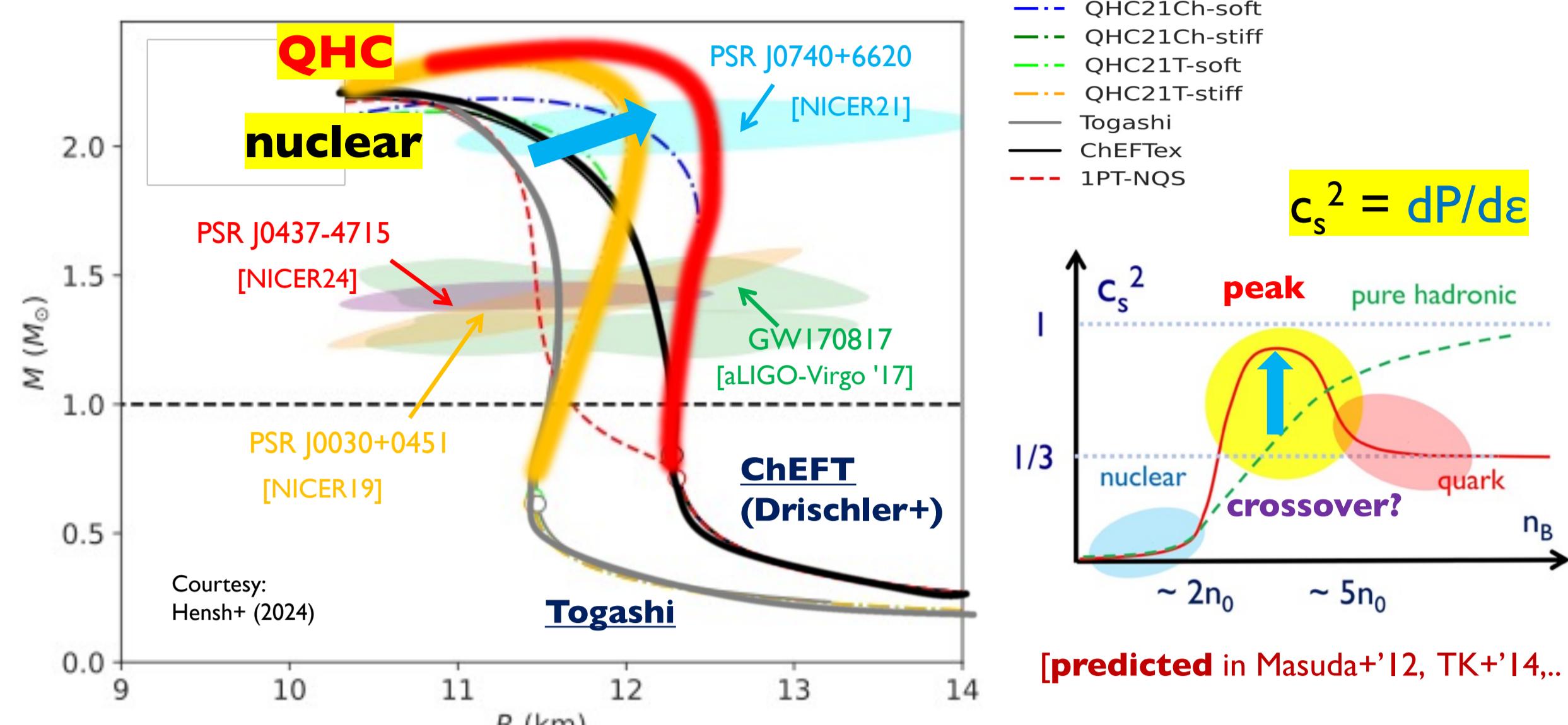


A quarkyonic matter model

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Summary: Quark saturation drives rapid stiffening of EOS at $\sim 2\text{-}3n_{\text{sat}}$. It also suppresses the hyperon production in dense matter with a shift " $\mu_B^{\text{onset}} = M_Y \Rightarrow 2M_Y - M_N$ ". The new onset density is large, $n_B^{Y,\text{E-onset}} \sim 6n_0$, even before NY repulsions are included.

