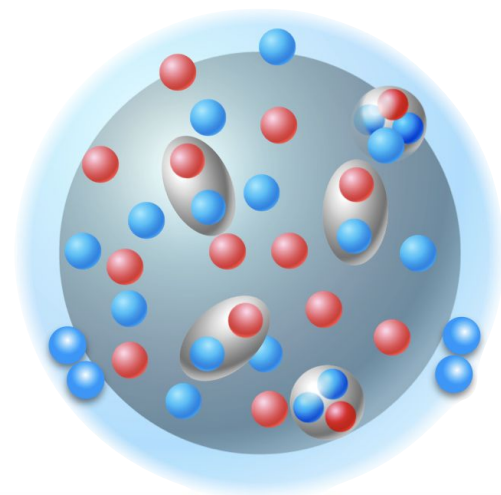


ハックアウト反応を用いた 中性子過剰核における 2中性子相関の実験研究

久保田 悠樹
理研仁科センター



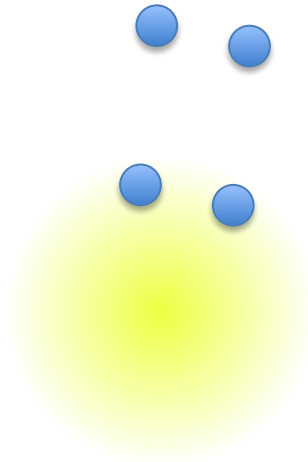
Dineutron correlation

Common feature of Fermionic many-body systems: BCS mechanism for stabilization

Unique feature of atomic nuclei: possible appearance of *dineutron correlation*

Dineutron = Hypothetical bound state of **two** neutrons

A. B. Migdal, Soviet J. of Nucl. Phys. **16**, 238 (1973).



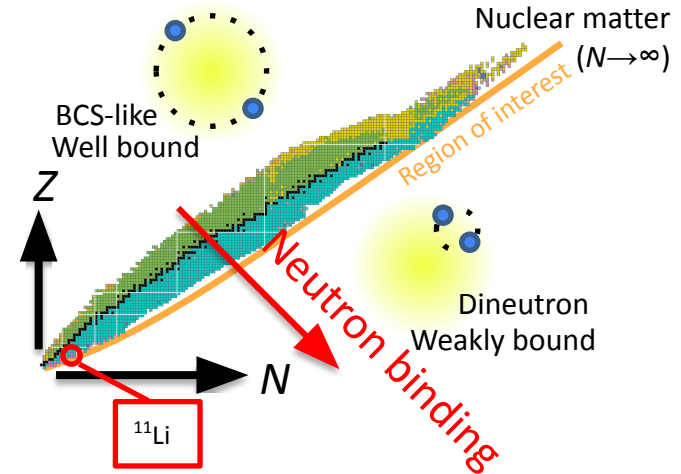
Two neutrons in vacuum

→ No bound state

In a certain potential, two neutrons have a resonance with almost zero energy

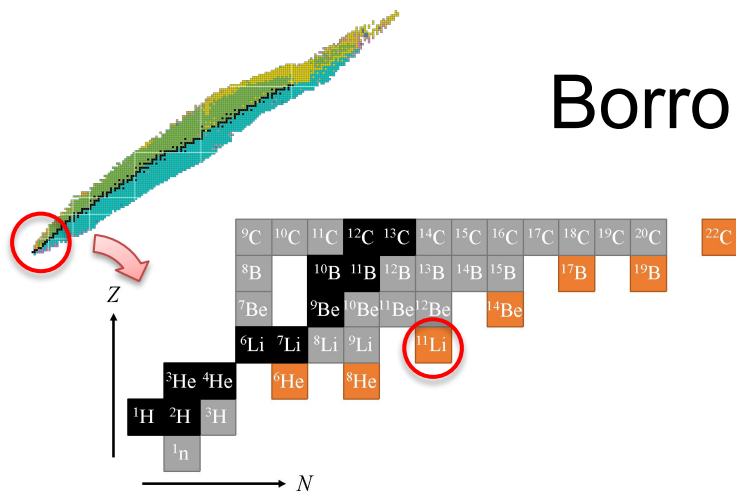
→ Additional bound state

→ This circumstance is realized on the surface of neutron drip-line nuclei



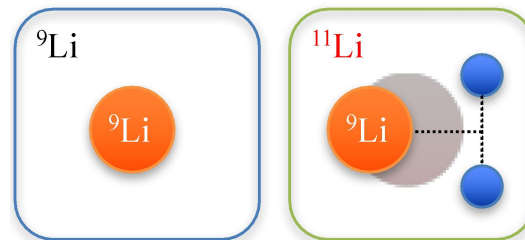
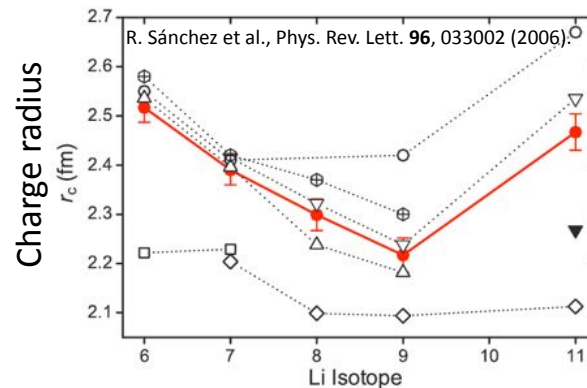
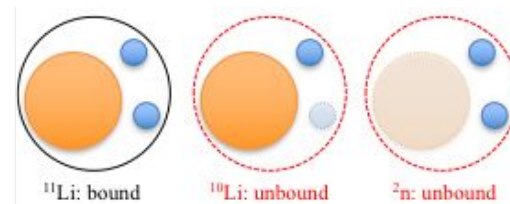
How does it evolve in response to a change of the system?

Borromean nucleus ^{11}Li



- Borromean nature.
 - Binding mechanism.
- Large matter radius. ($A \sim 20$)
 - Neutron halo structure.
- Small two-neutron separation energy.
 - Loosely-bound three-body system.
- Comparable contribution of s - and p -orbits.
 - Large admixture of different parity states.
- Rapid increase of charge radius.
 - Recoil of the ^9Li core.

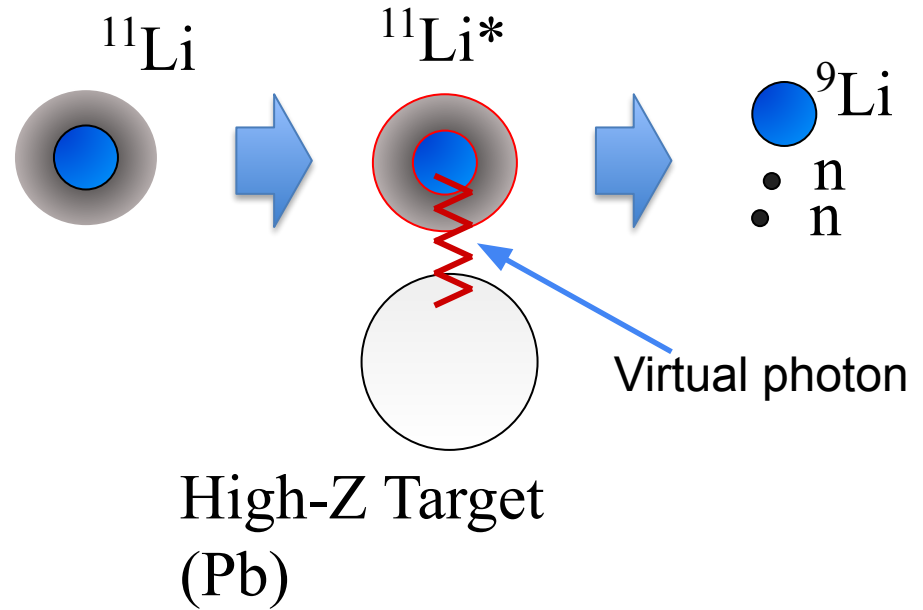
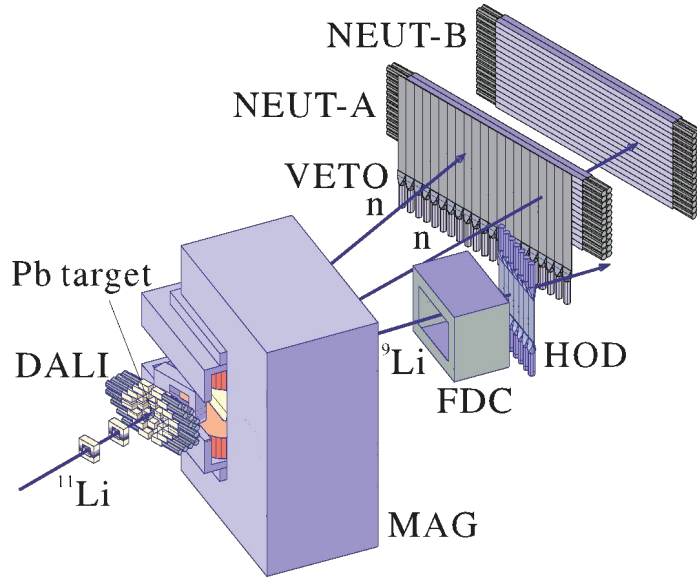
^{11}Li is a benchmarking system



