

**eA physics  
at  
Electron-Ion Collider (EIC)**

**Jianwei Qiu  
Brookhaven National Laboratory**

**RIKEN workshop on “Future Directions in High Energy QCD”  
RIKEN, Wakoshi, Japan, October 20-22, 2011**

# Outline of my talk

- **Surprises from high energy nuclear collisions**
- **EIC will be the first eA collider (if built before LHeC)**
  - ✧ Non-linear gluon dynamics of QCD – dynamical mass scale?
  - ✧ Could a nucleus acts as a big proton – color correlation?
  - ✧ 3-D spatial imaging of a nucleus?
  - ✧ Could nuclear matter be an effective filter for hadronization?

## □ **Effort of the community:**

INT workshop:

<http://www.int.washington.edu/PROGRAMS/10-3/>

Report: [arXiv: 1108.1713](https://arxiv.org/abs/1108.1713)

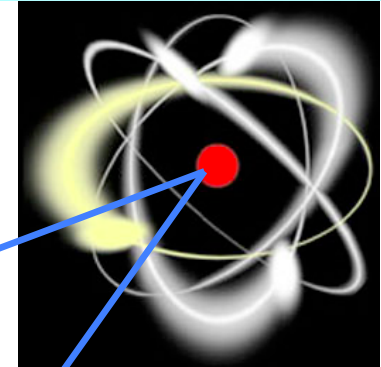
EIC Whitepaper: under intensive construction now

# The matter

## □ The atom:

Electrons: zooming around at high  $v$

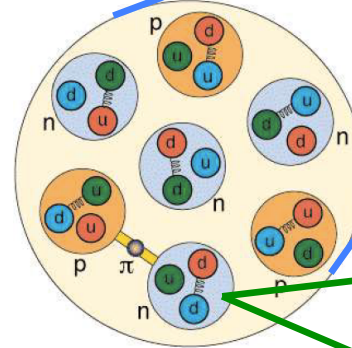
Nucleus: localized “point-like” charge source



## □ The nucleus:

Pions: short-range force

Nucleons: Color-charge neutral



## □ The nucleon (so as pions):

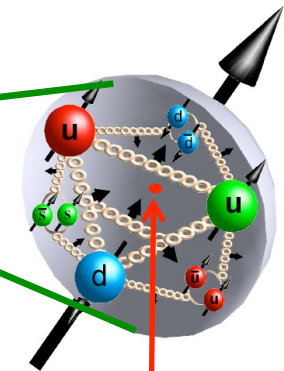
Quarks: “point-like” spin-1/2 fermions

Gluons: “point-like” spin-1 bosons

Zooming around at  $v \sim c$ : No localized charge source

## □ QCD hard probes ( $Q > 2 \text{ GeV} \sim r < 1/10 \text{ fm}$ ):

See only quarks and gluons!



$< 1/10 \text{ fm}$

**Quark-Gluon Nuclear Physics**

# Is Quark-Gluon Nuclear Physics interesting?

## □ Facts:

Hard probe:  $Q > \text{GeV}$

Nuclear binding:  $\sim \text{MeV}$

## □ Naïve expectation:

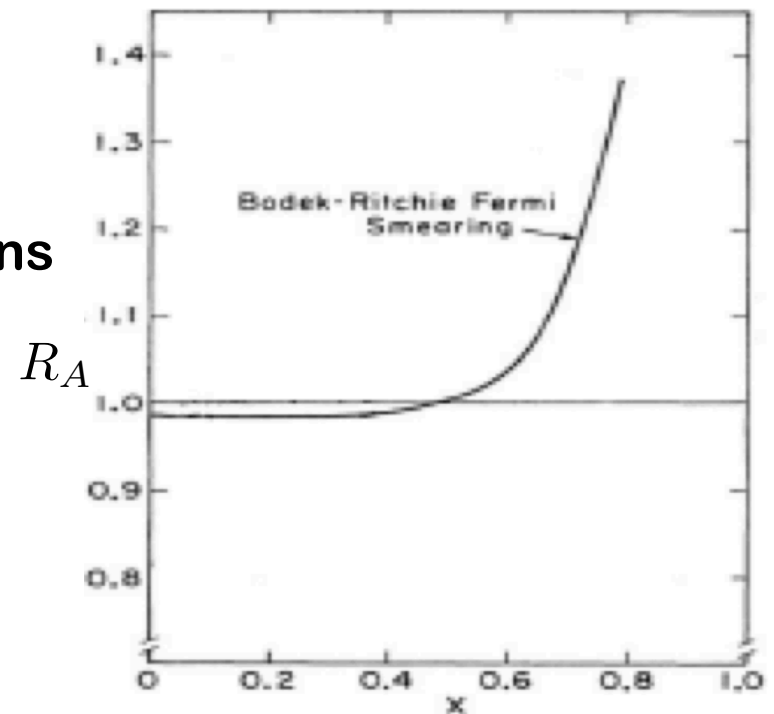
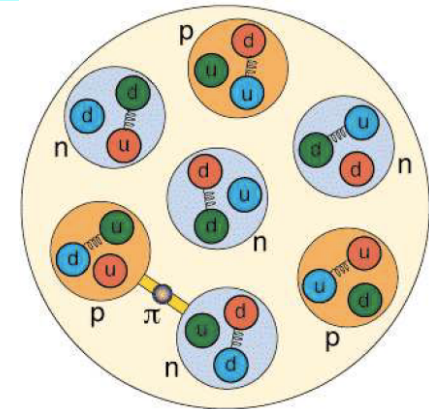
DIS off a bound nucleon in a nucleus

$\approx$  DIS off a free nucleon

- ✧ Probably with some small corrections from Fermi motion of nucleons

$$\sigma_{eA}(x, Q) \approx Z\sigma_{ep}(x, Q) + (A - Z)\sigma_{en}(x, Q)$$

- ✧ Nuclear target was used to enhance the production rate



Quark-Gluon Nuclear Physics might not be very interesting?

# EMC Effect – 1983

## □ Anomalous A-dependence:

### ✧ Process:

$$\ell(l) + A(p_A) \rightarrow \ell'(l') + X$$

### ✧ Inclusive observable – structure functions:

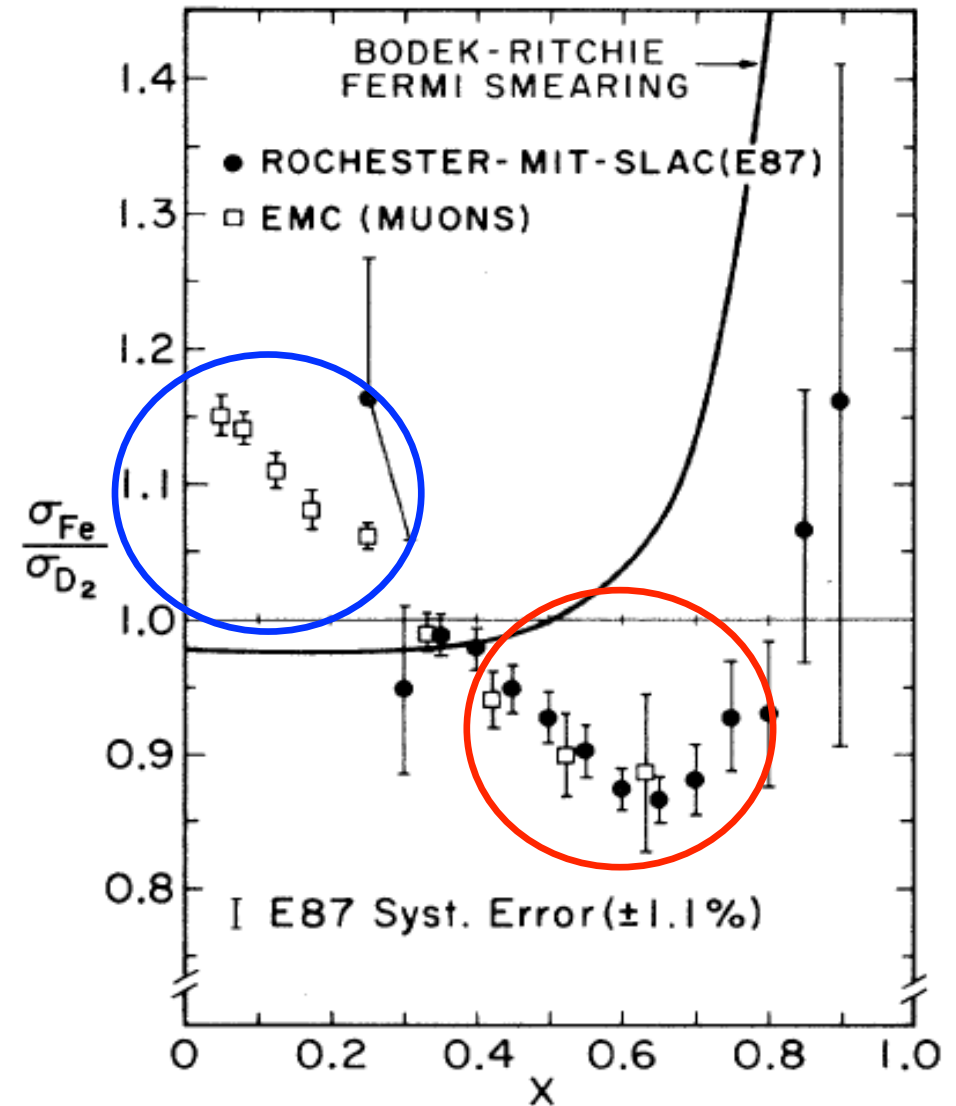
$$R_{F_2} = \frac{\frac{1}{A} F_2^A(x, Q^2)}{\frac{1}{2} F_2^D(x, Q^2)} \neq 1$$

### ✧ Variables:

$$x = \frac{Q^2}{2(p_A/A) \cdot q}$$

$$Q^2 = -q^2 = -(l - l')^2$$

**Nucleus ≠ simple sum of  
free nucleons!**

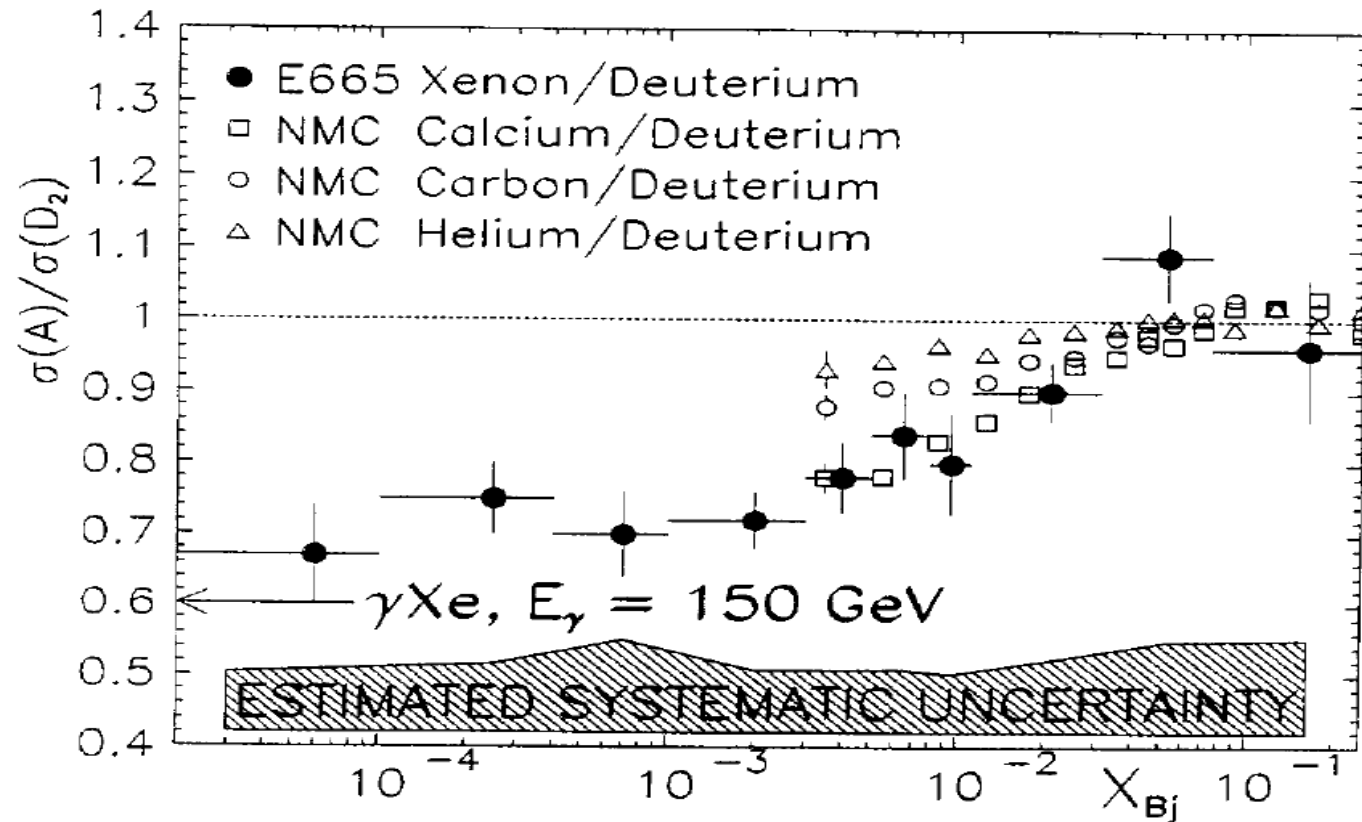


Aubert et al., Phys. Lett. B123, 275 (1983)

# Nuclear shadowing

E665 Collaboration, PRL 68, 3266 (1992)

