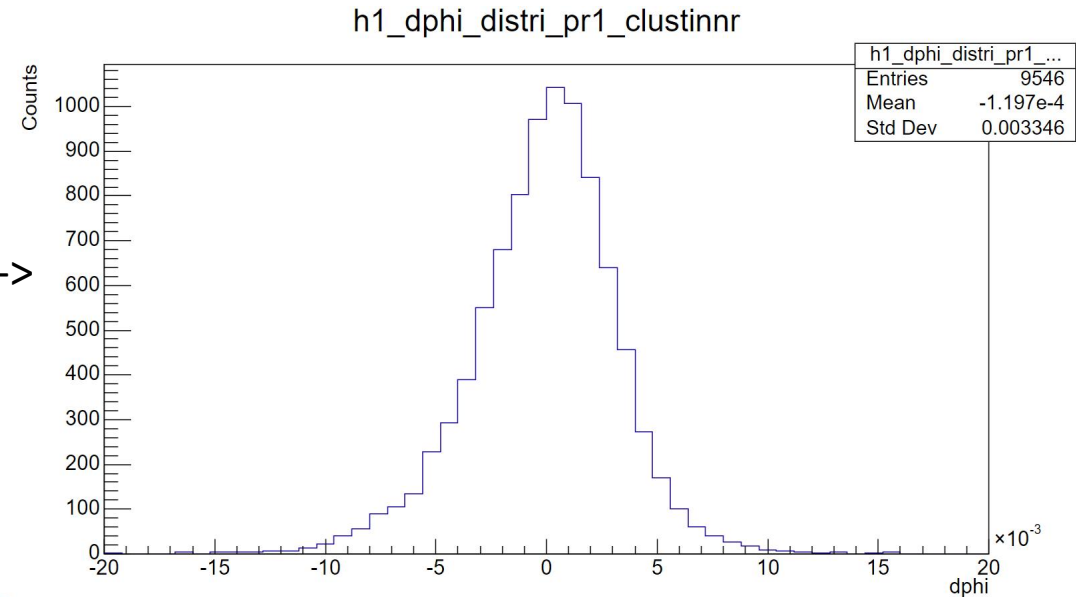
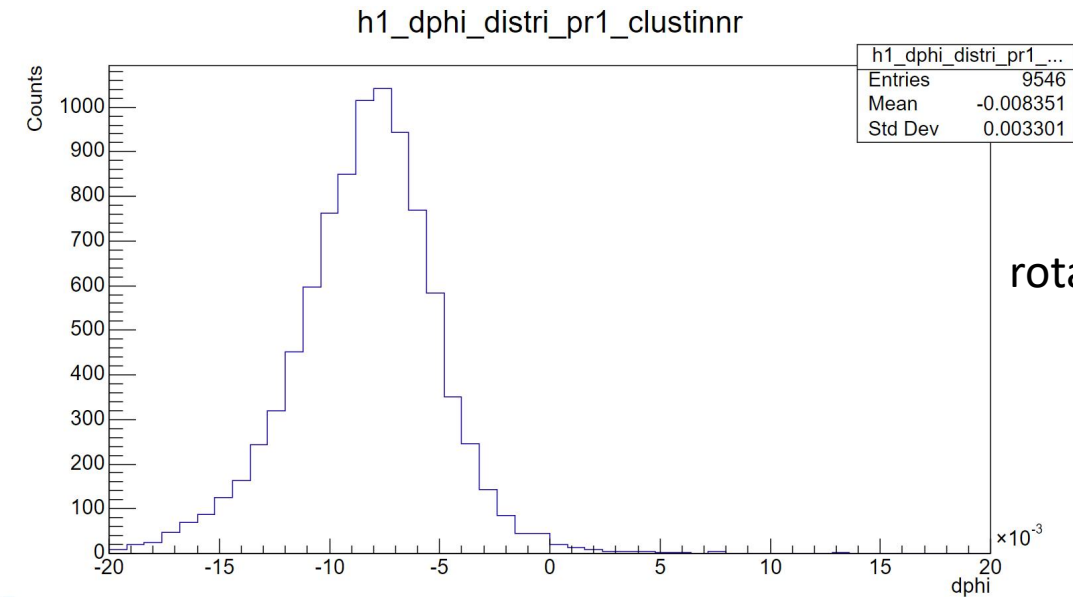