Studies on ^{11}Li using nuclear reactions

1) $B(E1)$ measurement

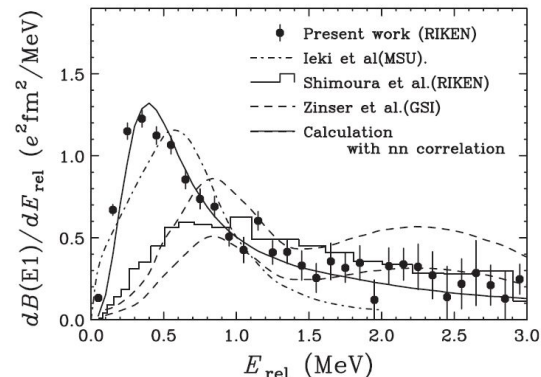
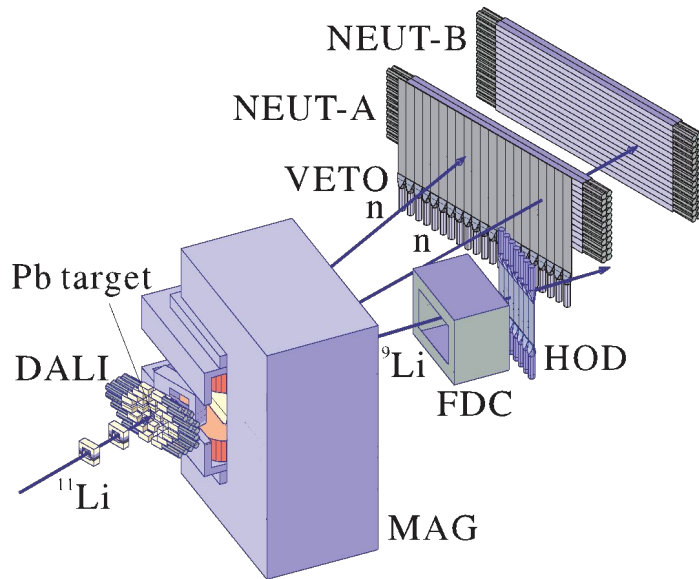
Coulomb dissociation at 70 MeV/u



Studies on ^{11}Li using nuclear reactions

1) $B(E1)$ measurement

Coulomb dissociation at 70 MeV/u



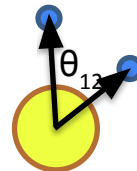
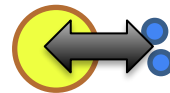
T. Nakamura et al., Phys. Rev. Lett. **96**, 252502 (2006).

$E1$ cluster sum rule (based on 3-body model)

$$B(E1) = \frac{3}{4\pi} \left(\frac{Ze}{A} \right)^2 \langle r_1^2 + r_2^2 + 2\mathbf{r}_1 \cdot \mathbf{r}_2 \rangle = \frac{3}{\pi} \left(\frac{Ze}{A} \right)^2 \langle r_{c,2n}^2 \rangle,$$

$$\rightarrow \langle \theta_{12} \rangle = 48_{-18}^{+14} \text{ degree}$$

c.f. No correlation $\square \theta_{12} = 90 \text{ deg.}$

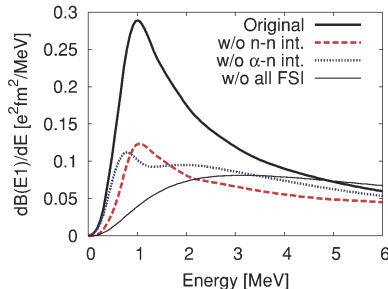


Strong dineutron correlation is suggested.

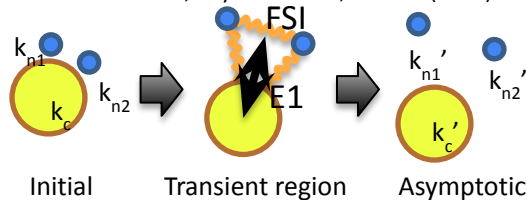
Studies on ^{11}Li using nuclear reactions

1) $B(E1)$ measurement

Argument 1: Final-state interactions (FSIs)



Y. Kikuchi et al., Phys. Rev. C **81**, 044308 (2010).

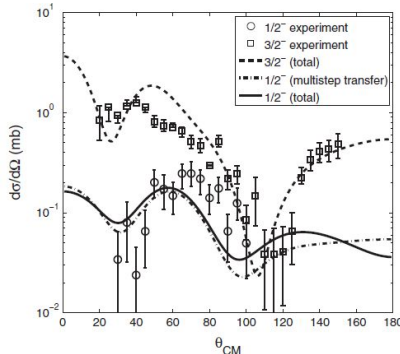


Spectrum is largely distorted by the FSI.

→ Possible uncertainty in the derivation of the $B(E1)$ value.

$$\boxed{\text{Observation}} = \boxed{\text{Structure}} \times \boxed{\text{Reaction (probe)}}$$

Argument 2: Core excitation



G. Potel et al., Phys. Rev. Lett. **105** (2010).

^9Li core in ^{11}Li ground state is not inert.
— c.f. α core in ^6He .

□ $E1$ sum rule value is reduced by $\sim 15\%$.

T. Myo et al., Prog. Theor. Phys. **119**, 561 (2008).

Y. Kikuchi et al., Phys. Rev. C **87**, 034606 (2013).

$$\langle \theta_{12} \rangle = 48_{-18}^{+14} \text{ degrees}$$

→ $\sim 65 \pm 11$ degrees

→ Large model dependence

Argument 3: Derivation of $\langle r_n \rangle$

$$\begin{aligned} B(E1) &= \frac{3}{4\pi} \left(\frac{Z_c}{A} \right)^2 e^2 \langle r_n^2 + r_{n'}^2 + 2r_n r_{n'} \cos \theta_{nn'} \rangle, \\ &\simeq \frac{3}{2\pi} \left(\frac{Z_c}{A} \right)^2 e^2 \langle r_n^2 \rangle [1 + \langle \cos \theta_{nn} \rangle], \end{aligned}$$

- Both $\langle r_n \rangle$ and $\langle \theta_{nn} \rangle$ were determined from a single meas.
- Simplified model.

→ Use of different data

- Matter radius

$$\rightarrow \theta = 56.2_{-21.3}^{+17.8} \text{ degrees}$$

K. Hagino et al., Few-body Syst. **57**, 185 (2016).

- Two- n . correlation function

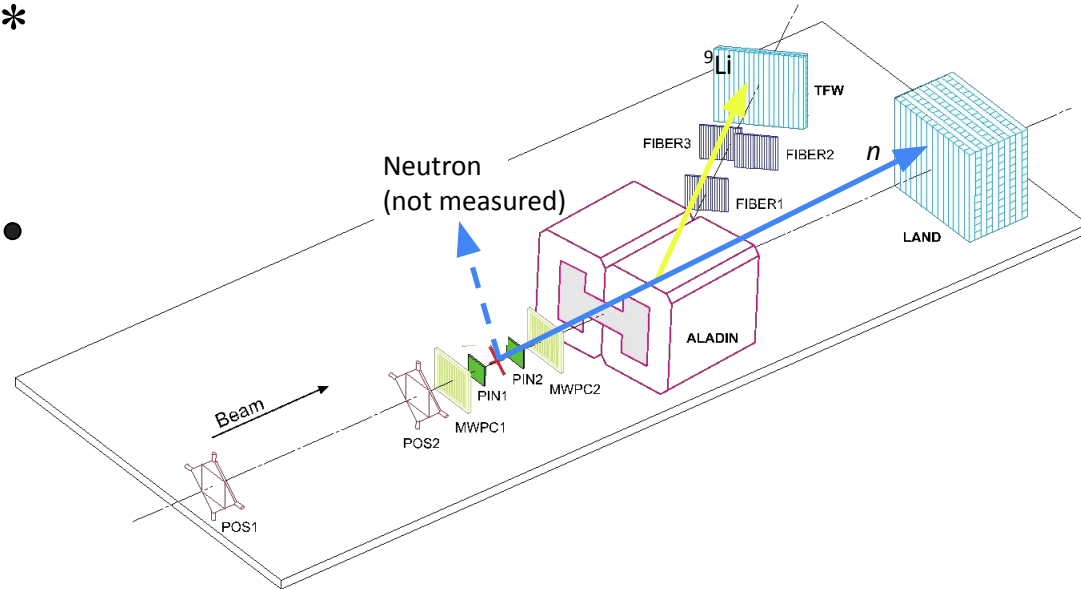
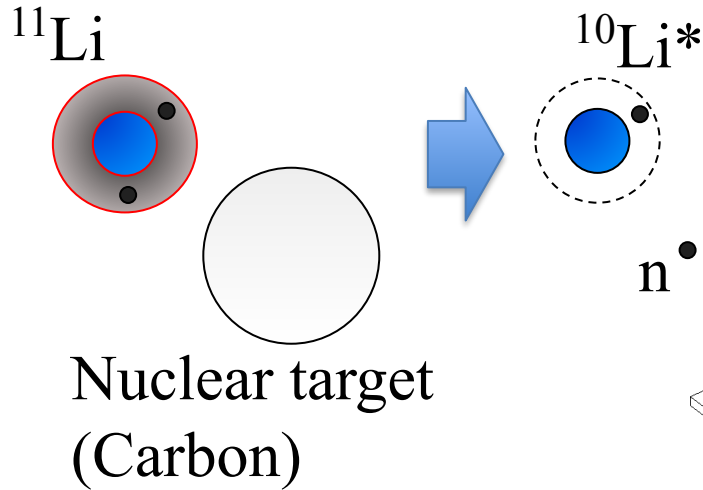
$$\rightarrow \theta = 66_{-18}^{+22} \text{ degrees}$$

C.A. Bertulani et al., Phys. Rev. C **76**, 051602(R) (2007).

