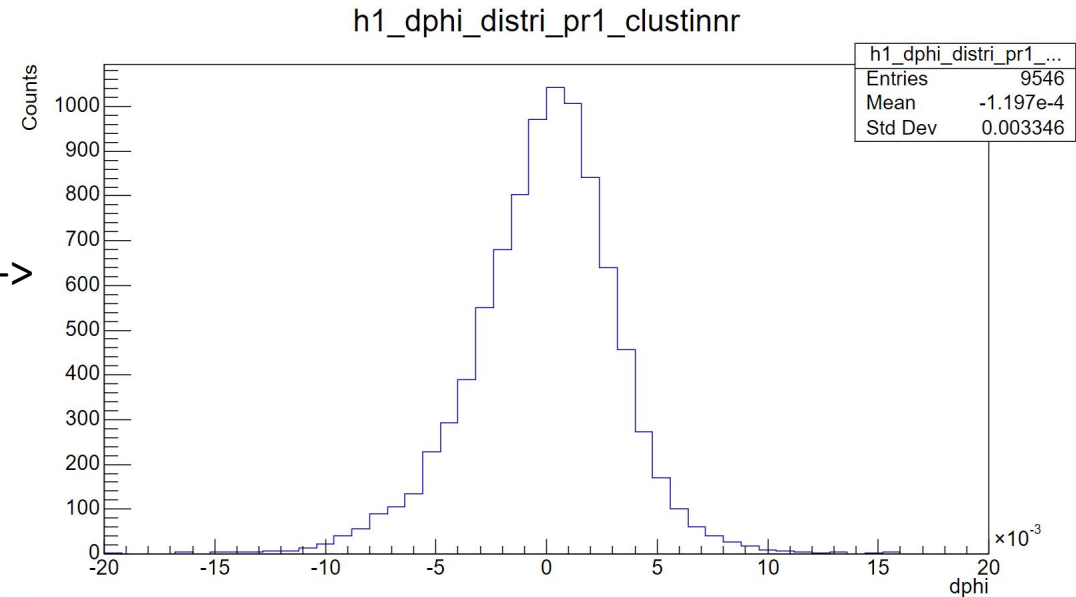
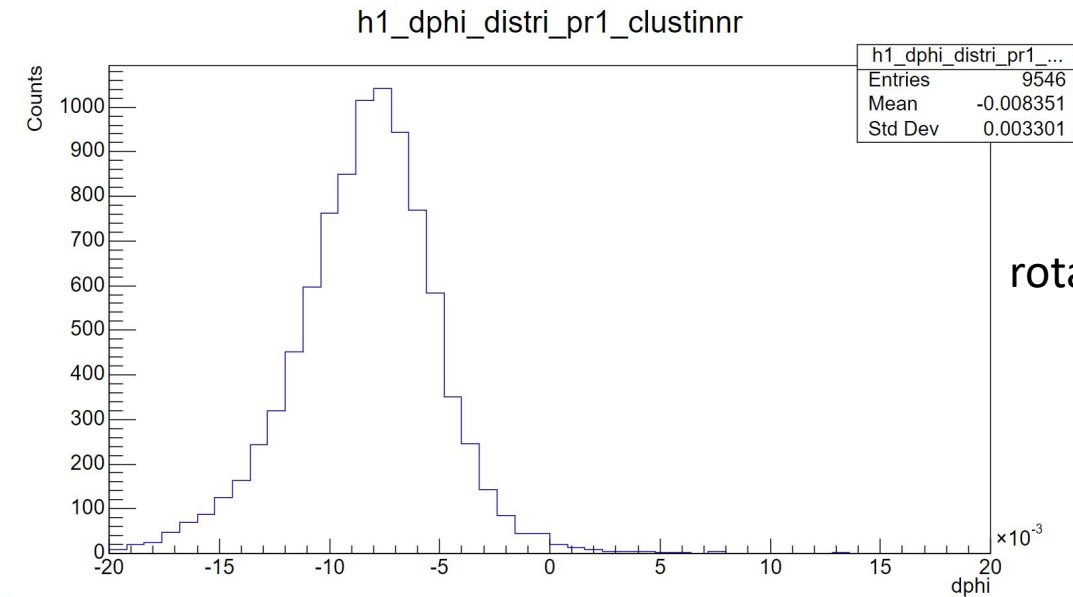


dphi(truth - reco) vs pT

# dphi(truth - reco) vs pT

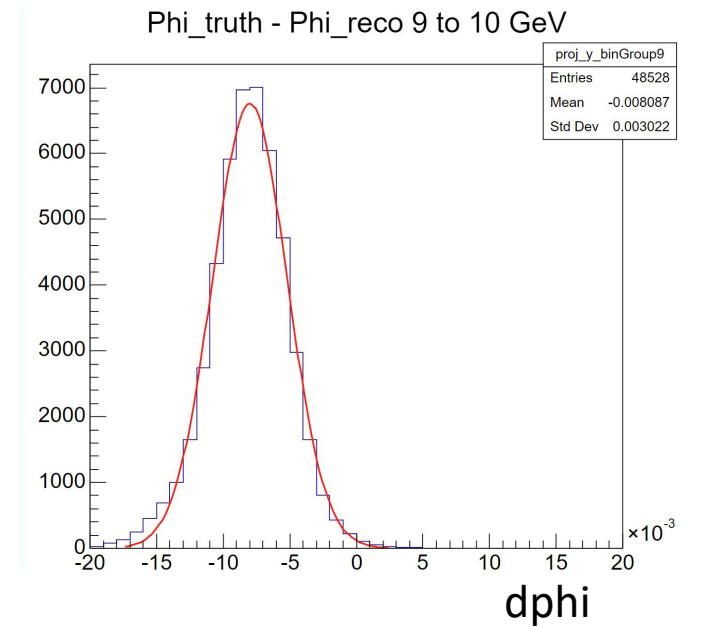
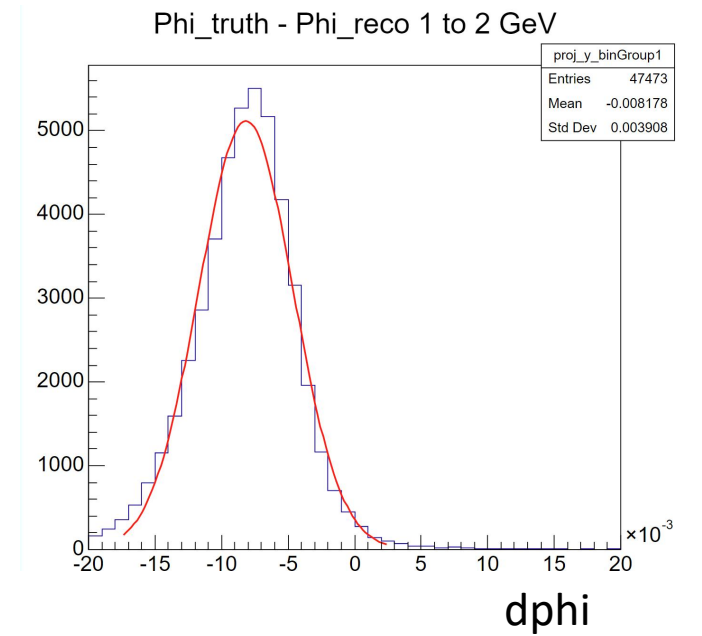
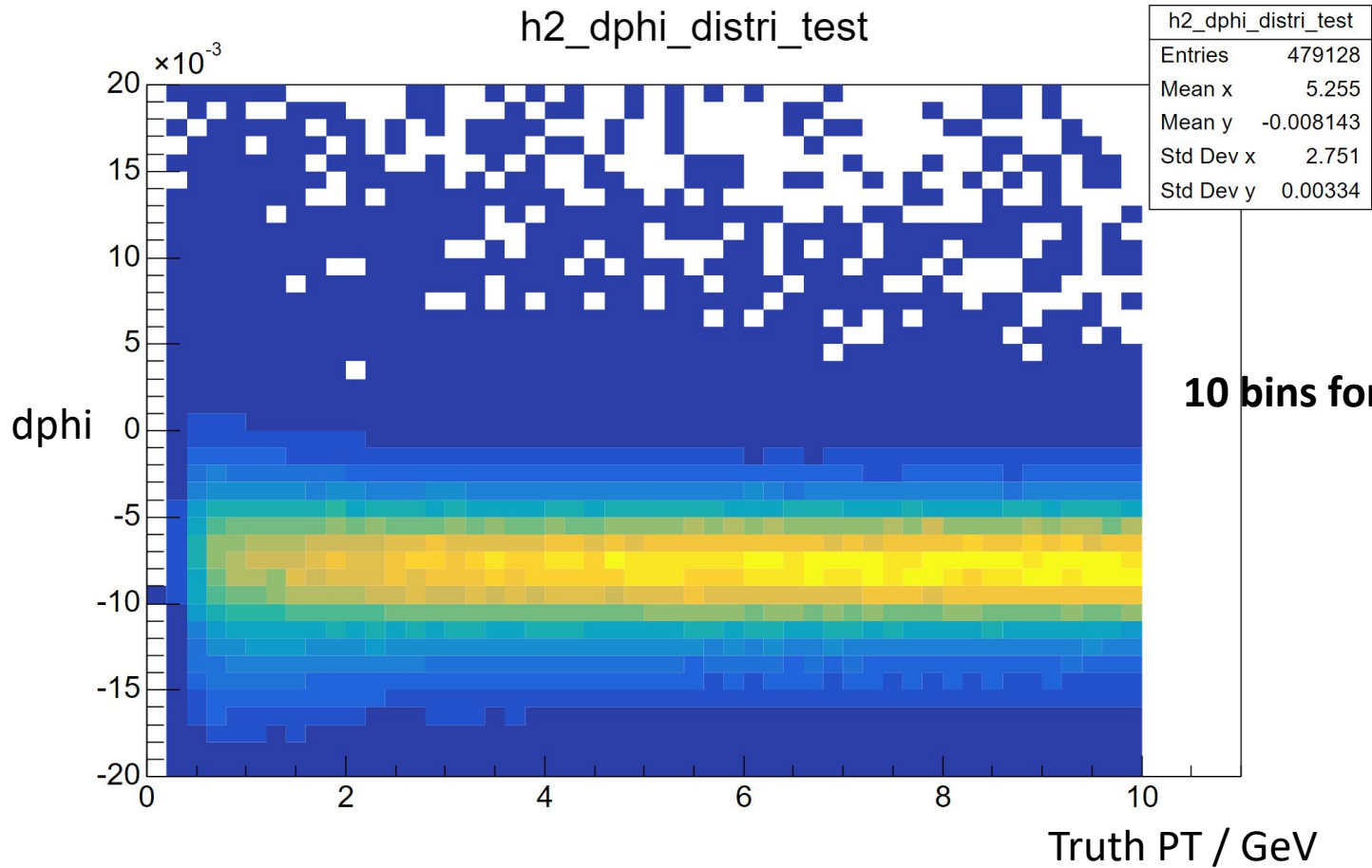
truth\_phi: electron hit on emcal surface phi  
reco\_phi: cluster inner face center phi



