



# In-beam isomer spectroscopy with $\text{LaBr}_3$ crystal

-With an isomer state in  $^{15}\text{C}$  -

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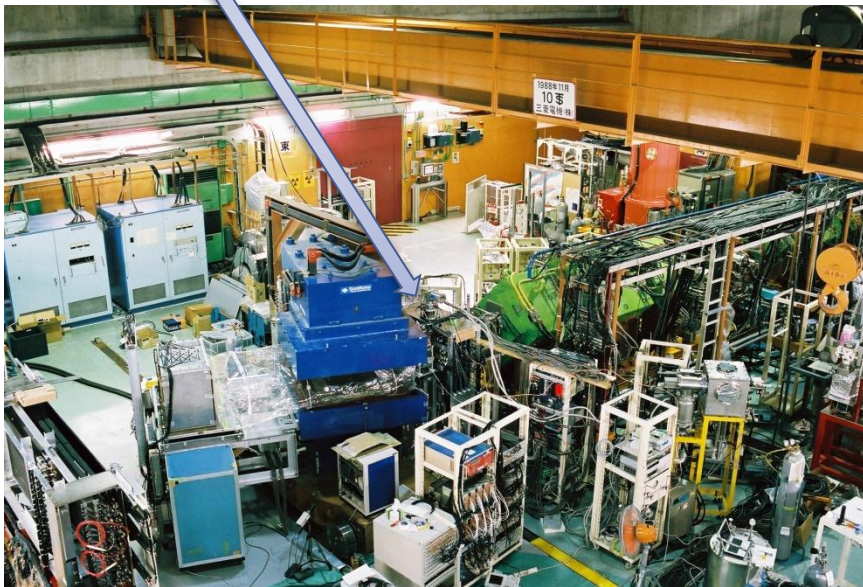
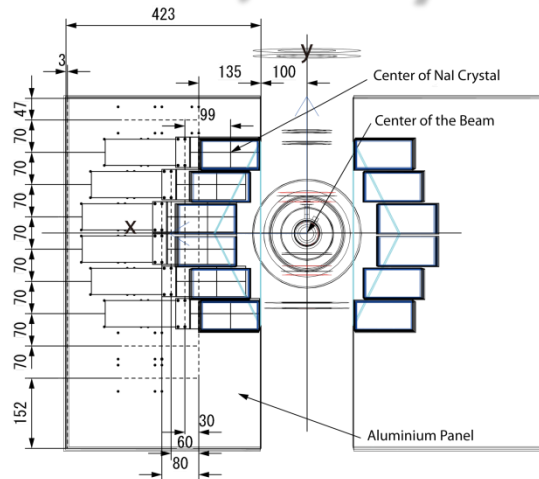
# Contents

## In-beam isomer spectroscopy

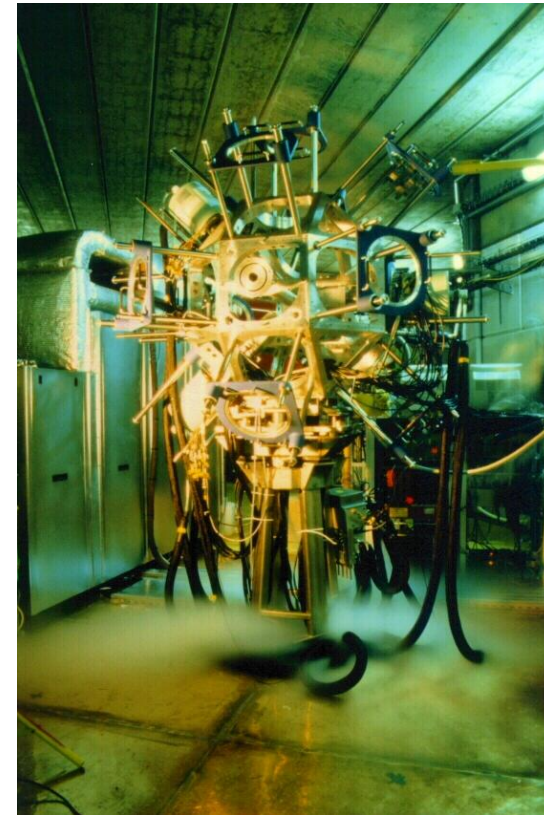
- In-beam  $\gamma$ -ray spectroscopy
- Problem : Doppler broadening
- Solution : Guessing a decay point
- Simulation : Using GDALI
- Result