Soft-to-stiff EOS: rapid evolution of pressure



Sum rules for occupation probabilities

The diagram illustrates the calculation of the quark occupation probability $f_Q(\mathbf{q})$ as a convolution of the baryon occupation probability $f_B(\mathbf{P}_B)$ and the quark wavefunction $\varphi_Q^B(\mathbf{q} - \mathbf{P}_B/N_c)$.

Inputs:

- ideal baryonic matter:** $f_B(\mathbf{P}_B)$ (e.g., free gas)
- quark model:** $\varphi_Q^B(\mathbf{q} - \mathbf{P}_B/N_c)$

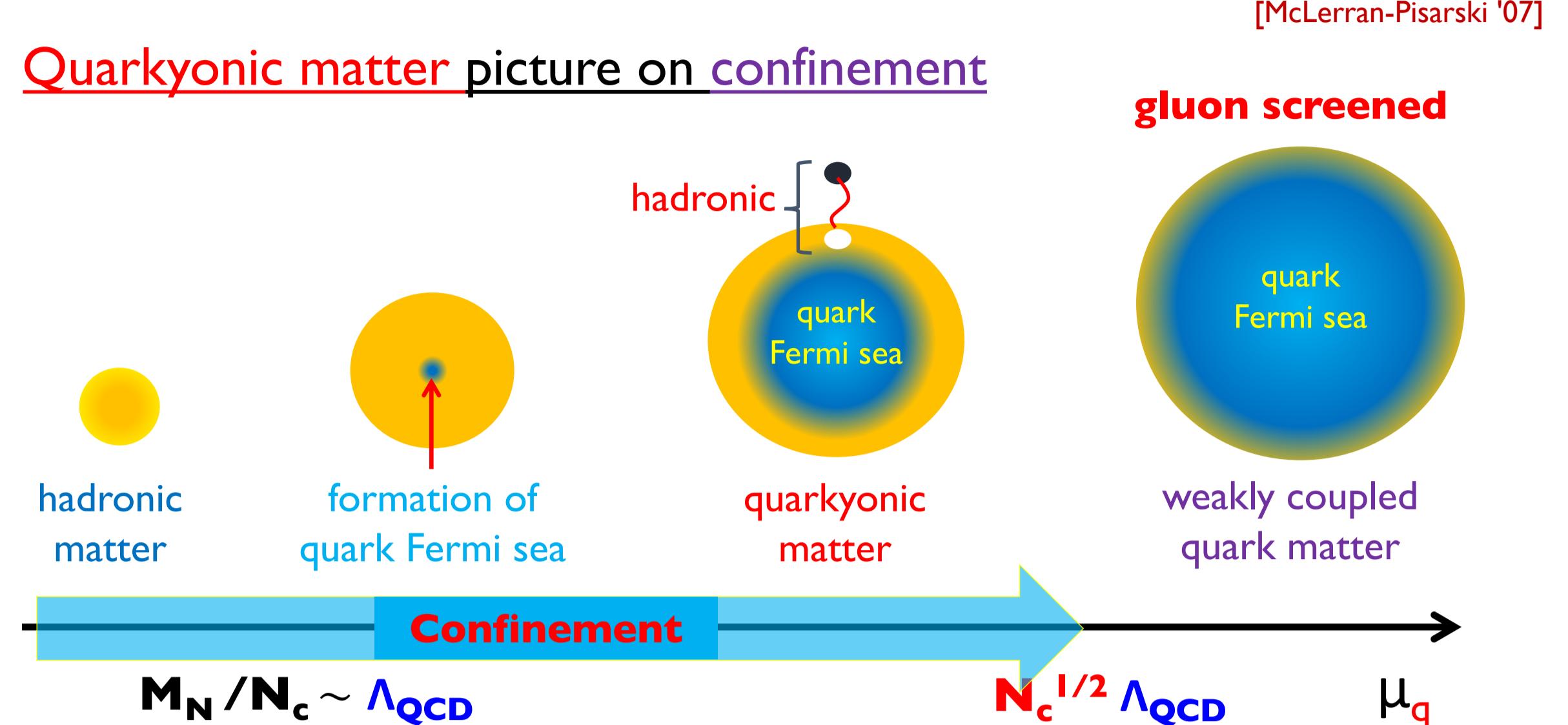
Output: $f_Q(\mathbf{q})$

Calculation: $f_Q(\mathbf{q}) = \int_{\mathbf{P}_B} f_B(\mathbf{P}_B) \varphi_Q^B(\mathbf{q} - \mathbf{P}_B/N_c)$

Approximation: In ideal baryonic matter, $f_Q(\mathbf{q}) \sim n_B / \Lambda^3$ for $|\mathbf{q}| \sim \Lambda$.

Evolution from nuclear to quark matter

Quarkyonic matter picture on confinement



An ideal model (IdyllIQ model)

- I) neglect interactions ***except*** confining forces

e.g.) 2-flavor hamiltonian:

$$\varepsilon_B[f_B] = 4 \int_k E_B(k) f_B(k)$$

$$E_B(k) = \sqrt{M_B^2 + k^2}$$

- 2) keep using the same φQ (quarkyonic, quarks always confined)

a special quark distribution \rightarrow sum rules analytically **invertible**

$$f_Q(\mathbf{q}) = \int_{\mathbf{P}_B} f_B(\mathbf{P}_B) \varphi_Q^B(\mathbf{q} - \mathbf{P}_B/N_c)$$