For the distributions without any corrections applied, we studied the dphi performance in different pt range.

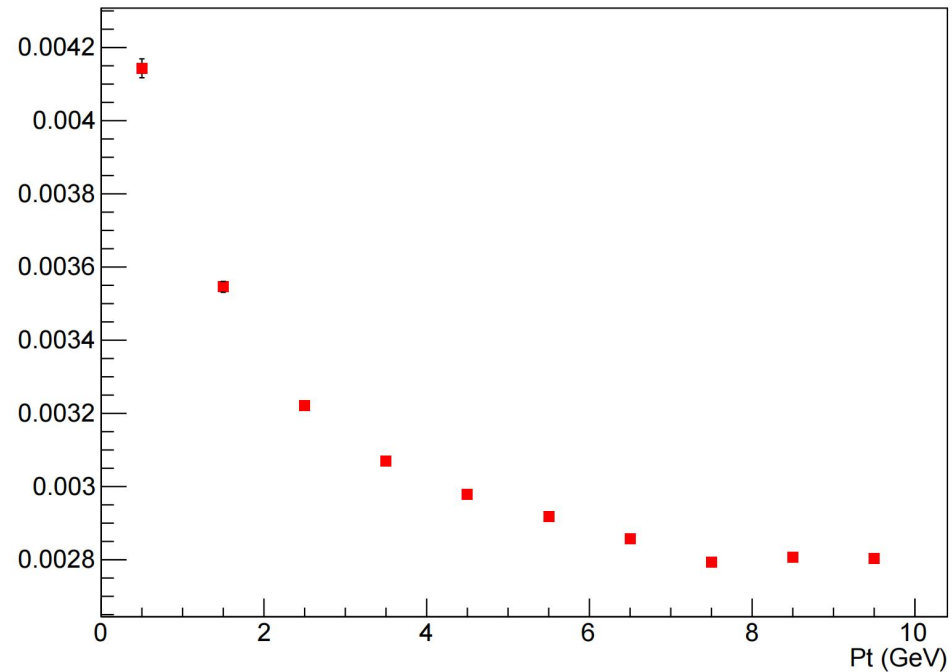
ps: There are many noisy towers in the EMCal, which take up a lot of storage. If we need to process a large number of events, we should apply an energy threshold when generating the pico DST; otherwise, we cannot be able to store many events.

# dphi(truth - reco) vs pT

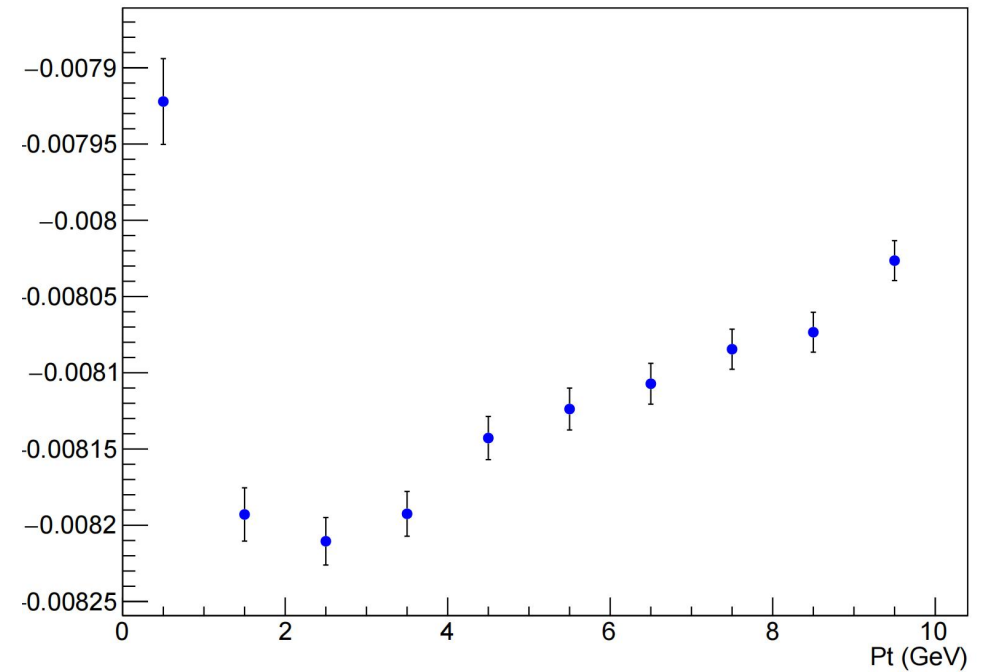


# dphi(truth - reco) vs pT

Resolution (Sigma) vs Pt



Peak position vs Pt



# ML4Reco

Jingyu

# Event

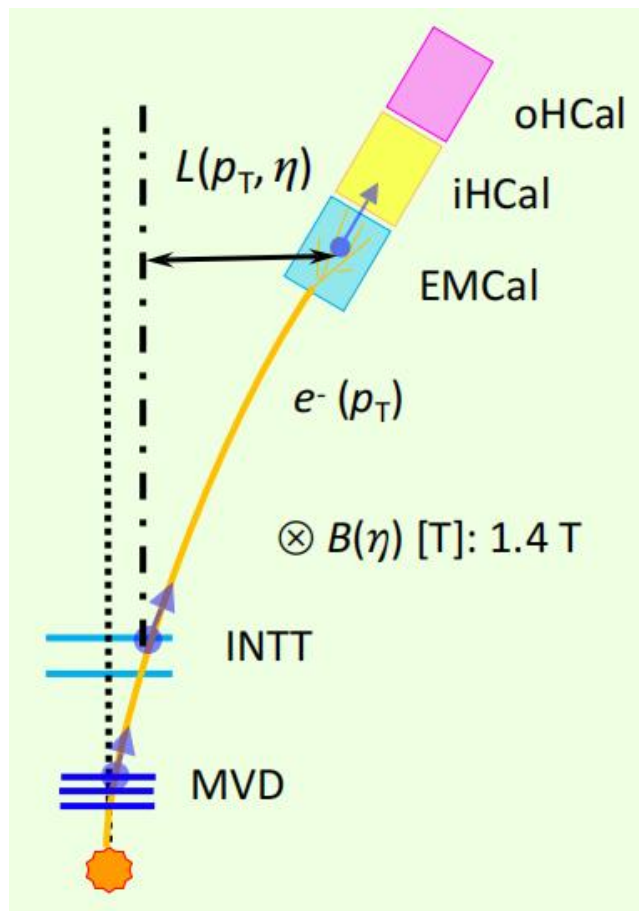
## **1M events simulation Based on Fun4all on sPHENIX**

```
INPUTGENERATOR::SimpleEventGenerator[0] -> add_particles("e-", 1);  
INPUTGENERATOR::SimpleEventGenerator[0] -> set_vtx(0, 0, 0);  
INPUTGENERATOR::SimpleEventGenerator[0] -> set_pt_range(0, 10); // GeV  
INPUTGENERATOR::SimpleEventGenerator[0] -> set_eta_range(-1.1, 1.1);  
INPUTGENERATOR::SimpleEventGenerator[0] -> set_phi_range(-M_PI, M_PI);
```