# In-beam $\gamma$ -ray spectroscopy

Side  
View  
of  
DALI

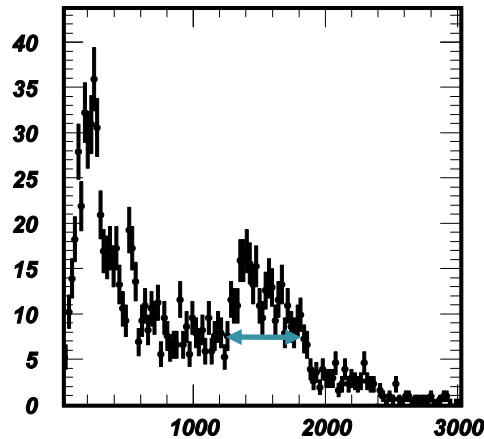


RIPS : Experimental Setup



EXOGAM  
at GANIL

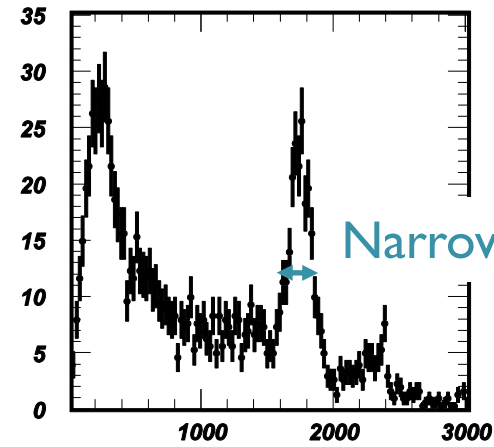
# Problem : Doppler broadening



$\gamma$ -ray from  $^{16}\text{C}^*$

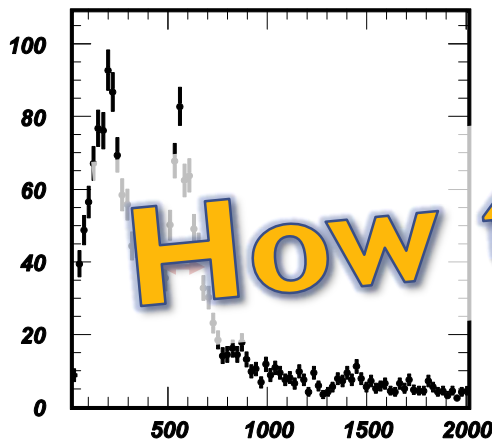
Normal case  
(1766,  $2^+$ ) in  $^{16}\text{C}$

Doppler  
Correction



$\gamma$ -ray from  $^{16}\text{C}^*$  (Doppler Corrected)