natural at low density

$$f_B(N_c \mathbf{q}) = \frac{\Lambda^2}{N_c^3} \hat{L}[f_Q(\mathbf{q})]$$

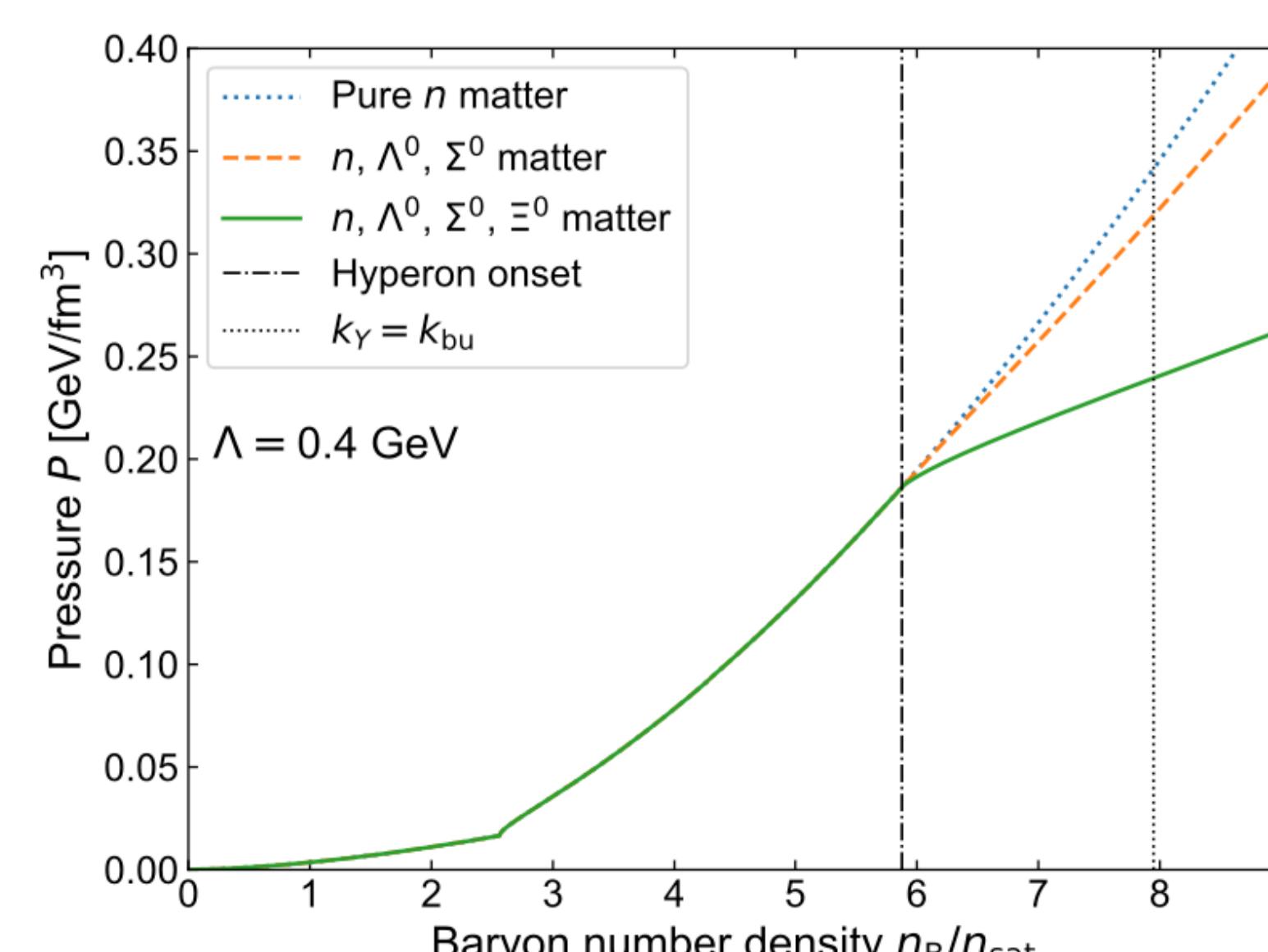