**0.5M for train and test, other 0.5M for showing performance**

**The data be used on showing performance is not same as train and test, no overfit in performance shown**

# Dataset



**trk\_feat:** 5 hits position 5\*3  
inner/outer INTT only 1 clus  
Select Closest Points of MVTX

## **calo\_feat:**

Calo cluster reco with inner face center,  
Calo cluster reco with volume center,  
9 towers that have max deposited energy (padding and cutting)

## **DATASETS:**

**X:** Feat\_select

**Y:** Truth\_Pt

# data scaler

if scaler is None:

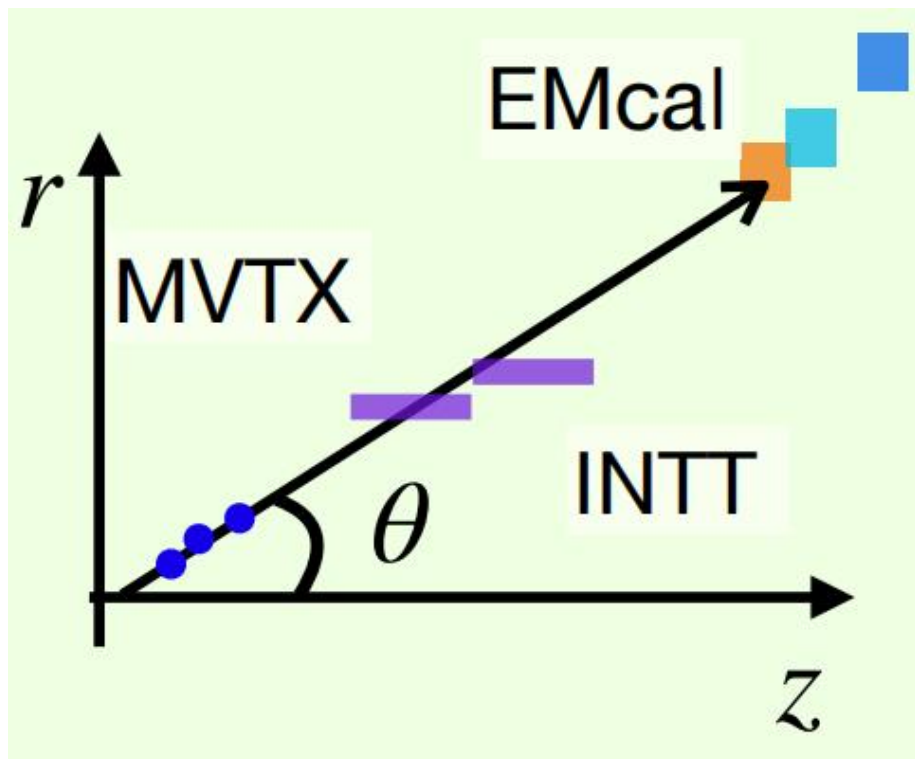
scaler = StandardScaler()

data\_X = scaler.fit\_transform(data\_X)

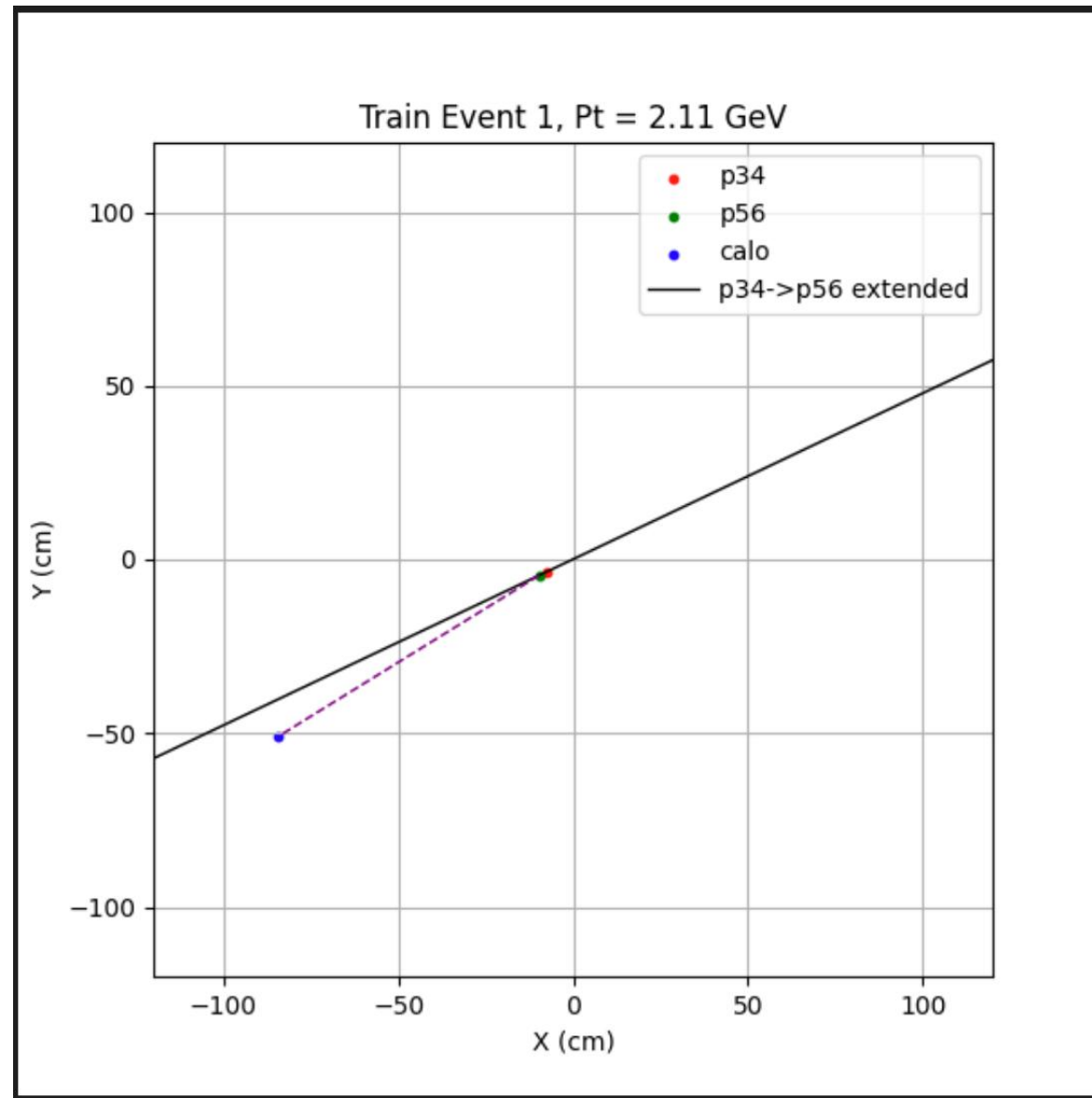
else:

data\_X = scaler.transform(data\_X)

# Dataset



[INTT\_R,Z + calo\_R,Z,E]