Narrower

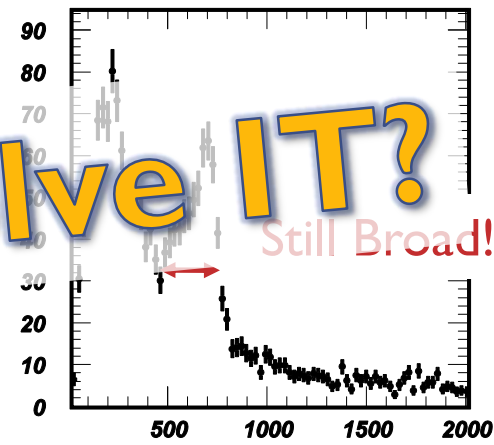


$\gamma$ -ray from  $^{15}\text{C}^*$

Isomer case  
(740,  $5/2^+$ ) in  $^{15}\text{C}$

with  $T_{1/2} = 6 \text{ ns}$

Doppler  
Correction



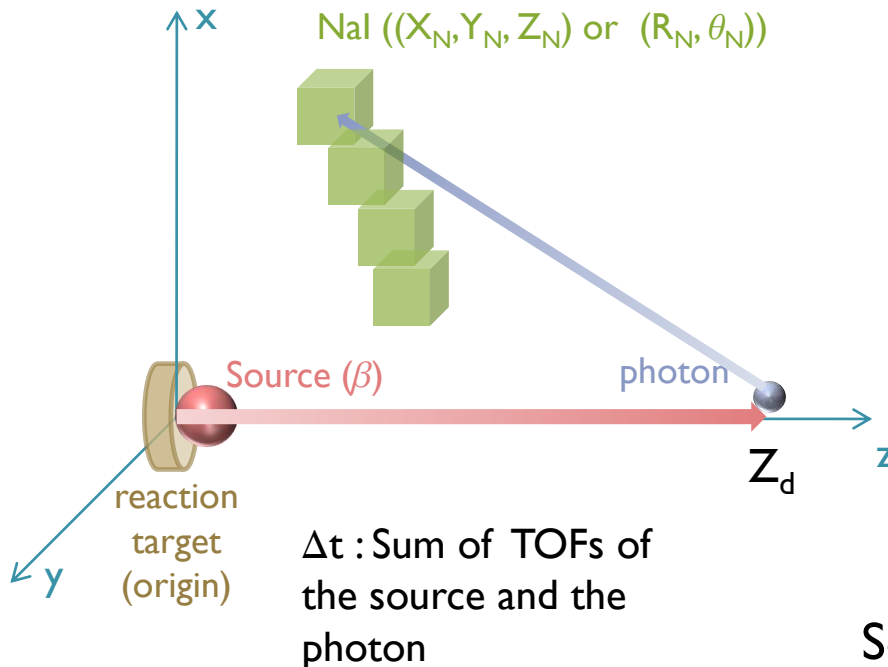
$\gamma$ -ray from  $^{15}\text{C}^*$  (Doppler Corrected)

How to Solve IT?

Still Broad!

# Solution : Guessing a decay point

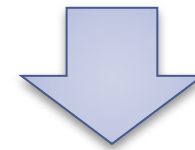
- Using timing difference between reaction and  $\gamma$ -ray detection
  - Assumptions : 1. Reaction occurs at the center of the target.  
2. Fragments move along the z-axis (beam center).



$$\Delta t = (\text{TOF of a source}) + (\text{TOF of a photon})$$

$$= \frac{Z_d}{c\beta} + \frac{\sqrt{X_N^2 + Y_N^2 + (Z_N - Z_d)^2}}{c}$$

$$= \frac{Z_d}{c\beta} + \frac{\sqrt{R_N^2 + Z_d^2 - 2R_N Z_d \cos \theta_N}}{c}$$



Solve this **quadratic eq.**, and we can get **the decay point  $Z_d$** .

# Simulation : Using GDALI

- GDALI : GEANT code for DALI

## Source

- $\gamma$ -ray from (740, 5/2<sup>+</sup>) in <sup>15</sup>C with  $T_{1/2}=2.6$  ns

## Position of reaction and velocity of <sup>15</sup>C

- Randomly chosen among the experimental result ( $\beta \approx 0.4$ )