dphi(truth - reco) vs pT

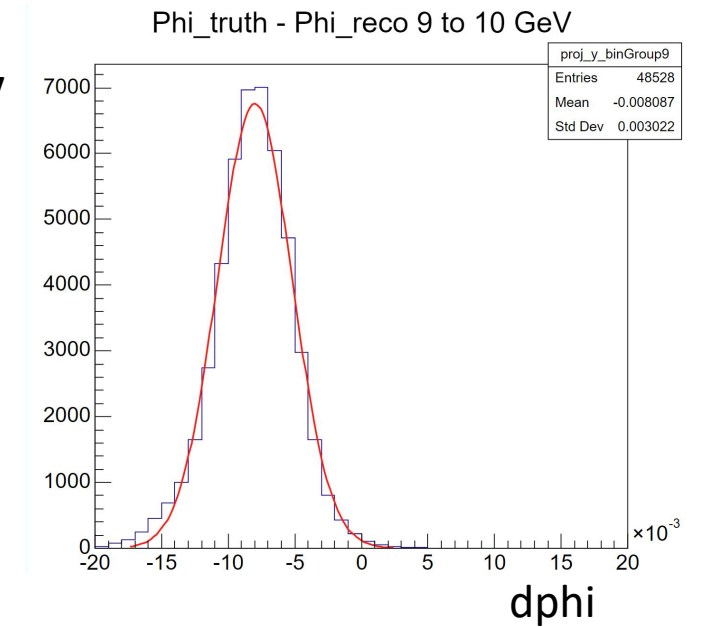
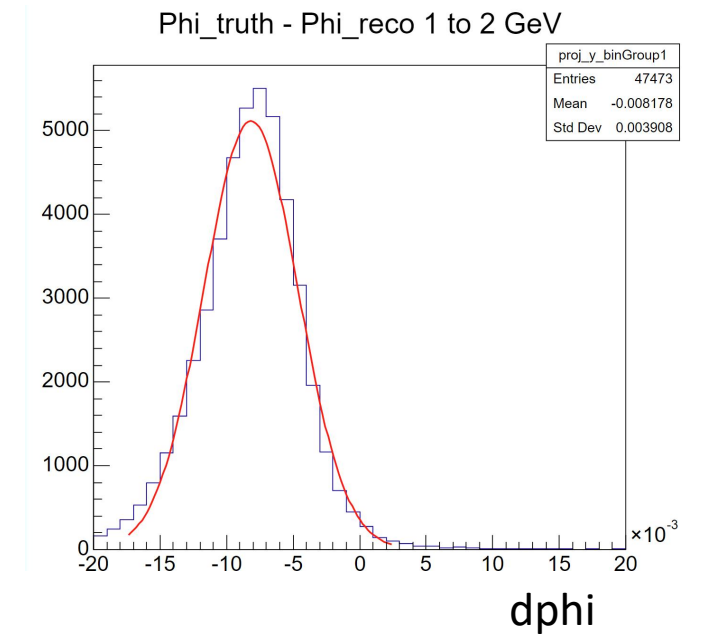
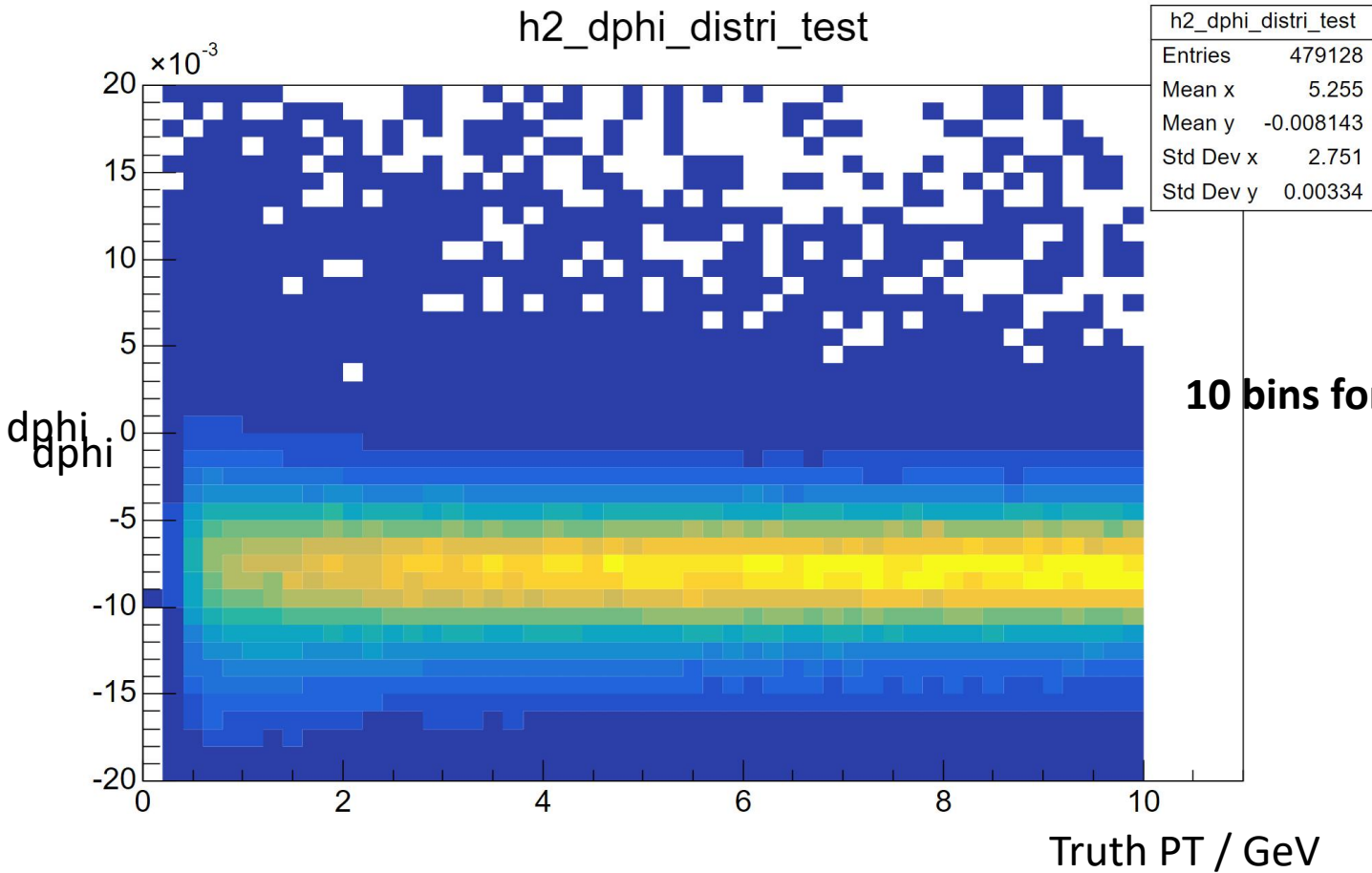
truth_phi: electron hit on emcal surface phi
reco_phi: cluster inner face center phi



For the distributions without any corrections applied, we studied the dphi performance in different pt range.

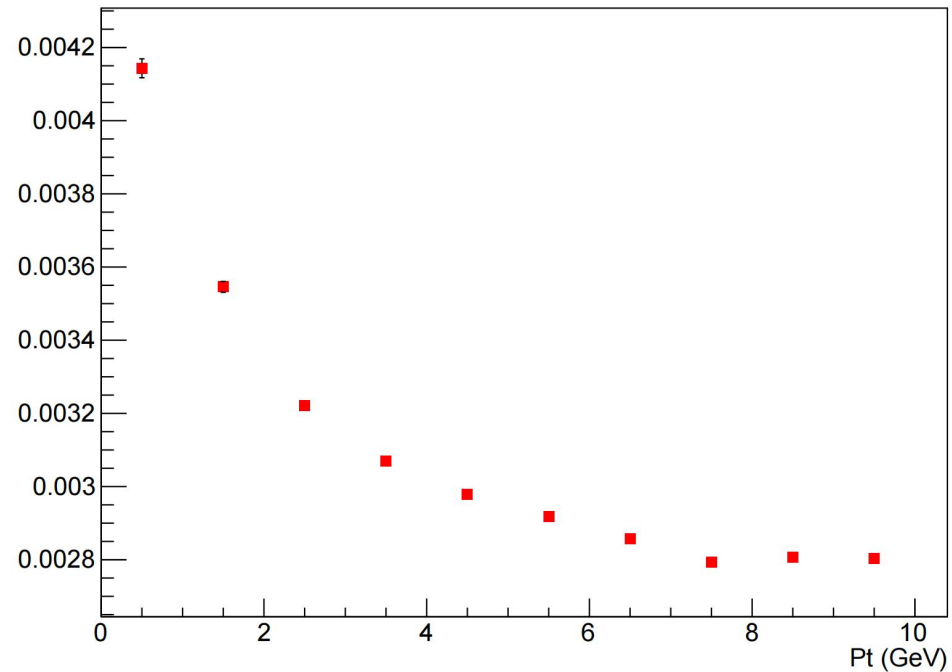
ps: There are many noisy towers in the EMCal, which take up a lot of storage. If we need to process a large number of events, we should apply an energy threshold when generating the pico DST; otherwise, we cannot be able to store many events.