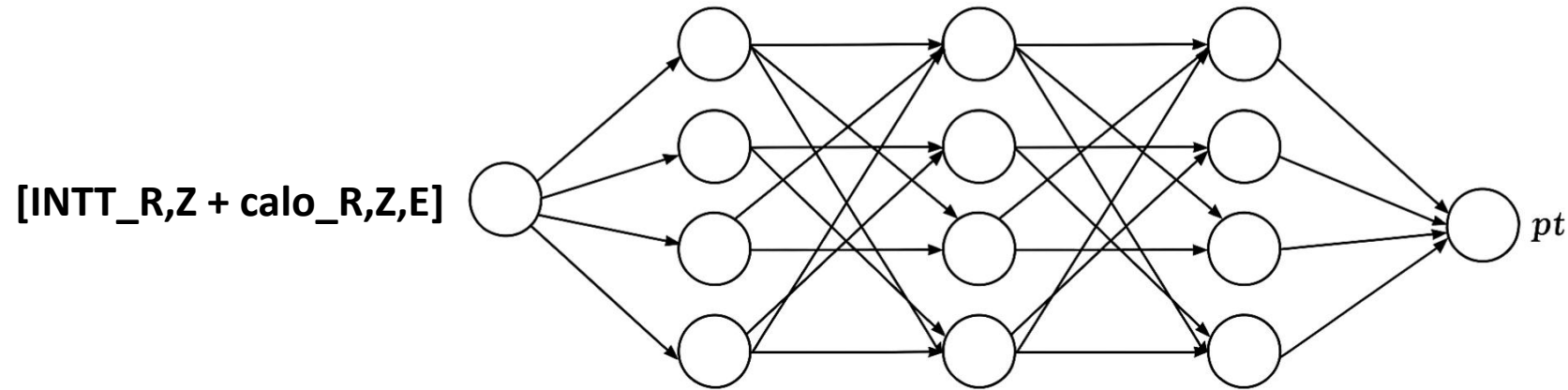


[ $1/\Delta\Phi$ ]

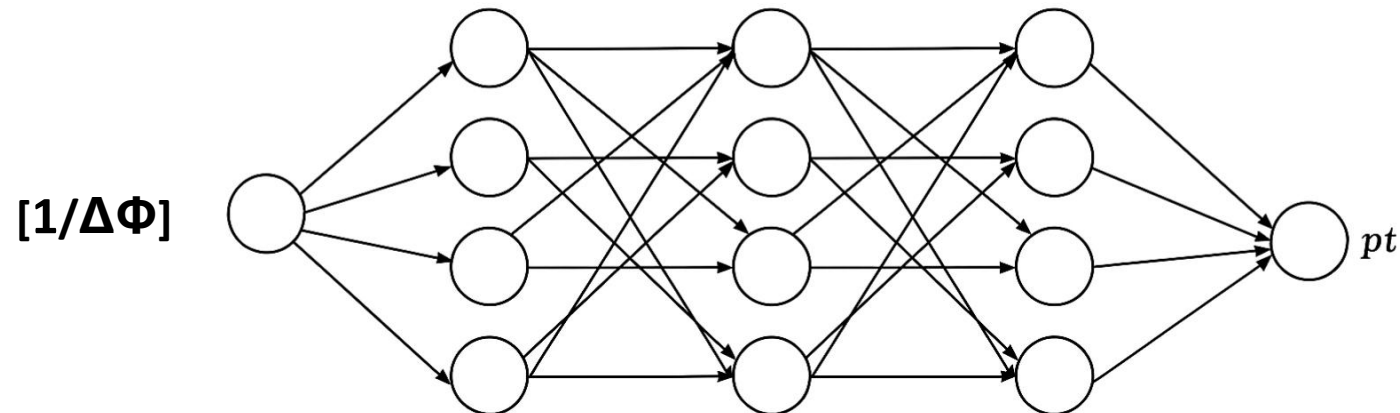
# Model

In the training from angle to pt, in addition to using resolution as the loss, some additional penalty mechanism are also needed.

Therefore, a simple approach is to train separately first, and then combine the results.



**MLP1: 3hidden layer, hidden\_dim=256, nn.Dropout(0.2)**



**MLP2: 3hidden layer, hidden\_dim=256, nn.Dropout(0.2)**

# Train\_model1 - [INTT\_R,Z + calo\_R,Z,E]

Hyper parameters:

- batch\_size=1024, epochs=200, lr=5e-5, val\_ratio=0.3

Loss function:

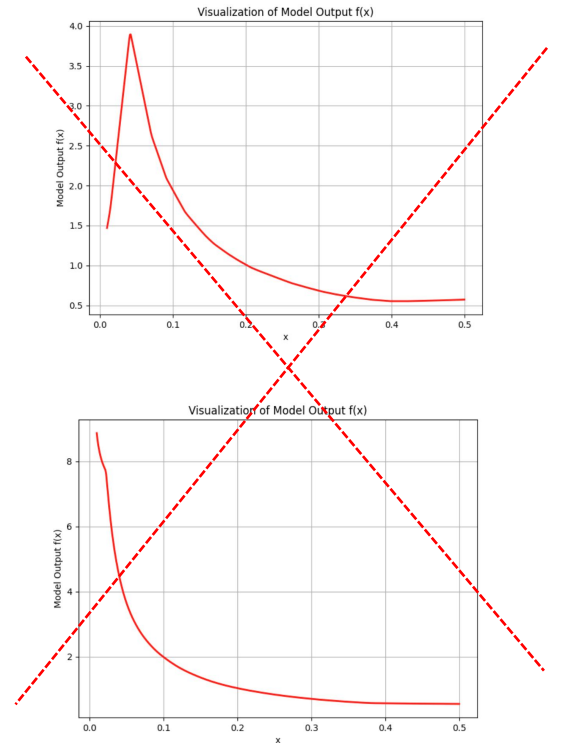
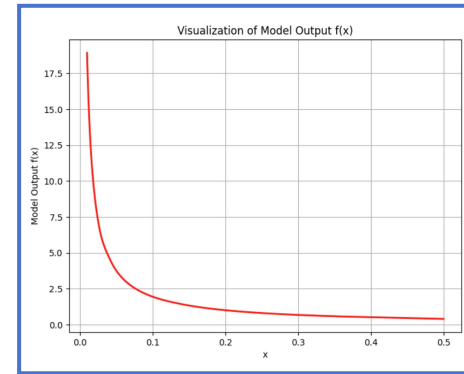
- $pt\_reso = (yb - pred) / (yb + 1e-6)$  Relative resolution,  
1e-6 to prevent division by zero.
- $weights = (pt\_reso.abs() < 0.2).float() * 2.0 + 1.0$  Increase the weight inside the peak,  
reduce the influence of outlier data points
- $loss = ((pt\_reso) ** 2 * weights).mean()$  Use squared values instead of absolute values to  
make the peak position closer to zero.
- if val\_loss < best\_val\_loss: Saved best model

# Train\_model2 - $[1/\Delta\Phi]$

epochs=500.

Loss function:

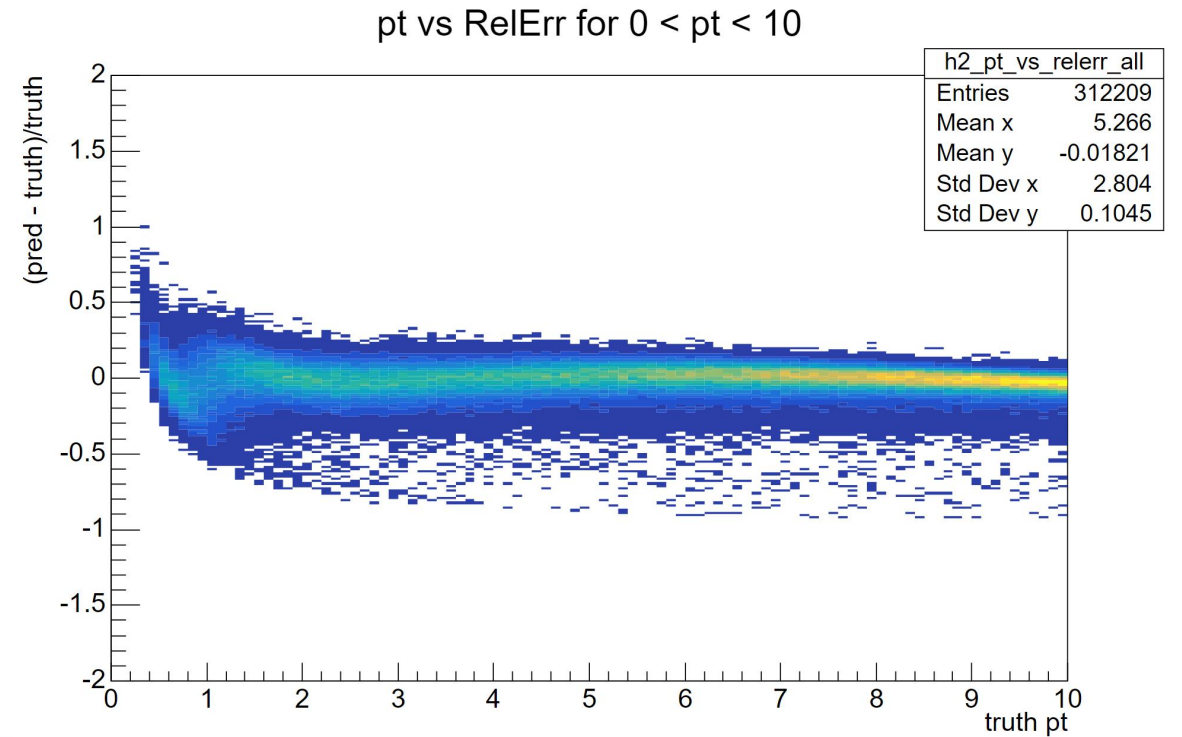
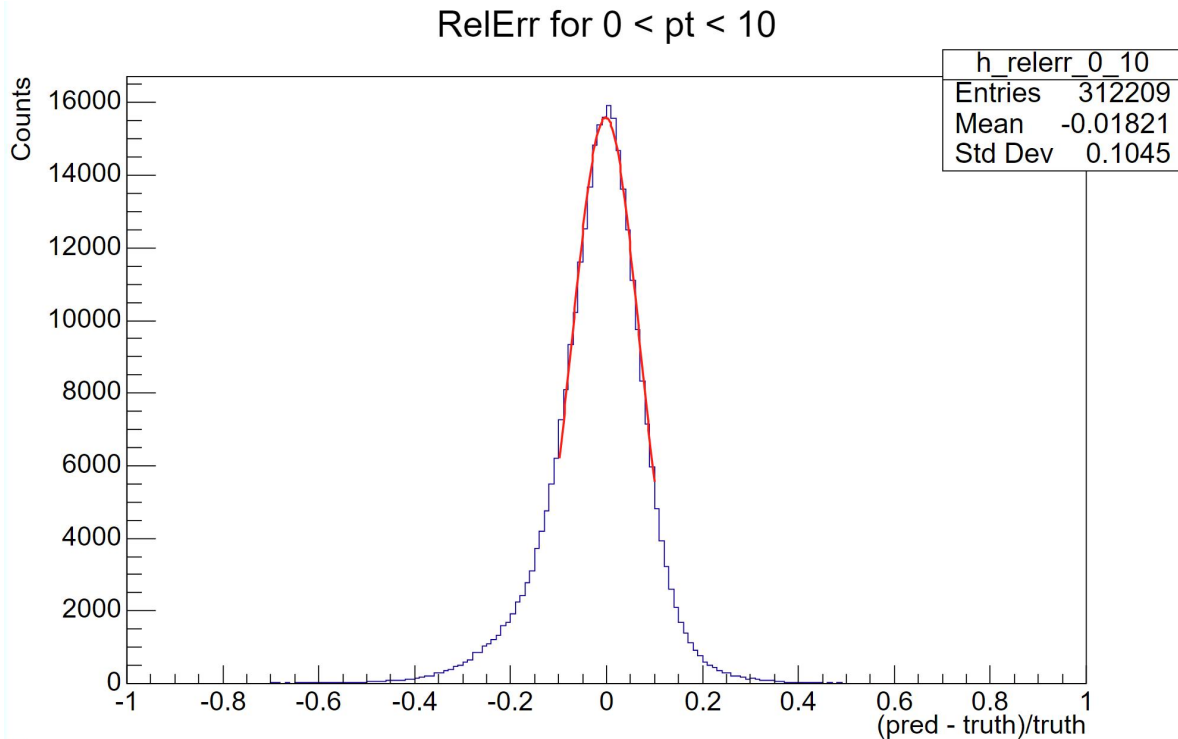
- $pt\_reso = (yb - pred) / (yb + 1e-6)$
- $weights = (pt\_reso.abs() < 0.2).float() * 2.0 + 1.0$
- $main\_loss = ((pt\_reso) ** 2 * weights).mean()$
- **monotonic\_loss** **requires pt to decrease as the angle increases; otherwise, oscillations may occur.**
  - $\lambda_{mono} = 0.3$
- **boundary\_loss**
  - $[0.5, 1, 2, 10, 15, 25, 50, 100, 200] \rightarrow [0.0961, 0.1922, 0.3844, 1.922, 2.883, 4.805, 9.61, 19.22, 38.44]$  :
  - $\lambda_{boundary} = \min(0.005 * epoch, 0.2)$
- $loss = main\_loss$
- $+ \lambda_{mono} * monotonic\_loss$
- $+ \lambda_{boundary} * boundary\_loss$



**Add boundary conditions outside the data range to ensure that the pt estimate is sufficiently elevated at small angles.**

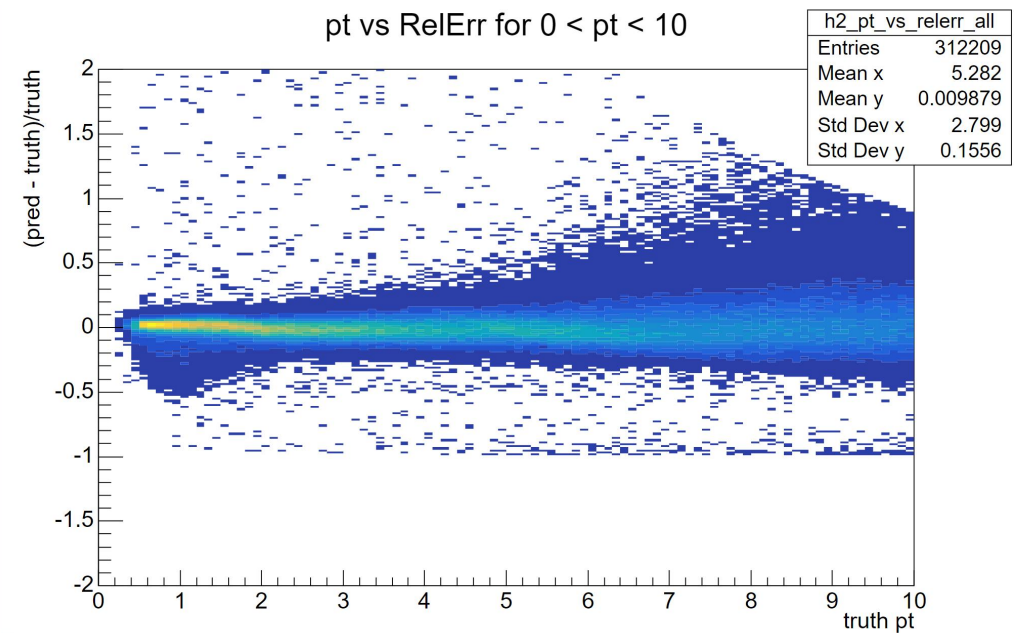
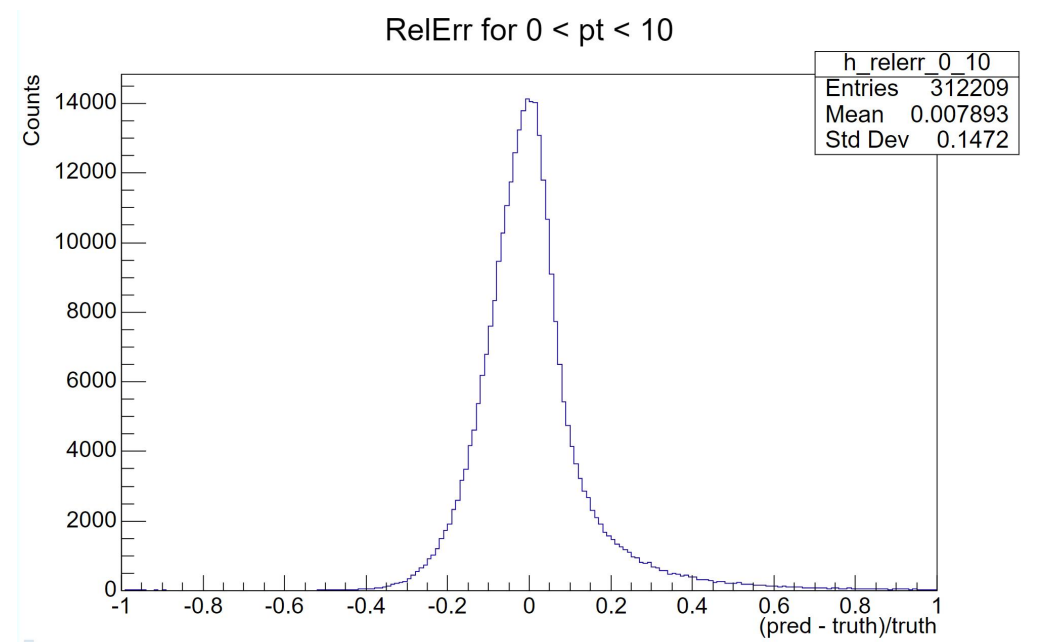
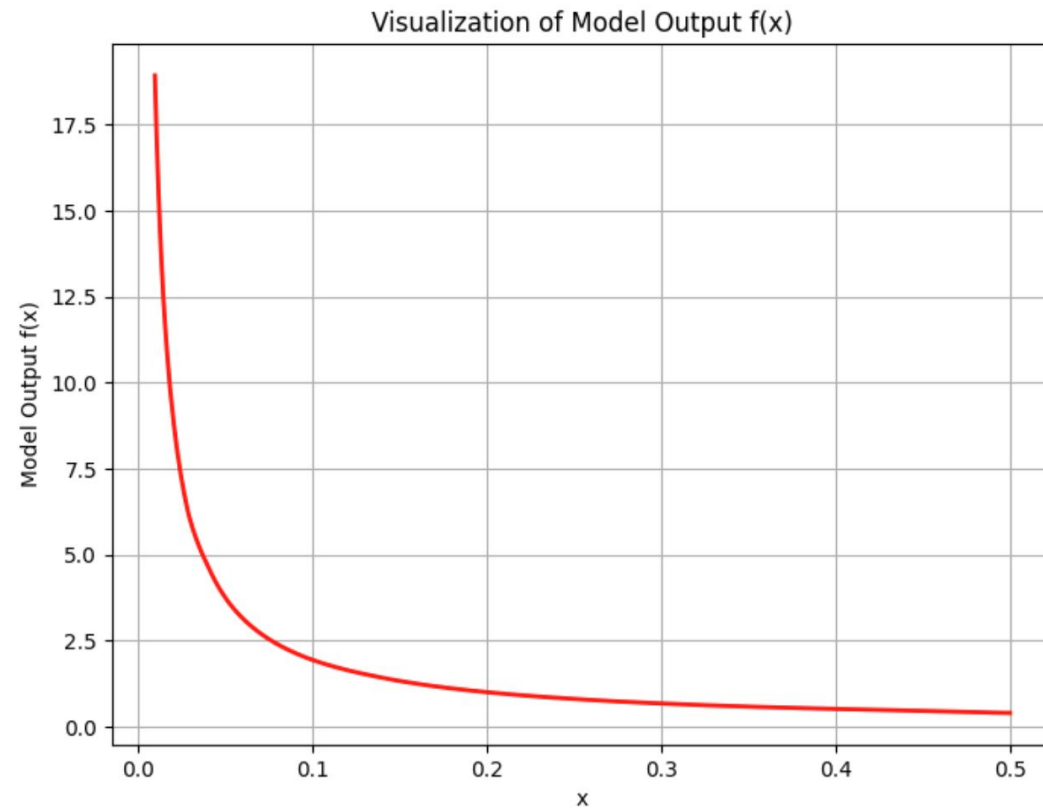
**Dynamic weighting to prevent affecting data learning in the early stages.**