Studies on ^{11}Li using nuclear reactions

2) Momentum distribution

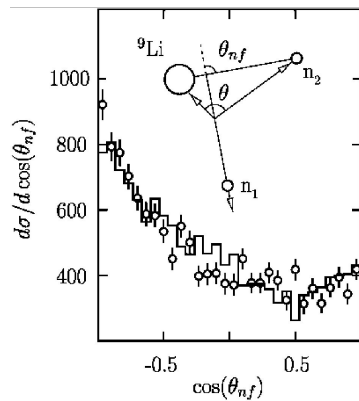
Neutron removal at 264 MeV/u w/ nuclear target



Studies on ^{11}Li using nuclear reactions

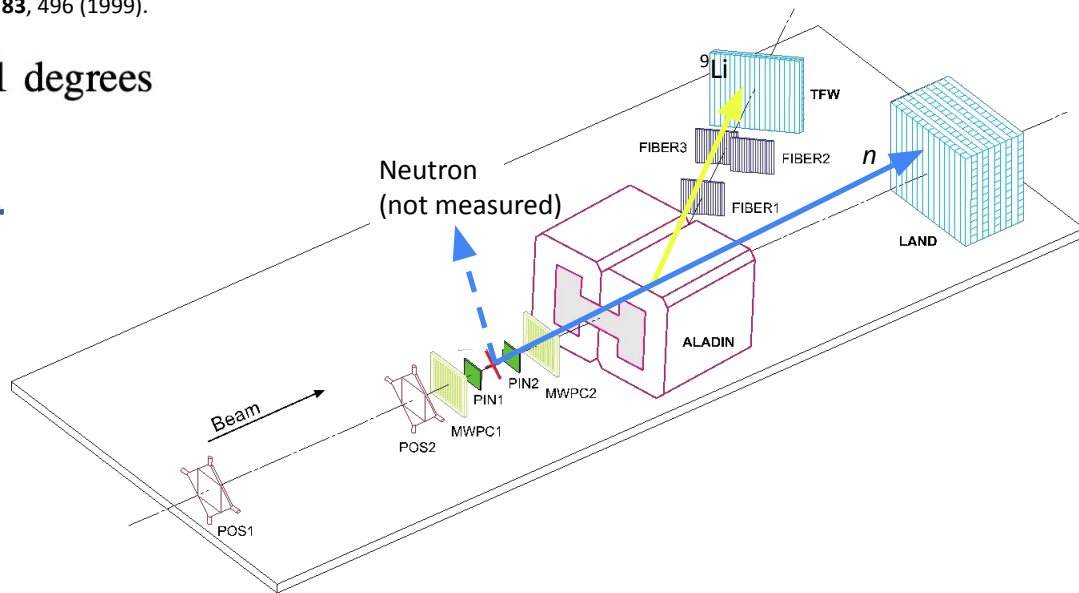
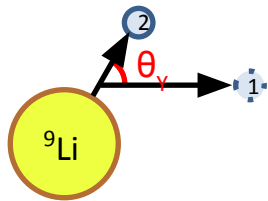
2) Momentum distribution

Neutron removal at 264 MeV/u w/ nuclear target



H. Simon et al., Phys. Rev. Lett. **83**, 496 (1999).

$$\langle\theta_Y^x\rangle = 76.6 \pm 2.1 \text{ degrees}$$



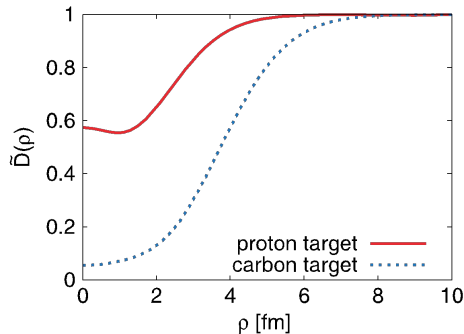
- $(s_{1/2})^2 : (p_{1/2})^2 = 45 \pm 10 : 55 \pm 10$
- Asymmetric angular distribution
→ Dineutron enhancement

Studies on ^{11}Li using nuclear reactions

2) Momentum distribution

Argument 1: Peripherality

Distortion effect in the neutron removal reaction from ^6He

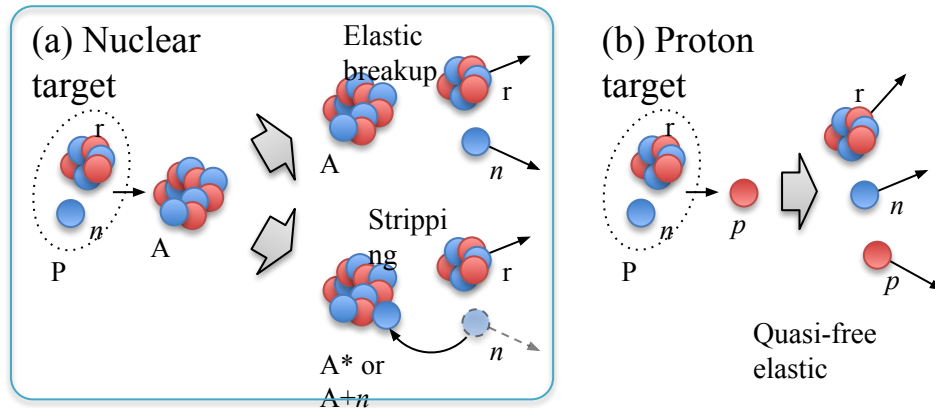


Y. Kikuchi et al., Prog. Theor. Exp. Phys. **2016** 103D03 (2016).

Strong distortion from the target

→ Nuclear-target-induced knockout is only sensitive to the nuclear surface.

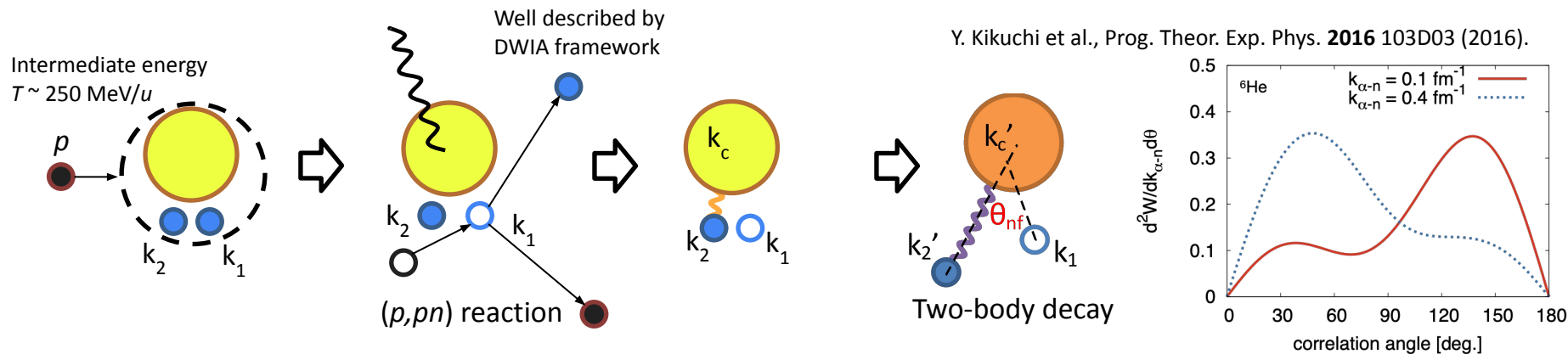
Argument 2: Complicated reaction mechanism



Two competitive processes having complicated formalisms.

- Elastic breakup
 - CDCC, ADS, Faddeev—AGS
- Stripping
 - Glauber model based on Eikonal reaction theory

Key idea: quasi-free (p, pn) on Borromean nuclei



Ground state correlation.

- Minimization of the FSIs.



Kinematically complete measurement.

