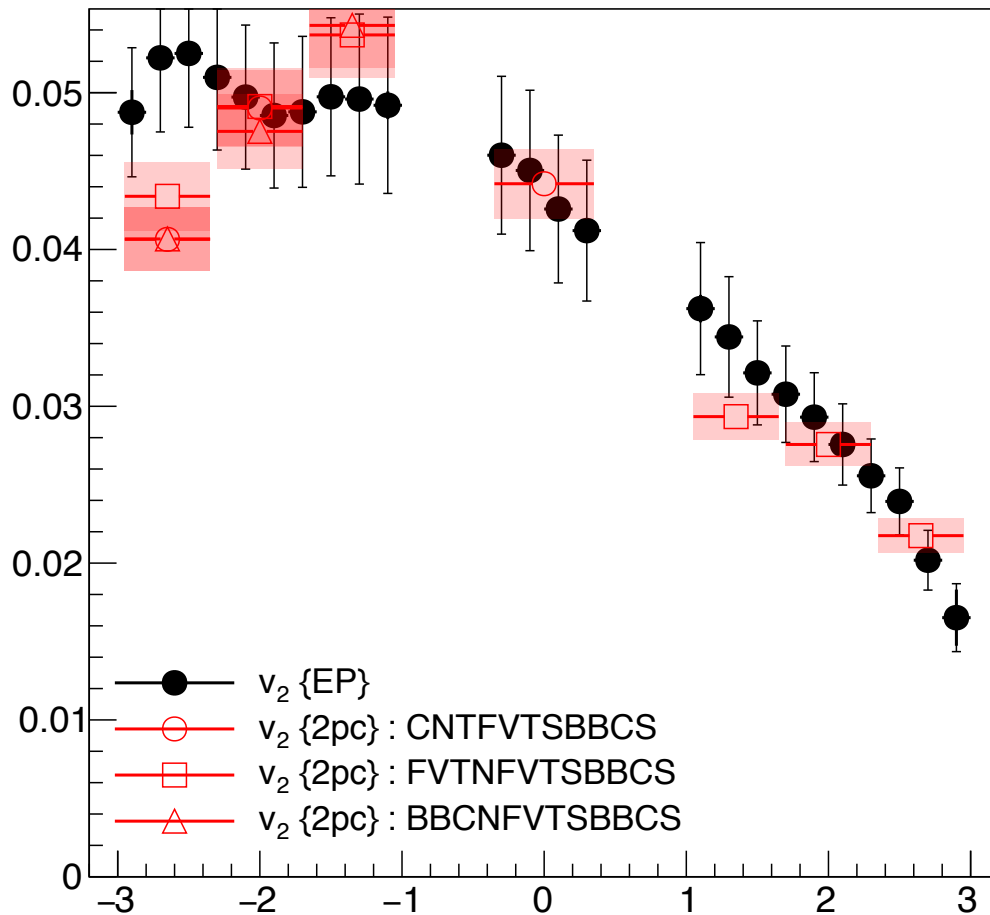


d+Au analysis status update

Seyoung Han

d+Au 200GeV

published v_2 vs. rapidity reproduced



10% systematic uncertainty included reproduced results.

Results reproduced in a fair range.

2pc with 3sub combinations

1. Get the fitting function

$$F(\Delta\phi) = N_0 \left(1 + \sum_{n=1}^3 2C_n \cos(n\Delta\phi) \right)$$

2. c_n include 2 v_n parameters : $C_n = v_n^a * v_n^b = C_n^{ab}$

3. To calculate v_n , need 3 sub combinations

$$C_n^{ab} = v_n^a * v_n^b$$

$$C_n^{bc} = v_n^b * v_n^c$$

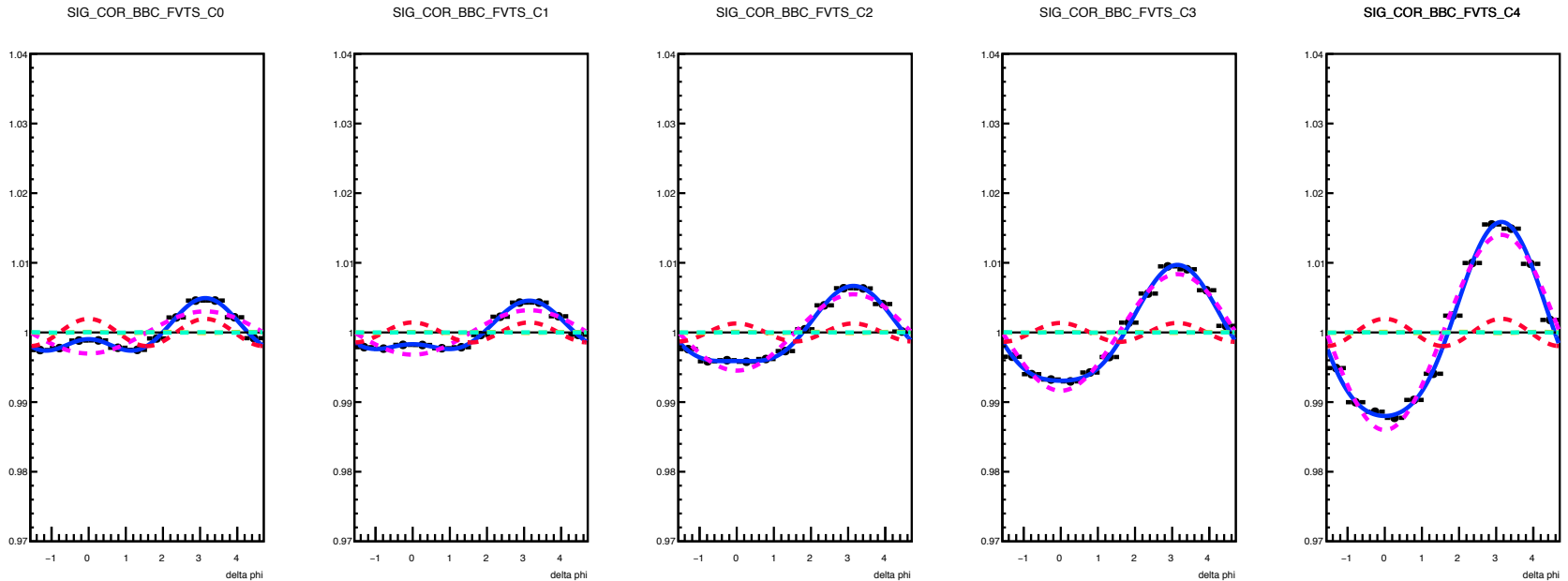
$$C_n^{ac} = v_n^a * v_n^c$$



$$v_n^a = \sqrt{\frac{C_n^{ab} C_n^{ac}}{C_n^{bc}}}$$

Ex) a=BBCs, b=CNT
a=FVTXn, b=FVTXs ..

2pc fitting function : Fourier expansion



Central

Peripheral

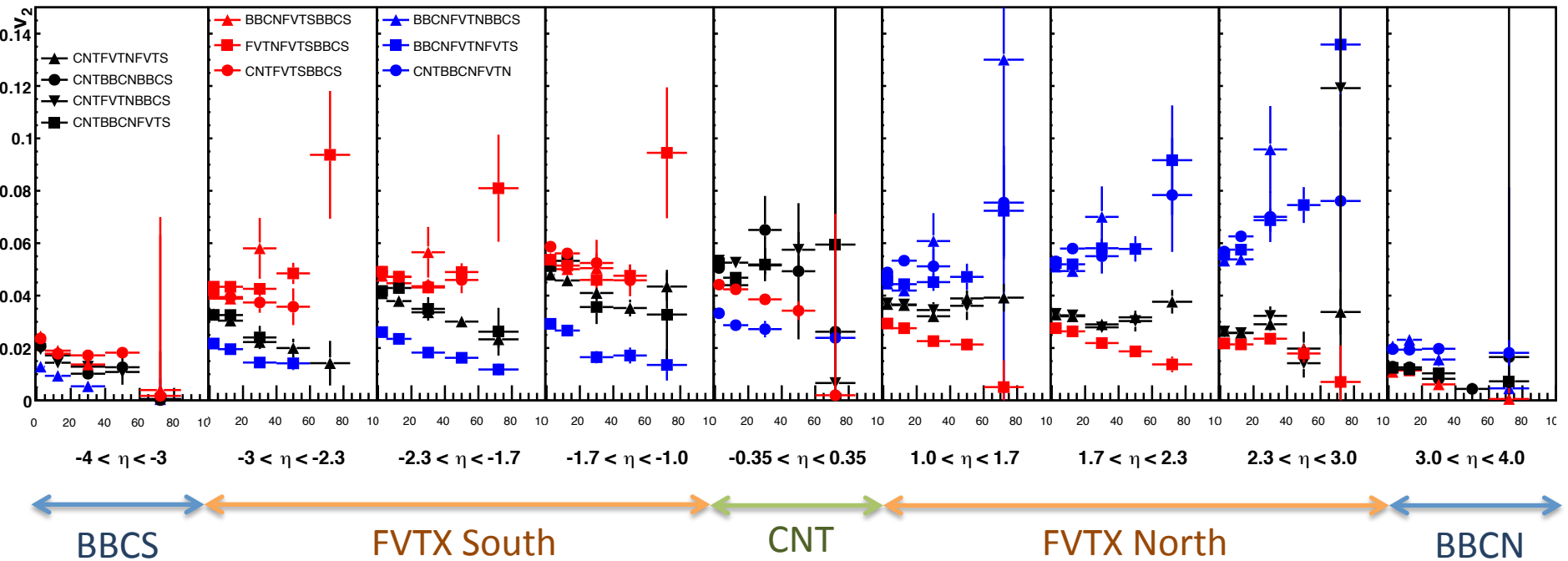
Near-side area shows size of c_2 (Red dashed line), which is getting smaller while it goes to the peripheral collisions.

Central & peripheral decided by BBC South charge sum.

d+Au 200GeV

$v_2\{2pc\}$ vs. centrality

Cent -> Peri



Black : Mid + **Forward** + **Backward**
 Red : Mid + **Backward** + **Backward**
 Forward + **Backward** + **Backward**
 Blue : Mid + **Forward** + **Forward**
 Backward + **Forward** + **Forward**

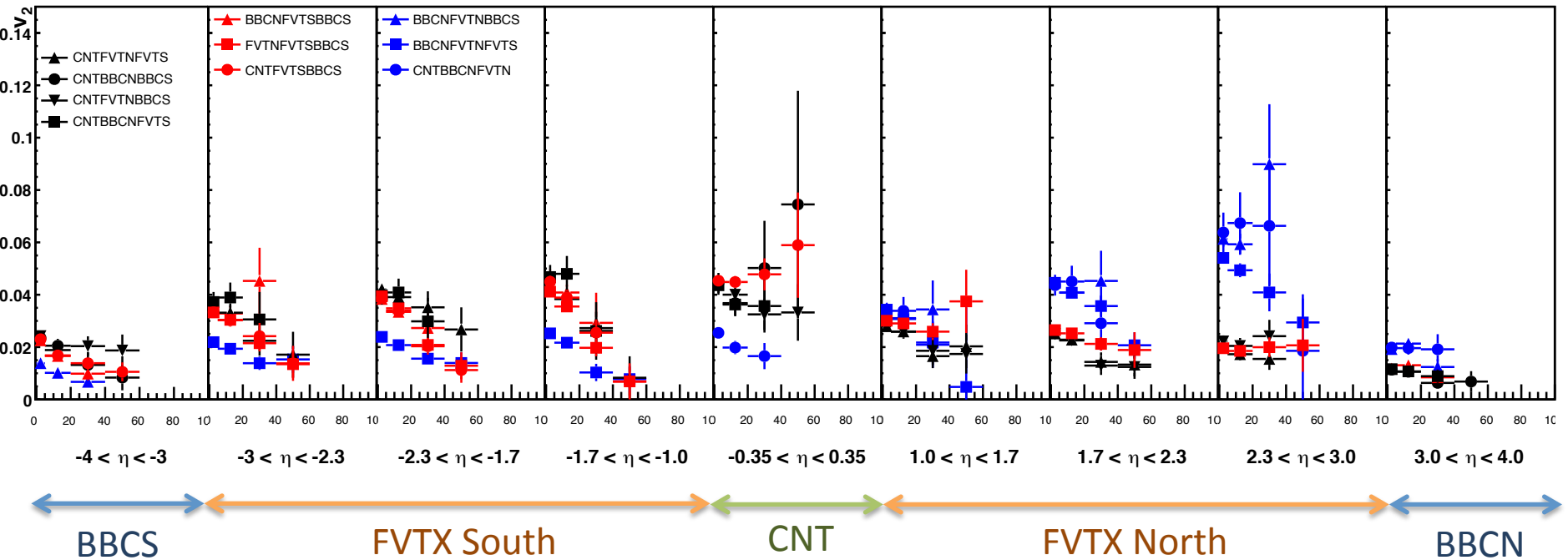
→ Could have $\Delta\eta$ between two particles large enough