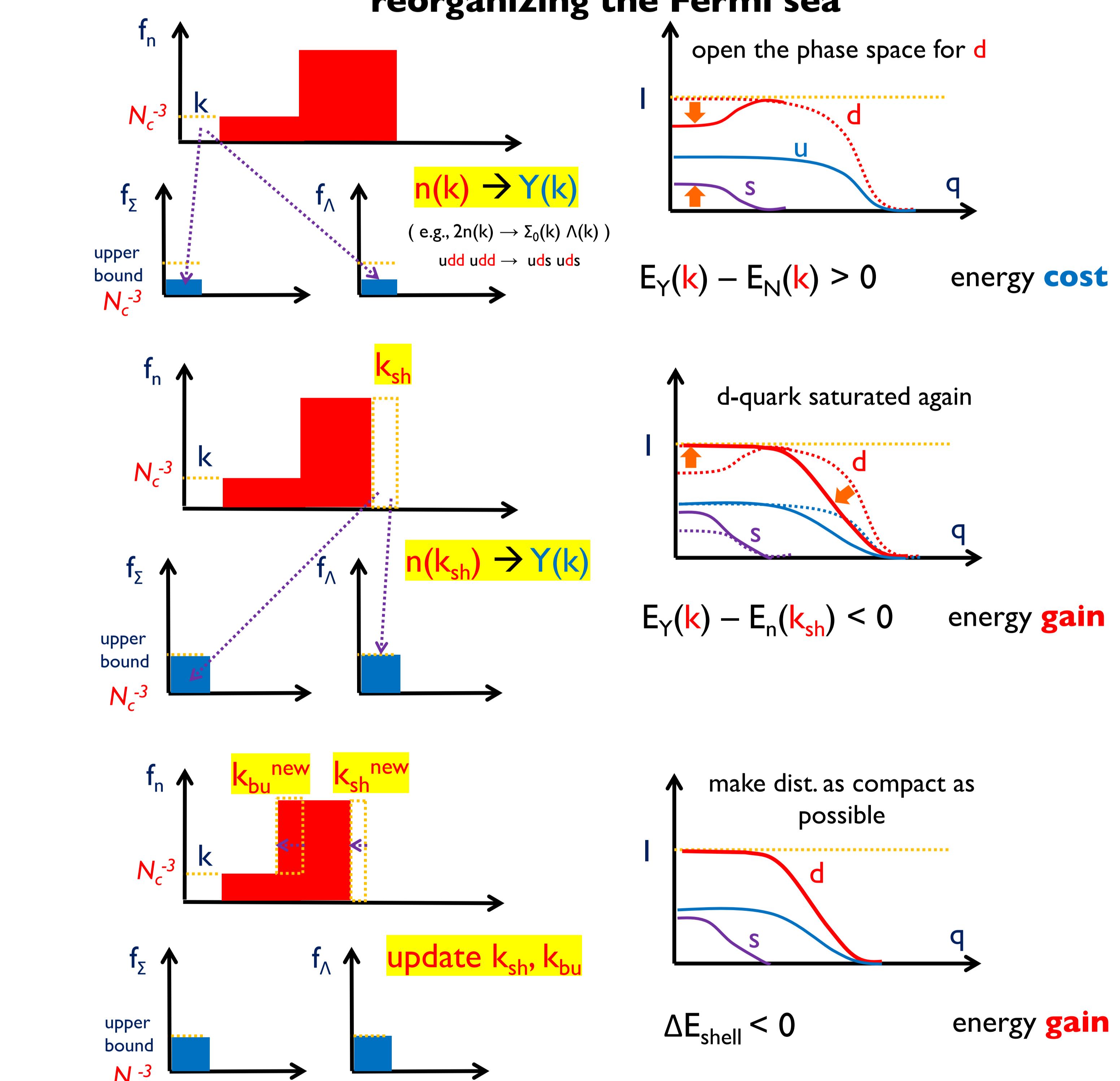
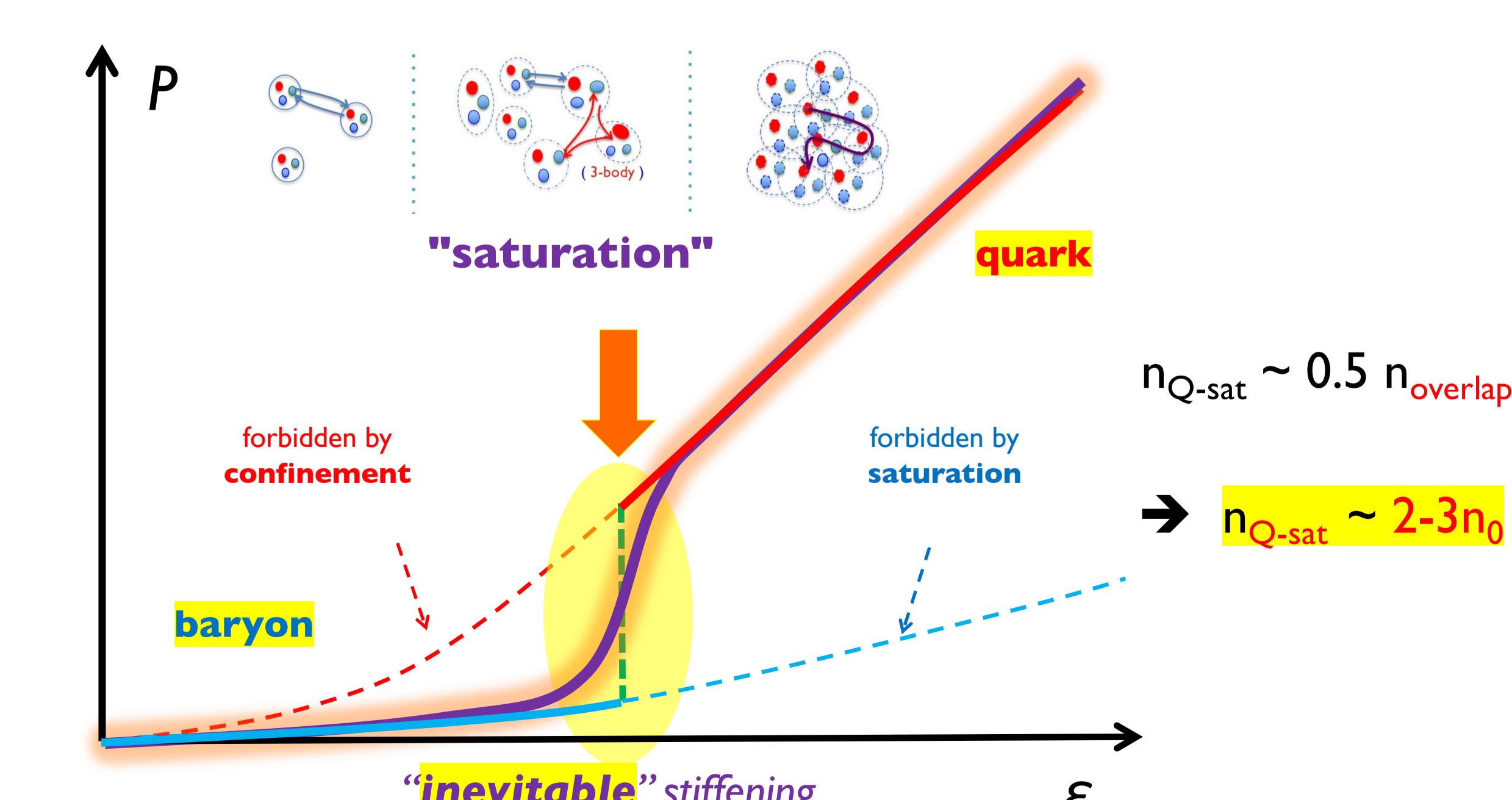
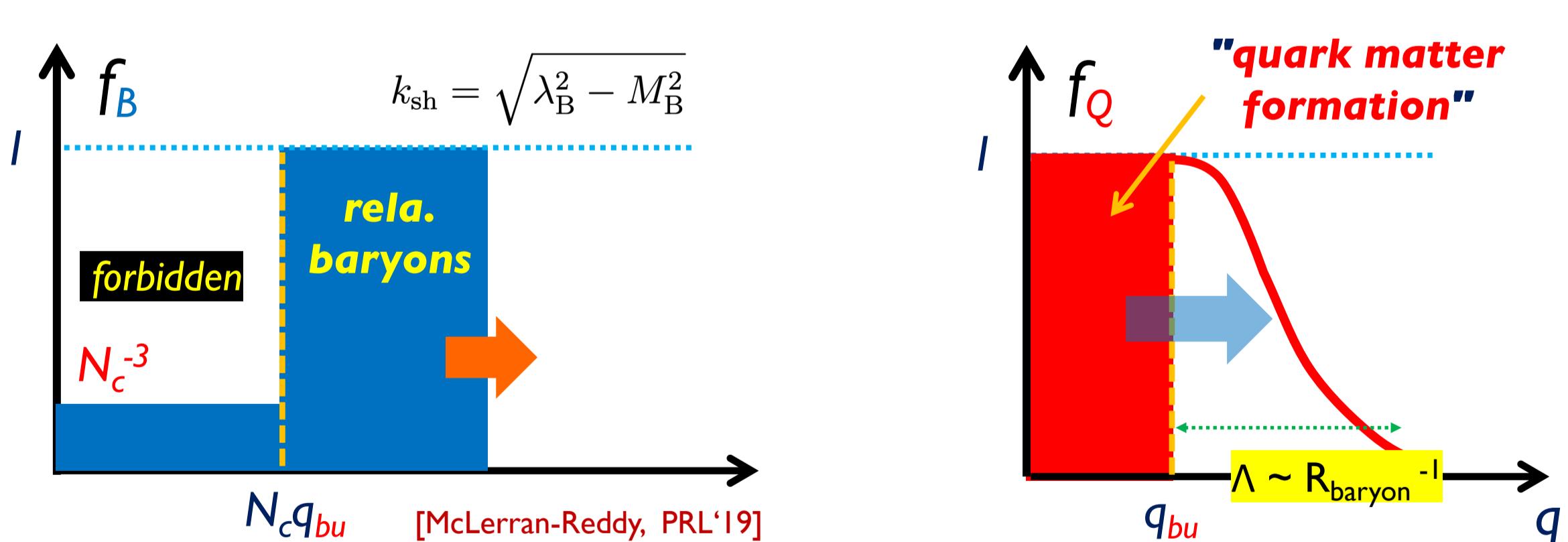