- Missing momentum k_1
(measure of the radial position of the dineutron)



Transparent probe.



High luminosity is needed.

- Pioneering experiment at GSI.
 - Yu. Aksyutina et al., Phys. Rev. B **666**, 430 (2008).
 - Angular correlation is not shown.
 - Probably due to a low luminosity.

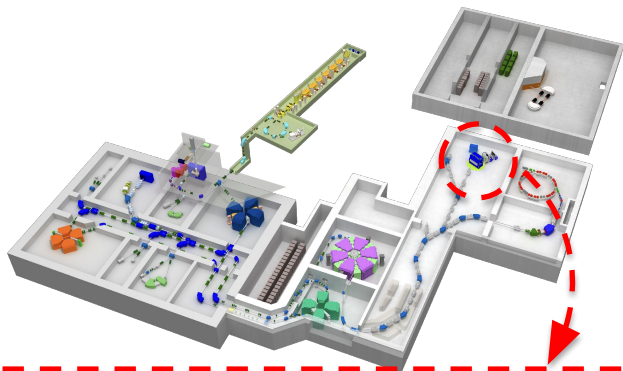
Table 2.1: Integrated cross sections of different reactions on ^{11}Li .

Reaction	Energy [MeV/nucleon]	Integrated cross section σ [b]	
		for $E_{\text{rel}} \leq 3 \text{ MeV}$	for $E_{\text{rel}} \leq 6 \text{ MeV}$
x 1/10 Coulomb breakup [40]	70	$2.34 \pm 0.05(\text{stat}) \pm 0.28(\text{syst})$	(not given)
x 1/10 Neutron removal [61]	264	0.15^a	(not given)
x 1/10 Quasi-free (p, pn) [64]	280	0.035^a	0.041^a

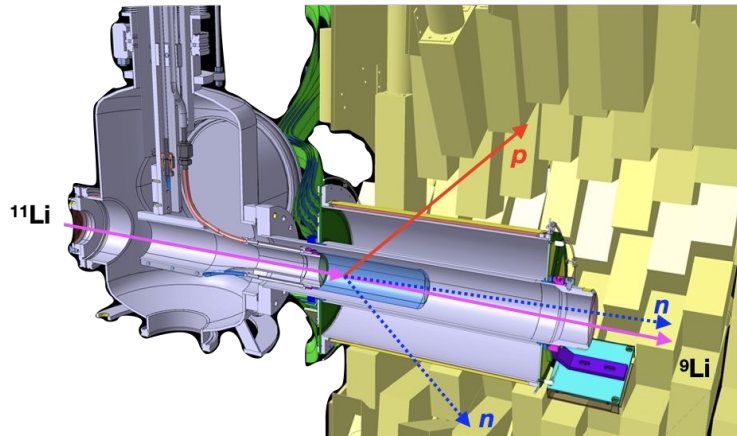
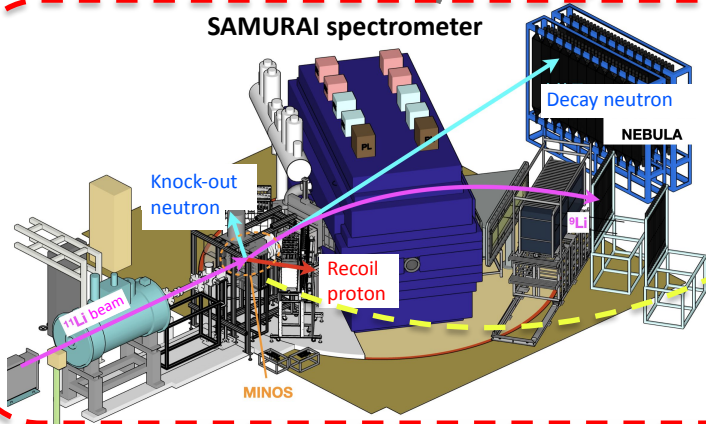
RIBF×MINOS: highest luminosity in RIB experiments

RIBF: most intense ^{11}Li beam

MINOS: mean-free path proton target



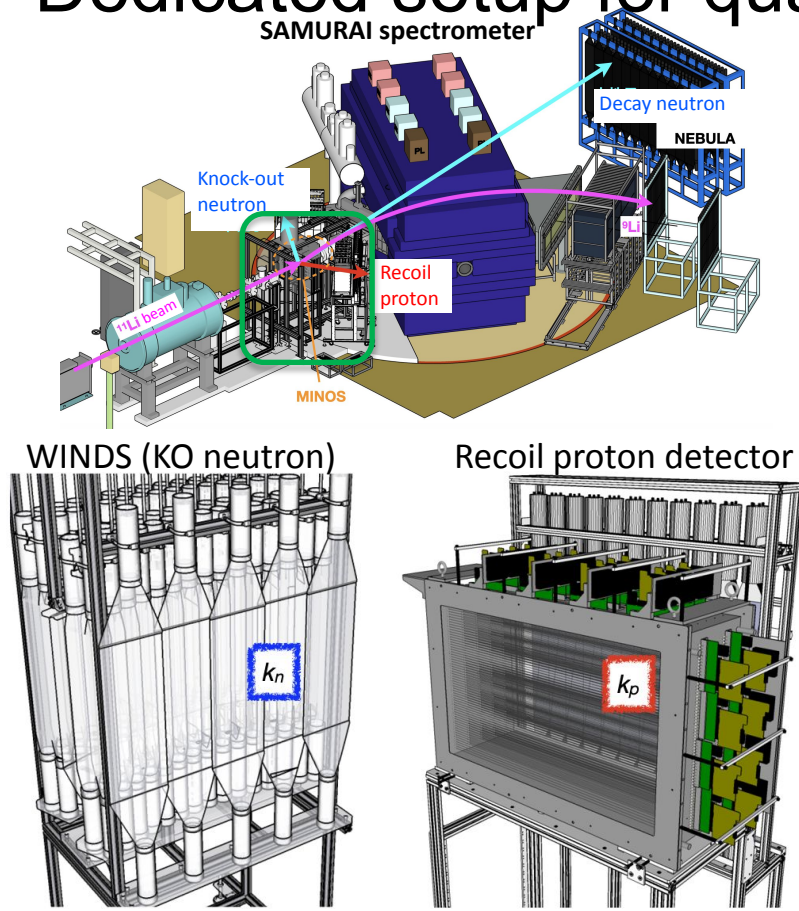
SAMURAI spectrometer



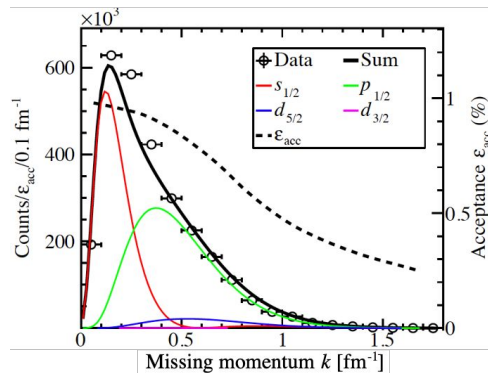
- 15-cm-thick liquid hydrogen target
- Tracking → vertex reconstruction

Highest luminosity in RIB experiments: $10^{29} \text{ cm}^{-2} \text{ s}^{-1}$

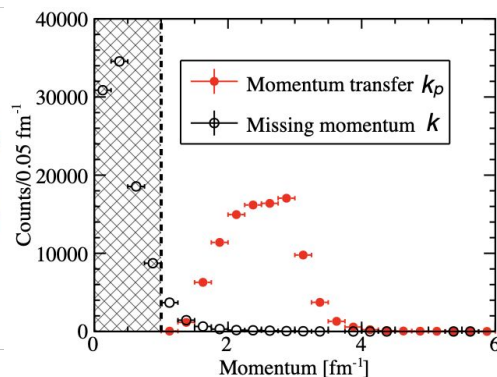
Dedicated setup for quasi-free (p, pn) measurement



- Kinematically “too” complete measurement
 - $k = k_n + k_p - k_{\text{beam}}/A$
 - Quasi-free condition