## Strong suppression at small-x:



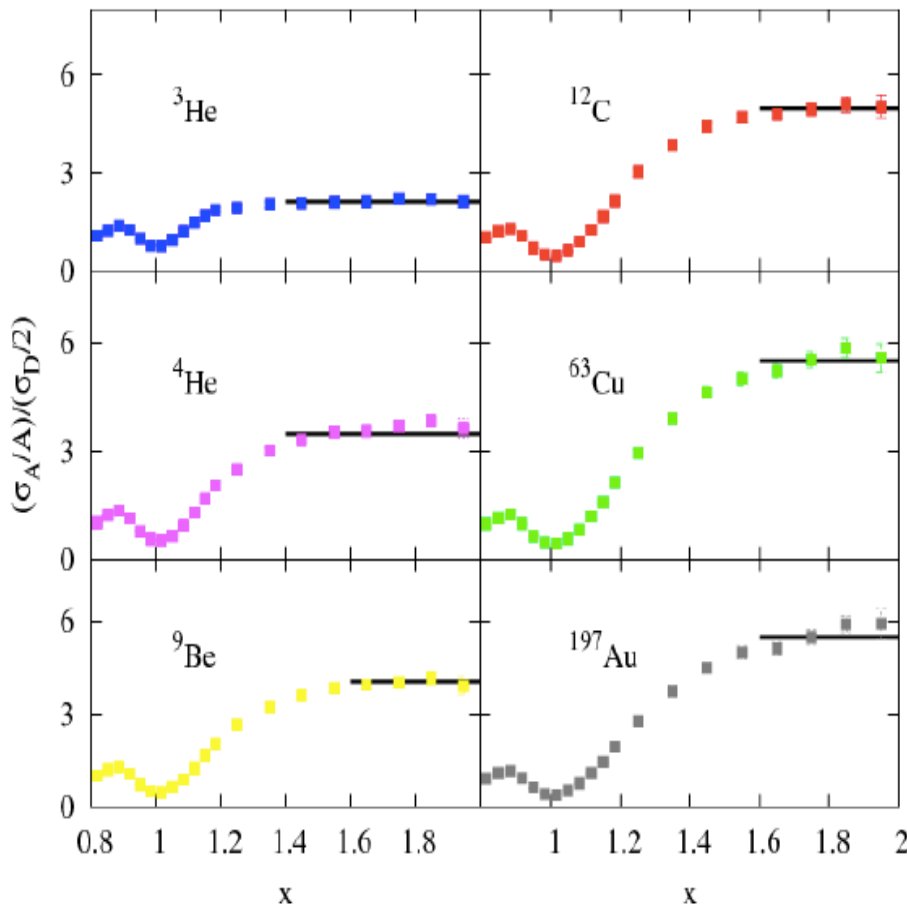
- ✧ Hard probe is not localized in “z” direction:  $\frac{1}{xp} > 2R \frac{m}{p}$
- ✧ Parton recombination, saturation, CGC, ...

# Super fast quarks

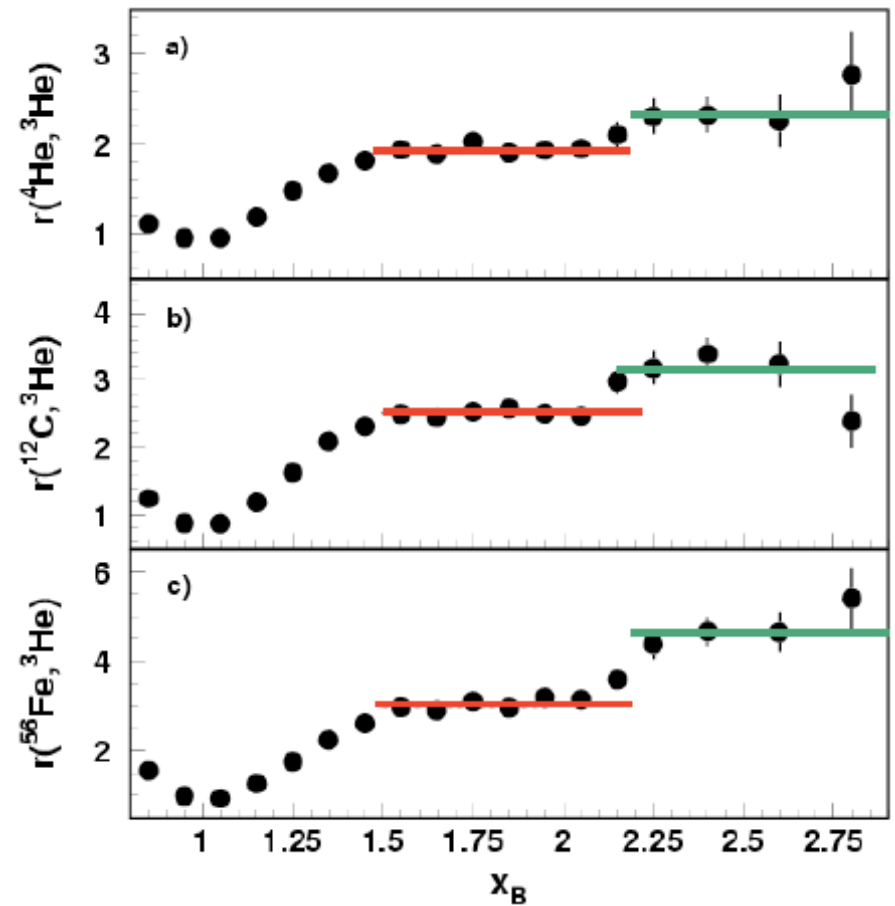
□ Strong enhancement at large x:  $\langle Q^2 \rangle = 2.7 \text{ GeV}^2$

$$r(A, {}^2H) = \frac{\sigma_A/A}{\sigma_2/2} \equiv \alpha_{2n}(A)$$

$$r(A, {}^3He) = \frac{\alpha_{2n}(A)}{\alpha_{2n}({}^3He)}$$



N. Fomin, et al., arXiv:1107.3583

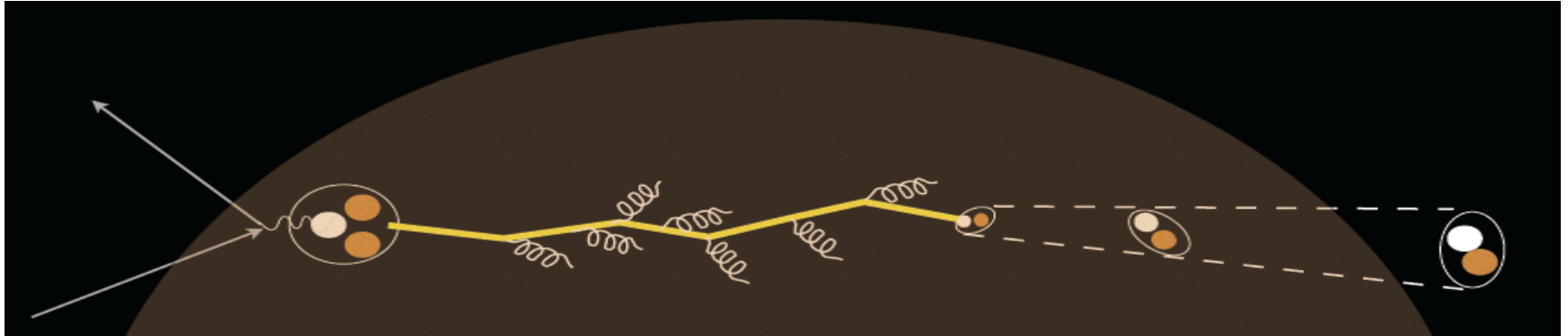


Egiyan et al, PRL 96, 2006

# Nuclear filter for hadronization

Brooks, PINAN11

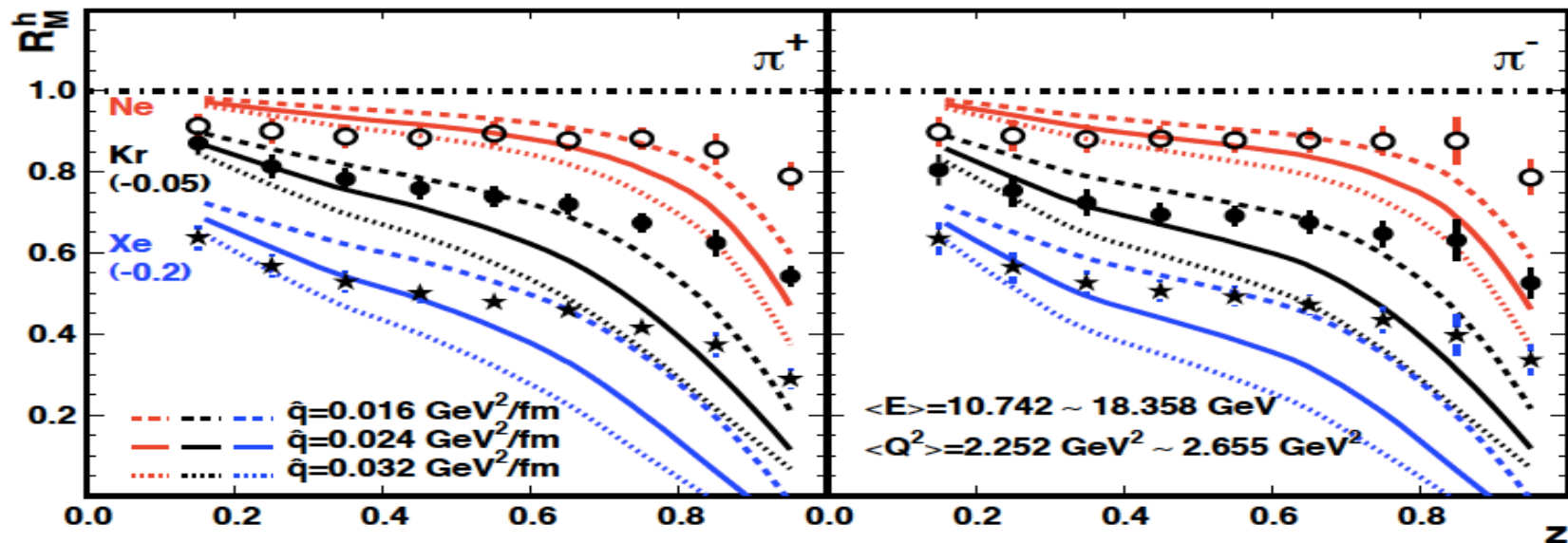
□ **SIDIS:**  $\ell(l) + A(p_A) \rightarrow \ell'(l') + h(p) + X$



Deng, Wang, 2010

□ **Suppression in leading particle – energy loss?**

$\hat{q}_N = 0.02 \text{ GeV}^2/\text{fm}$

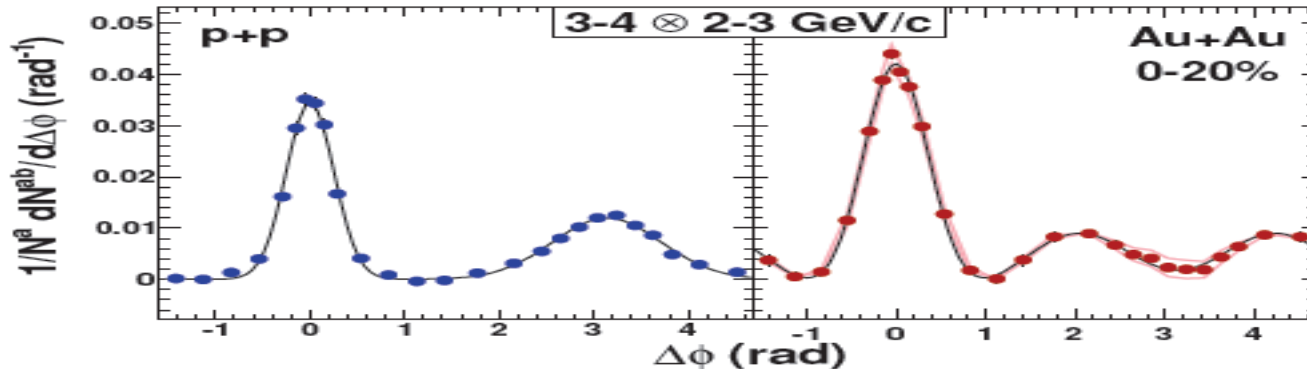




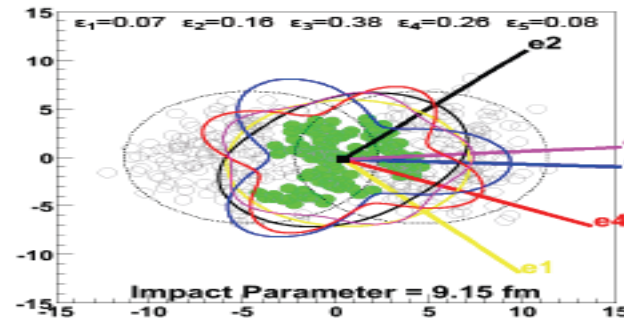
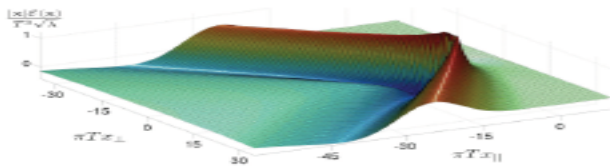
# Nuclear quantum fluctuations

## Two particle correlation:

Alver, Roland, PRC81 (2010) 054905  
Sorensen, J.Phys.G G37 (2010) 094011



Stefan Bathe's talk



Initial-state fluctuations – triangular component – flow  $v_n$

## Fluctuations in nuclear density, color fields, ... “hot spots”

Initial condition for heavy ion collisions

See Itakura's talk

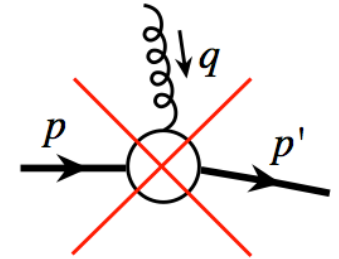
Quark-Gluon Nuclear Physics is very important & interesting!