} Small $\Delta\eta$ but different detector combinations

d+Au 200GeV

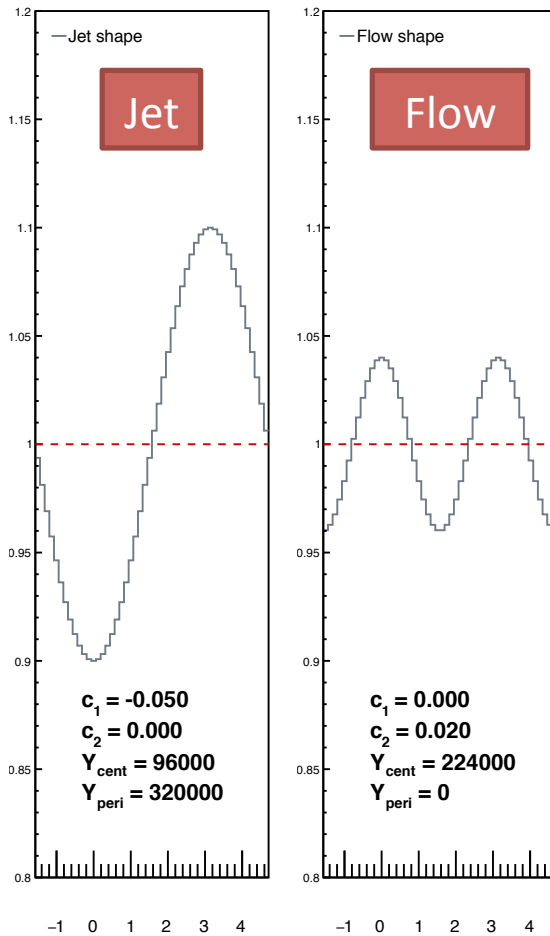
$v_2\{\text{Ref}\}$ vs. centrality

Cent -> Peri



Even if we apply reference fit method, 3sub effect does not disappeared.
Why?

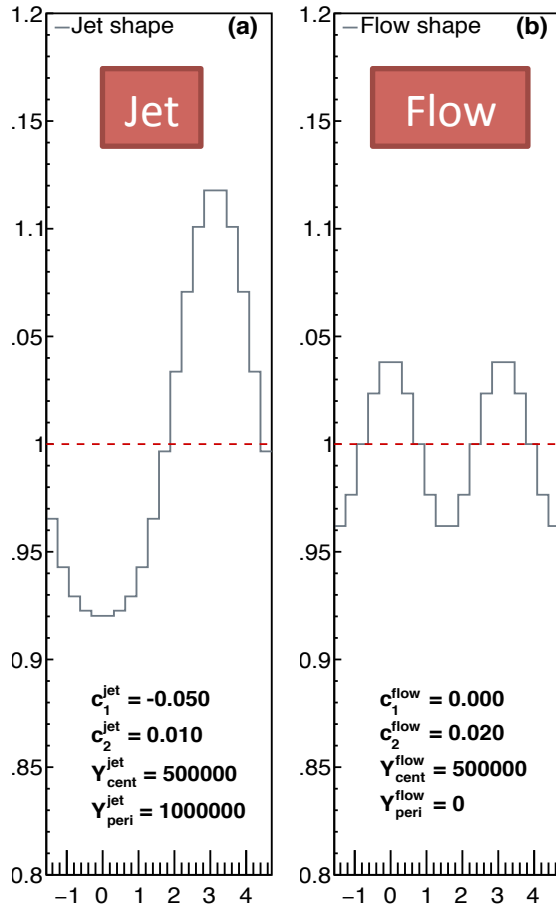
Limitation of reference fit method



If the jet only has c_1 component while the flow only has c_2 , reference fit will perfectly work.

1st case

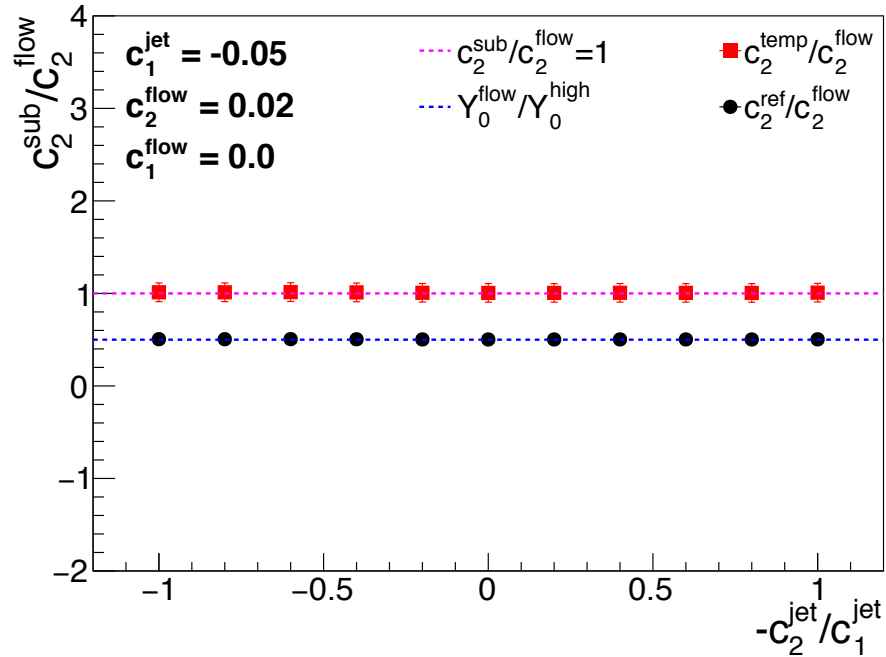
Limitation of reference fit method



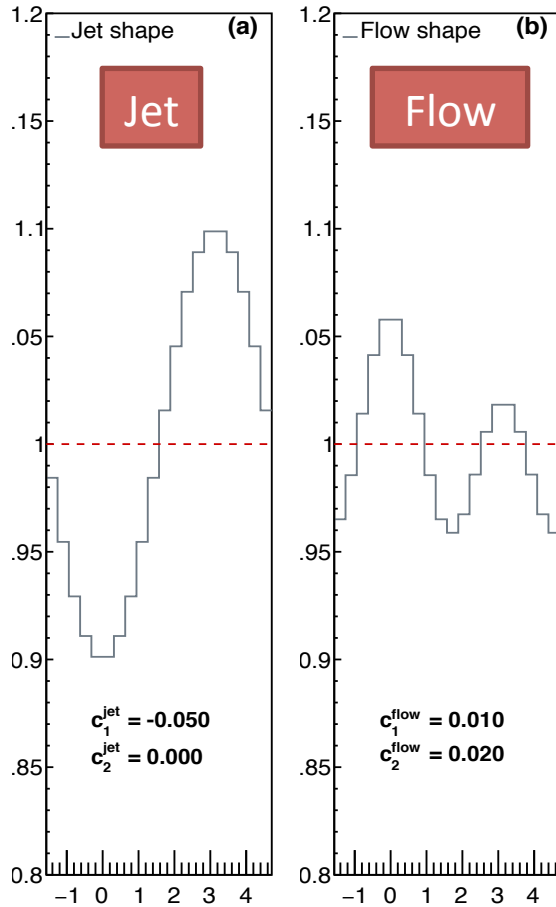
2nd case

If the jet only has c_1 component while the flow only has c_2 , reference fit will perfectly work.

And if the jet has c_1 and c_2 component while the flow only has c_2 , reference fit will give stable results = yield flow / total yield



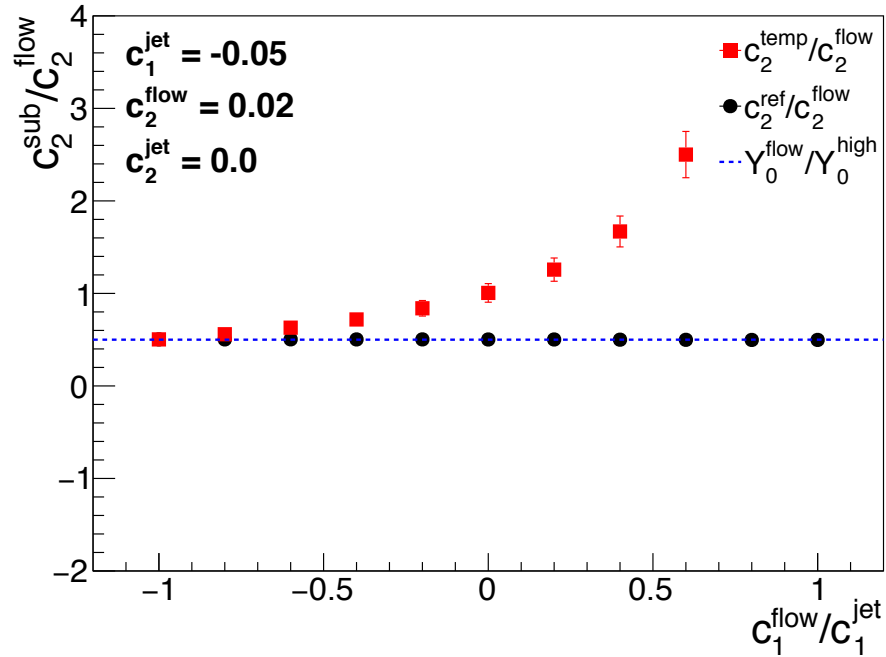
Limitation of reference fit method



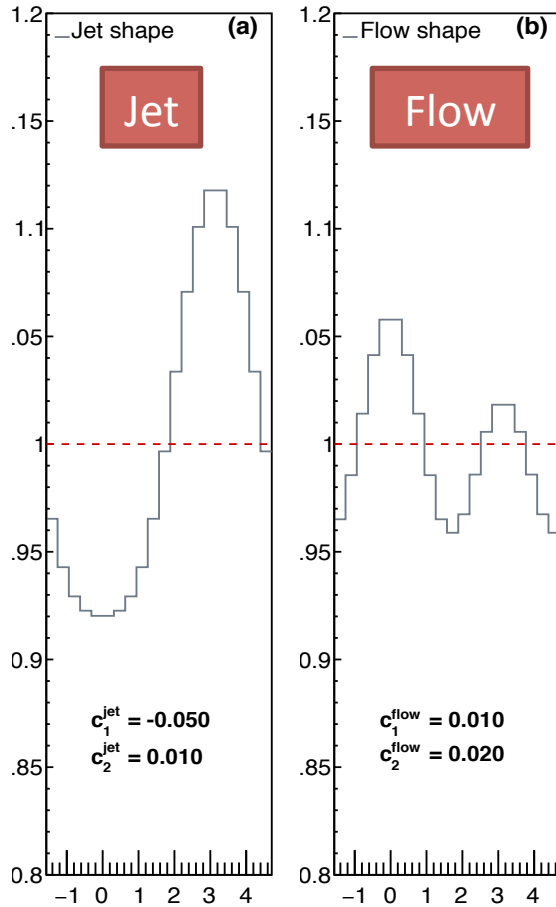
3rd case

If the jet only has c_1 component while the flow only has c_2 , reference fit will perfectly work.

And if the jet only has c_1 component while the flow has c_2 and c_1 , reference fit will give better work than template fit method.