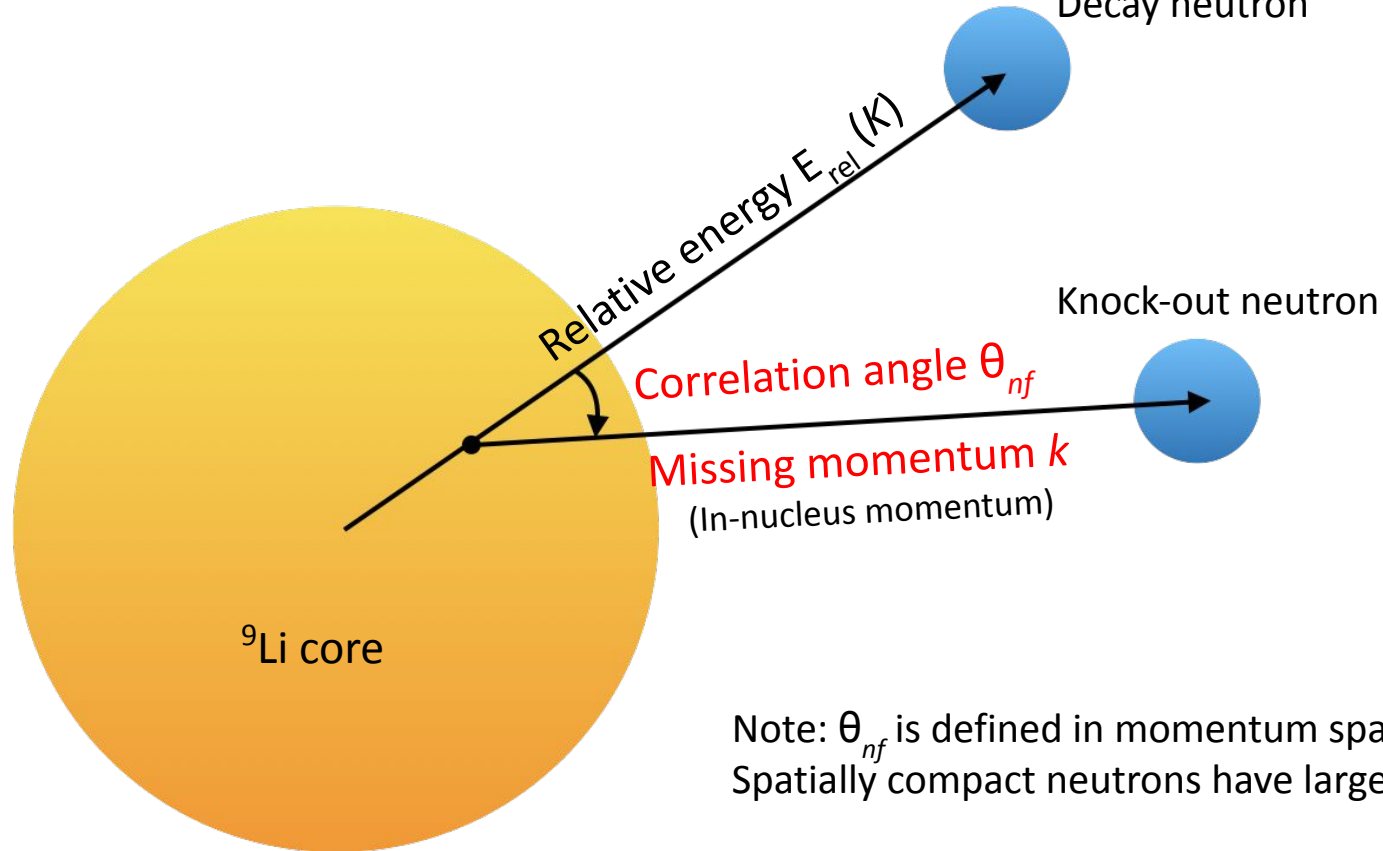


→ Reliable determination of ℓ ,
radial position of dineutron

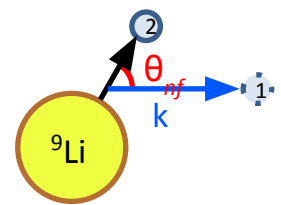


→ Verification of
quasi-free picture

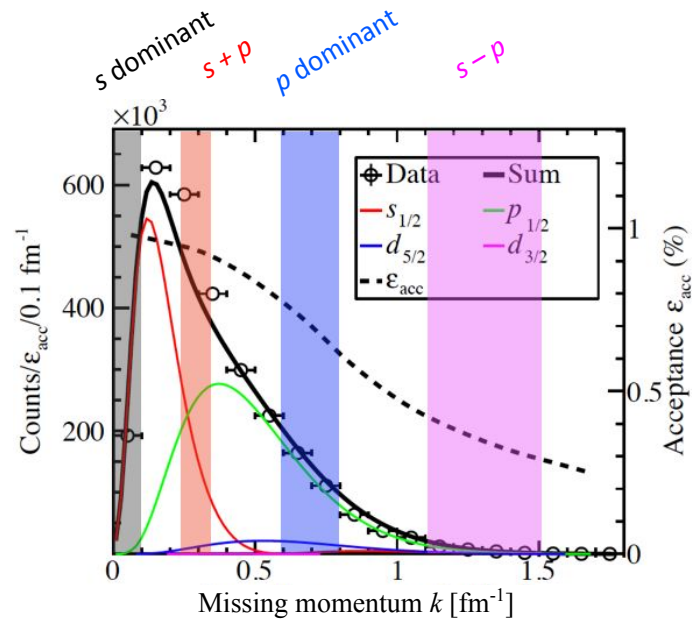
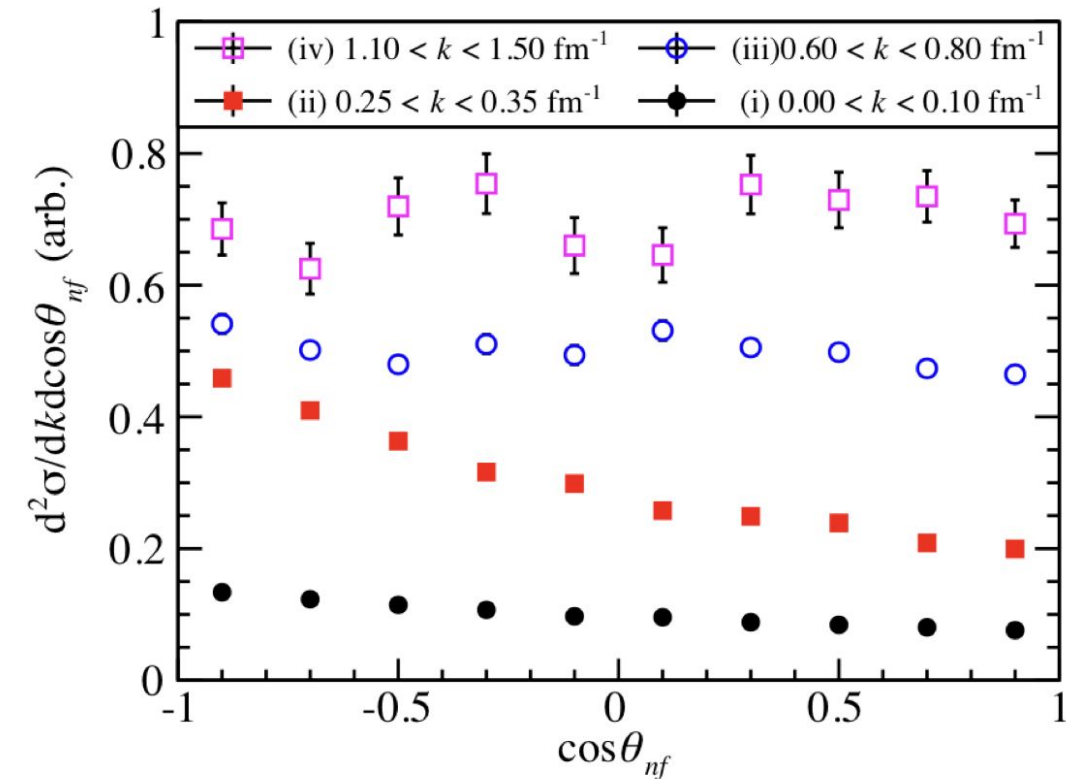
Correlation angle: measure of the dineutron strength



Note: θ_{nf} is defined in momentum space:
Spatially compact neutrons have large correlation angle.

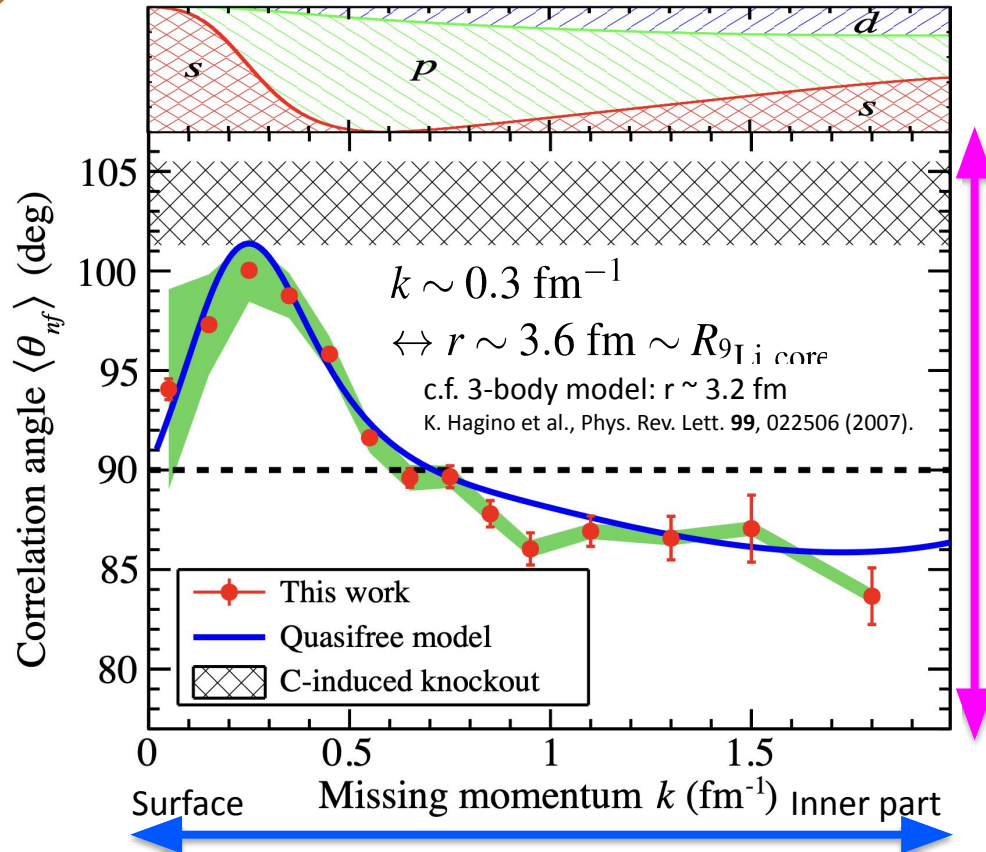


Correlation angle θ_{nf} (dineutron strength) depends on missing momentum k (radial position of dineutron)