# Gluon and color

□ QCD – gluons carry color charge:

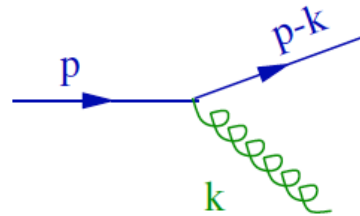
✧ No color form factor!

– color distribution inside a hadron or a nucleus?



□ QCD color fluctuation taken place at various time scales:

✧ Radiation:

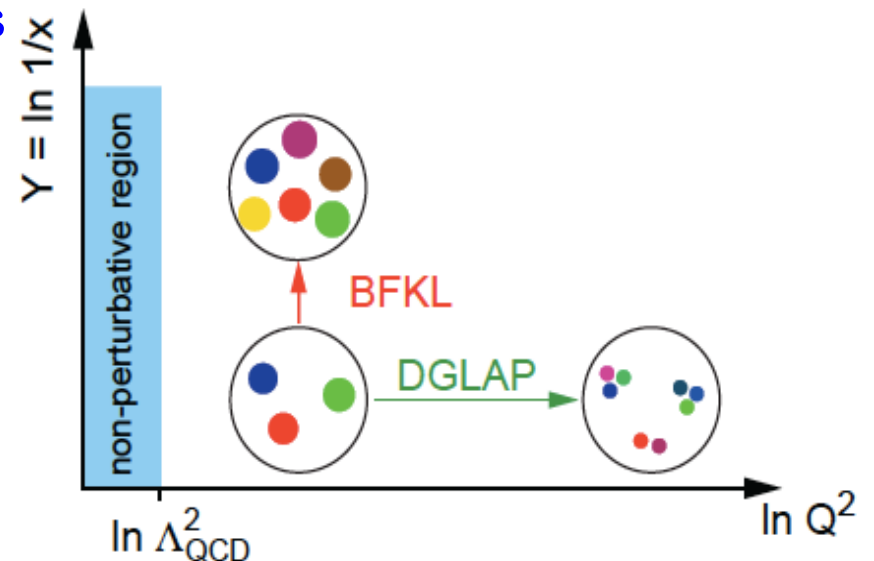


$$d\mathcal{P} \sim \alpha_s \frac{dk_T^2}{k_T^2} \frac{dx}{x}$$

✧ Leads to change of distributions – evolution:

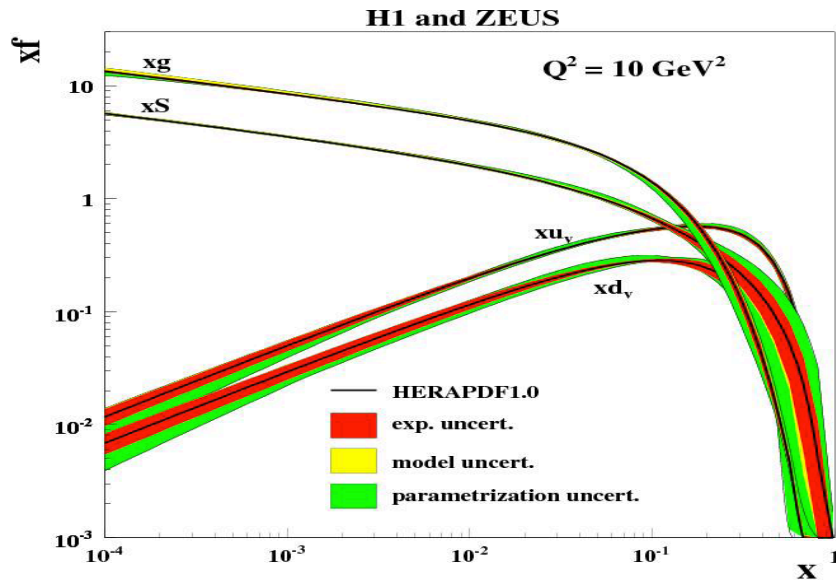
DGLAP  $\frac{dk_T^2}{k_T^2} \rightarrow d \log(Q^2)$

BFKL  $\frac{dx}{x} \rightarrow d \log(1/x)$



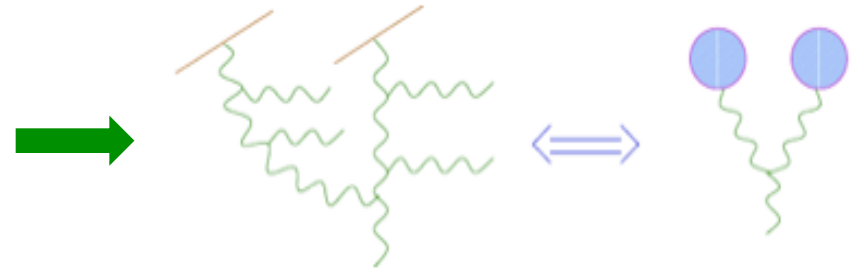
# Non-linear gluon dynamics

- Huge gluon density at small x:

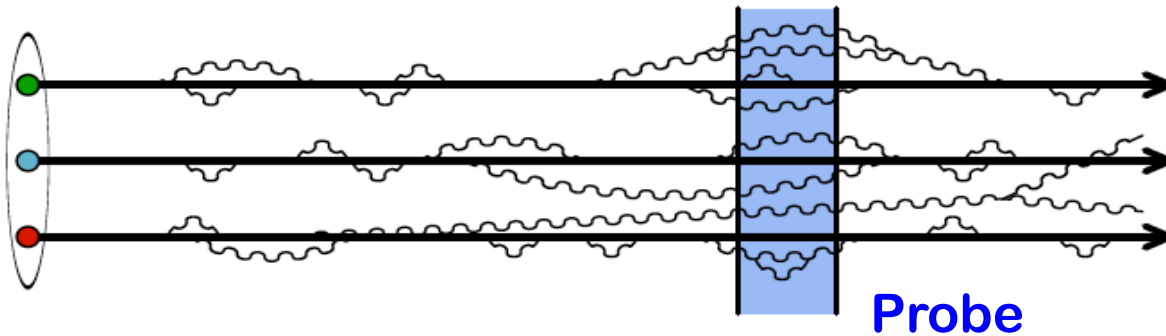


←  $\gamma_{g/g}(x) \propto \frac{1}{x}$

Parton recombination:



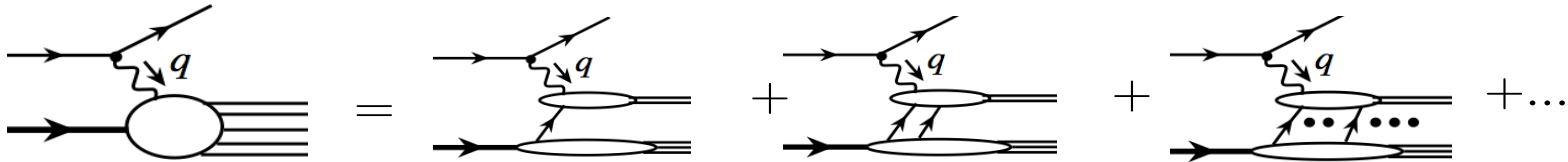
- Gluon recombination and saturation ought to be there:



Parton recombination, saturation, color glass condensate, ...

# DIS at small-x

□ We measure cross sections, not parton distributions:



✧ Every parton can participate the hard collision!

✧ eA cross section depends on matrix elements of all fields

$$\sigma(Q) = \sigma^{\text{LP}}(Q) + \frac{Q_s}{Q} \sigma^{\text{NLP}}(Q) + \frac{Q_s^2}{Q^2} \sigma^{\text{NNLP}}(Q) + \dots \approx \sigma^{\text{LP}}(Q)$$

□ Recombination – Saturation:

✧ All terms are important!

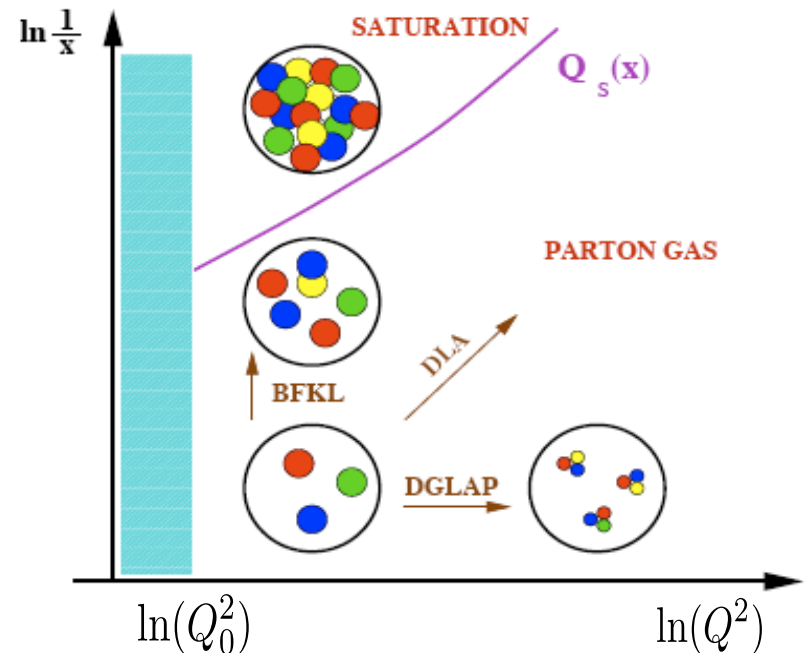
✧ Wave feature > particle feature!

□ Saturation scale – dynamical:

$$Q_s^2(x) \simeq \alpha_s \frac{xG(x, Q_s^2)}{\pi R^2} \sim \frac{1}{x^\lambda}$$