dphi(truth - reco) vs pT

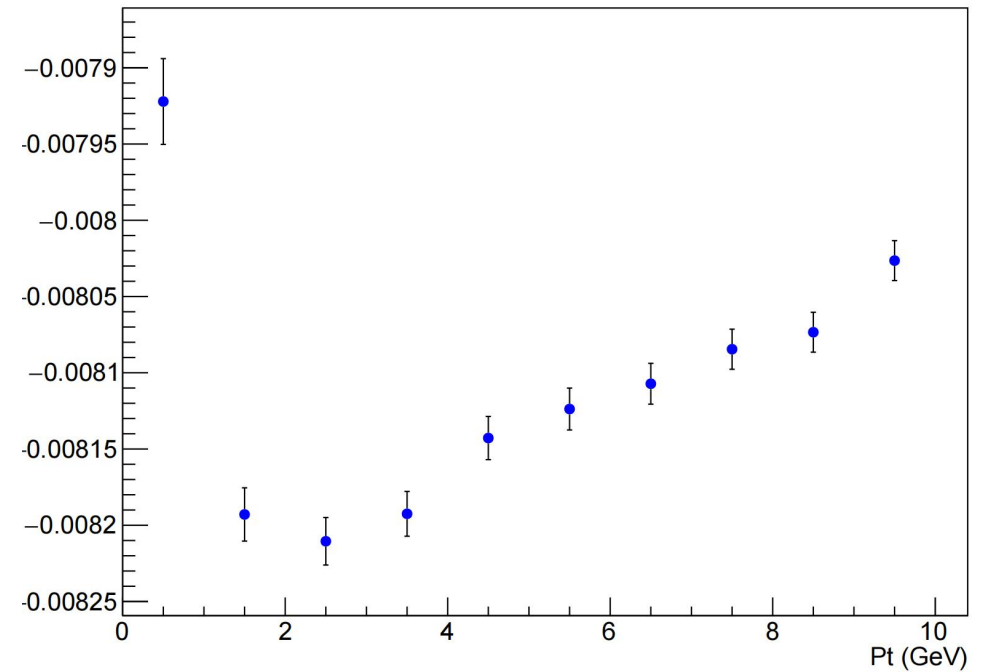


dphi(truth - reco) vs pT

Resolution (Sigma) vs Pt



Peak position vs Pt



ML4Reco

Jingyu

Event

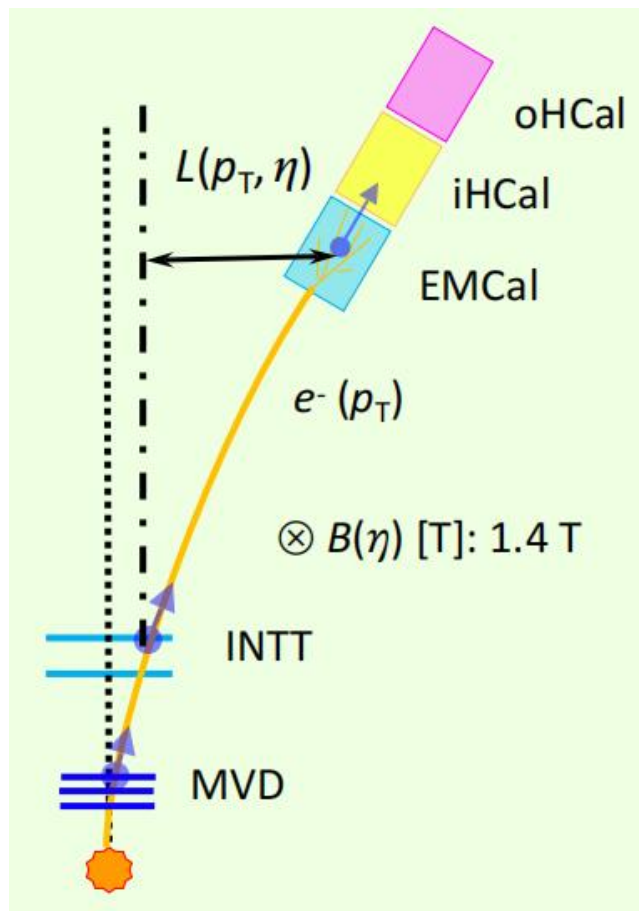
1M events simulation Based on Fun4all on sPHENIX

```
INPUTGENERATOR::SimpleEventGenerator[0] -> add_particles("e-", 1);  
INPUTGENERATOR::SimpleEventGenerator[0] -> set_vtx(0, 0, 0);  
INPUTGENERATOR::SimpleEventGenerator[0] -> set_pt_range(0, 10); // GeV  
INPUTGENERATOR::SimpleEventGenerator[0] -> set_eta_range(-1.1, 1.1);  
INPUTGENERATOR::SimpleEventGenerator[0] -> set_phi_range(-M_PI, M_PI);
```

0.5M for train and test, other 0.5M for showing performance

The data be used on showing performance is not same as train and test, no overfit in performance shown

Dataset



trk_feat: 5 hits position 5*3
inner/outer INTT only 1 clus
Select Closest Points of MVTX

calo_feat:

Calo cluster reco with inner face center,
Calo cluster reco with volume center,
9 towers that have max deposited energy (padding and cutting)

DATASETS:

X: Feat_select

Y: Truth_Pt

data scaler

if scaler is None:

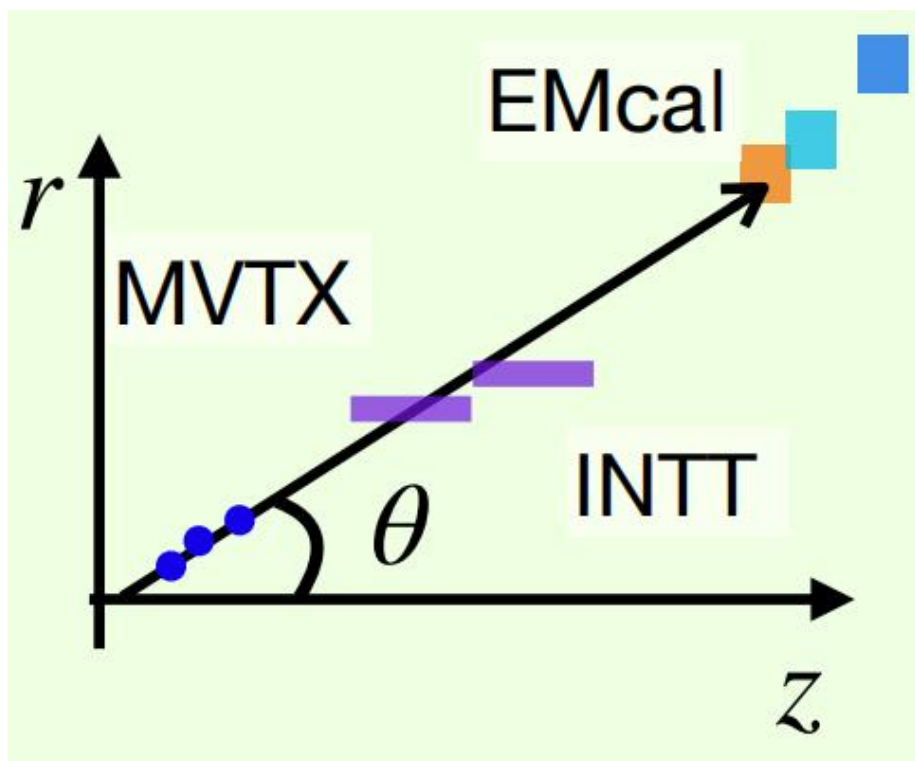
scaler = StandardScaler()

data_X = scaler.fit_transform(data_X)