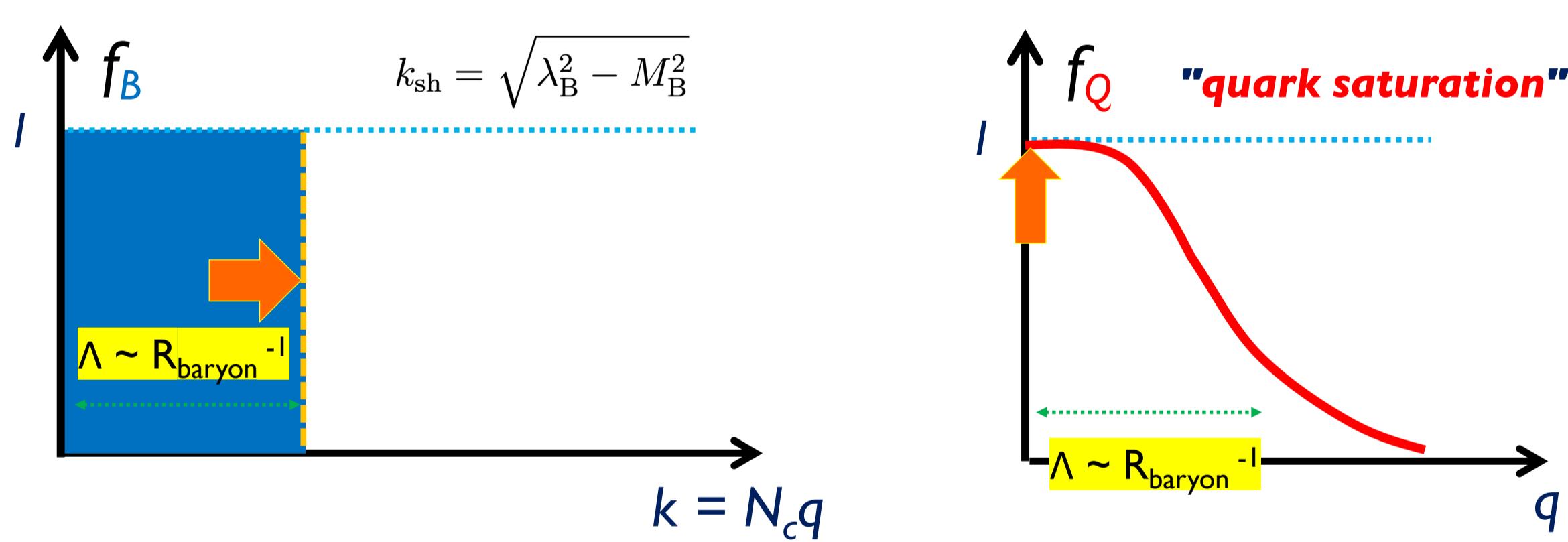
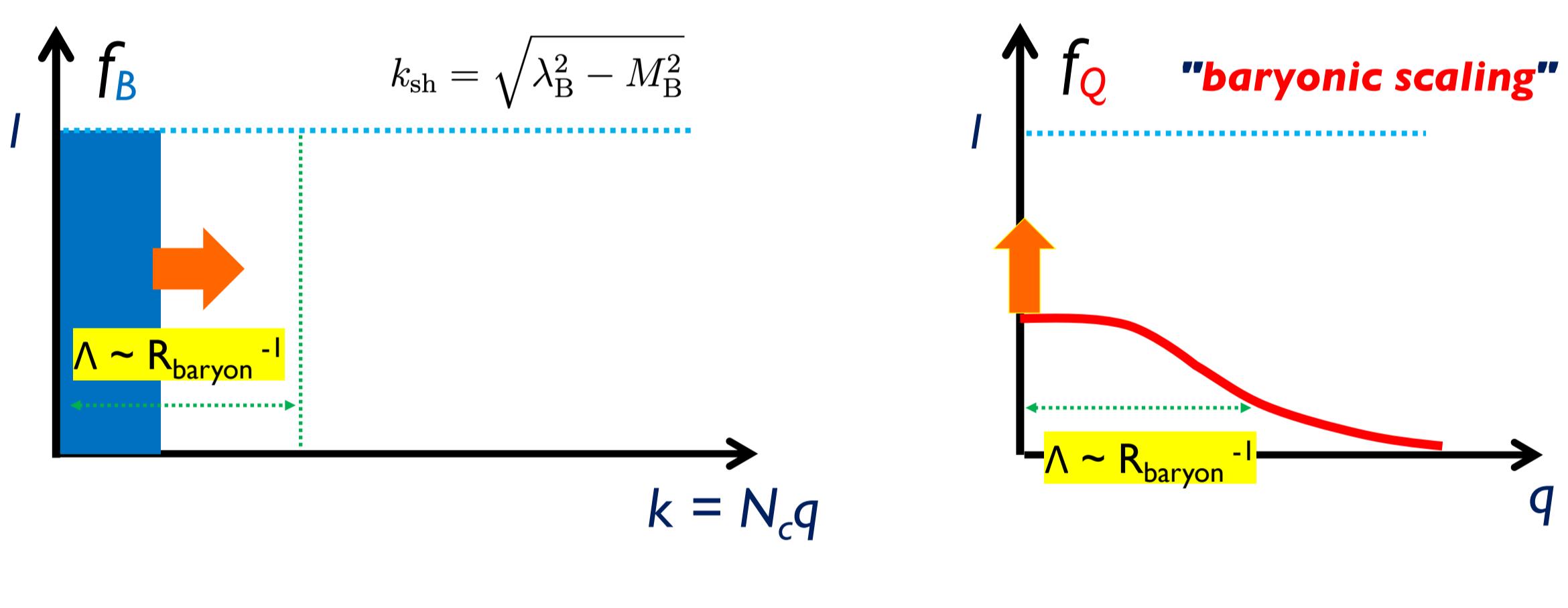
natural at high density

Quark saturation, quark matter formation, and stiffening

isospin symmetric matter

with hyperons ($S=-1$)

Density evolution



Total change in energy :

$$\Delta E_{\text{tot}}(\mathbf{k}) = 2E_v(\mathbf{k}) - E_N(\mathbf{k}) = E_N(\mathbf{k}_{\text{sh}}) + \Delta E_{\text{shell}}$$

$$\Delta E_{(k=0)} = 0$$


$$\mu_B^{\text{onset}} = 2M_Y - M_N$$

$$n_B^{\text{Y, E-onset}} \sim 6n_0$$