Neutron-neutron correlation is changing from region to region!

Surface localization of dineutron in ^{11}Li



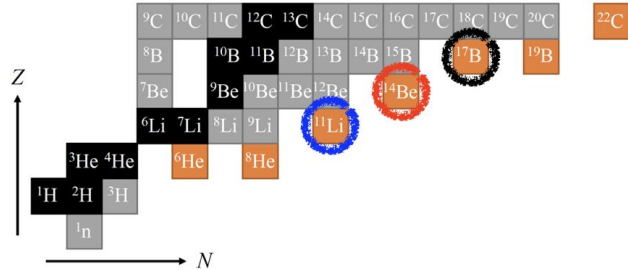
Dineutron formation



No correlation

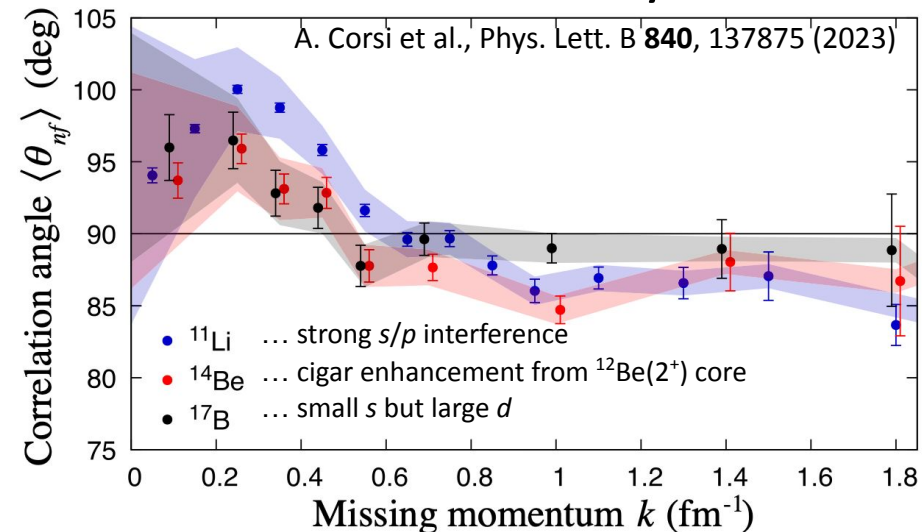


Back-to-back (cigar-like)



Universality of the dineutron

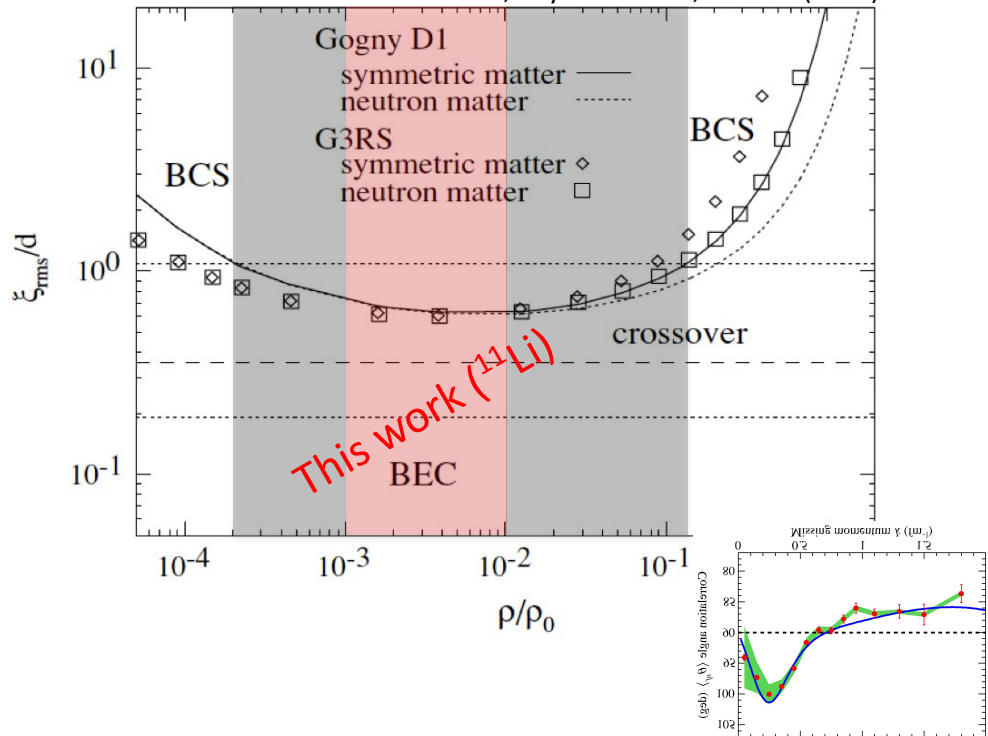
In other finite systems



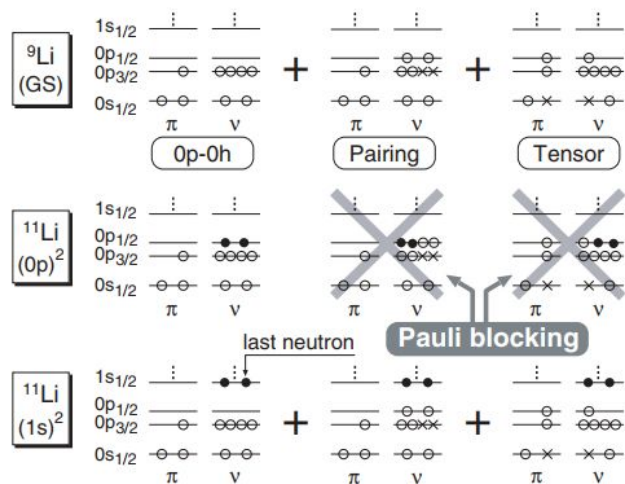
Surface localization is the common feature.

Nuclear matter theory

M. Matsuo, Phys. Rev. C **73**, 044309 (2006).

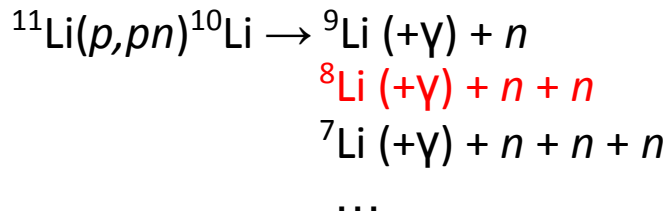
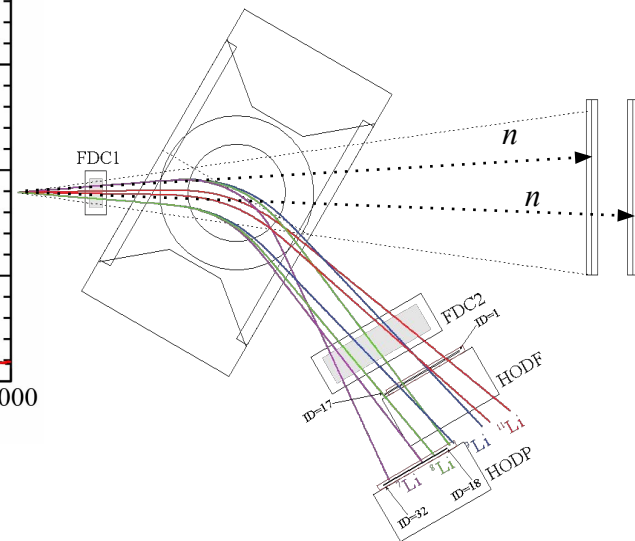
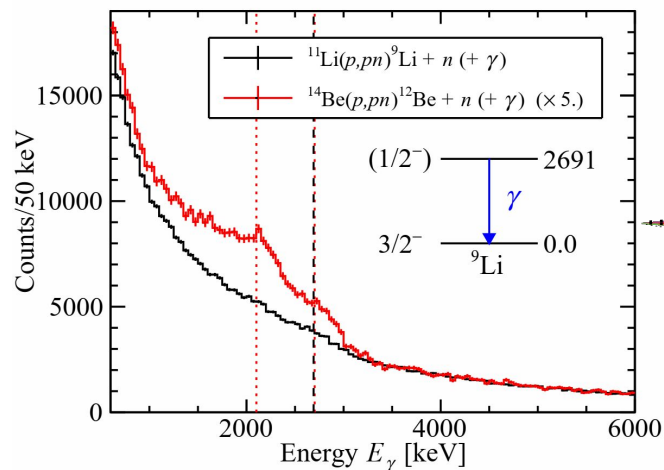