# Model1 - [INTT\_R,Z + calo\_R,Z,E]



# Model2 - $[1/\Delta\Phi]$

## model visualization



# Train\_combined model 1&2

X: [dphi\_i, pt\_pred1\_i, calo\_edep\_i, pt\_pred2\_i] + pt\_bin\_onehot

Y: Truth\_Pt

pt\_est = 0.5 \* (pt\_dphi + pt\_energy)

# embed

pt\_bin\_edges = [0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10]

pt\_bin\_onehot = [0] \* 10

MLP: 3hidden layer, hidden\_dim=128

epochs=300

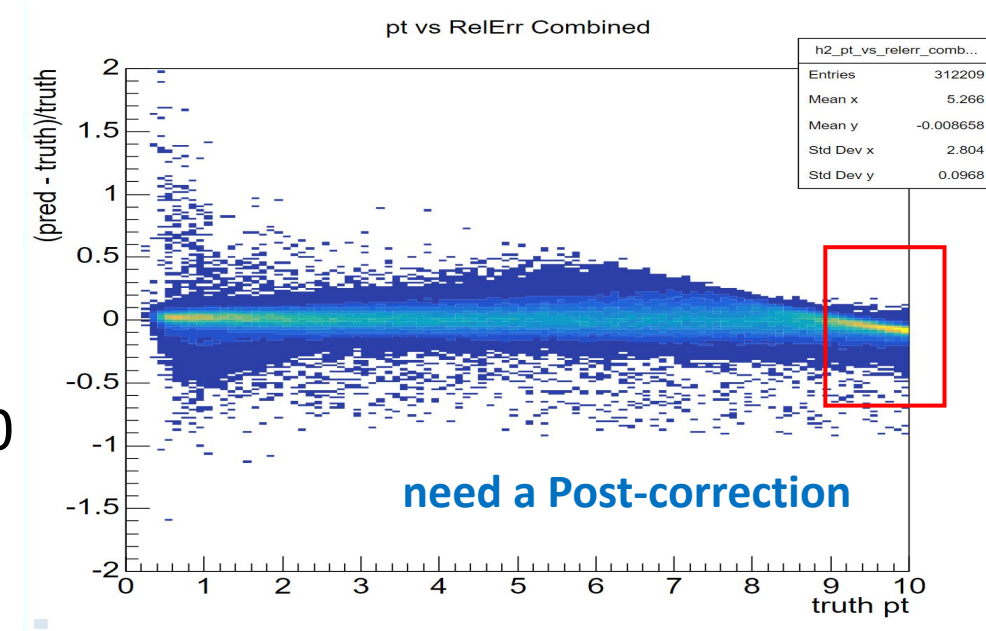
Loss:

pred = model(xb)

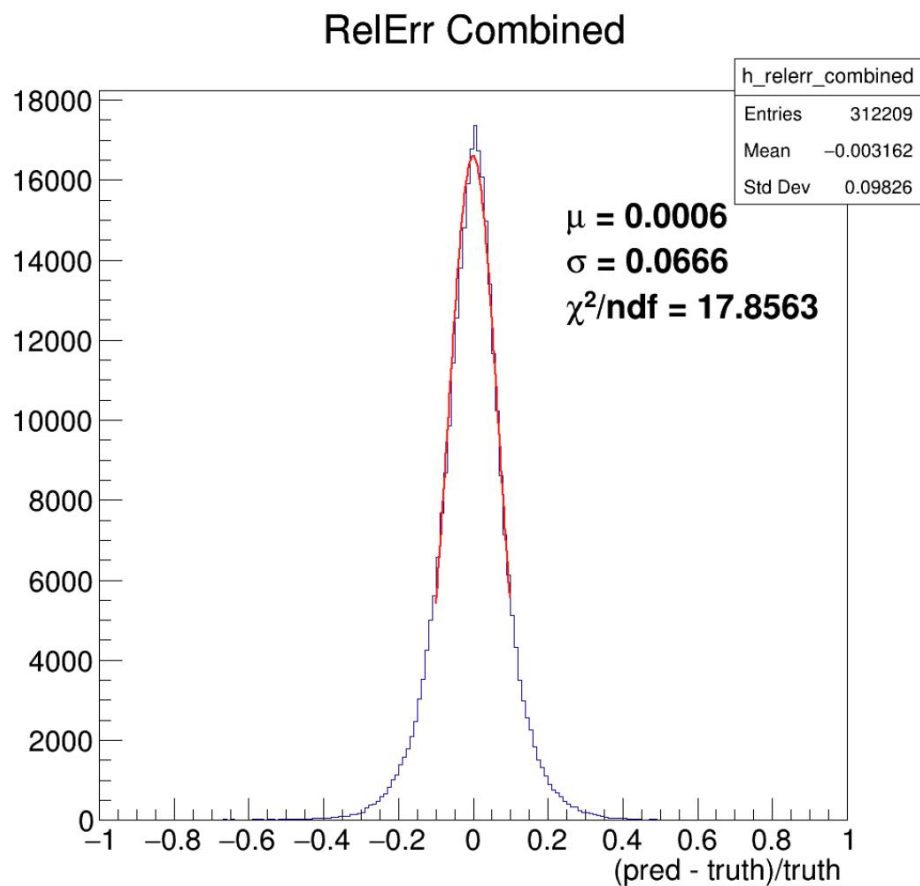
pt\_reso = (yb - pred) / (yb)

weights = (pt\_reso.abs() < 0.2).float() \* 2.0 + 1.0

loss = ((pt\_reso) \*\* 2 \* weights).mean()