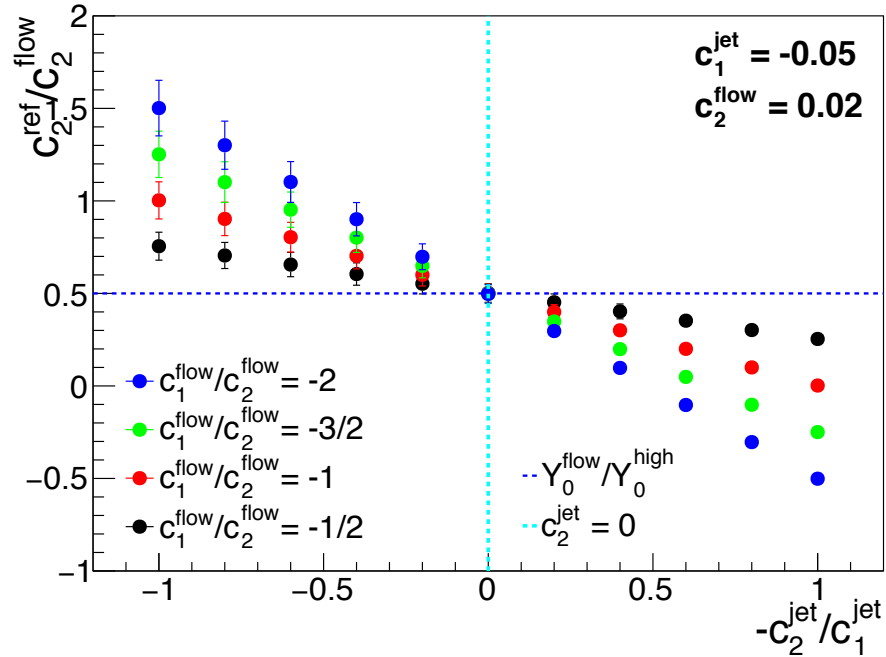
Limitation of reference fit method



4th case

If the jet only has c_1 component while the flow only has c_2 , reference fit will perfectly work.

But if the jet and flow have c_1 and c_2 at the same time, the results are not converge into the one value.



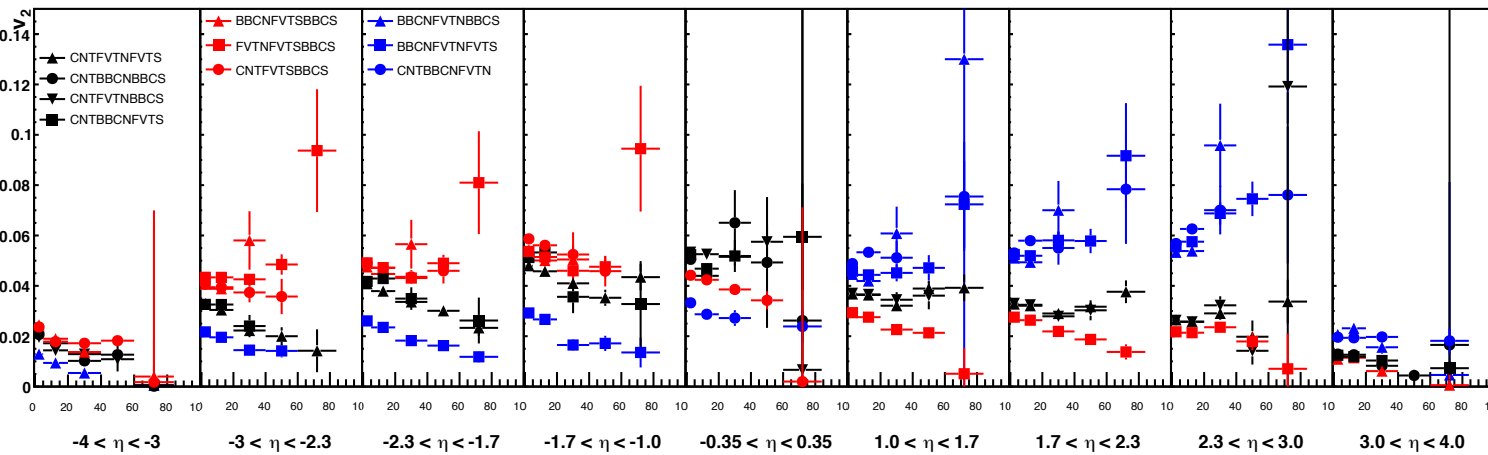
Limitation of reference fit method

- The reference fit method fails when
 - the c_1^{flow} is not zero, with c_2^{jet} is not zero (4th case)
 - We know the c_1^{flow} will not zero, even if we do not know the exact shape of the flow.
- So the home work will be **remove c_2^{jet}** (to make 3rd case)

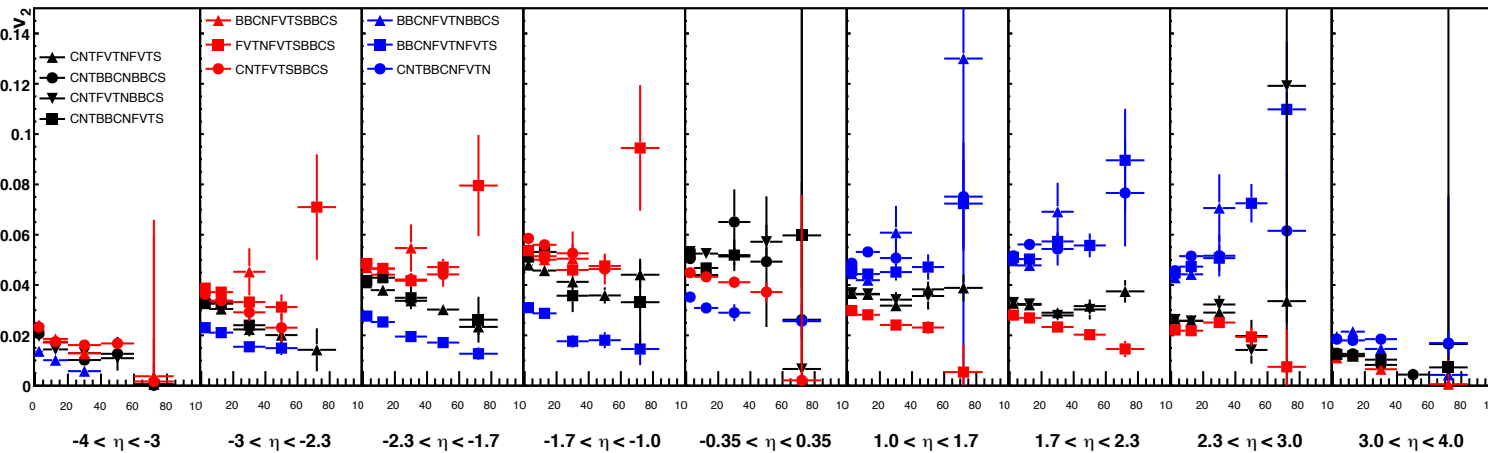
**Remove near-side jet effect is
the key for the reference fit
makes work!**