## Two cases : time resolution

- **NaI(Tl) : ~ 2.5ns**
- **LaBr<sub>3</sub>:Ce : ~ 0.2ns**

Timing  
difference



Guessing the  
position of  
the decay

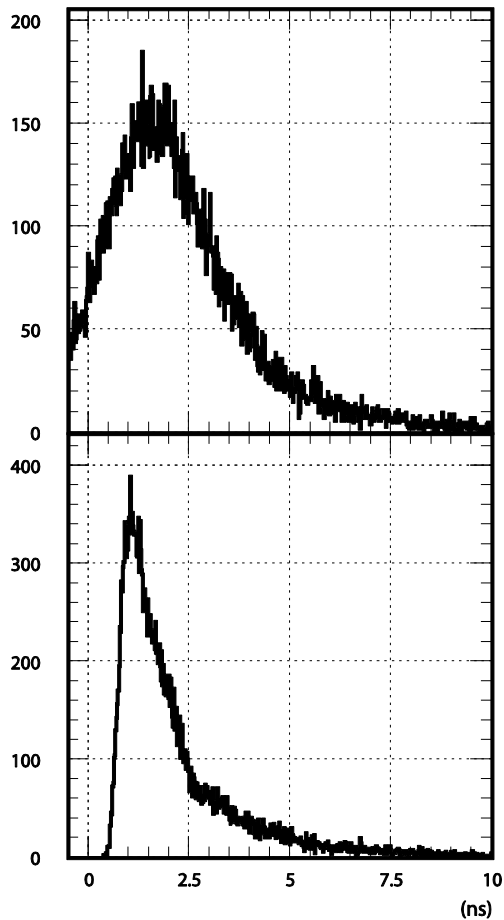


Correcting  
the Doppler  
broadening

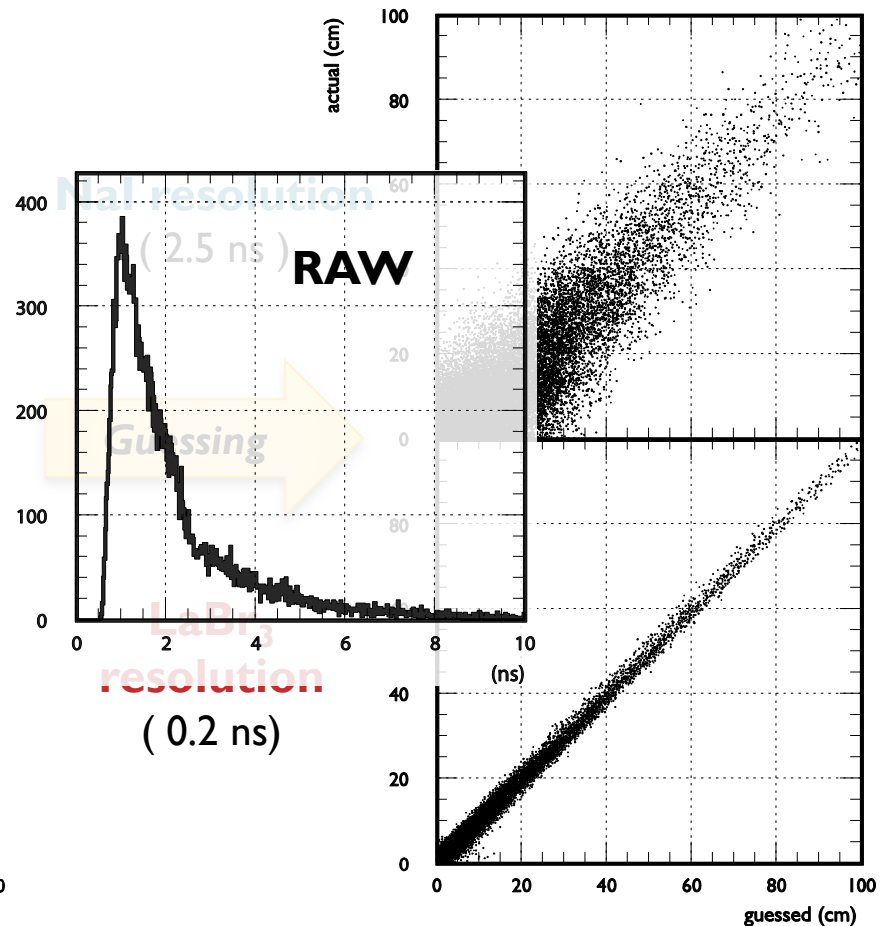


