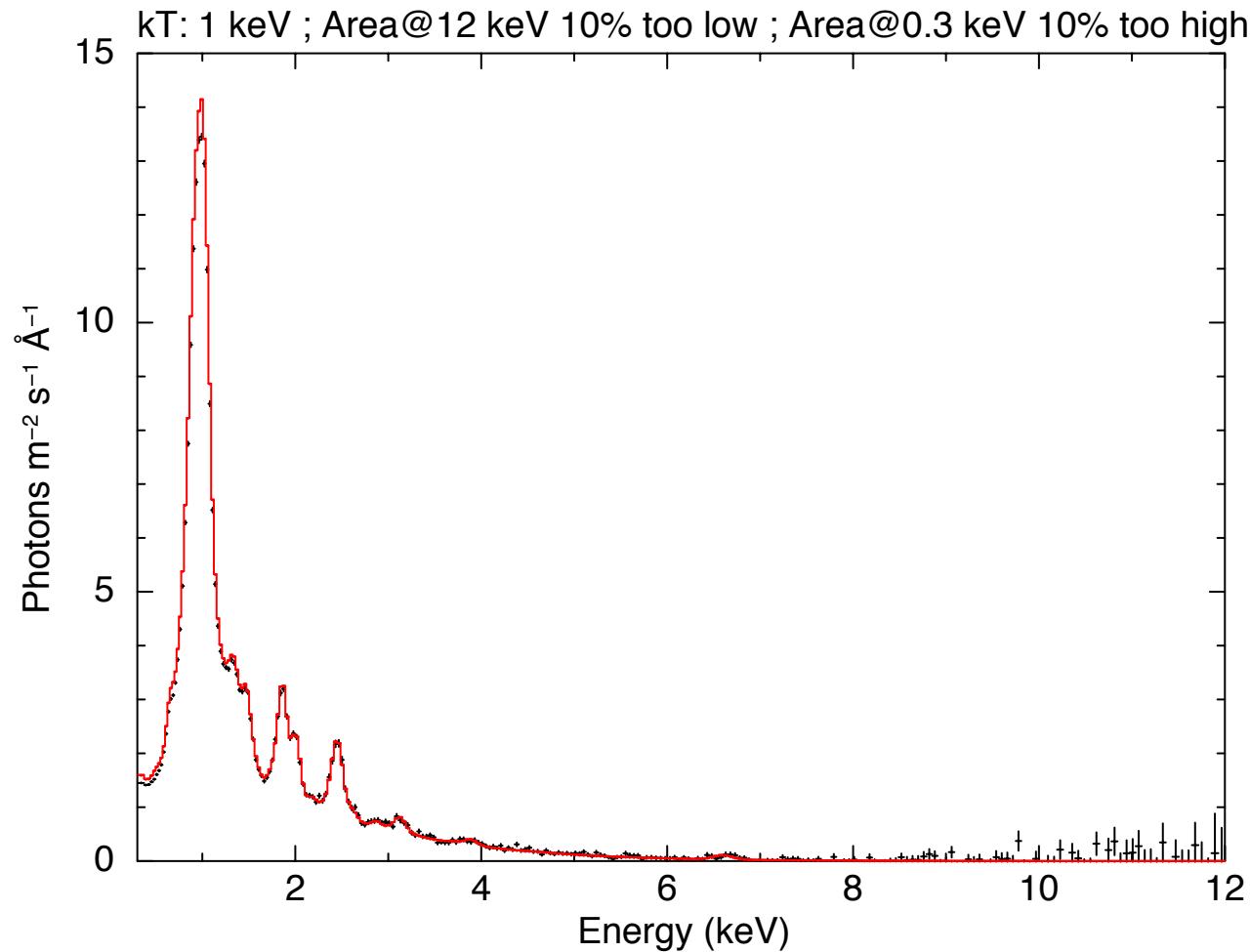
Pn 1-T model with power law effective area error

$kT = 4 \text{ keV}$

Parameter	Input value	Fit 1	Fit 2	“True” fit
Norm	1000	970.0 ± 1.4	945 ± 5	1004 ± 5
T (keV)	4	4.41 ± 0.02	4.38 ± 0.02	4.04 ± 0.02
O	1		0.95 ± 0.06	0.93 ± 0.06
Ne	1		1.41 ± 0.09	1.00 ± 0.08
Mg	1		1.58 ± 0.11	1.05 ± 0.09
Si	1		1.37 ± 0.06	1.01 ± 0.05
S	1		1.18 ± 0.09	0.81 ± 0.07
Fe	1		1.13 ± 0.02	1.00 ± 0.07
Ni	1		1.06 ± 0.20	0.77 ± 0.17
Cstat	259 ± 23	517	352	227

- Fit 1 not acceptable (too high Cstat)
- Fit 2 (free abundances) would be accepted??
- Bias in T (10 %)
- Abundances too high (up to 50%)
- Errors on parameters slightly over-estimated

Pn 1-T model with power law effective area error



Pn 1-T model with power law effective area error

$kT = 1 \text{ keV}$

Parameter	Input value	Fit 1	Fit 2	“True” fit
Norm	1000	959 ± 1	914 ± 5	1002 ± 5
T (keV)	4	1.003 ± 0.001	1.007 ± 0.002	1.002 ± 0.002
O	1		1.04 ± 0.02	0.98 ± 0.02
Ne	1		0.91 ± 0.09	0.87 ± 0.09
Mg	1		1.17 ± 0.02	1.00 ± 0.02
Si	1		1.15 ± 0.01	1.01 ± 0.01
S	1		1.13 ± 0.03	0.98 ± 0.03
Fe	1		1.10 ± 0.02	1.02 ± 0.02
Ni	1		0.85 ± 0.10	0.92 ± 0.10
Cstat	262 ± 23	637	366	266

- Fit 1 not acceptable (too high Cstat)
- Fit 2 (free abundances) would be accepted??
- Weak bias in T (< 1%)
- Abundances too high (almost up to 15%)
- Errors on parameters OK