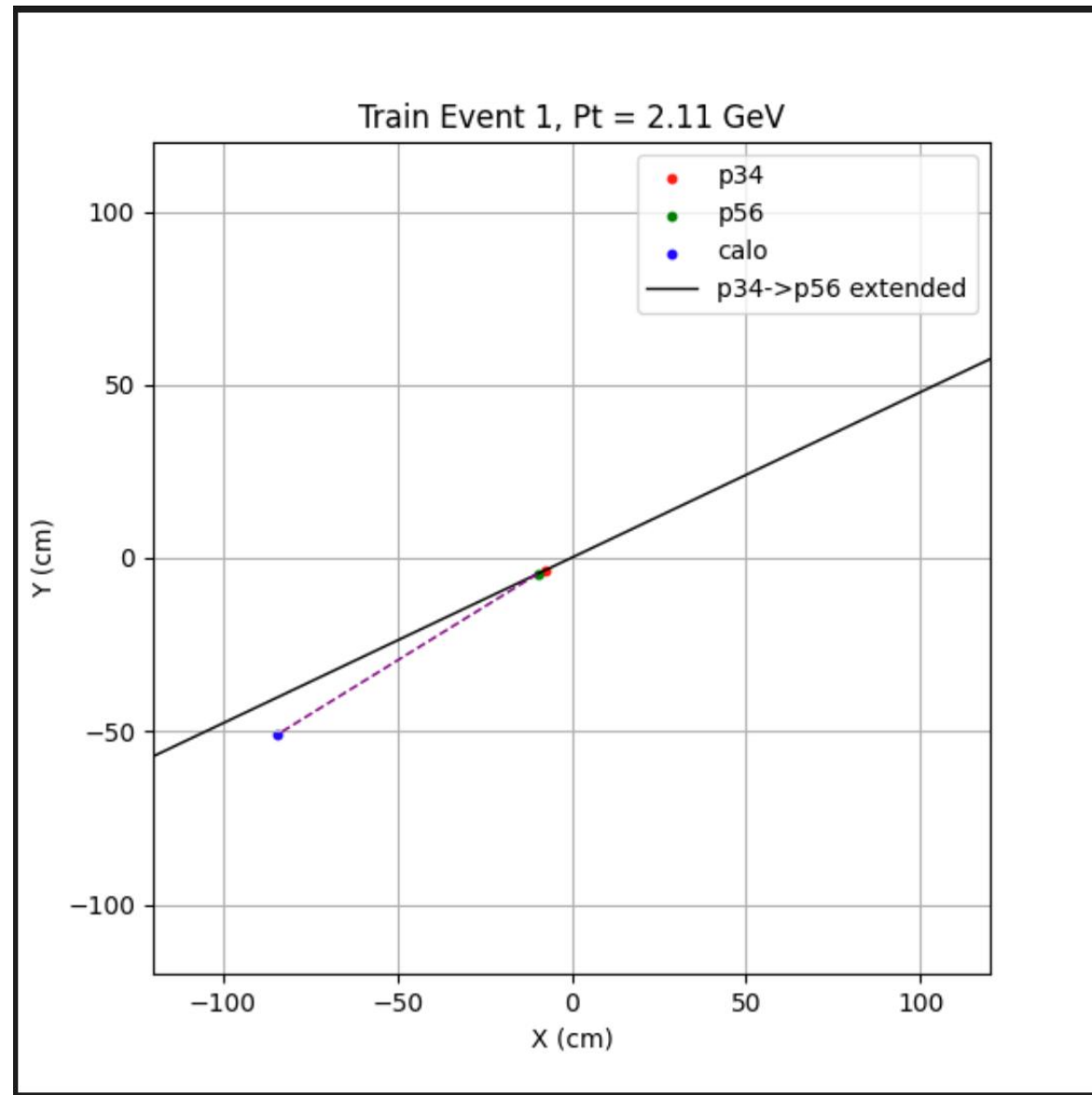
else:

data_X = scaler.transform(data_X)

Dataset



[INTT_R,Z + calo_R,Z,E]

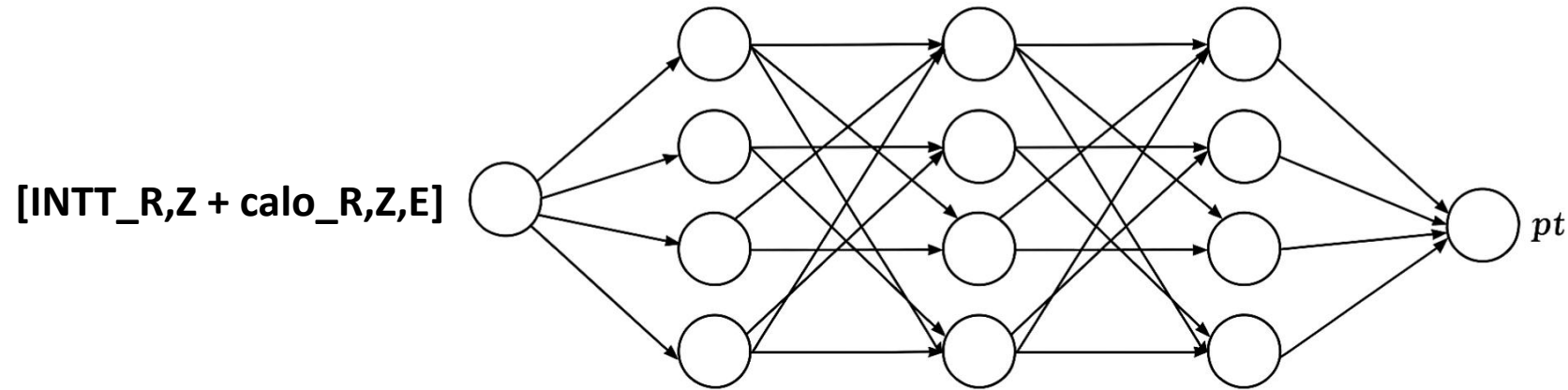


[$1/\Delta\Phi$]