# Result : $\Delta t \rightarrow Z_d$

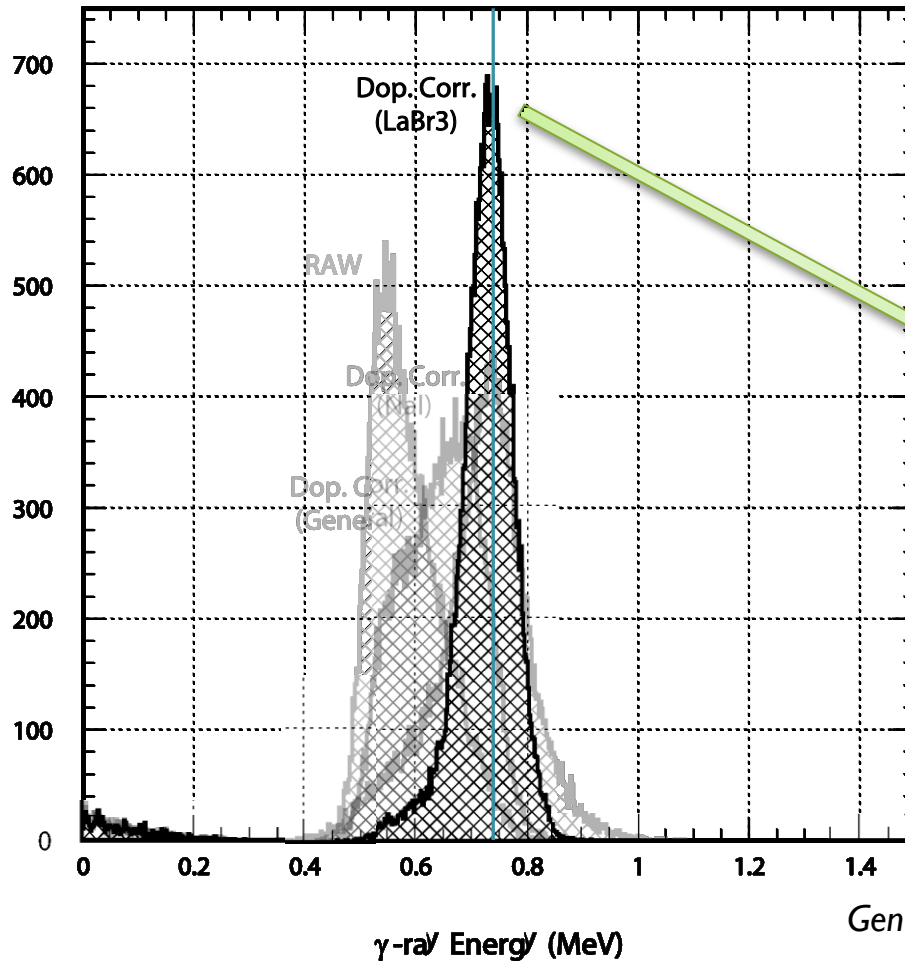
**Timing Difference**  
(Reaction  $\sim \gamma$ -ray detection)



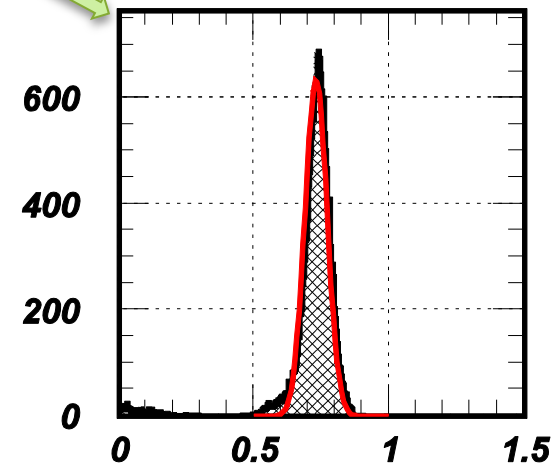
**Decay Position**  
( $x$  : guessed,  $y$  : actual)