d+Au 200GeV

$v_2\{2pc\}$ vs. centrality



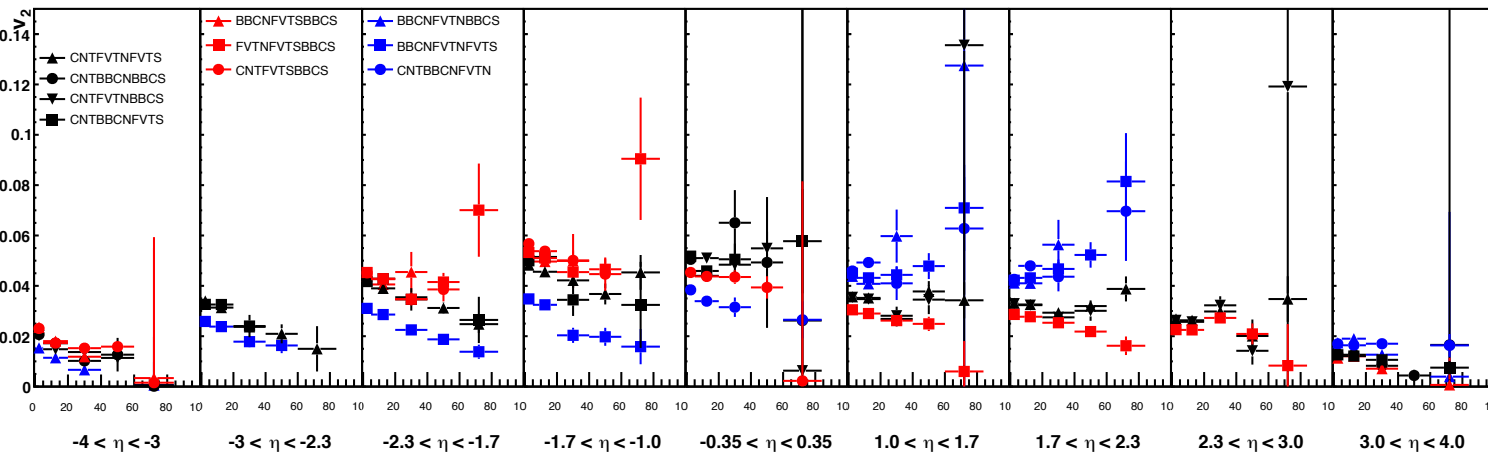
w/o $\Delta\eta$



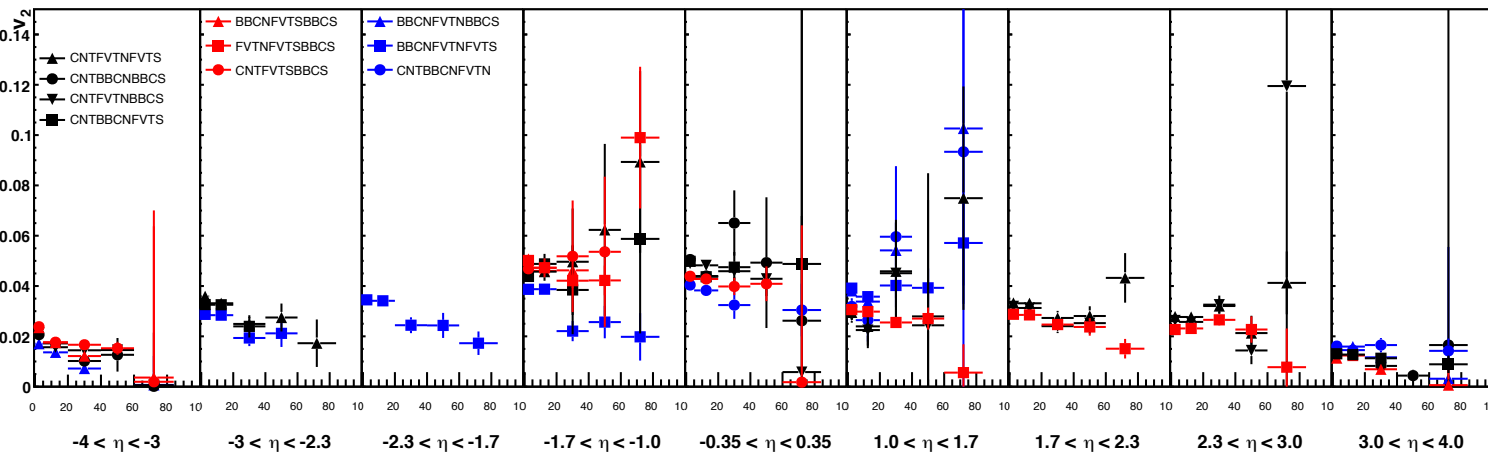
$\Delta\eta > 1.0$

d+Au 200GeV

$v_2\{2pc\}$ vs. centrality



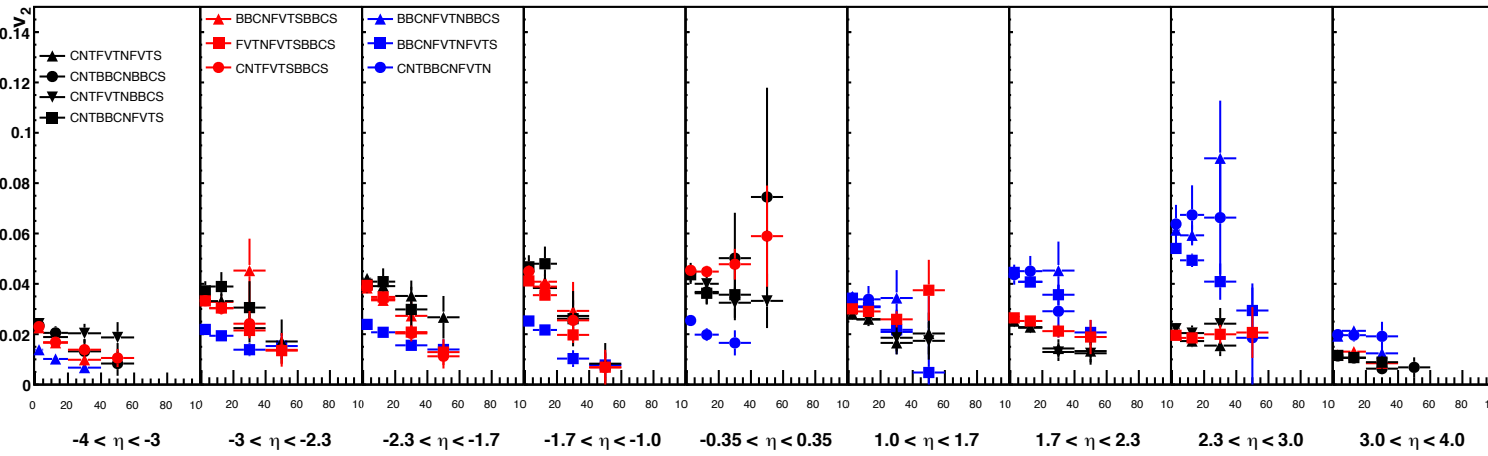
$\Delta\eta > 1.5$



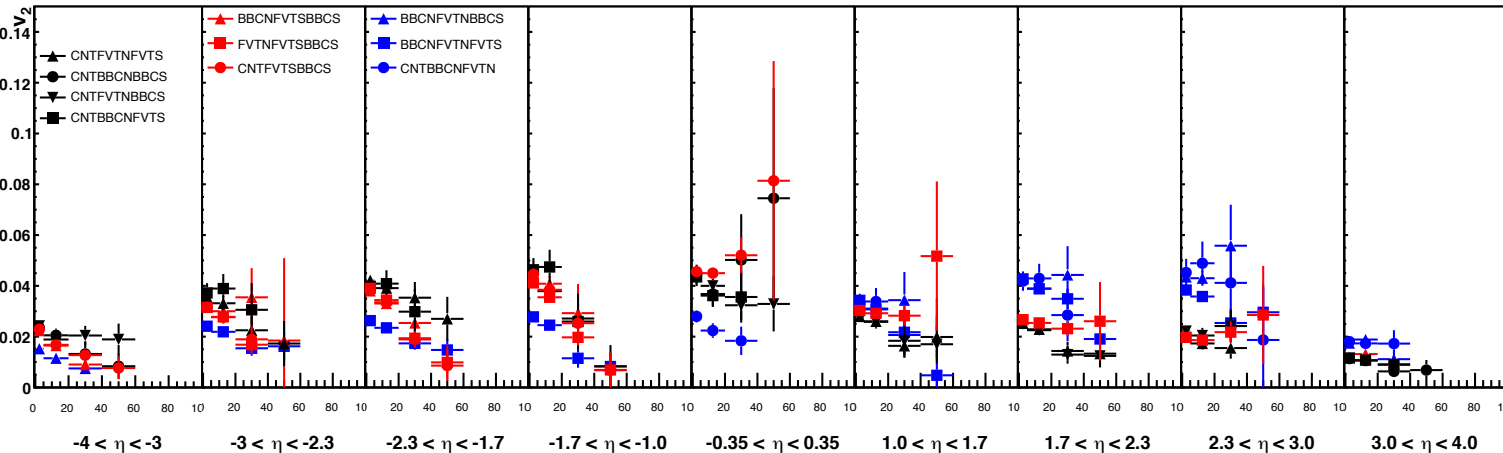
$\Delta\eta > 2.0$

d+Au 200GeV

$v_2\{\text{ref}\}$ vs. centrality



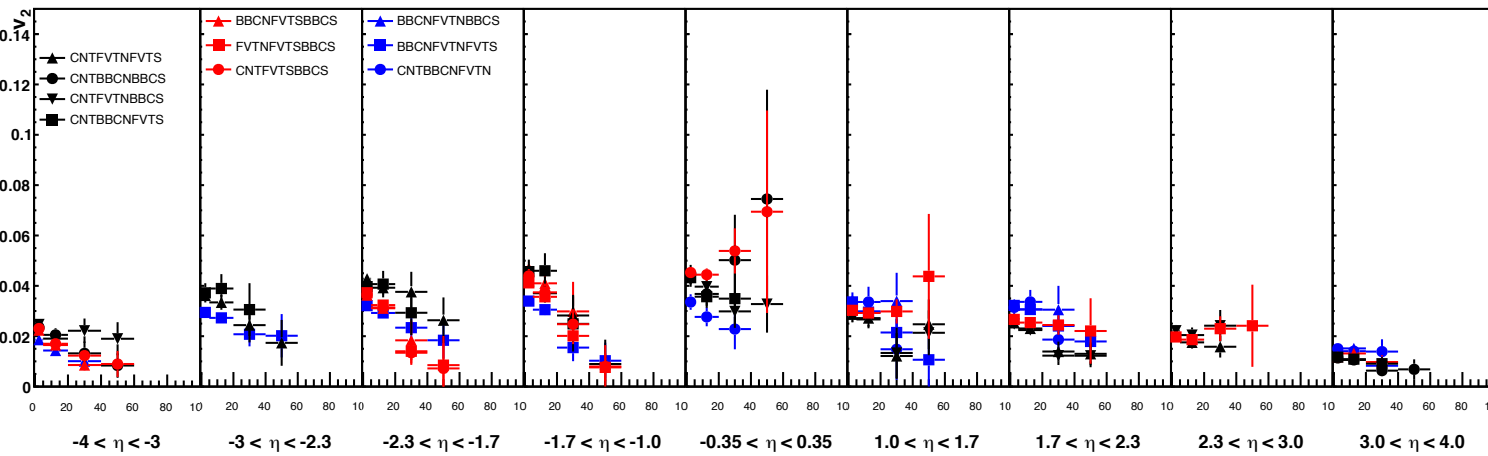
w/o $\Delta\eta$



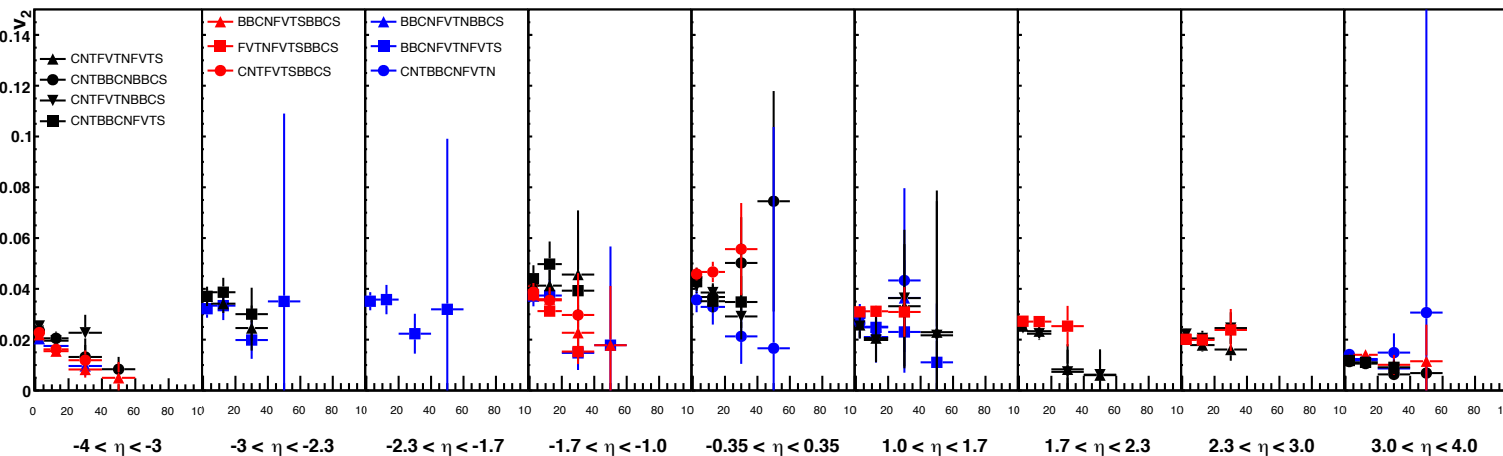
$\Delta\eta > 1.0$

d+Au 200GeV

$v_2\{\text{ref}\}$ vs. centrality



$\Delta\eta > 1.5$



$\Delta\eta > 2.0$

Summary

- After applying $\Delta\eta$ cut (~ 1.5) to the two particle correlation method, we found the **3sub combination effects** goes away.
- The reference fit method gives better agreement & centrality dependence after using $\Delta\eta$ cut.

BACKUP

revisit; Mathematical derivation

$$Y^{temp}(\Delta\phi) = FY^{Low}(\Delta\phi) + Y^{Ridge}(\Delta\phi)$$

$$Y^{Ridge}(\Delta\phi) = Y^{High}(\Delta\phi) - FY^{Low}(\Delta\phi)$$

$$= (Y_0^{High} - FY_0^{Low}) + 2 \sum_n (Y_0^{High} c_n^{High} - FY_0^{Low} c_n^{Low}) \cos(n\Delta\phi)$$

$$= (Y_0^{High} - FY_0^{Low}) \left\{ 1 + 2 \sum_n \frac{Y_0^{High} c_n^{High} - FY_0^{Low} c_n^{Low}}{Y_0^{High} - FY_0^{Low}} \cos(n\Delta\phi) \right\}$$

$$= \underbrace{Y_0^{Ridge}}_{\text{dashed green circle}} \left\{ 1 + 2 \sum_n \frac{Y_0^{High} c_n^{High} - FY_0^{Low} c_n^{Low}}{Y_0^{Ridge}} \cos(n\Delta\phi) \right\}$$

Reference fit method

$$c_n^{ref} = \frac{Y_0^{High} c_n^{High} - FY_0^{Low} c_n^{Low}}{Y_0^{High}}$$

Template fit method

$$c_n^{temp} = \frac{Y_0^{High} c_n^{High} - FY_0^{Low} c_n^{Low}}{Y_0^{Ridge}}$$

Reference fit and template fit in correlation functions

$$C^{\text{high}}(\Delta\phi) = 1 + 2 \sum h_n \cos(n\Delta\phi)$$

$$C^{\text{low}}(\Delta\phi) = 1 + 2 \sum l_n \cos(n\Delta\phi)$$

$$C^{\text{ref}}(\Delta\phi) = 1 + 2 \sum c_n^{\text{ref}} \cos(n\Delta\phi)$$

$$C^{\text{temp}}(\Delta\phi) = 1 + 2 \sum c_n^{\text{temp}} \cos(n\Delta\phi)$$

Reference fit method

$$\begin{aligned} C^{\text{ref}}(\Delta\phi) &= C^{\text{high}}(\Delta\phi) - [a * C^{\text{low}}(\Delta\phi) + b] + 1 \\ &= C^{\text{high}}(\Delta\phi) - (1-b)[C^{\text{low}}(\Delta\phi) - 1] \end{aligned}$$

$$\therefore c_n^{\text{ref}} = h_n - (1-b) * l_n$$

$$\begin{aligned} a+b &= 1 \\ a^{\text{temp}} &= a^{\text{ref}} \end{aligned}$$

b = normalization factor

Template fit method

$$\begin{aligned} C^{\text{high}}(\Delta\phi) &= a * C^{\text{low}}(\Delta\phi) + b * C^{\text{temp}}(\Delta\phi) \\ &= (1-b) * C^{\text{low}}(\Delta\phi) + b * C^{\text{temp}}(\Delta\phi) \\ C^{\text{temp}}(\Delta\phi) &= (1/b) \{ C^{\text{high}}(\Delta\phi) - (1-b) * C^{\text{low}}(\Delta\phi) \} \end{aligned}$$

$$\therefore c_n^{\text{temp}} = (1/b) \{ h_n - (1-b) * l_n \}$$

b = Level of flow

$$c_n^{\text{ref}} / c_n^{\text{temp}} = b$$

c1 scaling method

$$c_1^{\text{sub}} = 0$$
$$(c_1^{\text{ref}} = c_1^{\text{temp}} = 0)$$

Reference fit method

$$c_1^{\text{ref}} = h_1 - (1-b) * l_1 = h_1 - a * l_1 = 0$$

$$a = h_1 / l_1 = c_1^{\text{high}} / c_1^{\text{low}}$$

$$\therefore c_n^{\text{ref}} = h_n - a * l_n$$
$$= h_n - (h_1 / l_1) * l_n$$

=> c1 scaling method!