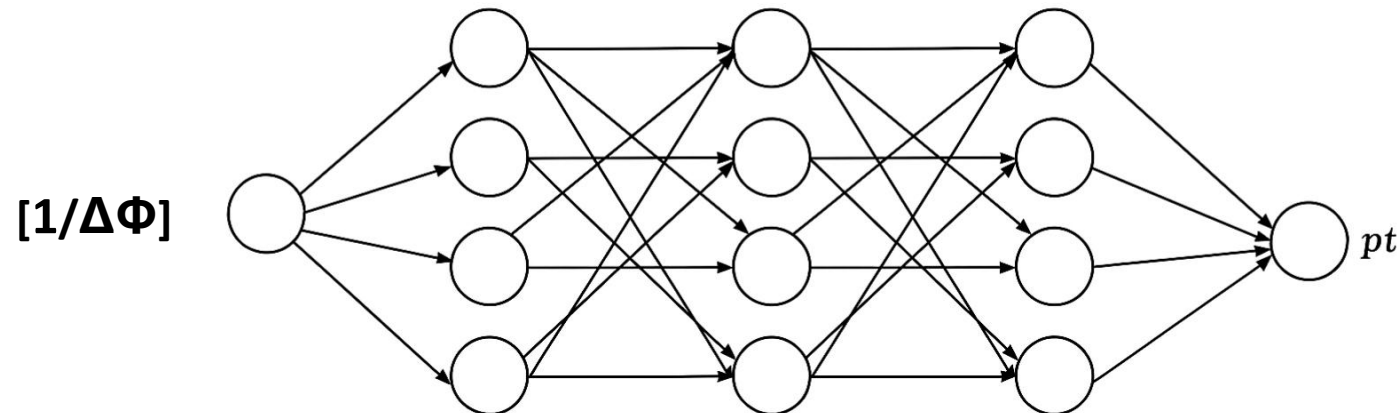
Model

In the training from angle to pt , in addition to using resolution as the loss, some additional penalty mechanism are also needed.

Therefore, a simple approach is to train separately first, and then combine the results.



MLP1: 3hidden layer, hidden_dim=256, nn.Dropout(0.2)



MLP2: 3hidden layer, hidden_dim=256, nn.Dropout(0.2)

Train_model1 - [INTT_R,Z + calo_R,Z,E]

Hyper parameters:

- batch_size=1024, epochs=200, lr=5e-5, val_ratio=0.3

Loss function:

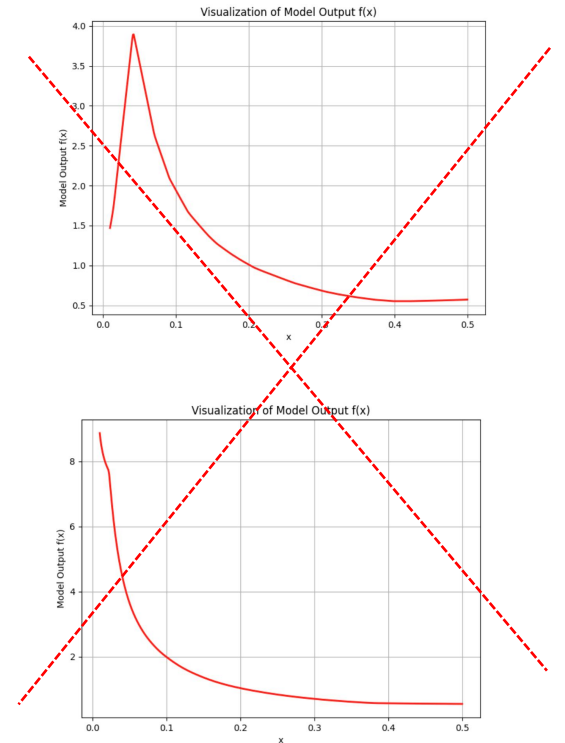
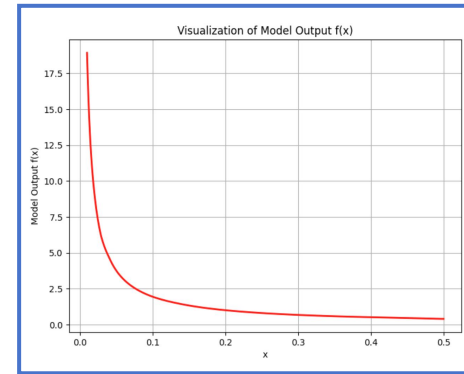
- $pt_reso = (yb - pred) / (yb + 1e-6)$ Relative resolution,
1e-6 to prevent division by zero.
- $weights = (pt_reso.abs() < 0.2).float() * 2.0 + 1.0$ Increase the weight inside the peak,
reduce the influence of outlier data points
- $loss = ((pt_reso) ** 2 * weights).mean()$ Use squared values instead of absolute values to
make the peak position closer to zero.
- if val_loss < best_val_loss: Saved best model

Train_model2 - $[1/\Delta\Phi]$

epochs=500.

Loss function:

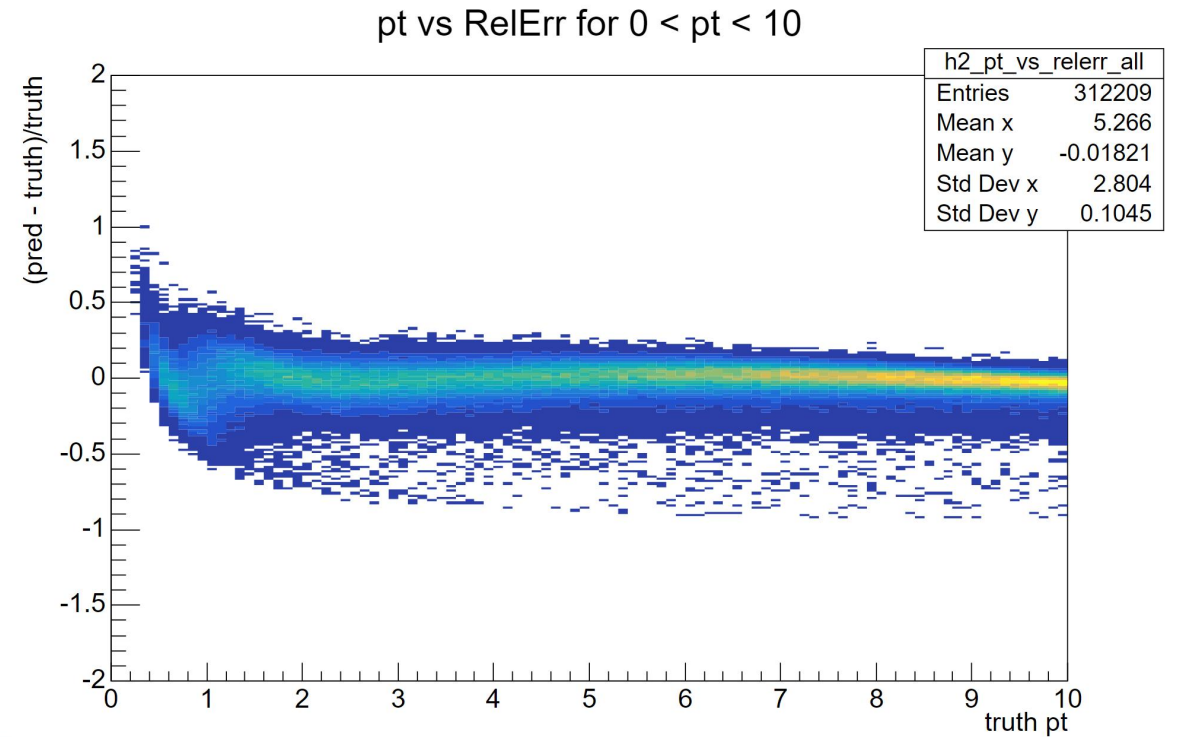
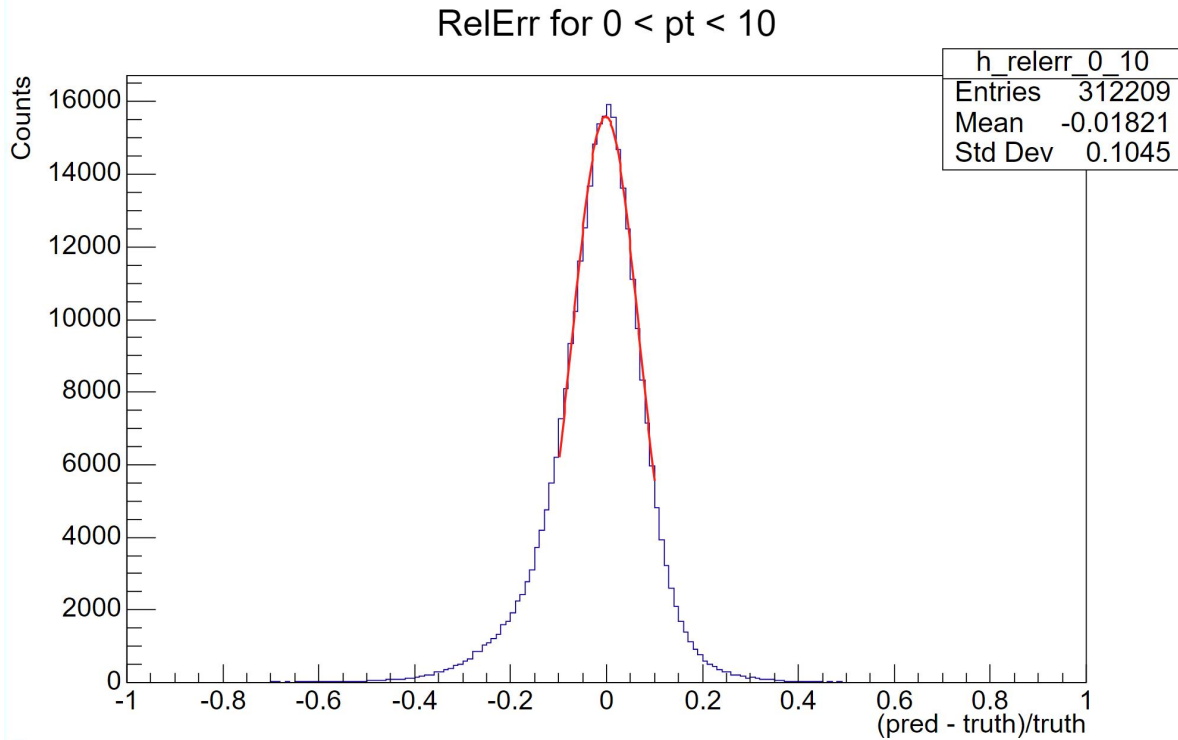
- $pt_reso = (yb - pred) / (yb + 1e-6)$
- $weights = (pt_reso.abs() < 0.2).float() * 2.0 + 1.0$
- $main_loss = ((pt_reso) ** 2 * weights).mean()$
- **monotonic_loss** **requires pt to decrease as the angle increases;**
 - $lambda_mono = 0.3$ **otherwise, oscillations may occur.**
- **boundary_loss**
 - $[0.5, 1, 2, 10, 15, 25, 50, 100, 200] \rightarrow [0.0961, 0.1922, 0.3844, 1.922, 2.883, 4.805, 9.61, 19.22, 38.44]$:
 - $lambda_boundary = \min(0.005 * epoch, 0.2)$
- $loss = main_loss$
- $+ lambda_mono * monotonic_loss$
- $+ lambda_boundary * boundary_loss$



Add boundary conditions outside the data range to ensure that the pt estimate is sufficiently elevated at small angles.