Investigation of the ^9Li core excitation



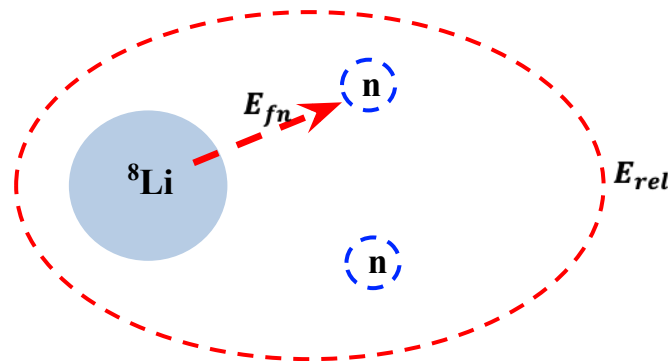
T. Myo et al., Phys. Rev. C **76**, 024305 (2007).

No signature in $^9\text{Li}+n$ channel



Direct decay or sequential decay?

Preliminary



counts

Preliminary

Direct decay

$$\varepsilon_{fn} = E_{fn}/E_{rel}$$

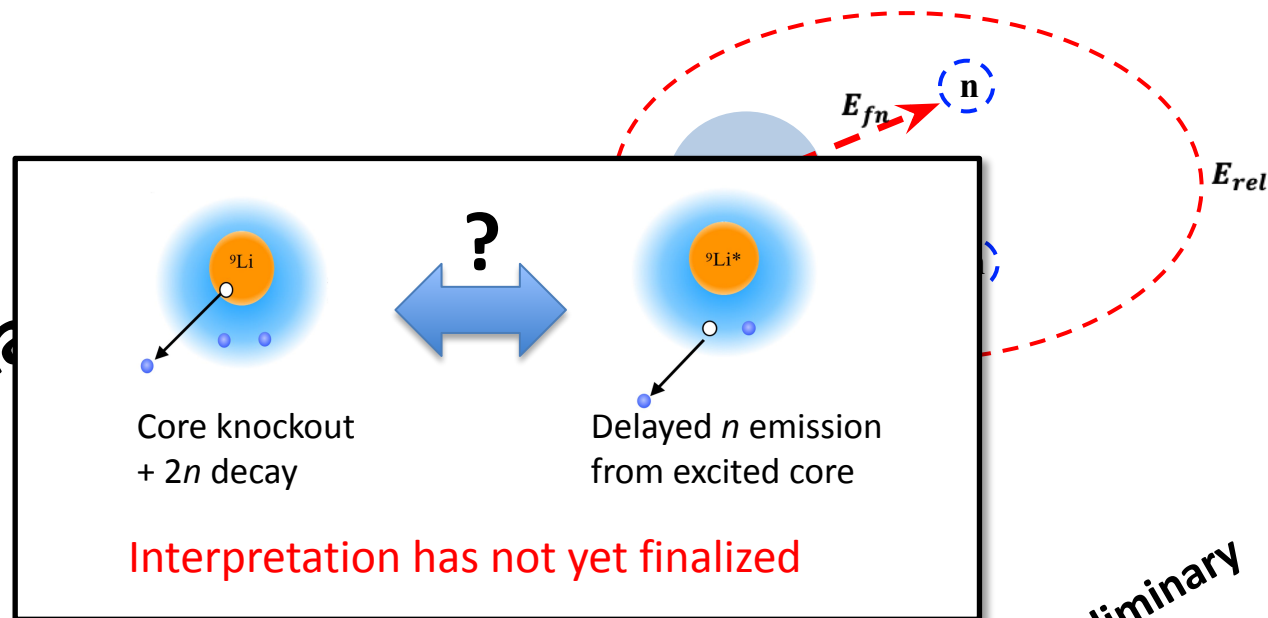
Preliminary

Sequential decay

$$\varepsilon_{fn} = E_{fn}/E_{rel}$$

Direct decay or sequential decay?

Preliminary



Preliminary

Direct decay

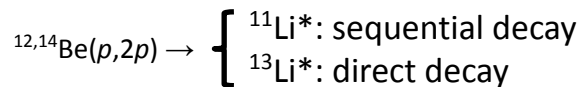
$$\varepsilon_{fn} = E_{fn}/E_{rel}$$

Preliminary

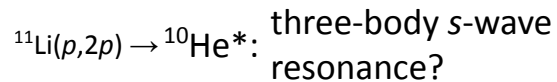
Sequential decay

$$\varepsilon_{fn} = E_{fn}/E_{rel}$$

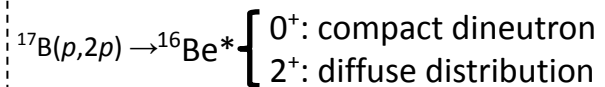
Neutron-neutron correlation **not** in g.s.



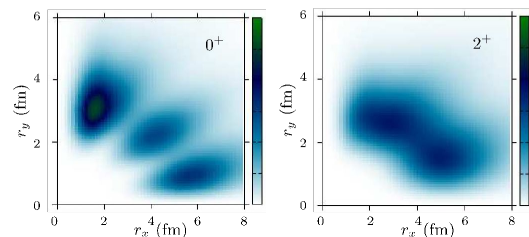
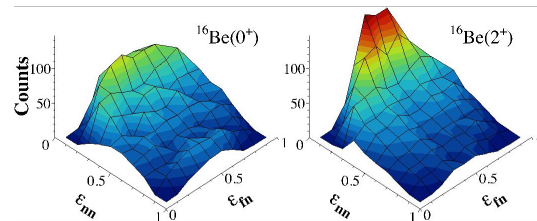
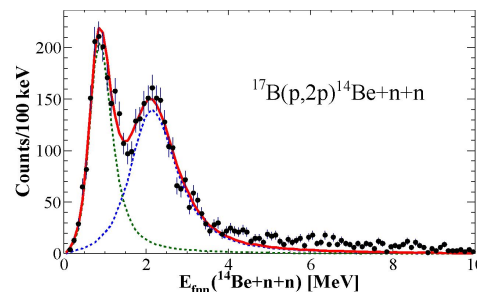
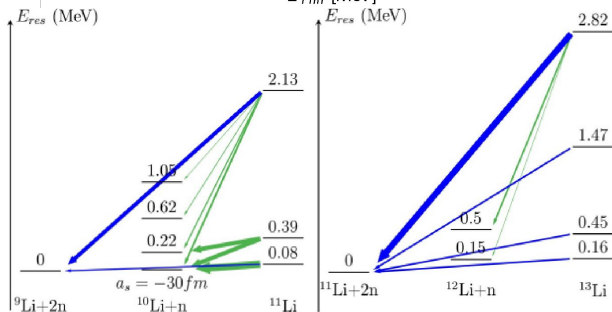
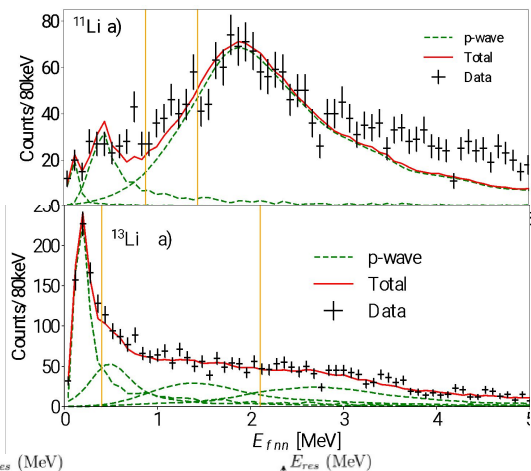
P. André et al., PLB **857**, 138977 (2024).



Y.L. Sun et al., submitted.