# Result : Doppler correction



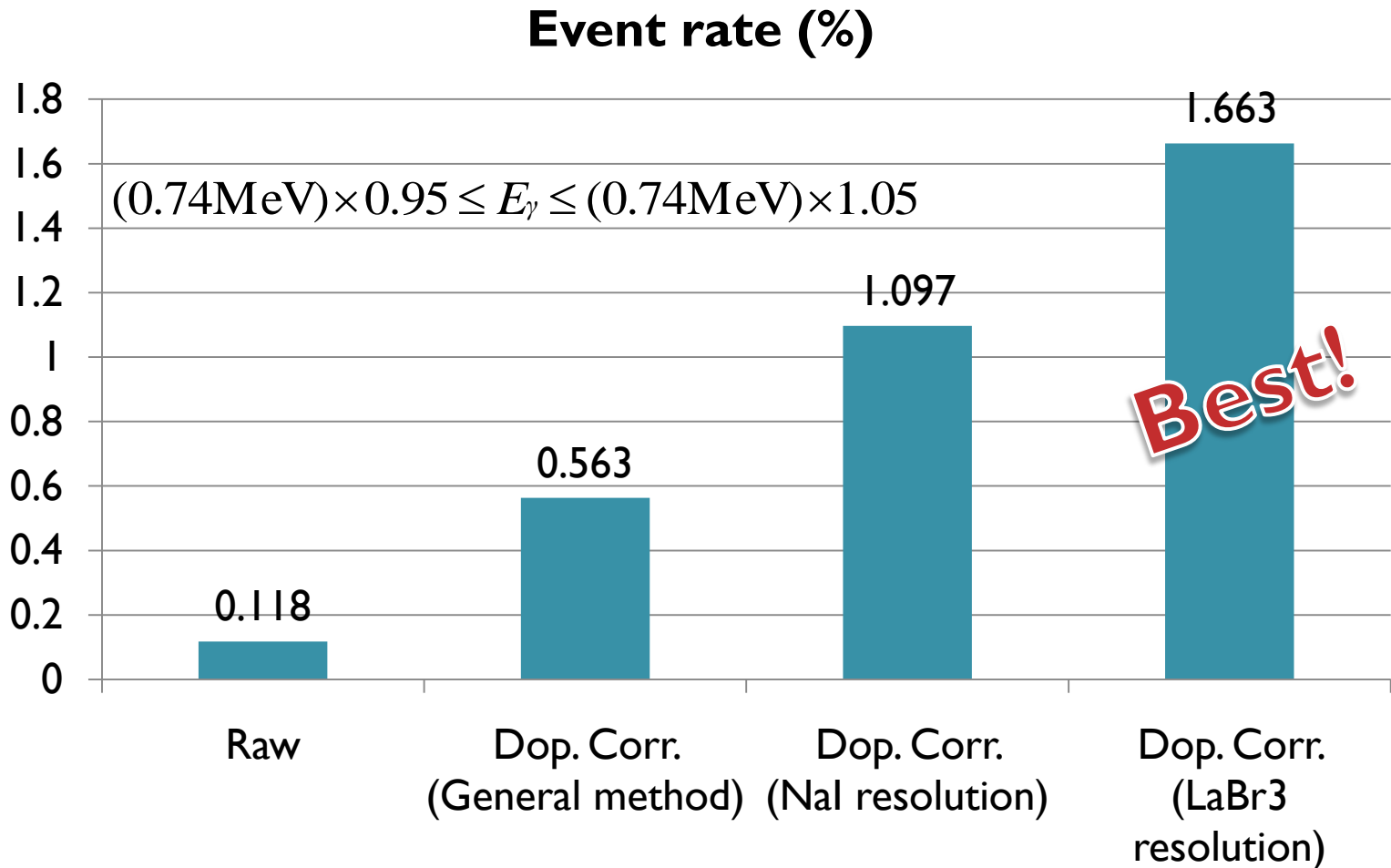
Gaussian fit	NaI Reso.	LaBr3 Reso.
Mean	0.7235	0.7302
Standard Dev.	0.07623	0.04186



General method : Assume that **the decay position is at the center of the target.**



# Result : Accuracy of correction



General method : Assume that **the decay position is at the center of the target.**

# Summary

- In-beam isomer spectroscopy
  - Doppler broadening : (Isomer) » (General)
    - Due to the **unknown distributed** decay point
    - Guessing it by using the **timing difference**
  - Simulation for different time resolutions
    - **Higher** time resolution
      - Guessing the decay point **more precisely**
      - Compensating Doppler broadening **better**
  - **LaBr3** is cut out for '**in-beam isomer spectroscopy**'.



**Thank you.**