# Performance

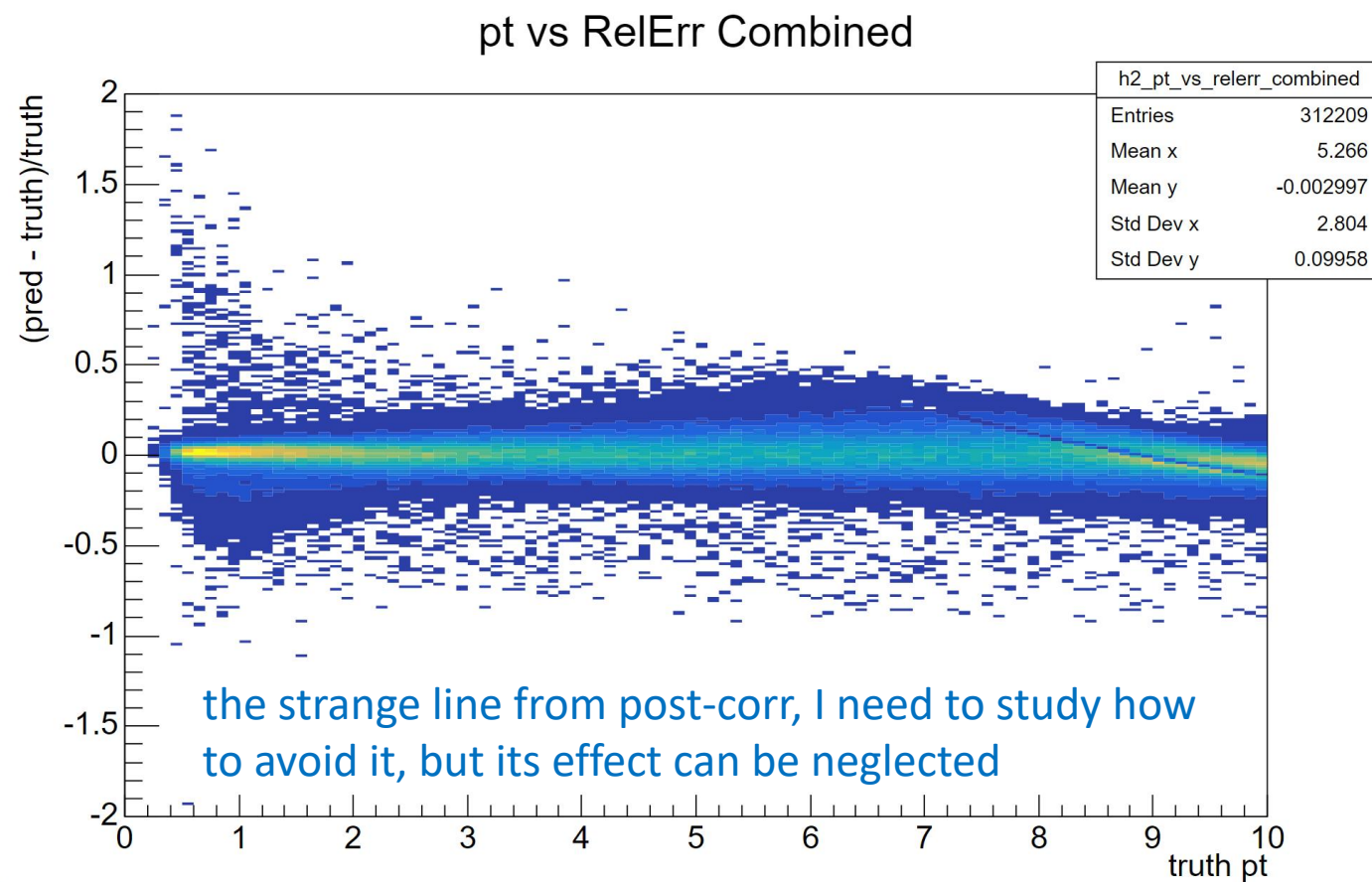


## Post-correction

if reco\_pt  $\geq$  8.8:

correction\_factor =  $0.02 + 0.08 * (\text{reco\_pt} - 8.8)$

pred\_np[i] = reco\_pt \* (1.0 + correction\_factor)



Better results: Better efficiency, Better bias, Better resolution

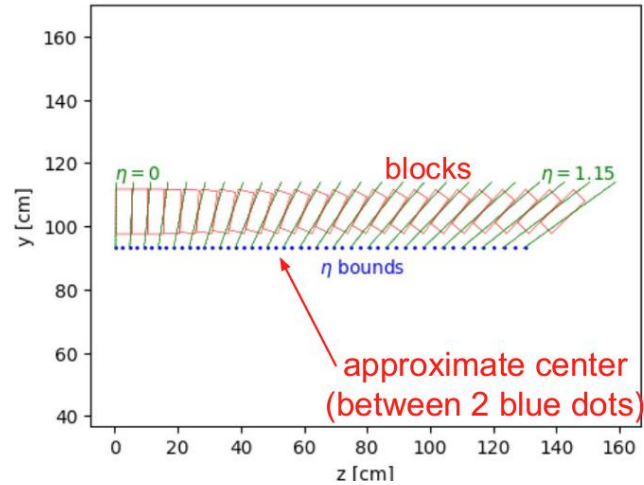
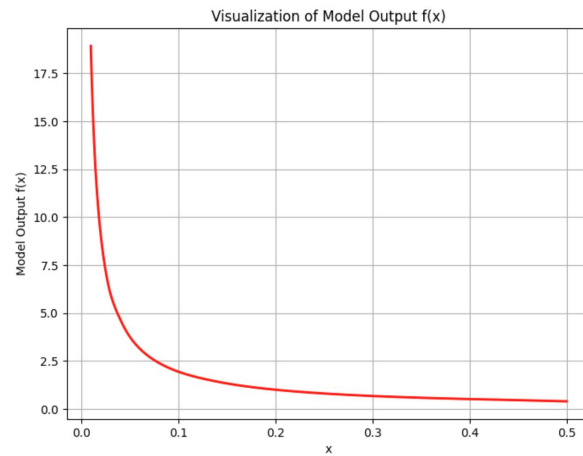
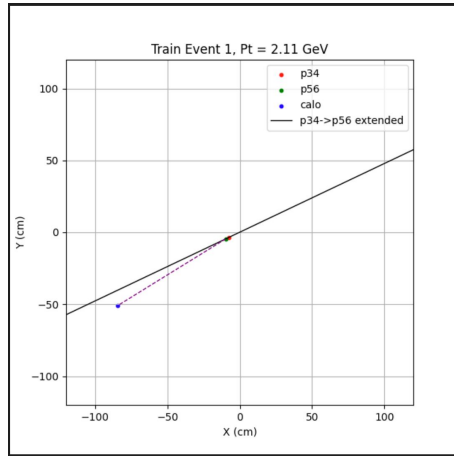
# Summary

- Better efficiency: Only i-o INTT and calo have hits, with cluster deposited energy greater than 0.5 GeV.
- Better bias: The mean value and Gaussian peak are closer to zero compared to other reconstruction methods.
- Better resolution: The distribution is more symmetric, with the smallest width and the smallest standard deviation.
- The workflow, code, model configuration, hyper parameters, and post-corrections still need to be carefully checked.

# Discuss on 0620

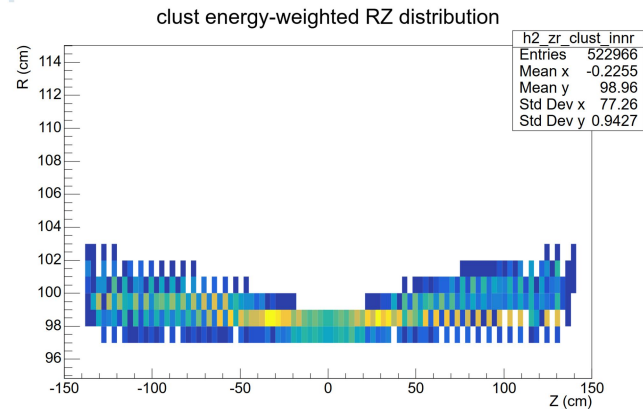
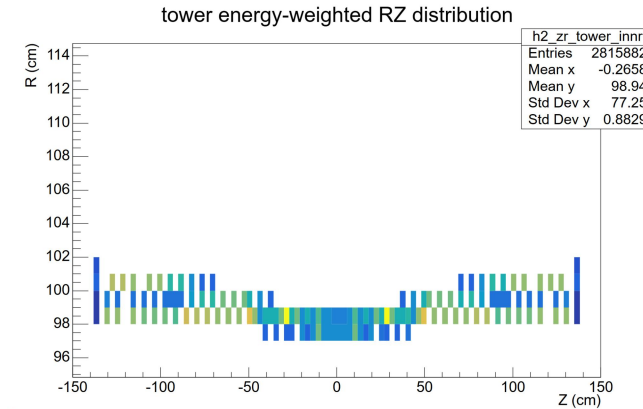
- reco and analysis on a fix R?
- a better function to require model2
- consider charge hadron into our study