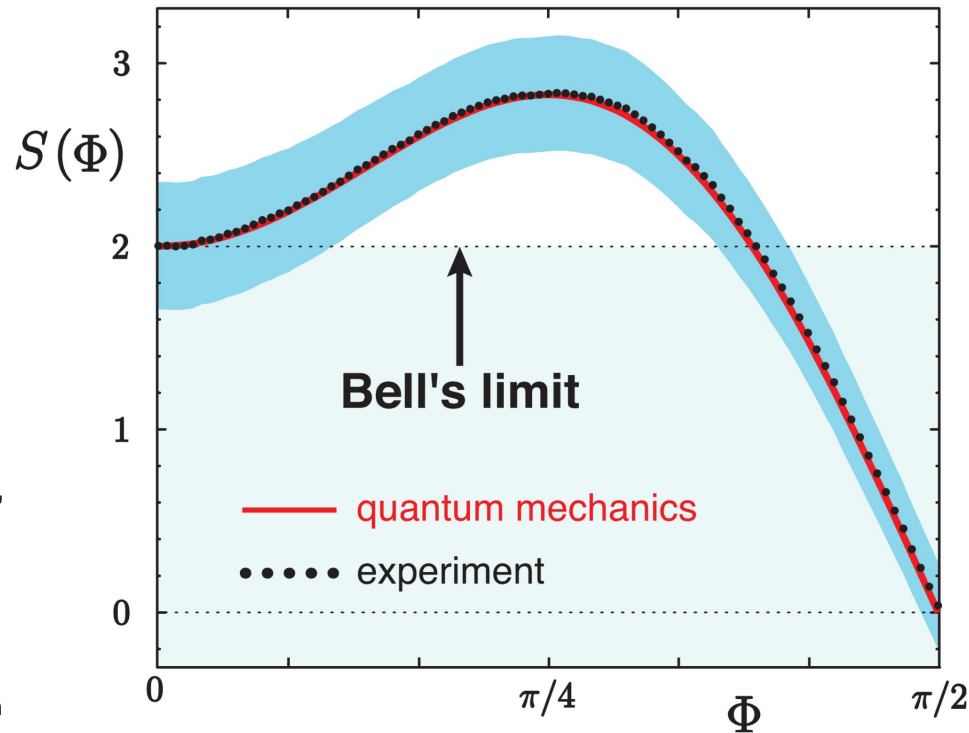
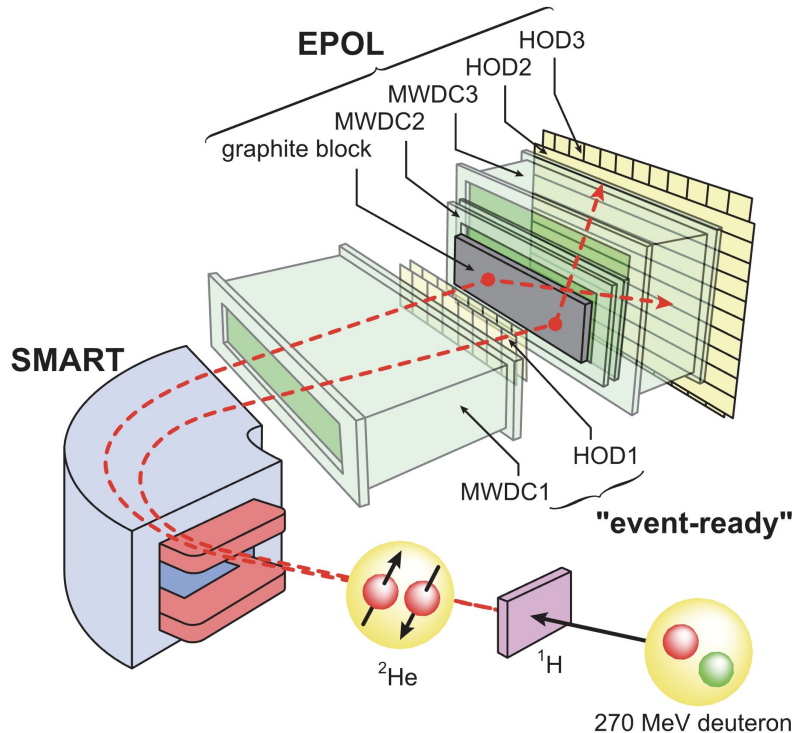
B. Monteagudo et al., PRL **132**, 082501 (2024).



Can we measure neutron spins?

“Spin Correlations of Strongly Interacting Massive Fermion Pairs as a Test of Bell's Inequality”

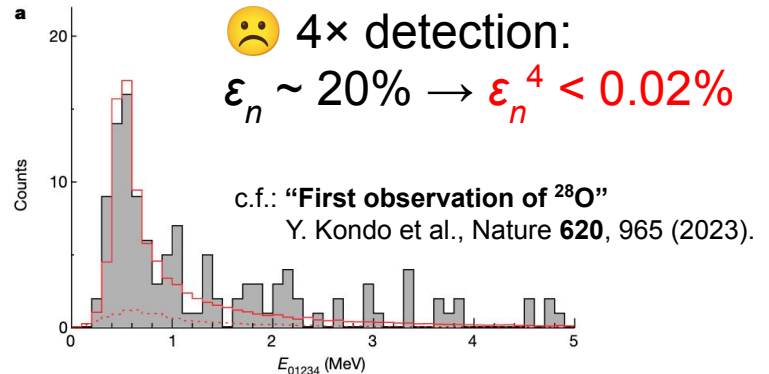
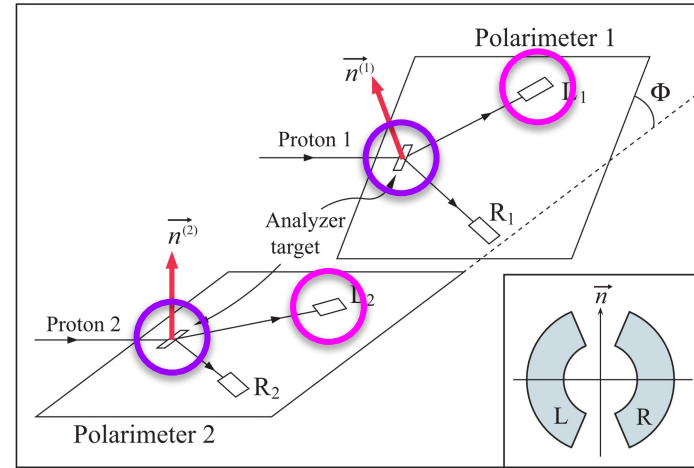
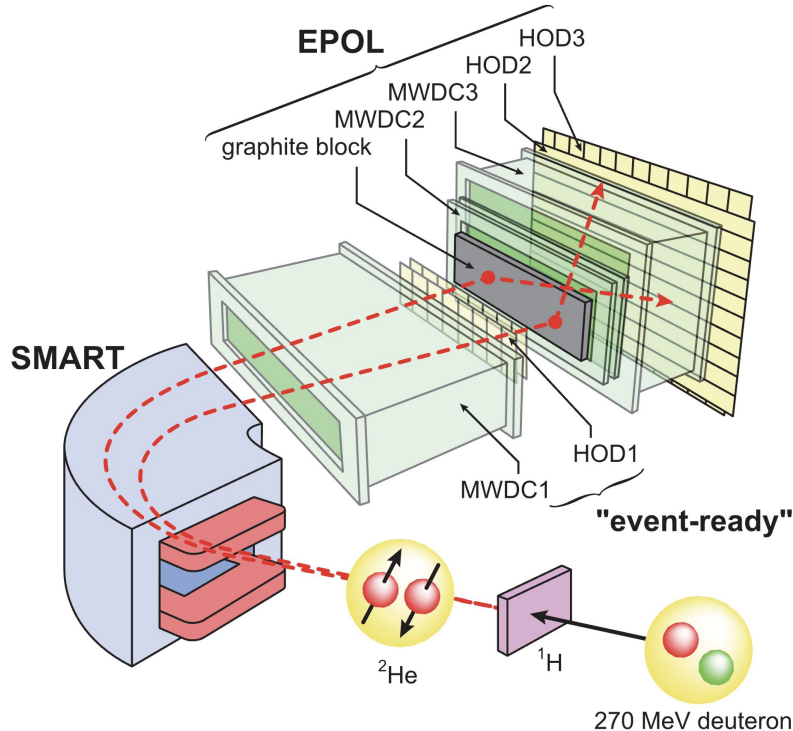
H. Sakai et al., PLR **97**, 150405 (2006).



Can we measure neutron spins? → Yes, but challenging

“Spin Correlations of Strongly Interacting Massive Fermion Pairs as a Test of Bell's Inequality”

H. Sakai et al., PLR **97**, 150405 (2006).



Summary

- Neutron-neutron correlation is investigated via the quasi-free knockout reactions.
- Dineutron universality in neutron-rich Borromean nuclei ^{11}Li , ^{14}Be , and ^{17}B .
 - Localization of dineutron around the nuclear surface.
 - $^{10}\text{Li} \rightarrow ^8\text{Li} + 2n$ channel is being analyzed for understanding ^9Li core excitation in ^{11}Li .
- Neutron-neutron correlation not in the ground states is being analyzed.
 - $^{11,13}\text{Li}^*$: different decay scheme
 - $^{10}\text{He}^*$: three-body s-wave resonance?
 - $^{16}\text{Be}^*$: compact/diffuse dineutron
- Neutron spin measurement is possible, but challenging.