Template fit method

$$c_1^{\text{temp}} = (1/b) \{ h_1 - (1-b) * l_1 \} = 0$$

$$a = 1-b = h_1 / l_1 = c_1^{\text{high}} / c_1^{\text{low}}$$

$$\therefore c_n^{\text{temp}} = (1/b) \{ h_n - a * l_n \}$$
$$= (1/b) \{ h_n - (h_1 / l_1) * l_n \}$$

c1 scaling method

$$c_1^{\text{sub}} = 0$$
$$(c_1^{\text{ref}} = c_1^{\text{temp}} = 0)$$

Reference fit method

$$c_1^{\text{ref}} = h_1 - (1-b) * l_1 = h_1 - a * l_1 = 0$$

$$a = h_1 / l_1 = c_1^{\text{high}} / c_1^{\text{low}}$$

$$\therefore c_n^{\text{ref}} = h_n - a * l_n$$
$$= h_n - (h_1 / l_1) * l_n$$

=> c1 scaling method!

c1 scaling method
= one of the Reference fit method

Template fit method

$$c_1^{\text{temp}} = (1/b) \{ h_1 - (1-b) * l_1 \} = 0$$

$$a = 1-b = h_1 / l_1 = c_1^{\text{high}} / c_1^{\text{low}}$$

$$\therefore c_n^{\text{temp}} = (1/b) \{ h_n - a * l_n \}$$
$$= (1/b) \{ h_n - (h_1 / l_1) * l_n \}$$

Toy Monte-Carlo Simulation

- $Y^{\text{High}}(\Delta\varphi)$ subtracts $Y^{\text{Low}}(\Delta\varphi)$
- Only deal with $c1$ and $c2$
- $Y_0^{\text{flow}} : Y_0^{\text{jet}} = 1:1$
- $Y_0^{\text{High}} = Y_0^{\text{flow}} + Y_0^{\text{jet}}$
- $Y_0^{\text{Low}} = 2Y_0^{\text{jet}}$

Flow	Jet
$c1^{\text{flow}} + c2^{\text{flow}}$	$c1^{\text{jet}} + c2^{\text{jet}}$

	Flow		Jet	
case 1		$c2^{\text{flow}}$	$c1^{\text{jet}}$	
case 2	$c1^{\text{flow}}$	$c2^{\text{flow}}$	$c1^{\text{jet}}$	
case 3		$c2^{\text{flow}}$	$c1^{\text{jet}}$	$c2^{\text{jet}}$
case 4	$c1^{\text{flow}}$	$c2^{\text{flow}}$	$c1^{\text{jet}}$	$c2^{\text{jet}}$

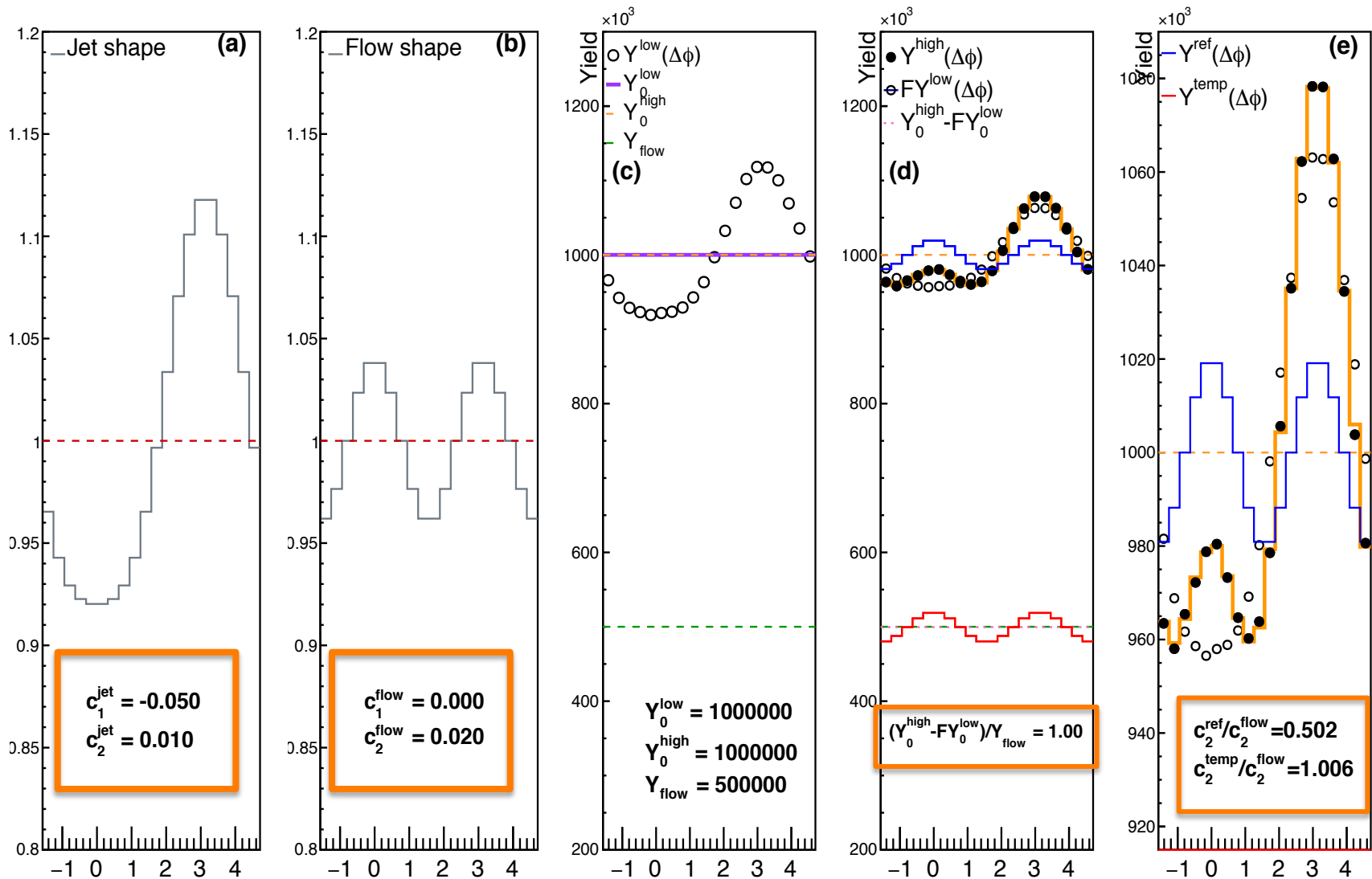
Toy Monte-Carlo Simulation

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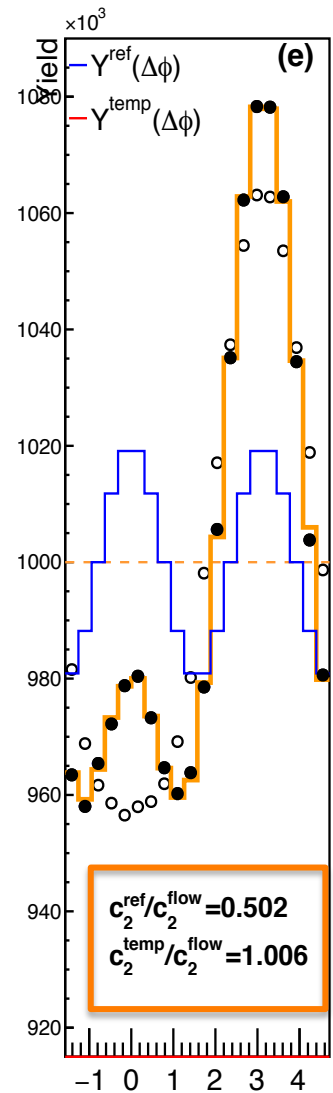
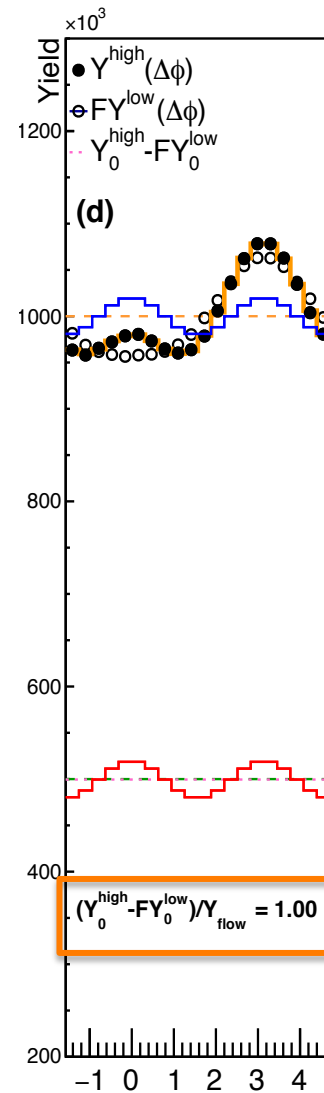
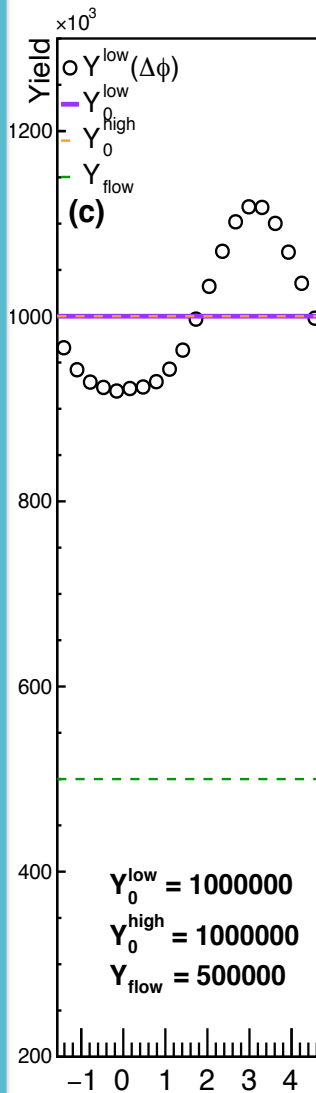
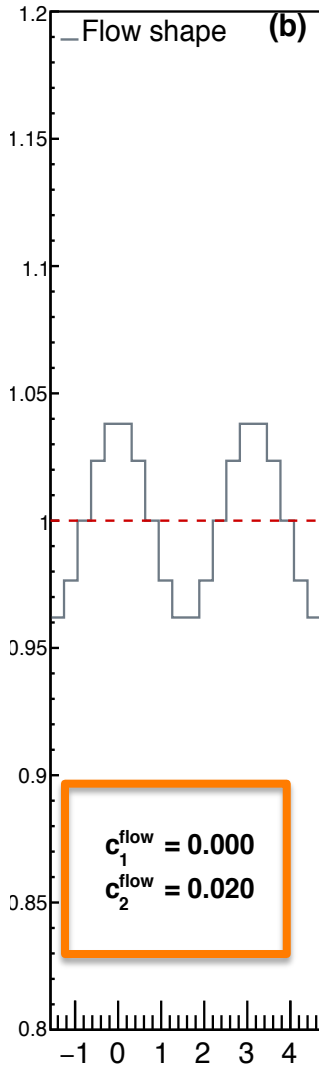
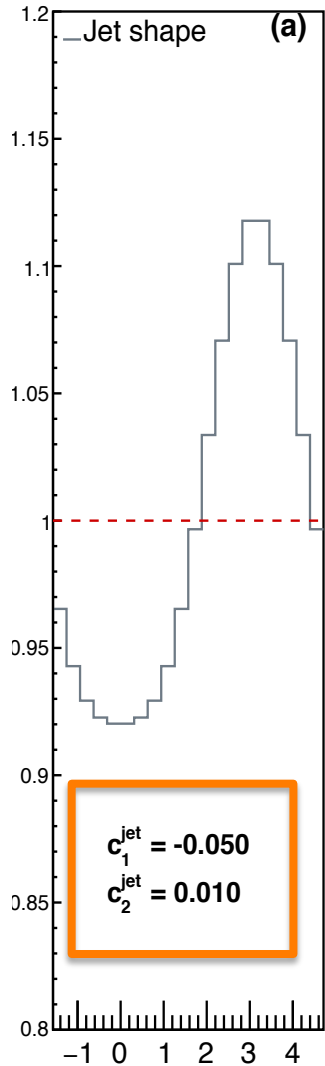
Flow	Jet
$c1^{\text{flow}} + c2^{\text{flow}}$	$c1^{\text{jet}} + c2^{\text{jet}}$