# Get $\Delta\phi$ from a fix R

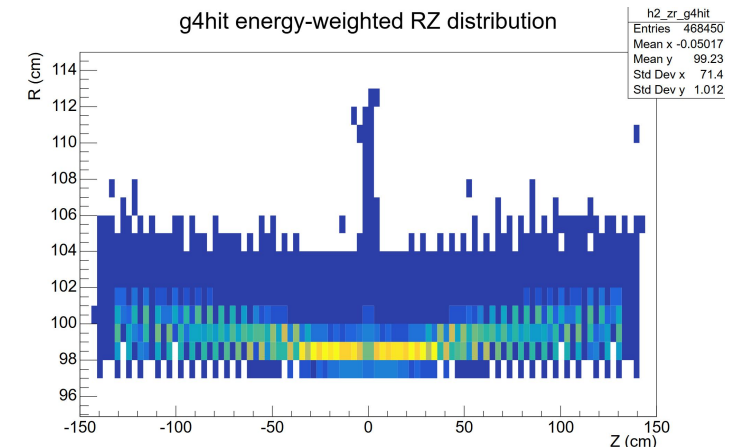


Due to the slant and sawtooth arrangement of the EMCAL towers, both the recorded hit positions and the reconstructed cluster positions are not located at a fixed radius.

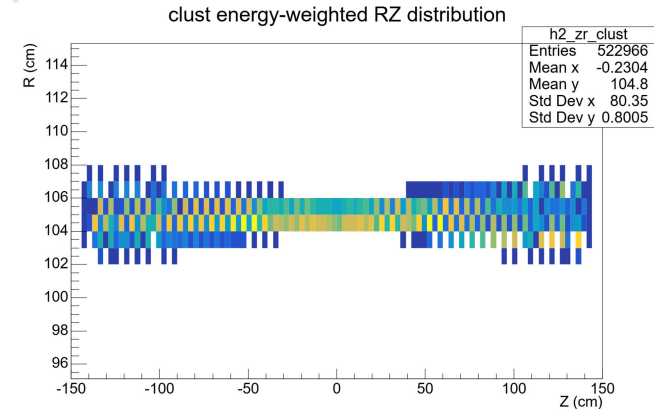
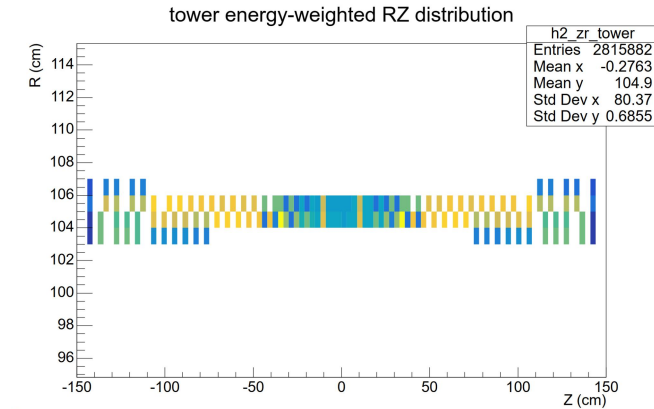
inner face:



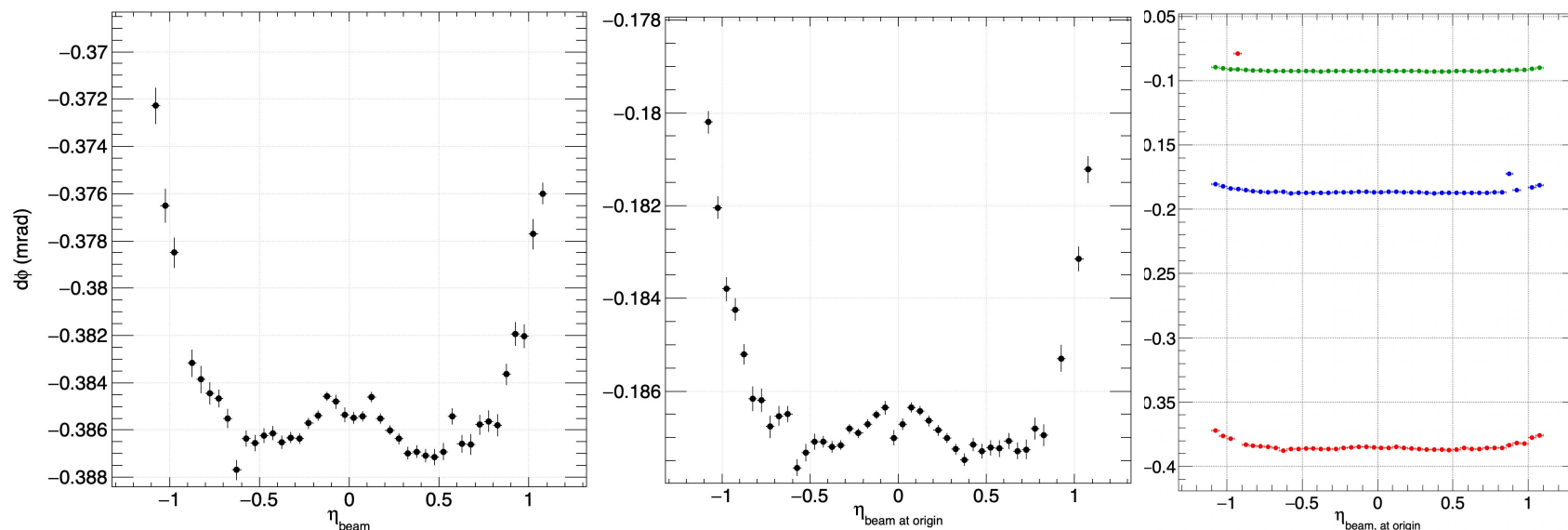
hit position:



volume center:



# Genki: pt function of angel have eta dependence



[0.5, 1, 2, 10, 15, 25, 50, 100, 200]

->

[0.0961, 0.1922, 0.3844, 1.922, 2.883, 4.805, 9.61, 19.22, 38.44]

Former:  $pT = 0.1922 / \Delta\phi$

Now: Maybe we need a new function consider the eta dependence and for a fix R

From the discussion on Mattermost:

we can see the dependence of pT on  $\Delta\phi$ , as well as its  $\eta$  dependence. If there is a better function that describes pT as a function of both  $\Delta\phi$  and  $\eta$ , I could incorporate more accurate boundary conditions, which might lead to improved results.

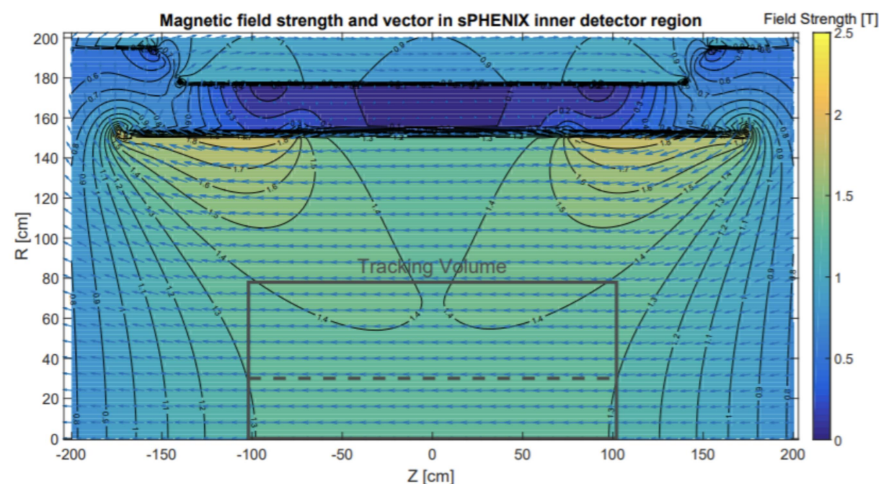


Figure 12. Field Map of the sPHENIX Solenoid

# consider pion(charge hadron) into model

- Because the RCF has been quite busy recently, the jobs are running very slowly, so I still have no charge hadron simulation data.