$$\propto \langle F^{+\perp} F^{+\perp} \rangle$$

See Itakura's talk



# Reaching the saturation region

## □ HERA(ep):

$$Q_s^2 \leq 1 \text{ GeV}^2$$

for all values of  $x$

## □ Local probe:

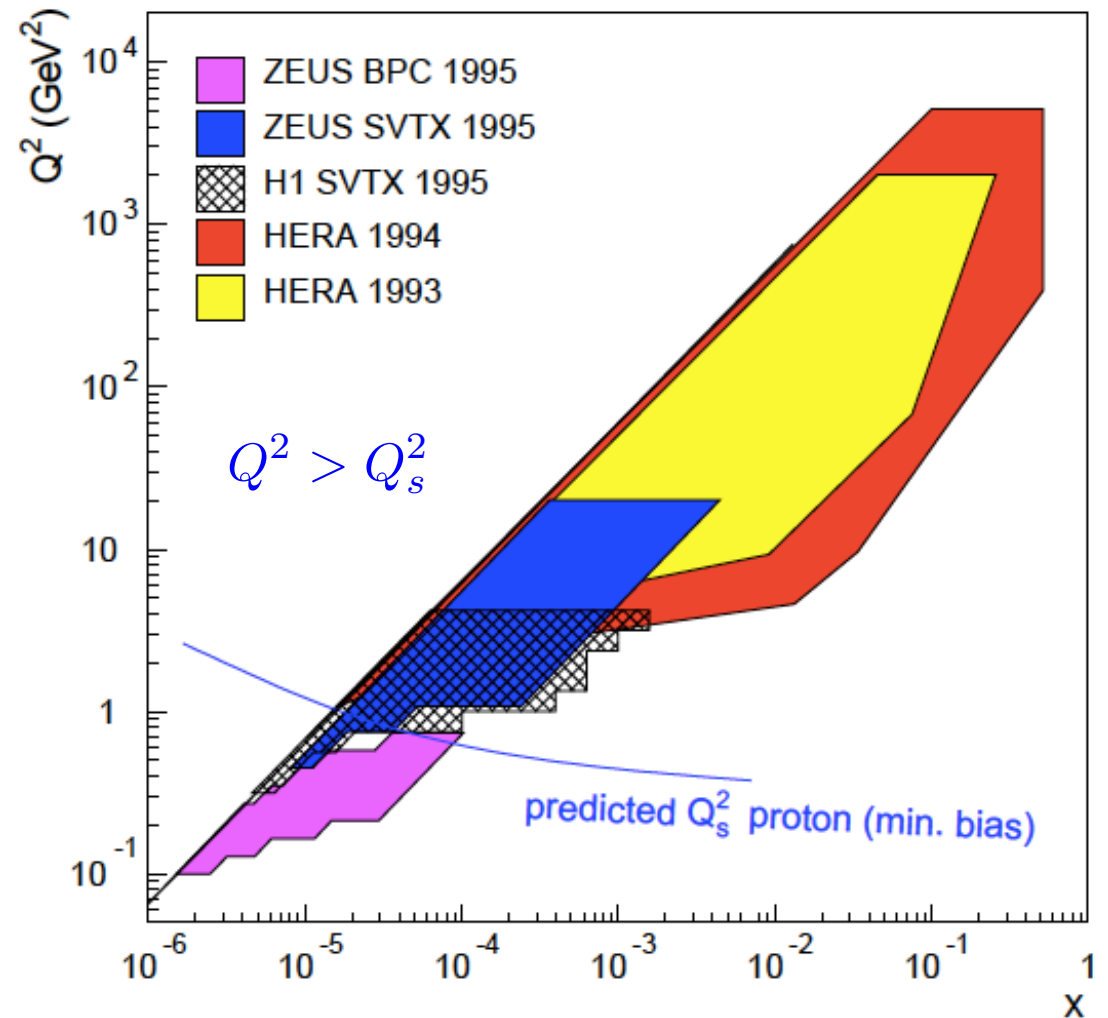
If  $Q^2 \geq 1 \text{ GeV}^2$ ,

whole HERA kinematics  
is outside the saturation  
region  $Q^2 > Q_s^2$

## □ Need a super “ep”:

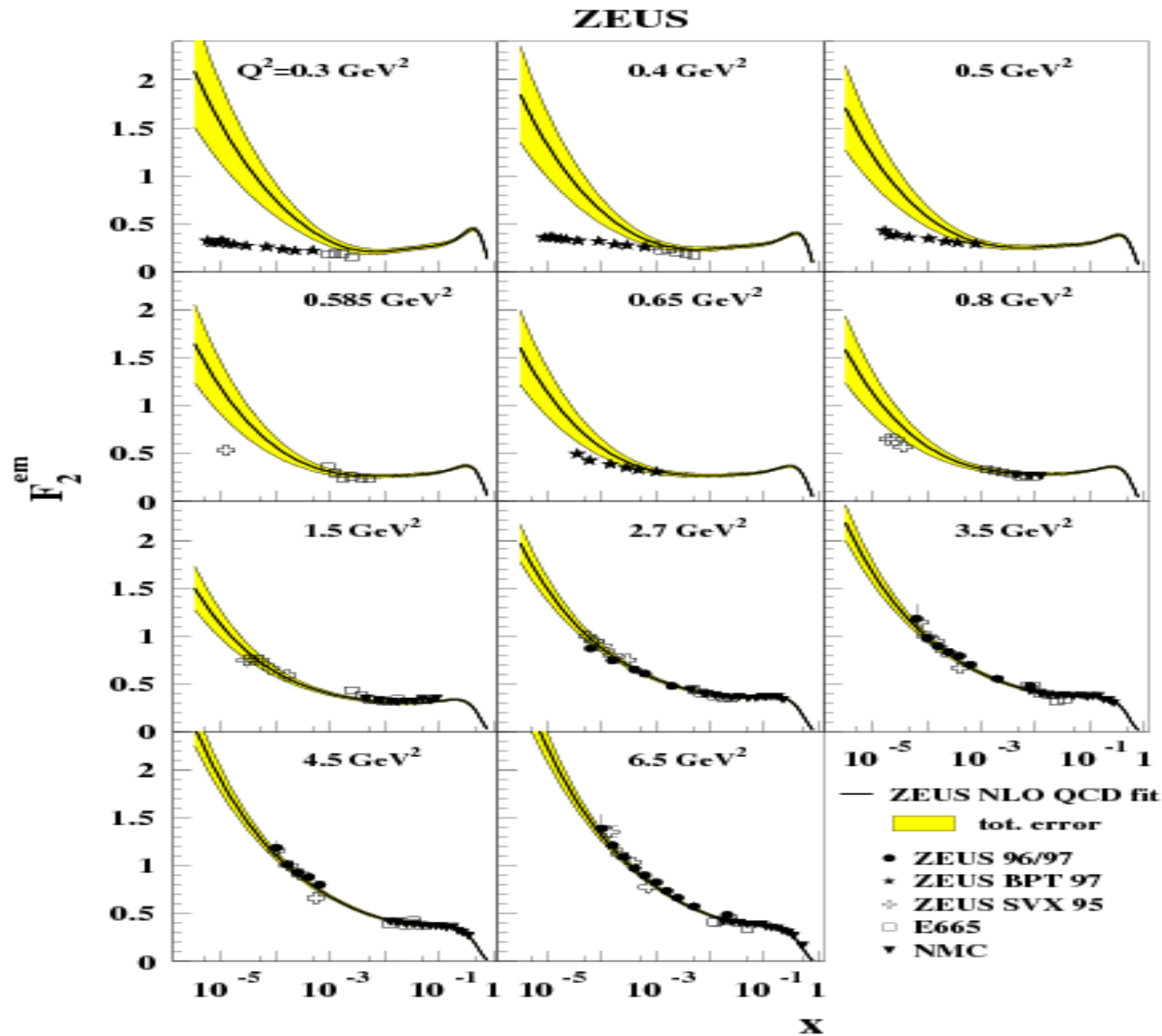
$$\sqrt{s} > \text{TeV},$$

for some range of  $Q$



Only hope to see saturation in ep: LHeC?

# Breakdown of leading power QCD



Visible failure only  
when  $Q < 1 \text{ GeV}$   
and  $x$  is small

DGLAP works  
well  
if  $Q > 2 \text{ GeV}$

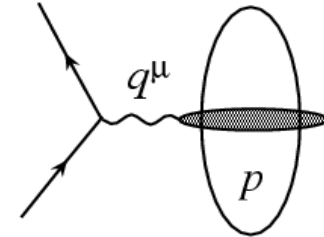
# Can a large nucleus help?

- Hard probe – process with a large momentum transfer:

$$q^\mu \quad \text{with} \quad Q \equiv \sqrt{|q^2|} \gg \Lambda_{\text{QCD}}$$

- Size of a hard probe is very localized and much smaller than a typical hadron at rest:

$$\frac{1}{Q} \ll 2R \sim \text{fm}$$



- But, it might be larger than a Lorentz contracted hadron:

$$\frac{1}{Q} \sim \frac{1}{xp} \geq 2R \left( \frac{m}{p} \right) \quad \text{or equivalently} \quad x \leq x_c \equiv \frac{1}{2mR} \sim 0.1$$

Frame independent condition

If an active parton  $x$  is small enough  
the hard probe could cover several nucleons  
in a Lorentz contracted large nucleus!



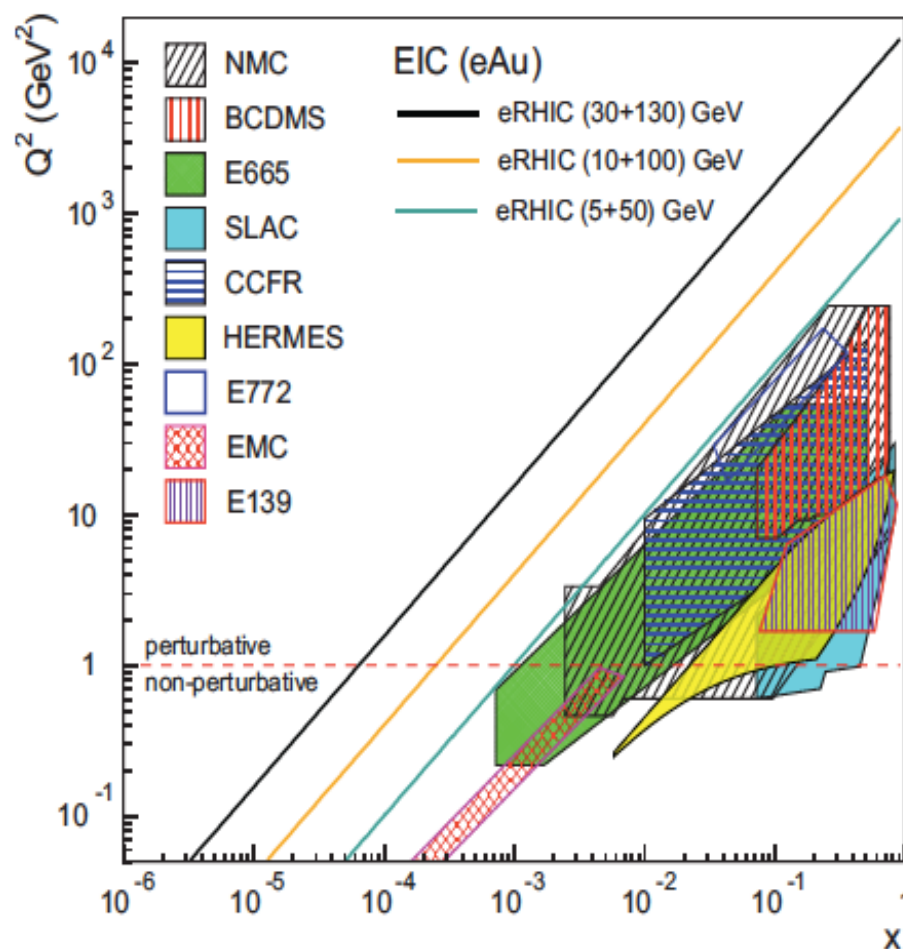
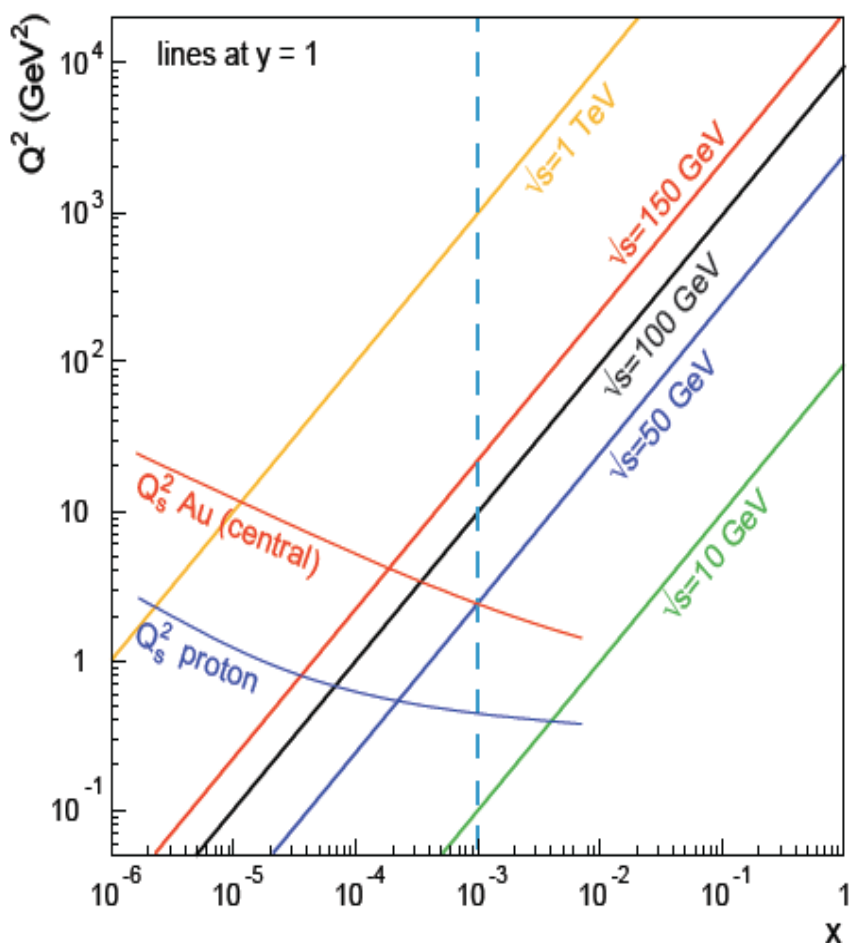
More coherent partons  
at  
an impact parameter

# Reaching the saturation with eA

- small-x probe interacts with partons from all nucleons at a given impact parameter:

$$Q_s^2(eA) \propto Q_s^2(ep) A^{1/3}$$

See Ullrich's talk





# Golden measurements

The INT report


QCD matter in nuclei				
Deliverables	Observables	What we learn	Phase I	Phase II
integrated gluon distributions	$F_{2,L}$	nuclear wave function; saturation, $Q_s$	gluons at $10^{-3} \leq x \leq 1$	explore sat. regime
$k_T$ -dep. gluons; gluon correlations	di-hadron correlations	non-linear QCD evolution/universality	onset of saturation; $Q_s$	RG evolution
transp. coefficients in cold matter	large- $x$ SIDIS; jets	parton energy loss, shower evolution; energy loss mech.	light flavors, charm bottom; jets	precision rare probes; large- $x$ gluons

Three-dimensional structure of the nucleon and nuclei: spatial imaging			
Deliverables	Observables	What we learn	Requirements
sea quark and gluon GPDs	DVCS and $J/\psi, \rho, \phi$ production cross sect. and asymmetries	transverse images of sea quarks and gluons in nucleon and nuclei; total angular momentum; onset of saturation	$\mathcal{L} \geq 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$ , Roman Pots wide range of $x_B$ and $Q^2$ polarized $e^-$ and $p$ beams $e^+$ beam for DVCS

# “See” gluons

□  $F_2$  – gluon comes at NLO:  
scheme dependent

□  $F_L$  – gluon comes at LO:

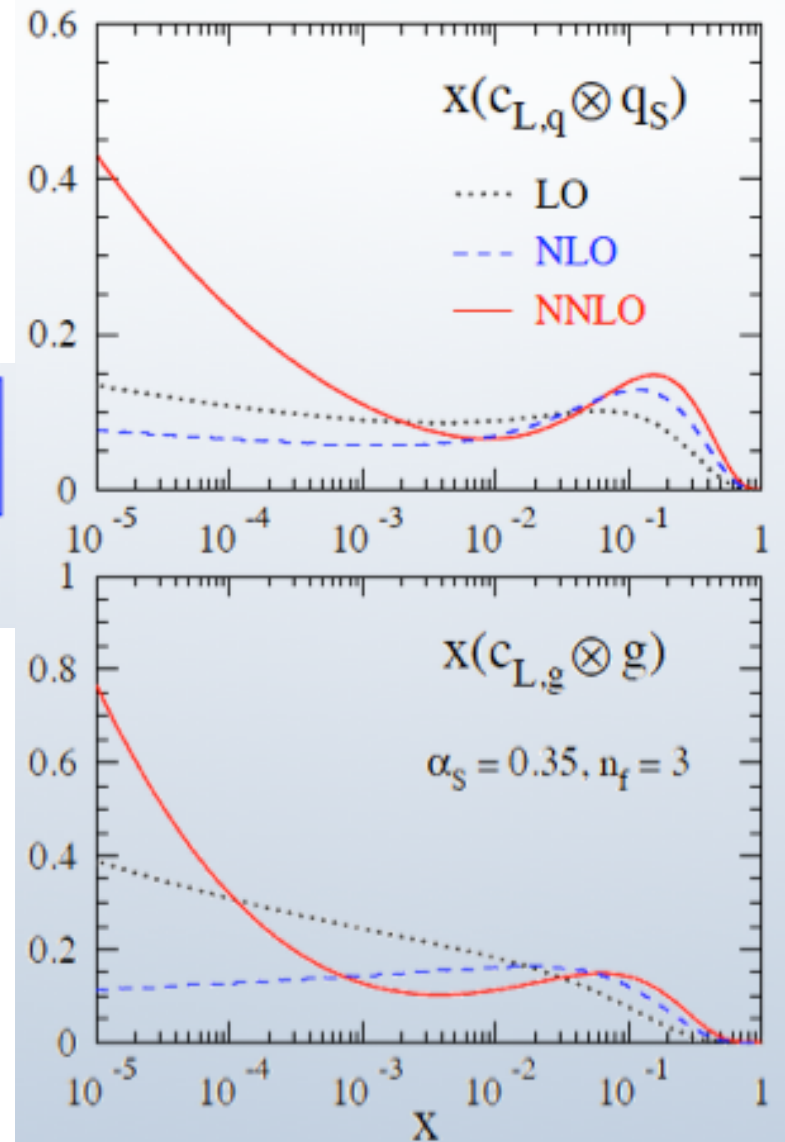
$$F_L = \frac{\alpha_s}{4\pi} x^2 \int_x^1 \frac{dz}{z^3} \left[ \frac{16}{3} F_2(z) + 8 \sum_q e_q^2 \left(1 - \frac{x}{z}\right) z g(z) \right]$$


No small-x growth until NNLO

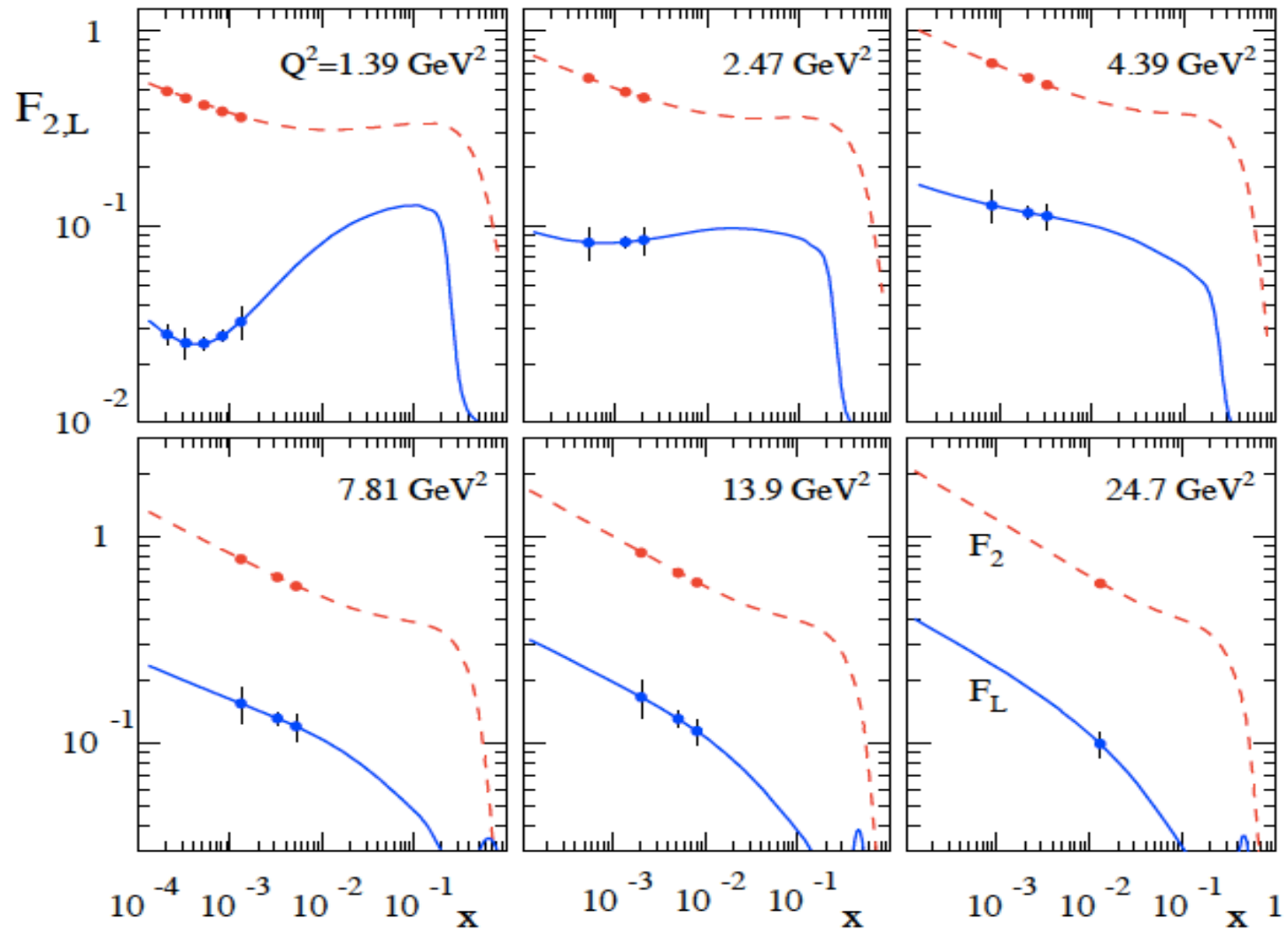
□ Unfinished business at HERA:

Need good coverage on y-dependence  
or energy scan

EIC should be able to do that



# $F_L$ measurement at EIC



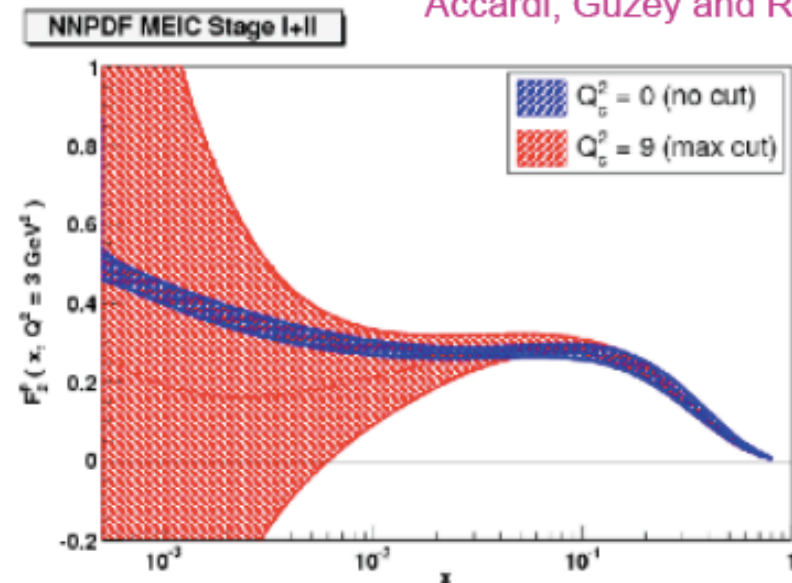
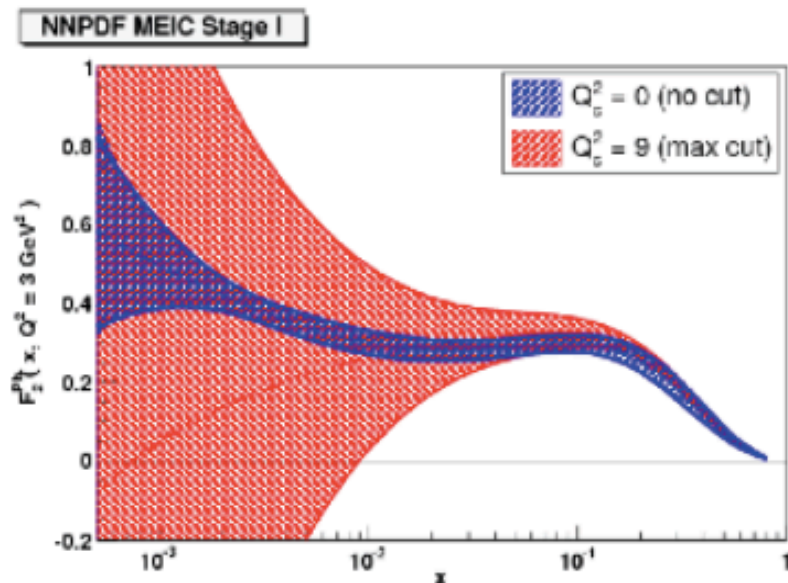
Energy: 5 GeV + 100 (250, 325) GeV

# F<sub>2</sub> - Seek deviation from DGLAP

Marquet@EICAC

## □ DGLAP cannot describe the saturation region:

- create small-x pseudo-data with non-linear QCD evolution
- perform a DGLAP fit only in the “safe region” large Q<sup>2</sup> region
- evolve into the “saturation” region using DGLAP
- compare to what a full DGLAP fit would have produced



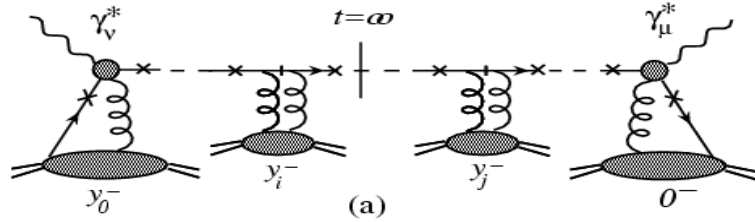
Accardi, Guzey and Rojo

systematic downward shift: signal of deviations from DGLAP

for a Pb nucleus, deviations from DGLAP would be unambiguously identified within the  $x$  range of the full-energy EIC

# Transition region – close to saturation

## Power corrections:



$$x_B^N \left[ (-1)^N \frac{1}{N!} \frac{d^N}{dx^N} \delta(x - x_B) \right]$$

$$F_T(x_B, Q^2) = \sum_{n=0}^N \frac{1}{n!} \left[ \frac{\xi^2}{Q^2} (A^{1/3} - 1) \right]^n x_B^n \frac{d^n}{dx_B^n} F_T^{(0)}(x_B, Q^2)$$

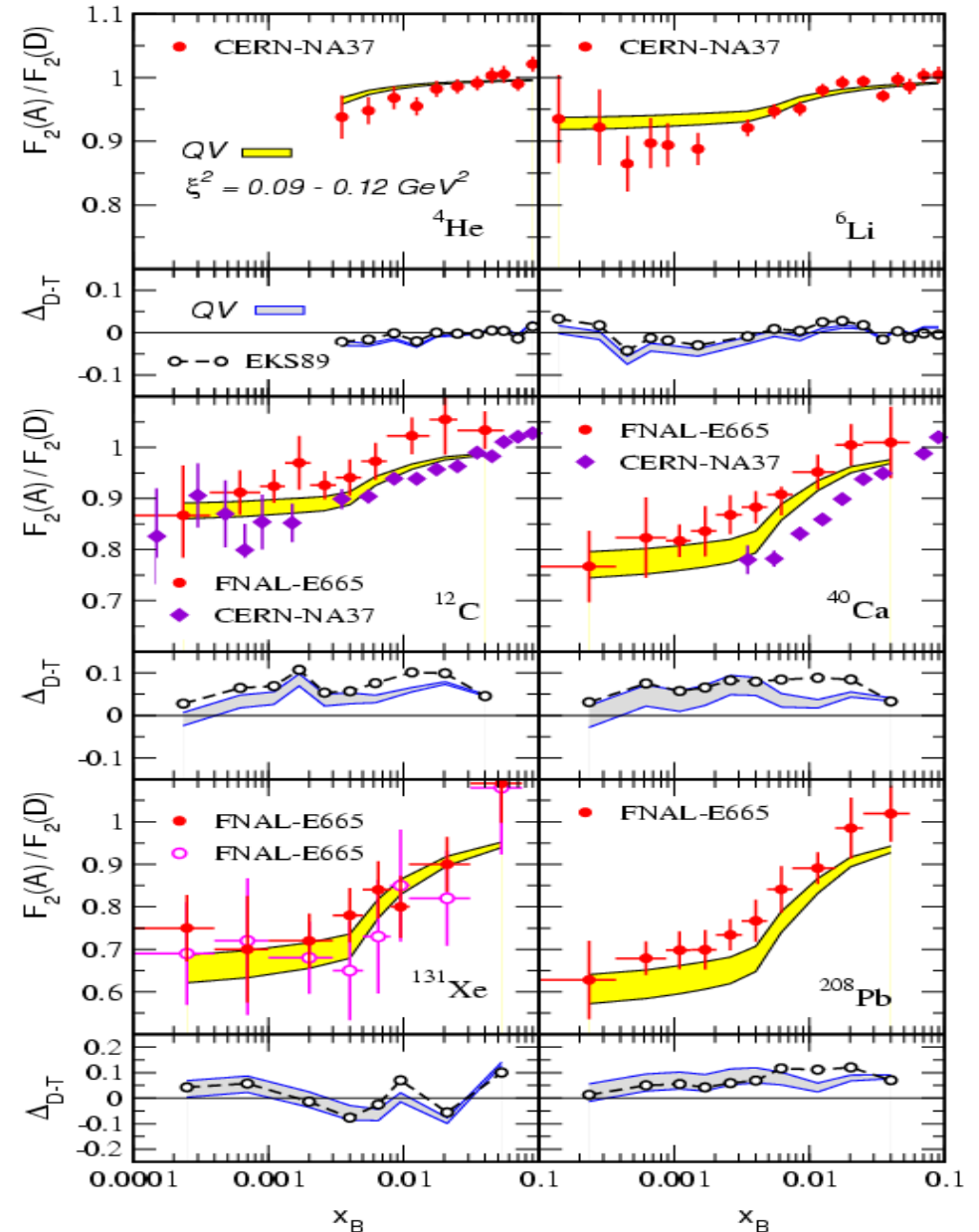
$$\approx F_T^{(0)}(x_B(1 + \Delta), Q^2)$$

$$\Delta \equiv \frac{\xi^2}{Q^2} (A^{1/3} - 1)$$

$$\xi^2 = \frac{3\pi\alpha_s}{8R^2} \langle F^{+\alpha} F_{\alpha+} \rangle$$

$$\xi^2 = 0.09 - 0.12 \text{ GeV}^2$$

for all A-, Q-, and x-dependence!