	Flow		Jet	
case 1		$c2^{\text{flow}}$	$c1^{\text{jet}}$	
case 2	$c1^{\text{flow}}$	$c2^{\text{flow}}$	$c1^{\text{jet}}$	
case 3		$c2^{\text{flow}}$	$c1^{\text{jet}}$	$c2^{\text{jet}}$
case 4	$c1^{\text{flow}}$	$c2^{\text{flow}}$	$c1^{\text{jet}}$	$c2^{\text{jet}}$

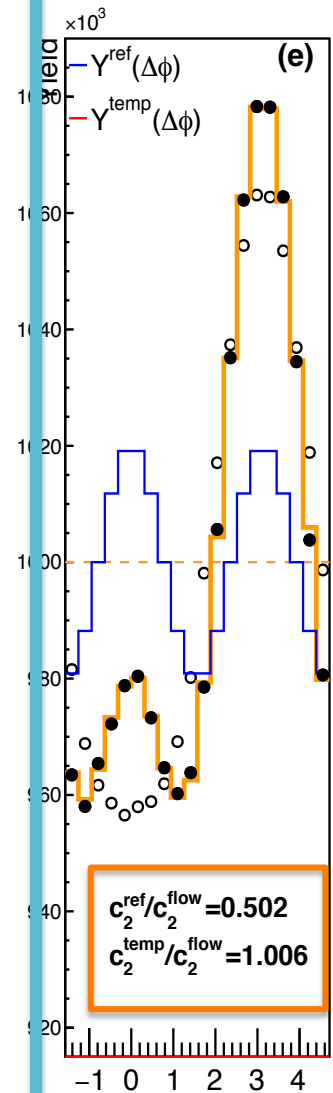
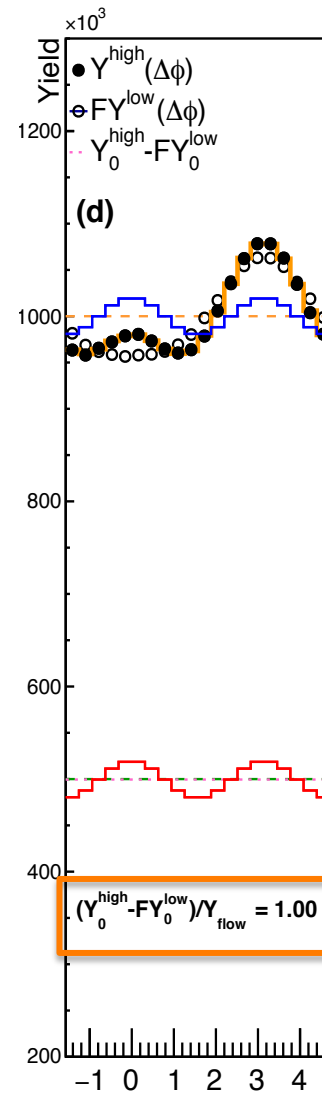
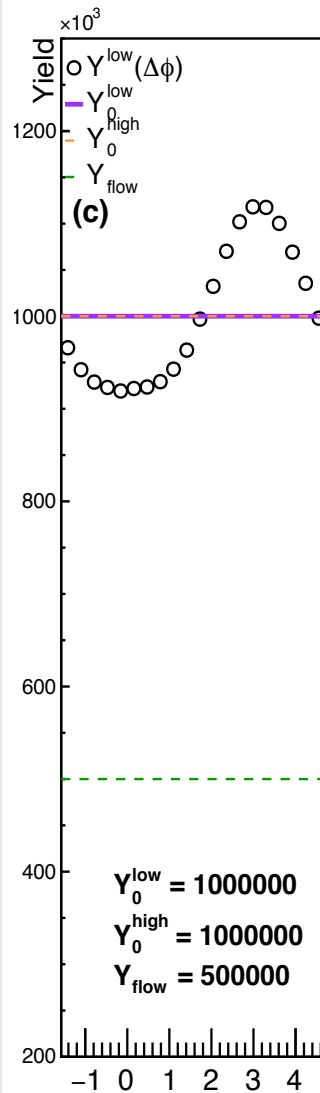
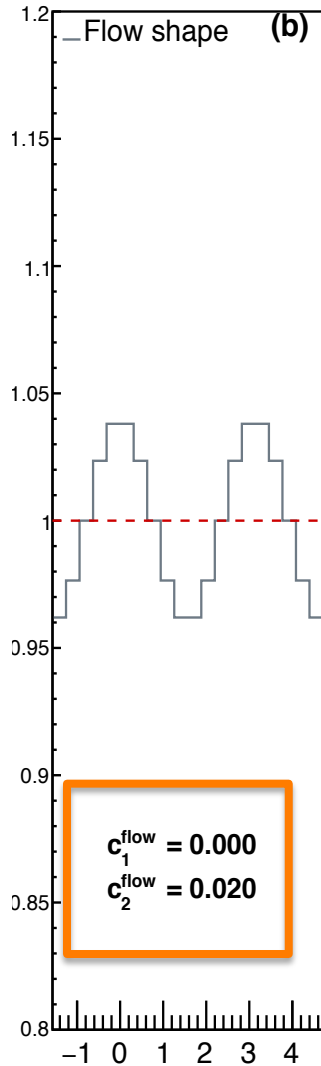
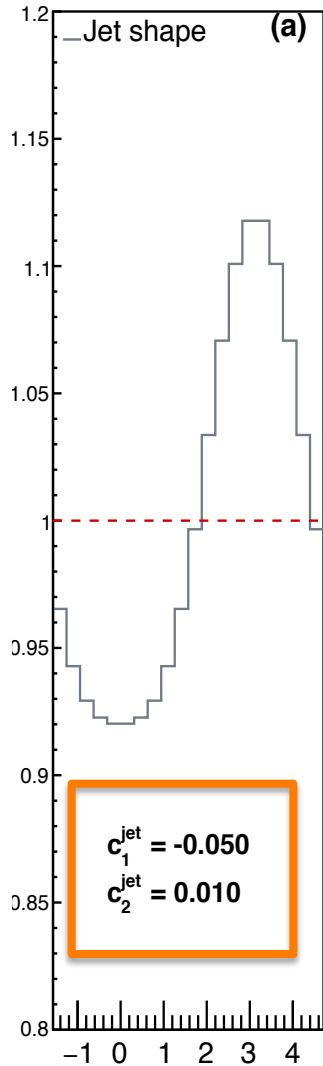
Case 3