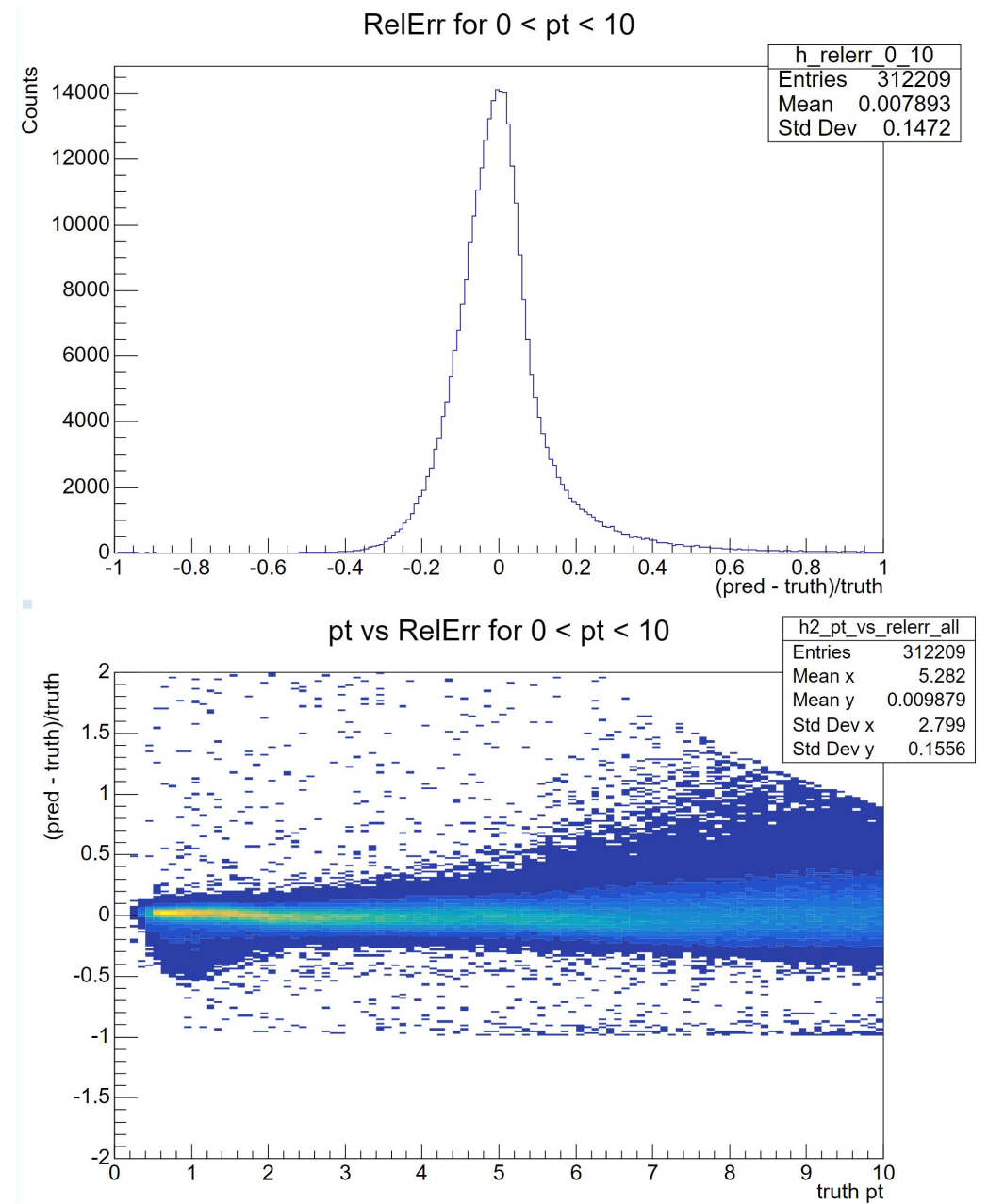
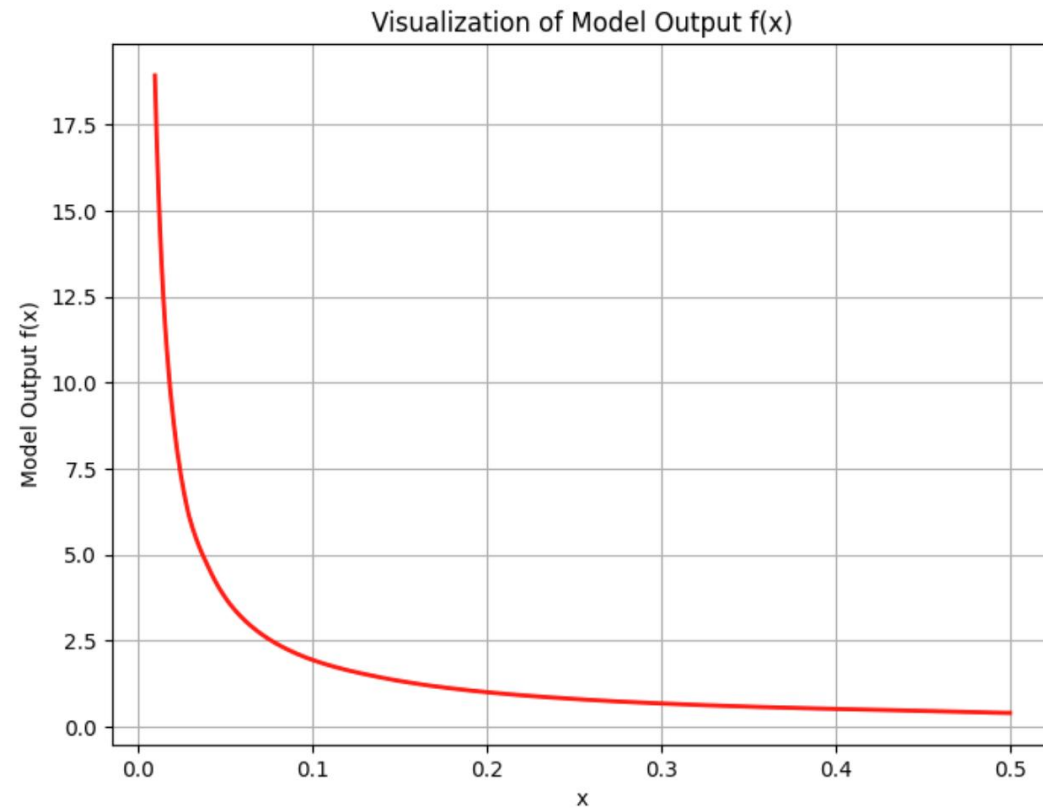
Dynamic weighting to prevent affecting data learning in the early stages.

Model1 - [INTT_R,Z + calo_R,Z,E]



Model2 - $[1/\Delta\Phi]$

model visualization



Train_combined model 1&2

X: [dphi_i, pt_pred1_i, calo_edep_i, pt_pred2_i] + pt_bin_onehot

Y: Truth_Pt

pt_est = 0.5 * (pt_dphi + pt_energy)

embed

pt_bin_edges = [0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10]

pt_bin_onehot = [0] * 10

MLP: 3hidden layer, hidden_dim=128

epochs=300

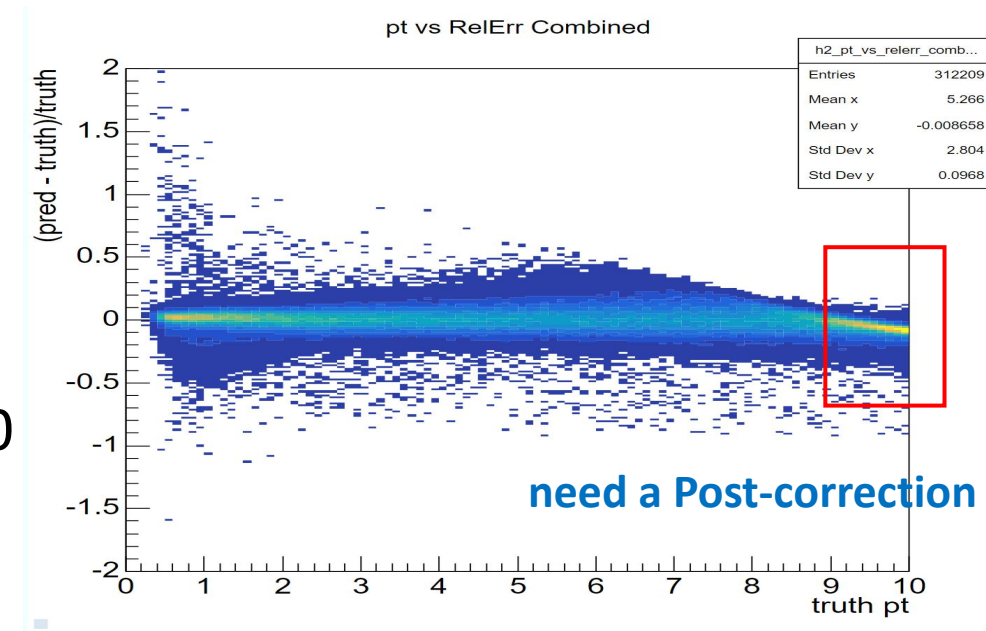
Loss:

pred = model(xb)