# Nuclear PDFs

Marquet@EICAC

## □ EIC is much better to map out nuclear PDFs:

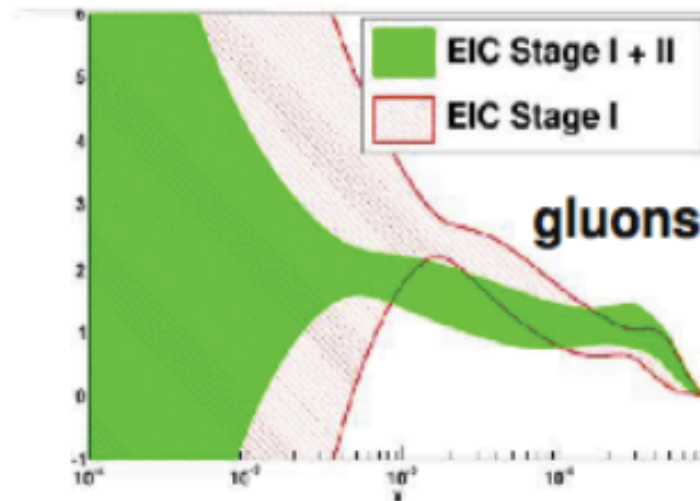
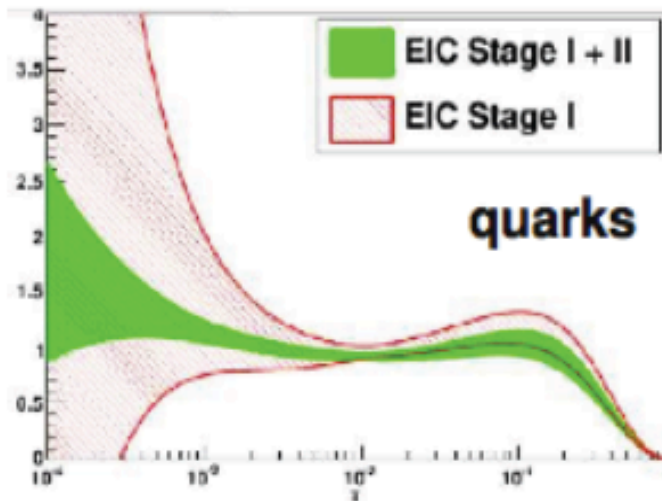
- QCD fits on e+A pseudo-data

with  $\sqrt{s}=12, 17, 24, 32, 44$  GeV  
63, 88, 124 GeV

(medium energy EIC – stage I)

(full energy EIC – stage I)

allows to estimate nuclear quark and gluon distributions and their uncertainties

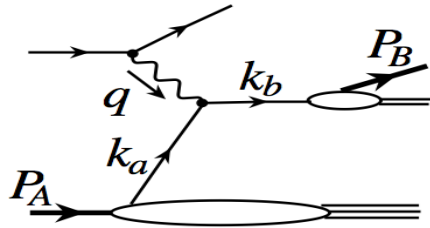


the EIC has constraining power, it will be to nuclei what HERA is to the proton

- Nuclear GPDs, nuclear TMDs



# SIDIS - TMD factorization

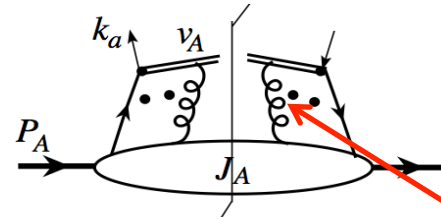


$$\sigma_0 \phi(x, \mu) \otimes D(z, \mu) \delta^2(p_{BT})$$

$$\sigma_0 \tilde{\phi}(x, k_{aT}) \otimes \tilde{D}(z, k_{bT}) \delta^2(p_{BT} - k_{aT} - k_{bT})$$

## □ TMD parton distribution:

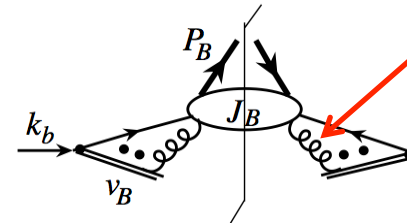
$$\tilde{\phi}_{f/A}^{(0)}(x, k_{aT}) = \text{Tr}_{\text{color}} \text{Tr}_{\text{Direc}} \frac{\gamma^+}{2} \int \frac{dk_a^-}{2\pi}$$



Gauge links

## □ TMD fragmentation function:

$$\tilde{D}_{f \rightarrow B}^{(0)}(z, k_{bT}) = \frac{\text{Tr}_{\text{color}}}{N_c} \frac{\text{Tr}_{\text{Direc}}}{4} \frac{\gamma^+}{z} \int \frac{dk_b^-}{2\pi}$$



## □ Naturally 2-scale observable:

$$Q^2 \gg p_T^2 \sim Q_s^2$$

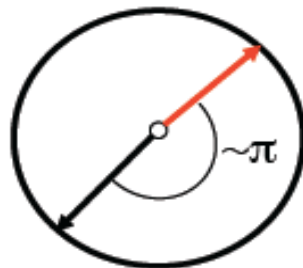
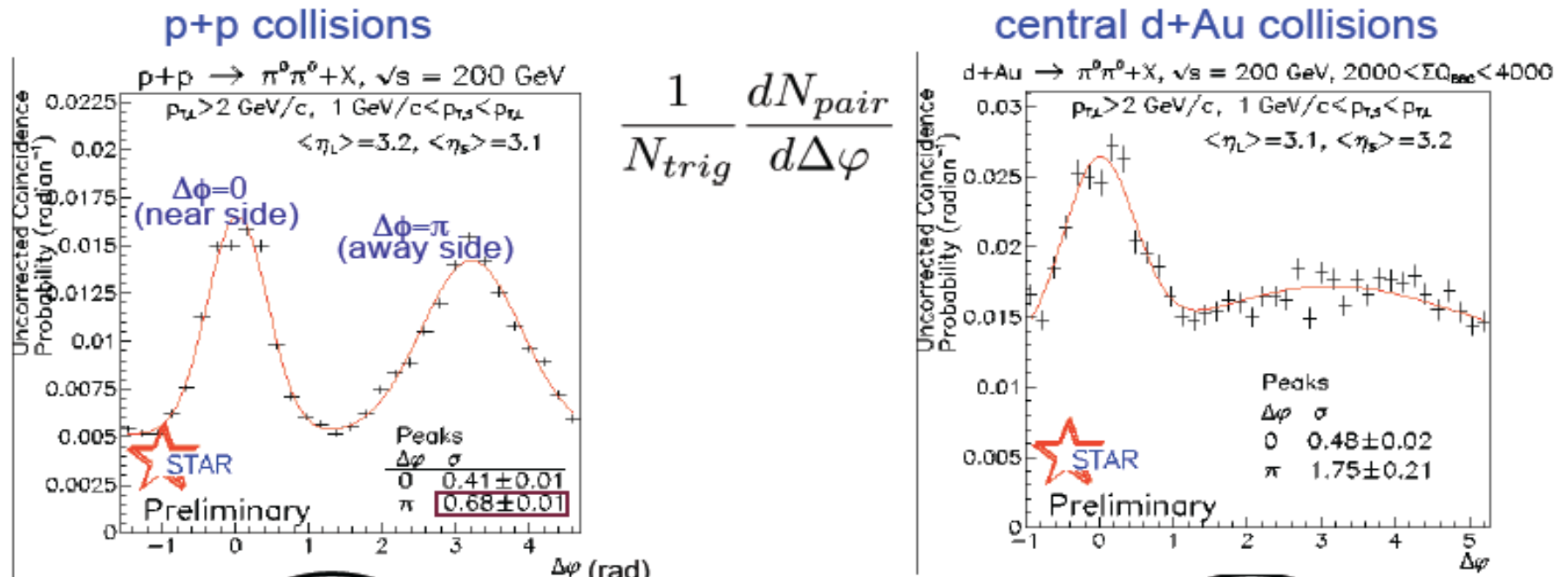
Direct probe of the saturation scale!

# Di-hadron angular distributions in pA

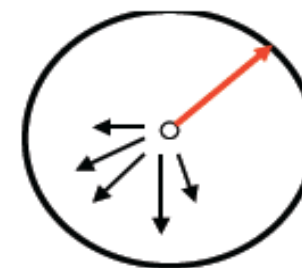
Marquet@EICAC

## Di-hadron correlation:

comparisons between  $d+Au \rightarrow h_1 h_2 X$  (or  $p+Au \rightarrow h_1 h_2 X$ ) and  $p+p \rightarrow h_1 h_2 X$



$$x_A = \frac{k_1 e^{-y_1} + k_2 e^{-y_2}}{\sqrt{s}} \ll 1$$



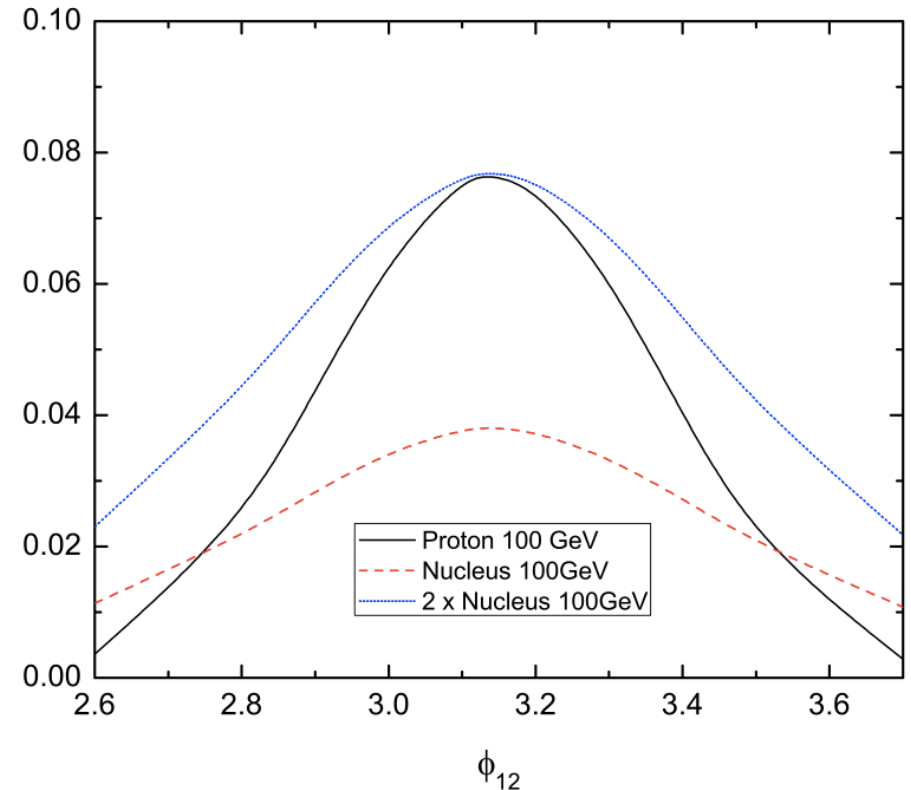
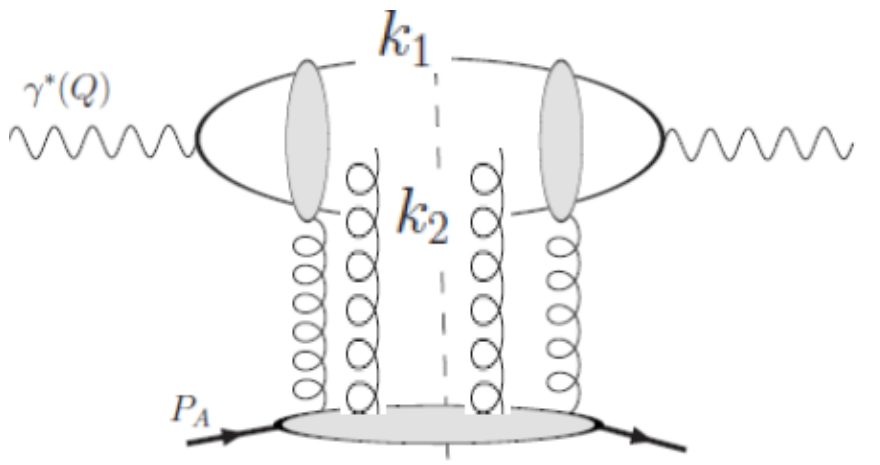
however, when  $y_1 \sim y_2 \sim 0$  (and therefore  $x_A \sim 0.03$ ),  
the p+p and d+Au curves are almost identical