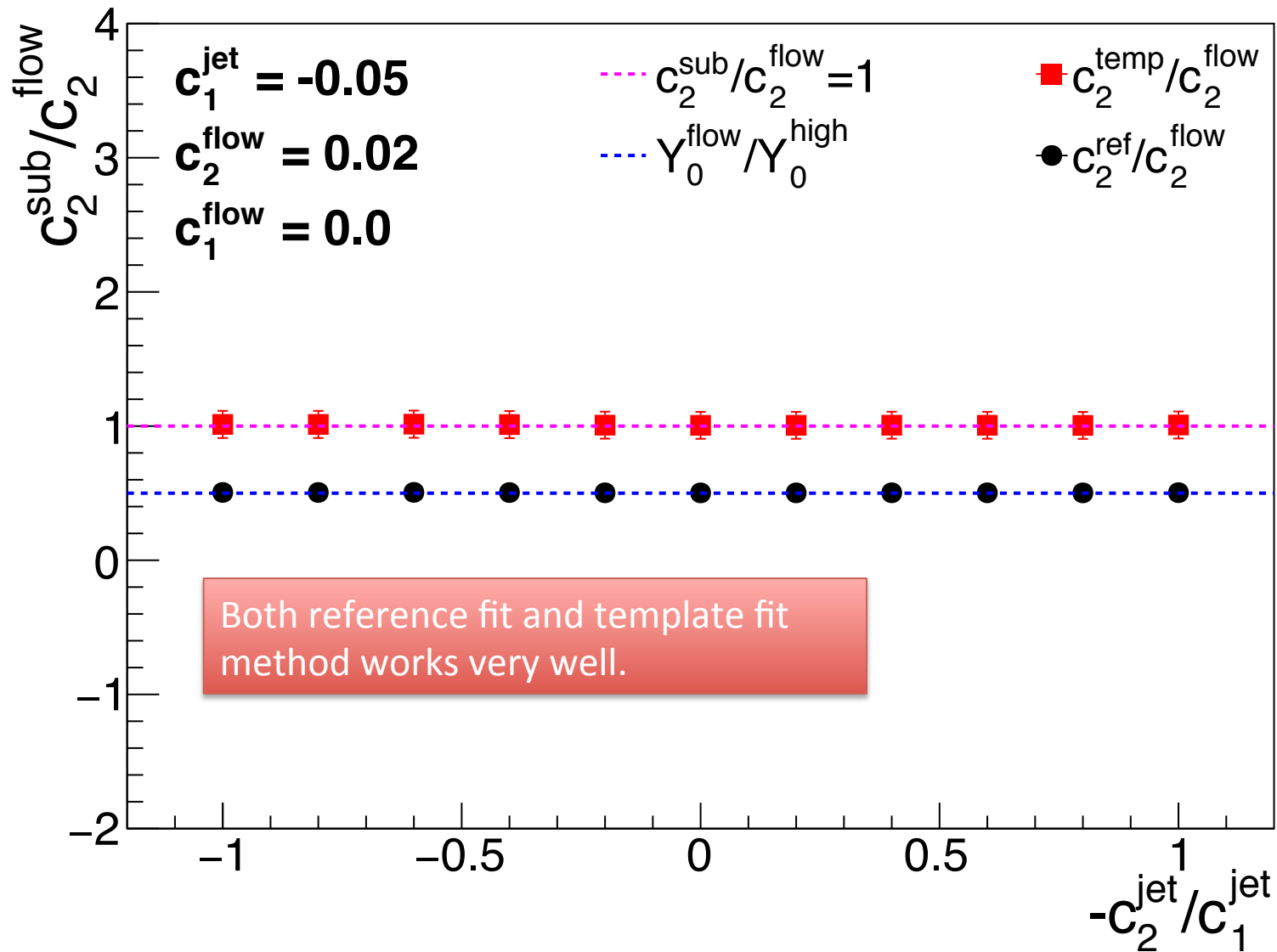


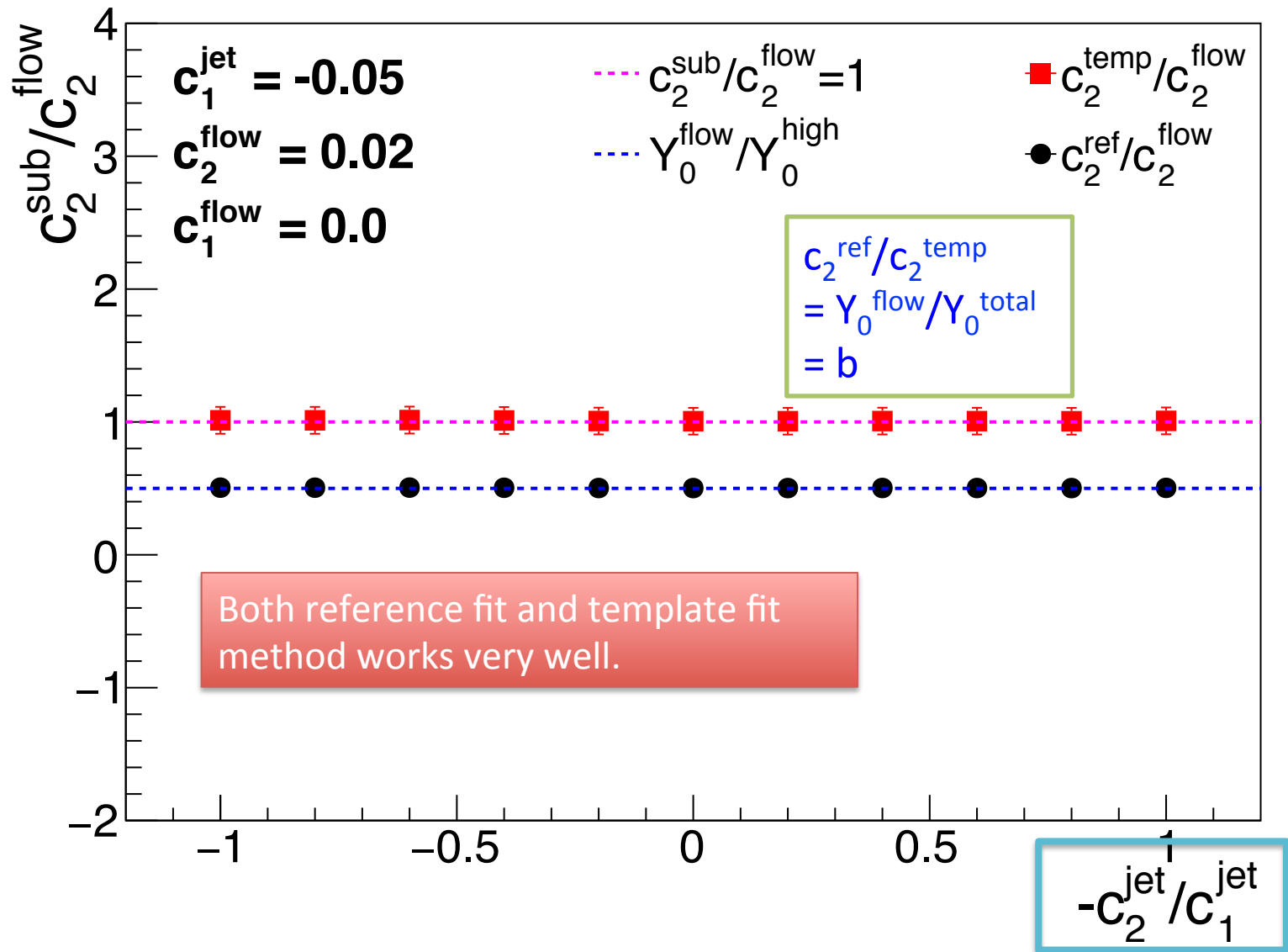
Case 3



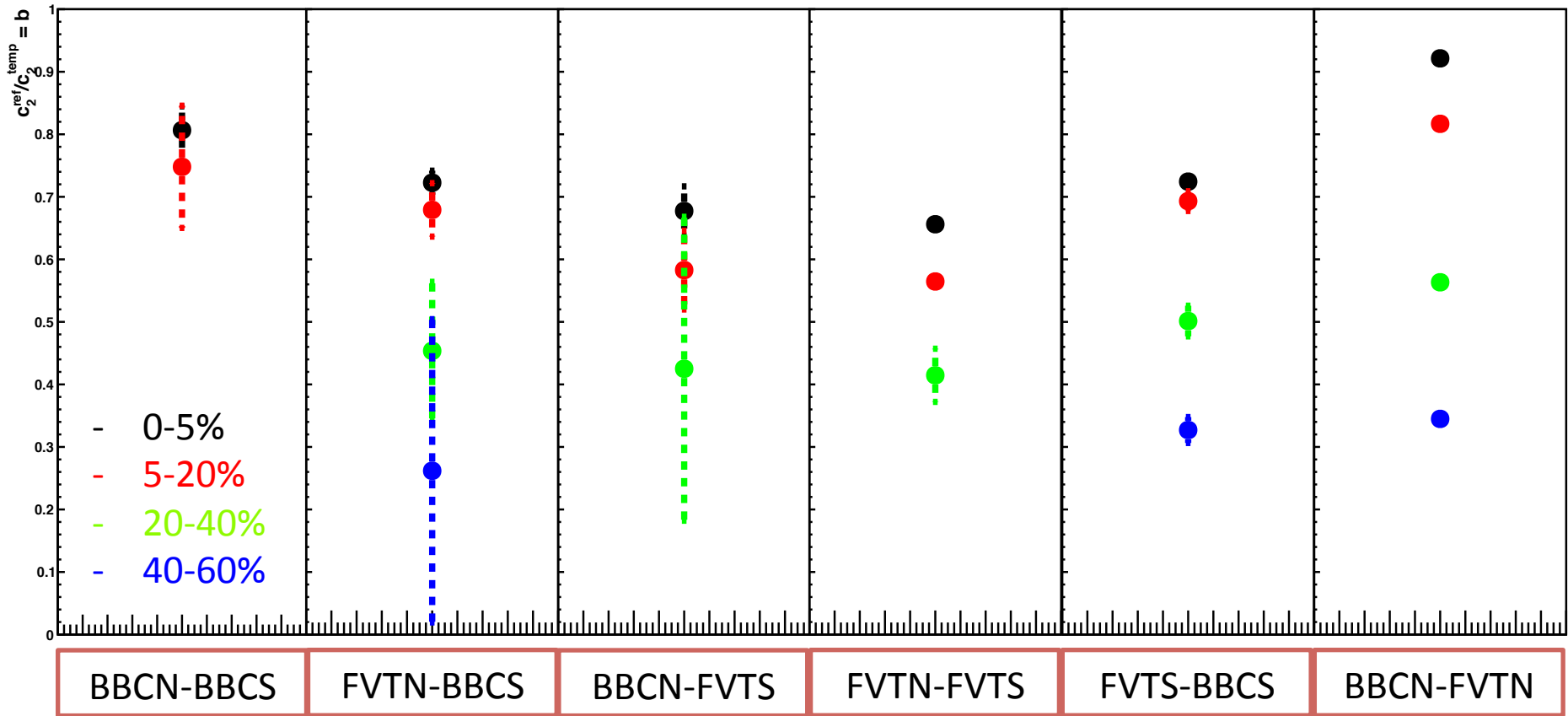
Case 3





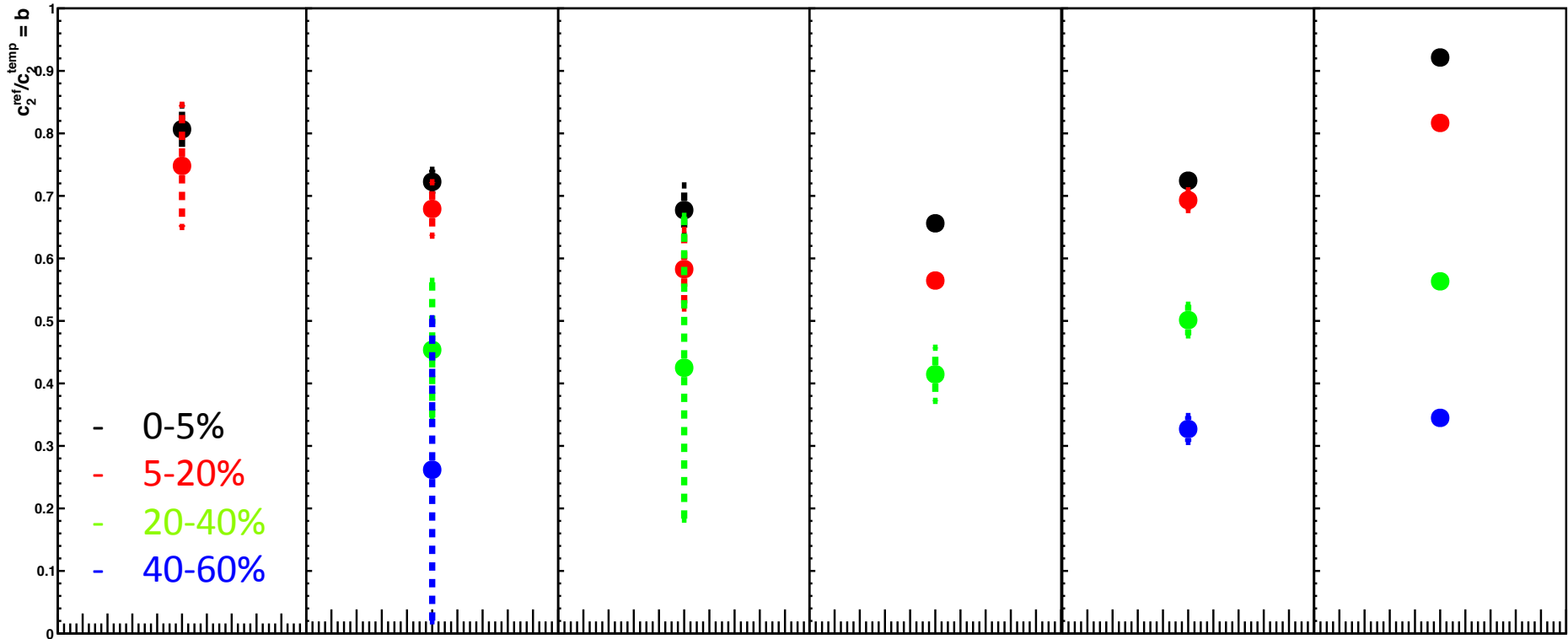


Calculated “b” in various combinations



Rapidity gap gets to be smaller

Calculated “b” in various combinations



BBCN-BBCS

FVTN-BBCS

BBCN-FVTS

FVTN-FVTS

FVTS-BBCS

BBCN-FVTN

$$- c_2^{jet}/c_1^{jet} = -0.0206176$$

$$- c_2^{jet}/c_1^{jet} = 0.0333891$$

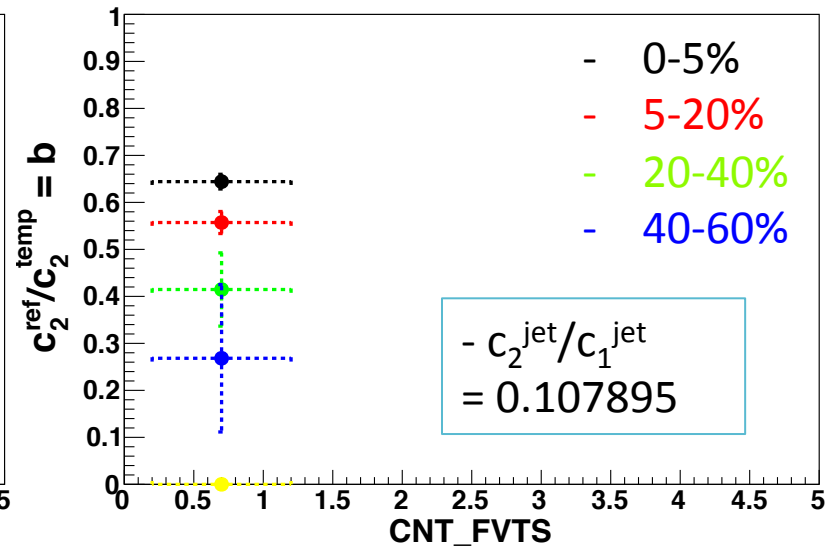
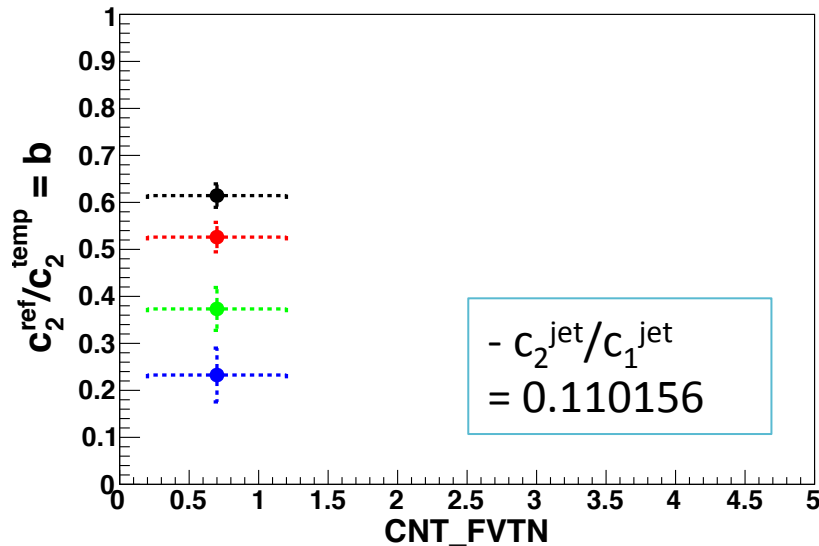
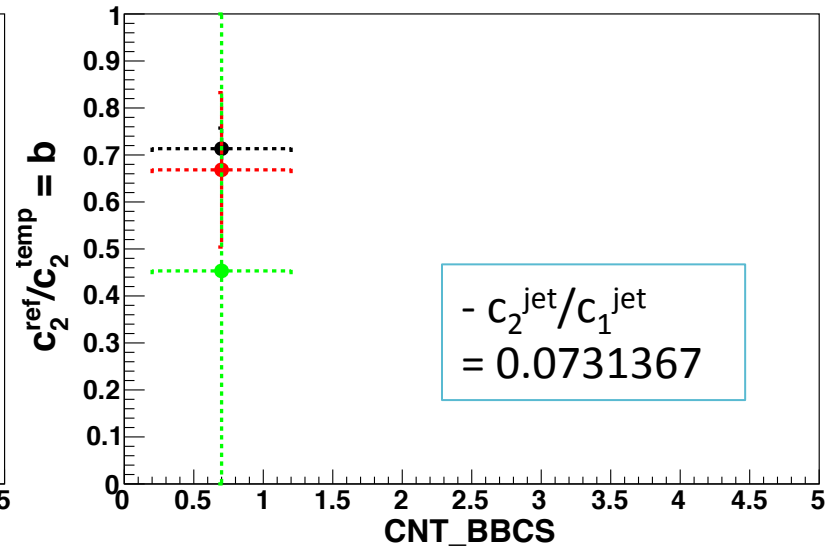
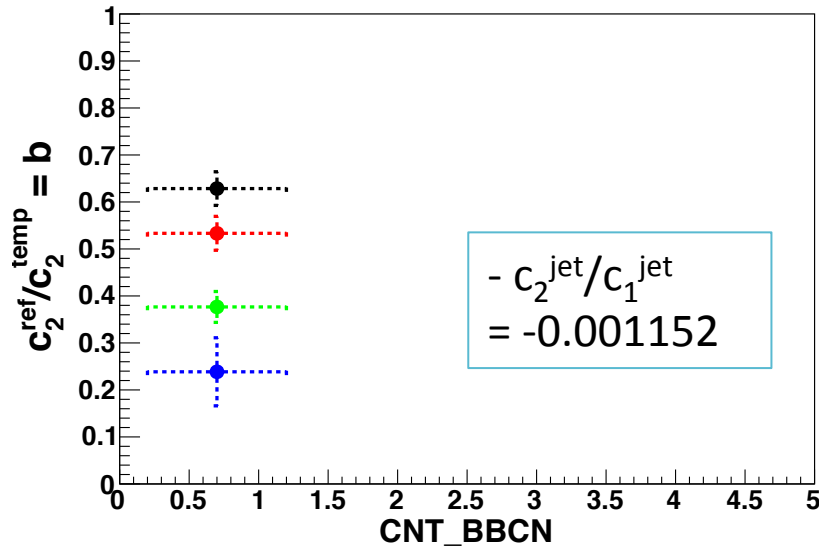
$$- c_2^{jet}/c_1^{jet} = 0.0356002$$

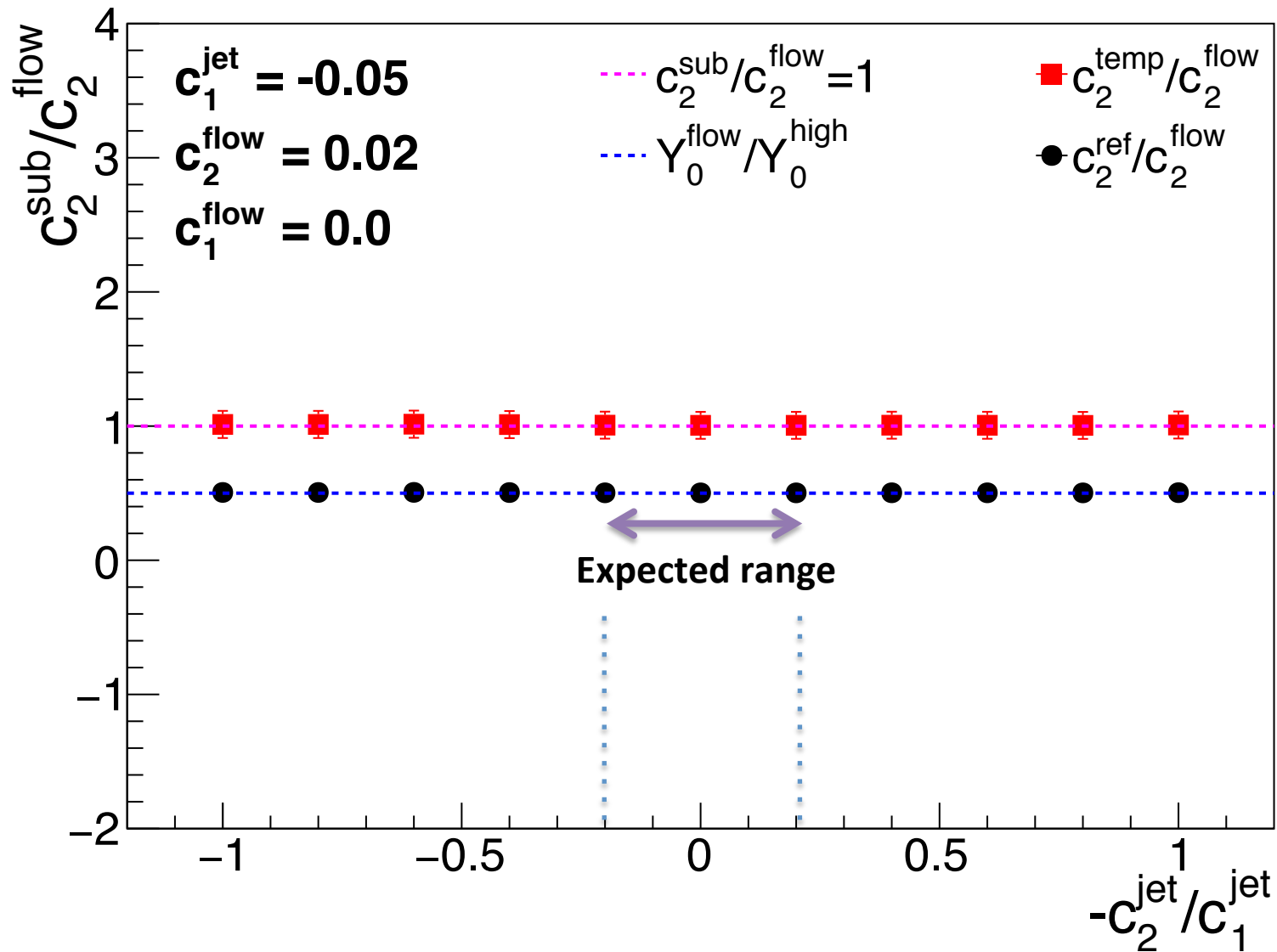