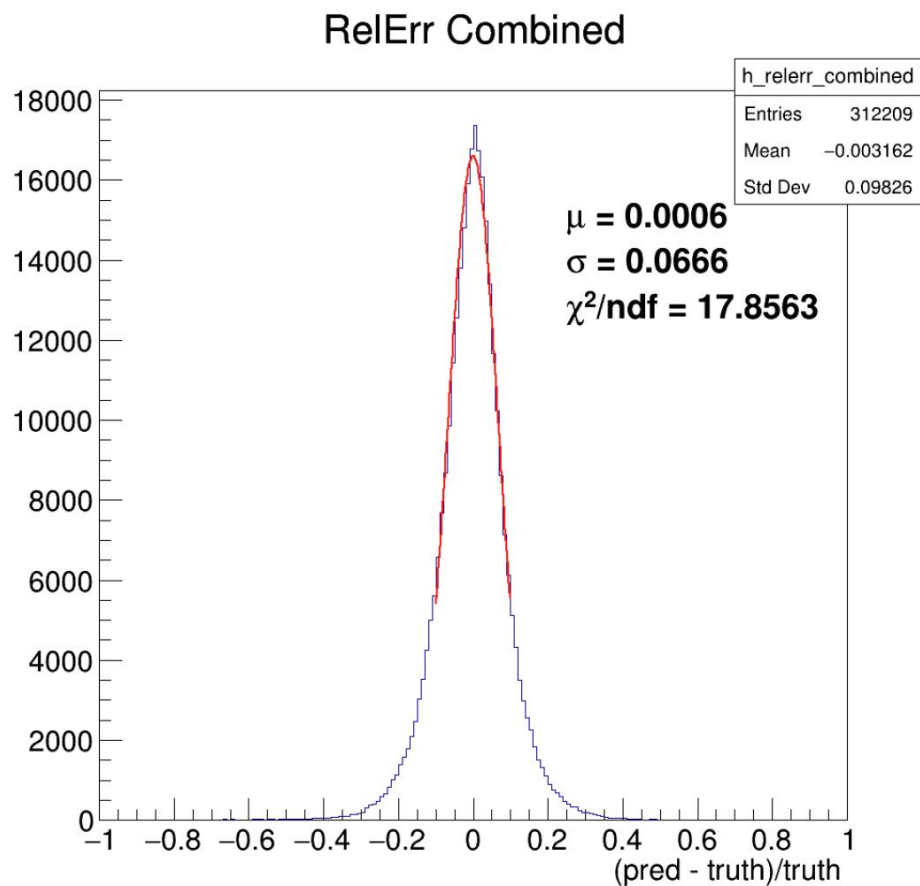
pt_reso = (yb - pred) / (yb)

weights = (pt_reso.abs() < 0.2).float() * 2.0 + 1.0

loss = ((pt_reso) ** 2 * weights).mean()



Performance

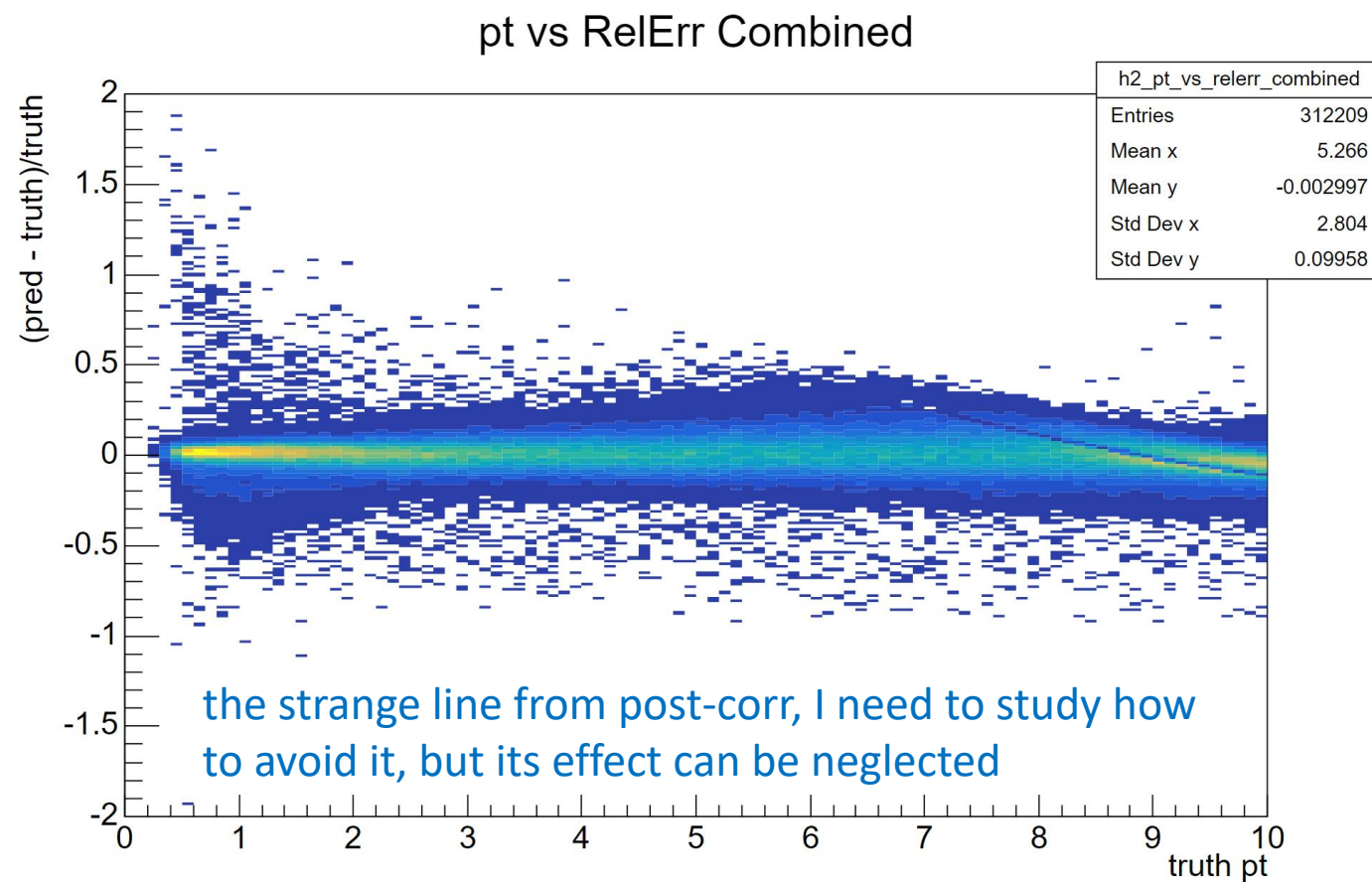


Post-correction

if reco_pt \geq 8.8:

correction_factor = $0.02 + 0.08 * (\text{reco_pt} - 8.8)$

pred_np[i] = reco_pt * (1.0 + correction_factor)



Better results: Better efficiency, Better bias, Better resolution

Summary

- Better efficiency: Only i-o INTT and calo have hits, with cluster deposited energy greater than 0.5 GeV.
- Better bias: The mean value and Gaussian peak are closer to zero compared to other reconstruction methods.
- Better resolution: The distribution is more symmetric, with the smallest width and the smallest standard deviation.
- The workflow, code, model configuration, hyper parameters, and post-corrections still need to be carefully checked.

Back up