# Di-hadron angular distributions in eA

## □ CGC/color dipole calculation:

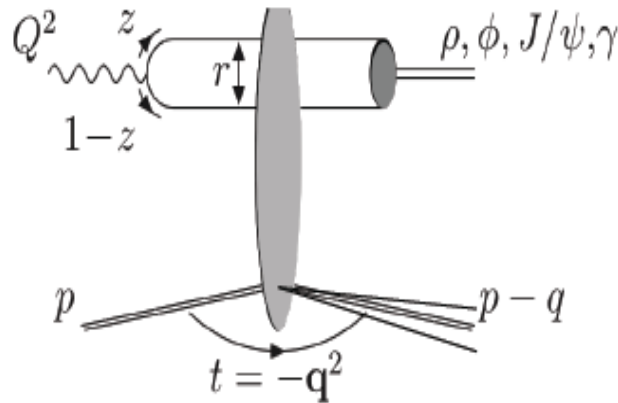
Dominguez, Xiao, Yuan (2010)



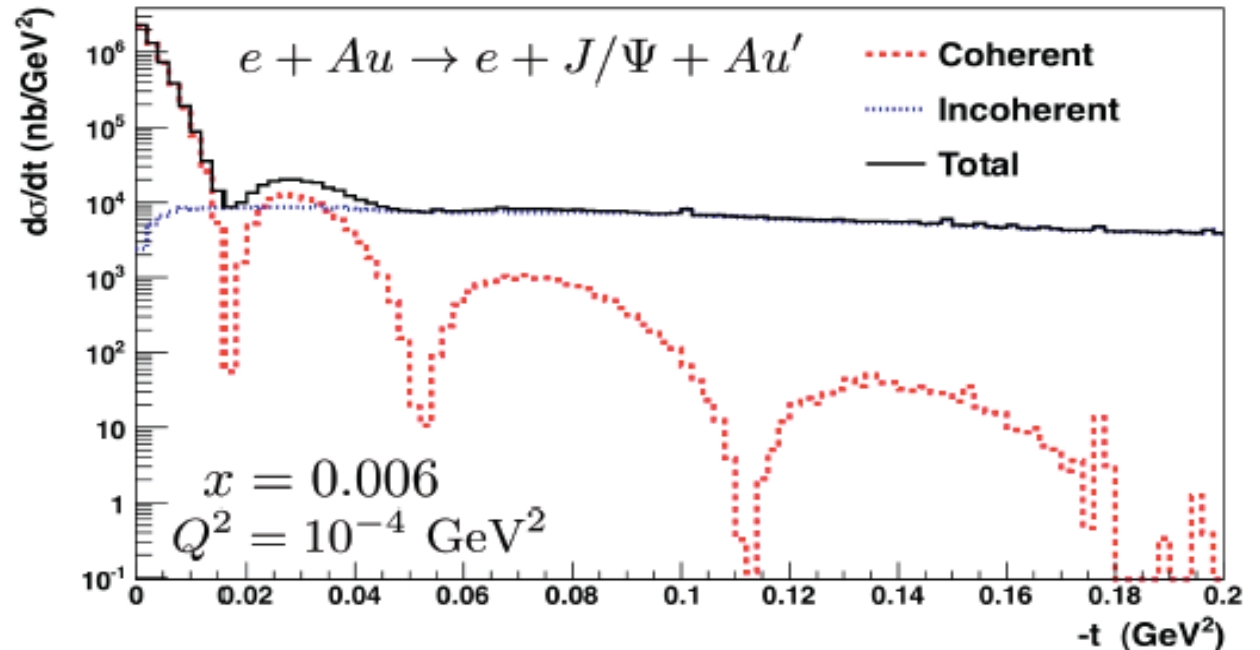
- ✧ Never be measured!
- ✧ Directly probe Weizsacker-Williams gluon distribution in nucleus
- ✧ A factor of 2 suppression of away-side hadron-correlation!

# Diffractive vector meson production

Toll and Ullrich (2011)



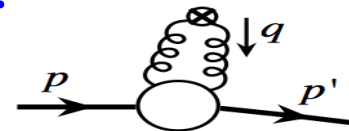
- as a function of  $t$



## □ Exclusive (coherent):

- ✧ Fourier transform of  $t$  dependence:

➡ Gluon GPD's

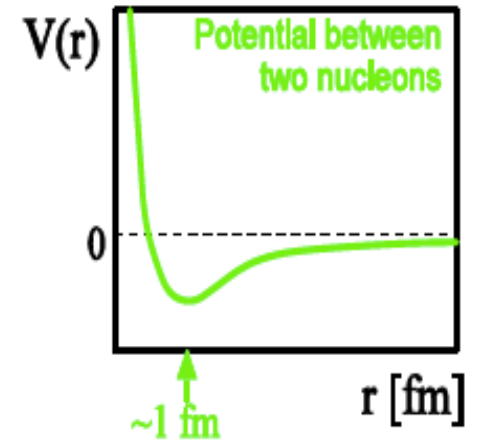
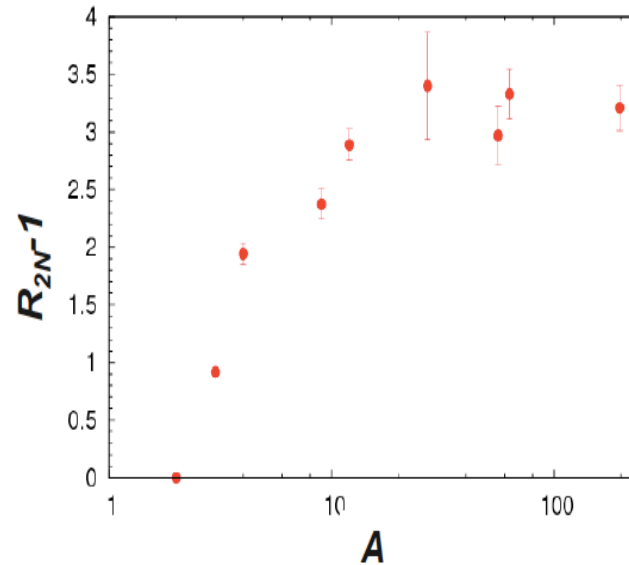
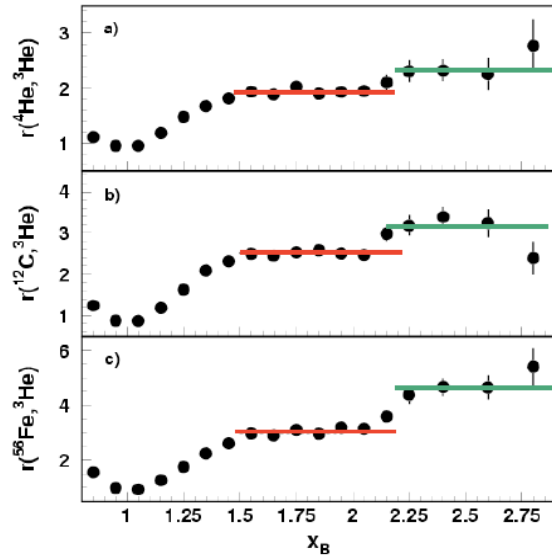


- ✧ 3-D gluon density imaging of a nucleus

Could be very useful tool to probe the short-range correlations!

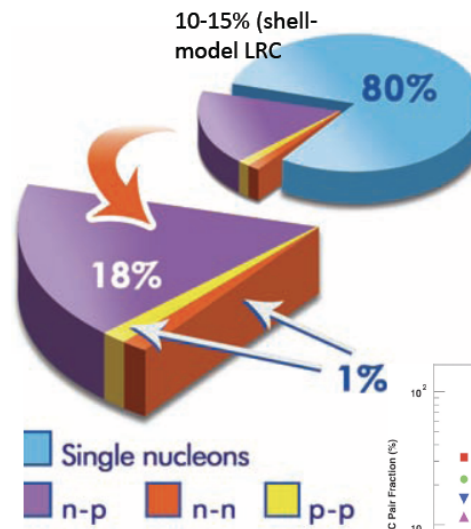
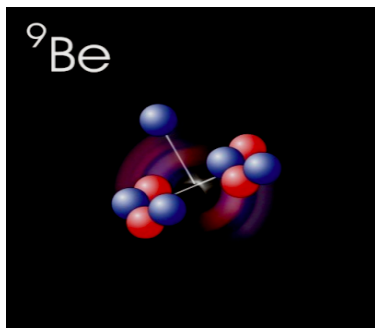
# Short-range correlations (SRCs)

## Superfast quarks:



## Structure of $^{12}\text{C}$ :

3-D imaging?

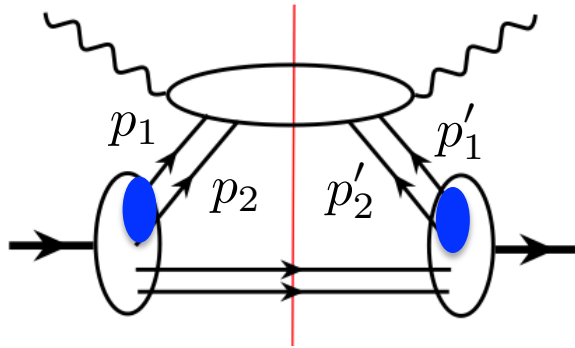


## What is the range of color correlation?

Size of nucleon or longer?

# Color coherence inside a nucleus

## □ GPDs in nuclear collisions:



In a nucleus:  $p_i \neq p'_i$

At large  $x$ : GPDs  $\rightarrow$  PDFs

“color singlet nucleon”

At small  $x$ : GPDs with large  $\Delta$ !

## □ A-dependence of structure functions, ...

$A^{1/3}$  – No color coherence between amplitude and its c.c.

$A^{2/3}$  – Complete long range color coherence inside nucleus  
– more like a large proton case

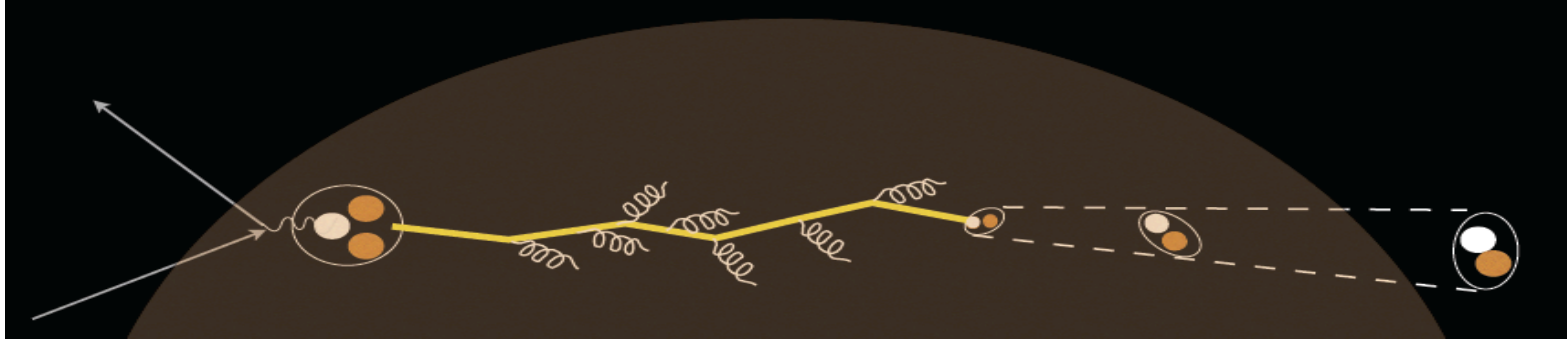
## □ Is there a “universality” for proton and nucleus

– long range color coherence – more close to  $A^{2/3}$  ?

– or superposition of color singlet nucleons – to  $A^{1/3}$ ?

# In-medium hadronization

- Unprecedented range of photon energy  $\nu$  at EIC:  $\nu = \frac{Q^2}{2mx}$



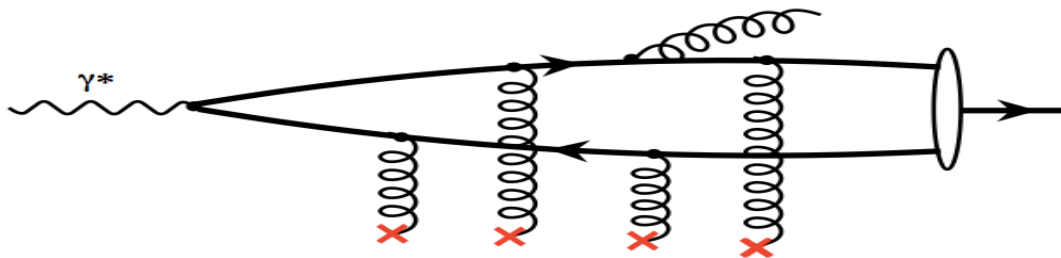
- ✧ Small  $\nu$  - in medium hadronization:

Stages of hadronization: parton, pre-hadron, hadron

- ✧ Large  $\nu$  - parton multiple scattering:

Parton energy loss – cold nuclear matter  $\hat{q}$

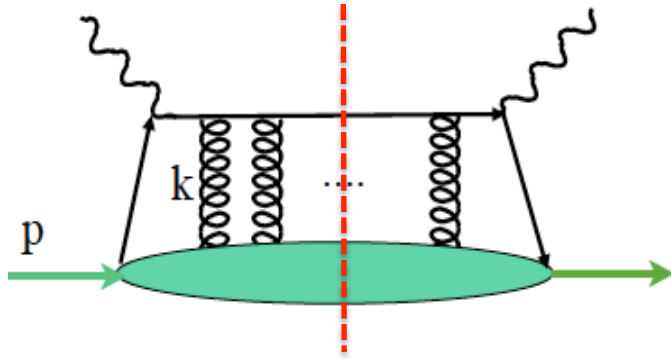
- Heavy quark and quarkonium production:



Filter for production mechanism!