$$- c_2^{jet}/c_1^{jet} = 0.0793924$$

$$- c_2^{jet}/c_1^{jet} = 0.0896116$$

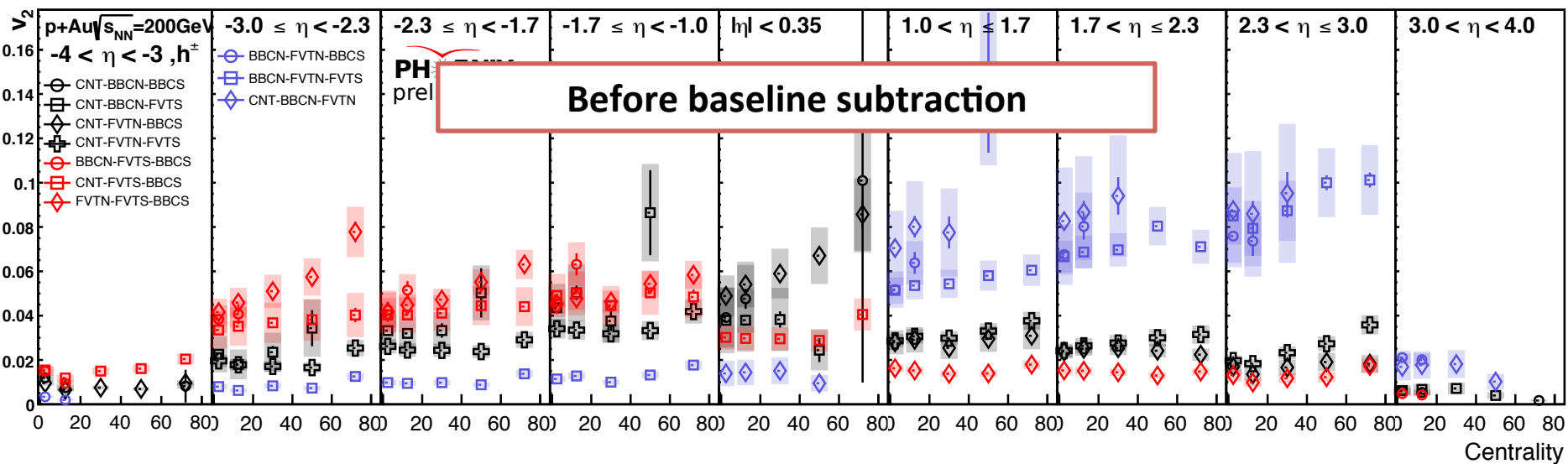
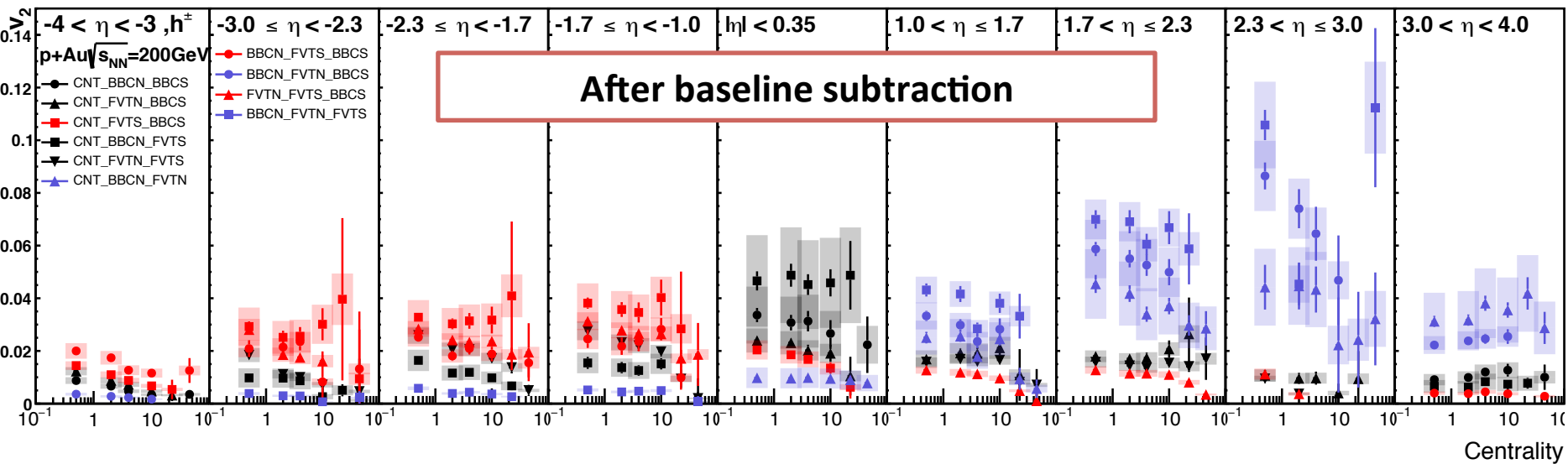
$$- c_2^{jet}/c_1^{jet} = 0.119381$$

Calculated “b” in various combinations





v_2 as a function of rapidity : reference fit method



Reference fit result; p+Au 200GeV

- We found expected range of the real data(p.14).
- Each v_2 at one rapidity area shows strong centrality dependence after we subtract with the reference fit method.
- The reference fit results describe majority of our data shows strong centrality dependence which can be the evidence of the QGP at the p+Au collisions, but cannot establish with quantifying discussions.