# Transverse momentum broadening

- Multiple scattering – transverse momentum broadening:



$$\langle p_T^2 \rangle_{eA} \equiv \int dp_T^2 p_T^2 \frac{d\sigma_{eA}}{dx_B dQ^2 dp_T^2} / \frac{d\sigma_{eN}}{dx_B dQ^2}$$

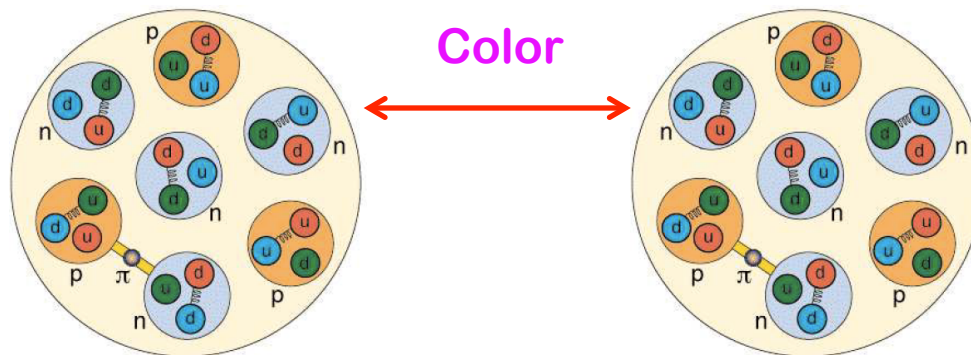
$$\Delta \langle p_T^2 \rangle_{A/N} = \langle p_T^2 \rangle_{eA} - \langle p_T^2 \rangle_{eN}$$

Guo, 1996

- A-dependence of the broadening:

$$\Delta \langle p_T^2 \rangle_{A/N} \propto A^{1/3}$$

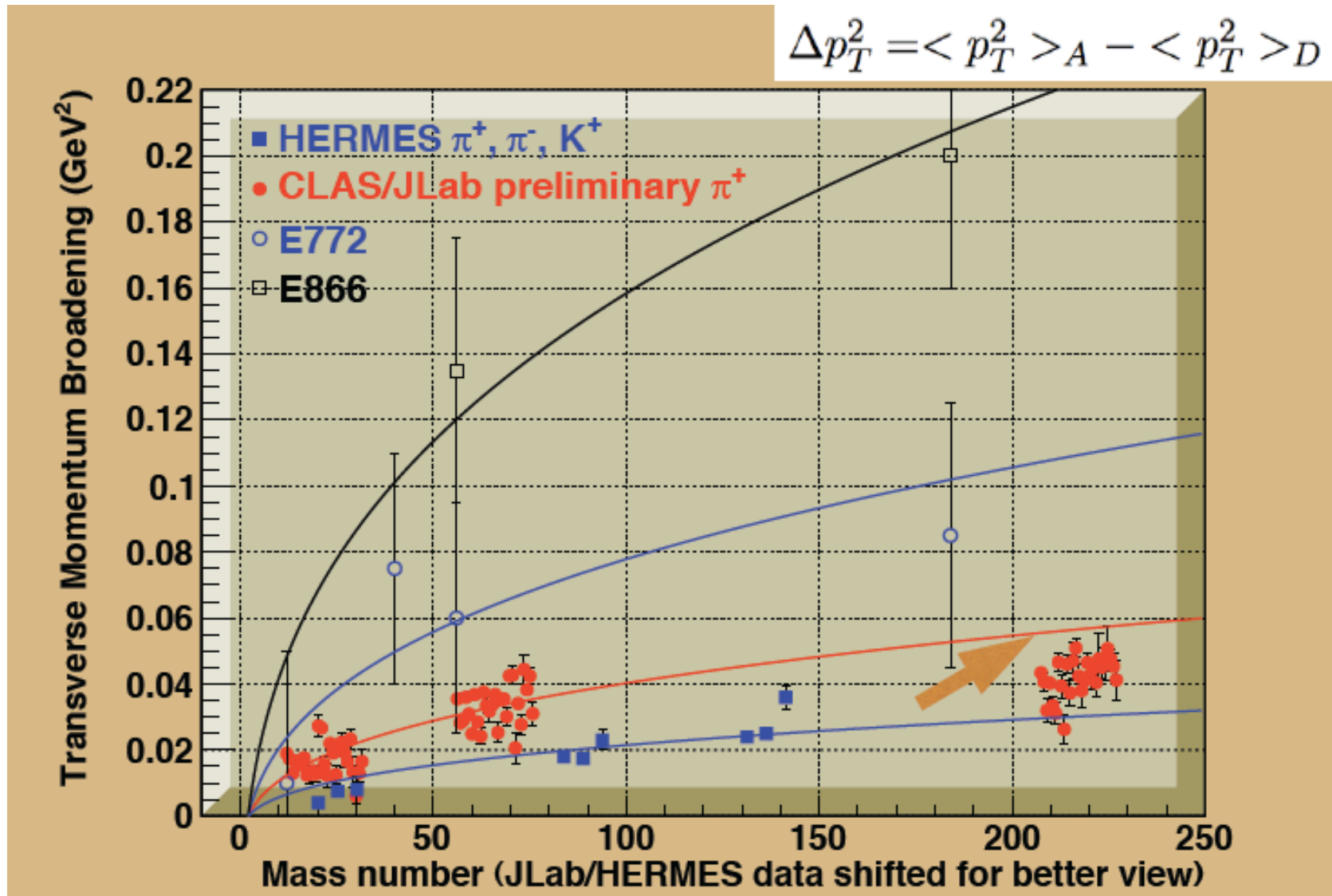
– No long-range color correlation



- $x_B$  – dependence? - EIC

# Transverse momentum broadening

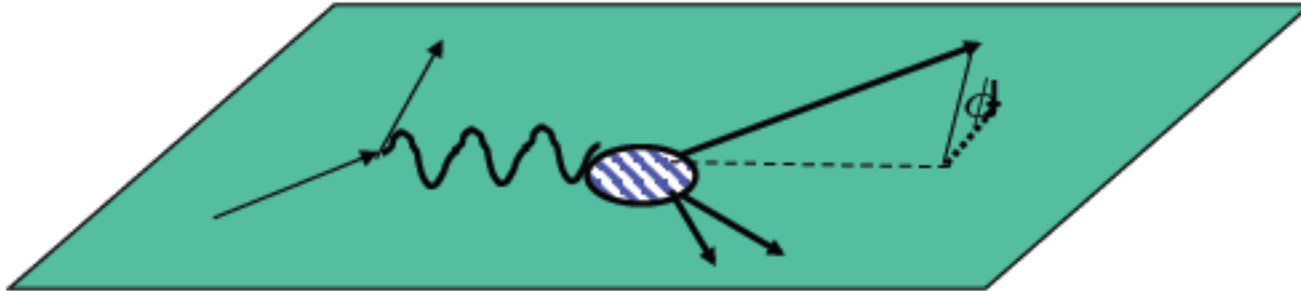
## □ Low energy Drell-Yan and SIDIS:



# Density distribution – Fluctuation

## □ Azimuthal distribution:

Guo, Liang, Wang, 2010



$$\langle \cos \phi \rangle_{eA} = \frac{2(2-y)\sqrt{1-y}}{1+(1-y)^2} \frac{k_T}{Q} \frac{x_B f_{A\perp}^q(x_B, k_T)}{f_A^q(x_B, k_T)}$$

## □ A-dependence of the $k_T$ -dependent distribution:

$$f_{A\perp}^q(x, k_T) \approx \left( 1 + \frac{\Delta}{2k_T^2} \vec{k}_T \cdot \vec{\partial}_{k_T} \right) \frac{A}{\pi\Delta} \int d^2q_{\perp} \exp \left[ -\frac{(\vec{k}_{\perp} - \vec{q}_{\perp})^2}{\Delta} \right] f_{N\perp}^q(x, \vec{q}_{\perp})$$

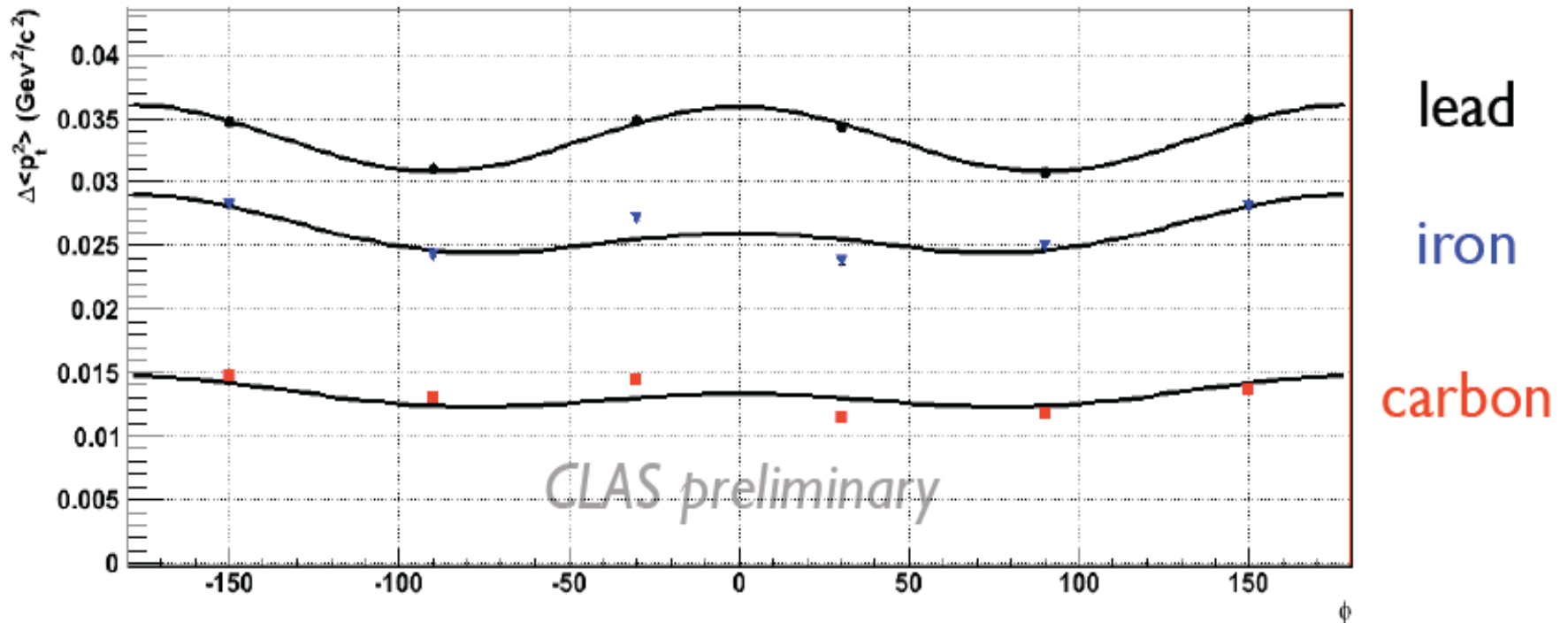
$$f_A^q(x, \vec{k}_{\perp}) \approx \frac{A}{\pi\Delta} \int d^2q_{\perp} \exp \left[ -\frac{(\vec{k}_{\perp} - \vec{q}_{\perp})^2}{\Delta} \right] f_N^q(x, \vec{q}_{\perp})$$



# Azimuthal asymmetry

Brooks, PINAN2011

## □ Preliminary low energy data:



## ✧ Classical expectation:

Any distribution seen in Carbon should be washed out in heavier nuclei

## ✧ Surprise:

Quantum effect in transverse momentum broadening – fluctuation!

# Summary

- QCD factorization/calculation have been very successful in interpreting HEP scattering data

< 1/10 fm

- What about the hadron/nuclear structure?

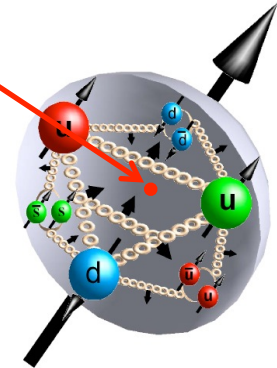
**Not much!**

- EIC is a much needed machine to study hadron/nuclear structure in terms of quarks and gluons

**Quark-Gluon Nuclear Physics**

- The challenge:
  - to identify new and calculable observables that carry rich information on partonic structure
  - to make measurable predictions – much needed simulations

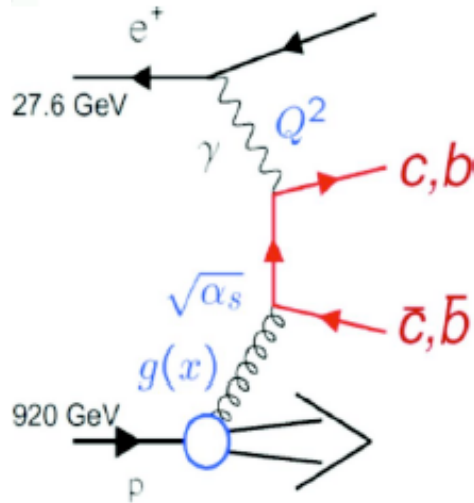
**Thank you!**



**Backup slices**

# Direct information on gluon distribution

## Heavy flavor production in SIDIS:



Gluon continues to grow at  $x=10^{-5}$  and  $Q^2=2 \text{ GeV}^2$

EIC could explore even smaller  $x$  region!

